

**Use of Self-Consolidating Concrete  
in Precast, Prestressed Girders**

by

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## **Abstract**

Self-consolidating concrete (SCC) is a high-performance concrete in the fresh state—because of its highly fluid fresh behavior, it requires no mechanical consolidation during placement. Prior to statewide acceptance of SCC in precast, prestressed bridge member production, the Alabama Department of Transportation (ALDOT) sponsored an investigation of the material to be performed by the Auburn University Highway Research Center. The primary objective of this dissertation is to advance the understanding of the use of SCC in precast, prestressed bridge girders through the synthesis of multiple aspects of that investigation. To this end, material and structural properties were evaluated in a laboratory setting and in full-scale girders in an in-service bridge. In both settings, SCC was evaluated relative to vibrated concrete (VC) and, as importantly, considering existing design standards and construction practices.

The laboratory investigation focused on quantification of SCC stability, a unique property of the material that is important to assess during construction. Five fresh concrete stability tests were conducted on twenty SCC mixtures each placed in walls of heights equaling 54, 72, and 94 inches. Fresh test results were then compared to the results of hardened uniformity testing conducted on the concrete walls. Analyses indicate that acceptable mechanical properties can be achieved in a range of mixtures and that some SCC fresh stability tests correlate well with hardened concrete uniformity. Suitable

fresh SCC tests and acceptance criteria are recommended, as is a testing protocol for use during implementation of SCC in the production of precast, prestressed elements.

The full-scale implementation of precast, prestressed SCC girders consisted of seven BT-54 bulb-tees and seven BT-72 bulb-tees placed in a bridge in rural Alabama. Companion girders were constructed with vibrated concrete. Fresh concrete properties and early-age structural properties were assessed at the plant; measurement of mechanical properties, time-dependent deformations, and elastic responses to applied loads continued until all girders were approximately 1,000 days old (in service for one year).

SCC girders exhibited transfer lengths that were approximately 20% longer than those of VC girders, but the difference appeared to be due to differences in elastic material stiffness at transfer. Average transfer lengths in both materials were approximately half as long as predicted using current design provisions. SCC appeared to exhibit a lesser stiffness (5–15% less relative to the square root of its strength) and greater time-dependent deformability (approximately 5–10% greater creep and 30% greater shrinkage) than VC in representative cylinders, but time-dependent prestress maintenance and elastic responses to construction and service loads were practically identical in the SCC and VC girders. Furthermore, full-scale SCC structural behavior was no less predictable than that of VC according to typical *AASHTO LRFD* methods.

All measured behaviors were accurately or conservatively predicted, and the use of design material properties in place of measured values led to distinct under-prediction of structural performance. Based on the results of this laboratory and full-scale testing, it is concluded that SCC is an acceptable alternative to vibrated concrete in the construction of precast, prestressed bridge girders using current design and production procedures.

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## List of Abbreviations and Symbols

$A$	Adjustment factor applied to the existing <i>AASHTO LFRD</i> time-dependent deformation provisions to account for differences in measured material behavior of SCC
$A_{AL}$	Adjustment factor applied to referenced time-dependent deformation provisions to account for properties of Alabama concrete (used specifically in this work)
$A_{subscript}$	Area, described by “subscript”, except concerning $A_{AL}$ as noted above (areas are always noted with a subscript to differentiate from adjustment factors noted above)
AASHTO	American Association of State Highway and Transportation Officials
AEA	Air-entraining admixture
ALDOT	Alabama Department of Transportation
AMS	Average maximum strain, used to quantify transfer length
AUHRC	Auburn University Highway Research Center
BT-54	Bulb-tee girder 54 inches in height
BT-72	Bulb-tee girder 72 inches in height
$c_{gp}$	Center of gravity of bottom-bulb prestress
CI	Confidence interval, a statistical measure of reliability of a measurement
CTE	Coefficient of thermal expansion
$d_b$	Nominal bar diameter, as of (where appropriate) the diameter of non-prestressed steel or prestressing strand reinforcement
DEMEC	Demountable mechanical strain gauge
DIA	Digital image analysis

DOT	Department of Transportation
$e$	Eccentricity of prestress force, as in relation to the centroid of the transformed area, $e_{tr}$ , or gross area, $e_{pg}$
$E$	Modulus of elasticity, as of concrete, $E_c$ , concrete specifically at transfer, $E_{ci}$ , prestressed reinforcement, $E_p$ , or deformed steel reinforcement, $E_s$
ERSG	Electrical-resistance strain gauge
$f_c$	Measured compressive strength (or $f_{ci}$ specifically for measured compressive strength at the time of prestress transfer)
$f'_c$	Specified compressive strength (or $f'_{ci}$ specifically for specified compressive strength at the time of prestress transfer)
$f_{cgp}$	Concrete stress at the center of gravity of prestressing
$f_{ct}$	Splitting tensile strength
$f_{pe}$	Effective prestress in prestressing strands after all losses
$f_{pj}$	Jacking stress in prestressing strand
$f_{pt}$	Stress in the prestressing strand immediately after release
$f_{pbt}$	Stress in the prestressing strand immediately prior to release
HRWRA	High-range water-reducing admixture
HVSI	Hardened visual stability index
$I$	Moment of inertia, as of the gross section, $I_g$ , or transformed section, $I_{tr}$
$J(t, t_i)$	Compliance at a time, $t$ , due to a load applied since an earlier time, $t_i$ (also known as $J$ )
$k$	Correction factor for nonstandard concrete composition or conditions, used by the <i>AASHTO LRFD</i> provisions to model time-dependent deformation
$K_I$	Aggregate modification factor used in calculation of $E_c$
$K_{subscript}$	Transformed-section coefficient to account for time-dependent interaction between concrete and steel, as with respect to behavior prior to composite-deck action, $K_{id}$ , or after, $K_{df}$

$L$	Length, (where appropriate) of ultrasonic pulse path or girder length
$l_t$	Transfer length
$M$	Bending moment at a given cross section due to an applied load
MC	Model Code, specifically the European CEB-FIB Model Code 2010
$n$	Modular ratio, used in transformed-section analysis to transform areas of different materials based on relative $E$
NMSA	Nominal maximum size aggregate (also known as nominal aggregate size)
pcy	Pounds per cubic yard, used for concrete batch proportions
$R^2$	Regression coefficient of determination, used (as noted) to describe linear or non-linear strength of fit
RGB	Red/green/blue color model
$s/agg$	Sand-to-total-aggregate ratio by mass
SCC	Self-consolidating concrete
SCM	Supplementary cementitious material
SSD	Saturated surface-dry
$t$	Time, used in various predictions of time-dependent material and structural behavior
$T_{50}$	Time for SCC slump flow to reach a diameter of 50 cm (20 in.)
UPV	Ultrasonic pulse velocity
VC	Vibrated concrete (also known as conventionally vibrated concrete)
VMA	Viscosity-modifying admixture
$V/S$	Volume-to-surface-area ratio
VSI	Visual stability index
$v_t$	Time-correction factor as determined in Equation 5-2
$v_u$	Ultimate creep coefficient as determined in Equation 5-1

VWSG	Vibrating-wire strain gauge
$w/cm$	Water-to-cementitious material ratio, by mass
$w_c$	Weight of concrete, unreinforced
WRA	Water-reducing admixture
$X$	Independent variable, used in various equations related to the measurement or prediction of time-dependent deformation
$y$	Vertical distance from the centroid to the location at which strain or stress is determined, as with respect to the transformed section, $y_{tr}$
$Y$	Dependent variable, used in various equations related to the measurement or prediction of time-dependent deformation
$\alpha$	Constant of proportionality used to normalize transfer length per Equation 4-1, or $\alpha'$ as alternatively derived in Equation 4-6
$\beta_c$	Coefficient to account for development of creep over time after loading, used by the European Model Code provisions
$\gamma$	Correction factor for nonstandard concrete composition or exposure conditions, used in Equation 5-1 or Equation 5-6
$\Delta$	Change, as in change in temperature, $\Delta T$ , stress, $\Delta f$ , or strain, $\Delta \epsilon$
$\epsilon$	Strain, used or calculated in various applications related to time-dependent or elastic deformation (or microstrain $\mu\epsilon$ , equal to $\epsilon(10)^{-6}$ )
$\varphi(t, t_o)$	Creep coefficient at a time $t$ due to a load maintained since an earlier time $t_o$ , used by the European Model Code provisions
$\psi(t, t_i)$	Creep coefficient at a time $t$ due to a load maintained since an earlier time $t_i$ , used by the <i>AASHTO LRFD</i> provisions
$\omega_{BP}$	Bazant-Panula coefficient of variation, a statistical indicator of strength of curve fitment (always positive; results approaching 0 indicate better fit)

## **Chapter 1: Introduction**

### **1.1 Background on SCC for Precast, Prestressed Girders**

ACI 237 (2007) defines self-consolidating concrete (SCC) as a highly fluid, non-segregating concrete that can spread through reinforcement and completely fill formwork without the use of mechanical consolidation. Because of its fluid nature, SCC can efficiently fill congested or irregularly shaped members more easily than vibrated concrete (VC) while providing an improved surface finish. Its use also eliminates the need for vibratory consolidation efforts and associated construction labor and hazards and reduces wear and tear on formwork and equipment. Therefore, one of the most advantageous uses of SCC is in the production of precast, prestressed bridge girders, where reinforcement congestion and member shape can make filling and consolidation of VC difficult.

SCC achieves its unique fresh characteristics through the use of different constituent materials, proportions, or both. However, research concerning the effects of these mixture changes on the material has produced some mixed results, both with regard to fresh behavior and hardened-material and structural behavior. Understanding these effects is critical in the especially demanding environment associated with the production of precast, prestressed girders. Consequently, prior to statewide acceptance of SCC in precast, prestressed bridge member production, the Alabama Department of

Transportation (ALDOT) sponsored a comprehensive investigation of SCC to be performed by the Auburn University Highway Research Center (AUHRC).

Past AUHRC laboratory-based research projects associated with this investigation have included formulation of SCC mixture proportions (Schindler et al. 2007), studies of the structural behavior when prestressed (Boehm et al. 2010; Levy et al. 2010), and evaluation of time-dependent properties (Kavanaugh 2008). The final phase of the investigation was to produce Alabama's first in-service bridge with precast, prestressed SCC girders, a task which took place from September, 2010 to November, 2011. AUHRC personnel monitored the entire process from the plant production through the addition of a cast-in-place concrete deck over the girders as shown in Figure 1.1.



Figure 1.1: AUHRC personnel monitoring girder performance during bridge construction

Previously reported portions of the final phase involved the prestress transfer length of the girders (Dunham 2011), early-age time-dependent deformation of representative cylinders (Ellis 2011), time-dependent deformation in the girders (Johnson 2012; Neal 2014), and live-load response of the in-service bridge (Miller 2013). The work presented in this dissertation includes the final laboratory portion of the investigation, integration of some of these previously reported behaviors, and further evaluation of the structural performance of the bridge over Hillabee Creek.

## **1.2 Research Objectives**

The primary objective of this dissertation is to advance the understanding of the use of SCC in precast, prestressed bridge girders through the synthesis of previously reported portions of the AUHRC investigation, additional laboratory work, and extended structural performance results. Its primary conclusion is the final determination of the acceptability of SCC for use in ALDOT precast, prestressed applications. Areas of particular focus included advancement of the understanding of

- Assessment and quantification of the fresh concrete stability of SCC,
- Effects of construction practices on the behavior of precast, prestressed members constructed with SCC,
- Differences in material behavior in response to changes in the mixture proportions, as well as their predictability and significance, and
- Differences in structural performance in response to changes in material behavior, as well as their significance relative to current design and construction practices.

### **1.3 Research Approach**

The work documented in this dissertation was conducted in two parts. The first involved the evaluation of fresh concrete stability test methods during the production of many different SCC mixtures and the second involved the evaluation of a variety of behaviors in a one-to-one comparison of the SCC and VC girders produced for the Hillabee Creek Bridge with minimal researcher interference or direct involvement. Thus, different investigative approaches were associated with each part.

The laboratory investigation focused on quantification of SCC fresh stability, a unique property of the material that has been difficult to rapidly and accurately assess previously. In the investigation, five fresh concrete stability tests were conducted on a variety of twenty SCC mixtures each placed in walls of heights equaling 54, 72, and 94 inches. Walls were also constructed with four control VC mixtures of similar proportions and materials, and the in-place concrete uniformity of each group of walls was evaluated nondestructively and destructively. Fresh SCC test results were then compared to the results of the hardened concrete uniformity testing to evaluate the correlations between these tests.

The evaluation of the full-scale project production took a different approach—researcher involvement in the design of the bridge, selection of mixtures, and casting and erection of the girders was minimized specifically so that the as-produced results of the process would be assessed. Furthermore, only one SCC and one VC mixture were used throughout production. The plant personnel used the implemented VC mixture regularly and were familiar with its expected behavior, so the producer chose to create an SCC using the same aggregate source (but a different gradation), cementitious materials, and

water-to cementitious material ratio ( $w/cm$ ) as in the VC for convenience. Thus, this research involved the assessment of a variety of fresh-material, hardened-material, and structural behaviors of comparable SCC and VC on a one-to-one basis.

The laboratory analysis involved the intentional varying of fresh concrete properties and proportions (frequently to intentionally yield concretes of a poor stability), so results from it should be considered separately from the results of the evaluation of full-scale behavior. Conversely, while conclusions regarding the acceptability of SCC for full-scale implementation are derived from the latter part of this investigation, the results should not be considered to be universal to all SCC. Self-consolidating behavior can be achieved in mixtures of infinitely varying constituents and proportions, so the presented results are most directly applicable to concretes made using comparable mixture constituents, proportions, and construction practices as employed in this project. Equally important are conclusions regarding whether the behavioral differences between SCC and VC are *expectable* or *predictable* in response to differences in their mixture properties, as these conclusions are more widely applicable.

#### **1.4 Dissertation Organization and Outline**

This dissertation is divided into chapters of distinct but related material. Chapters 2–7 are each organized with sections for introductory material (Section 1), a review of existing literature (Section 2), the experimental program (Section 3), results, analysis, and discussion (Section 4), and conclusions (Section 5). Section references are prefaced with chapter numbers—Section 4.3 includes the experimental program for the research discussed in Chapter 4, for example. Lastly, Chapter 8 is uniquely organized with a

summary of work, conclusions and recommendations drawn from that work, and recommendations for future research.

The laboratory work involving the assessment of fresh stability and hardened uniformity of concrete stands alone because of its different research approach. Simultaneously, the fresh properties of SCC are the primary unique characteristic of the material. For these reasons, the laboratory assessment of fresh concrete stability is presented first, in Chapter 2. Chapters 3–7 are all related to the investigation of the full-scale implementation of SCC in girders for an in-service bridge. Chapter 3 serves as a foundation for the subsequent chapters because all components of this investigation were conducted concurrently and were affected by the same underlying factors. The investigation of transfer bond behavior of full-scale girders is presented in Chapter 4 because this behavior may be closely related to the fresh concrete stability results presented in Chapter 2 and construction processes outlined in Chapter 3.

The assessment of time-dependent compliance and volumetric shrinkage deformation in concrete cylinders produced alongside the girders is presented in Chapter 5. The long-term time-dependent performance of prestressed girders is then evaluated in Chapter 6. Lastly, Chapter 7 deals with the elastic-response behavior of the full-scale girders, both with respect to construction loads and service loads. The evaluations presented in Chapters 6 and 7 may relate to all of the previous work documented, so the potential connections are reviewed in these chapters. These are also the topics most significantly related to the primary conclusion of this research—final determination of the acceptability of SCC for use in ALDOT precast, prestressed applications.

## **Chapter 2: Fresh Stability and In-Situ Uniformity of Concrete**

### **2.1 Introduction**

The primary factor distinguishing self-consolidating concrete (SCC) from VC is that no applied vibration or other consolidation effort is required to consolidate SCC.

Consequently, the fresh properties of SCC are distinctly different than those of VC, and their effects on hardened concrete behavior are not always clear. The unique, self-consolidating nature of SCC is practically described by three fresh properties: filling ability, passing ability, and stability. ACI 237 (2007) defines these properties:

- Filling ability (or unconfined flowability) refers to SCC's ability to fill formwork under its own weight,
- Passing ability (or confined flowability) refers to SCC's ability to pass through constricted spaces and around obstacles without blockage, and
- Stability (or segregation resistance) refers to SCC's ability to maintain a uniform distribution of its constituents during flow and setting.

Much research has been conducted to show that properly proportioned and prepared SCC can behave acceptably similarly to VC in the hardened state. Many researchers (Cussigh 1999; Daczko 2003; Khayat et al. 1997; and Soylev and Francois 2003) have determined that SCC exhibits acceptably similar hardened properties to those of their vibrated counterparts in concretes for many different applications; however,

investigations continue concerning SCC in some especially demanding applications such as the production of precast, prestressed girders, where many properties and aspects of structural behavior need additional consideration

With regard to the effect of fresh properties on structural behavior, the primary concern must be the *hardened uniformity* of the final product. Hardened properties of concrete (strength, stiffness, etc.) are affected by mixture proportioning (as discussed in Section 2.2.1), but that concept is not unique to SCC. Instead, the unique fresh nature of SCC is inherently only capable of affecting hardened concrete uniformity.

Considering the three fresh properties described above, the effect of filling and passing ability on hardened concrete uniformity can be assessed visually or using widely accepted, standardized test methods. Both fresh properties depend on the intended application (ACI 237 2007)—elements with minimal confinement, congestion, or filling restriction require relatively less filling and passing ability. Elements with heavy reinforcement congestion, irregularly shaped formwork, or long flow distances (such as precast, prestressed girders) require relatively high filling and passing ability.

Like filling and passing ability, the degree of stability required of SCC can depend on the application (ACI 237 2007). However, assessment of this property in the fresh state and determination of its effects on hardened concrete properties may not be intuitive or easily tested. Furthermore, the relevance of fresh property testing and in-situ uniformity testing to global structural behavior of concrete is unclear (see Section 2.2.2).

The testing of in-place hardened properties can be difficult to interpret or time- and labor-intensive and can only be performed after completion of the placement.

Therefore, proper identification of stability in the fresh state, as well as understanding of

the relationship between fresh stability results and hardened concrete uniformity, is paramount to the successful implementation of SCC.

### **2.1.1 Chapter Objectives**

Pursuant to the discussion of the previous section, researchers at the Auburn University Highway Research Center (AUHRC) began an investigation in 2011 concerning the assessment of SCC stability. The primary objectives of it were to

- Identify fresh test methods that provide a quantitative assessment of the degree of stability of SCC for precast, prestressed applications, and
- Recommend the testing protocol that the Alabama Department of Transportation (ALDOT) should implement to address SCC stability during the production of precast, prestressed elements.

The findings of the first phase of this research, which were published by Keske et al. (2013b), are documented in this chapter, along with findings from the second phase of this research. The second phase was conducted to both extend the AUHRC's investigation to a wider range of potentially viable SCC mixtures, as well as to strengthen conclusions concerning the relationships between fresh- and hardened-concrete properties and test methods. Primary objectives of the second phase were thus to

- Investigate the applicability of five previously identified fresh SCC stability test methods in an extended variety of SCC mixtures,

- Investigate the applicability of alternative testing times in those fresh concrete stability tests that appeared promising during the first phase of research but could benefit from abbreviation or extension of testing, and
- Affirm the recommended testing protocol that ALDOT should implement to assess SCC stability during the production of precast, prestressed elements.

The research team selected several tasks which could be efficiently achieved during the pursuit of the primary objectives:

- Measure the effects of segregation on hardened concrete elements,
- Evaluate test methods currently employed in the investigation of fresh concrete stability and hardened concrete uniformity, and
- Determine the correlations that exist between the various fresh concrete stability and hardened concrete uniformity test methods.

### **2.1.2 Chapter Outline**

The existing literature concerning the work of this chapter is summarized in Section 2.2. First, mixture proportioning of SCC, as well as how SCC proportions affect the fresh and hardened properties of concrete, are discussed. Stability of fresh SCC and the hardened properties affected by it are defined, followed by a summary of methods used to assess fresh concrete stability and hardened concrete uniformity. Lastly, the acceptance criteria previously established for these methods are reviewed.

The experimental plan developed for this research project is documented in Section 2.3. That section includes a detailed description of the mixing and placement

procedure, followed by descriptions of the fresh and hardened concrete tests that were considered for further study. Testing procedures for the five fresh concrete tests and four hardened concrete tests are defined, as are the construction procedures and dimensions of the members cast from each mixture. Finally, the utilized concrete mixtures are described and their proportions defined.

The most relevant results of the fresh and hardened concrete tests are presented in Section 2.4. Production flaws and circumstances unique to each mixture are disclosed in this section. Comparisons between datasets and discussion of their implications are then discussed, complete with tables summarizing pertinent correlations established between fresh concrete stability tests and hardened tests. All conclusions and recommendations derived from the research performed in this study are then summarized in Section 2.5.

## **2.2 Review of Existing Literature**

Key aspects of SCC implementation that are relevant to the study of fresh property test methods are reviewed in this section. Emphasis is placed on aspects specific to precast, prestressed SCC application and typical Alabama concreting practices.

### **2.2.1 Materials and Mixture Proportions**

SCC differs from VC primarily in the fresh state, and it can be proportioned to achieve practically any behavior in the hardened state (Bartos 2005). As with VC, SCC consists of coarse and fine aggregate, cementitious materials, water, air, and chemical admixtures. However, for a given application, SCC may be different from VC in both the materials

used and the proportions thereof. These differences, with an emphasis on the proportions of SCC for precast, prestressed applications, are discussed in this section.

### **2.2.1.1 Coarse and Fine Aggregate**

In applications that require high passing and filling ability, such as in the production of precast, prestressed bridge girders, coarse aggregate occupies approximately a third of SCC mixture volume, and fine aggregate occupies approximately another one-third (Khayat and Mitchell 2009; Koehler et al. 2007). These proportions are slightly reduced compared to those of VC, which is typically proportioned to consist of approximately 67–75% aggregate by volume (Mindess et al. 2003). SCC is proportioned with less total aggregate content in order to improve filling ability, passing ability, and stability (ACI 237 2007; Koehler et al. 2007). Generally, higher total aggregate fractions are recommended in order to improve hardened mechanical properties and cost efficiency (Kavanaugh 2008), but successful SCC implementations have utilized total aggregate fractions as low as 60% (ACI 237 2007; EPG 2005).

Precast, prestressed girders contain very closely spaced steel strands and deformed steel reinforcement, which make sufficient filling and passing ability only possible using a relatively small nominal maximum aggregate size (NMSA) (ACI 237 2007). Most successful SCC implementations have incorporated no larger than  $\frac{3}{4}$  in. aggregate, and  $\frac{1}{2}$  in. aggregate is preferred in several guides and specifications for SCC use (Khayat and Mitchell 2009; EPG 2005). The use of  $\frac{3}{4}$  in. aggregate is common in precast, prestressed VC mixtures, but workability and stability are more difficult to maintain in SCC mixtures that utilize this NMSA (Khayat and Mitchell 2009).

Type of coarse aggregate depends largely on local availability. The use of crushed limestone is common in Alabama precast, prestressed construction (Roberts 2005; Kavanaugh 2008). In previous phases of Auburn University's testing of SCC for use in precast bridge girders, No. 78 crushed limestone was used for SCC proportioning (Kavanaugh 2008; Schindler et al. 2007). The No. 78 gradation fits the ½ in. NMSA recommended in NCHRP Report 628 (Khayat and Mitchell 2009).

Alternatively, uncrushed river gravel ("gravel") improves concrete workability when used in place of the same amount and gradation of crushed aggregate (Mehta and Monteiro 2006). Because use of gravel can improve filling ability, the use of larger NMSA gravel may be permissible relative to that of a crushed limestone. Consideration must still be given to passing ability, though, which is reduced when using a larger NMSA coarse aggregate.

SCC is typically proportioned with a higher sand-to-total-aggregate ratio (*s/agg*) than conventionally vibrated concrete, by mass, as fine aggregate helps suspend coarse aggregate and increase filling ability (Bonen and Shah 2005; Kwan and Ng 2009). Fang et al. (1999), Khayat and Mitchell (2009), and Su et al. (2002) recommend using a *s/agg* of 0.40–0.50, but the desired ratio is dictated by the application (ACI 237 2007).

#### **2.2.1.2 Powder Materials**

The powder phase consists of portland cement, ground inert fillers, and supplementary cementitious materials (SCMs). In both VC and SCC, an increased cementitious-material content and relatively low water-to-cementitious-material ratio (*w/cm*) are used in

precast, prestressed concrete to ensure the high early-age strength that is desired for the application (Koehler et al. 2007).

Although any of the five primary types of portland cement can be used in SCC, Type III cement is preferred for precast elements because of its high early-age strength characteristics (Khayat and Mitchell 2009). Because Type III cement hydrates quickly, it loses workability more quickly than Type I cement. In precast, prestressed applications, where elements are cast in the vicinity of the mixing facility, the risk of rapid workability losses is less than in applications involving longer transport or slow placement (Khayat and Mitchell 2009). To further reduce this risk and also decrease the cost of the relatively larger amount of cementitious material, SCMs are frequently used (Khayat and Mitchell 2009; Mehta and Monteiro 2006).

Choice of SCMs depends on availability and cost, but the most popular are fly ash, slag cement, and silica fume. Typically used to decrease the cost and heat of hydration associated with Type III cement, fly ash may also be used to enhance workability and slump flow of SCC (ACI 237 2007). Slag cement reduces heat of hydration and begins to contribute to early-age strength gains within seven days (Koehler et al. 2007); its greatest benefits are increased long-term strength and durability of concrete (Mindess et al. 2003). The choice between slag cement and fly ash depends largely on local availability and relative cost.

Although other replacement rates can be used, workability of SCC is most efficiently increased and maintained when fly ash or slag cement replace 20–40% of the portland cement by volume (Fang et al. 1999; Khayat and Mitchell 2009). The state of Alabama requires that volumetric replacement rates for portland cement not exceed 30%

with fly ash, 50% with slag cement, or 20% with fly ash plus 30% with slag cement. Class C fly ash has been used in previous SCC production for research in Alabama (Kavanaugh 2008; Schindler et al. 2007), while slag cement was used in the production of Alabama's first SCC girders for an in-service bridge (Keske et al. 2013a).

### **2.2.1.3 Water and Air**

The  $w/cm$  of concrete is inversely related to the strength of the concrete—as  $w/cm$  decreases, strength increases (Mehta and Monteiro 2006). Conversely, workability (of VC and SCC) is improved by increasing the  $w/cm$ . As high early-age strengths are desirable for precast concrete, SCC for that application is proportioned with a low  $w/cm$ , typically between 0.34 and 0.40 (Khayat and Mitchell 2009). Other successful SCC placements have utilized  $w/cm$  of up to 0.50 (ACI 237 2007; EPG 2005).

Air in concrete consists of entrained air voids (regularly dispersed, small, spherical voids) and entrapped air voids (irregularly shaped and dispersed large voids). Where durability against freeze-thaw cycling is necessary, air entrainment is required, which can be achieved through the use of air-entraining admixtures (Mehta and Monteiro 2006). In precast, prestressed girders, exposure to water saturation (which increases severity of freeze-thaw damage) is reduced by the overlaying bridge deck. Girder air content of less than 7% should, therefore, be acceptable when durability against freeze-thaw cycling is not specifically required (Khayat and Mitchell 2009).

Self-consolidating concrete can have a similar air-void structure to that found in vibrated concrete (Khayat and Assaad 2002). The stability of the air-void structure is

discussed further in Section 2.2.2. The state of Alabama requires an air content of less than 6% in all concrete for precast, prestressed girders.

#### **2.2.1.4 Admixtures**

Although the fresh characteristics of SCC are influenced by the proportioning of constituents described thus far in Section 2.2.1, their effects are limited compared to those of chemical admixtures (Fang et al. 1999). The following are frequently used chemical admixtures for SCC (Mindess et al. 2003):

- Air-entraining admixtures (AEA), which increase the microscopic air bubbles present in concrete, making it more resistant to freeze-thaw damage,
- Hydration-stabilizing admixtures, which affect the setting time of the concrete,
- Water-reducing admixtures (WRA), which reduce the amount of water needed to achieve a particular consistency or workability at a given  $w/cm$ , and
- Viscosity-modifying admixtures (VMA), which increase viscosity, improve cohesiveness, and reduce segregation tendency.

Air entrainment necessary for frost durability is secured through the use of AEA (Mehta and Monteiro 2006). AE admixtures are typically used in very small dosages, as air content is sensitive to the admixture. The fluid nature of SCC makes the dispersion of AEA more uniform, allowing for smaller dosages to be used (Khayat and Assaad 2002; Mindess et al. 2003). However, churning of the fluid concrete tends to increase air content (Khayat and Assaad 2002), so the admixture dosage must be adjusted based on the concrete fluidity and production techniques employed. SCC produced for the

Hillabee Creek Bridge was proportioned with a small dosage of AEA (Keske et al. 2013a). SCCs produced for Auburn University research have achieved air contents of approximately 4% without the use of air entrainment. This is in line with ALDOT's target air content of 4.5% and below the maximum of 6%.

Effective not only in SCC, hydration-stabilizing admixtures delay the setting time of concrete. In SCC proportioned with a high powder content or low  $w/cm$ , hydration-stabilizing admixtures are usually used in dosages that allow the SCC to maintain its fresh properties during the batching, transport, and placing process, with the expectation of normal set and curing thereafter (PCI 2004). In low  $w/cm$  applications, such as in precast, prestressed girder production, hydration-stabilizing admixtures are used to delay setting while additional batches are placed and to slow the potentially damaging heating that results from cement hydration (PCI 2004).

As stated earlier, the flowability of SCC is partially controlled through the proportioning of aggregates and selection of  $w/cm$ . However, WRA, especially high-range water-reducing admixture (HRWRA) is generally used to produce SCC in place of increased water content to avoid reducing impermeability and strength (Khayat 1999). In general, HRWRA is used to increase fluidity (slump flow) in SCC while maintaining viscosity (discussed in the next paragraph) (ACI 237 2007). In conjunction with selection of aggregate gradation,  $s/agg$ , and powder content, control of WRA content is necessary to impart and maintain stability.

As a fluid, the yield stress of SCC corresponds to the minimum shear stress required to initiate flow. SCC, by definition, exceeds its yield stress under its self-weight (ACI 237 2007). The relationship between shear stress (energy imparted) and shear rate

(speed of movement) is referred to as viscosity. In other words, viscosity refers to the resistance to flow induced by the casting process (ACI 237 2007). In practical terms, SCC that must travel greater distances during placement, or through narrow or congested formwork, requires lower viscosity, as a lower resistance to flow ensures self-consolidating behavior in those situations (Koehler et al. 2007).

To meet project-specific workability needs, the viscosity of SCC is controlled through aggregate or  $w/cm$  selection or by controlling the use of WRA and VMA (Khayat et al. 2000; Koehler et al. 2007). The use of VMA to increase viscosity is common in SCC with a high  $w/cm$  or low powder content (Khayat and Mitchell 2009). VMA can be used to make SCC more robust, or more easily able to maintain a uniform viscosity between batches despite batching inconsistencies (ACI 237 2007; Khayat et al. 2000). It can also help maintain a uniform stability at a lower viscosity (Khayat 1999).

### **2.2.2 Fresh Stability and Hardened Uniformity of Concrete**

Stability, or concrete's ability to remain uniform before, during, and after placement, may be difficult to maintain while also achieving adequate flow properties. As discussed in the previous section, passing and filling abilities are improved by reducing coarse aggregate size or content, or by increasing  $w/cm$  or HRWRA content (ACI 237 2007). Reduction in aggregate size helps promote mixture stability during placement (Khayat and Mitchell 2009), but reduction in aggregate content decreases the number of collisions between coarse aggregate particles, which may reduce SCC's ability to resist segregation (Bonen and Shah 2005; Koehler and Fowler 2008).

Increasing  $w/cm$  or HRWRA content also reduces relative stability, as those increases result in decreased cohesion of the mixture (Khayat and Mitchell 2009; Lemieux et al. 2010). Furthermore, while utilization of a high aggregate volume may reduce the risk of particle settlement, it does not prevent segregation in the forms of bleeding or paste-layer formation (Ramge et al. 2010).

During the construction process, different forms of segregation occur while the SCC is dynamically active than while it is stationary. The mechanisms involved in these forms of segregation are described in the next two subsections. In both SCC and VC, many hardened properties may be affected by segregation. Therefore, hardened properties of concrete affected by segregation and their relevance to precast, prestressed girders are discussed in the remaining subsections.

#### **2.2.2.1 Dynamic Stability**

Dynamic stability of SCC refers to its ability to resist separation of its constituents while it is moving, primarily during placement into the formwork (ACI 237 2007). Typically, segregation in the dynamic state encompasses any form of forced separation of coarse aggregate from the binder as the concrete flows outward from the point of discharge through closely spaced reinforcement and narrow openings (ACI 237 2007).

Dynamic segregation can be assessed while conducting the tests that assess filling and passing ability, as the SCC is dynamically active during those tests (ACI 237 2007). To that effect, the J-ring, L-box, and slump flow tests can each be used to visually identify any separation of aggregate from the binder resulting from flow during testing. However, none of these tests were intended to quantitatively assess dynamic stability

(Koehler and Fowler 2010), and precast, prestressed girder mock-up segments that exhibit adequate dynamic stability as measured by these tests may still exhibit unacceptable hardened concrete uniformity (Khan and Kurtis 2010).

According to Khayat (1999) and Ng et al. (2006), cohesiveness of the mortar and choice of coarse aggregate are the most important factors in ensuring adequate dynamic stability. SCC made for precast girder construction must have high dynamic stability due to the heavy reinforcement congestion and long flow distances inherent to construction process. It is accomplished by proportioning SCC with a

- Relatively high cementitious content of approximately 600–900 lb/yd<sup>3</sup> (ACI 237 2007; Khayat and Mitchell 2009; Horta 2005),
- Smaller NMSA aggregate, such as a No. 78 gradation (Khan and Kurtis 2010; Koehler et al. 2007; Schindler et al. 2007),
- More continuous aggregate gradation such that there are fewer aggregate-size gaps between the aggregates (Khan and Kurtis 2010; Koehler et al. 2007), and
- Relatively lower total aggregate content and higher *s/agg* (Koehler et al. 2007).

Dynamic stability is further assured through avoidance of any outside sources of vibration (ACI 237 2007), limitation of free-fall drop height (Khayat and Mitchell 2009), and the use of quick placement rates (Bonen and Shah 2004; Lange et al. 2008). The PCI Guidelines (2004) suggest determining acceptable free-fall, or the unrestricted dropping of concrete into deep formwork, through the use of mock-up elements, while Khayat and Mitchell (2009) recommend limiting free-fall to 6.6 feet. The *AASHTO Bridge Construction Specifications* (2010) Section 8.7.3.1 requires that free-fall of concrete be

limited to 5 feet. Researchers have successfully free-fall cast SCC from greater heights, but only in situations where reinforcement could restrict the fall (ACI 237 2007; Zhu et al. 2001). The limitation is meant to limit the forced sedimentation of the heaviest aggregates upon impact, and more importantly, to limit the entrapment of large air voids.

SCC, because of its fluid nature, benefits from added kinetic energy through “remixing” of the flowing material. As the concrete flows outward from the placement point, increased rate of flow increases fluid drag exponentially, which helps force heavier aggregate to move with the flow (Bonen and Shah 2004; Lange et al. 2008). However, the highly fluid material can entrap air bubbles against forms and within the remixing fluid (ACI 237 2007; Khayat and Assaad 2002). Proper selection of the placement rate of SCC is necessary to balance these two effects—placement speed must be rapid enough to ensure uniform filling, but not so rapid as to cause air void instability (ACI 237 2007).

#### **2.2.2.2 Static Stability**

Static stability of SCC refers to its ability to resist separation of its constituents while it is stationary, primarily after placement into the formwork (ACI 237 2007). From PCI (2004), forms of segregation experienced in the static state include

- Settling of coarse aggregate particles,
- Non-uniform dispersion of lighter constituents,
- Formation of an aggregate-free paste layer on the upper surface, and
- Internal and external bleeding due to excess or uneven accumulation of water.

The above forms of segregation cannot be reduced by using proper construction practices (such as avoidance of vibration or excessive free-fall), so static stability is instead managed through mixture proportioning (Bonen and Shah 2004). As stated by Kwan and Ng (2009), SCC must be proportioned to achieve a desirable fluidity without adversely affecting the hardened properties of the mixture (strength or stiffness) or causing a lack of cohesion of the fresh concrete.

Cohesion affects settling of coarse aggregate, as do aggregate size and density, aggregate content, and mortar density (Bonen and Shah 2005; Lange et al. 2008). Aggregate size affects the ratio of surface area to weight, with smaller aggregate exhibiting a higher surface area for the same mass. This increased surface area allows each particle to be more easily suspended in the mixture. Similarly, incorporating a coarse aggregate of a similar density to that of the mortar phase allows each particle to be more easily suspended in the mixture (Bonen and Shah 2005; Shen et al. 2007).

According to Bonen and Shah (2004), Koehler and Fowler (2008), and Shen et al. et al. (2008), coarse aggregate in SCC cannot settle freely through fluid mortar, but instead collides with underlying aggregate particles. This creates an aggregate lattice structure that can help mitigate settlement when mortar viscosity alone cannot prevent it. For the same volume of aggregate, smaller aggregate leaves more, smaller inter-particle voids, increasing the likelihood of inter-particle collisions that prevent settlement.

Although selection of coarse aggregate can limit aggregate settlement in the static state, it may not inhibit other forms of static segregation such as migration of air and bleed water (Ramge et al. 2010). To limit these forms of segregation, cohesiveness and water demand of the binder material must be considered. Cohesion helps stabilize the air

structure of the mixture, as the cohesive mortar prevents the upward migration of air particles through static SCC (Khayat and Assaad 2002). If not prevented, upward-travelling air particles either disperse unevenly over height or become concentrated beneath large aggregate particles, both of which result in a non-uniform product (Khayat and Assaad 2002).

Similarly, water in excess of what is needed to hydrate cementitious materials either escapes (external bleeding) or collects beneath horizontal obstructions such as coarse aggregate and steel reinforcement (internal bleeding) (Mindess et al. 2003). This collection of bleed water is illustrated in Figure 2.1. Reasons for the presence of excess water include overdosing of water or of HRWRA, miscalculation of water present in batched coarse aggregate and fine aggregate, and other production-related issues such as leaving water in the mixer after washing out a prior batch.

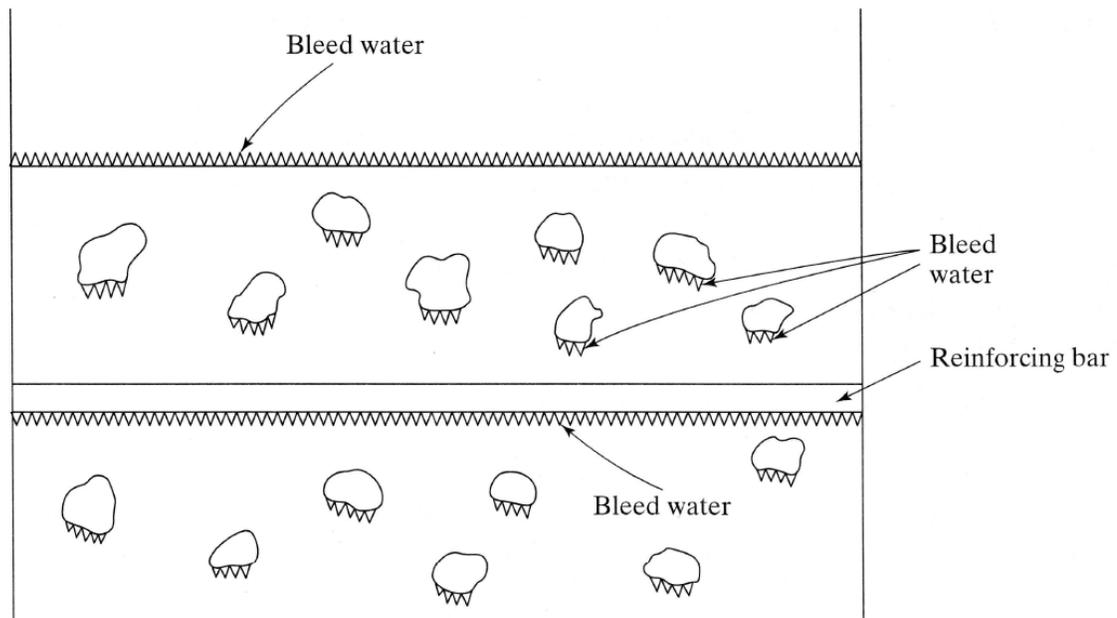


Figure 2.1: Internal and external bleeding (Mindess et al. 2003)

Hydrostatic pressure of the fluid SCC can further aggravate the uneven dispersion of air and water. After placement into forms, still-plastic SCC has been shown to cause self-weight induced pressures that increase with depth (ACI 237 2007; Lange et al. 2008). This pressure results in some forced expulsion of incompressible water and a reduction of the size of compressible air voids (Castel et al. 2006; Khayat and Assaad 2002; Soylev and Francois 2003). Both of these result in a non-uniform hardened product, with consequences as described in the following subsections.

### **2.2.2.3 Dispersion of Constituents in Hardened Concrete**

Castel et al. (2006), Khayat and Assaad (2002), Soylev and Francois (2003) point out that hydrostatic pressure can result in some forced expulsion of incompressible water and a reduction of the size of compressible air voids in fresh SCC. Others have described the settlement tendency of coarse aggregate in fresh SCC that lacks sufficient yield stress (Khayat et al. 2010) or aggregate lattice structure (Bonen and Shah 2004; Koehler and Fowler 2008). Upon reaching initial set, this potentially irregular dispersion of constituent materials becomes permanent, with varying effects on the hardened concrete material.

Besides strength and bond to reinforcement (discussed in subsequent sections), an irregular dispersion of air, water, and aggregate can directly affect concrete durability and shrinkage. A uniform air-void distribution is necessary to resist freeze-thaw damage and ensure a uniform concrete density (Mehta and Monteiro 2006). Accumulation of excess water or paste, especially near the upper surface of a member, can create regions of

concrete with excessively high  $w/cm$ , which can lead to increased paste shrinkage and decreased durability (Lange et al. 2008).

Some researchers (Bonen and Shah 2004; 2005; Lange et al. 2008; Khan and Kurtis 2010) have suggested that current fresh concrete test methods may not adequately identify hardened concrete uniformity tendency. Identification of fresh test methods that relate well with hardened SCC uniformity is a primary objective of this research, so some of the test methods previously implemented to study hardened concrete uniformity (such as ultrasonic pulse velocity and pullout testing) are discussed in detail in Section 2.2.3. Fresh concrete stability tests are discussed in Section 2.2.4.

#### **2.2.2.4 Strength**

Concrete used in precast, prestressed applications typically exhibits higher compressive strength ( $f_c$ ) than cast-in-place concrete. In previous studies involving precast, prestressed SCC (Khayat and Mitchell 2009; Naito et al. 2005; Schindler et al. 2007),  $f_c$  values ranged from 5,000 psi to 9,000 psi. Many researchers have found that SCC can exhibit equal or better strength uniformity than VC in this application (Horta 2005; Khayat et al. 2007; Khayat et al. 1997; Khayat et al. 2003; Zhu et al. 2001). Khayat et al. (1997) and Zhu et al. (2001) predict that the improved uniformity of SCC strength is a result of the reduction in technician involvement in the consolidation process. In other words, self-consolidation may remove user variability that would result from the application of external and internal mechanical consolidation required with VC.

Where researchers have attempted to directly study the effect of stability on  $f_c$  uniformity, elements were cast using SCCs of varying stability, and the uniformity of  $f_c$

was determined by testing cores taken along their height. Some found that  $f_c$  variation was statistically insignificant in SCC showing questionable stability (Daczko 2003; Soylev and Francois 2003), while others concluded that  $f_c$  variation is directly affected by segregation (Khayat 1998; Khayat et al. 1997). Although they conclude that  $f_c$  variation is caused by segregation, Khayat (1998) and Khayat et al. (1997) note that the variation in  $f_c$  they measured may have been attributable to the coring process.

Mindess et al. (2003) point out several potential difficulties with coring which make it a difficult method for studying  $f_c$  uniformity:

- The drilling process can damage the concrete within the core. The resulting random variation can only be decreased by increasing the number of cores taken, which requires a much larger specimen,
- The ratio of core  $f_c$  to companion-cylinder  $f_c$  changes as concrete strength changes. This may lead to difficulty in assessing variation in core strengths, and
- As illustrated in Figure 2.2, bleed water and air tend to accumulate on the underside of aggregate, leading to planes of weakness in that direction. Cores loaded parallel to these planes of weakness exhibit  $f_c$  reductions that do not occur in cylinders loaded normal to planes of weakness.

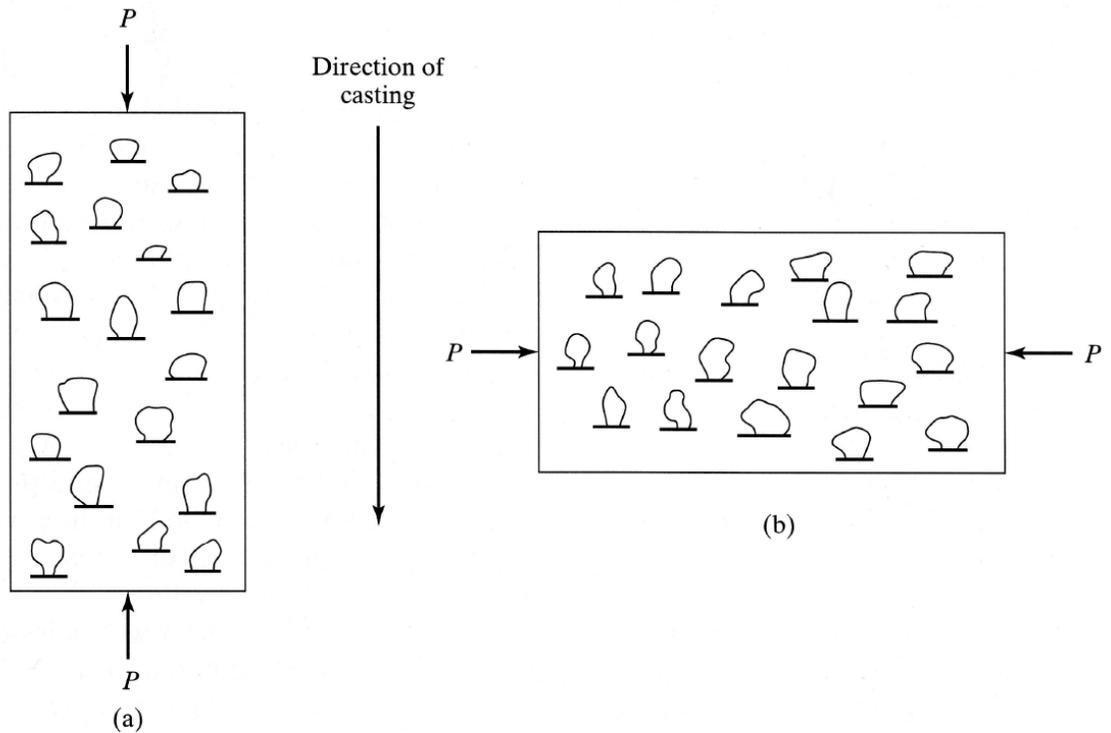


Figure 2.2: Planes of weakness due to bleeding: (a) perpendicular to direction of loading, and (b) parallel to direction of loading (Mindess et al. 2003)

Large-volume concrete members can exhibit variation in  $f_c$  as a result of the use of many discrete batches of concrete. ASTM C94 (2011) limits  $f_c$  variation between batches to 7.5% in ready-mixed concrete, and the PCI Guidelines for SCC (2004) suggest following guidelines set forth in ACI 214 *Evaluation of Strength Test Results of Concrete* (2002). In that guide, “excellently controlled” placements can exhibit a strength coefficient of variation of up to 7% between batches. Some researchers have documented this variation in large-volume SCC placements (Kahn and Kurtis 2010, Pozolo and Andrawes 2011). Kahn and Kurtis (2010) observed  $f_c$  variation in cores that likely resulted from between-batch variation in proportions or poor dynamic stability, and they note that variation in aggregate moisture content directly affected batch  $w/cm$  and, thus,

$f_c$ . Similarly, Pozolo and Andrawes (2011) observed variations in cylinder-specimen  $f_c$  that likely resulted from between-batch variation in water and aggregate content.

#### **2.2.2.5 Bond to Reinforcement**

The relationship between concrete quality and strength of bond with reinforcement has been widely documented:

- Bond strength is affected by reinforcement size and surface characteristics (Stocker and Sozen 1970; Barnes et al. 2003),
- Bond strength is affected by concrete age at time of testing (Chan et al. 2003; Hassan et al. 2010),
- Bond strength is proportional to the square root of  $f_c$  (ACI 318 2011; Barnes et al. 2003; Khayat et al. 2003),
- Bond strength is significantly affected by weak bond surfaces caused by the accumulation of air particles and bleed water (Castel et al. 2006; Soylev and Francois 2003).

Especially relevant to SCC, the effect of concrete age relates specifically to the use of chemical admixtures and SCMs, as the early-age curing rate of concrete can vary widely based on chemical admixture or SCM type and dosage (Chan et al. 2003). This can cause two mixtures with the same later-age behavior to exhibit very different early-age behavior. The effect of chemical admixture type and dosage on bond strength seems to stabilize at approximately fourteen days (Chan et al. 2003; Hassan et al. 2010).

In many studies of SCC bond to reinforcement (Almeida Filho et al. 2008; Cattaneo et al. 2008; Esfahani et al. 2008; Girgis and Tuan 2005; Swords 2005; Levy et al. 2010), average bond strength was found to be proportional to  $\sqrt{f_c}$ . Several researchers (Almeida Filho et al. 2008; Cattaneo et al. 2008; Girgis and Tuan 2005; Hossain and Lachemi 2008; Naito et al. 2005) found that SCC exhibits equal or better bond capacity than VC relative to  $\sqrt{f_c}$ , while others (Esfahani et al. 2008; Levy et al. 2010; Swords 2005) found that SCC does not have as much bond capacity as that of VC relative to  $\sqrt{f_c}$ .

Chan et al. (2003), Esfahani et al. (2008), and Hossain and Lachemi (2008) have used this  $\sqrt{f_c}$  proportionality to infer that segregation more seriously affects bond than compressive strength. By this proportionality, decrease in bond capacity should only occur at the square root of the rate of strength decay. Since bond decreases more rapidly in segregated concrete than does  $f_c$  (assessed through the testing of cores taken at the same locations) segregation is most likely the cause of the bond reduction (Esfahani et al. 2008; Soylev and Francois 2003).

As shown in Figure 2.2, both excess bleed water and migrating air tend to accumulate beneath horizontal obstructions in concrete, which reduces the concrete quality near these surfaces. When reinforcement is cast horizontally within a concrete member, such as longitudinal reinforcement in beams, this weakened surface can develop along the entire underside of the reinforcement. When this occurs, bond to reinforcement is reduced (Castel et al. 2006; Esfahani et al. 2008; Khayat et al. 1997).

Because air and water migrate upward, the upward portion of the cast concrete suffers from the greatest reduction in bond. Some researchers (Khayat et al. 1997; Soylev and Francois 2003) found a linear decrease in bond quality with height, with the

highest bond strength at the bottom of the member. Khayat et al. (1997) found this relationship during testing of concrete members 59 in. tall, while Soylev and Francois (2003) tested concrete members 79 in. tall. Other researchers (Castel et al. 2006; Hassan et al. 2010; Jeanty et al. 1988; Stocker and Sozen 1970) suggest that the reduction is stepped, with the most noticeable drop in bond capacity occurring in bars with greater than 10 in. to 12 in. of concrete cast below them. Castel et al. (2006) made this conclusion after testing concrete specimens 59 in. tall, Jeanty et al. (1988) tested concrete specimens 18 in. tall, and Stocker and Sozen (1970) tested concrete specimens 32 in. tall.

Whether stepped or gradual, this phenomenon, known as the “top-bar effect”, affects the top-cast bars of deep members and has been documented in both VC and SCC. The effect is typically presented as the nominal bond strength of bottom-cast bars divided by that of top-cast bars, with a value of 1.0 indicating an absence of the top-bar effect. Research concerning the top-bar effect in SCC (Castel et al. 2006; Hassan et al. 2010; Hossain and Lachemi 2008; Khayat et al. 2007; Khayat et al. 1997; Khayat et al. 2003) has concentrated on assessing the viability of high-quality SCC. The top-bar effects Khayat et al. (2007) determined for VC and SCC used in precast, prestressed construction are identified in Figure 2.3, with effects in vibrated concrete identified as 1, 1R, and 2 and effects in SCC identified as 3–6.

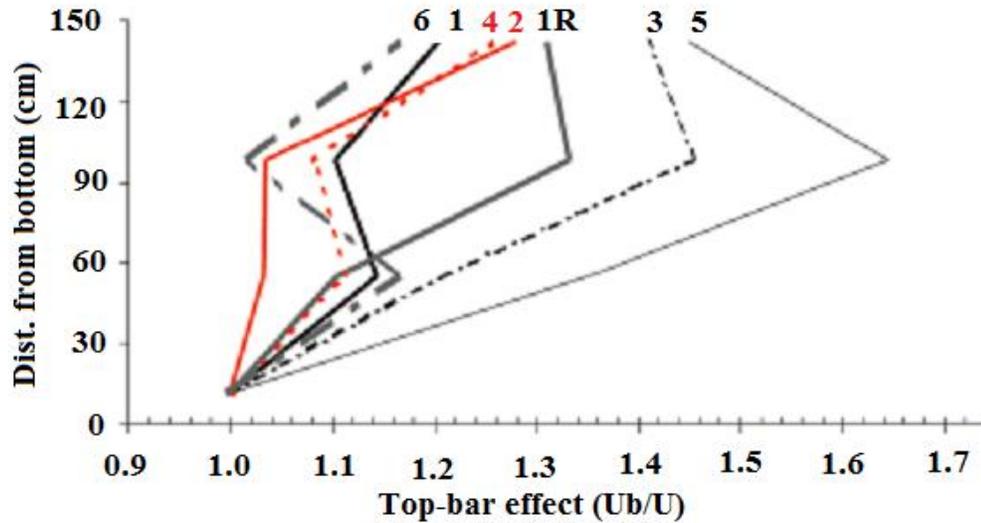


Figure 2.3: Top-bar effect in vibrated concrete [1, 1R, 2] and SCC [3–6] for precast construction, by height above bottom of section (Khayat et al. 2007)

In Figure 2.3, the top-bar effect is calculated by dividing bottom-cast bar pullout strength ( $U_b$ ) by pullout strength at each other tested location. The top-bar effect varies irregularly with height, but with larger effects (that represent larger reductions in bond capacity) near the top of tested sections. In some studies that tested the top-bar effect in SCC of questionable stability (Castel et al. 2006; Khayat 1998), the effect was measured to confirm the presence of instability, not to establish a required level of stability. Also, all of the mixtures assessed by Khayat et al. (2007) were deemed stable but still exhibited the variability shown in Figure 2.3. Determination of stability acceptance by measuring top-bar effects is further discussed in Section 2.2.5.2.

### 2.2.3 Hardened Concrete Uniformity Test Methods

Of those hardened properties of SCC most frequently affected by segregation, three were selected for observation in this research as benchmarks to assess in-situ hardened

concrete uniformity: distribution of constituents in the hardened concrete, ultrasonic pulse velocity, and bond to reinforcement. Distribution of constituents in hardened concrete can be qualitatively assessed by visual inspection (Lange et al. 2008) and quantifiably assessed using image-analysis software (Fang and Labi 2006). Ultrasonic pulses sent through large hardened concrete specimens can show changes in elastic properties and composition (Mindess et al. 2003). Bond to reinforcement is affected by many forms of segregation: aggregate settlement, air migration, and bleeding (Castel et al. 2006; Soylev and Francois 2003). The details of these tests, as well as past research in which they have been employed, are described in the following subsections.

#### **2.2.3.1 Hardened Visual Stability Index and Image Analysis**

Analysis of constituent distribution in hardened concrete is either qualitative (through visual inspection) or quantitative (through digital image analysis). Visual inspection can be conducted according to AASHTO PP-58 *Static Segregation of Hardened Self-Consolidating Concrete (SCC) Cylinders* (AASHTO 2012). The test and its result are typically referred to as the Hardened Visual Stability Index (HVSI). It is conceptually similar to the Visual Stability Index (VSI) fresh concrete stability test method described in Section 2.2.4—both involve assignment of an integer stability index value in the range of 0–3, with 0 indicating absolute uniformity and 3 indicating extreme segregation.

The use of proprietary or open-source image analysis software to analyze hardened concrete uniformity provides a quantitative and, thus, less subjective method of determining constituent uniformity (Fang and Labi 2006; Johnson et al. 2010; Lange et al. 2008). Despite its potential subjectivity, Fang and Labi (2006), Johnson et al. (2010),

and Lange et al. (2008) all found that the HVSI relates well with the results of digital image analysis (DIA) when a standard procedure for determining the HVSI is used.

Lange et al. (2008) found that both HVSI and DIA results relate well with measured differential shrinkage stress, as well as finite element models of this stress. They found that increasing HVSI and decreasing DIA uniformity relate to increasing differential shrinkage stress in specimens, where larger shrinkage strain in paste-rich regions is restrained by aggregate-rich regions that shrink less. Johnson et al. (2010) found that DIA results relate well with sieve stability test results in some tested mixtures, while they do not relate well with fresh stability test results in other mixtures. They hypothesize that relationships are more easily identified in mixtures with larger aggregates, where segregation of larger aggregate may more distinctly affect DIA and sieve stability results. The sieve stability test is discussed further in Section 2.2.4.

#### **2.2.3.1.1 Assessment of Hardened Visual Stability Index**

HVSI inspection is conducted following the planar cutting of a specimen with a concrete saw. AASHTO PP-58 (2012) requires that the HVSI be assessed using a flat, rectangular surface that was revealed by cutting a specimen lengthwise. In that test method, an integer HVSI value ranging from 0–3 is assigned according to Table 2.1. Specimens representative of each HVSI value are illustrated in Figure 2.4–Figure 2.7. As alluded to in the table and shown in the figures, specimens are graded while oriented such that the “top” and “bottom” of the cut plane are oriented parallel to the direction of concrete placement. Wetting is required prior to evaluation in order to enhance the contrast between coarse aggregate and other constituents.

Table 2.1: Hardened Visual Stability Index Values from AASHTO PP-58 (2012)

HVSI Rating	Criteria
0, Stable	No mortar layer at the top of the cut plane; no variance in size/percent area of coarse aggregate distribution over ht.
1, Stable	No mortar layer at the top of the cut plane; slight variance in size/percent area of coarse aggregate distribution over ht.
2, Unstable	Mortar layer of less than 1 in. at the top of specimen; distinct variance in size/percent coarse agg. distribution over ht.
3, Unstable	Clearly segregated; mortar layer greater than 1 in. or considerable variance in size/percent area of coarse agg. distribution over height, or both

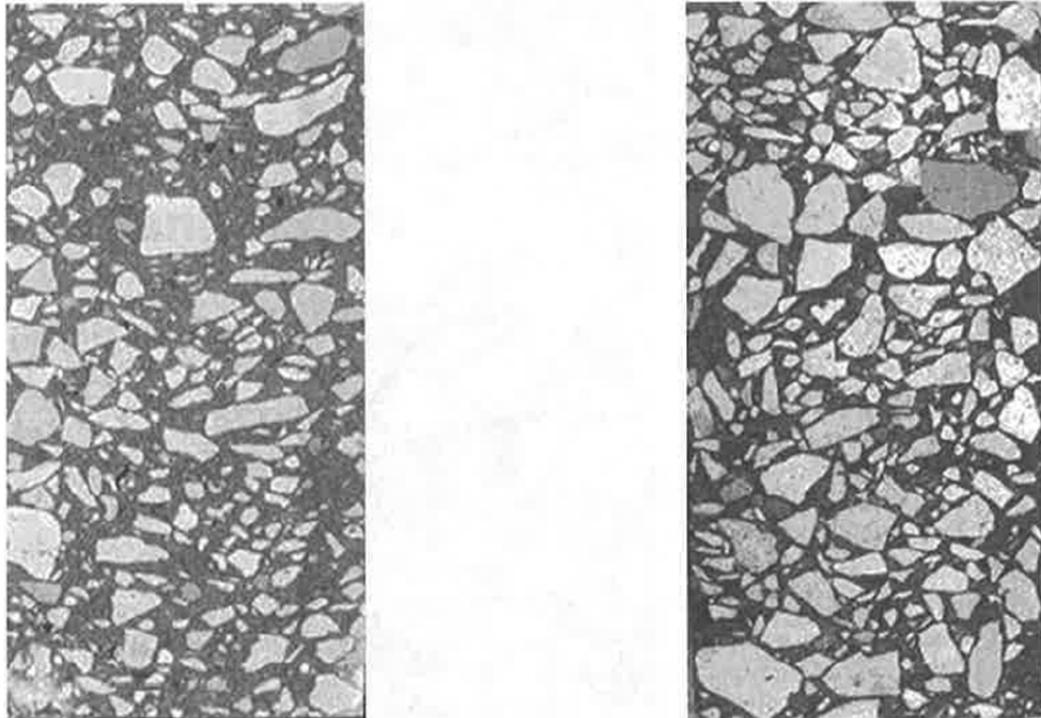


Figure 2.4: Cylinders exhibiting HVSI = 0, Stable (AASHTO PP-58 2012)

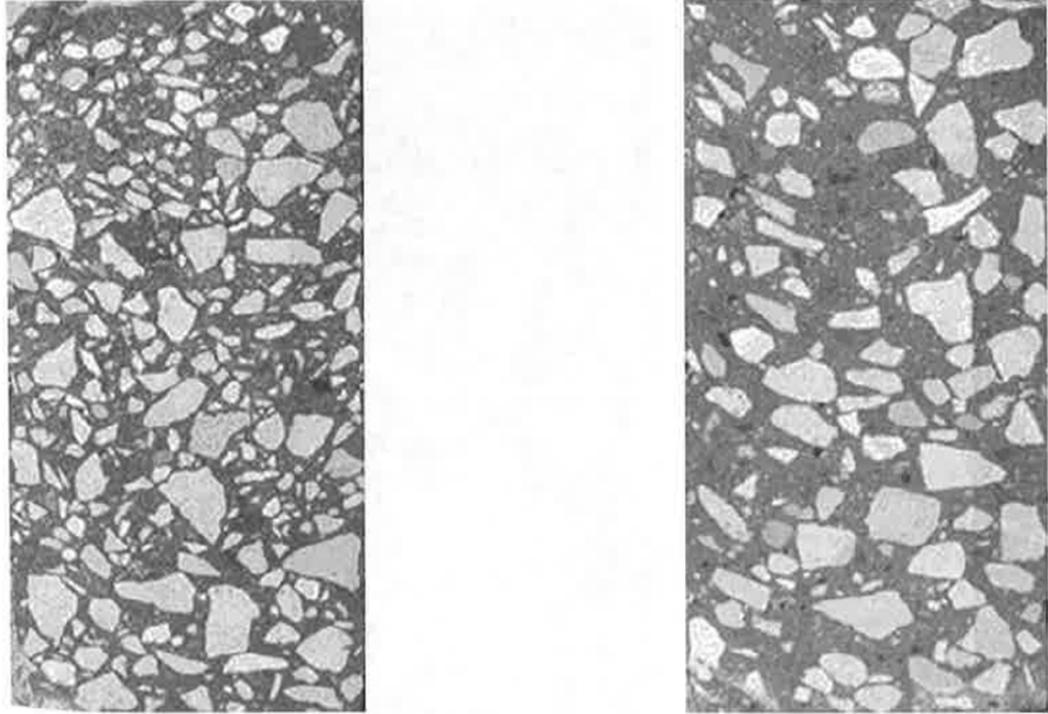


Figure 2.5: Cylinders exhibiting HVSI = 1, Stable (AASHTO PP-58 2012)

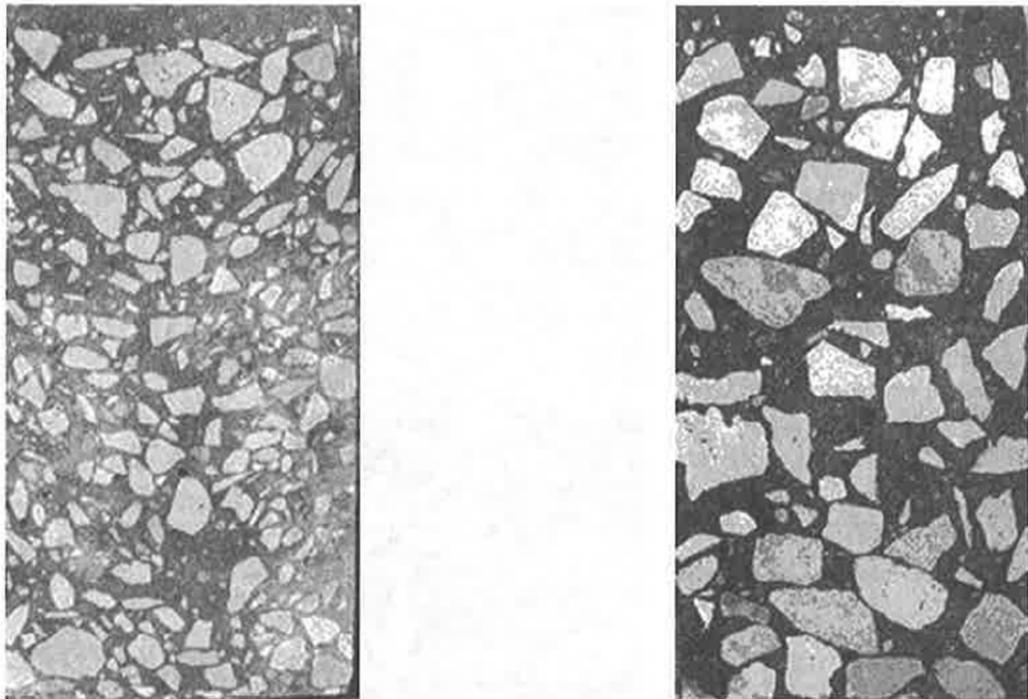


Figure 2.6: Cylinders exhibiting HVSI = 2, Unstable (AASHTO PP-58 2012)

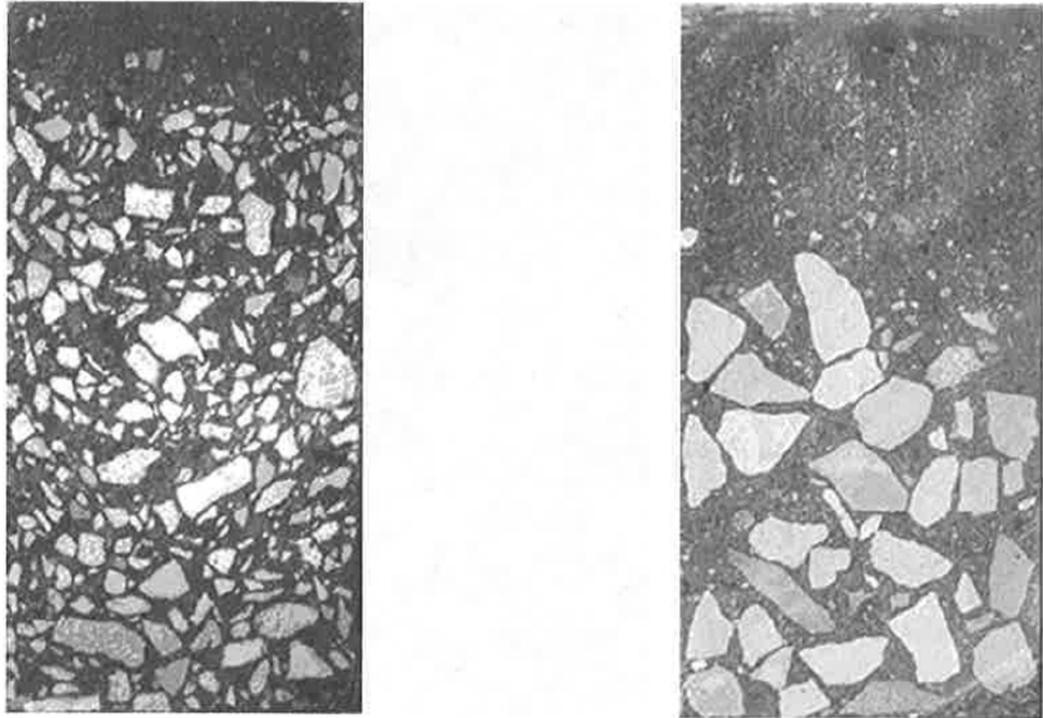


Figure 2.7: Cylinders exhibiting HVSI = 3, Unstable (AASHTO PP-58 2012)

#### **2.2.3.1.2 Assessment of Digital Images**

Flat surfaces, like those exposed for HVSI testing, are more easily scanned for DIA than three-dimensional surfaces, although researchers have frequently studied non-rectangular cross sections. Peterson et al. (2002) and Johnson et al. (2010) analyzed circular discs cut from cylindrical specimens. Khan and Kurtis (2010) analyzed planes of full-scale bulb-tee girders as shown in Figure 2.8.



Figure 2.8: Saw-cut cross section of a bulb-tee girder digitally analyzed for hardened concrete constituent distribution (Khan and Kurtis 2010)

Assessment of hardened concrete constituent uniformity by DIA involves calculation of exposed surface area of constituents, with an assumed relationship between surface area and implicit volume. This is deemed acceptable due to the random distribution of these three-dimensional constituents—while each plane may expose different constituents, the exposed area should be representative of the constituent volumes present due to the random distribution of constituents (Horta 2005; Shen 2007).

DIA can focus on any of a wide range of concrete characteristics, including

- Air content and distribution, in which the analysis focuses on the small, circular voids present in the hardened sample (Peterson et al. 2002),
- Coarse aggregate size, volume, and distribution, in which the analysis focuses on large, discrete areas of aggregate that contrast with mortar (Lange et al. 2008; Horta 2005), or

- Aggregate lattice structure and “particle packing” arrangement, in which the analysis focuses on the macroscopic arrangement of constituents (Shen 2007).

Procedures developed for identification of these constituents have depended on the goals of the research. Researchers utilizing DIA to study hardened concrete have concluded that

- Contrast between the desired constituent and the surrounding material should be applied through the use of stains, paints or powders (Peterson et al. 2002),
- Phenolphthalein, a pH indicator for basic substances, can provide good contrast between cement and aggregate (Peterson et al. 2002),
- The quality of the DIA depends on the resolution and lighting of the digital image and is affected by polishing of the sample (Horta 2005; Johnson et al. 2010),
- Required resolution for DIA of coarse aggregate segregation need not exceed 1200 dpi, and a resolution as low as 300 dpi can be efficient and reasonably accurate (Johnson et al. 2010),
- Identification of aggregate cross-sectional area is more accurate than identification of gradation, as distinction between one large particle and multiple smaller particles is difficult (Fang and Labi 2006), and
- DIA is more difficult in concrete with varied aggregate coloration than in concrete with a uniform aggregate coloration (Johnson et al. 2010).

In all instances, researchers (Fang and Labi 2006; Johnson et al. 2010; Khan and Kurtis 2010; Peterson et al. 2002; Shen 2007) have utilized similar software algorithms for DIA. That process, which is illustrated in Figure 2.9, is typically as follows:

- 1) Use color thresholds (RGB or similar) to delineate desired constituents from the surrounding material,
- 2) Convert digital image to a binary format in which the desired constituent is one color and all other material is the other,
- 3) Based on image resolution, use pixel counts to filter or delineate particles of distinct areas or average diameters, and
- 4) Analyze filtered particles as necessary.

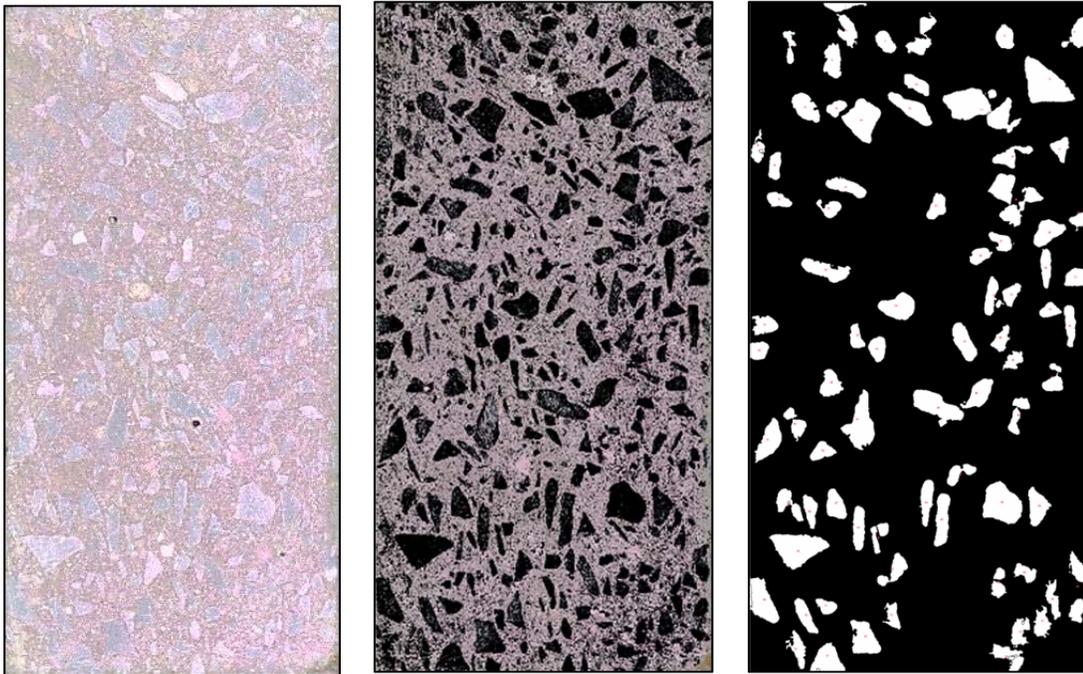


Figure 2.9: Digital imaging of a concrete specimen (*left*) as scanned, (*middle*) after color threshold and binary conversion, and (*right*), after identification of coarse aggregate

Fang and Labi (2006), Horta (2005), Johnson et al. (2010), Peterson et al. (2002), and Shen (2007) have independently attempted to automate the DIA process, but with limited success. Procedures (such as polishing and staining of specimens) and software algorithms (such as selection of a standard color threshold or pixel count) have varied widely. They determined that these variations are necessary because of the unique concrete material, scanning hardware, and computer software utilized in each situation.

### **2.2.3.2 Ultrasonic Pulse Velocity Test**

While strength testing and bond testing can show the effects of segregation on hardened performance, nondestructive ultrasonic pulse velocity testing (UPV) can directly measure changes in the overall quality of hardened concrete (Abo-Qudais 2005; Naik et al. 2004; Sahmaran et al. 2007). The test is conducted by placing two metal couplers on flat surfaces of the concrete specimen, initiating rapidly repeating ultrasonic pulses at one coupler, and measuring the average time required for the pulses to reach the other coupler. Once the travel length between couplers is determined, the average speed of pulses through that travel path is calculated. A typical configuration of this test is shown in Figure 2.10. The speed of the ultrasonic pulse is affected by several factors:

- Density and porosity, in which speeds are higher in denser, less porous material (Lin et al. 2007; Lin et al. 2003; Sahmaran et al. 2007),
- Interface quality between mortar and coarse aggregate, in which a better interface results in better transmission of waves (Abo-Qudais 2005; Soshiroda et al. 2006),
- Aggregate size, in which presence of larger aggregate results in reduced speed (Abo-Qudais 2005),

- Moisture content and concrete saturation, in which the water-filled pores transmit faster pulses (Abo-Qudais 2005; Mindess et al. 2003), and
- Strength and elasticity, in which speeds are higher in material of a higher strength or higher stiffness (Abo-Qudais 2005; Lin et al. 2007; Soshiroda et al. 2006).

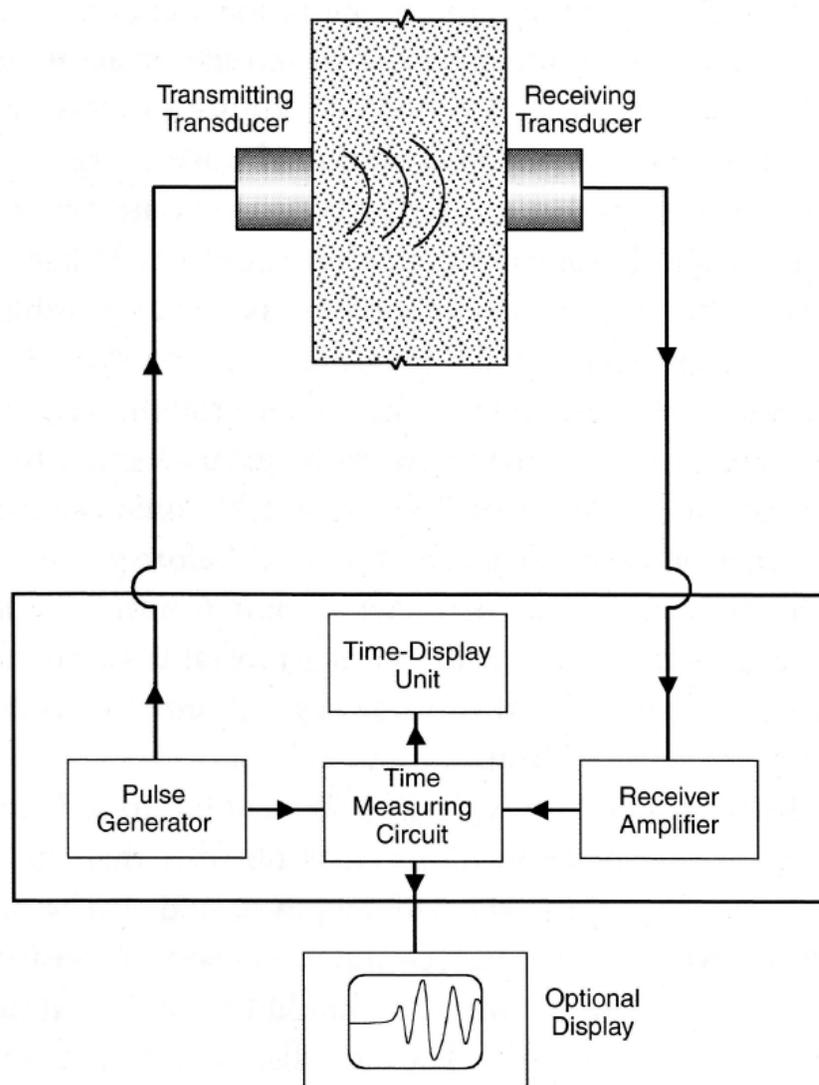


Figure 2.10: Ultrasonic pulse velocity testing equipment (Naik et al. 2004)

The factors that affect UPV results are all related to SCC uniformity: strength and elasticity relate to  $w/cm$ , density relates to distribution of constituents and mortar quality,

and interface quality relates to presence of excess water (Mehta and Monteiro 2006). The ability to simultaneously account for these factors makes the UPV very useful for assessing the effects of possible segregation and for detecting changes in concrete quality at different locations within a concrete element.

#### **2.2.3.2.1 Previous Studies Utilizing Ultrasonic Pulse Velocity Testing**

While it may be used for purposes including the location of cracks (Komlos et al. 1996) or estimation of strength and elasticity (Lin et al. 2003; Solis-Carcano and Moreno 2008), the UPV is best suited for comparative investigations of concrete quality (ASTM C597 2002; Cussigh 1999; Komlos et al. 1996; Naik et al. 2004; Solis-Carcano and Moreno 2008). Cussigh (1999) was the first to document the use of UPV testing to study the effects of segregation on SCC performance. In that research, walls approximately 9 ft tall by 8 ft wide by 10 in. thick were cast using SCC of varying degrees of stability. The same walls were also produced using VC with varying degrees of applied consolidation, thus making it possible to compare varying levels of stability in SCC to levels of consolidation in VC.

Cussigh (1999) measured UPVs along the height of the walls and then compared them with core samples to study segregation. SCC that showed core segregation proved to have less uniform velocities over height than stable SCC, but all measured velocities through SCC proved to be as uniform as satisfactorily consolidated VC. Some of the UPV curves from that project are presented in Figure 2.11. The concept of this testing, in which UPV testing is used to evaluate uniformity within and between concrete samples,

is of interest in the current research project, as certain factors must be considered in order to isolate the effects of segregation on hardened concrete uniformity.

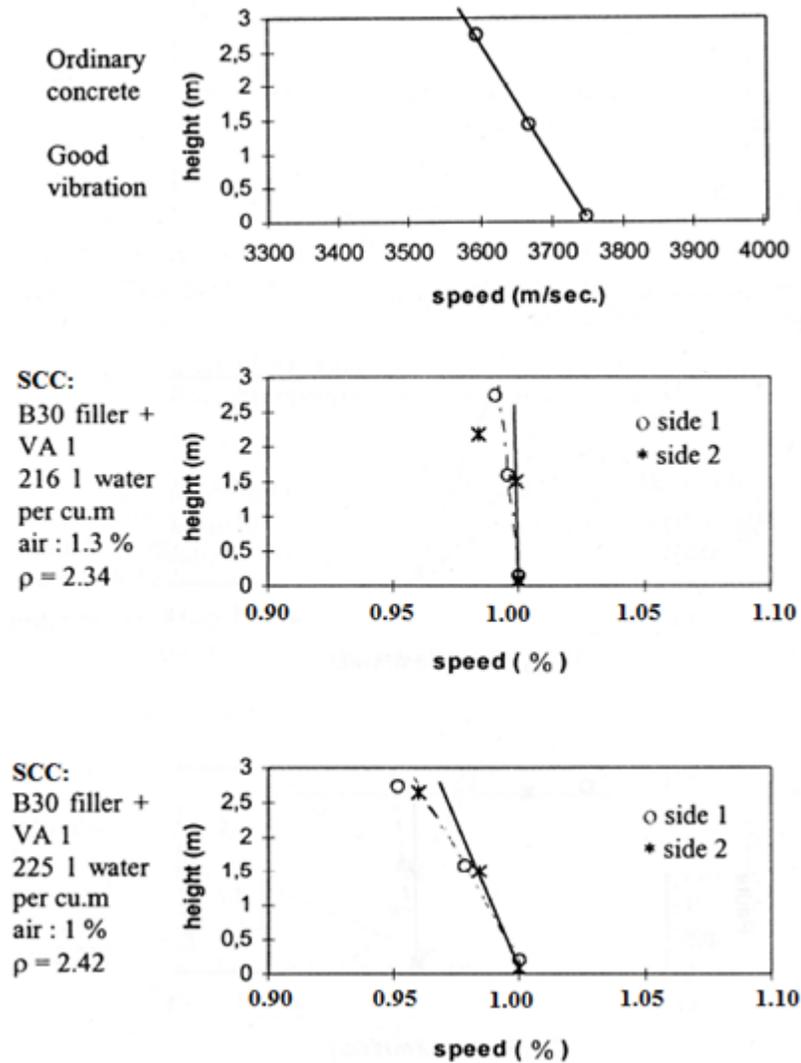


Figure 2.11: Ultrasonic pulse velocities through (top) well vibrated VC, (middle) stable SCC, and (bottom) unstable SCC (Cussigh 1999)

#### 2.2.3.2.2 Assessment of Ultrasonic Pulse Velocity

To effectively use the UPV to study uniformity of SCC, care should be exercised in avoiding other sources of UPV variability. Variability can come from

- Reinforcement, which can either accelerate pulses by transmitting sound more quickly or attenuate pulses by scattering waves as they pass (Mindess et al. 2003; Naik et al. 2004),
- Large aggregate, which can scatter higher frequency waves as they pass through the material (Abo-Qudais 2005; Naik et al. 2004), and
- Cracks, which distort or block the travel of ultrasonic waves (Abo-Qudais 2005; Soshiroda et al. 2006).

Past research (Abo-Qudais 2005; Gaydecki et al. 1992) and guides for testing (ASTM C597 2002; Naik et al. 2004) have thoroughly outlined how to avoid these issues. The first line of defense against irregularity is selection of the configuration and frequency of the equipment to be used. The direct transmission method, shown in Figure 2.12, is the preferred configuration of all groups referenced in this section because the travel length and form of transmission are easily defined.

For testing concrete, Gaydecki et al. (1992) recommend a frequency of 55–85 kHz and ASTM C597 (2002) recommends a frequency range of 40–80 kHz, both with a preference for higher frequencies when using shorter path lengths. There is no upper or lower limit to the path length,  $L$ , but Naik et al. (2004) recommend  $L$  be between 4 in. and 28 in. for 54 kHz transducers (the frequency used in this research). Cussigh (1999) used an  $L$  of 10 inches. At a frequency of 54 kHz, aggregate should have nominal dimensions no greater than 2.75 in., which is not a concern for precast, prestressed SCC. For reinforcement parallel to the direction of pulse transmission to not influence the

signal, the bars must generally be laterally spaced at least  $0.25L$  away from the test point, with a conservative estimate of  $0.35L$  (Naik et al. 2004).

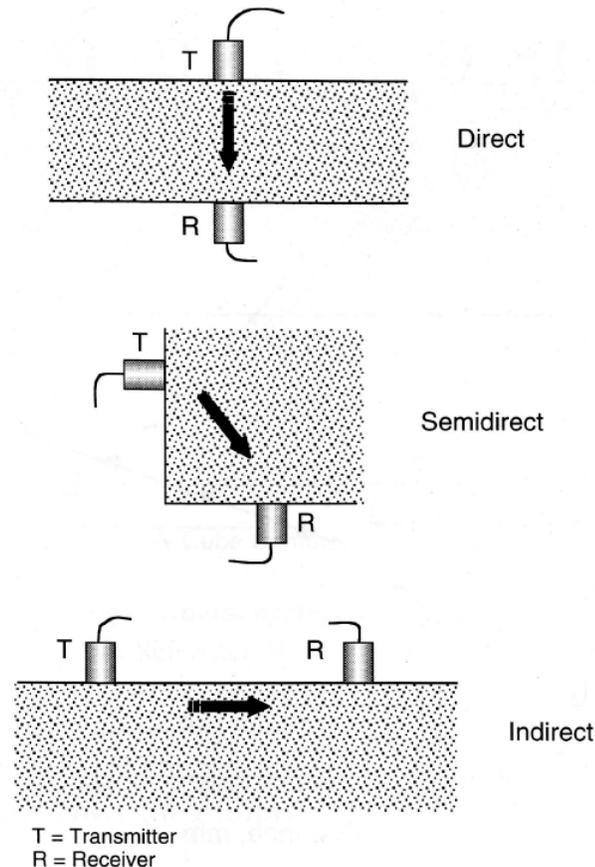


Figure 2.12: Ultrasonic pulse velocity testing transmission methods (Naik et al. 2004)

Unavoidable sources of UPV variability include cracking and degree of saturation (ASTM C597 2002). Good curing conditions, safe handling, and prevention of thermal cracking lessen the risk of cracking and non-uniform saturation. Readings through cracked concrete are drastically different than those taken through uninterrupted travel paths, making it easy to recognize them.

The influence of degree of saturation can only be normalized by testing samples at a consistent degree of saturation. Soshiroda et al. (2006) recommend taking readings at

the earliest age possible after the concrete achieves final set because, over time, the strength of the mortar phase approaches that of the encapsulated coarse aggregate, resulting in faster UPVs that are less capable of differentiating between coarse aggregate contents. Later-age testing is, therefore, less useful for studying air, water, and aggregate distribution (Soshiroda et al. 2006).

### **2.2.3.3 Pullout Testing**

As described in Section 2.2.2, bond between reinforcement and concrete is a material mechanical property of broad applicability to structural performance. Although many configurations have been used to test it, the principle is the same: apply tension to steel reinforcement cast into concrete specimens while recording the force applied and amount of slip undergone by the reinforcement. If the total bonded surface area is known, the bond stress is determined by dividing the pullout force by the surface area. Bond stress can then be related to different levels of slip in order to evaluate bond behavior.

Different bond behavior occurs under different pullout testing configurations. When a long bonded length is used, the reinforcement yields before it debonds from the surrounding concrete. This signifies that the total bond force capacity exceeds the axial force required to yield the reinforcement (ACI 408 2003). In research that has used long bonded lengths, study of bond behavior was limited to a comparison of slip values at lower stresses (Chan et al. 2003; Peterman 2007; Sonebi and Bartos 1999).

When a very short bonded length is used in pullout testing, the concrete surrounding the reinforcement fails before the steel reaches its yield stress. Two modes of concrete failure may occur when using a very short bonded pullout length: splitting

failure and shear failure. Refer to Figure 2.13, which illustrates the forces being applied to the surrounding concrete. Splitting failure occurs when deformations in the reinforcement act as wedges that force the surrounding concrete outward, causing tensile stresses in the concrete and, eventually, tensile failure. This failure mode is associated with a lack of confinement, and results do not indicate the ultimate bond capacity of the concrete (ACI 408 2003; Cattaneo et al. 2008; Sonebi and Bartos 1999). Although bond has been studied in samples exhibiting this failure mode, the resulting top-bar effects are heavily influenced by the testing arrangement (Peterman 2007).

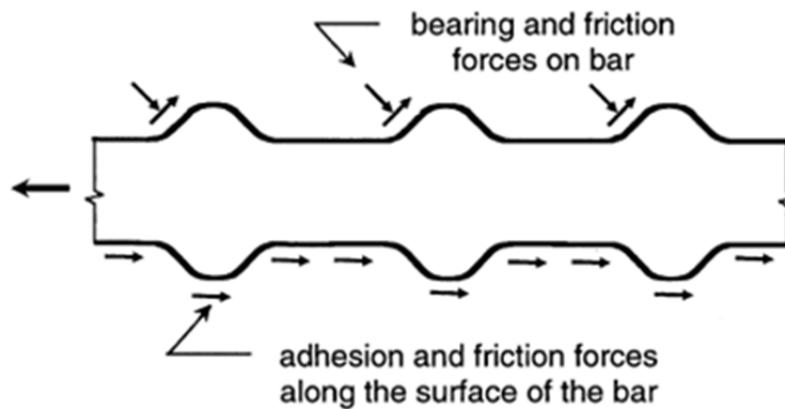


Figure 2.13: Bond forces acting on steel embedded in concrete (ACI 408 2003)

Pullout failure (also known as shear failure), occurs when sufficient confinement prevents splitting rupture of the concrete. In this failure mode, planes of shear stress caused by the mechanical interlock of reinforcement deformations and concrete develop parallel to the reinforcement. Microcracks develop in these planes, eventually coalescing until pullout failure occurs (ACI 408 2003). This failure mode shows a gradual buildup of bond stress as cracks form and a gradual decay as friction resists the pullout over extended displacements. This stress buildup and decay is illustrated in Figure 2.14.

Pullout testing that results in pullout failure can give a measure of concrete quality and uniformity not affected by inadequate cover or steel quality (Khayat et al. 2003), which makes it useful for studying the potential effects of segregation in SCC.

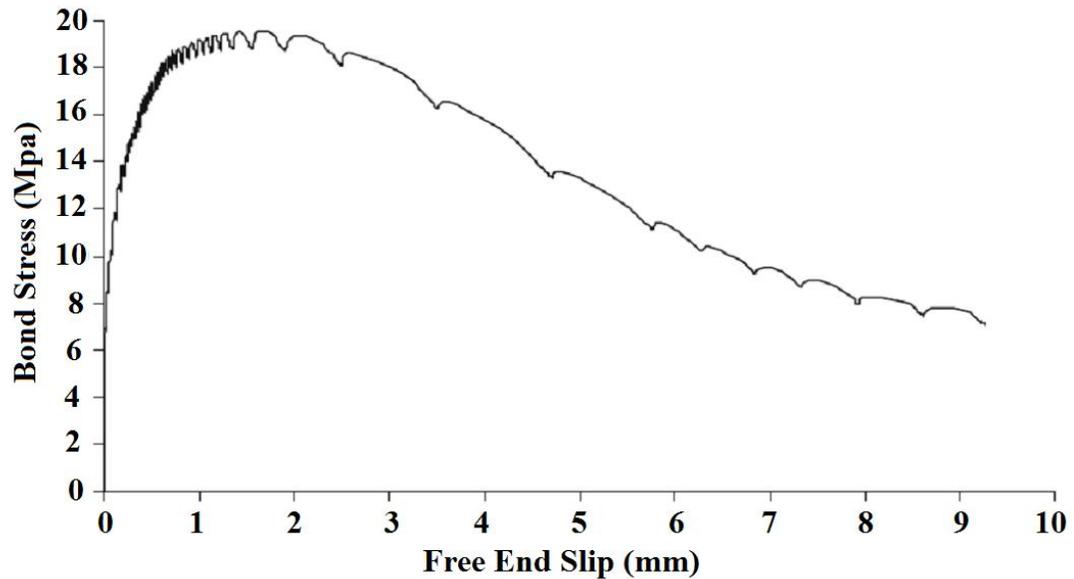


Figure 2.14: Bond stress and slip of shortly bonded rebar during shear failure (Hassan et al. 2010)

#### 2.2.3.3.1 Assessment of Pullout Failure Capacity

Researchers have related pullout failure to concrete quality using several variations of shortly bonded pullout specimens. Some researchers (Chan et al. 2003; Hassan et al. 2010) achieved adequate confinement by inclusion of confining reinforcement. To avoid the need for confining steel reinforcement, other researchers (Cattaneo et al. 2008; Girgis and Tuan 2005) achieved adequate confinement by increasing the lateral cover of the concrete surrounding the pullout bars. They (Cattaneo et al. 2008; Girgis and Tuan 2005) found that the minimum lateral cover that ensures pullout failure during pullout testing is eight times the nominal diameter of the steel bars pulled out ( $8 d_b$ ).

As steel is pulled from concrete, the resisting force in the surrounding concrete must develop to provide force equilibrium with the steel. When combined with the contraction of steel due to Poisson's Effect, a gradient develops in the concrete stress along the bonded length. Since calculation of bond strength usually assumes that bond stresses are distributed uniformly, use of short bond lengths is best when studying ultimate bond capacity (Alavi-Fard and Marzouk 2004; Girgis and Tuan 2005; Khayat 1998; Khayat et al. 1997; Stocker and Sozen 1970).

Multiple researchers (Alavi-Fard and Marzouk 2004; Girgis and Tuan 2005; Khayat et al. 1997; Khayat and Mitchell 2009) have found that utilizing a bond length of  $2.5 d_b$  to  $3 d_b$  yields a satisfactory balance between achieving a uniform bond stress and having repeatable results. During that research, the bonded region of steel was isolated by debonding the remainder of the bar with commercially available plastic sheathing. A typical configuration of this style of pullout test is shown in Figure 2.15.

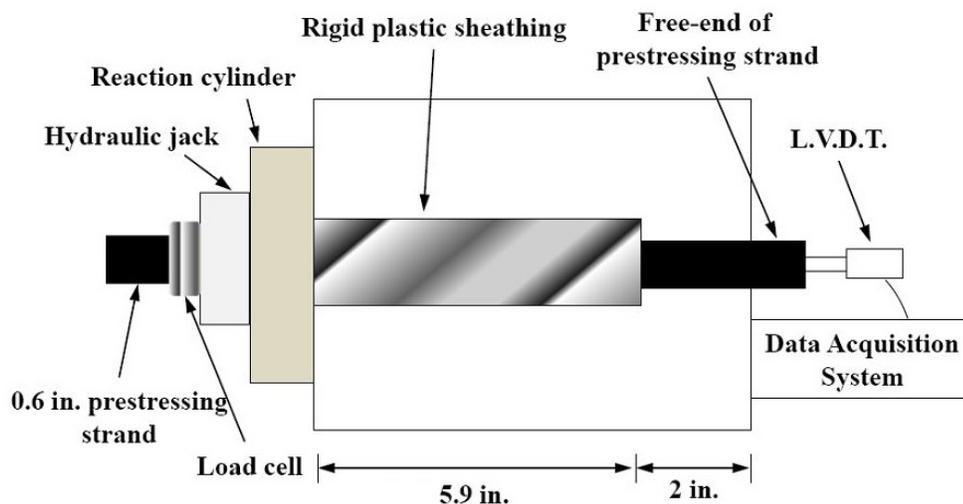


Figure 2.15: Configuration of shortly bonded pullout test (adapted from Khayat and Mitchell 2009)

The stresses in the concrete surrounding the pullout bar must also be considered in determining the test configuration. While the deformed steel reinforcement is tensioned, the concrete on which the tensioning jack rests is compressed. This compression can provide load-dependent, unnatural confining pressure around the steel bars, resulting in mechanically enhanced bond capacity. To avoid this effect, two steps are taken to disperse the compressive forces: seat the hydraulic jack at an adequate lateral distance from the pullout point, and place the bonded region of steel away from the loaded face of the concrete. Khayat (1998) embedded the bonded region 5 in. from the loading surface of the concrete, Khayat and Mitchell (2009) embedded it 6 in. from it, and Sonebi and Bartos (1999) embedded it 3 in. from it.

#### **2.2.3.3.2 Assessment of Strand Bond**

It would seem most appropriate to study the bond capacity of SCC used in precast, prestressed applications by pulling out seven-wire prestressing strand instead of deformed steel reinforcement. Many researchers have studied the interaction between strand and concrete in large specimens with long bonded lengths. This type of testing, which was also conducted during the research described in this dissertation, is described in detail in Chapter 4. Khayat et al. (2003), Khayat and Mitchell (2009), and Stocker and Sozen (1970), on the other hand, tested bond to strand using a shortly bonded, pullout-failure-inducing configuration.

Stocker and Sozen (1970) confirmed that bond capacity of vibrated concrete is more significantly affected by bleeding and settlement than by strength, and Khayat et al. (2003) confirmed that stable SCC has better strand bond uniformity over height than VC.

Stocker and Sozen (1970) point out two differences between testing strand and testing deformed reinforcing steel:

- Strand cast into concrete while unstressed does not employ the same bond mechanism as strand that is prestressed and then released after the concrete is cast. Axial expansion of prestressed strand after it is released (due to Poisson's effect) increases the lateral pressure in the surrounding concrete, causing confinement that is not easily replicable in shortly bonded pullout specimens. This expansion-induced confinement does not occur while using deformed reinforcing steel.
- While bond of deformed bars depends on longitudinal shear interlock to its fixed deformations, seven-wire strand depends on torsional interlock to its spiral of six outer wires. The strand twists as it is pulled out of the concrete, and torsional bond occurs when the outer wires twist out of concrete keys formed during casting. It is difficult to prevent this twisting mechanism within a shortly bonded length of strand.

#### **2.2.4 Stability Test Methods**

Test methods that have been used in the assessment of fresh SCC stability (segregation resistance) are described in this section. They may be categorized by many traits: field- or laboratory-suitability, standardization status, segregation mechanism identified, speed of assessment, or others. Each of these considerations is discussed in the following test-specific subsections.

### 2.2.4.1 Visual Stability Index

The visual stability index (VSI) is the most widely used test to assess the stability of SCC (Lange et al. 2008) and was included in the first SCC-specific test to be standardized by ASTM. The VSI involves assigning a rating to the level of segregation seen in a sample of SCC. This sample, the patty left after testing the slump flow according to ASTM C1611 (2005), is inspected for visible signs of segregation. A rating from 0–3 is then assigned based on appearance: 0 showing no signs of segregation; 1 showing some bleed water on the SCC surface; 2 showing a slight, defined mortar halo (< 0.5 in.) and noticeable bleeding; and, 3 showing clear segregation with aggregate piling in the center and with a well-defined mortar halo (> 0.5 in.) (ASTM C1611 2005). PCI (2004) also gives advice on the half-increments of 0.5 and 1.5. In those Guidelines, a 0.5 rating is applicable when light bleeding is noticeable on otherwise non-segregating SCC, while a 1.5 rating is applicable when minor mortar separation and aggregate piling are visible. Examples of these VSI values are presented in Figure 2.16 through Figure 2.22.



Figure 2.16: Typical visual stability index rating of 0 (PCI 2004)



Figure 2.17: Typical visual stability index rating of 0.5 (PCI 2004)



Figure 2.18: Typical visual stability index rating of 1 (PCI 2004)



Figure 2.19: Typical visual stability index rating of 1 (PCI 2004)

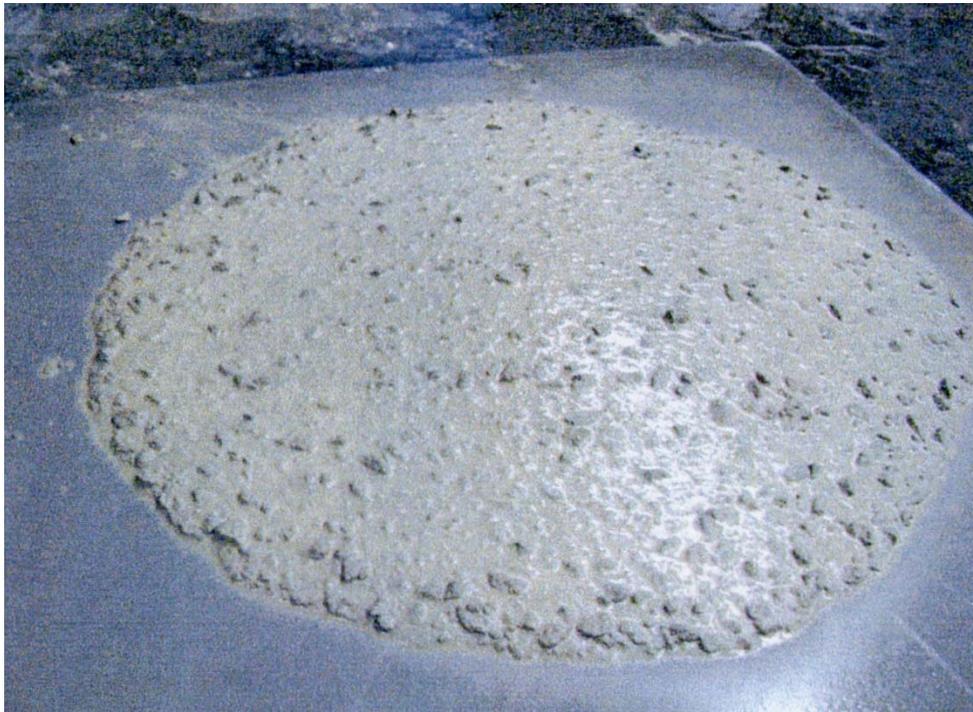


Figure 2.20: Typical visual stability index rating of 1.5 (PCI 2004)



Figure 2.21: Typical visual stability index rating of 2 (PCI 2004)



Figure 2.22: Typical visual stability index rating of 3 (PCI 2004)

The VSI is qualitative in nature and is subject to each technician's assessment. Therefore, while it is useful for rapid quality assurance during production, the VSI should not be used to determine prequalification acceptance or rejection of a mixture (ACI 237

2007). Several summary reports (EPG 2005; Ozyildirim and Lane 2003) suggest that the VSI is sufficient for initial segregation inspection; Keske et al. (2013b) recommend its use for this purpose in SCC production in the state of Alabama. Other researchers (Bonen and Shah 2004; 2005; Lange et al. 2008) suggest that a low VSI (showing good segregation resistance) does not ensure adequate stability.

Bonen and Shah (2004; 2005) and Lange (2007) state that the VSI is inadequate to study *static* stability because performance of the slump flow test imparts kinetic energy into the SCC, which can affect the appearance of static segregation. In fact, Tregger et al. (2010) suggest that the VSI from the slump-flow patty should only be used to assess dynamic stability. Furthermore, mixtures that do not bleed (one form of segregation) are less sensitive to the VSI (ACI 237 2007). This was confirmed by Khan and Kurtis (2010), Khayat and Mitchell (2009), and Peterman (2007), who have found unacceptable mechanical performance in SCCs with VSI values that indicated acceptable stability (VSI less than 2).

#### **2.2.4.2 Column Segregation Test**

The column segregation test (ASTM C1610 2006) was the second SCC stability test to be standardized by ASTM and is, therefore, often used to assess the static stability of SCC. Illustrated in Figure 2.23, this test involves pouring SCC into a cylindrical mold consisting of three detachable sections and allowing it to rest for 15 minutes. SCC from the top and bottom portions of the mold is then washed over a No. 4 sieve, leaving only the coarse aggregate. The coarse aggregate is then brought to the saturated surface dry (SSD) state and weighed. The weights of coarse aggregate in the top section and the

bottom section are then compared to quantify segregation using a segregation index ( $I_{seg}$ ).  $I_{seg}$  is calculated according to the following equation, in which  $CA$  is the weight of SSD coarse aggregate in the weighed section:

$$I_{seg} = 100 \left[ \frac{2(CA_{top} - CA_{bot})}{(CA_{top} + CA_{bot})} \right]$$

According to Koehler and Fowler (2010), the calculated  $I_{seg}$  may be less than zero due to test variability. ASTM C1610 (2005) states that, when that occurs, the value should be recorded as zero.

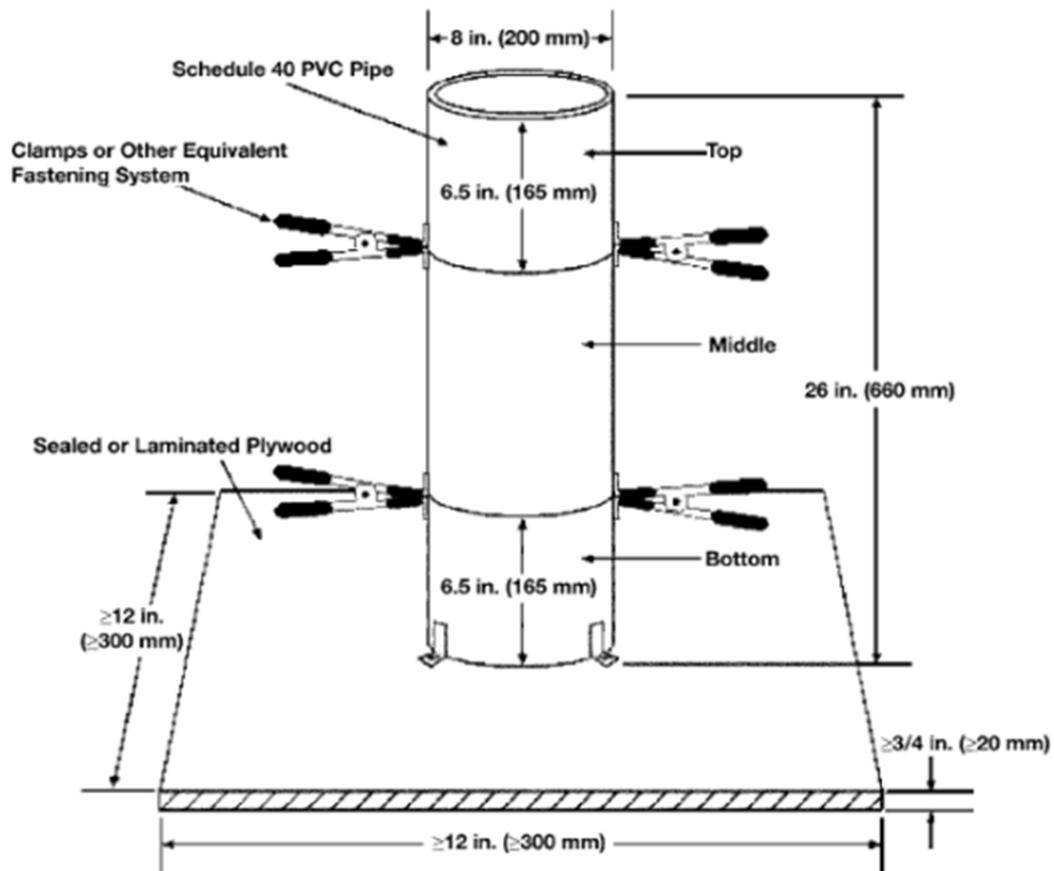


Figure 2.23: Standardized column segregation apparatus (ASTM C 1610 2006)

In a comprehensive study, Assaad et al. (2004) evaluated SCC properties using the column segregation test, VSI test, rheological tests, and compressive strength. They found that the column segregation test is sensitive to sedimentation of aggregate, which was confirmed by Mouret et al. (2008). As both sources note, the column segregation test is more sensitive when total aggregate content is low (Assaad et al. 2004; Mouret et al. 2008). Higher coarse aggregate content must be complimented by lower mortar content. The increase in coarse aggregate limits the ability of any individual particles to settle, resulting in reduced column segregation values. Meanwhile, the decrease in binder content makes the mixture more sensitive to bleeding and segregation of binder (Assaad et al. 2004; Ng et al. 2006; Ye et al. 2005).

Because the column segregation test is affected by coarse aggregate content in this way, Assaad et al. (2004) and Khayat and Mitchell (2009) recommend using the column segregation test in conjunction with the surface settlement test described in Section 2.2.4.5, which is more sensitive to bleeding segregation. Similarly, Mouret et al. (2008) recommend using it in conjunction with the sieve stability test described in Section 2.2.4.4, as they found that the column segregation and sieve stability tests respond differently to segregation.

Many researchers (Bui et al. 2007; Koehler and Fowler 2010) have found the column test to be too slow and laborious to implement for quality assurance due to the 15-minute testing period and difficulty of separating and wet-sieving the test sample. However, Assaad et al. (2004), Khayat and Mitchell (2009), and Mouret et al. (2008) recommend using it for quality assurance testing of SCC stability.

### 2.2.4.3 Rapid Penetration Test

The rapid penetration test (ASTM C1712 2009) was developed to be a quicker, technician-friendly alternative to the column segregation test (Bui et al. 2007). To that effect, the test is run on SCC already placed in the inverted slump cone for VSI and slump flow testing. After allowing the sample to settle for 80 seconds, a weighted hollow penetration cylinder, shown in Figure 2.24, is placed on the top surface and allowed to settle under its own weight. After 30 seconds, the penetration depth (Pd) of the cylinder is read to the nearest millimeter, which may be related directly to the mortar layer depth at the top of the sample and indirectly correlated to segregation resistance. According to ASTM C1712 (2009), Pd relates to stability by the following:

- Samples with  $Pd < 0.4$  in. are resistant to segregation,
- Samples with  $0.4 \text{ in.} \leq Pd < 1.0$  in. are moderately resistant to segregation, and
- Samples with  $Pd > 1.0$  in. are not resistant to segregation.

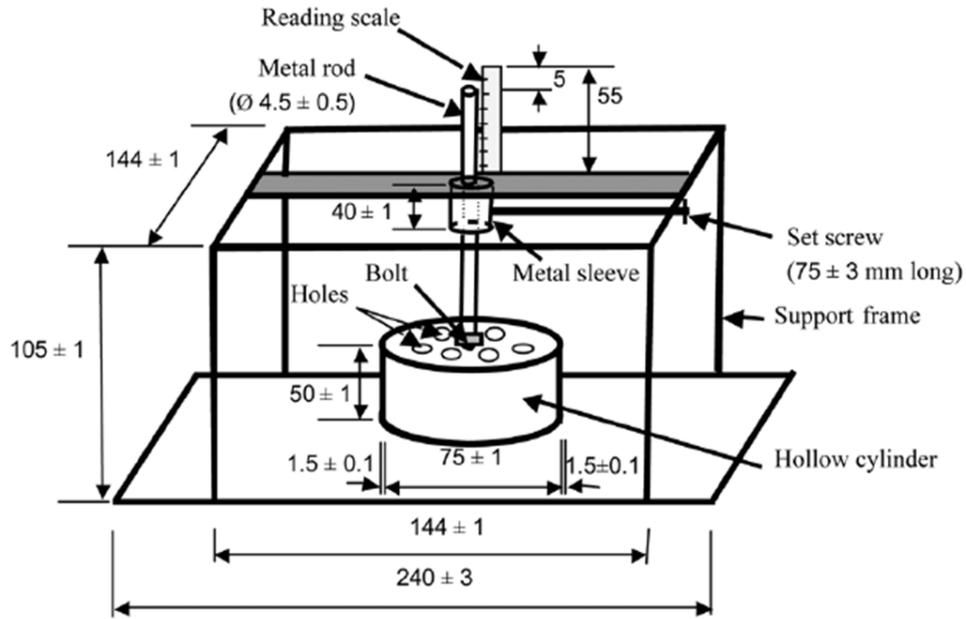


Figure 2.24: Standardized rapid penetration test apparatus (ASTM C1712 2009)  
 (Note: All units in millimeters; 1 in. = 25.4 mm)

ASTM C1712 (2009) was developed by establishing a relationship between its results and those of the column segregation test (Bui et al. 2007). A relationship between the column segregation test results and the mortar layer depth at the top of hardened cylinders was also determined after vertically cutting the cylinders and measuring the depth to the first coarse aggregate particle. Bui et al. (2007) found that mortar depth relates to segregation index and penetration depth, thereby allowing use of the penetration test in place of the column test. According to ASTM C1712 (2009) and Bui et al. (2007), the test is useful for both mixture prequalification and quality assurance, as it is faster than the column segregation test and is not subjective like the VSI.

ASTM C1712 (2009) recommends establishing a new correlation between the penetration and column segregation tests whenever dealing with new mixture proportions; penetration depth limits discussed earlier are only applicable to mixtures with less than 65% total aggregate volume. Koehler and Fowler (2010) have found the

rapid penetration test to be poorly related to both the column segregation test and sieve stability test (described in the next section). The Self-Compacting Concrete European Project Group (EPG 2005) found the rapid penetration test to have greater scatter than the sieve stability test, and they recommend it as a secondary alternative to the sieve stability test. The test's use in peer-reviewed research has been limited, although similar tests (described in Sections 2.2.4.6 and 2.2.4.7) have been used elsewhere.

#### **2.2.4.4 Sieve Stability Test**

The current form of the sieve stability test (a.k.a. sieve segregation resistance test, sieve test, or GTM screen stability test) was standardized by the SCC European Project Group (EPG 2005) following a three-year study by the EPG representative organizations. The test, shown in Figure 2.25 and detailed in Appendix B.1, requires an approximately fifty pound sample of SCC and approximately eighteen minutes of testing time. After sitting for fifteen minutes, the top portion of the sample is poured from a specified height (usually with the assistance of a pouring apparatus) onto a sieve and pan. It then rests on the sieve for two minutes to allow separation of mortar and aggregate. After those two minutes, the sieve and retained SCC are removed from above the pan, and the sieved fraction ( $S$ ) is calculated by dividing the weight of SCC passing onto the pan by the total weight of SCC tested according to the following equation:

$$S = \frac{[(pan + SCC \text{ sieved fraction}) - (pan)]}{[(sieve + pan + SCC \text{ total}) - (sieve + pan)]} \times 100$$



Figure 2.25: Sieve stability test apparatus

The EPG Guidelines (2005) specify the use of a 5 mm sieve, but the PCI guidelines (2004) allow a No. 4 (0.25 in.) sieve to be used in place of a 5 mm sieve because the No. 4 sieve is more common in the U.S. The EPG Guidelines (2005) recommend a sieved fraction  $5\% \leq S \leq 15\%$ , as SCC with a sieved fraction less than 5% may begin to lack the flowability necessary to prevent bugholes and provide a good surface finish. More specifically, the guidelines classify sieve stability using the following classes (EPG 2005):

- $S \leq 20\%$  for Class 1, which is applicable for slabs and applications with limited flow distances and clear spacing greater than 3 in.,

- $S \leq 15\%$  for Class 2, which is applicable for vertical applications with limited flow distances and clear spacing greater than 3 in., and
- $S \leq 10\%$  in demanding applications with greater flow distances and clear spacing less than 3 in., such as for precast, prestressed girders.

Because SCC is dropped from a height of 20 in. onto the sieve, El-Chabib and Nehdi (2006) and Koehler and Fowler (2010) question what form of segregation the sieve stability test identifies. Gravity causes an increase in kinetic energy as the SCC falls, resulting in forced segregation of mortar from aggregate. Also, mixtures with a high mortar fraction and low coarse aggregate fraction may be more susceptible to testing poorly, as more mortar is present to pass through the sieve (El-Chabib and Nehdi 2006; Schwartzentruber and Broutin 2005).

Ng et al. (2006) contradict this observation regarding mixture proportioning. They found that mixtures with a high coarse aggregate fraction are more susceptible to testing poorly. For the same reason that the column segregation test becomes less sensitive as coarse aggregate content increases (see Section 2.2.4.2), the sieve test becomes *more* sensitive if it is able to identify bleeding and separation of mortar from aggregate. Mouret et al. (2008) found that the sieve test identifies segregation that the column test does not and vice versa, while others (EPG 2005; Koehler and Fowler 2010) have found the two tests to be highly correlated.

During a comprehensive study of SCC behavior, the sieve stability test was the best indicator of segregation when compared with the column segregation test and the rapid penetration test (EPG 2005). Although the form of segregation it identifies is

unclear, EPG (2005) and Koehler and Fowler (2010) found that the sieve test seems to relate well with in-situ segregation. Johnson et al. (2010), on the other hand, present mixed results when comparing sieve stability results to results of DIA. They found the two to relate well in some trials and not in others. A lack of correlation was more frequently observed in mixtures with  $\frac{3}{4}$  in. aggregate (Johnson et al. 2010).

Because of its simple nature, EPG (2005) recommends the sieve stability test as the primary on-site quality assurance measure of stability for SCC projects in the European Union. PCI (2004) found the sieve test to be unsuitable for on-site use due to its prolonged test duration. Keske et al. (2013a) documented similar concerns from a precast, prestressed concrete producer. According to the producer they worked with, suspending placement for the 18 min. testing time is impractical and could detrimentally affect the placement of the tested SCC.

#### **2.2.4.5 Surface Settlement Test**

The surface settlement test (a.k.a. surface settlement segregation test) was recommended by Khayat and Mitchell (2009) as the primary stability test for SCC in precast, prestressed bridge element production. The test has not been standardized by ASTM or by other European equivalents, but it has been used in SCC research for several years (Khayat 1998; Khayat et al. 1997; Khayat et al. 2003). The test is illustrated in its current form in Figure 2.26.

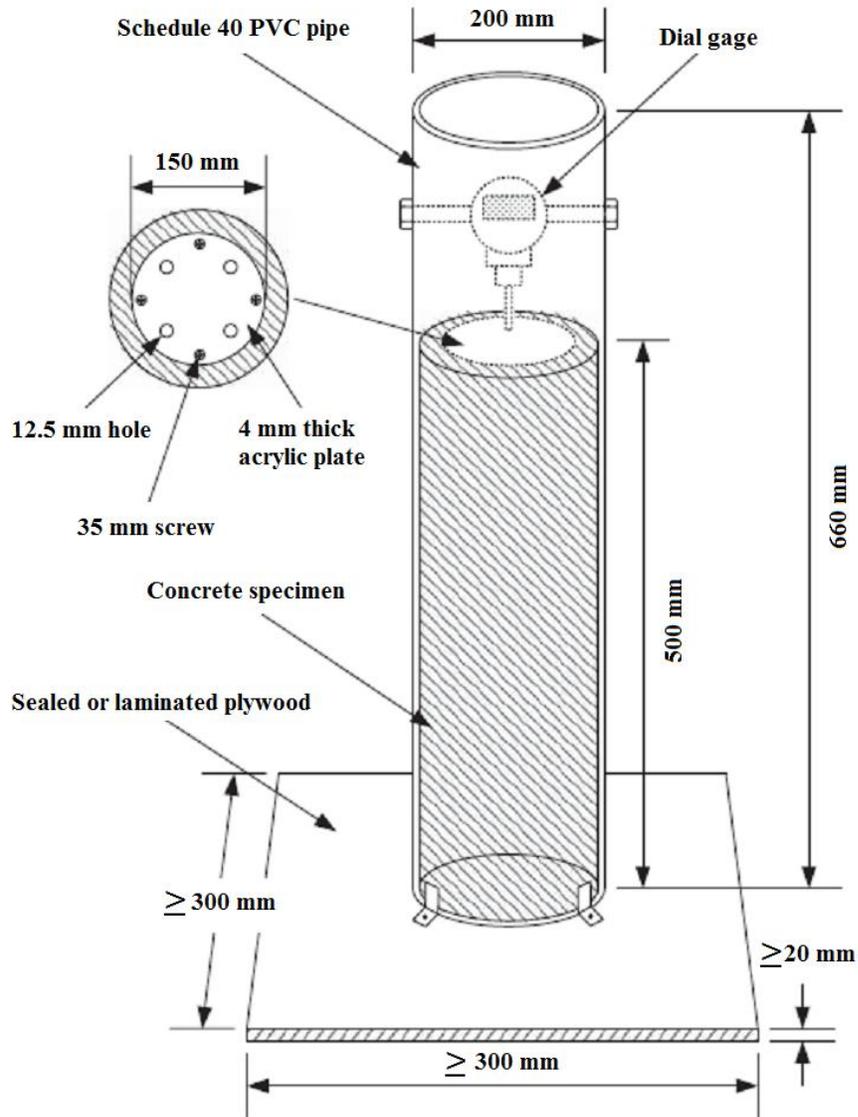


Figure 2.26: Surface settlement test apparatus (Khayat and Mitchell 2009)  
 (Note: All units in millimeters; 1 in. = 25.4 mm)

The principle of the test is simple: measure the settlement of a thin acrylic plate as it settles into a column of fresh SCC. The maximum settlement is recorded as a percentage of the height of the column of SCC, and the rate of settlement is calculated as a percentage of column height penetrated per hour. Either by settlement rate or maximum settlement, the test aims to study the presence of bleed water and paste at the top surface of the column and the settlement of the uppermost coarse aggregate particles.

The test was originally created to compliment in-situ uniformity testing of concrete walls (Khayat et al. 1997). Confirmed by pullout testing and visual examination of hardened cores, Khayat (1998; 1999) and Khayat et al. (1997) showed that the maximum settlement measured before the SCC sets indicates the level of static stability. Since this can take hours to determine, though, further testing was conducted that suggested the use of a rate of settlement calculated over a five-minute interval of (10:00–15:00) or (25:00–30:00) minutes after test initiation (Hwang et al. 2006). The relationships they found are shown in Figure 2.27. Because of these relationships, Khayat and Mitchell (2009) recommend assessment by rate in order to improve testing convenience.

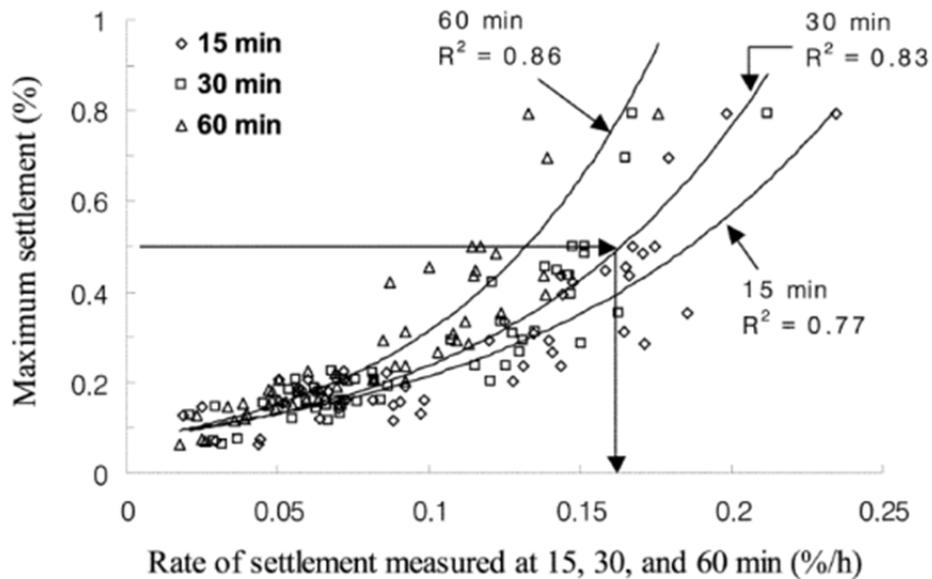


Figure 2.27: Relationships between rate of settlement and maximum settlement measured during the surface settlement test (Hwang et al. 2006)

Assaad et al. (2004) and Sonebi and Bartos (2002) have shown that the surface settlement test gives a good measurement of the development of bleeding, which they

confirmed by comparison to other concrete stability tests and uniformity tests. Like the column segregation test and sieve test, though, surface settlement can be affected by the binder content and coarse aggregate content (Khayat 1999; Khayat et al. 2000; Sonebi and Bartos 2002). Increasing coarse aggregate content makes aggregate settlement more difficult, but at the expense of higher bleeding risk. Sonebi and Bartos (2002) also found that the test is sensitive to fine aggregate content, grading, and surface roughness, as these properties affect the bleeding potential of the mixture. Assaad et al. (2004) and Khayat and Mitchell (2009) therefore recommend that the settlement test compliment the column segregation test, as the two tests can be used to identify different forms of segregation.

#### **2.2.4.6 Wire-Probe Penetration Test**

The wire-probe penetration test (wire test) was designed to be a simpler, more repeatable replacement to the rapid penetration test (Lange et al. 2008; Shen et al. 2007). The test equipment, shown in Figure 2.28, is constructed of a single piece of metal wire, twisted into a ring and vertical rod, with markings at every millimeter along the vertical rod. The wire is placed atop SCC in the inverted slump flow cone and allowed to settle for one minute, and the settlement of the metal ring is measured along the vertical rod left protruding from the sample.

Similar to other penetration-measurement tests, the wire test was created to measure the mortar layer at the top of a sample (Shen et al. 2007). The developers confirmed the test's ability to do so by analyzing DIA results from cores. They also compared its results those of the column segregation test, which showed an *exponential*

increase in segregation as the wire test's settlement increased. The test has been standardized for use by the Illinois DOT (IDOT 2005), although its use in peer-reviewed research publications has been limited. Bui et al. (2007) suggested that the test may be less accurate than ASTM C1712 because of its lack of a lateral guide, as nothing forces the metal ring to sink directly downward into the sample.

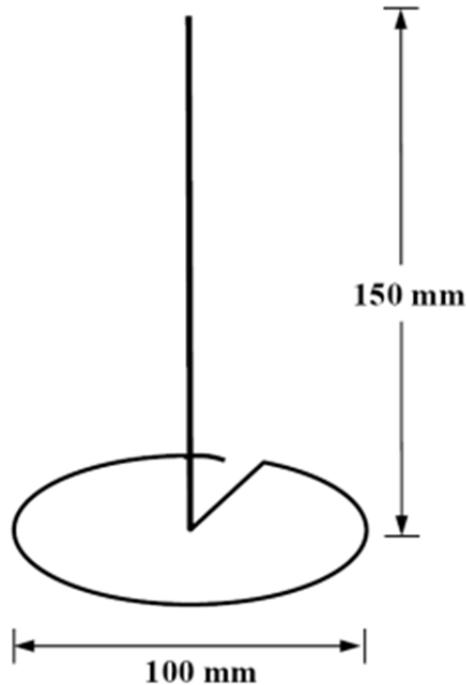


Figure 2.28: Wire penetration probe apparatus (adapted from Shen, Struble, and Lang 2007)

#### 2.2.4.7 Multiple-Probe Penetration Test

Similarly to the wire test, the multiple-probe penetration test was originally based on the rapid penetration test (El-Chabib and Nehdi 2006). A schematic of the test is shown in Figure 2.29. The main difference between the multiple-probe test and the other penetration-based tests described above is that the multiple-probe test incorporates four solid penetration probes instead of one larger probe. El-Chabib and Nehdi (2006) suggest that averaging the displacement of four probes atop the sample can reduce the variability

of results. Random packing of coarse aggregate may allow very few coarse aggregate particles to resist the penetration of a large probe, but four probes should more closely represent the average mortar layer present on the sample (El-Chabib and Nehdi 2006).

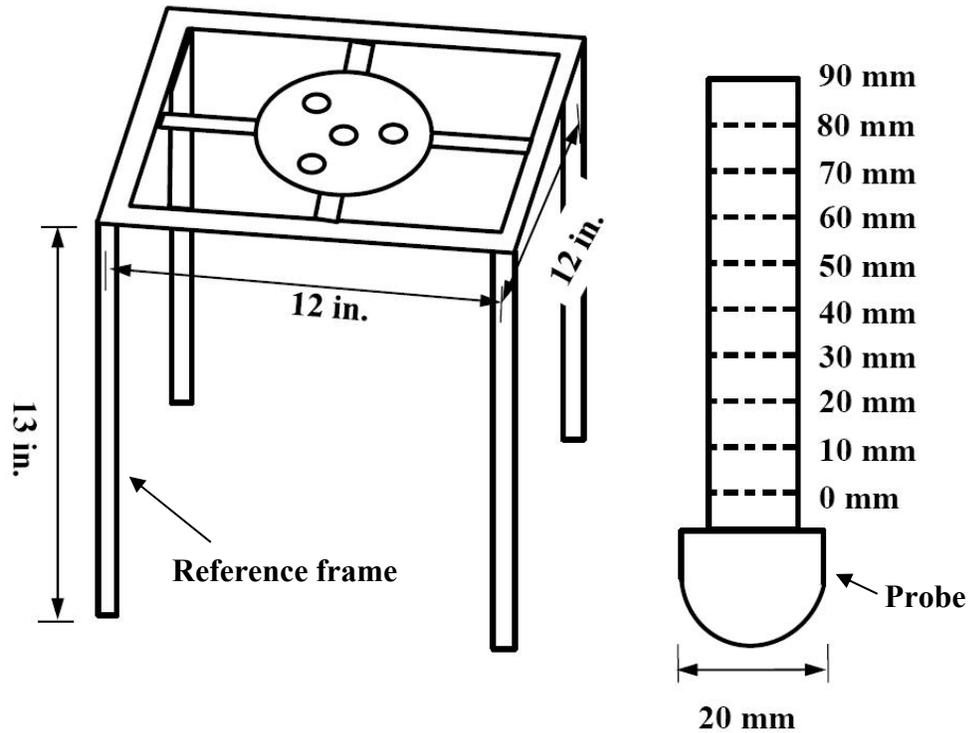


Figure 2.29: Multiple-probe penetration test apparatus (adapted from El-Chabib and Nehdi 2006)

During its development, the multiple-probe test was run in conjunction with the sieve stability test and a variant of the column segregation test. The researchers were able to relate its performance to these two tests in 123 SCC mixtures of varying aggregate contents and strengths. However, the multiple-probe test did not relate well with these tests, several other fresh concrete stability tests, or hardened uniformity of large-scale hardened specimens during preliminary testing for this research (Keske 2011). As shown in Figure 2.30, the four probes were subject to irregular settlement due to a lack of adequate lateral stabilization.



Figure 2.30: Multiple-probe penetration apparatus in use

#### **2.2.4.8 Rheological Tests**

Converse to the other fresh concrete stability tests described, rheological testing of SCC does not directly measure the segregation in a concrete sample. Instead, this class of tests measures the fundamental rheological properties of the sample (viscosity and yield stress) under the assumption that those properties are related to segregation. Conflicting conclusions have been drawn concerning the relationship of rheology to stability: some have found no statistically significant correlation (Assaad et al. 2004; Bartos 2005; Ozyildirim and Lane 2003; Sahmaran et al. 2007), while others have shown a tendency to segregate as viscosity decreases (Koehler et al. 2007; Saak et al. 2001).

As with the other fresh concrete stability tests described in this section, consideration must be given to how these conclusions were reached. In some past studies that incorporated the use of rheological testing, the fresh stability tests described above (including the column segregation test and VSI) were used as a basis for identifying segregation of concrete (Assaad et al. 2004; Bartos 2005; Koehler et al. 2007; Ozyildirim and Lane 2003). Elsewhere, hardened concrete tests, including pullout testing and visual examination of aggregate distributions, were used to identify segregation.

In testing of bond quality, Peterman (2007) showed that rheological tests were no better a predictor of bond quality than other fresh concrete stability tests. Koehler et al. (2007) found excessive scatter in comparisons of rheology to aggregate distribution in cores, and Sahmaran et al. (2007) found similar excessive scatter between rheological and UPV testing. Saak et al. (2001) related rheology to settlement of a weight on the surface of SCC, but only settlement of aggregate was studied, not the bleeding of excess water.

## **2.2.5 Existing Acceptance Criteria**

All of the fresh concrete stability tests described in the previous section have been used either to confirm the stability of tested SCC or to establish a level of segregation above which SCC should not be accepted. The measures of hardened concrete uniformity described earlier (from which many of these fresh test criteria were derived) can also be used to determine acceptable in-place uniformity. Test outputs at which tests indicate that problems with segregation may occur, as well as the origins and applicability of these outputs, are discussed in the following sections.

### **2.2.5.1 Fresh Property Test Criteria**

Table 2.2 includes the outputs at which each fresh concrete stability test method indicates that problems associated with segregation may occur. While not all of these tests were chosen for further evaluation in this research, their results illustrate general trends for acceptability criteria—acceptable penetration depths tend to be less than or equal to 0.4 in., for example. Rheological test results are not provided, as they depend on the type of rheometer utilized and were not incorporated in this research.

Table 2.2: Acceptance limits for various stability test methods

Test Method	Acceptability Criteria	Recommended By
<b>Visual Stability Index (ASTM C1611)</b>	VSI $\leq$ 1	Khayat and Mitchell (2009)
	VSI $\leq$ 1.5	PCI (2004)
<b>Column Segregation (ASTM C1610)</b>	$I_{seg} \leq 15\%$	Khayat and Mitchell (2009), Koehler and Fowler (2010)
	$I_{seg} \leq 10\%$	ACI 237 (2007)
<b>Rapid Penetration (ASTM C1712)</b>	Depth $\leq$ 0.4 in. = Seg. Resistant $\leq$ 1 in. = Moderately Resistant	Bui et al. (2007), ASTM C1712 (2009)
<b>Sieve Stability</b>	S $\leq$ 20% (Class 1) S $\leq$ 15% (Class 2) S $\leq$ 10% (demanding <sup>1</sup> )	EPG (2005)
	5% $\leq$ S $\leq$ 15%	PCI (2004)
	S $\leq$ 10%	Keske et al. (2013b)
<b>Surface Settlement</b>	NMSA $\leq$ 1/2 in. Set. rate $\leq$ 0.27 %/hr Set. max $\leq$ 0.5%	Khayat and Mitchell (2009)
	NMSA $>$ 1/2 in. Rate $\leq$ 0.12 %/hr Max $\leq$ 0.3%	
	Rate $\leq$ 0.15 %/hr	Keske et al. (2013b)
<b>Multiple-Probe Penetration</b>	Average Depth $\leq$ 0.4 in.	El-Chabib and Nehdi (2006)
<b>Wire-Probe Penetration</b>	Depth $\leq$ 0.25 in.	Shen et al. (2007)

Note: <sup>1</sup> = when flow exceeds 15 ft or clear spacing is less than 3 in.

Acceptance criteria for the VSI were originally established as qualitative estimates (Daczko 2003), and the determination of the VSI is considered non-mandatory during slump flow testing (ASTM C1611 2005). Although Khayat and Mitchell (2009)

recommend the VSI, they and others (Koehler and Fowler 2010; Peterman 2007; Khan and Kurtis 2010) found the VSI to erratically predict hardened performance of SCC.

Acceptable column segregation results have previously been based on visual assessment (ACI 237 2007), but the most recent recommendation was based on comparison to the surface settlement test (Khayat and Mitchell 2009). The acceptance criteria for the surface settlement test were also established by Khayat and Mitchell (2009); they were based on correlations to in-place core strength uniformity and pullout bond uniformity. The relationship between maximum surface settlement and top-bar effect is shown in Figure 2.31 (shown as “modification factor”). Because pullout bond uniformity was utilized in this research, it is discussed further in Section 2.2.5.2.

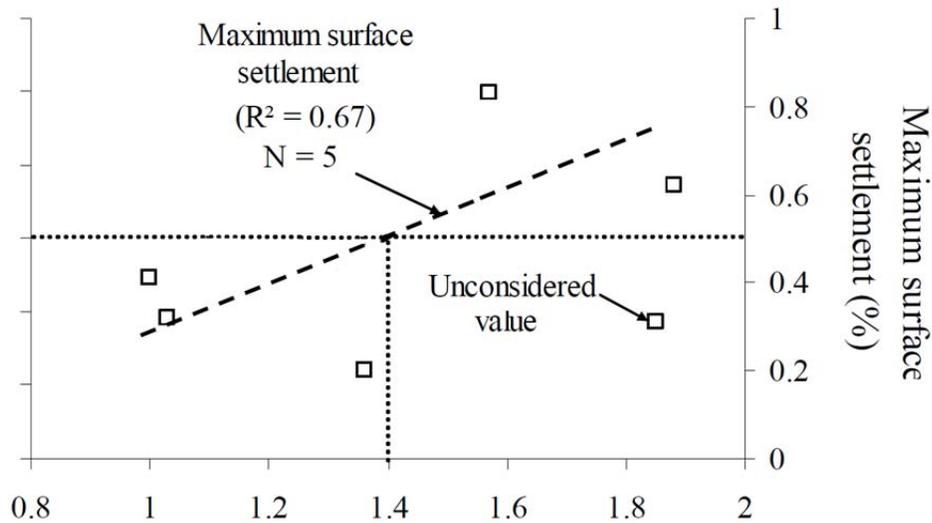


Figure 2.31: Relationship between top-bar effect and maximum surface settlement determined from surface settlement test (Khayat and Mitchell 2009)

As stated earlier, Bui et al. (2007) recommend that the column segregation test be replaced by the rapid penetration test based on a correlation between column segregation results and penetration test results. That correlation is shown in Figure 2.32. The

recommended penetration depth limit of 0.4 in. (10 mm) is based on a segregation index limit of 10%, although penetration depths up to 1 in. (25 mm) may be acceptable if a segregation index limit of 20% is employed (Bui et al. 2007).

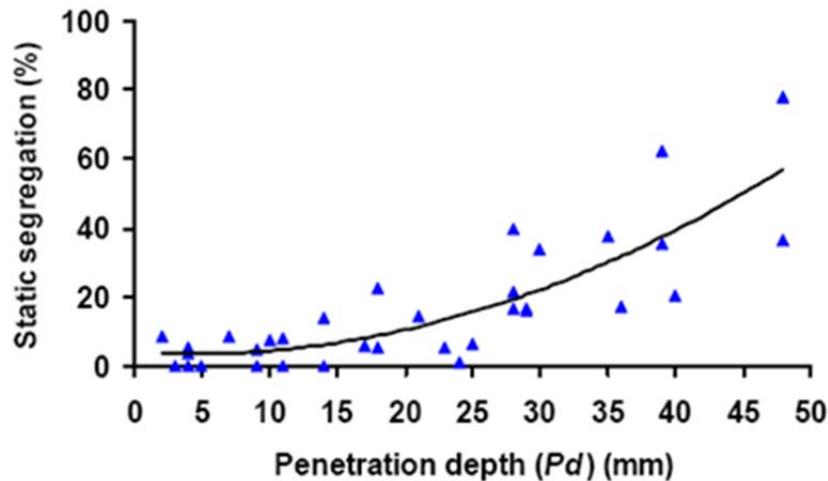


Figure 2.32: Relationship between penetration and column segregation (Bui et al. 2007)

Acceptance criteria for the sieve stability test were determined by visual observation and coring of hardened concrete during comprehensive testing (EPG 2005). European researchers (Kwan and Ng 2009; Ng et al. 2006; Sahmaran et al. 2007) have frequently used the sieve stability test to verify SCC stability. These researchers allowed sieved fraction (S) values of up to 20%. EPG (2005) and Keske et al. (2013b) recommend only allowing sieved fractions of less than 10% for SCC used in demanding placements of greater than 15 ft of lateral flow or through spaces less than 3.0 in. wide, such as in the production of precast, prestressed elements.

Koehler and Fowler (2010) found that the 15% S recommended by EPG (2005) corresponds approximately to a 15%  $I_{seg}$  from the column segregation test, which was also the value independently recommended by Khayat and Mitchell (2009) for the

column segregation test. The relationship between the two tests is presented in Figure 2.33. In this figure, the column segregation and sieve stability tests have a nearly linear correlation throughout their respective ranges of tested outcomes.

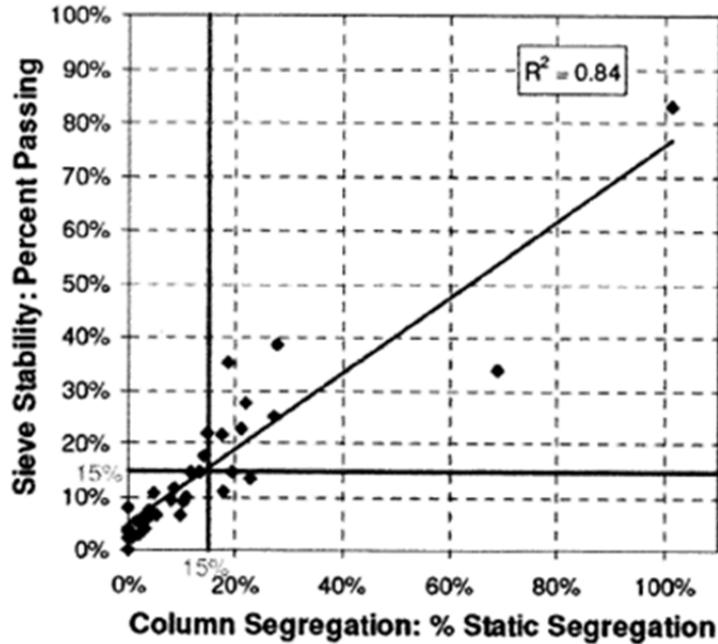


Figure 2.33: Relationship between column segregation and sieve stability tests (Koehler and Fowler 2010)

As mentioned in Section 2.2.4.7, El-Chabib and Nehdi (2006) developed their acceptance criterion for the multiple-probe test by comparison to results from the column segregation test. The multiple-probe acceptance criterion corresponded to a segregation index of 10% from the column segregation test. El-Chabib and Nehdi (2006) chose it in consideration of then-current column segregation and sieve test results.

Shen et al. (2007) based their acceptance criterion for the wire test on the column segregation test and visual examination of hardened SCC. They found that penetration depths less than 0.25 in. (7 mm) corresponded to column segregation results of less than

15% and were correlated well with in-situ mortar depths. They verified the effect of mortar layer depth, and an acceptable tolerance for it, through finite element modeling of differential shrinkage stresses due to paste-layer formation.

Note in Figure 2.31, Figure 2.32, and Figure 2.33 that, when it was even reported, the correlation,  $R^2$ , between fresh concrete stability test result datasets varied from 0.65–0.84. Notably, Khayat and Mitchell (2009) also excluded one of their six measurements prior to identifying a strong correlation between the surface settlement test and top-bar effect (shown in Figure 2.31). Very few other publications have shown the correlation between fresh test results and other fresh or hardened test measures. Others that reported  $R^2$  include:

- Johnson et al. (2010), whose relationship between sieve stability results and digital image analysis only exceeded  $R^2 = 0.50$  sporadically, and
- Hwang et al. (2006), whose relationship between rate of settlement and maximum settlement within the surface settlement test exhibited a nonlinear  $R^2 = 0.77$  when comparing the rate at 15 min. (the time recommended based on their research).

The relative strength and scarcity of these  $R^2$  correlations indicate that a threshold in the order of  $R^2 \geq 0.50$  is acceptable when evaluating datasets involving fresh SCC stability tests. The literature reviewed in this chapter indicates that collection of fresh SCC stability test results may be cumbersome, especially when coupled with hardened concrete uniformity testing. Furthermore, as described by Johnson et al. (2010) and shown in Figure 2.31 (from Khayat and Mitchell 2009), the occurrence of outliers is likely when comparing concrete stability results to measures of hardened uniformity.

#### **2.2.5.1.1 Considerations for Mixture Prequalification Use**

Some of the fresh SCC stability test methods discussed are more suitable for determining mixture prequalification acceptance than others. Because mixture prequalification occurs under conditions where more time is available to assess the mixture's properties, ease of testing and test equipment sensitivity are less important than accuracy of results during this type of testing. Tests that have been recommended for use during SCC mixture prequalification include the VSI, column segregation test, rapid penetration test, sieve stability test, and surface settlement test.

Among these tests, the VSI and rapid penetration test have been recommended more for robustness testing (Bui et al. 2007; Naito et al. 2005; Ozyildirim and Lane 2003) while the others have been recommended more for criteria-based acceptance determination. ACI 237 (2007) recommends avoiding the use of the VSI for SCC mixture prequalification acceptance determination due to its subjective nature. Several researchers (Assaad et al. 2004; Bui et al. 2007) have recommended recording VSI or rapid penetration values alongside those of quantitative test methods so that, during quality assurance production testing, these shorter test methods can provide a preliminary indication of batch acceptability.

#### **2.2.5.1.2 Consideration for Quality Assurance Use**

Fresh concrete stability tests intended for use at construction sites have obvious needs: be rugged enough to survive in a construction environment, simple enough to be performed by technicians on-site, and fast enough to provide immediate feedback and avoid delaying construction. The tests recommended for on-site quality assurance include the

VSI, column segregation test, rapid penetration test, sieve stability test, multiple-probe penetration test, and wire penetration test.

Almost all of the fresh concrete stability tests suggested for rapid quality-assurance application require little time (2–3 min.) and use fairly simple measurement tools. The VSI is currently the only of these tests commonly used for on-site batch acceptance. PCI (2004) found the sieve test to be unsuitable for on-site use due to its prolonged test duration, while EPG (2005) recommends the sieve test as the primary on-site quality assurance test for SCC stability. Similarly, Khayat and Mitchell (2009) found the column test to be unacceptable for on-site use, while Koehler and Fowler (2010) recommend it as the primary on-site quality assurance test for SCC stability evaluation.

#### **2.2.5.2 Hardened Concrete Uniformity Criteria**

Hardened concrete uniformity tests are rarely used to prove the stability of individual SCC mixtures, as these test methods can be very time-consuming compared to fresh concrete stability testing. Even when possible to prequalify a particular mixture, hardened test methods are of minimal value for on-site batch acceptance, as their results would only become known after the concrete was already placed and hardened. As mentioned in Section 2.2.3, hardened tests have frequently been used to prove the uniformity of high-quality SCC, though. Some of these results, as well as methods through which hardened concrete uniformity acceptance criteria can be determined, are discussed in the following subsections. In those discussions, consideration should be given to whether the hardened concrete uniformity measurement was considered the *dependent* or *independent* result of the research.

### 2.2.5.2.1 Distribution of Constituents in Hardened Concrete

Determination of acceptable concrete uniformity by inspection of hardened samples can focus on paste-layer depth, distribution of coarse aggregate within a sample, or changes in distribution of coarse aggregate between samples taken at multiple locations within large specimens. Shen et al. (2007) utilized the first of these measurements—paste-layer depth—to determine HVSI and wire-probe penetration acceptance criteria. Through the testing of small-scale samples and application of finite element models, they correlated paste layer depth to differential shrinkage stress (in which concrete with more stratified paste and aggregate layers shrinks differently than concrete with well-dispersed constituents). They found that a paste-layer depth exceeding approximately ¼ in. and an HVSI exceeding 1 were observed in concrete that experienced unacceptable differential stresses, and thus, unacceptable hardened uniformity (Lange et al. 2008).

Khan and Kurtis (2010) determined the acceptability of hardened concrete constituent variation based on inference from ASTM C94, which governs the placement of ready-mixed concrete. According to that standard (ASTM C94-11a), the within-batch variation of coarse aggregate content, by percentage, is not to exceed 6%. The specification also includes limits on variation of  $f_c$ , air content, slump, unit weight of mortar, and unit weight of concrete. If the variation of more than one of these six measurements exceeds the proposed limit, then the concrete is considered non-uniform (ASTM C94 2011). Thus, if DIA of samples taken from various points within a specimen (within or between cross sections of BT-54 bulb-tees, in their research) exhibited greater than 6% coarse aggregate content coefficient of variation (COV), then the hardened concrete uniformity was deemed unacceptable. Notably, Khan and Kurtis

(2010) utilized COV to determine acceptability, while ASTM C94 (2011) specifies a simple percentage difference for constituent variation calculation.

Johnson et al. (2010) also determined acceptability of coarse aggregate content and gradation variation using DIA, but with variation limits based on fresh test results (sieve stability  $S \leq 20\%$  and VSI  $\leq 1.0$ ). Their primary hardened concrete uniformity measure was a paste-area ratio, which they determined by sawing cylinders into discs and comparing the paste area at different heights within the cylinder. Based on correlation to the sieve stability test, they determined that the ratio of paste in the top of a cylinder to paste in the bottom of a cylinder should not exceed 1.15.

#### **2.2.5.2.2 Compressive Strength**

In studies of core compressive strength variation (Khayat et al. 1997; Zhu et al. 2001), uniformity was proven through analysis of core strength. If core strength varied along the height of a member at a 90% confidence interval (CI), it implied that segregation was unacceptably high. For the reasons described in Section 2.2.2.4, though, observations had to be tempered because of the variety of factors that may affect the core's apparent strength.

Elsewhere (Khan and Kurtis 2010), strength variation was determined acceptable if it did not exceed the 7.5% within-batch limit established by ASTM C94 (2011) for cylinder strength variation. They further tested the acceptability of strength uniformity by comparison to ASTM C39 (2010), which limits the variability between individual cylinders when determining the representative strength of a batch of concrete. In ASTM C39 (2010), field-produced cylinders should not exhibit strength variation greater than

9.5% when testing three cylinders or 8% when testing two. Thus, they utilized the limitation imposed by ASTM C94 when comparing between specimen locations (opposite ends of a 10 ft BT-54 bulb-tee) and the limitation imposed by ASTM C39 when comparing within a group of samples (over the height of the bulb-tee at a single longitudinal location).

### **2.2.5.2.3 Ultrasonic Pulse Velocity**

An acceptable level of concrete quality has been established using UPV results, but only for one known aggregate source (Solis-Carcano and Moreno 2008). To establish what UPV results would be acceptable in cast members, Solis-Carcano and Moreno (2008) recorded velocities in cylinders prepared from 100 mixtures of varying compositions, and then they matched velocities to strengths in the mixtures. In subsequent tests of as-cast members, the pulse velocities measured in as-cast members were used to determine acceptable strength uniformity (with strength variation limits similar to those discussed in the previous subsection). Cussigh (1999), whose UPV results are shown in Figure 2.11, did not directly determine a UPV variation that would be acceptable; instead, the comparison was between VC of varying degrees of consolidation and SCCs of varying stability. Whatever level of UPV variation was observed in conventionally accepted VC would serve as the benchmark for SCC UPV acceptability (Cussigh 1999).

The UPV values determined to be acceptable in those research projects cannot be applied universally because of the multitude of variables affecting UPVs, and because UPVs measure underlying hardened properties of SCC that can have varying effects on

mechanical performance. Pullout testing, on the other hand, directly assesses the mechanical performance of hardened concrete.

#### **2.2.5.2.4 Pullout Bond**

Section 2.2.3.3 described how the top-bar effect determined by pullout testing may be related to segregation of fresh concrete. Although not unique to SCC (the top-bar effect can occur in all concretes), AASHTO (2013) and ACI 318 (2011) recognize the top-bar effect and account for it with a single factor, commonly known as the ‘top-bar factor.’ The top-bar factor is used in each code’s equation for development length and applies to top-cast bars with greater than 12 in. of concrete cast below them. In these top-cast bars, the development length is multiplied by the top-bar factor in order to ensure the same bond capacity as in bottom-cast bars. The factor is defined as equaling

- 1.4 in *AASHTO LRFD* (2013) Section 5.11.2.1.2, and
- 1.3 in ACI 318 (2011) Section 12.2.4.

The top-bar factor was experimentally determined and refined by testing vibrated concrete, although ACI 408 (2003) notes that both the 12 in. depth limit and the single-increment top-bar factor seem arbitrary considering the contributing research.

Regardless, recent research has shown that stable SCC exhibits similar bond behavior (in both bond capacity and top-bar effect) as VC (Hassan et al. 2010; Khayat et al. 2007).

The top-bar factor was not created to limit the heterogeneity of SCC, but it does allow for a certain level of in-situ variability. If the top-bar effect present in an SCC is less than the code-accepted top-bar factor, then whatever heterogeneity is present must be

acceptable for issues related to bond strength. Using this assumption, researchers have compared top-bar effects to the code-accepted top-bar factor to test the viability of SCC as a replacement for VC (Almeida Filho et al. 2008; Esfahani et al. 2008), or to determine acceptance criteria of fresh SCC stability test methods (Khayat and Mitchell 2009).

### **2.3 Experimental Program**

The objectives of this research are to assess fresh SCC stability test methods, hardened concrete uniformity test methods, and their relevance to in-situ uniformity of full-scale structures. To reach these objectives, concrete was simultaneously tested with various fresh stability test methods and placed in full-scale wall elements. The concrete walls were allowed to harden, and their concrete uniformity was tested to evaluate correlations between the fresh concrete stability test results and in-place hardened concrete uniformity. Several tasks were required in order to achieve the project objectives:

- Select fresh concrete stability test methods to assess,
- Select hardened concrete tests and specimen configurations to quantify the effects of segregation on concrete uniformity,
- Select mixture proportions and chemical admixtures to make SCC suitable for precast, prestressed applications,
- Establish a mixing and preparation procedure to accommodate fresh concrete stability testing and casting of concrete elements for hardened concrete testing,
- Conduct selected fresh concrete stability tests while casting specimens, and
- Conduct hardened concrete tests to assess the effects of segregation on in-situ concrete uniformity.

To accomplish these tasks, consideration was given to past research described in Section 2.2, as well as to the resources (time, materials, facilities, and financial) available to the Auburn University research team. Section 2.3 describes in detail the experimental plan developed and includes testing equipment pictures, test protocols, and the mixture proportions employed.

### **2.3.1 Summary of Work**

Of the fresh concrete stability test methods described in Section 2.2, five were selected for evaluation during full-scale wall casting:

- Visual stability index (ASTM C1611 2005),
- Column segregation test (ASTM C1610 2006),
- Rapid penetration test (ASTM C1712 2009),
- Sieve stability test (EPG 2005), and
- Surface settlement test (Khayat and Mitchell 2009).

To assess in-situ concrete uniformity, 3 yd<sup>3</sup> batches of concrete were delivered by ready-mixed concrete trucks to the Auburn University laboratory, and they were then placed in walls of three heights: 54 in., 72 in., and 94 in. As described in Sections 2.2.2 and 2.2.3, section height can potentially affect severity of segregation. The three specimen heights selected are approximately incremental in height difference and correspond to the heights of typical precast bridge elements. This made it possible to study the potential correlation between section height and segregation.

The walls were tested using UPV testing, pullout testing, and HVSI and DIA testing in order to determine the in-situ effects of segregation. As summarized in Section 2.2.3.2, UPV testing is a nondestructive test method to evaluate the relative uniformity of hardened concrete specimens, and, as summarized in Section 2.2.3.3, the pullout testing is a direct, destructive method for evaluation of the bond strength of concrete. To ensure that coring would not affect these two tests, HVSI and DIA testing was conducted last on cores taken from the top and bottom of the 72 in. walls.

Segregation can affect constituent dispersion and bond quality, and tests of these properties have been used to study the uniformity of SCC (see Section 2.2.3). During this research project, the test methods were used as complimentary, but independent, assessments of in-situ concrete uniformity. Therefore, each result was used to independently assess the ability of the fresh concrete stability test methods to identify hardened concrete uniformity.

The researchers desired to assess the fresh stability tests over the full range of segregation severity, so a total of twenty SCC mixtures and four VC mixtures were placed that would provide varied fresh stability test results and degrees of in-situ uniformity. The twenty SCC mixtures were divided into four approximately equal groups, each of which was tested over a range of segregation severity. The VC mixtures were intended to serve as control mixtures for the four SCC groups. Full-scale testing was conducted on a seven- to eight-day cycle.

### **2.3.2 Mixture Preparation**

To accommodate the fresh concrete stability testing and wall casting for this research, approximately 2.25 yd<sup>3</sup> of concrete were needed for each concrete batch. To account for waste and ensure sampling uniformity, 3 yd<sup>3</sup> were produced for each testing cycle. As it was impossible to mix such a large volume in a single batch at the Auburn University (AU) Structural Engineering Laboratory in the Harbert Engineering Center (“the laboratory”), the majority of batching and mixing took place at the Twin City Concrete plant (“the plant”) in Auburn, Alabama. Certain aspects of mixture preparation thus required the cooperation of Twin City Concrete, while other aspects of concrete production unique to the research project were conducted at the laboratory upon receipt of each batch.

#### **2.3.2.1 Ready-Mixed Concrete Plant Mixing Procedures**

Prior to batching, AU staff gathered samples of coarse and fine aggregate to determine their moisture content at the laboratory. Plant staff then batched all materials except HRWR admixture, VMA, and a predetermined amount of additional water into a ready-mixed concrete truck for mixing and delivery. AU staff added hydration-stabilizing admixture directly into ready-mixed concrete truck before it departed for delivery to the laboratory. Additional mixing took place as the truck drove to the laboratory, a trip that took approximately fifteen minutes. Per AU staff requests, the ready-mixed concrete trucks used minimal mixer rotation during transport.

### 2.3.2.2 Laboratory Mixing Procedures

Upon arrival of the ready-mixed concrete truck at the laboratory, several activities were conducted before discharging the concrete for placement:

- 1) Add a predetermined amount of water (if desired to adjust stability and filling ability) using five-gallon buckets,
- 2) Add an initial dose of HRWRA (every mixture) and VMA (if desired to adjust stability),
- 3) Mix the concrete in the ready-mixed concrete truck for 30 drum revolutions at half of the truck's maximum rotational speed,
- 4) Wait two minutes to allow the dispersed chemical admixtures to take effect, and
- 5) Rotate the mixer to bring the concrete up to a visible level in the truck, and either add additional HRWRA (if visibly necessary to achieve required filling ability), add additional VMA (if visibly necessary to further adjust stability), or dispense a small sample for acceptance testing.

Once the mixture reached the apparent level of filling ability desired, the truck's chute was positioned above a waste container, and a five-gallon bucket of concrete was captured directly from the chute as concrete was discharged into the waste container.

The mixer was not rotated during acceptance testing of the sample, which took approximately four minutes. The chute of the ready-mixed concrete truck was washed before any additional concrete was dispensed in order to remove deleterious material.

Acceptance of each batch of SCC was based on the filling ability and stability as determined by the slump flow test and VSI, and acceptance of each VC batch was based

on the slump test. The goal for the various SCC mixtures was to create concretes that achieved high levels of filling ability (slumps exceeding 25 in.) while exhibiting VSI values ranging from 0.0–3.0. The goal for the four VC mixtures was to obtain the workability necessary for precast, prestressed applications with slumps of 3.5–7.0 inches.

Air content was also tested, although it alone did not disqualify a concrete batch. For example, mixture SCC-1D arrived with an air content of 9.5%, but slump flow and VSI values were similar to previously prepared concretes of the same proportions, and later testing confirmed that SCC-1D reached a slightly lower but still acceptable strength.

In mixtures that did not achieve a minimum of 25 in. of slump flow, or that were more stable than desired for a particular testing cycle, HRWRA was added in 1–3 oz/cwt increments until the SCC exhibited the desired fresh properties. Similar to initial mixing, the adjusted mixture was mixed for thirty revolutions at a slow speed and allowed to rest for two minutes before retesting. Partly because chemical admixture effectiveness would diminish over time, and partly because remixing added air content, no batch was accepted that required more than three dosages of chemical admixture (consisting of an initial dosage plus two additions).

### **2.3.2.3 Sampling for Required Tests**

Once a desirable combination of slump flow and VSI was achieved, the batch was dispensed from the ready-mixed concrete truck into a 1.5 yd<sup>3</sup> placement bucket. During SCC placements, the following placement order was followed:

- 1) Fill a sampling container with enough concrete to perform all fresh concrete stability tests and start to fill strength cylinders.
- 2) Cast the 94-inch-tall wall in a single lift.

- 3) Refill the bucket from the ready-mixed concrete truck.
- 4) Cast the 72-inch-tall wall in a single lift.
- 5) Refill the bucket from the ready-mixed concrete truck.
- 6) Refill the sampling container to finish casting of all strength cylinders.
- 7) Cast the 54-inch-tall wall in a single lift.

During VC placements, the above order of placement was adjusted to accommodate consolidation efforts. Following the recommendations set forth by PCI (2004), lifts of approximately 18 in. were placed and then consolidated using a 1-inch-diameter internal vibrator. The same order of wall placement was followed as previously described for the placement of SCC.

### **2.3.3 Fresh Testing**

From the test methods described in Section 2.2.4, five were selected for further study in this project:

- ASTM C1611 (2005) Visual Stability Index,
- ASTM C1610 (2006) Column Segregation Test,
- ASTM C1712 (2009) Rapid Penetration Test,
- Sieve Stability Test (see Appendix B.1), and
- Surface Settlement Test (see Appendix B.2).

The VSI was chosen because it is the most frequently specified on-site quality assurance test method. The column segregation test was chosen because it is the only

considered test that involves physically determining the aggregate distribution over the height of a sample, and it is an ASTM standardized test method for characterization of the static stability of SCC. The rapid penetration test was chosen because it the fastest test offering a completely objective result and is the most recently ASTM standardized test to assess SCC stability.

The sieve stability test was selected because it is recommended by a European consortium of concrete producers as the primary stability test in Europe (EPG 2005) and was found to characterize stability well by Keske et al. (2013b). The surface settlement test was selected because it is recommended in NCHRP Report 628 (Khayat and Mitchell 2009) as the primary stability test for precast, prestressed SCC and was also found to effectively characterize stability by Keske et al. (2013b). All fresh concrete stability tests were conducted in accordance with the recommendations set forth in Section 2.2.4 or, where available, their respective ASTM standards. The test procedures given in Appendix B were derived from the most current version of test instructions available to the researcher at the beginning of testing in November 2009.

Pairs of each of these five tests were used in conjunction with the casting of the three walls described in Section 2.3.4. A total of 10 ft<sup>3</sup> of concrete was needed to perform all fresh stability testing, so wheelbarrows and plastic-lined boxes with a volume exceeding 16 ft<sup>3</sup> were filled for sampling. The first tests begun were the tests for air content, unit weight, and temperature, all of which were conducted with a single sample. The tests for air content, unit weight, and temperature were conducted only once.

The two slump flow and VSI tests were run consecutively. The two iterations were conducted consecutively so that a single operator could conduct them (to eliminate

between-user variation) while ensuring that the time spent evaluating the VSI of the first sample would not interfere with evaluation of the second sample. Also, rapid penetration testing was conducted on the same sample as the slump flow and VSI during the placement of SCC-1 and SCC-2 and was conducted separately during the placement of SCC-3 and SCC-4. This occurrence is further discussed in Section 2.3.3.1.

The order of filling and initiation of the other tests, in which pairs of samples were tested simultaneously, was as follows:

- 1) Rapid penetration test (when conducted separately),
- 2) Sieve stability test,
- 3) Column segregation test, and
- 4) Surface settlement test.

This order of preparation and initiation was used during every testing cycle. Although fresh properties may not have been identical at the beginning of each fresh test, all tests were initiated quickly enough (within ten minutes) that very little change was expected in fresh concrete behavior. Also, to reduce the risk of time-sensitive changes in the material during the initiation of all tests, hydration-stabilizing admixture was added to each batch in the ready-mixed concrete truck to delay setting until long after wall casting. Information on the hydration-stabilizing admixture, as well the other mixture constituents, is located in Section 2.3.4.4.

### **2.3.3.1 Slump Flow, Rapid Penetration Test, and Visual Stability Index**

During SCC placements, the slump flow test was first performed prior to initiating wall placement (as part of acceptance testing). It was performed again to coincide with the other fresh concrete stability tests, and only the result of that second test was used for analysis. During the placement of the first nine SCC mixtures (SCC-1 and SCC-2), the second slump flow (after beginning the casting of walls) was tested in conjunction with the rapid penetration test and the VSI. Performing all three of these tests simultaneously met the individual time requirements specified for each, so it was convenient to conduct all three tests on the same sample.

During the placement of the latter eleven SCC mixtures (SCC-3 and SCC-4), the slump flow and VSI were conducted on separate samples from those used for rapid penetration testing. This was done because 1) the additional rest period required for the rapid penetration test appeared to occasionally affect the outcome of the VSI test, and 2) additional rapid penetration testing of SCC-3 and SCC-4 was conducted after rest periods of five and ten minutes, which necessitated the simultaneous use of six rapid penetration samples. These additional pairs were conducted to determine if prolonging the rest period of the test would improve the test's accuracy. During the latter eleven tests, each pair of rapid penetration tests was conducted simultaneously.

The apparatus used to perform the slump flow, rapid penetration, and VSI tests are shown in Figure 2.34, reading of the penetration depth during the rapid penetration test is shown in Figure 2.35, and a slump flow test in progress following removal of the rapid penetration test apparatus is shown in Figure 2.36. The rapid penetration test apparatus could not be purchased from a commercial concrete laboratory equipment

supplier, so the equipment was manufactured by an Auburn University machinist to meet all of the requirements of ASTM C1712 (2009).



Figure 2.34: Inverted slump cone and rapid penetration apparatus



Figure 2.35: Penetration depth of 28 mm (1.1 in.) using the rapid penetration test method



Figure 2.36: Performance of slump flow test

### 2.3.3.2 Column Segregation Test

The column segregation test was conducted in accordance with ASTM C1610 (2006) using the apparatus shown in Figure 2.37. The two column segregation tests were started simultaneously using concrete collected from a single sampling container. Although the white column segregation mold shown has four segments, only the top and bottom portions of concrete were collected for comparison—four-part segmentation improved the ease of testing, but ASTM C1610 only requires comparison of aggregate volumes of the top and bottom quartiles.



Figure 2.37: Two column segregation molds used during simultaneous testing

### 2.3.3.3 Sieve Stability Test

The sieve stability test, which measures the percentage of SCC passing through a sieve as it falls from a predetermined height, was conducted according to the procedure outlined in Appendix B.1. As suggested in the European Guidelines for SCC (EPG 2005) to ensure a consistent pouring height, the sieve stability test was operated with the use of the pouring apparatus shown in Figure 2.38.



Figure 2.38: Sieve stability test with pouring apparatus, sieve, and scale

The bucket shown in the figure was marked with a dashed line to indicate the level to which concrete should be filled to meet the required sample volume of ten liters ( $0.35 \text{ ft}^3$ ). The hinging mechanism for the bucket was attached parallel to the forward lip of the bucket so that, regardless of the angle at which the concrete fell from the bucket onto the sieve, the drop height would remain constant at approximately twenty inches.

A waterproof, rubberized scale with a precision of 0.005 lb was used for the sieve stability test. The European Project Group (2005) recommended using a 5 mm (0.20 in.) sieve, but the American equivalent, a No. 4 (0.25 in.) sieve was used instead. This was deemed acceptable considering the literature reviewed in Section 2.2.4.4, as well as

considering the practicality of using a US standard sieve more commonly available in the US than a metric sieve.

During the latter eleven SCC placements (SCC-3 and SCC-4), an additional three pairs of the sieve stability test were conducted as described in Appendix B.1, except that their rest periods were varied. This was done to evaluate the efficiency and applicability of abbreviating the sieve stability test rest time. The three alternative rest times were eighty seconds, five minutes, and ten minutes. These times were chosen to equal the standard rest time for the rapid penetration test (eighty seconds) and provide incremental periods up to the standard sieve stability rest time (fifteen minutes).

#### **2.3.3.4 Surface Settlement Test**

The surface settlement test, which measures the settlement of an acrylic plate into a column of concrete, was conducted according to the procedure outlined in Appendix B.2 and recommended by NCHRP 628 (Khayat and Mitchell 2009). A linear variable differential transformer (LVDT) was recommended by Khayat and Mitchell (2009) to continuously record the settlement of the acrylic plate. However, readings were only necessary every five minutes, and the Auburn University researchers desired to use a measurement instrument offering the least risk of either applying downward pressure or resisting settlement of the surface settlement plate. Therefore, a springless digital dial gauge and springless, analog dial gauge were used. The gauges are shown in Figure 2.39.



Figure 2.39: Surface settlement test equipment with (*left*) digital indicator and (*right*) analog dial gauge

The gauges displayed displacements of up to 2 in. with a precision of 0.0001 in., which met the requirements of Khayat and Mitchell (2009). The gauges were supplied by Chicago Dial Instruments. The digital gauge was a Logic Basic model BG2720, and the analog gauge was an AGD Group 3 model 53500CJ. In both, removal of the return spring meant the measurement rod was able to fall freely as the plate settled. The rod weighed one gram, which was accounted for in manufacturing an acrylic settlement plate of the required weight.

The surface settlement testing apparatus shown in Figure 2.40 consisted of four pieces. The main column portion of the mold was split vertically and then sealed with a rubber gasket. The removable base was also sealed with a rubber gasket. This made it possible to disassemble the apparatus after each sample hardened in the mold. The portion of the mold housing the dial indicator was detachable and was attached after filling the mold. This made quick filling and strike-off of the concrete at the top of the mold possible without risk of damaging the indicator, and it made disassembly and removal of the hardened sample more convenient.



Figure 2.40: Four-piece constructed surface settlement test apparatus

### **2.3.3.5 Other Fresh Concrete Stability Tests Considered**

#### **2.3.3.5.1 Rheological Testing**

Rheological testing, which involves testing of fresh SCC or sieved mortar to determine yield stress and viscosity, was considered for use as both a potential indicator of stability and as a benchmark against which to assess the fresh concrete stability tests. However, after reviewing the literature described in Section 2.2.4.8, the research team decided against using rheological testing for the following reasons:

- Rheological testing would only indirectly assess stability, and the relationship between rheological properties and stability is unclear (Assaad et al. 2004; Koehler et al. 2007)
- The least expensive rheological testing equipment available to the research team would have cost more than all other equipment combined, and
- For similar equipment costs, the researchers felt that UPV testing would be more valuable because it could comparatively assess as-placed concrete uniformity.

#### **2.3.3.5.2 Wire-Probe Penetration Testing**

The wire-probe penetration test, like the rapid penetration test and the multiple-probe penetration test, involves measuring the settlement of a probe into a sample of SCC. The research team decided not to incorporate the test because it offered little advantage over the rapid penetration test. Reasons for its exclusion were that

- The test method is specified by only one state DOT, and documentation of its use is limited,
- It measures the same segregation mechanism as an alternative (the rapid penetration test) whose use is standardized by ASTM, and
- It does not incorporate any form of stabilization to ensure that the wire probe would settle directly downward into the sample.

#### **2.3.3.5.3 Multiple-Probe Penetration Test**

The multiple-probe penetration test is similar to both the rapid penetration and wire-probe penetration tests in that it involves measurement of a probe's settlement into SCC (El-

Chabib and Nehdi 2006). After preliminary testing for this research (Keske 2011), the research team decided not to evaluate the test further because it performed relatively poorly compared to the other evaluated tests. Reasons for its abandonment were that

- The test method is not specified or standardized by any organization and documentation of its use is limited,
- It measures the same segregation mechanism as an alternative (the rapid penetration test) whose use is standardized by ASTM, and
- It was found during preliminary testing (Keske 2011) to lack adequate stabilization to ensure that the probes would settle vertically into the sample.

#### **2.3.4 Hardened Concrete Testing**

During each testing cycle, hardened concrete testing (UPV, pullout, HVSI, and DIA testing) was conducted on walls to establish the level of in-situ uniformity of each concrete mixture, and strength cylinders were cast to establish each concrete's strength profile. The construction and testing considerations for these activities are described in the following subsections.

##### **2.3.4.1 Large-Scale Wall Construction**

Since section height can potentially affect the degree of segregation, specimens of three heights were cast, each matching the height of a typical precast component:

- 54 in. to match an AASHTO Type IV or AASHTO/PCI BT-54 bridge girder,
- 72 in. to match an AASHTO Type VI or AASHTO/PCI BT-72 bridge girder, and
- 94 in. to match an AASHTO-PCI-ASBI 2400-1 standard segment.

The wall heights selected changed in approximately even increments, making it possible to observe height-based trends in segregation. While some dynamic segregation could occur during the filling of the walls, height trends were primarily due to static segregation rather than variable dynamic effects of free-fall placement because a trunk was used to place concrete in the 94 in. and 72 in. walls. This trunk limited the free-fall drop height in those walls to less than 60 in., in accordance with the guidelines for free-fall placement of concrete set forth in *AASHTO Bridge Construction Specifications* (2010) Section 8.7.3.1.

Thirty-six in. walls were also cast from the SCC-1 and SCC-2 mixtures, as further described by Keske et al. (2013b). The 36 in. walls did not contain any pullout specimens, and they were only tested for UPV uniformity. Their use was abandoned prior to the testing of SCC-3 and SCC-4 because their uniformity never varied as greatly as that of the taller walls, and the absence of pullout bars limited their value for comparison to fresh concrete stability test results.

#### **2.3.4.1.1 Geometry Requirements of Walls**

A consistent width and thickness of 40 in. and 8 in., respectively, was utilized in all walls. These dimensions, as well as the location of form ties and hoist anchors permanently cast into the walls, were selected primarily in consideration of the hardened concrete testing configuration desired. The details of those configurations are described in Sections 2.3.4.2 and 2.3.4.3. As explained in those sections, a lateral distance of at least 4 in. was kept between each UPV reading location and the nearest pullout bar, form tie, or wall edge, and 8 in. was kept between pullout bars.

Selection of a wall width of 40 in. thus made it possible to test five vertical lines of UPV measurement locations and four vertical lines of pullout bars, alternating each vertical line with a lateral spacing of 4 in. on-center. A thickness of 8 in. was selected for all walls based on past studies and testing configurations identified in Sections 2.2.3.2 and 2.2.3.3 and on the calculation that unreinforced walls of that thickness would be structurally sound under flexural and tensile loads encountered during maneuvering and testing.

Threaded-rod form ties were used to control the outward deflection of forms under the pressure exerted by the fresh concrete. The 94 in. wall used eight ties, the 72 in. wall used six, and the 54 in. wall used four. These ties, and hoist anchors cast into the walls to assist in lifting and moving, were all placed to keep at least 4 in. clear spacing to any UPV measurement location and at least 3 in. clear spacing from the nearest pullout bar. The minimum clear spacing between parallel reinforcement required by ACI 318 (2011) to allow uninhibited placement was 1 in., which was exceeded in all cases.

#### **2.3.4.1.2 Wall Handling Conditions**

All joints within each wall, including joints between pieces of formwork and points of entry for form ties and pullout bars, were sealed with Type I silicone. To ease form removal and to promote longevity of the formwork, a release agent was sprayed on all inner form surfaces after the form joints and form ties were sealed with silicone but before pullout bars were positioned.

Forms were removed two days after casting. As described in Section 2.2.3.2.2, UPV testing for the purpose of comparative uniformity testing is most effective at very

early ages. An age of two days was selected as a compromise between early-age testing needs and strength needs to ensure that the walls would be sufficiently strong during form removal and moving. Although the completion of form removal typically took two hours, all form ties and joints were loosened at 48 hours to allow exposure to laboratory humidity and temperature conditions.

As seen in Figure 2.41, two parallel lines were used during this testing: one for form erection and casting and one for wall storage and testing. During each casting cycle, the walls were lifted by the still-attached formwork in the first line, moved to the second line, anchored into place, and then stripped of all formwork. Work crews began stripping the formwork from each wall while the next wall was being moved and anchored, which allowed for UPV testing of the walls to be conducted continuously at as close to an age of forty-eight hours as possible.



Figure 2.41: Parallel lines of cast walls and formwork

After the forms were removed, wax construction pencils were used to mark a UPV measurement location grid onto each wall, and UPV testing was conducted as soon as possible thereafter. The walls were then left in this position until an age of at least six days, after which they were moved to a third location and laid horizontally in order to conduct pullout testing at a concrete age of thirteen days. The walls were left in a vertical orientation for as long as possible in order to limit the risk of damage from loads that could occur either while being moved or while supported horizontally prior to testing.

To tip the walls from their as-cast vertical orientation to the horizontal orientation needed to conduct pullout testing, metal plates were loosely attached to hoist anchors that were cast horizontally near the top of each wall (points of bracing attachment in Figure 2.41). The walls were then lifted by the plates with an overhead crane, moved into place on concrete blocks, and tipped over to lie horizontally on the concrete blocks. Local stresses from lifting were only experienced near the points where hoist anchors were cast into the walls, which were always at least 8 in. from the nearest pullout specimen location. While on the blocks, the walls rested on rubber pads that were aligned near their corners. This support system was used to limit the flexural stresses experienced by the walls while in a horizontal orientation and to ensure adequate clearance for instrumentation during pullout testing.

#### **2.3.4.2 Ultrasonic Pulse Velocity Testing**

Ultrasonic pulse velocity (UPV) testing was conducted on each group of walls two days after casting. The testing equipment used, shown in Figure 2.42, was a Pundit Plus portable ultrasonic instrument from Germann Industries. Following the testing

recommendations of Section 2.2.3.2, the Pundit Plus was configured for continuous 54 kHz testing. It displayed ten readings per second at a precision of  $\pm 0.1$  microseconds. An alcohol-based ultrasound jelly was used between each metal coupler and wall surface to create a continuous ultrasound path, and the couplers were pressed firmly against the wall surfaces until an unchanging reading was observed.



Figure 2.42: Ultrasonic pulse velocity testing equipment

Rows of UPV and pullout testing were approximately uniform, with slight variations to avoid pullout bars and form ties. As mentioned in Section 2.2.3.2, UPV testing through concrete at 54 kHz requires a minimum of 2.8 in. of clear spacing to the nearest obstacle oriented parallel to the direction of wave transmission. Typical spacing between UPV measurement points was six to eight inches, and no point was located less than four inches from the nearest edge or obstacle. The configuration was changed

slightly prior to the testing of SCC-3 and SCC-4 to normalize the spacing of UPV measurement locations. The configuration used during testing of SCC-1 and SCC-2 is shown in Figure 2.43, and the configuration used during testing of SCC-3 and SCC-4 is shown in Figure 2.44.

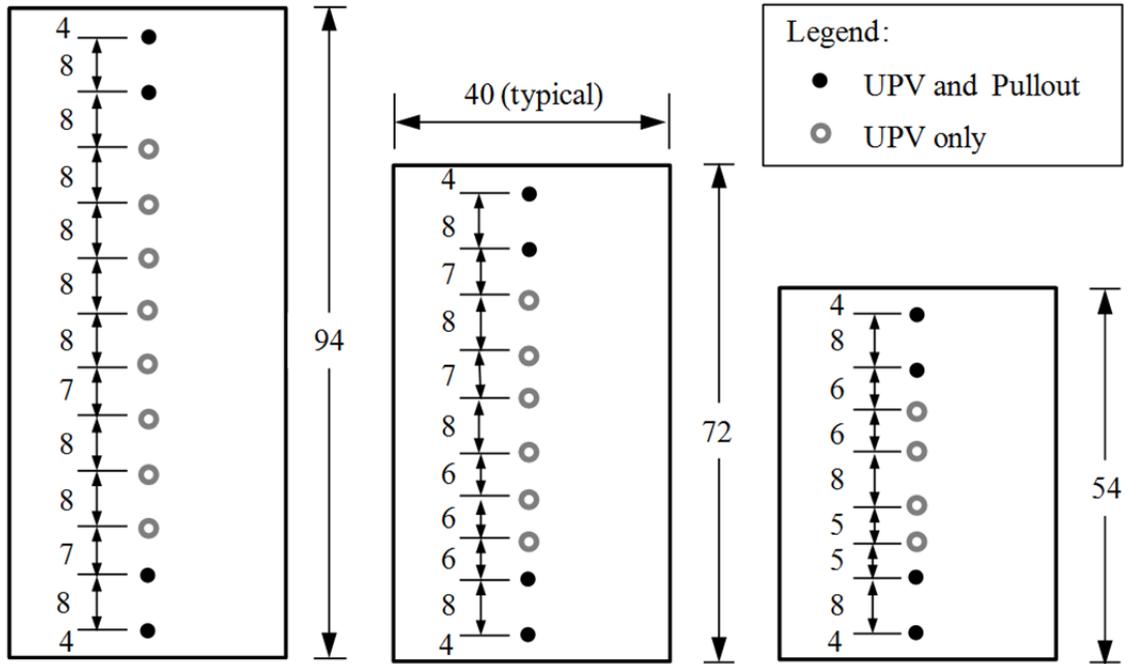


Figure 2.43: Location of UPV measurement and pullout testing locations on SCC-1 and SCC-2 walls (Note: All measurements in inches)

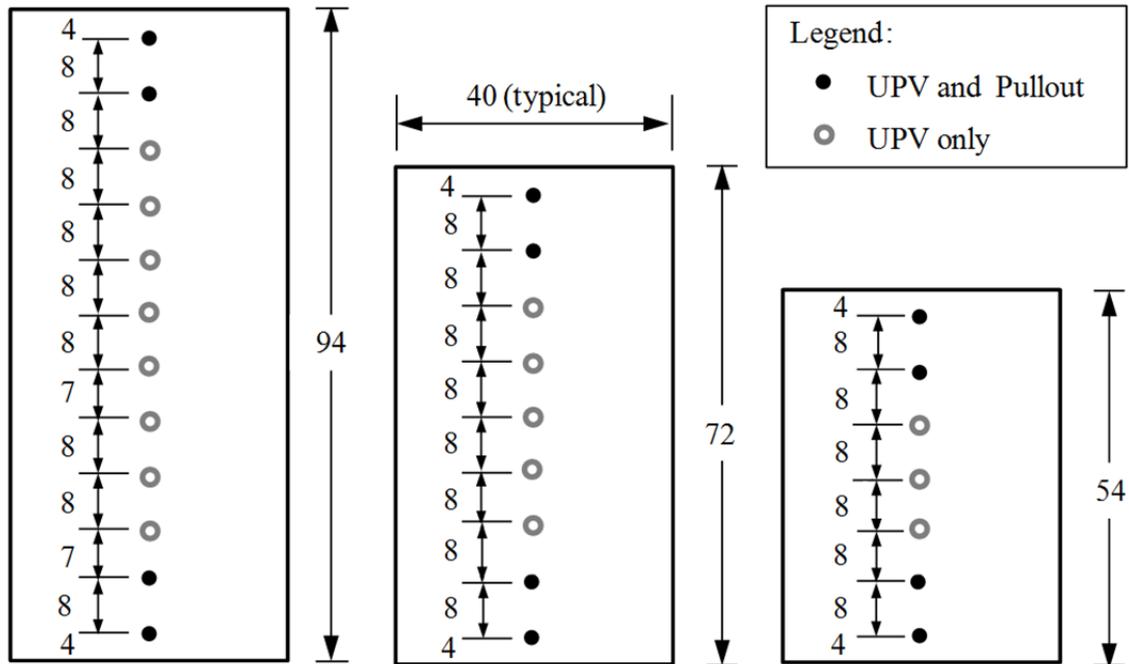


Figure 2.44: Location of UPV measurement and pullout testing locations on SCC-3 and SCC-4 walls (*Note: All measurements in inches*)

UPV measurement points were labeled to ensure proper location of wall thickness measurements necessary to calculate pulse velocities. The caliper used to measure wall thicknesses is shown in Figure 2.45. The caliper was constructed by welding parallel rectangular steel tubing  $9 \pm 0.01$  in. apart. One leg of the caliper was laid flush with one side of the 8 in. thick wall, and a  $1/100^{\text{th}}$  in. gradation steel ruler was used to read the distance from the other side of the wall to the inner face of the second leg. Using this system, the wall thickness at each UPV test location was measured with a precision of  $\pm 0.02$  in., which falls well within the precision required by ASTM C597 (2002).



Figure 2.45: Measurement of wall thickness using (*top*) a caliper and 1/100<sup>th</sup> in. gradation ruler and (*bottom*) orientation of caliper

### 2.3.4.3 Pullout Testing

Pullout testing was conducted on the walls thirteen days after casting. The location of each four-bar row of pullout bar specimens is noted in Figure 2.43. In addition to the four rows illustrated in the figure, Keske et al. (2013b) document the use of a third group of eight pullout specimens near the middle of the height of the walls cast with SCC-1 and SCC-2. The use of this middle group of bars was abandoned prior to casting SCC-3 and SCC-4 for several reasons: 1) no pattern in pullout strength over height was enhanced by the inclusion of these bars, 2) SCC-1 and SCC-2 mixtures could be reevaluated such that evaluation of their uniformity would mirror that of SCC-3 and SCC-4, and 3) testing of additional mixtures was made possible by reducing the number of pullout specimens necessary for each cycle of testing.

To ensure adequate cover as described in Section 2.2.3.3, the top and bottom rows of bars were located four inches from the top and bottom of each wall. A distance of eight inches was employed between each vertical line of bars so that

- An 8 in. wide reaction frame would be equally spaced between the bar being pulled out and the nearest adjacent bars,
- A 4 in. radius would be kept between the reaction frame and pullout bar in order to dissipate potential confining forces, and
- A 4 in. radius would be kept between the nearest UPV testing location and any pullout bar, as previously explained in Section 2.3.4.2.

#### 2.3.4.3.1 Configuration of Bars

Pullout testing for this project was conducted using No. 4 reinforcing bars from two batches provided by Nucor Steel, Inc. of Birmingham, Alabama. The batches exhibited a yield stress of 68 ksi in tensile testing by Nucor, which was confirmed by the AU researchers through the tensile testing of randomly selected bars from the batch.

Based on the past research described in Section 2.2.3.3, a bonded length of  $2.5 d_b$ , or 1.25 in., was selected in order to ensure a shearing pullout failure of the concrete, instead of splitting or conical failure. The short bonded length also limited the possibility of steel yielding due to the bond strength of this high-strength concrete. A pullout specimen prepared with a 1.25 in. long debonded region is shown in Figure 2.46. This preparation involved several steps:

1. Nonabsorbent paper was first cut into 1.25-inch-wide strips after being marked with a  $1/100^{\text{th}}$  in. gradation steel ruler.
2. After the bar was cleaned, the paper was taped to the desired location along the length of the pullout specimen,
3. At least one inch on either side of the paper was coated with Type I silicone,
4. After allowing the silicone to dry for at least one day, the paper was peeled away, leaving an exposed length of  $2.5 d_b$  enclosed on both ends by permanent silicone.
5. Lastly, commercially available strand-debonding sheathing was placed on both sides of the exposed section (over the silicone) and securely taped into place using electrical tape.



Figure 2.46: 1.25 in. bonded region of a No. 4 rebar ready for casting into concrete

Once it was encapsulated in concrete, the bonded region of steel began 4 in. away from the loaded face of the concrete wall, similar to the configurations used by Khayat (1998) and Sonebi and Bartos (1999). Unlike those configurations, the end of the bonded region was not flush with the unloaded face of the wall. It was decided that placing the bonded region close to the middle of the wall thickness would remove the risk of uncharacteristic pullout behavior from two sources: different collection of bleed water and aggregate at the face of the wall, and flexural stresses experienced by the wall under its own weight. The surface friction and the preferred orientation of aggregate at the face of the wall could lead to irregularity at this face, and flexure experienced by the wall in a horizontal, simply supported orientation could place the concrete near the top face in compression while reducing the compression at the bottom face of concrete.

To both accommodate sealing the other joints and avoid contaminating the pullout bars with form release agent, the pullout bars were placed in the erected formwork after the forms had been sealed and sprayed. Consequently, insertion of the bars was the last activity performed before placement of concrete, leaving at least twenty-four hours between when the bars were sealed with Type I silicone on the outer face of the formwork and when the concrete was cast.

#### **2.3.4.3.2 Configuration of Pullout Testing Equipment**

Both the 8 in. tall reaction chair and the center-hole hydraulic cylinder (jack) used in this research project, as well as the aluminum load cell and chuck placed above them, are shown in Figure 2.47. This configuration was based on the configuration used by Khayat and Mitchell (2009), which was shown in Figure 2.15. The load cell had a precision of  $\pm 0.5$  lb and was capable of resisting up to 40,000 pounds of compressive force. The jack, with a capacity of 120,000 pounds, was operated with an air-powered hydraulic pump.



Figure 2.47: Chuck, load cell, hydraulic jack, and 8-inch-tall reaction chair

Loading was displacement-controlled by controlling the airflow into an air-powered hydraulic pump serving a 120,000-pound center-hole hydraulic cylinder (jack). Displacement of the unloaded end of the pullout bar was measured using a linear displacement potentiometer. Loading was not discontinued until the free-end slip of the bar was more than double the slip at maximum pullout force. Only one of the more than 1,100 tested bars yielded before reaching its maximum pullout force. In that occurrence, pullout force plateaued and free-end slip ceased while the jack continued to extend. That

result was not used in analysis, as the uniformity of bond stress could have been affected by yielding of the steel bar.

The pullout testing apparatus, illustrated in its entirety in Figure 2.48, made it possible to pull out each bar with minimal additional confining pressure, without damaging the surrounding concrete, and without causing dynamic loading effects. An Optim MEGADAC data acquisition system was utilized for all data collection. Time, load, and slip were instantaneously displayed by the acquisition system and were viewable during testing, which made it possible to monitor and record load and free-end slip. The research team was thus immediately made aware of equipment malfunction, bar yielding, or testing completion.

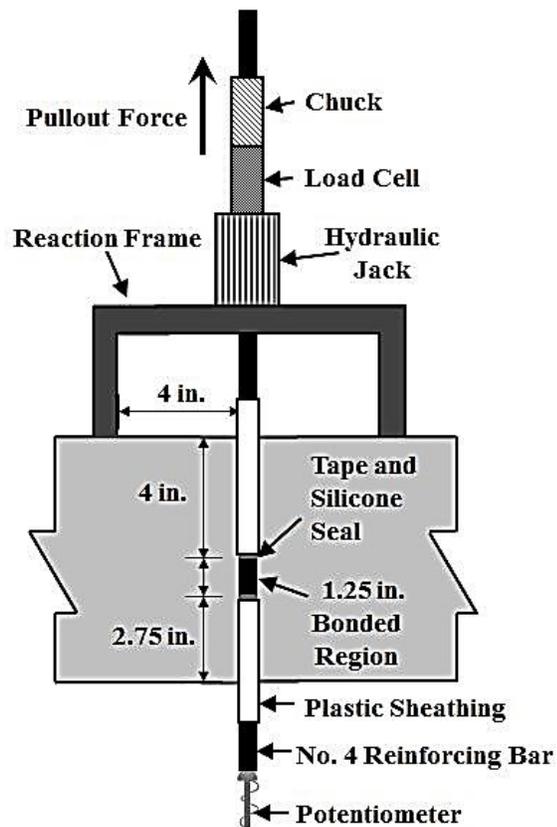


Figure 2.48: Pullout testing configuration

Based on small-scale trial pullout testing, a relationship between bond strength and concrete compressive strength was determined to estimate the necessary minimum yield strength of the rebar (68 ksi) and maximum compressive strength of the concrete (12,000 psi) that would prevent steel yielding during testing. This relationship was corroborated by research results from Khayat (1997) and Stocker and Sozen (1970). These strengths were taken into consideration when selecting concrete mixture proportions, which are described in Section 2.3.5, and when choosing to use deformed bars instead of seven-wire strand.

#### **2.3.4.3 Use of Deformed Bars Instead of Seven-Wire Strand**

SCC to be used for precast, prestressed applications was the primary focus of this project, so seven-wire prestressing strand was the first choice for pullout testing. Although Khayat et al. (2003) and Stocker and Sozen (1970) tested strand, the Auburn University researchers were unable to prevent an unwinding failure of seven-wire strand when a bonded length of  $2.5 d_b$  was used. As described in Section 2.2.2.5, bond to seven-wire strand depends on torsional forces exerted as the strand attempts to rotate through the concrete. The Auburn University researchers observed visible twisting of strand as it was removed, and maximum pullout force observed was only a small percentage (less than 10%) of the force observed when pulling out deformed steel reinforcement of the same diameter (0.5 in.).

As mentioned by Stocker and Sozen (1970), a pullout failure of this type indicates that the concrete surrounding the strand is only bonded to the strand by adhesion and surface friction, not by mechanical interlock. Deformed steel reinforcement, on the other

hand, is mechanically locked into the surrounding concrete because of its deformations, as illustrated in Figure 2.13. Because an unwinding, slipping failure cannot occur in this situation, shear failure occurs in the surrounding concrete, which is ideal for studying the quality of that concrete (or lack thereof, if affected by segregation). For that reason, it was decided that, as also done by Khayat (1998), Khayat et al. (1997), and Sonebi and Bartos (1999), deformed steel reinforcement would be used for pullout testing in this research program.

Concrete failure may have been induced by using longer bonded lengths of strand, which was possible in consideration of the strength of the strand (longer bond lengths would not yield the strand). However, because short bonded lengths were preferred in order to approximate a uniform bond stress, the use of deformed bars was deemed acceptable and appropriate for this project.

#### **2.3.4.4 Hardened Visual Stability Testing and Digital Image Analysis**

Hardened visual stability testing and digital image analysis of the 72 in. walls cast with SCC-3 and SCC-4 were conducted following completion of UPV and pullout testing. While coring was not available during the casting of SCC-1 and SCC-2 due to time and equipment constraints, the Auburn University researchers added coring during the testing of SCC-3 and SCC-4 once resources became available for it. Four-inch-diameter cores removed from the top and bottom of the 72 in. walls. Only 72 in. walls were cored because of time, effort, and storage constraints, as the coring and analysis took an extended amount of time.

Described in Section 2.2.3.1, coring of large-scale elements provides a direct, visual means of determining the uniformity of hardened concrete. Visual assessment of the HVSI is standardized by AASHTO PP-58 (AASHTO 2012), and numerous researchers (Johnson et al. 2010; Khan and Kurtis 2010; and Lange et al. 2008) have utilized digital image analysis of specimens to study hardened uniformity of SCC. The use of cores to determine strength uniformity, however, was not employed after considering the difficulties described in Section 2.2.2.4.

#### **2.3.4.4.1 Coring Configuration**

Coring for this project was conducted using a commercially-available coring apparatus with a diamond-embedded 4.0-inch-diameter coring barrel. This coring barrel diameter was selected in light of the orientation of the cores, which is shown in Figure 2.49. As shown in the figure, the cores were extracted parallel to the direction of casting near the middle of the wall thickness. One core was always taken at the middle of the width of the wall (in the 40-inch direction), and the other was taken approximately 8 in. to one side of this core. Thus, the cores paralleled two of the five vertical UPV measurement lines and bisected vertical pullout specimen lines. This coring orientation had several advantages:

- The cores were directly in line with UPV measurement locations, which, like in the UPV measurements, should limit interference from nearby pullout specimens,
- No planes through the cylinder exposed regions of concrete near the broad faces of the walls (where preferred aggregate alignment and formwork friction could affect apparent uniformity),

- Cores with a height-to-width ratio of 2:1 in the direction of casting were able to be acquired as recommended by AASHTO PP-58 (AASHTO 2012), and
- The 2:1 height-to-width aspect ratio of the cores in the direction of casting allowed more accurate inspection of any height-based trends in segregation.

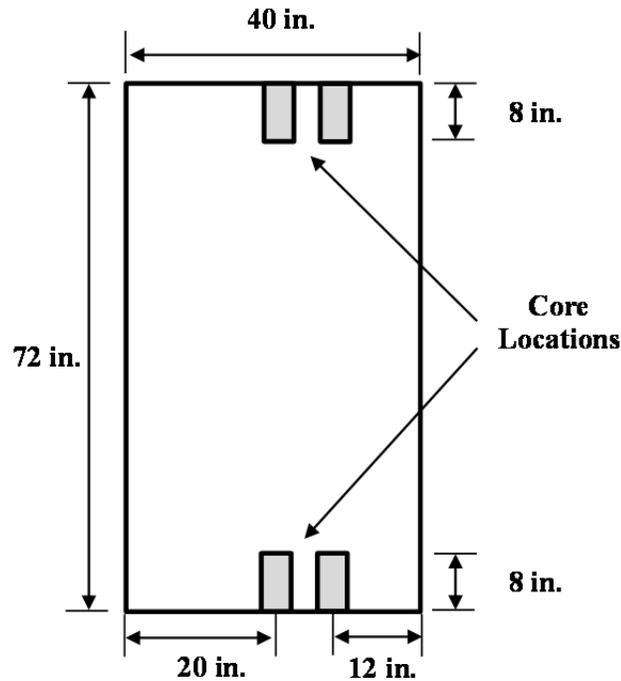


Figure 2.49: Core extraction locations

Following their extraction, the cores were cut vertically along a randomly selected plane that passed through the center of the core. While this cutting direction differed from that used by Johnson et al. (2010) (they cut cores into circular discs), it was the direction specified for assessment of the HVSI according to AASHTO PP-58 (2012). A randomly selected plane was deemed acceptable for two reasons: 1) any randomly selected plane should expose an approximately equal distribution of constituents given the orientation of the cores, and 2) AASHTO PP-58 gives no guidance on this topic.

Four cores were extracted from each wall (two from the top and two from the bottom of each), which yielded eight potentially assessable surfaces upon cutting. However, within each core, the two surfaces were only separated by the thickness of the saw blade used to separate them. Thus, they may not be independent samples, so only one randomly selected surface from each exposed pair was used in all testing. The same surface was used for HVSI and DIA testing in order to assess potential relationships between the tests.

#### **2.3.4.4.2 Assessment of the Hardened Visual Stability Index**

AASHTO PP-58 (2012) suggests that, when using cores to determine the HVSI, the cores be taken from the top-cast portion of concrete. Therefore, only two surfaces were evaluated per SCC-3 and SCC-4 mixture. Four individuals were trained to assess the HVSI by review of information in AASHTO PP-58 and Section 2.2.3.1 and by assessment of cores not used for this research. They were each then allowed to independently assess all of the specimens collected from SCC-3 and SCC-4. The individuals were shown the specimens in a random order, and they were given no indication of the other fresh or hardened results measured in each represented mixture.

#### **2.3.4.4.3 Digital Image Assessment**

Digital image assessment was the final hardened concrete test method conducted for each concrete mixture. The fifty-two specimens (four from each of eleven SCC and two VC walls) were prepared for DIA using the following procedure:

1. The surfaces were coarsely sanded using a concrete grinding stone in order to remove surface irregularities left by the concrete saw,
2. They were then finely sanded using a silica-based 100-grit sandpaper in order to remove any fine-to-moderate surface scratches left by the grinding stone,
3. Contrast between the cement and aggregate was enhanced by spraying the surfaces with phenolphthalein diluted to a 1:1 ratio with ethyl alcohol, and
4. Dust and residue were then removed by wiping the specimens with a 300-grit abrasive sponge.

The above procedure is in line with recommendations discussed in Section 2.2.3.1. After completing the above steps, the specimens were scanned in RGB color at 300 dpi using a commercially-available flatbed scanner. All subsequent analysis was conducted with the assistance of *ImageJ*, an open-source digital image editing software package. The primary hardened property analyzed with DIA was coarse aggregate surface area percentage. This measurement was chosen because

- Researchers could visually confirm, in the actual specimens, any digitally identified coarse aggregate,
- Coarse aggregate content is simpler to assess and simpler to interpret than coarse aggregate gradation (Johnson et al. 2010), and
- DIA was affected differently by mixture variation than UPV measurements, which depend on a wide range of factors (air content, localized  $w/cm$ , relative strength of paste to aggregate, etc.).

In order to assess coarse aggregate content in the region (see Section 2.2.2.3), coloration thresholds, image refinement algorithms, and particle size filters and were applied to each image. The red, green, and blue thresholds for binary conversion had to be varied to meet the unique properties of each image. This variability is well-documented in Section 2.2.3.1, and it precluded the use of standardized color thresholds. The results of RGB conversion were always confirmed by visual comparison to the physical specimen being studied, as shown in Figure 2.50.

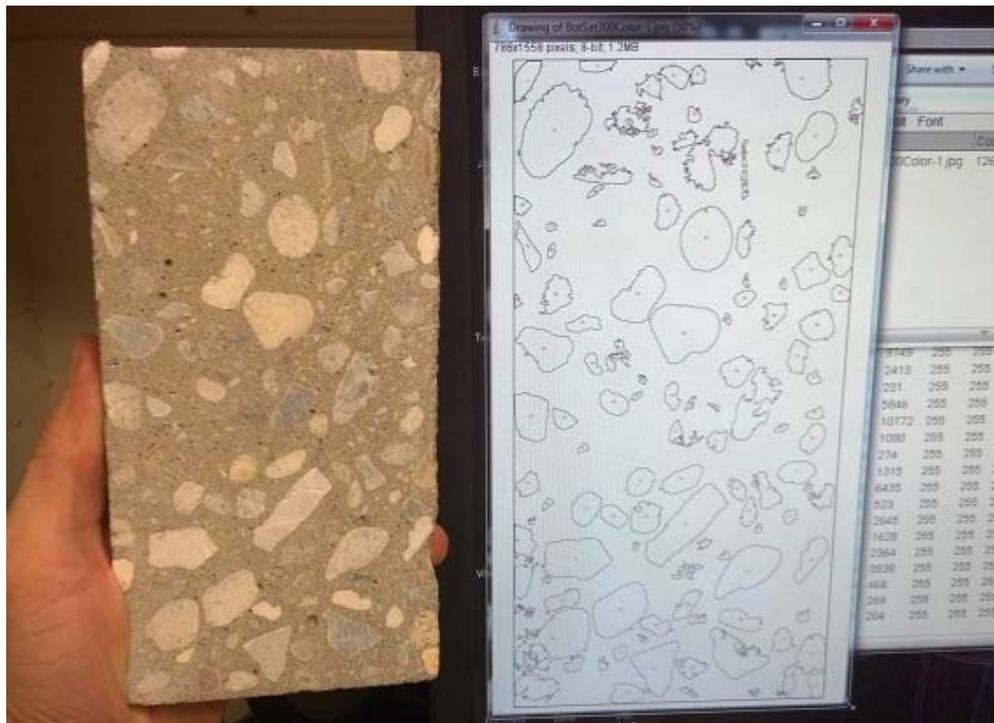


Figure 2.50: Comparison of actual specimen to digital identification of coarse aggregate

Areas of less than a 10-pixel (0.033 in.) diameter were filled to match their surroundings, as shown in Figure 2.51. Removal of these particles, or despeckling of the image, only affects air voids and scanner static. Despeckling smoothed and heightened the contrast between coarse aggregate and their surroundings. Also, as cross-sectional

area measurements were based on total highlighted pixels, more accurate area measurements were obtained by despeckling of coarse aggregate (which would have no internal voids).

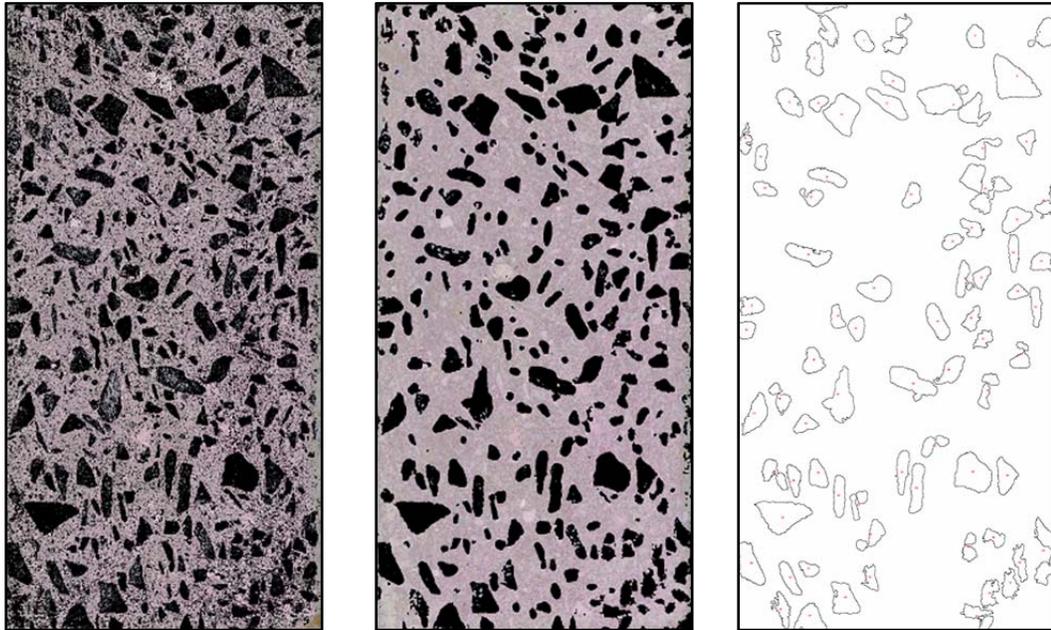


Figure 2.51: Scanned image of concrete (*left*) after binary conversion, (*middle*) after despeckling of image, and (*right*) after identification of coarse aggregate particles

The minimum area which would be identified as coarse aggregate was 2700 pixels. This corresponded to an area of  $0.03 \text{ in.}^2$ , which equals 75% of the sieve-opening area of a No. 4 sieve. According to ASTM C33 (2011), no less than 95% of fine aggregate passes the No. 4 sieve. The researchers decided to use 75% of that area to identify coarse aggregate because angular coarse aggregate whose average diameter is less than that of a No 4 sieve opening may still be retained. It was also in line with the practices of Fang and Labi (2006) and Shen (2007).

After these thresholds were applied, a preprogrammed algorithm of *ImageJ* was used to find the percentage of the image highlighted as coarse aggregate. This process was applied to all four specimens per mixture.

#### **2.3.4.5 Compressive Strength Assessment**

Standard 6-inch-diameter by 12-inch-high cylinders were cast for each mixture. They were used for compressive strength testing at each of the following ages: two days, to coincide with form removal and UPV testing; thirteen days, to coincide with pullout testing; and twenty-eight days, to establish a standard compressive strength for each mixture. SCC cylinders were cast in a single lift by pouring the concrete from a five-gallon bucket in a steady motion, filling the molds in  $3 \pm 1$  seconds. No rodding or consolidation was used, but the outside of each mold was lightly tapped with a rubber mallet to remove any air pockets caught against the inside of the mold walls.

Molds were removed from the cylinders at the same time as form removal, at two days. The cylinders were then left adjacent to the walls so that they would be exposed to similar laboratory drying and curing conditions.

#### **2.3.5 Mixtures and Raw Materials**

Two of the self-consolidating concrete mixtures used for this research, SCC-1 and SCC-2, were based on mixture proportions developed by Schindler et al. (2007) for precast, prestressed applications. To expand the applicability of the results to mixtures that could be expected in SCC construction, an additional two, SCC-3 and SCC-4, were developed by augmenting the coarse aggregate portion of SCC-1 and SCC-2. SCC-3 used the same

aggregate type (crushed limestone typical of Alabama precast, prestressed construction) but a reduced total aggregate fraction. SCC-4 was very similar to SCC-3, except that it used uncrushed siliceous river gravel.

Each of these primary mixtures was accompanied by several mixtures that were deliberately adjusted to obtain varying levels of stability. Vibrated concrete was also proportioned to mimic the early-age strength characteristics of each primary SCC mixture while exhibiting workability suitable for precast, prestressed applications. A total of twenty-four concrete mixtures were used—twenty SCC mixtures and four VC mixtures.

#### **2.3.5.1 Mixture Proportions**

The mixtures reviewed in Section 2.2.1 generally contain a high powder content, high *s/agg* ratio, low *w/cm*, and moderate-to-low total aggregate content. They also tend to contain large amounts of HRWRA, and, less frequently, VMA. As stated in that section, these proportions tend to result in concrete that is highly flowable and that attains high compressive strengths.

SCC-1 was proportioned to achieve relatively higher strength but less flowability, and SCC-2 was proportioned to achieve moderate strength and higher flowability. SCC-3 was proportioned to mimic both SCC-1 and SCC-2, but with a total aggregate fraction of approximately 60%. This aggregate content was selected to provide contrast to SCC-1 and SCC-2, both of which contained aggregate fractions above 65%, and to clearly meet the limitations of the rapid penetration test (ASTM C1712 2009), which was developed for use only in mixtures with less than 65% total aggregate volume.

From each of these four mixtures, other mixtures of the same cementitious content, aggregate content, and aggregate proportioning were created with varying stabilities. The stability was adjusted by changing the water content, HRWRA dosage, or VMA dosage, or by changing a combination of them. The majority of SCC-1 and SCC-2 mixtures were proportioned with stabilities whose acceptance would be marginal. This is the apparent stability at which the use of quantitative, less subjective fresh concrete stability tests should be most beneficial. SCC-3 mixtures were proportioned to complement the SCC-1 and SCC-2 mixtures, and SCC-4 mixtures were proportioned to exhibit a wide range of stabilities while utilizing a different coarse aggregate source.

Four VC mixtures were selected as control mixtures to mimic each primary SCC mixture. The control mixtures employed a higher  $w/cm$ , lower  $s/agg$ , and different coarse aggregate gradation than the SCC mixtures. These changes were selected because VCs typically employ a larger gradation of stone ( $3/4$  in.) and lower  $s/agg$  than recommended for SCC. Still, the following were expected: that each mixture's slump and early-age compressive strength would be relevant to the represented SCC, and their proportions relative to each other would mirror the differences between the SCCs.

As stated in Section 2.3.2.1, a hydration-stabilizing admixture was used in all mixtures. This dosage was not varied, and it was the minimum effective dosage recommended by the manufacturer. The proportions used are shown in Table 2.3 at the end of Section 2.3.

### 2.3.5.2 Raw Materials

Materials used for this project were all locally available and met the recommendations set forth in Section 2.2.1. Lafarge Type I portland cement was used because Type III portland cement is characterized by rapid setting and early-age strength gains. This could have jeopardized the researcher's ability to initiate all fresh tests while the concrete was still in the dormant period, and the use of Type III portland cement offered no long-term benefits over Type I portland cement in terms of testability.

Some of the mixtures (all SCC-2 mixtures and approximately half of SCC-3 and SCC-4 mixtures) incorporated a 30% replacement of Type I portland cement with Class C fly ash. This offered the possibility of producing concrete with a different characteristic workability and reaction to adjustments in stability modifiers (water, HRWRA, and VMA).

The coarse aggregate used for SCC-1, -2, and -3 matched the No. 78 gradation crushed limestone used in earlier studies of SCC conducted at Auburn University (see Section 2.2.1.1). SCC-4 was proportioned with No. 67 ( $\frac{3}{4}$  in. NMSA) uncrushed river gravel. It was selected to expand the applicability of the fresh and hardened property assessment and because it offered the possibility of producing a concrete with a different fresh behavior.

Crushed limestone for SCC-1, -2, and -3, as well as matching VC control mixtures VC-1, VC-2, and VC-3, was supplied by Vulcan Materials of Calera, Alabama. Uncrushed river gravel for SCC-4 and VC-4 was supplied by Martin-Marietta Materials of Shorter, Alabama. Fine aggregate was well-graded natural sand taken from the ready-mixed concrete plant's general supply.

Table 2.3: Concrete mixture proportions

<b>Mixture ID</b>	<b>Cement (pcy)</b>	<b>Fly Ash (pcy)</b>	<b>Water (pcy)</b>	<b>w/cm</b>	<b>Coarse Agg. (pcy)</b>	<b>Fine Agg. (pcy)</b>	<b>sand/total agg</b>	<b>total agg. vol. (%)</b>	<b>HRWRA (oz/cwt)</b>	<b>VMA 1 (oz/cwt)</b>	<b>VMA 2 (oz/cwt)</b>
<b>VC-1</b>	640	0	270	0.42	1,977	1,167	0.37	67.6	11	0	0
<b>SCC-1A</b>	750	0	270	0.36	1,680	1,342	0.44	66.9	6	2	0
<b>SCC-1B</b>	750	0	310	0.41	1,680	1,342	0.44	67.1	6	2	0
<b>SCC-1C</b>	750	0	295	0.39	1,680	1,342	0.44	62.8	11	2	0
<b>SCC-1D</b>	750	0	270	0.36	1,680	1,342	0.44	60.8	9	0	0
<b>VC-2</b>	450	190	290	0.45	1,935	1,125	0.37	67.4	2	0	0
<b>SCC-2A</b>	475	200	270	0.40	1,663	1,360	0.45	64.8	11	0	0
<b>SCC-2B</b>	475	200	270	0.40	1,663	1,360	0.45	66.4	12	0	0
<b>SCC-2C</b>	475	200	270	0.40	1,663	1,360	0.45	67.6	13	0	2
<b>SCC-2D</b>	475	200	290	0.43	1,663	1,360	0.45	66.7	5	0	0
<b>SCC-2E</b>	475	200	270	0.40	1,663	1,360	0.45	66.5	9	0	2
<b>VC-3</b>	655	0	240	0.37	1,970	1,205	0.38	69.5	4	0	0
<b>SCC-3A</b>	900	0	330	0.37	1,545	1,220	0.46	61.0	8	3	0
<b>SCC-3B</b>	900	0	350	0.39	1,545	1,220	0.46	60.1	6	0	3
<b>SCC-3C</b>	900	0	330	0.37	1,545	1,220	0.46	60.4	10	0	0
<b>SCC-3D</b>	550	240	330	0.42	1,605	1,160	0.42	62.3	7	3	0
<b>SCC-3E</b>	550	240	350	0.44	1,605	1,160	0.42	60.9	8	0	2
<b>SCC-3F</b>	550	240	330	0.42	1,605	1,160	0.42	60.8	8	0	0
<b>VC-4</b>	465	195	275	0.42	1,875	1,100	0.36	67.1	11	0	0
<b>SCC-4A</b>	910	0	360	0.40	1,485	1,143	0.43	59.5	6	0	4
<b>SCC-4B</b>	910	0	335	0.37	1,485	1,143	0.43	59.5	8	0	0
<b>SCC-4C</b>	560	240	335	0.42	1,500	1,235	0.45	62.1	5	0	2
<b>SCC-4D</b>	560	240	360	0.45	1,500	1,235	0.45	61.5	8	0	0
<b>SCC-4E</b>	560	240	335	0.42	1,500	1,235	0.45	62.0	6	0	3

Notes: HRWRA = Glenium 7500, VMA 1 = Rheomac 362, and VMA 2 = Rheomac 450

## **2.4 Presentation and Analysis of Results**

### **2.4.1 Concrete Production**

Using the proportions shown in Table 2.3, twenty-four concretes were produced and tested with five fresh concrete stability and four hardened concrete uniformity test methods. Because of the varied proportions, as well as because of fluctuations in batching, mixing, handling, and ambient conditions, the concretes achieved different fresh and hardened properties. Some of these properties are shown in Table 2.4.

When comparing Table 2.3 and Table 2.4, mixtures that were proportioned to be very similar exhibited different fresh and compressive strength behaviors. The research team assumes that this inconsistency was the result of batching fluctuation at the ready-mixed concrete plant. This suspicion was supported by evidence of incorrect batching (wrong aggregate or gradation) observed upon receipt of some batches; batches that were obviously incorrect were rejected, while others of questionable proportioning were included. Minor inconsistency from specified proportions was deemed acceptable because the proportions used in each mixture were less important than the resulting stability of each. In other words, fluctuations from the proportions listed in Table 2.3 do not affect the viability of the data collected.

Table 2.4: Fresh properties and compressive strengths of concrete mixtures

Mixture ID	Fresh Concrete Properties				Compressive Strength, $f_c$ (psi)		
	Slump Flow (in.)	T <sub>50</sub> (sec.)	Total Air (%)	Unit Wt. (lb/ft <sup>3</sup> )	2 day	13 day	28 day
VC-1	5.5 <sup>1</sup>	-	4.0	149.5	4,680	6,700	7,440
SCC-1A	27.5	2.3	2.0	152.8	4,690	7,110	7,390
SCC-1B	25.5	6.9	1.7	150.8	5,230	8,030	8,460
SCC-1C	27.0	1.5	5.5	144.2	4,340	6,320	6,780
SCC-1D	26.0	1.3	9.5	138.5	3,200	4,790	5,190
VC-2	7.0 <sup>1</sup>	-	2.3	148.9	2,460	5,000	5,390
SCC-2A	28.0	1.5	6.0	144.6	2,510	5,010	5,530
SCC-2B	27.5	2.1	3.6	148.5	1,820	4,160	4,410
SCC-2C	26.0	8.0	1.8	148.8	2,620	5,300	5,880
SCC-2D	25.5	1.5	2.3	145.2	2,200	4,370	5,060
SCC-2E	26.0	4.0	3.5	145.3	2,720	4,890	5,290
VC-3	3.5 <sup>1</sup>	-	4.1	150.9	3,330	5,240	6,590
SCC-3A	28.5	1.6	1.3	156.3	4,620	6,050	7,060
SCC-3B	29.5	3.8	1.6	157.1	3,840	5,500	6,970
SCC-3C	26.75	2.1	2.3	157.6	5,910	7,220	8,390
SCC-3D	30.0	1.4	1.2	155.6	3,070	4,840	6,180
SCC-3E	30.5	2.9	2.3	157.1	2,770	3,990	5,980
SCC-3F	27.0	1.9	3.7	158.1	6,680	8,380	10,190
VC-4	7.0 <sup>1</sup>	-	3.3	158.9	2,520	4,220	5,760
SCC-4A	28.0	4.5	1.3	151.3	2,070	3,350	4,740
SCC-4B	25.25	2.0	3.0	156.2	6,150	7,360	8,450
SCC-4C	27.5	3.3	1.5	154.6	4,200	5,930	7,070
SCC-4D	26.75	1.4	1.1	153.2	1,610	2,700	3,780
SCC-4E	28.0	4.1	1.6	154.2	3,210	4,740	6,100

Note: <sup>1</sup> = conventional slump

Mixture SCC-1D exhibited a high air content of 9.5%, which was attributed to the addition of the HRWRA to the ready-mixed concrete truck at the laboratory followed by rapid on-site mixing prior to discharge. However, the compressive strength of SCC-1D

was deemed high enough to be included in this study (Keske et al. 2013b). Additionally, it was deemed necessary to include mixtures with various ranges of air content in this study, as the air content can impact stability and mechanical properties (i.e. pullout strength) (Castel et al. 2006; Soylev and Francois 2003) and both these properties are directly assessed in this study.

#### **2.4.2 Fresh Concrete Stability Tests**

Summary results of the five fresh concrete stability tests conducted on each mixture are presented in Table 2.5. All results shown are those obtained while utilizing standard test procedures; alternatively-timed results of the sieve stability and rapid penetration tests are discussed later. Complete test data used to calculate fresh results are reported in Appendix A. In Table 2.5, each fresh test result represents the average of two tests conducted simultaneously, except that VSI values are always the average from two consecutive tests, and rapid penetration depth values for SCC-1 and SCC-2 mixtures are the average of two consecutive tests. For consistency, it was deemed best to have a single operator conduct both repetitions of the VSI test. The conversion of rapid penetration testing from consecutive-sample testing to simultaneous-sample testing was described in Section 2.3.3.1—extended testing of SCC-3 and SCC-4 required the use of separate samples, and the standard rest period required for the rapid penetration test appeared to occasionally affect the VSI test during the testing of SCC-1 and SCC-2.

Table 2.5: Fresh concrete stability test results

<b>Mixture ID</b>	<b>VSI</b>	<b>Segregation Index (%)</b>	<b>Rapid Penetration (in.)</b>	<b>Sieve Fraction (%)</b>	<b>Rate of Settlement (%/hr)</b>	<b>Maximum Settlement (%)</b>
<b>SCC-1A</b>	2	5.6	0.26	N.A.	0.15	0.60
<b>SCC-1B</b>	0.75	0.0	0.20	6.5	0.15	0.35
<b>SCC-1C</b>	1.25	8.4	0.12	8.2	0.11	0.03
<b>SCC-1D</b>	1.25	17.5	0.33	15.8	0.02	0.01
<b>SCC-2A</b>	1.75	8.0	0.35	13.8	0.05	0.02
<b>SCC-2B</b>	3	20	0.30	30.5	0.25	0.14
<b>SCC-2C</b>	1.75	3.0	0.30	9.0	0.12	0.09
<b>SCC-2D</b>	1.25	11.1	0.10	5.2	0.25	0.13
<b>SCC-2E</b>	1.75	16.6	0.14	14.3	0.17	0.18
<b>SCC-3A</b>	1.75	15.4	0.08	5.2	0.20	0.17
<b>SCC-3B</b>	1.5	6.5	0.04	4.4	0.32	0.23
<b>SCC-3C</b>	0	2.9	0.24	2.8	0.14	0.15
<b>SCC-3D</b>	2	24.9	0.16	11.9	0.35	0.49
<b>SCC-3E</b>	1.25	3.9	0.04	5.2	0.35	0.49
<b>SCC-3F</b>	0.5	4.6	0.16	1.9	0.12	0.08
<b>SCC-4A</b>	2	21.3	0.43	21.3	0.22	0.49
<b>SCC-4B</b>	0.25	8.0	0.04	8	0.10	0.07
<b>SCC-4C</b>	0.5	24.1	0.20	17.6	0.28	0.32
<b>SCC-4D</b>	2.5	26.7	0.12	21.1	0.59	0.86
<b>SCC-4E</b>	1.5	19.6	0.16	21.6	0.29	0.29

*Note: N.A. = not available because sieve fraction result was recorded incorrectly*

In Table 2.5, visual stability index values other than the discrete values discussed earlier (0, 0.5, 1, 1.5, 2, or 3) indicate average values in instances in which the two VSI tests yielded different results. Although the two samples were obtained from the same sampling container, identical test results were not guaranteed. The research team took

measures to avoid between-user variability (see Section 2.3.3.1), so occurrence of nonmatching VSI test results is simply a possible result of the test method.

The acrylic settlement plate of one surface settlement test apparatus sank unevenly into the test sample during placement of SCC-1A and SCC-4D, which nullified the result obtained from that apparatus during the respective cycles. This problem, which is shown in Figure 2.52, probably occurred because the SCC being tested was so unstable that the thin acrylic plate was unevenly engulfed as it settled. Each time, the result of the second surface settlement test indicated unacceptably high segregation according to the recommendation of Khayat and Mitchell (2009), which reinforces the possibility that failure of the first apparatus was due to the use of a highly segregating mixture and not testing error.



Figure 2.52: Acrylic settlement plate sinking unevenly during surface settlement testing

Results of the sieve stability and rapid penetration tests taken at alternative (abbreviated or delayed) times are presented in Table 2.6. These alternative measurements were taken to evaluate the applicability of abbreviating the sieve stability test or prolonging the rapid penetration test. These alternatives were considered following completion of the first phase of this testing and were, thus, only measured in the eleven SCC-3 and SCC-4 mixtures. The test procedures were unaltered except by changing the rest period required prior to placement of the settlement probe in the rapid penetration test or pouring of a sample onto the sieve and pan in the sieve stability test. Therefore, only test usability, in the form of total test time required, was affected by the change.

Table 2.6: Alternately timed rapid penetration and sieve stability test results

Mixture ID	Rapid Penetration (in.)			Sieve Fraction (%)			
	80 sec. <sup>1</sup>	5 min.	10 min.	15 min. <sup>1</sup>	10 min.	5 min.	80 sec.
SCC-3A	0.08	0.08	0.04	5.2	5.1	8.1	7.7
SCC-3B	0.04	0.08	0.08	4.4	7.4	6.4	7
SCC-3C	0.24	0.16	0.20	2.8	3.3	2.7	2.4
SCC-3D	0.16	0.12	0.12	11.9	11.2	10.4	13.5
SCC-3E	0.04	0.08	0.04	5.2	7.5	4.9	5.8
SCC-3F	0.16	0.08	0.00	1.9	4.7	3.5	3.8
SCC-4A	0.43	0.39	0.16	21.3	24.5	16	20.4
SCC-4B	0.04	0.08	0.04	8	12.5	12.7	12.6
SCC-4C	0.20	0.16	0.16	17.6	18.6	16.5	16.3
SCC-4D	0.12	0.16	0.12	21.1	21.1	20	19.2
SCC-4E	0.16	0.24	0.12	21.6	25.4	18.3	17.5

Note: <sup>1</sup> = time specified by governing standard

#### 2.4.2.1 Correlations between Fresh Concrete Stability Results

Five standardized fresh concrete stability test results were obtained for each concrete, along with multiple additional, alternatively-timed fresh test results for SCC-3 and SCC-4. Each concrete's results were compared to each other in order to identify any correlations between the fresh stability test methods. Because the alternatively-timed results were only obtained for approximately half of the concrete mixtures, analysis of their results is presented separately in a later subsection.

Table 2.7 is a correlation matrix that shows the linear-regression coefficients of determination ( $R^2$ ) between each fresh stability test when comparing all twenty SCC mixtures. Sieve stability and rapid penetration test results are those obtained after the standard rest times so that all twenty results would be comparable. A nonlinear model was also applied to each relationship, but no test relationship's  $R^2$ -value significantly improved by its use. In the table,  $R^2$ -values are highlighted to show relative strength—the smallest bold value is at least 50% greater than all non-highlighted  $R^2$ -values, thus indicating a division of relative correlation strength.

Table 2.7: Fresh concrete stability result linear-regression coefficients of determination

Test Result	VSI	Seg. Index	Rapid Pen.	Sieved Fraction	Rate of Settlement	Max. Settlement
Maximum Settlement	0.14	0.14	0.00	0.08	<b>0.60</b>	-
Rate of Settlement	0.16	0.26	0.00	0.08	-	-
Sieved Fraction	<b>0.43</b>	<b>0.56</b>	0.28	-	-	-
Rapid Penetration	0.06	0.05	-	-	-	-
Segregation Index	0.24	-	-	-	-	-
VSI	-	-	-	-	-	-

In the table, the linear correlations having the greatest  $R^2$ -values were the correlations between the sieve stability test and the VSI and column segregation tests, as well as the test correlation between rate of settlement and maximum settlement determined from the surface settlement test. These three strong correlations are discussed further in Sections 2.4.2.2 through 2.4.2.4. The rapid penetration test and surface settlement test do not exhibit a reasonable correlation with the VSI, column segregation test, sieve stability test, or each other.

To conduct a more refined comparison of the fresh concrete stability results, consideration had to be given to potential variables that could subdivide the twenty SCC mixtures. In the previously shown comparisons of all twenty mixtures, strong correlations indicate that the compared fresh tests appear to be universally related within the range of mixtures tested. While universal relation is preferable, fresh tests that exhibit situational, but equally strong relationships can still be of value in a quality assurance setting, where certain variables are known. Distinct subdivisions that were introduced through the selection of the twenty mixtures shown in Table 2.3 include

- Coarse aggregate NMSA, in which two groups existed (fifteen  $\frac{1}{2}$  in.-NMSA mixtures and five  $\frac{3}{4}$  in.-NMSA mixtures),
- Total aggregate volume, in which groupings would depend upon an arbitrary delineation of total aggregate volume (such as 65%, a limitation employed in ASTM C1712), and
- A combination of coarse aggregate NMSA and total aggregate volume, in which the grouping of  $\frac{1}{2}$  in.-NMSA mixtures (fifteen mixtures) was sufficiently large enough to subdivide by total aggregate volume.

The only other feasible variable,  $w/cm$ , cannot be independently evaluated. Batching variations such as those described in Section 2.4.1 make identification of exact in-situ  $w/cm$  impossible, both during this research and during typical quality assurance testing. Thus, division of fresh test results by  $w/cm$  is not feasible. Similar difficulty exists in determining the exact total aggregate volume except when considering the *target* total aggregate volume. The total aggregate volume varied during this research because

of variation in batching and in-situ air content, but the four primary mixtures were proportioned to exhibit distinctly different target total aggregate volumes. SCC-1 and SCC-2 were proportioned for a target total aggregate volume of 67%, while SCC-3 and SCC-4 were proportioned for a target of 60%.

The researchers chose to proportion mixtures for two distinct target-aggregate-volume groups for two reasons: 1) the applicability of the rapid penetration test criteria was unclear in the SCC-1 and SCC-2 mixtures due to their relatively high total aggregate volumes (Keske et al. 2013b), and 2) different stability behavior occurs in mixtures of distinctly different aggregate volumes (Bonon and Shah 2004; Koehler and Fowler 2008; and Shen 2007). For this analysis, a 65% delineation for target total aggregate volume was chosen in consideration of ASTM C1712 (2009) and to approximately evenly divide the twenty SCC mixtures (nine greater than 65%, eleven less than 65%)

Table 2.8 consists of linear-regression coefficients of determination ( $R^2$ ) between each fresh concrete stability test when subdivided by coarse aggregate NMSA, target total aggregate volume, or, among the  $\frac{1}{2}$  in.-NMSA mixtures, a combination of NMSA and aggregate volume. All possible two-test comparisons are presented (10 combinations) except those involving the maximum settlement determined from the surface settlement test. Reasons for its exclusion are discussed further in Section 2.4.2.4. In the table,  $R^2$ -values are highlighted in bold that meet the following criteria:

- A statistically significant difference, at a 90% confidence interval (CI), is observed between the classes of linearly correlated fresh results, and
- The  $R^2$ -value for at least one class improved by greater than 0.10 versus the  $R^2$ -value calculated from the twenty-mixture comparison of the same relationship.

Table 2.8: Fresh concrete stability  $R^2$ -values for subdivided results

Fresh Result Comparison	Method of Subdivision					
	Coarse Agg. NMSA		Total Agg. Volume		½ in.-NMSA by Agg.	
	½ in. NMSA	¾ in. NMSA	> 65% Agg.	< 65% Agg.	> 65% Agg.	< 65% Agg.
VSI & Seg. Index	0.37	0.43	0.26	0.41	0.26	0.59
VSI & Rapid Pen.	0.02	0.16	0.12	0.01	0.12	0.00
VSI & Sieved Fraction	0.62	0.63	0.77	0.27	0.77	0.58
VSI & Rate of Set.	0.07	0.55	0.15	0.54	0.15	0.55
Seg. Index & Rapid Pen.	0.03	0.15	0.08	0.12	0.08	0.00
Seg. Index & Sieved Fraction	0.39	0.73	0.54	0.72	0.54	0.80
Seg. Index & Rate of Set.	0.05	0.64	0.03	0.31	0.03	0.16
Rapid Pen. & Sieved Fraction	0.35	0.33	0.36	0.22	0.36	0.00
Rapid Pen. & Rate of Set.	0.00	0.00	0.00	0.00	0.00	0.00
Sieve Fraction & Rate of Set.	0.00	0.39	0.04	0.24	0.04	0.48

Notably, almost all relationships that met the criteria listed above were those that were already identified as “strong correlations” when comparing all twenty SCC mixtures. The significance of those correlations (sieve result versus both VSI and column segregation result) is discussed in subsequent sections. The only other comparison that yielded statistically significant, different class relationships was the one

between column segregation index and VSI. The relationship between those two tests, subdivided by coarse aggregate NMSA, is shown in Figure 2.53.

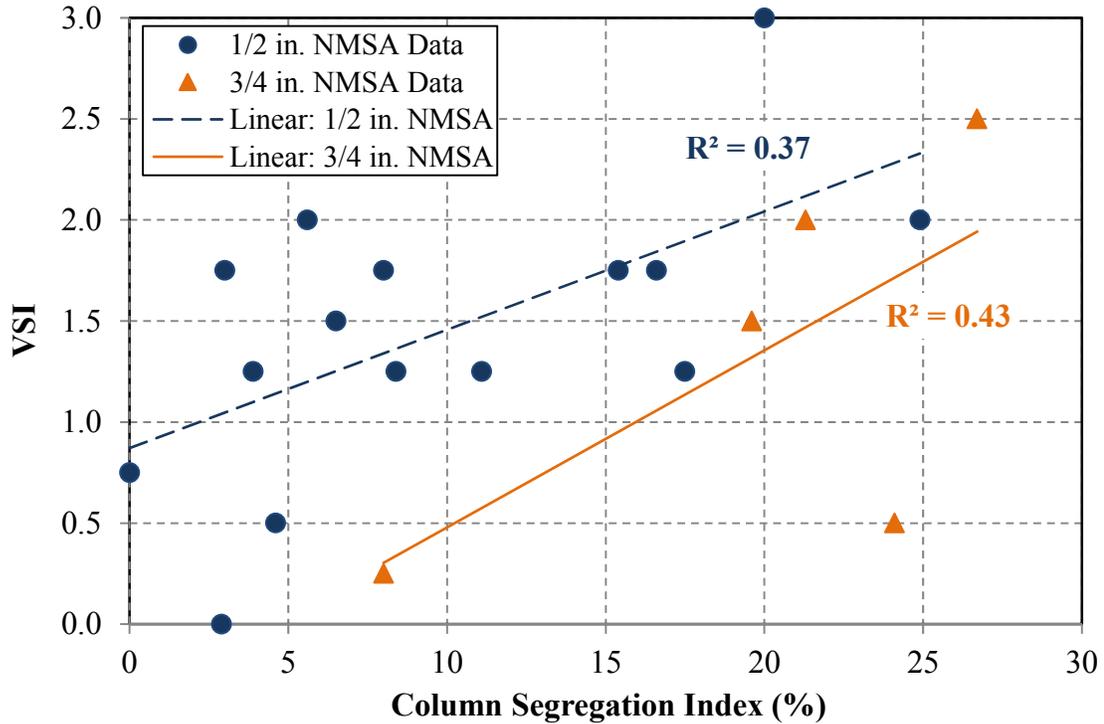


Figure 2.53: Comparison between column segregation index and VSI (mixtures subdivided by coarse aggregate NMSA)

In the figure, the VSI exhibits the same range of results within each NMSA class, but the segregation index is generally shifted right within the 3/4 in.-NMSA class, indicating that only column segregation results are affected by NMSA. This shift may be complicated because the 3/4 in.-NMSA class is also entirely of the lower total aggregate content class; it is unlikely that the shift is due to total aggregate content, though, when considering the lack of difference by aggregate content within the 1/2 in.-NMSA class.

### 2.4.2.2 Correlation between Sieve Stability and VSI Results

The correlations between the sieve stability test and the VSI were all relatively strong ( $R^2 = 0.43, 0.62, \text{ and } 0.63$  for all mixtures,  $\frac{1}{2}$  in.-NMSA, and  $\frac{3}{4}$  in.-NMSA mixtures, respectively). The subdivided relationships are shown in Figure 2.54.

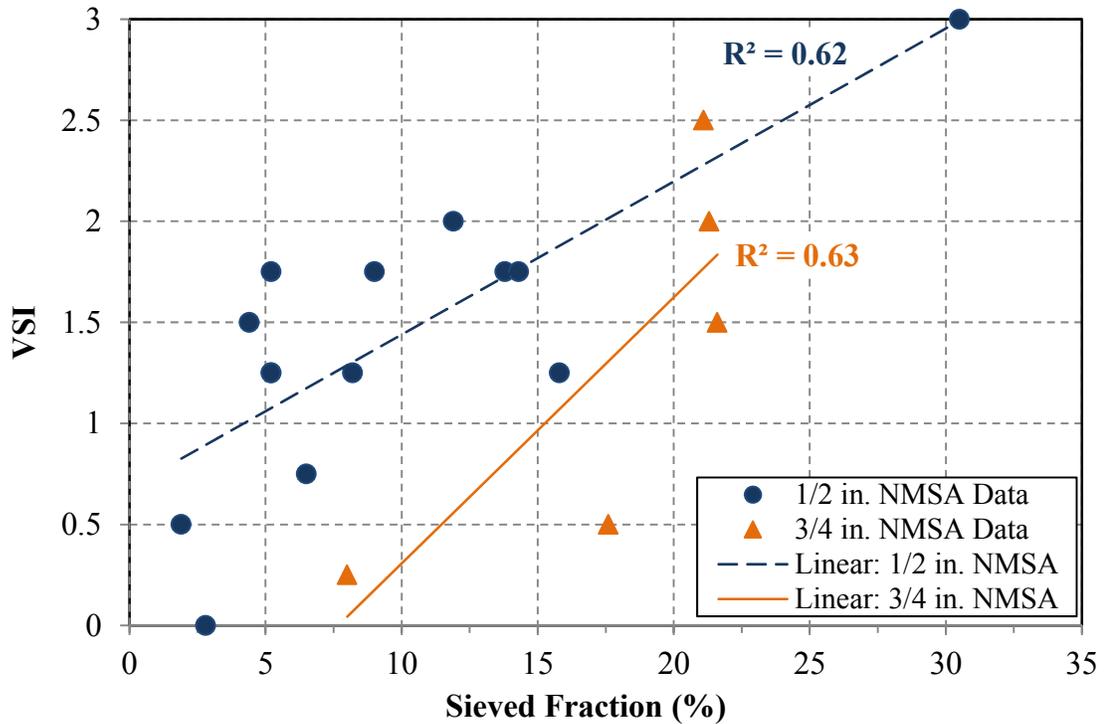


Figure 2.54: Comparison between sieved fraction and VSI results (mixtures subdivided by coarse aggregate NMSA)

Several conclusions are justified from these correlations. When assessed by trained technicians, the VSI test results are relatable to the more time-consuming but less subjective sieve stability test. Conversely, the sieve stability test is a well correlated and objective alternative to the VSI test for determining stability acceptance. Also, the sieve stability test is clearly affected by coarse aggregate NMSA—while assigned VSI values

have the same range for each class, sieve stability results for the entire  $\frac{3}{4}$  in.-NMSA class are shifted right by approximately +7.5%.

This shift in sieved fraction results may be complicated because the  $\frac{3}{4}$  in.-NMSA class is also entirely of the lower total aggregate content class; that the shift is due to total aggregate content is unlikely, though, when considering the lack of difference by aggregate content within the  $\frac{1}{2}$  in.-NMSA class. Instead, the shift is likely related to the mechanism of segregation described by Bonen and Shah (2005): larger coarse aggregate has a lower surface-area-to-volume ratio, so less cohesion exists between aggregate and mortar to resist separation. This segregation mechanism appears to distinctly affect the sieve stability test, in which SCC is forcibly separated by a sieve; whether the mechanism also affects in-situ stability is evaluated in Section 2.4.3 and 2.4.4.

#### **2.4.2.3 Correlation between Sieve Stability and Column Segregation Results**

The correlations between the sieve stability and the column segregation tests were all relatively strong ( $R^2 = 0.56$  for all mixtures, and 0.54–0.80 when subdivided). The relationships, subdivided by coarse aggregate NMSA and total aggregate volume, are shown in Figure 2.55. Three classes are created by this subdivision, as all  $\frac{3}{4}$  in.-NMSA mixtures were also of a single target aggregate volume.

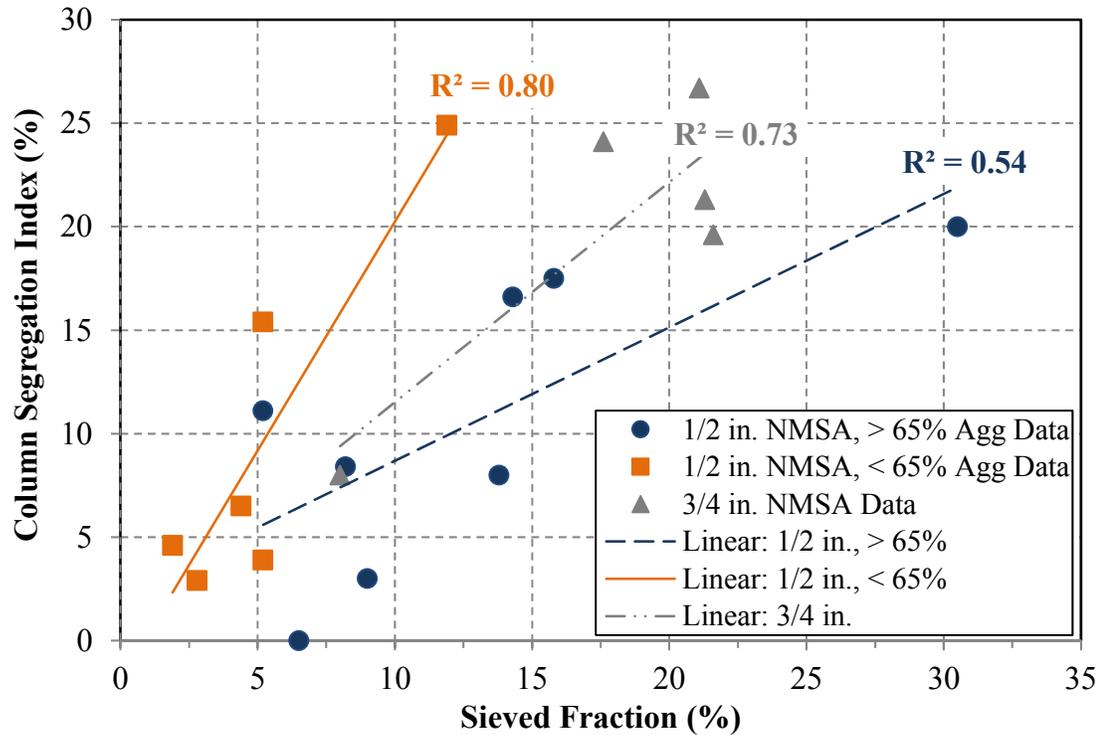


Figure 2.55: Comparison between sieved fraction and column segregation index results (mixtures subdivided by coarse aggregate NMSA and total aggregate volume)

Several conclusions are justified from these correlations. The linear-regression correlation coefficient between sieve stability and column segregation results found during this research is of similar magnitude to the relationship found by Kohler and Fowler (2010) that is illustrated in Figure 2.33. As they (Kohler and Fowler 2010) determined, the sieve stability test is, therefore, a viable alternative to the column segregation test, especially considering its increased technician-friendliness that was described by Keske et al. (2013b).

Evaluation of the relationship between the column segregation test and other fresh stability tests for new SCC mixtures (Bui et al. 2007; Khayat and Mitchell 2009) may be warranted, but its relevance is moot considering the alternatives available. The VSI may be subjective, but it correlates well with the column segregation test (see Section 2.4.2.1)

and is distinctly quicker to conduct. The sieve stability test is equally objective, and it also requires less time and effort to conduct.

#### 2.4.2.4 Correlation between Rate and Maximum Surface Settlement

The relationship between the rate of settlement and maximum settlement from the surface settlement test exhibited the largest linear-regression  $R^2$ -value of any fresh test comparison ( $R^2 = 0.60$ ). This correlation is shown in Figure 2.56 and is of similar strength to the relationship found by Hwang et al. (2006) that was shown in Figure 2.27.

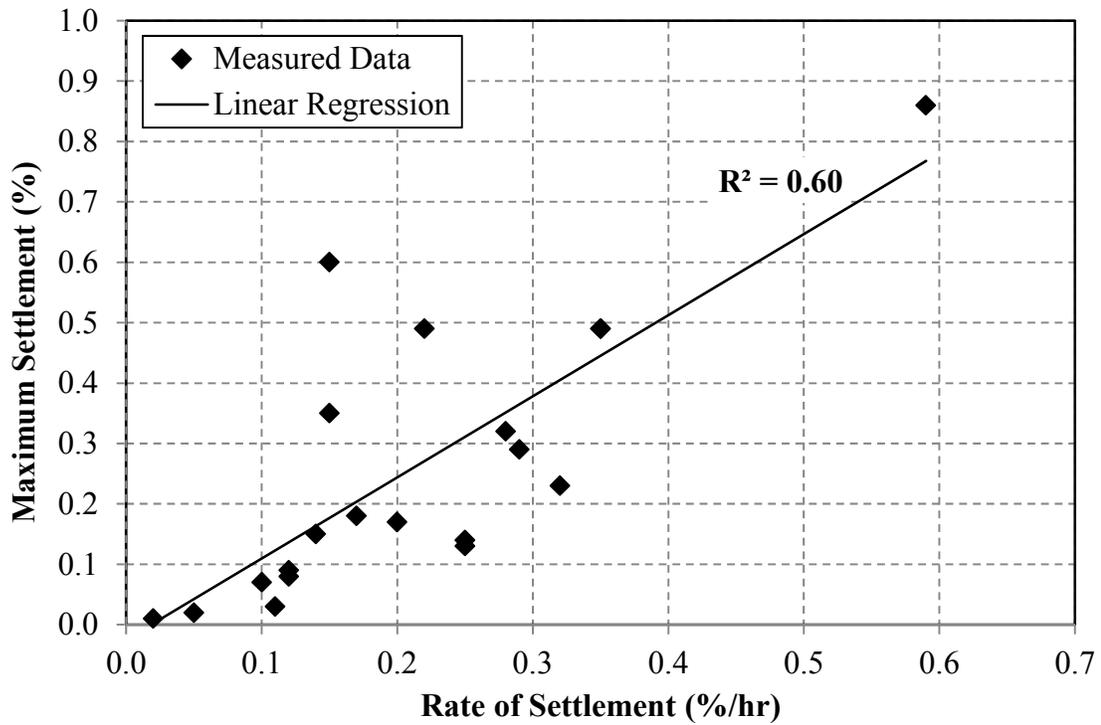


Figure 2.56: Comparison between rate of settlement and maximum settlement results from the surface settlement test (all available mixtures)

Subdivided relationships between rate and maximum settlement results are shown in Figure 2.57. The  $R^2$ -value of each was improved dramatically when applying a

nonlinear-regression model, while the all-mixture comparison was not, which is why only nonlinear regression models are shown below in Figure 2.57.

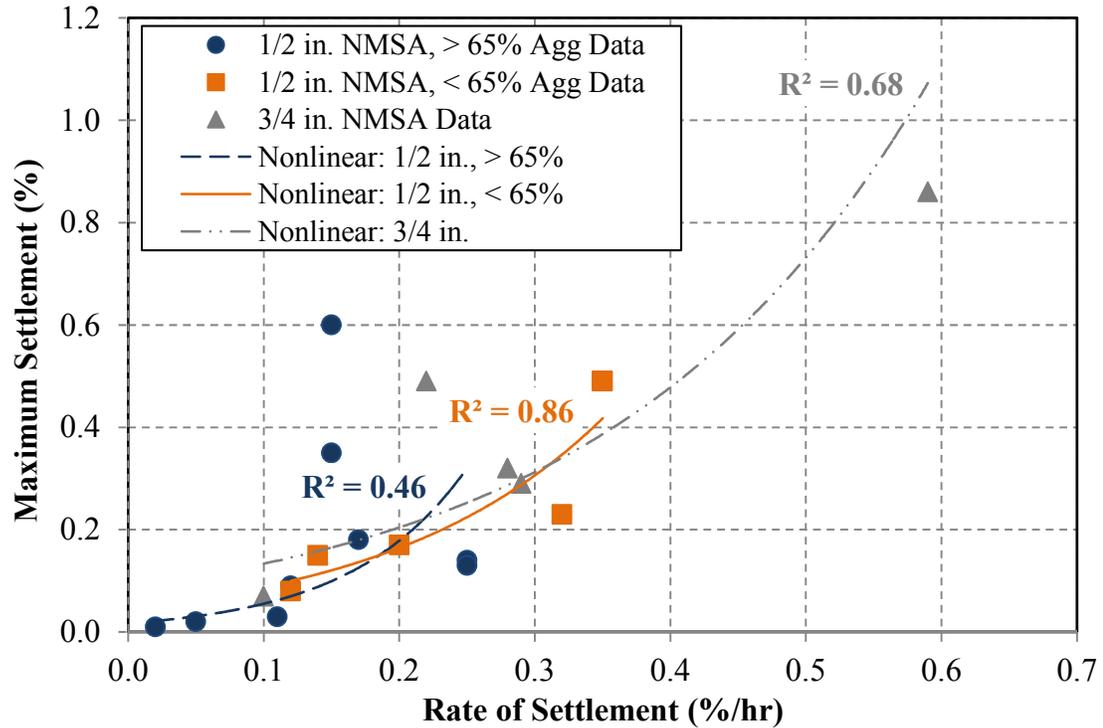


Figure 2.57: Comparison between rate of settlement and maximum settlement results (mixtures subdivided by coarse aggregate NMSA and total aggregate volume)

While all subdivisions have high  $R^2$ -values when applying a nonlinear regression model, the three subdivided correlations are not noticeably different from each other. Thus, the recommendation that the rate of settlement result be used in lieu of the maximum settlement result (Hwang et al. 2006; Keske et al. 2013b) is confirmed. This is also the reason that subdivided maximum settlement results were excluded from Table 2.8—measurement of the rate of settlement in place of the maximum settlement should always be sufficient.

### 2.4.2.5 Sieve Stability Test—Abbreviated-Rest Period Testing

The results of the alternatively-timed sieve stability test, which are shown in Table 2.6, were compared in a similar fashion as the relationships previously described: using all available SCC mixtures (eleven) and by subdividing by coarse aggregate MSA.

Subdivision by aggregate volume was not possible, as all evaluated mixtures were of the 60% target-aggregate-volume class. Eleven-mixture comparisons of the standard 15 min. results to each abbreviated-time result are illustrated in Figure 2.58. For reference, a dashed line is shown to illustrate unity (when 15 min. results are compared to themselves). Subdivided relationships are not shown because they did not meet the criteria established for Table 2.8 and discussed in Section 2.4.2.1 (for improved  $R^2$  and statistically significant difference).

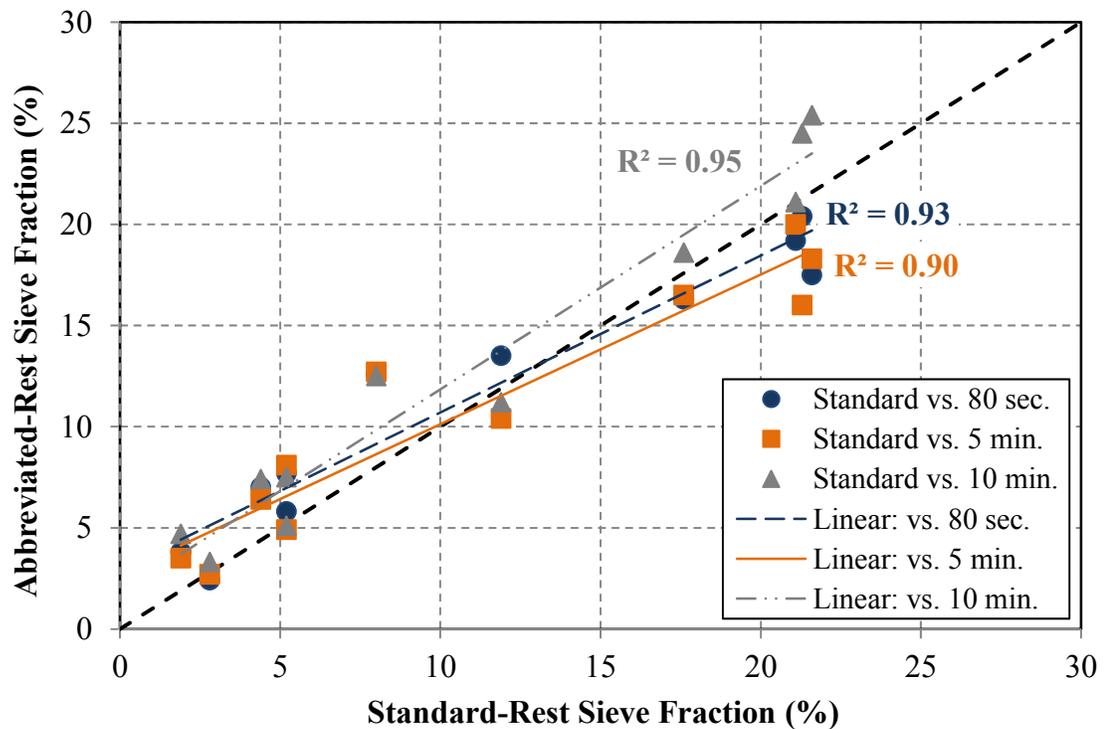


Figure 2.58: Comparison between sieve fraction results obtained after standard 15-min. rest period and after abbreviated rest periods

Several observations are drawn from the linear relationships shown in Figure 2.58. First, all comparisons have very strong  $R^2$ -values relative to the other fresh test comparisons, and all relationships also exhibit  $R^2$ -values exceeding those cited by Hwang et al. (2006) to recommend rate of settlement testing during the surface settlement test. Second, the change in the relationship (deviation from unity) resulting from abbreviating the rest period appears to lack a pattern, as the correlations do not systematically change between intervals.

The use of an abbreviated rest time for the sieve stability test is warranted based on these observations. Utilization of an eighty-second rest period should be acceptable because, all other considerations being equal, the use of the shortest rest period that provides accurate results is most practical. The relationship is of similar strength (based on  $R^2$ ) to the other alternatively timed relationships, and the change in its slope (change in 80 sec. values relative to 15 min. results) can be conservatively accounted for in determining test acceptance criteria.

#### **2.4.2.6 Rapid Penetration Test—Extended-Rest Period Testing**

The results of the alternatively-timed rapid penetration test, which are shown in Table 2.6, were compared in a similar fashion as the alternatively-timed sieve stability results: using all available mixtures (eleven) and by subdividing by coarse aggregate NMSA. Eleven-mixture comparisons of the standard 80 sec. results to all extended times are illustrated in Figure 2.59. Subdivided relationships are not shown because they did not meet the criteria established for Table 2.8 and discussed in Section 2.4.2.1 (for improved  $R^2$  and statistically significant difference).

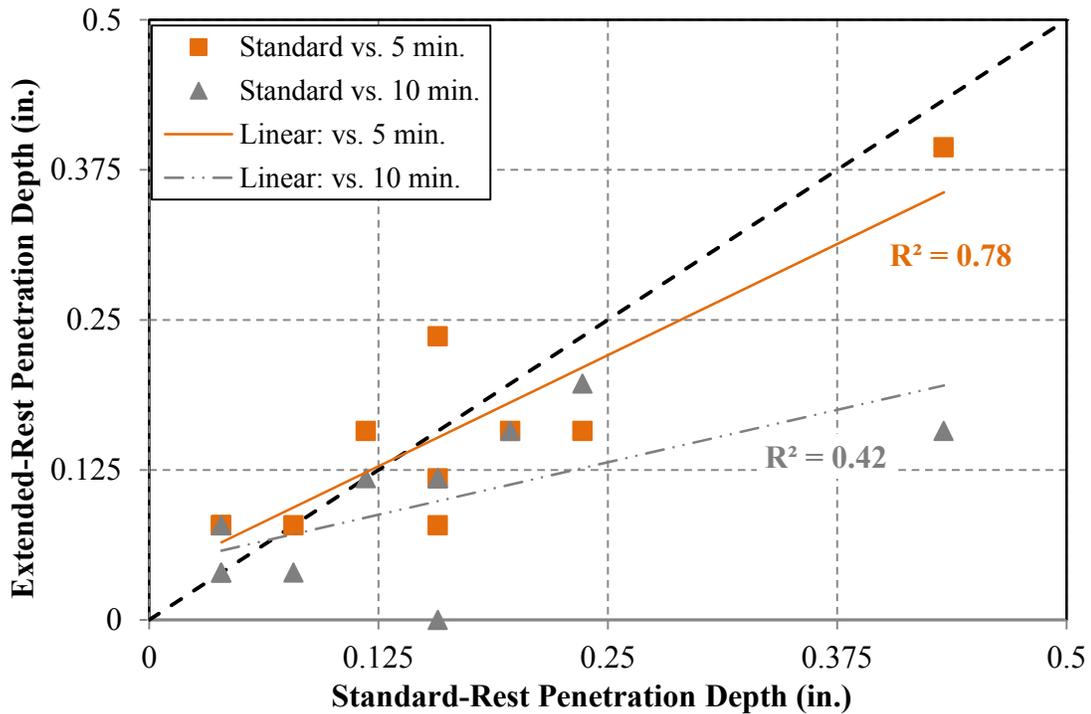


Figure 2.59: Comparison between rapid penetration results obtained after 80-second rest period and after extended rest periods

Several observations are drawn from the linear relationships shown in Figure 2.59. First, the comparison between results obtained after 5 min. and 80 sec. exhibited a notably higher  $R^2$ -value than the comparison between 10 min. and 80 sec. results. This indicates that test variability observed after the standard rest period may be improved by extending the rest period—stronger correlation, like the comparison to 5 min. results, would indicate that test patterns are more consistent. Second, the change in the relationship (deviation from unity) indicates that penetration depth consistently decreases as a result of prolonging the rest period prior to testing.

Based on these observations, results obtained after a rest period of ten minutes should be compared independently to other measures of concrete fresh stability and in-

situ uniformity. When compared to the other tests, though, all 10 min. rapid penetration relationships exhibited  $R^2$ -values less than or equal to the values corresponding to 80 sec. results. Comparison of 10 min. values to hardened concrete uniformity results are discussed later.

### **2.4.3 In-Situ Concrete Uniformity Tests**

In-situ hardened concrete uniformity test results (UPV, pullout, HVSI, and DIA testing results) obtained during this research are presented in Table 2.9. The way these values were determined for each test is discussed in the following subsections. In the last subsection, correlations between these hardened concrete uniformity results are presented and discussed.

Table 2.9: Hardened concrete uniformity test results

<b>Mixture ID</b>	<b>UPV Segregation Index</b>	<b>Top-Bar Effect</b>	<b>HVSI</b>	<b>Coarse Agg. Dist. Index</b>
<b>VC-1</b>	1.036	1.28	-	-
<b>SCC-1A</b>	1.073	1.24	-	-
<b>SCC-1B</b>	1.039	1.56	-	-
<b>SCC-1C</b>	1.034	1.16	-	-
<b>SCC-1D</b>	1.038	1.09	-	-
<b>VC-2</b>	1.066	1.75	-	-
<b>SCC-2A</b>	1.042	1.27	-	-
<b>SCC-2B</b>	1.114	2.80	-	-
<b>SCC-2C</b>	1.030	1.30	-	-
<b>SCC-2D</b>	1.056	2.05	-	-
<b>SCC-2E</b>	1.034	1.56	-	-
<b>VC-3</b>	1.034	1.29	0.75	1.141
<b>SCC-3A</b>	1.042	1.22	0.38	1.085
<b>SCC-3B</b>	1.043	1.19	0.13	1.167
<b>SCC-3C</b>	1.023	1.08	0.25	1.190
<b>SCC-3D</b>	1.069	1.98	0.38	1.241
<b>SCC-3E</b>	1.066	1.85	0.38	1.296
<b>SCC-3F</b>	1.022	1.16	0.38	1.164
<b>VC-4</b>	1.054	1.47	0.63	1.065
<b>SCC-4A</b>	1.061	1.70	0.75	1.146
<b>SCC-4B</b>	1.029	1.09	1.00	1.468
<b>SCC-4C</b>	1.051	1.20	2.75	1.148
<b>SCC-4D</b>	1.050	1.71	1.88	1.426
<b>SCC-4E</b>	1.043	1.25	1.50	1.357

### **2.4.3.1 Ultrasonic Pulse Velocity Testing**

The five UPV measurements in each row of measurements (discussed in Section 2.3.4.2) were averaged to determine an average UPV for that height. Surface defects and human error in either testing or recording of measurements occasionally caused outliers in the determined pulse velocities within a wall. Outliers were identified as any pulse velocity greater than three standard deviations away from the average of the other four velocities at a given height. Outliers, which were removed prior to further evaluation of results, were found in less than 11% of measurements.

UPV measurements for several of the 94 in. walls are shown in Figure 2.60. Complete UPV data for each wall and mixture are reported in Appendix A. As shown in the figure, the measured velocities tend to decrease with increasing height, but the fastest and slowest velocities were not always measured at the very top or bottom of each wall.

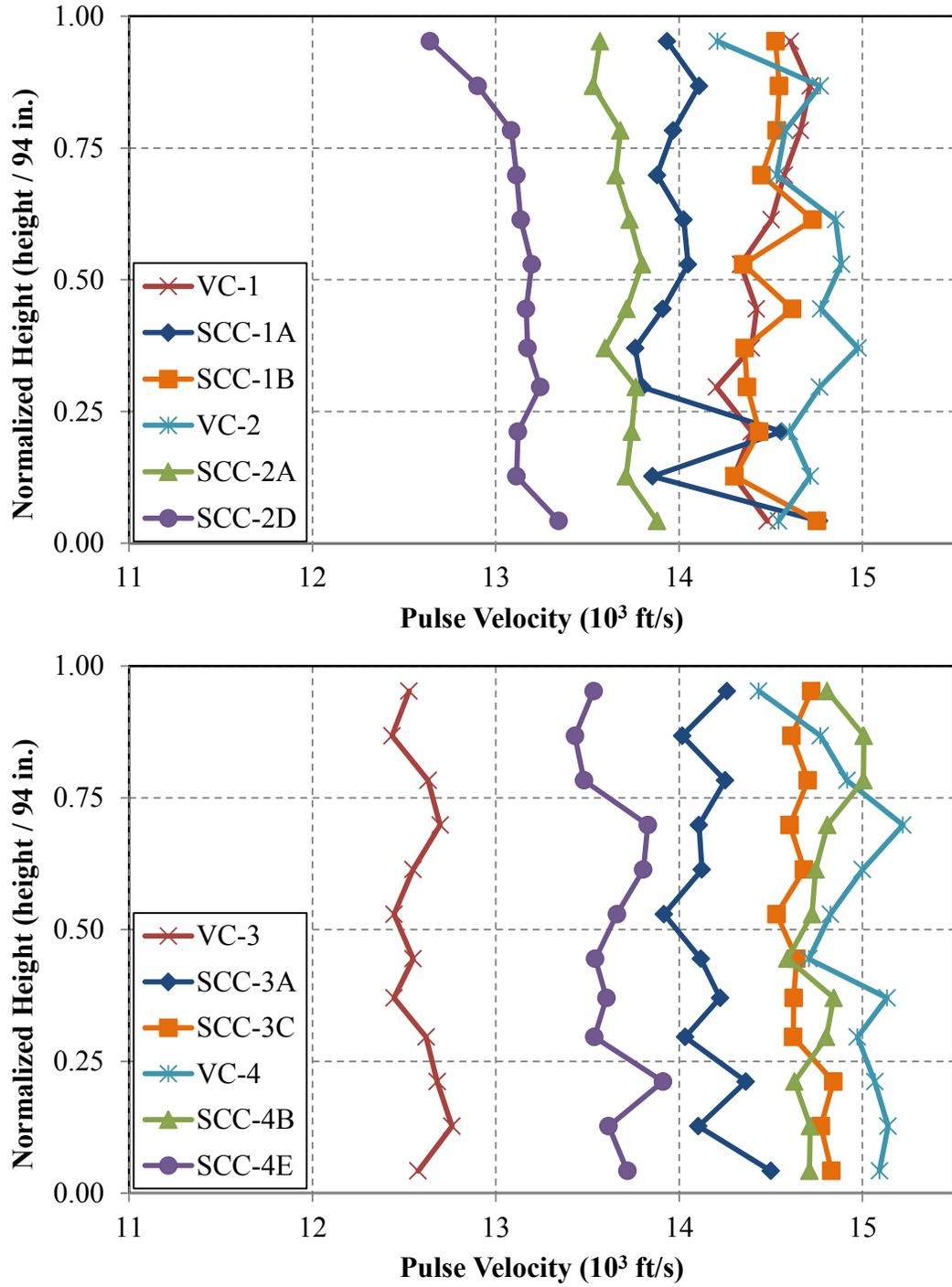


Figure 2.60: Sample measurement of ultrasonic pulse velocity over normalized height, in 94 in. walls from (top) SCC-1, SCC-2, VC-1, and VC-2 mixtures and (bottom) SCC-3, SCC-4, VC-3, and VC-4 mixtures

Many properties affected by segregation, including distribution of air voids, aggregate, and excess water, can affect the measured UPV, and these properties do not necessarily fluctuate linearly. Therefore, although the UPV measurements in a wall may not consistently vary over the wall's height, the maximum and minimum velocities likely indicate the level of non-uniformity within the wall. To quantify that non-uniformity, a "UPV segregation index" was determined for each wall and mixture by dividing the maximum row-average UPV by the minimum. The UPV segregation indices for each wall and mixture are shown in Figure 2.61 and are presented in Appendix A.

Since the UPV segregation indices presented in Figure 2.61 do not vary consistently with wall height, the largest magnitude UPV segregation index for each mixture was used for all analyses. These mixture-maximum UPV segregation indices are presented in Table 2.9.

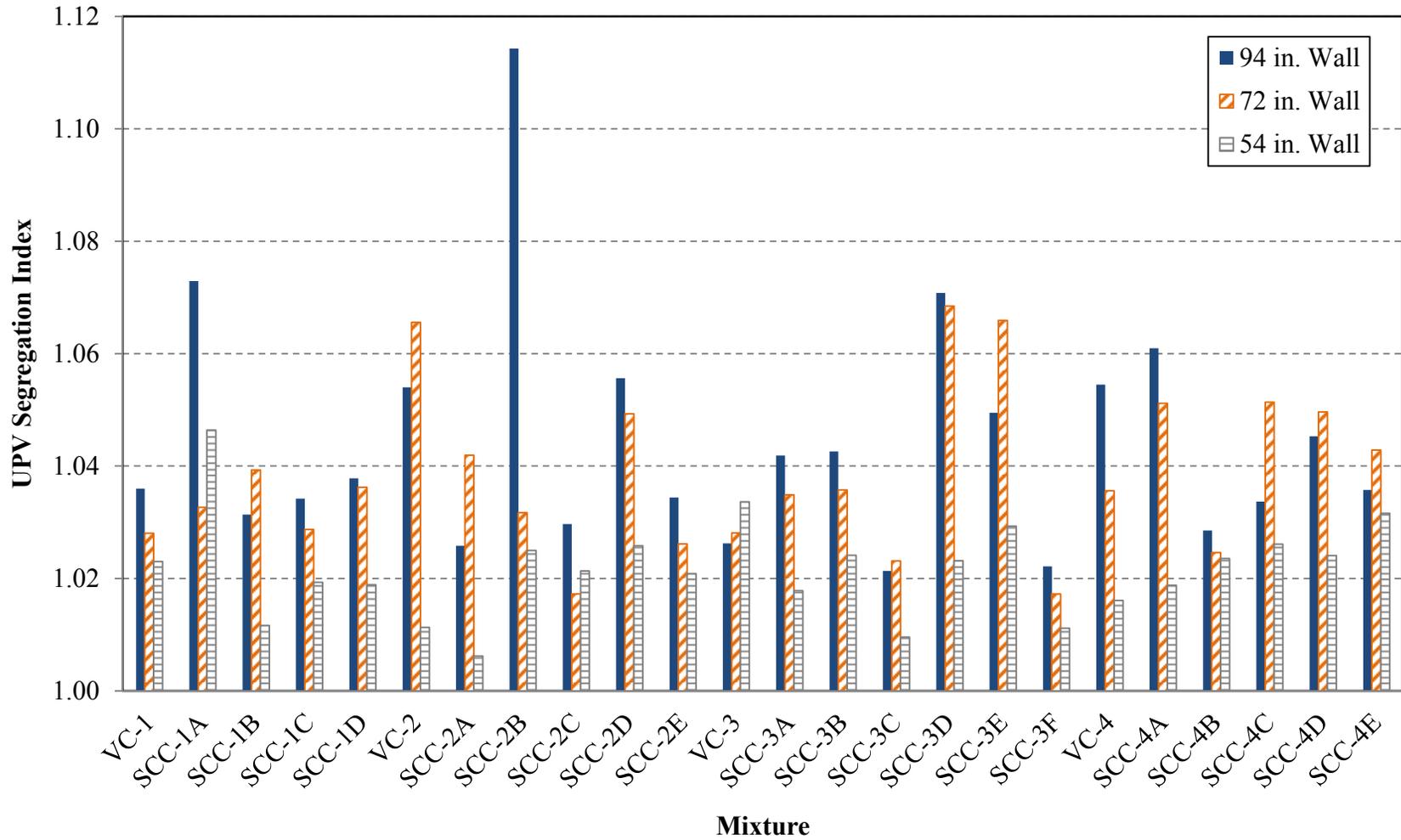


Figure 2.61: UPV segregation indices by wall height and mixture

### 2.4.3.2 Pullout Testing

The average pullout force was determined for the eight bars closest to each other at the top and bottom of each wall. Eight-bar groups were used because of the inherent scatter involved with short-embedment pullout testing and because the eight bars at each location were much closer to each other than to the other groups of eight. During the first phase of this research, Keske et al. (2013b) also tested a third group of eight bars at the approximate mid-height of each wall. They did not find a consistent pullout strength pattern between the three groups. Its use was abandoned prior to the second phase of testing for this reason, and because its exclusion allowed a 33% reduction in the number of pullout specimens needed for each mixture.

Similar to the earlier discussion regarding UPV outliers, pullout testing outliers were identified and removed from consideration. Outliers were identified as any value greater than two standard deviations away from the average of the other seven results in a given group. Outliers were found in less than 12% of measurements, which was similar to the percentage found during UPV testing.

A sample of pullout strength results from the same 94 in. walls shown in Figure 2.60 is given in Figure 2.62. Complete pullout force data for each wall and mixture are reported in Appendix A.

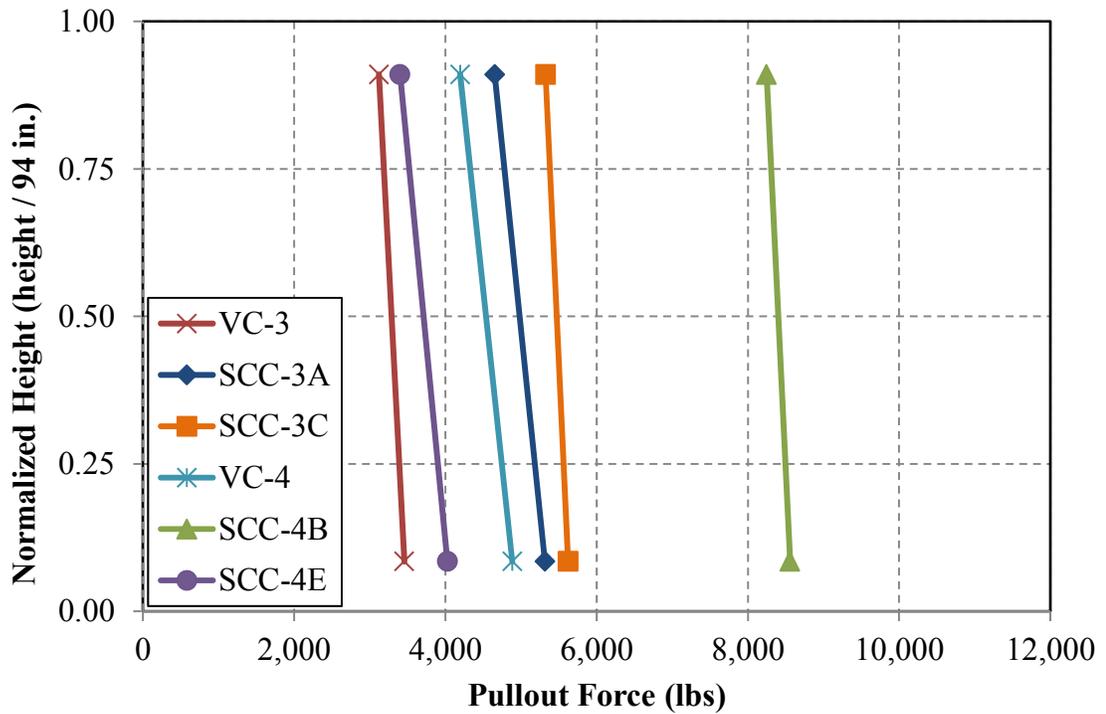
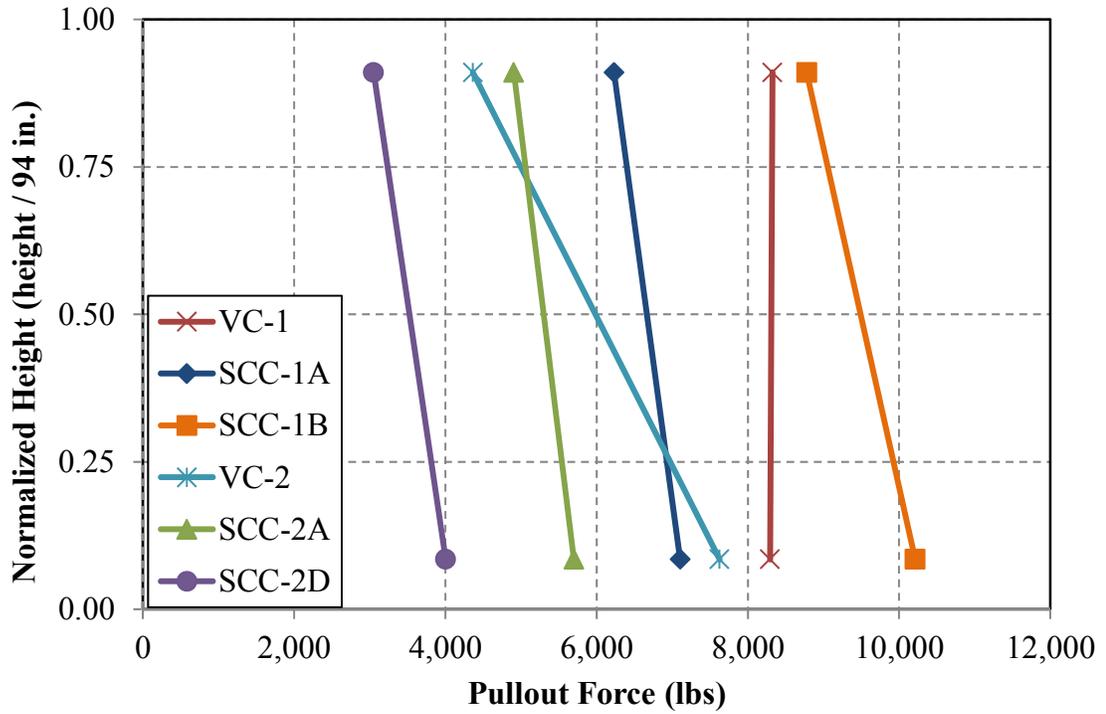


Figure 2.62: Sample measurement of pullout strengths over normalized height, in 94 in. walls from (top) SCC-1, SCC-2, VC-1, and VC-2 mixtures and (bottom) SCC-3, SCC-4, VC-3, and VC-4 mixtures

In accordance with the convention of Khayat and Mitchell (2009) and others (Khayat et al. 1997; Stocker and Sozen 1970), the top-bar effect was calculated by dividing the pullout force in the bottom group of bars by the pullout force of the top group (but never taken less than 1.00). The top-bar effects for each wall and mixture are summarized in Figure 2.63 and are presented in Appendix A. Because the top-bar effects presented in Figure 2.63 do not vary consistently with wall height, the mixture-maximum top-bar effect was used as the pullout benchmark result for all analyses. These values are summarized in Table 2.9.

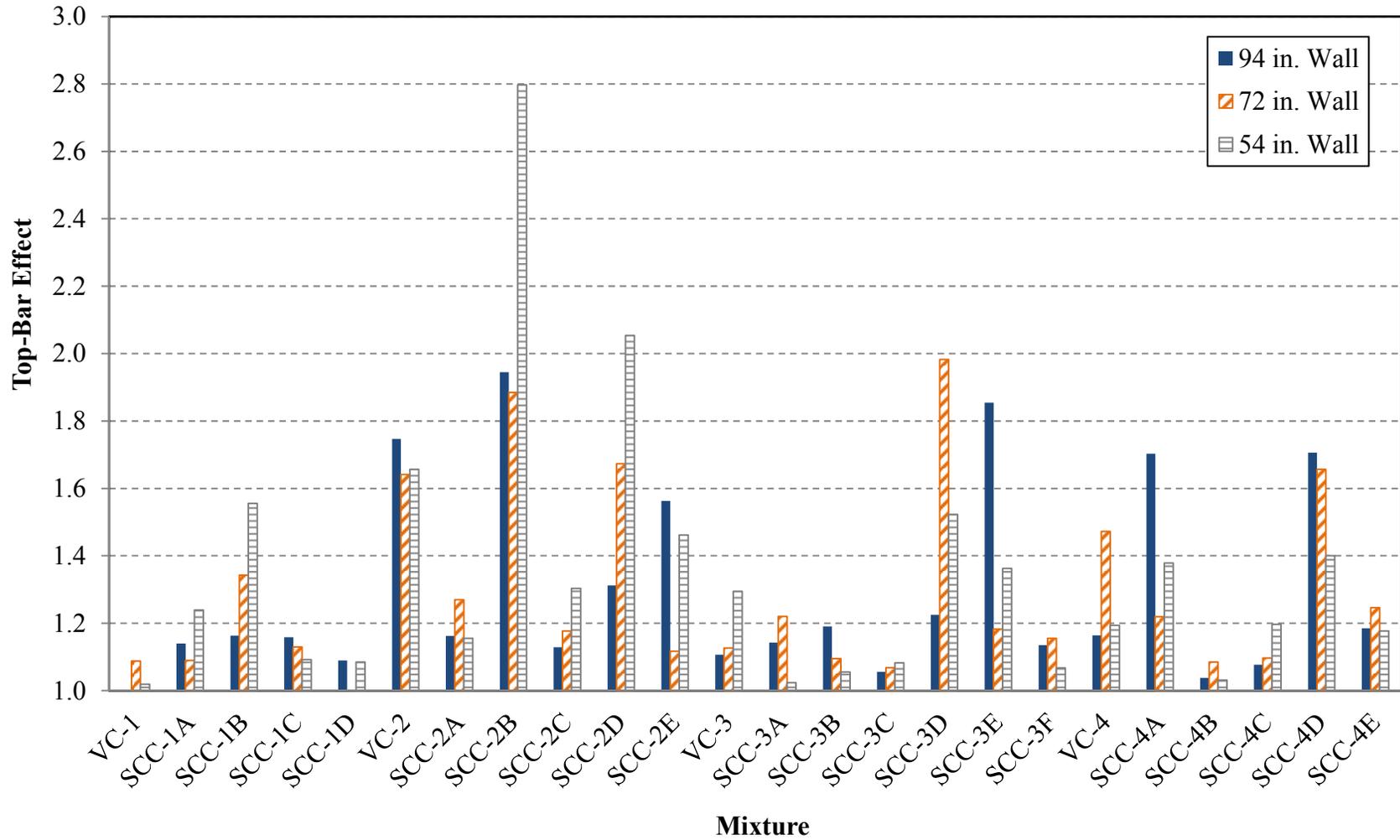


Figure 2.63: Top-bar effects by wall height and mixture

### **2.4.3.3 Hardened Visual Stability Index Testing**

The HVSI values assigned to the 72 in. walls cast with SCC-3, SCC-4, VC-3, and VC-4 are presented in Table 2.10, as are the averages of the four results for each specimen and eight results for each concrete mixture that were assigned by four independent operators. Specimen identification is based on the location from which cores were taken from walls (see Figure 2.49). Each test operator was able to independently assess the HVSI as discussed in Section 2.3.4.4, and the order of evaluation of a mixture's two specimens (reorganized in Table 2.10 for clarity) was completely random.

In the table, no two results for a given specimen differed by greater than 1, but differences of that magnitude were frequent. The difference occasionally changed an individual specimen's stability classification as determined according to AASHTO PP-58 (2012)—three of twenty-six specimens were assigned an HVSI of 2 by one operator and HVSI of 1 by another (recall that HVSI values of 0 or 1 indicate acceptable concrete uniformity while HVSI values of 2 or 3 indicate unacceptable concrete uniformity). This indicates that the subjective nature of HVSI assessment may affect its value in determining uniformity acceptance of placed concrete.

Table 2.10: Hardened visual stability index results

Mixture ID	Specimen	HVSI Values by Operator				Specimen Average HVSI	Mixture Average HVSI
		Op. A	Op. B	Op. C	Op. D		
VC-3	Center	0	1	1	1	1	0.75
	Side	0	1	1	1	1	
SCC-3A	Center	1	1	0	0	1	0.38
	Side	0	1	0	0	0	
SCC-3B	Center	0	1	0	0	0	0.38
	Side	0	0	1	1	1	
SCC-3C	Center	0	0	0	1	0	0.13
	Side	0	0	0	0	0	
SCC-3D	Center	1	0	0	1	1	0.38
	Side	0	0	0	1	0	
SCC-3E	Center	0	0	0	1	0	0.25
	Side	1	0	0	0	0	
SCC-3F	Center	0	1	0	1	1	0.38
	Side	0	0	0	1	0	
VC-4	Center	0	1	1	1	1	0.63
	Side	0	0	1	1	1	
SCC-4A	Center	3	2	2	3	3	2.75
	Side	3	3	3	3	3	
SCC-4B	Center	1	1	1	1	1	0.75
	Side	0	0	1	1	1	
SCC-4C	Center	3	3	3	3	3	1.88
	Side	1	0	1	1	1	
SCC-4D	Center	2	1	1	2	2	1.00
	Side	0	0	1	1	1	
SCC-4E	Center	1	1	1	2	1	1.50
	Side	2	1	2	2	2	

When each specimen’s result was rounded to the nearest integer (as would be assigned) specimens within each pair frequently exhibited differing HVSI values—seven of thirteen mixture pairs exhibited non-matching results, and three of the seven

nonmatching pairs would contraindicate acceptability of in-situ concrete uniformity. The two specimens from each mixture in this research were cast simultaneously and 8 in. apart; while distance from the point of filling and topping-off of walls could have affected the results, the variation indicates that HVSI specimens collected from the same parent specimen can be significantly different. Therefore, care should be taken in formulating an HVSI testing protocol and acceptance criteria for determination of in-situ concrete uniformity acceptance.

While the two specimens for a given mixture were *assessed* independently, the two samples could not be considered independent because only one ‘parent’ specimen of concrete was cored to retrieve the two HVSI specimens. A mixture-average HVSI was necessary for this reason. Its use also mimicked the practices utilized during collection of fresh concrete stability results from two apparatuses. Therefore, the eight-assessment mixture average (the rightmost column of Table 2.10) was chosen as the benchmark HVSI result for all analyses.

Comparing the HVSI results of the SCC-3 and SCC-4 mixtures, it appears that almost all SCC-3 mixtures exhibited acceptable HVSI uniformity, while very few SCC-4 mixtures did. This contradicts the previously presented findings in Sections 2.4.2 (fresh concrete stability testing), 2.4.3.1 (UPV testing), and 2.4.3.2 (pullout testing), which all indicate that each series achieved a wide range of stability and hardened uniformity results. This discrepancy could be either the result of the subjective nature of the HVSI test or the result of different identification of in-situ concrete uniformity. While SCC-3 and SCC-4 mixtures were proportioned to achieve the same target total aggregate content, SCC-3 achieved that target through the use of more, but smaller, coarse

aggregate particles. Further analysis was conducted to determine whether this difference led to improved stability, or just the subjective *appearance* of improved stability. This analysis is discussed in the following section.

#### **2.4.3.4 Digital Image Analysis Testing**

##### **2.4.3.4.1 Coarse Aggregate Distribution Index**

The cores used for HVSI testing, as well as an equal number taken from the bottom face of each 72 in. wall, were further evaluated using DIA as described in Section 2.3.4.4. Four specimens were analyzed from each mixture, and individual and average coarse aggregate cross-sectional areas are presented in Table 2.11.

As shown in the table, wall-end pairs (top-cast or bottom-cast) exhibited similar coarse aggregate percentages—no pair differed by more than 9% coarse aggregate area. Notably, variation within bottom-cast pairs was frequently as large as within top-cast pairs. This suggests that the variation between HVSI results of adjacent cores is not due only to filling point distance and topping-off variation. HVSI and DIA variation are more likely a result of the heterogeneous nature of concrete, in which apparent coarse-aggregate content can vary widely between samples taken from the same parent specimen.

Table 2.11: Coarse aggregate distribution index results

Mixture ID	Specimen	Coarse Agg. %		Average		Coarse Agg. Dist. Index
		Top-Cast Concrete	Bot.-Cast Concrete	Top-Cast Concrete	Bot.-Cast Concrete	
VC-3	Center	16.3	14.4	13.9	15.8	1.141
	Side	11.4	17.2			
SCC-3A	Center	16.7	17.9	16.5	17.9	1.085
	Side	16.3	17.8			
SCC-3B	Center	23.5	26.1	23.4	27.3	1.167
	Side	23.3	28.6			
SCC-3C	Center	13.8	17.6	14.0	16.7	1.190
	Side	14.2	15.8			
SCC-3D	Center	12.9	20.5	14.9	18.5	1.241
	Side	16.9	16.5			
SCC-3E	Center	23.9	30.3	21.0	27.2	1.296
	Side	18.1	24.1			
SCC-3F	Center	16.8	21.3	17.8	20.7	1.164
	Side	18.8	20.1			
VC-4	Center	31.2	39.8	33.5	35.7	1.065
	Side	35.8	31.5			
SCC-4A	Center	28.0	34.6	30.5	35.0	1.146
	Side	33.0	35.3			
SCC-4B	Center	25.2	34.4	22.7	33.3	1.468
	Side	20.3	32.3			
SCC-4C	Center	23.1	27.2	23.5	27.0	1.148
	Side	24.0	26.9			
SCC-4D	Center	15.0	23.0	18.7	26.6	1.426
	Side	22.4	30.3			
SCC-4E	Center	33.9	39.8	29.3	39.8	1.357
	Side	24.7	39.8			

Because of the between-specimen variability, each wall-end pair was averaged.

Within each mixture (both materials), the average bottom-cast coarse aggregate content always exceeded top-cast content. In line with the practice utilized to determine top-bar

effects, top- and bottom-cast percentages were converted to a single, analyzable result by dividing the bottom-cast coarse aggregate percentage by the top-cast percentage. This “coarse aggregate distribution index,” which indicates the difference in coarse aggregate percentage between locations in large specimens, was used as the DIA benchmark result for all analyses. Coarse aggregate distribution index results are summarized in Table 2.9.

#### **2.4.3.4.2 Digital Image Analysis of Top-Cast Cores**

In addition to the DIA analysis necessary to tabulate coarse aggregate indices, the cores used for HVSI testing were further evaluated using DIA to study the quantifiability of the HVSI test (which is subjective in nature, like the VSI). To do so, a method was used similar to those used by Johnson et al. (2010) and ASTM C1610: the 8 in. top-cast cores were divided into 2 in. quartiles, and the coarse aggregate percentage in the bottom quartile was divided by that in the top. This “core segregation index,” which is shown in Table 2.12, was then compared to the HVSI results shown in Table 2.9.

Table 2.12: Core segregation index results

Mixture ID	Specimen	Coarse Agg. %		Average		Core Segregation Index
		Top Quartile	Bottom Quartile	Top Quartile	Bottom Quartile	
VC-3	Center	13.0	18.7	10.6	15.0	1.421
	Side	8.2	11.4			
SCC-3A	Center	15.5	20.9	16.3	18.8	1.156
	Side	17.0	16.7			
SCC-3B	Center	28.5	20.6	27.3	21.3	1.000
	Side	26.2	21.9			
SCC-3C	Center	14.8	18.6	14.6	17.3	1.179
	Side	14.5	16.0			
SCC-3D	Center	10.8	18.4	14.9	19.5	1.309
	Side	19.0	20.7			
SCC-3E	Center	12.3	23.7	19.0	25.1	1.320
	Side	25.7	26.4			
SCC-3F	Center	23.7	15.2	20.8	20.1	1.000
	Side	17.9	25.0			
VC-4	Center	31.5	33.0	34.9	36.3	1.041
	Side	38.2	39.6			
SCC-4A	Center	36.7	30.7	34.4	36.9	1.073
	Side	32.1	43.1			
SCC-4B	Center	16.2	26.0	22.7	27.4	1.209
	Side	29.1	28.8			
SCC-4C	Center	8.6	30.2	13.0	28.3	2.172
	Side	17.5	26.5			
SCC-4D	Center	5.6	17.2	16.9	20.9	1.236
	Side	28.2	24.7			
SCC-4E	Center	15.3	33.5	24.2	40.7	1.686
	Side	33.0	48.0			

#### 2.4.3.5 Alternative Approaches for Result Determination

Alternative approaches were considered when choosing how to compare the UPV, pullout, and DIA measures to each other and to each fresh concrete stability test result. In addition to simple ratios of maximum results to minimum results, UPV results were alternatively tabulated as the ratio of the maximum UPV difference divided by the average of all measurements. This was considered because of the inconsistency between measurement location and pulse velocity illustrated in Figure 2.60. However, the alternative did not significantly affect the relationships found. This alternative was not possible when considering pullout or DIA testing, as only two finite groups were compared—the ratio of top to bottom measurements is directly proportional to their difference divided the average of the two.

While mixture-maximum UPV segregation index and top-bar effect results identify the most severe heterogeneity present among multiple walls, *average* uniformity values for each mixture were considered because of the inconsistency between wall height and uniformity shown in Figure 2.61 and Figure 2.63. However, these alternatives did not significantly affect the relationships found. As discussed in Section 2.4.3.3, this alternative was not possible when considering HVSI or coarse aggregate distribution index results, as only one wall from each mixture was tested.

Alternative DIA samples were analyzed in accordance with the DIA research practices of Johnson et al. (2010). They concluded that segregation most significantly affects the top and bottom one inch of a given specimen, so the top inch of each top-end pair was compared to the bottom inch of the top-end pair, as well as to the bottom inch of the bottom-end pair. Neither of these alternatives significantly affected the relationships

found. While this contradicts the findings of Johnson et al. (2010), the results may not be directly comparable since they analyzed circular sections taken from a plane parallel to the top-cast surface, while the sections considered here were rectangular sections taken from a plane normal to the top-cast surface.

Alternative DIA samples were also analyzed in accordance with the DIA research practices of Khan and Kurtis (2010). They evaluated a simple percentage difference in coarse aggregate content between top- and bottom-cast specimens, so the same was evaluated for the mixtures tested for this research. This alternative did not significantly affect the relationships found. Again, the importance of the lack of correlation is unclear. Khan and Kurtis (2010) only found significant differences between sections from different longitudinal locations within a large specimen and not over height at a given longitudinal location, so the same was expected of this research, in which longitudinal flow was negligible.

#### **2.4.3.6 Correlations between Hardened Test Results**

Table 2.13 is a correlation matrix that shows the linear-regression coefficients of determination ( $R^2$ ) between each hardened uniformity test when comparing *all available* mixtures. The comparison between UPV segregation index and top-bar effect includes twenty-four mixtures, while all comparisons involving the HVSI or coarse aggregate distribution index consist of thirteen mixtures; VC results were included in these comparisons, as the comparisons do not concern fresh concrete stability test results. A nonlinear model was also applied to each relationship, but no  $R^2$ -value was improved by more than 0.10 through the use of a nonlinear model. In the table, some  $R^2$ -values are

highlighted that indicate significantly stronger correlations—the smallest bold value is at least 50% greater than all non-highlighted  $R^2$ -values, thus indicating a division of relative correlation strength. Additionally, the core segregation index (see Section 2.4.3.4) was only compared to the HVSI, as it was only calculated to evaluate the quantifiability of the HVSI test.

Table 2.13: Hardened concrete uniformity result linear  $R^2$

Test Result	Core Segregation Index	Coarse Agg. Dist. Index	HVSI	Top-Bar Effect	UPV Segregation Index
UPV Segregation Index	N.A.	0.00	0.01	<b>0.69</b>	-
Top-Bar Effect	N.A.	0.02	0.00	-	
HVSI	<b>0.64</b>	0.09	-		
Coarse Agg. Dist. Index	N.A.	-			

*Note: N.A. = Not applicable, per above discussion*

In the table, the linear hardened concrete uniformity test correlations having the greatest  $R^2$ -values were the correlations between UPV segregation index and top-bar effect and between the HVSI and core segregation index. These relationships are shown in Figure 2.64 and Figure 2.65.

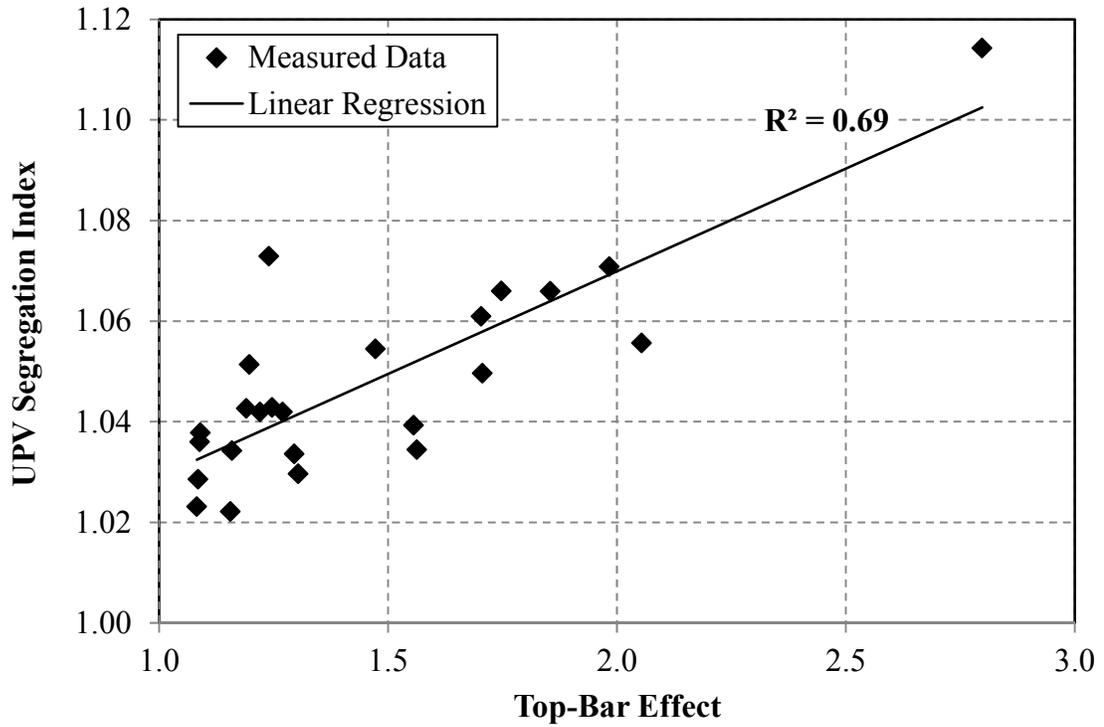


Figure 2.64: Comparison between top-bar effect and UPV segregation index

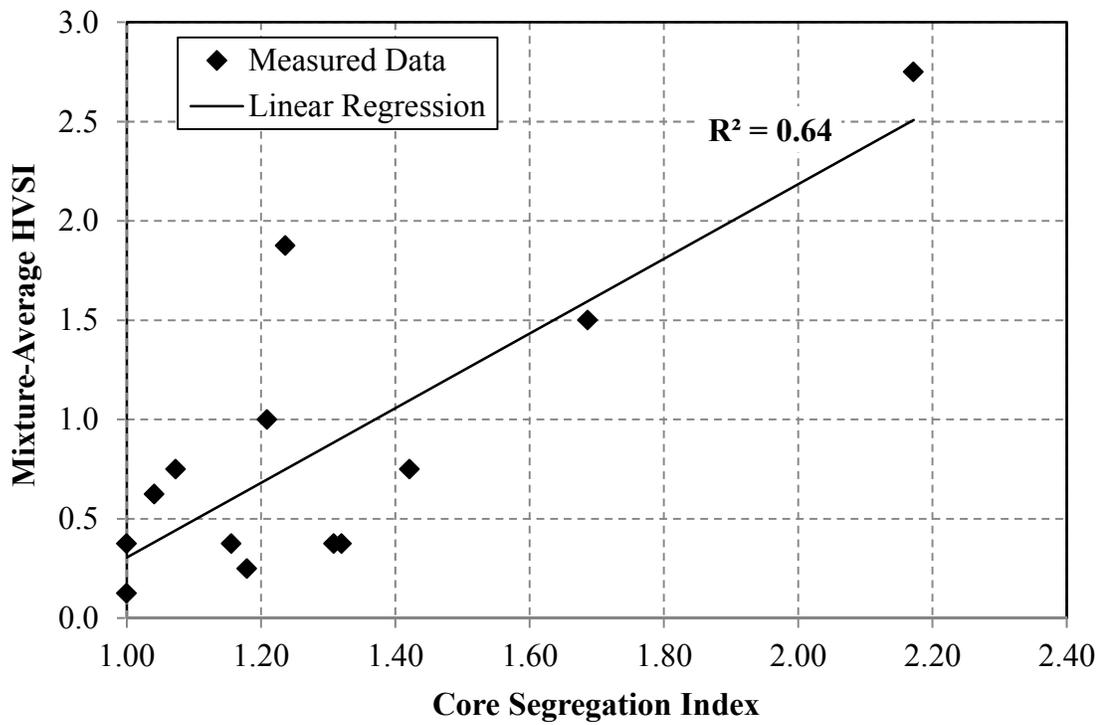


Figure 2.65: Comparison between core segregation index and HVSI

Several conclusions are drawn from the relationships presented in these figures. The types of in-situ non-uniformity identified by the UPV (air void stability, aggregate gradation, localized  $w/cm$ , etc.) appear to also affect the bond between concrete and horizontally-embedded reinforcement. This is in line with the findings of Castel et al. (2006), Esfahani et al. (2008), and Khayat et al. (1997), who all found that weakened bond surfaces develop as a result of irregular constituent dispersion. Also, the HVSI is correlated to less subjective, quantifiable results of DIA. This also confirms that SCC-3, which was proportioned with a ½ in.-NMSA aggregate, exhibited greater coarse aggregate uniformity than SCC-4, as uniformity was identified using both standardized HVSI procedures and quantifiable DIA.

Notably from Table 2.13, the HVSI and coarse aggregate distribution index do not exhibit a reasonable correlation with the UPV segregation index, top-bar effect, or each other. Several conclusions are warranted by these findings:

- Segregation appears to affect mechanical properties identified by UPV and pullout testing (air void stability, aggregate gradation, localized  $w/cm$ , bond to reinforcement) differently than properties identified by HVSI or DIA testing (coarse aggregate content and distribution, paste-layer depth),
- Segregation appears to affect mechanical properties quantified by the HVSI (localized coarse aggregate content and distribution, paste-layer depth) differently than properties quantified by the coarse aggregate distribution index (differences in coarse aggregate content between testing locations),

- Mixtures exhibiting acceptable uniformity according to the HVSI and coarse aggregate distribution index may not exhibit acceptable UPV and pullout uniformity, or vice versa.

Additionally, the HVSI is strongly correlated to the core segregation index (for top-cast cores) but not to the coarse aggregate distribution index (measure of variability between top-cast and bottom-cast cores). This suggests that the HVSI may be insufficient for identifying differences in coarse aggregate content within large specimens. Alternatively, a larger sampling of cores for HVSI evaluation may be necessary considering the large HVSI and DIA variation observed between adjacent cores from the same specimen (see Section 2.4.3.3 and 2.4.3.4).

To conduct a more refined comparison of the hardened concrete uniformity results, consideration was given to the same potential variables as during fresh stability result evaluation: coarse aggregate NMSA, target total aggregate volume, and, among the ½ in.-NMSA mixtures, a combination of the NMSA and aggregate volume. However, no correlations between measures of hardened concrete uniformity were improved by subdivision of their results. The strong correlations between the UPV segregation index and top-bar effect and between the HVSI and core segregation index were not statistically different between groups, and no other correlations involving the HVSI or coarse aggregate distribution index were improved.

From these results, it is concluded that the relationship between the UPV segregation index and top-bar effect (and between the types of in-situ non-uniformity identified by them) was consistent across the studied concrete mixtures. Also, concretes

of different coarse aggregate gradations can be evaluated with the HVSI with equal capability, although the relevance of results to in-situ concrete uniformity is unclear.

#### 2.4.4 Correlations between Test Results

Table 2.14 consists of linear-regression coefficients of determination ( $R^2$ ) between each fresh stability and hardened uniformity test result when comparing *all available* SCC results (comparisons to the UPV segregation index and top-bar effect include twenty mixtures, while comparisons to the HVSI and coarse aggregate distribution index consist of eleven mixtures). In the table,  $R^2$ -values are highlighted to show relative strength—the smallest bold value is at least 50% greater than all non-highlighted  $R^2$ -values, thus indicating a division of relative degree of correlation strength.

Table 2.14: Linear correlation  $R^2$ -values between fresh concrete stability and hardened concrete uniformity test results (all available SCC results)

Hardened Uniformity Test Result	Fresh Concrete Stability Test Result					
	VSI	Seg. Index	Rapid Pen.	Sieved Fraction	Rate of Settle.	Max. Settle.
UPV Segregation Index	<b>0.47</b>	0.16	0.04	<b>0.39</b>	0.15	0.15
Top-Bar Effect	<b>0.38</b>	0.12	0.01	0.23	0.20	0.07
HVSI	0.00	<b>0.41</b>	0.02	<b>0.51</b>	0.13	0.12
Coarse Agg. Dist. Index	0.00	0.00	0.00	0.09	0.10	0.09

Highlighted in the table, the linear test correlations having the greatest  $R^2$ -values were the correlations relating the VSI to the UPV segregation index and top-bar effect and relating the sieved fraction to the UPV segregation index and HVSI. The only other strong correlation was between the segregation index (column segregation test result) and HVSI. The rapid penetration test and surface settlement test do not exhibit a reasonable correlation with any hardened concrete uniformity test results, at least when comparing all available mixtures.

A nonlinear model was also applied to each relationship, but no  $R^2$ -value was improved by more than 0.10 through the use of a nonlinear model. Furthermore, extended-rest rapid penetration results were evaluated per the discussion of Section 2.4.2.6. However, no correlations between the rapid penetration test and any measure of in-situ stability were improved by use results obtained after a 10 min. rest period.

To conduct a more refined comparison of the results, consideration had to be given to potential variables that could subdivide the SCC mixtures. In light of the discussion of Section 2.4.2, the results were subdivided three ways: by NMSA ( $\frac{1}{2}$  in. or  $\frac{3}{4}$  in.), target total aggregate volume (greater or less than 65%), and, among the  $\frac{1}{2}$  in.-NMSA mixtures, a combination of the NMSA and aggregate volume. The third subdivision, consisting of a combination of NMSA and target total aggregate content, is only evaluated for relationships involving the UPV segregation index and top-bar effect. All mixtures evaluated using the HVSI and coarse aggregate distribution index (SCC-3 and SCC-4 mixtures) had the same target total aggregate content. Therefore, relationships involving the HVSI and coarse aggregate distribution index are only subdivided by NMSA.

Complete tables of subdivided comparisons between concrete test results are given in Appendix A. For the sake of brevity, only relationships that are significantly affected by subdivision of test results are presented in Table 2.15. Significance is identified by the following criteria:

- A statistically significant difference, at a 90% confidence interval (CI), is observed between the classes of linearly correlated fresh results,
- The  $R^2$ -value for at least one class changed by greater than 0.10 versus the  $R^2$ -value calculated from the all-mixture comparison of the same relationship, and
- The change in  $R^2$ -values for the subdivided groups affects whether the relationship is identified as a relatively strong correlation (as discussed in reference to Table 2.14).

Table 2.15: Linear correlation  $R^2$ -values between fresh and hardened concrete test results (SCC groups significantly affected by result subdivision)

Result Comparison	All-Mix. $R^2$	Method of Subdivision					
		NMSA		Total Agg.		½ in.-NMSA, Agg	
		½ in. NMSA	¾ in. NMSA	> 65% Agg.	< 65% Agg.	> 65% Agg.	< 65% Agg.
Top-Bar Effect & Sieve Frac.	0.23	0.38	0.46	-	-	-	-
Top-Bar Effect & Rate of Set.	0.20	-	-	-	-	0.70	0.62
UPV Seg. Index & Sieve Frac.	0.39	0.50	0.64	-	-	-	-
UPV Seg. Index & Rate of Set.	0.15	-	-	-	-	0.37	0.84
HVSI & Sieve Frac.	0.51	0.08	0.03	N.A.	N.A.	N.A.	N.A.
HVSI & Seg. Index	0.41	0.13	0.31	N.A.	N.A.	N.A.	N.A.

Notes: - = correlation does not meet significance criteria for inclusion; N.A. = no available data for correlation

The most significant relationship changes (whether favorable or unfavorable) revealed by the subdivision of results involve the sieve stability test, surface settlement test, and HVSI. Those changes are discussed further in Sections 2.4.4.2 through 2.4.4.4. Conclusions can also be drawn based on the relationships *not* included in Table 2.15, as their exclusion indicates what correlations, or lack thereof, shown in Table 2.14 are *not* significantly affected by subdivision of results. Notably absent are relationships involving the VSI, rapid penetration test, and coarse aggregate distribution index. These relationships are discussed in Sections 2.4.4.1 and 2.4.4.4. No correlation between fresh

stability and in-situ uniformity of concrete was significantly improved through the use of a nonlinear regression model.

#### 2.4.4.1 Visual Stability Index Correlations

The VSI exhibited the strongest correlation to both the UPV segregation index and top-bar effect of any fresh concrete stability test, at least when considering all available mixtures (twenty SCC mixtures). These relationships are shown in Figure 2.66 and Figure 2.67.

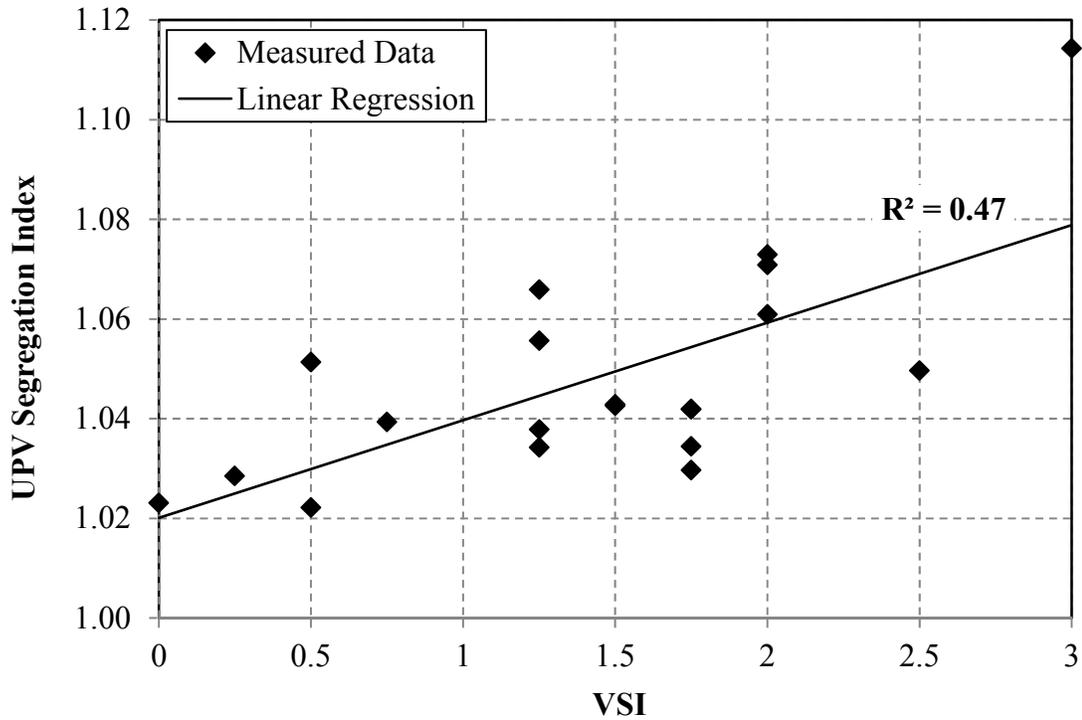


Figure 2.66: Comparison between VSI and UPV segregation index

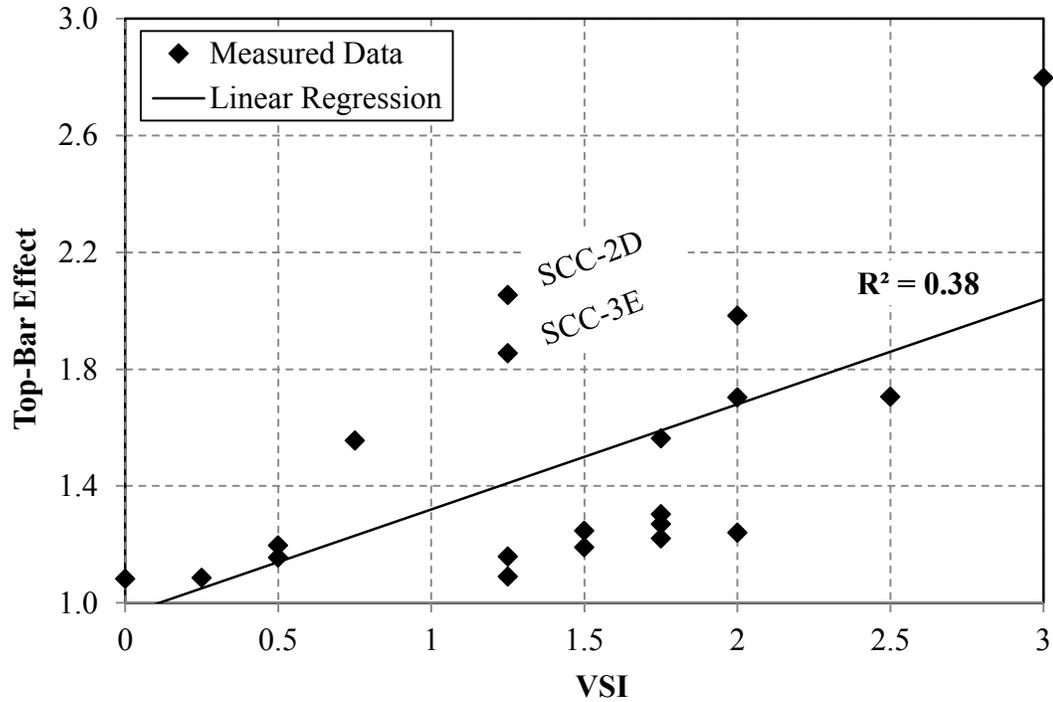


Figure 2.67: Comparison between VSI and top-bar effect

The VSI was found to be relatable to less subjective fresh concrete stability tests (see Section 2.4.2.2), and the relevance of its results to in-situ concrete uniformity is confirmed by Figure 2.66 and Figure 2.67. Important in both of those figures is that the relationships were not significantly different between classes subdivided by coarse aggregate NMSA, target total aggregate content, or, among the ½ in.-NMSA mixtures, by a combination of both. This suggests that the VSI is a viable fresh concrete stability test method for evaluation of SCC stability in a wide variety of SCC mixtures. The consistency of its results in a variety of situations should prove valuable during its use.

#### 2.4.4.2 Sieve Stability Test Correlations

The sieve stability test exhibited the second strongest fresh concrete stability correlation to both the UPV segregation index and top-bar effect, even before subdividing its results

by NMSA. Recall from Section 2.4.2.2 that the sieve stability test appears to be noticeably affected by coarse aggregate NMSA. This dependence is confirmed by the results presented in Table 2.15. Upon subdivision by coarse aggregate NMSA, the correlations between the sieve stability test and UPV segregation index are stronger than those of all other fresh test comparisons to the UPV segregation index. Likewise, its correlations to the top-bar effect are approximately as strong as the all-mixture comparison of the VSI to top-bar effect. Relationships between the sieve stability test and the two measures of in-situ concrete uniformity are shown in Figure 2.68 and Figure 2.69.

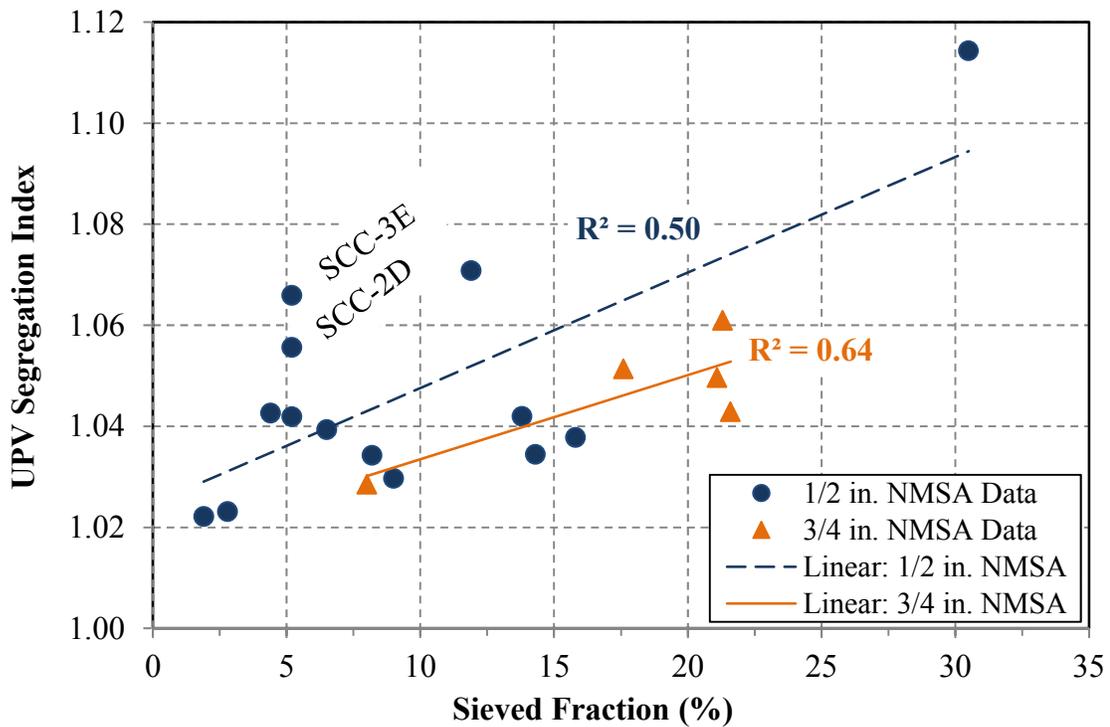


Figure 2.68: Comparison between sieved fraction and UPV segregation index (mixtures subdivided by coarse aggregate NMSA)

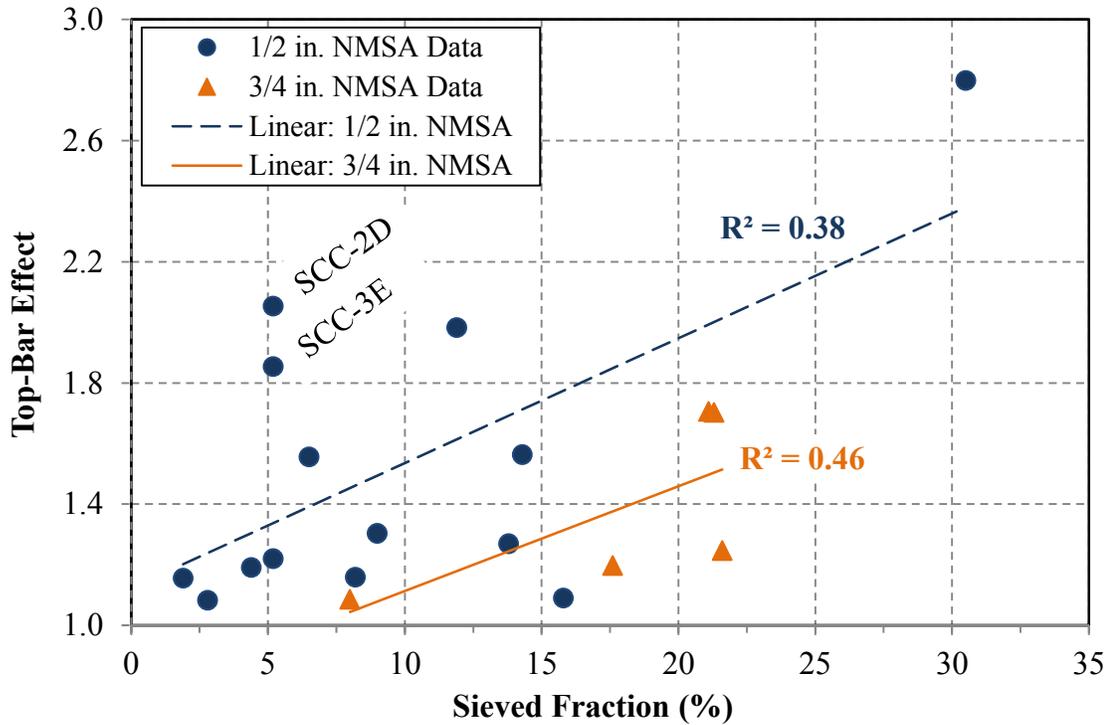


Figure 2.69: Comparison between sieved fraction and top-bar effect (mixtures subdivided by coarse aggregate NMSA)

The relevance of sieve stability results to in-situ concrete uniformity is clear in Figure 2.68 and Figure 2.69, but with results that are distinctly affected by coarse aggregate NMSA. Like its subdivided relationships with the VSI (see Section 2.4.2.2), the sieve stability relationships to both UPV and pullout uniformity indicate that larger sieve fractions occur in  $\frac{3}{4}$  inch-NMSA SCC. The shift toward larger results appears to affect only the sieve stability result and not the UPV segregation index or top-bar effect, which indicates that the shift is more likely a result of the fresh concrete stability test method than different in-situ uniformity between NMSA classes. In other words, SCC mixtures of a  $\frac{3}{4}$  inch-NMSA exhibit the same range of in-situ uniformity results as SCC mixtures of a smaller coarse aggregate gradation, but with consistently higher sieve stability results.

In light of the discussion of this section, the strong apparent correlation between the sieve stability test and the HVSI found over all available mixtures had to be evaluated after subdividing the results by NMSA. The subdivided results, which are presented in Table 2.15, are also illustrated in Figure 2.70.

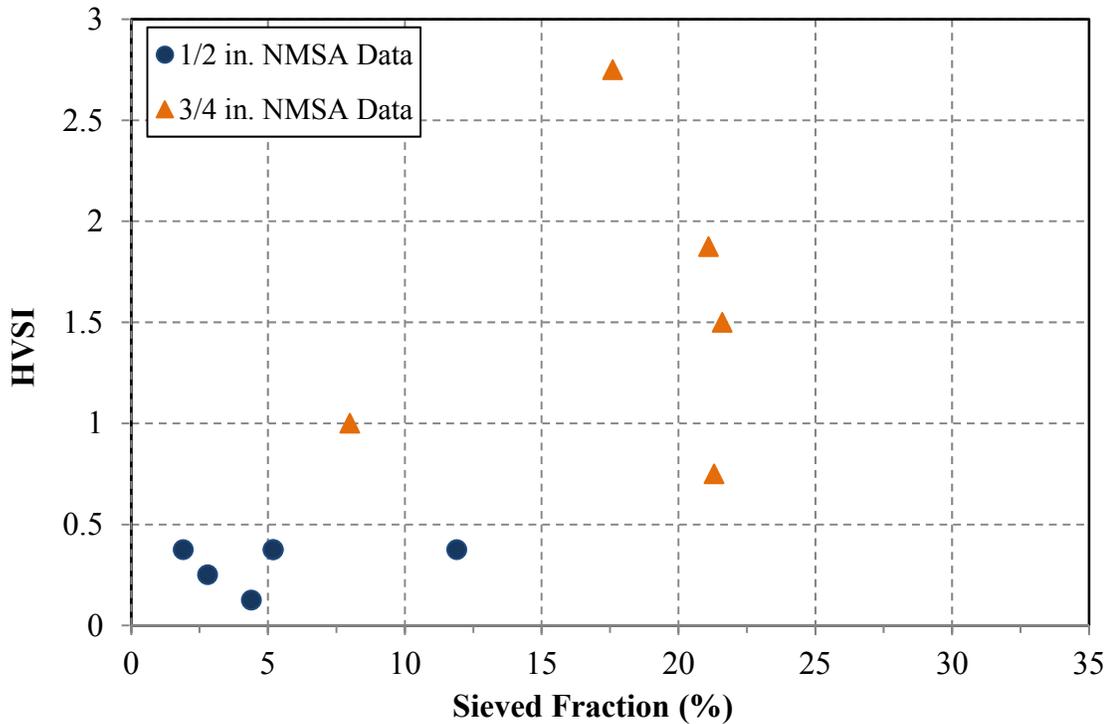


Figure 2.70: Comparison between sieved fraction and HVSI (mixtures subdivided by coarse aggregate NMSA)

It is concluded from the figure and Table 2.15 that the strong apparent correlation between the sieve stability test and HVSI is a coincidental result of the particular data collected for this research. Within each coarse-aggregate-NMSA class, the sieve stability result and HVSI result do not correlate well; instead, a linear trend is accidentally created upon combining the two classes. Notably, distinct improvement and relative strength of sieve stability correlations to the UPV segregation index, top-bar effect, and VSI upon

subdivision lead to two conclusions: 1) the sieve stability test is relatable to hardened concrete uniformity as evaluated by multiple in-situ measures, but 2) the HVSI likely exhibits too much variability to be of value to assess the impact of segregation.

#### **2.4.4.3 Surface Settlement Test Correlations**

The surface settlement test (rate of settlement or maximum settlement) did not exhibit relatively strong correlation to any measure of in-situ concrete uniformity when comparing all available results. Upon subdivision by coarse aggregate NMSA, though, the correlations between the rate of settlement and UPV segregation index are at least as strong as those of all other fresh test comparisons to the UPV segregation index.

Likewise, correlations between rate of settlement and top-bar effect are the strongest of all comparisons between concrete stability and in-situ uniformity, when subdivided by coarse aggregate NMSA. Relationships between the rate of settlement and the two measures of in-situ concrete uniformity are shown in Figure 2.71 and Figure 2.72.

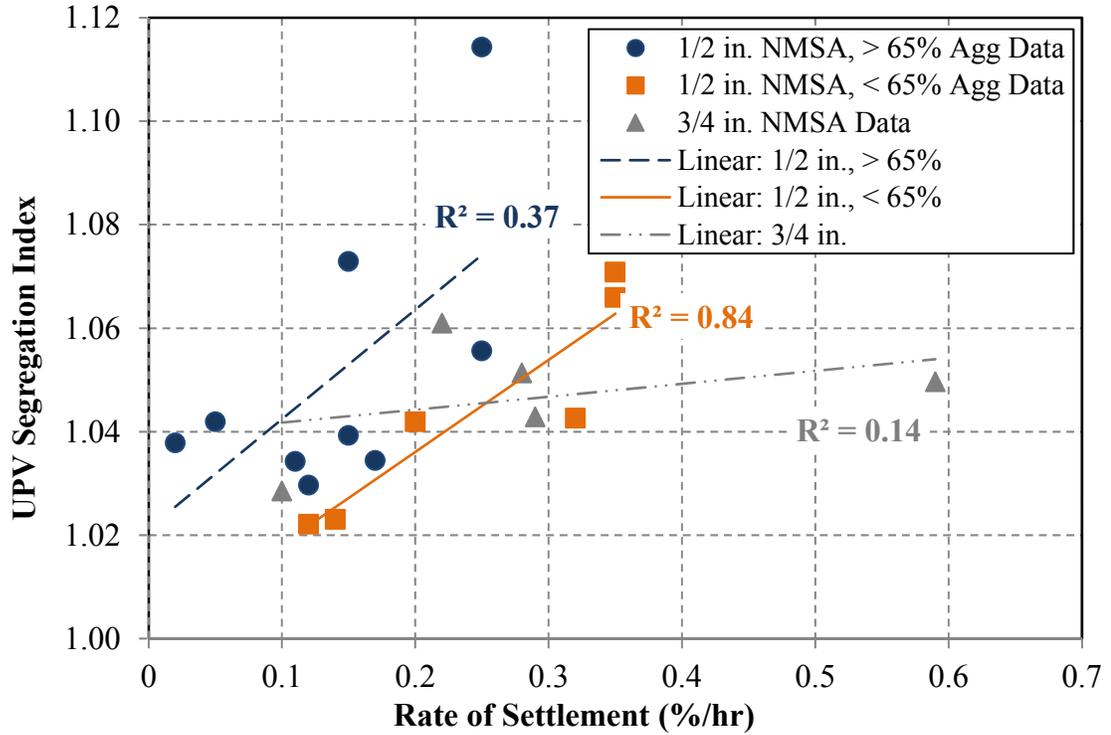


Figure 2.71: Comparison between rate of settlement and UPV segregation index (mixtures subdivided by coarse aggregate NMSA and total aggregate volume)

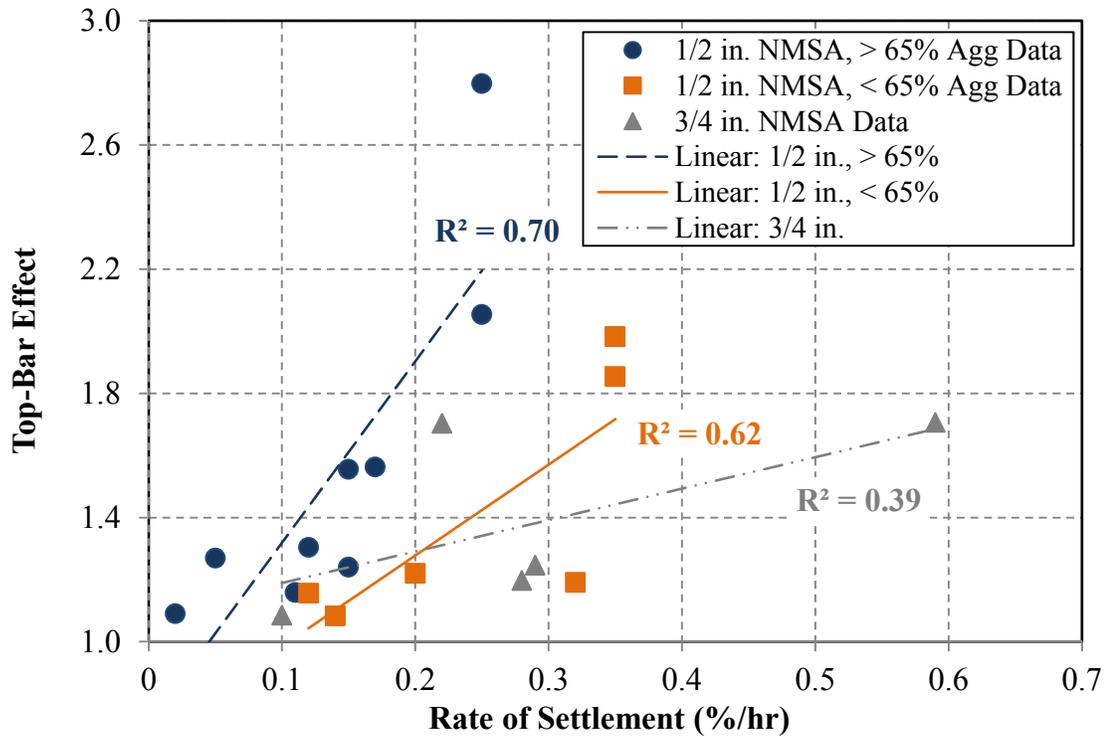


Figure 2.72: Comparison between rate of settlement and top-bar effect (mixtures subdivided by coarse aggregate NMSA and total aggregate volume)

The relevance of rate of settlement results to in-situ concrete uniformity is clear in Figure 2.71 and Figure 2.72, but with distinctly different settlement results in different classes of mixtures. There also appears to be a larger difference between the different target-aggregate-volume classes of ½ in.-NMSA results than between the two NMSA classes of a lesser target aggregate content. This is not in full agreement with the findings of Khayat and Mitchell (2009), who found that mixture NMSA predominately affects the results of this test. The results agree with the findings of Khayat (1999), Khayat et al. (2000), and Sonebi and Bartos (2002), though, who all found that the test can be affected by coarse aggregate content and binder content. Comparing target-aggregate-volume classes of the ½ in.-NMSA mixtures, the mixtures of a lesser target aggregate content clearly yield larger rates of settlement. This agrees with the findings of Bonen and Shah (2004), Koehler and Fowler (2008), and Shen (2007), who indicate that an aggregate lattice structure present in mixtures with larger total aggregate volume should reduce coarse aggregate settlement.

Similar to the discussion of the previous section (regarding sieve stability results), the shift toward larger rate of settlement results appears to affect only the fresh concrete stability test and not the UPV segregation index or top-bar effect. In other words, mixtures of a lesser total aggregate volume exhibit the same range of in-situ uniformity results as those of a larger aggregate volume, but with consistently higher rates of surface settlement.

#### **2.4.4.4 Fresh Concrete Stability and Hardened Concrete Uniformity Tests Exhibiting Weak Correlations**

The column segregation and rapid penetration tests did not exhibit relatively strong correlations to any measure of hardened concrete uniformity. Each of these tests was conducted on all twenty SCC mixtures prepared for this research, and performance was poor in all subdivisions of mixtures. Furthermore, rapid penetration test results obtained after extended rest periods correlated equally poorly with measures of in-situ uniformity in eleven tested SCC mixtures.

The only potentially viable correlation was between the segregation index (column segregation test) and the HVSI when comparing all mixtures. Subdivision of results by coarse aggregate NMSA was warranted, though, by the findings discussed in Section 2.4.2, in which the column segregation test appears to be affected by coarse aggregate NMSA. It was further necessary in light of the poor correlations found between the sieve stability test and HVSI upon subdivision of results. The sieve stability test and column segregation test appear to be equally affected by mixture NMSA (see Section 2.4.2.3), and both tests exhibit a strong correlation to the HVSI when comparing all results. Segregation index and HVSI results are plotted in Figure 2.73 and shown in Table 2.15, with results subdivided by coarse aggregate NMSA.

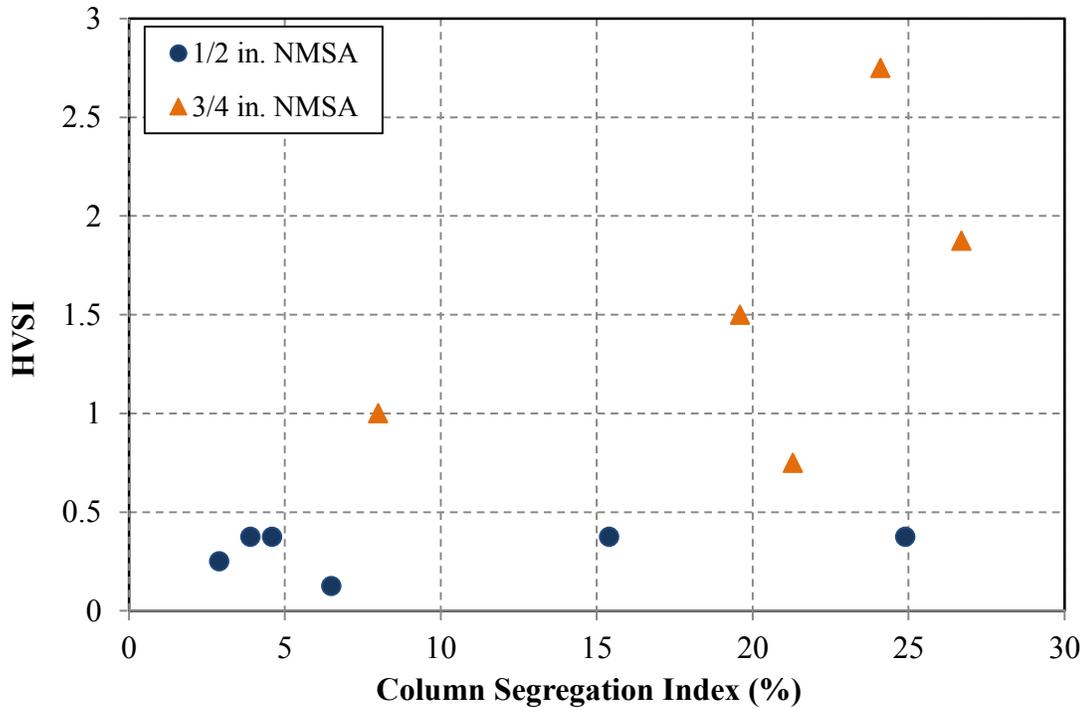


Figure 2.73: Comparison between column segregation index and HVSI (mixtures subdivided by coarse aggregate NMSA)

Like the correlation between sieve fraction and HVSI, the segregation index and HVSI data presented in Figure 2.73 and Table 2.15 indicate that the correlation between segregation fraction and HVSI is a coincidental result of the particular data collected for this research.

While the HVSI may indicate important forms of segregation (paste-layer depth and coarse aggregate content and distribution), it appears to exhibit too much variability to effectively study in-situ concrete uniformity when assessed as done in this research. Similarly, no fresh concrete stability test exhibits a strong correlation to the coarse aggregate distribution index determined through the use of DIA, whether when considering all available results or subdivided results. The core segregation index (see Section 2.4.3.4) does correlate well to the HVSI, though, which suggests that lack of

correlation to fresh concrete stability tests is a result of the variability of the coring process and not an inability of fresh tests to identify stability. In other words, while several fresh concrete stability tests consistently correlate to measures of in-situ uniformity, a larger collection of cores (for HVSI or DIA analysis) would be necessary to effectively evaluate a mixture's in-situ uniformity.

## **2.4.5 Stability Testing Protocol and Criteria**

### **2.4.5.1 Test Method Recommendations**

The use of the VSI, sieve stability test, and surface settlement test in determining SCC stability is warranted from the discussions presented in Sections 2.4.2 and 2.4.4. In summary from those sections, these tests are recommended for use because

- The VSI is the only fresh concrete stability test that is well-correlated to hardened concrete uniformity as measured by both UPV and pullout testing when considering all available data, thus making it the most versatile fresh concrete stability test evaluated,
- The sieve stability test exhibits the strongest correlations to hardened concrete uniformity as measured by both UPV and pullout testing when accounting for coarse aggregate NMSA, thus making it the most accurate fresh concrete stability test when coarse aggregate NMSA is known, and
- The surface settlement test (rate of settlement) exhibits the strongest correlation to hardened concrete uniformity as measured by pullout testing when considering target total aggregate volume, thus making it the most valuable fresh concrete

stability test when aggregate content is known to equal greater or less than 65% of total volume.

Further conclusions concerning the use of these tests, summarized from Sections 2.4.2 and 2.4.4, include that

- The use of an abbreviated rest period of eighty seconds during the sieve stability test is warranted based on strong correlation between the abbreviated results and those taken after the standard, fifteen-minute rest period,
- Sieved fractions measured after a rest period of eighty seconds are comparable to results obtained after a rest period of fifteen minutes, but differences may be conservatively accounted for during acceptance criteria determination, and
- Measurement of the rate of settlement determined over the 5-min. interval between (10:00–15:00) is sufficient for stability assessment by the surface settlement test, based on strong correlation between the rate of settlement and maximum settlement determined during the test.

Based on these conclusions, the testing protocol recommended by Keske et al. (2013b) is confirmed, except that the use of an abbreviated rest time with the sieve stability should be used during testing. Thus, the use of the VSI and *abbreviated* sieve stability test are recommended for use in on-site quality assurance, while the surface settlement test (rate of settlement) is recommended for mixture prequalification in a laboratory setting. The VSI test provides quick feedback and should be the first test used to screen a load of SCC for quality assurance. If the VSI result exceeds acceptable limits

(discussed in the next subsection), then the slower sieve stability test can provide a quantitative result for final determination of batch acceptance or rejection.

Different limiting VSI and sieve fraction values have been previously recommended; regardless, using the sieve stability test result can remove undesirable subjectivity from batch acceptance decisions in borderline VSI situations. This approach requires simultaneous initiation of the VSI and sieve stability tests, but the sieve stability test may be discontinued if the SCC exhibits a clearly acceptable VSI result. The two test methods are strongly correlated, and this simple approach provides a quantitative means for field quality assurance testing.

#### **2.4.5.2 Test Result Recommendations**

In accordance with the practice of Keske et al. (2013b) and Khayat and Mitchell (2009), acceptance criteria for these three tests were determined based on limiting measured top-bar effects to less than 1.4. This top-bar-effect limit is based on the top-bar factor applied by AASHTO (2013) and ACI 318 (2011), and its use for acceptance criteria determination is further discussed in Section 2.2.5.2. The rounded fresh stability test results beneath which the tested concrete should not exhibit a top-bar effect greater than 1.4 are summarized in Table 2.16. Also, a UPV segregation index limit of 1.045 was utilized based on the relationship between top-bar effect and UPV segregation index discussed in Section 2.4.3.6. The two in-situ measures are strongly correlated, so fresh concrete stability criteria based on the UPV segregation index should affirm the criteria determined based on the top-bar effect.

Table 2.16: Fresh concrete stability test acceptance criteria

Fresh Test		In-Situ Measurement		Recommended Test Criteria
Result	Result Subdivision	UPV Seg. Index = 1.045	Top-Bar Effect = 1.4	
VSI	All	1.35	1.35	$\leq 1.0$
Sieved Fraction	½ in. NMSA:	9.2 <sup>1</sup>	8.5 <sup>1</sup>	$\leq 7.5\%^2$
	¾ in. NMSA:	17.3 <sup>1</sup>	18.0 <sup>1</sup>	$\leq 15\%^2$
Rate of Surface Settlement	> 65% Agg.:	0.130	0.122	$\leq 0.12\%/\text{hr}$
	< 65% Agg.:	0.267	0.269	$\leq 0.27\%/\text{hr}$

Notes: <sup>1</sup>=based on results 15 min. test results; <sup>2</sup> = recommended for use with abbreviated version of test (using 80 sec. rest period)

The linear regression model shown in Figure 2.67 for the relationship between the VSI and top-bar effect identifies a top-bar effect of 1.4 at a VSI value of approximately 1.35. This is confirmed by the model for the relationship between the VSI and UPV segregation index. Therefore, a VSI limitation of 1.0 is recommended in Table 2.16, as it conservatively accounts for the subjectivity of the VSI test method and matches the recommendation of Khayat and Mitchell (2009). A VSI of 1.0 is also generally effective at identifying mixtures that exhibited acceptable uniformity. However, final determination of SCC stability acceptance in mixtures of questionable uniformity (those exhibiting a VSI greater than 1.0) should be based upon a more quantitative test method such as the sieve stability test.

The linear regression models shown in Figure 2.69 for the relationships between the sieved fraction and top-bar effect identify a top-bar effect of 1.4 at distinctly different sieved fractions, depending on coarse aggregate NMSA. These results are confirmed by

the relationships between sieved fraction and UPV segregation index. Thus, the recommendations for sieved fraction acceptance criteria reflect the distinction:

- A sieved fraction limitation of 7.5% is shown for ½ in.-NMSA SCC because 10% matches the maximum sieved fraction recommended by EPG (2005) for highly demanding applications (vertical construction with confinement or lengthy flow), and a conservative reduction is acceptable for the abbreviated sieve stability test procedure discussed earlier, while
- A sieved fraction limitation of 15% is shown for ¾ in.-NMSA SCC because it matches the maximum sieved fraction recommended by EPG (2005) for Class 2 applications (vertical construction with limited confinement and travel distance), and Class 2 or less demanding class status is probable where ¾ in.-NMSA SCC can be utilized.

Selection of a slightly conservative allowable sieved fraction should account for potential increases in the variability of results taken after an 80-sec. rest period. It should also account for the prevalence of higher coarse aggregate fractions in precast, prestressed SCC (see Section 2.2.1.1). As coarse aggregate fraction increases, the portion of SCC that *can* fall through the sieve (mortar) decreases; consequently, the sieve stability test yields smaller sieved fraction results in these situations regardless of the actual segregation potential between mortar and coarse aggregate.

Similarly, the linear regression models for the relationships between the rate of settlement and top-bar effect identify a top-bar effect of 1.4 at distinctly different rates of settlement, with a lower allowable rate of settlement seen in SCC of a larger total

aggregate fraction. These results are confirmed by the relationships between rate of settlement and UPV segregation index. Thus, the recommendations for surface settlement rate acceptance criteria reflect the distinction:

- A settlement rate limitation of 0.12 %/hr is shown for high-aggregate-volume SCC because it matches the maximum rate recommended by Khayat and Mitchell (2009) for SCC of greater than ½ in. NMSA, and use of the most conservative published result is warranted based on measured in-situ concrete uniformity results, while
- A rate limitation of 0.27% is shown for low-aggregate-volume SCC because it matches the maximum rate recommended by Khayat and Mitchell (2009) for SCC of ½ in. or smaller NMSA, and its use is warranted based on measured in-situ concrete uniformity results.

Two SCC mixtures—SCC-2D and SCC-3E—exhibited questionable VSI results (1.25 for each) and sieved fraction results that would be acceptable (5.2% for each) but unacceptable UPV segregation indices and top-bar effects (see Figure 2.67–Figure 2.69). They also exhibited rates of surface settlement that would be unacceptable according to the above recommendations (see Table 2.5). The discrepancy between these results confirms that the use of conservative VSI and sieved fraction acceptance criteria are appropriate based on this research and that the surface settlement test is the most accurate of the evaluated fresh concrete stability test methods. Confounding factors and the nature of fresh concrete stability testing make it difficult to isolate the cause of the error; considering that these mixtures exhibited among the highest *w/cm* of any tested SCCs

(0.43 and 0.44) and a 30% SCM replacement rate (see Table 2.3), these particular mixtures may also be less indicative of SCC for precast, prestressed applications than others whose test results were more consistent.

The recommended rate of settlement and sieved fraction acceptance criteria may seem to contradict the recommendations of Khayat and Mitchell (2009) presented in NCHRP 628. They recommended a smaller acceptable surface-settlement rate limit for SCC of a larger NMSA (which may be subject to greater segregation potential), while the criteria recommended in Table 2.16 indicate a larger acceptable limit for SCC of a low total aggregate volume or larger NMSA. The results of this research indicate that SCC of a lesser aggregate volume or larger coarse aggregate gradation yields larger fresh concrete stability values (indicating less stability) but *equally acceptable* hardened in-situ concrete uniformity. Thus, the results of this research agree more closely with the findings discussed in Section 2.2.2.2—while use of a larger total aggregate fraction or smaller coarse aggregate NMSA may reduce aggregate settlement, they do not prevent other forms of SCC segregation.

## **2.5 Summary and Conclusions**

### **2.5.1 Summary**

The research described in this chapter was undertaken as part of a larger research project funded by ALDOT to study the behavior of SCC used in the production of precast, prestressed bridge girders. This laboratory phase was undertaken to address the assessment of fresh SCC stability, as this is a concern that may limit the use of SCC in precast, prestressed applications.

Five fresh concrete stability tests were selected for further study:

- ASTM C1611 Visual Stability Index (described in Section 2.2.4.1),
- ASTM C1610 Column Segregation Test (described in Section 2.2.4.2),
- ASTM C1712 Rapid Penetration Test (described in Section 2.2.4.3),
- Sieve Stability Test (described in Section 2.2.4.4), and
- Surface Settlement Test (described in Section 2.2.4.5).

To assess these tests, they were conducted concurrently with the casting of three concrete walls with heights of 54, 72, and 94 inches. Walls were cast and fresh concrete stability tests were conducted on a total of twenty mixtures, twenty of which were SCC. The twenty SCC mixtures were divided into four approximately equal groups by coarse aggregate size ( $\frac{1}{2}$  in.-NMSA or  $\frac{3}{4}$  in.-NMSA), total aggregate volume, and workability. Each mixture was adjusted to exhibit different fresh behavior and stability. The adjustments to stability were controlled by varying water content, HRWRA content, VMA content and type, or a combination of the variables.

The four VC mixtures were proportioned similarly to the SCC mixtures but using a higher  $w/cm$ , lower  $s/agg$ , and larger aggregate gradation typical of VC used in precast, prestressed applications. Only in-situ uniformity tests were conducted on VC mixtures, as the fresh concrete stability test methods could only be assessed in SCC mixtures.

Four test methods were selected to measure in-situ uniformity of the concrete walls: ultrasonic pulse velocity (UPV) testing, pullout bond testing, visual stability testing of hardened concrete cores (HVS), and digital image analysis (DIA) of aggregate content in hardened specimens. UPV testing was used primarily to identify changes in

overall uniformity of concrete, including changes in air void distribution and aggregate distribution. Pullout testing was conducted on eight-specimen groups of deformed steel bars cast horizontally through the walls at the bottom and top of each. This method was used primarily to identify changes in bond uniformity.

UPV segregation indices were determined for each wall and mixture based on the ratio of the fastest average pulse velocity to the slowest. The largest UPV segregation index for each mixture was used for comparative purposes. A top-bar effect was determined for each wall and mixture based on the ratio of the pullout strength of the bottom group of bars to the strength of the top group of specimens cast into each wall. The largest top-bar effect for each mixture was used for comparative purposes.

Following completion of UPV and pullout testing, four cores were taken from each 72 in. wall. Top-cast cores were evaluated using the HVSI, which identifies paste-layer depth and variation in the distribution and content of aggregate. DIA testing was then conducted on top- and bottom-cast cores to provide a quantitative measure of aggregate content in the top and bottom of each 72 in. wall. This quantitative measure, the coarse aggregate distribution index, was determined by dividing the coarse aggregate content in the bottom-cast cores by that of the top-cast cores.

Results from the five fresh concrete stability tests were then compared with each other and with the results of each in-situ hardened concrete uniformity test. The observations and conclusions made during the collection and analysis of these results are summarized in Section 2.5.2. The recommendations made based on this research are given in Section 2.5.3.

## 2.5.2 Research Observations and Conclusions

### 2.5.2.1 Fresh Concrete Stability Tests

- Fresh stability tests were compared to each other when using all available SCC test results (twenty results) and when using results from the same subdivision (by coarse aggregate NMSA, total aggregate volume, or both). While the VSI exhibited the same range of results within all subdivisions, the other fresh tests were affected by one or more of the studied mixture variables.
- The strongest correlations between fresh tests were those between the sieve stability, VSI, and column segregation tests (three paired correlations), and between the rate of settlement and maximum settlement determined from the surface settlement test. Only the fresh-test correlation between the rate of settlement and maximum settlement was *not* affected by at least one of the studied mixture variables.
- The rate of settlement determined during the surface settlement test correlated well with the maximum settlement found during the same test ( $R^2 = 0.60$ ) when compared using a linear regression model. Correlations between results subdivided by coarse aggregate NMSA or total aggregate volume were equally strong (based on magnitude of  $R^2$ -value) when using a nonlinear model.
- The sieve stability test correlated well with the VSI, but with different sieved fraction results when results were divided by coarse aggregate NMSA ( $R^2 = 0.62$  and  $0.63$  among  $\frac{1}{2}$  in. and  $\frac{3}{4}$  in.-NMSA mixtures). The VSI exhibited the same range of test results among both subdivisions, which suggests that the sieve

stability test yields larger sieved fraction results when testing  $\frac{3}{4}$  in.-NMSA SCC than when testing  $\frac{1}{2}$  in.-NMSA SCC.

- The column segregation test correlated well with the VSI, but with different segregation index results when results were divided by coarse aggregate NMSA ( $R^2 = 0.37$  and  $0.43$  among  $\frac{1}{2}$  in. and  $\frac{3}{4}$  in.-NMSA mixtures). The VSI exhibited the same range of results among both subdivisions, which suggests that the column segregation test yields larger segregation index results when testing  $\frac{3}{4}$  in.-NMSA SCC than when testing  $\frac{1}{2}$  in.-NMSA SCC.
- The sieve stability test correlated well with the column segregation test, but with different relationships when considering relationships divided by coarse aggregate content ( $R^2 = 0.54$  and  $0.72$  among mixtures with greater than or less than 65% total aggregate volume fraction). This was true even among mixtures of the same NMSA ( $R^2 = 0.54$  and  $0.80$  among  $\frac{1}{2}$  in.-NMSA SCC of different total aggregate volumes). This suggests that both tests are similarly affected by SCC segregation.
- The rapid penetration test did not show any reasonable correlations to other fresh concrete stability tests, whether considering all results or those subdivided into categories of NMSA or total aggregate volume.
- Sieve stability test results obtained after abbreviated rest periods of eighty seconds, five minutes, and ten minutes all correlated well with those obtained after the standard fifteen-minute rest period ( $R^2 = 0.93$ ,  $0.90$ , and  $0.95$ , respectively). The abbreviated-rest results were approximately equal to the standard-rest results and did not vary consistently with rest period.

### 2.5.2.2 Hardened Concrete Uniformity Tests

- The UPV segregation index (ratio of fastest to slowest pulse velocity) ranged from 1.022 to 1.114 in twenty SCCs of varying fresh stability and varied from 1.034 to 1.066 in four VCs.
- Pulse velocities decreased with increasing height in both VC and SCC, but the trend was not consistently related to the height of the specimen or relative location within the specimen.
- The top-bar effect (ratio of average bottom-cast bar pullout strength to the average top-cast bar pullout strength) ranged from 1.08 to 2.80 in twenty SCCs of varying stability and ranged from 1.09 to 1.75 in four VCs.
- Pullout bond strengths decreased with height in a majority of walls in both VC and SCC, but the reduction was not consistently related to specimen height.
- The HVSI assessed according to AASHTO PP-58 (AASHTO 2012) ranged from 0 to 3 in eleven SCC mixtures and was less than or equal to 1 in two VCs. ½ in.-NMSA mixtures exhibited lower HVSI values (indicating better uniformity), although adjacent samples from the same wall exhibited HVSI values that differed by as much as 2 (on a 0–3 scale). Therefore, large variability in the HVSI may be a result of the heterogeneous nature of as-placed concrete.
- The coarse aggregate distribution index (ratio of coarse aggregate in bottom sample to top sample) assessed with digital image analysis of cores ranged from 1.085 to 1.468 in eleven SCC mixtures and equaled 1.065 and 1.141 in two VCs. Variability between adjacent cores, at both the top and bottom of each wall, was as significant as that identified by the HVSI. Therefore, large variability in this

type of core assessment is likely a result of the heterogeneous nature of as-placed concrete.

- The UPV segregation index and top-bar effect are strongly correlated ( $R^2 = 0.69$ ), but the HVSI and coarse aggregate distribution index do not exhibit a reasonable correlation with the UPV segregation index, top-bar effect, or each other.
- The HVSI correlates well with the core segregation index ( $R^2 = 0.64$ ), a quantifiable measure of the coarse aggregate uniformity in the top-cast samples that were also tested according to the HVSI. This indicates that the core aggregate distribution can be quantified, although the significance of this measurement is unclear.
- Mixtures exhibiting acceptable uniformity according to the HVSI and coarse aggregate distribution index may not exhibit acceptable UPV and pullout uniformity, or vice versa.

### **2.5.2.3 Relationships between Fresh Concrete Stability and Hardened Concrete Uniformity Test Results**

- When comparing all available SCC results, the only relatively strong relationships were those relating the VSI to the UPV segregation index and top-bar effect ( $R^2 = 0.47$  and  $0.38$ , respectively) and the sieve stability test to the UPV segregation index ( $R^2 = 0.39$ ). Only the relationships between the VSI and measures of hardened concrete uniformity were unaffected by the subdivision of mixture results by coarse aggregate NMSA or total aggregate volume.
- Relationships between the sieve stability test and both UPV segregation index and top-bar effect were significantly improved by the subdivision of results by coarse

aggregate NMSA ( $R^2$  range = 0.38–0.64). This confirms that the sieve stability test is affected by coarse aggregate NMSA but is well correlated to measures of in-situ hardened concrete uniformity when considering that variable.

- Relationships between the rate of settlement and both UPV segregation index and top-bar effect were significantly improved by the subdivision of results by total aggregate volume, and the subdivided correlations were among the strongest between any fresh concrete stability test and these measures of hardened concrete uniformity ( $R^2$  range = 0.37–0.84). This confirms that the rate of settlement from the surface settlement test is affected by total aggregate volume but is well correlated to measures of in-situ hardened concrete uniformity when considering that variable.
- The column segregation and rapid penetration tests were not well correlated to any measure of in-situ hardened concrete uniformity, and the HVSI and coarse aggregate distribution index were not well correlated to any measure of fresh concrete stability.
- SCC of a lesser total aggregate volume or larger coarse aggregate NMSA may exhibit larger fresh stability test results (suggesting less stability), but in-situ hardened uniformity of concrete made with these mixtures can be equal to that of SCC of a larger total aggregate volume or smaller coarse aggregate NMSA, as well as that of a variety of VCs.

### **2.5.3 Recommendations**

#### **2.5.3.1 Test Method Recommendations**

- The VSI correlates well with quantitative measures of fresh concrete stability and several measures of in-situ hardened concrete uniformity, and its results are not affected by coarse aggregate NMSA or volume fraction. It is, therefore, the most versatile fresh concrete stability test studied, so it is valuable in determining SCC stability despite its subjective nature.
- The sieve stability test is quantitative in nature and correlates well with measures of fresh concrete stability and in-situ hardened uniformity. Its results are affected by coarse aggregate NMSA, in which larger sieved fractions may occur in SCC of a larger coarse aggregate NMSA. The sieve stability test is, therefore, a preferred test method for SCC stability when coarse aggregate NMSA is known.
- The results obtained from the sieve stability test after an abbreviated eighty-second rest period strongly correlate to those obtained after a standard fifteen-minute rest period, so the use of the abbreviated eighty-second rest period is recommended to provide accelerated results which will be best to use for job-site quality assurance testing.
- The sieve stability test correlates well with the column segregation test regardless of mixture subdivision by coarse aggregate NMSA or total aggregate volume, and it is more convenient, so it should always be used in place of the column segregation test for determination of SCC stability.
- The surface settlement test (rate of settlement) is quantitative in nature and correlates well with measures of in-situ hardened concrete uniformity. Its results

are affected by total aggregate volume, in which larger rates of settlement may occur in SCC of a lesser total aggregate volume. The surface settlement test is, therefore, a preferred test method for SCC stability when the approximate total aggregate volume is known.

- The rate of settlement and maximum settlement measured by the surface settlement test are strongly correlated, so the use of only the rate of settlement in place of the maximum settlement is recommended for improved test convenience.
- The use of the rapid penetration test, column segregation test, HVSI, and DIA of cores are not warranted by the results of this research. Reasons for their poor performance are unclear, although high test variability is suspected.

#### **2.5.3.2 Stability Testing Protocol and Criteria**

During mixture prequalification in a laboratory setting, the rate of settlement determined during the surface settlement test should be used alongside the sieve stability test to determine SCC mixture stability. The two measures, both of which provide a quantitative result and relate well with in-situ measures of hardened concrete uniformity, are differently affected by mixture composition and should together provide comprehensive identification of mixture stability. The rate of surface settlement should be limited to less than 0.12 %/hr and 0.27 %/hr for SCC with greater than and less than 65% total aggregate volume, respectively. The sieved fraction should be limited to 7.5% and 15% for ½ in. and ¾ in.-NMSA SCC, respectively.

Because it provides quick feedback, the VSI test should be the first test used to screen a load of SCC for quality assurance during full-scale production. If the VSI result

exceeds 1.0, then the sieve stability test can provide a quantitative result for final determination of batch acceptance or rejection while removing undesirable subjectivity from batch acceptance decisions in borderline VSI situations. The sieve stability result at which to determine acceptance may vary by application, mixture, and reinforcement type, but, when evaluating SCC for precast, prestressed applications, sieved fractions of 7.5% and 15% should be acceptable for ½ in. and ¾ in.-NMSA SCC, respectively. This approach requires simultaneous initiation of the VSI and sieve stability tests, but the sieve stability test may be discontinued if the SCC exhibits a VSI less than or equal to 1.0. Despite the additional effort, this approach is simple and provides a quantitative means for field quality assurance testing.

## **Chapter 3: Production of Full-Scale Precast, Prestressed Girders**

### **3.1 Introduction**

The final phase of the AUHRC investigation of SCC for precast, prestressed construction was to produce Alabama's first bridge with precast, prestressed SCC girders. This full-scale implementation of SCC precast, prestressed girders consisted of the production of seven 97 ft-10 in. AASHTO-PCI BT-54 bulb-tees and seven 134 ft-2 in. BT-72 bulb-tees to be placed in a rural highway bridge over Hillabee Creek in Alexander City, Alabama alongside an equal number of companion VC girders. The most recent estimate of average daily traffic at this location (2011) was reported to equal 3,290 with approximately 10% heavy truck traffic (ALDOT 2014). The completed bridge is shown in Figure 3.1.



Figure 3.1: Completed bridge over Hillabee Creek (left two spans are SCC girder spans)

Full-scale production was conducted with minimal researcher interference or direct involvement, which provided the AUHRC researchers a unique opportunity to connect laboratory-investigated findings concerning the use of SCC to various aspects of as-built, full-scale structural behavior. Furthermore, because each property and full-scale structural behavior was assessed in the same members, correlations between these properties and behaviors were directly evaluated. Several properties, behaviors, and their correlations are discussed in Chapters 4–7 of this dissertation:

- Transfer bond behavior of full-scale girders (Chapter 4),
- Time-dependent material deformability (Chapter 5),
- Time-dependent behavior of full-scale girders (Chapter 6), and
- Elastic-response behavior of full-scale girders (Chapter 7).

Many aspects of the full-scale project are of importance to all of these correlations and must be considered first to effectively understand the comparisons made in Chapters 4–7. Those aspects include

- Project specification and intent,
- Girder geometry, reinforcement amount, and reinforcement layout,
- Production requirements and observations,
- Fresh concrete properties and associated testing practices, and
- Strength and stiffness properties of the utilized SCC and VC.

### **3.1.1 Chapter Objectives**

To advance the understanding of the use of SCC in precast, prestressed bridge girders, a comprehensive research program was conducted during Alabama’s first full-scale production of SCC girders for an in-service bridge. Many specific properties, behaviors, and comparisons from that research program are discussed in subsequent chapters. To fully understand the evaluations conducted in those chapters requires a holistic understanding of the production and characteristics of the studied girders. Thus, the primary objectives of this chapter are to

- Describe and assess the specification, geometry, production, and erection of the precast, prestressed SCC girders produced in Alabama’s first full-scale SCC implementation, and
- Describe and assess mechanical properties and production practices from the full-scale production that are of overarching significance to the material and structural behaviors described in this dissertation.

The research team identified several significant considerations necessary to achieve the primary objectives of this chapter:

- Implemented SCC and VC mixture designs,
- Fresh material properties exhibited by the implemented SCC and VC,
- Aesthetic and hardened material quality of SCC and VC girders, and
- Hardened mechanical properties of SCC and VC batches placed in the girders.

### **3.1.2 Chapter Outline**

The existing literature relevant to the work of this chapter is summarized in Section 3.2. First, trial specifications for the use of SCC in the state of Alabama are described. Development of these specifications coincided with the previous laboratory phases of the AUHRC's investigation of SCC for precast, prestressed girders, and they were used on a trial basis during this full-scale production. Next, previously completed full-scale research projects concerning the use of SCC in precast, prestressed applications are discussed. Lastly, literature concerning strength and elastic properties of SCC and VC for precast, prestressed element implementation is reviewed. Because strength and elasticity are related to structural properties discussed in later chapters of this dissertation, a review of literature concerning those properties in precast, prestressed SCC is prerequisite to discussing those chapters.

The experimental plan developed for this research project is documented in Section 3.3. Portions of this plan have been given elsewhere (Dunham 2011; Ellis 2012; Keske et al. 2013a), but describing the entire production process provides insights into how seemingly independent portions of the project were coordinated and conducted

simultaneously. Within that description, the girder geometry and composition, strand arrangement, and girder nomenclature are given first, followed by details of the girder production process. Finally, the experimental plan for the production of cylindrical concrete test samples (“cylinders”) for this research are described.

Relevant production observations and results from fresh property, compressive strength, splitting tensile strength, and elasticity testing are given in Section 3.4. Differences between SCC and VC are highlighted, and the predictability of material properties is assessed. Conclusions and recommendations derived from the findings described in this chapter are then summarized in Section 3.5.

## **3.2 Review of Existing Literature**

The ALDOT Special Provisions developed for SCC for this project are first reviewed in this section. Then, past full-scale assessments of SCC for precast, prestressed applications (including work done by the AUHRC) are reviewed. Finally, mechanical properties of SCC developed for precast, prestressed applications are reviewed.

### **3.2.1 ALDOT Special Provisions for Self-Consolidating Concrete**

Preliminary ALDOT SCC specifications were developed by AUHRC researchers for trial use during this full-scale production. While these specifications were mentioned occasionally in Chapter 2 in reference to effects on fresh properties, additional requirements concerning the production of precast, prestressed SCC girders are given in the following subsections concerning mixture design and production.

### 3.2.1.1 Concrete Mixtures

Concrete mixture proportions for precast, prestressed applications, whether involving VC or SCC, must satisfy the design requirements for the application—high workability (slump or slump flow), high early-strength gains, high durability, and low time-dependent deformability. Mixture and material proportions necessary to achieve appropriate fresh characteristics in SCC mixtures are detailed in Section 2.2.1. In line with that discussion and based on the findings of past AUHRC research (Boehm et al. 2010; Kavanaugh 2008), the SCC for the full-scale project was subject to the following mixture proportioning requirements:

- Cementitious content of no less than 600 lb/yd<sup>3</sup> to ensure adequate strength, stability, and robustness,
- *w/cm* not exceeding 0.45 to ensure adequate strength, stability, and robustness,
- *s/agg* of 0.45–0.55 to ensure adequate filling ability and slump flow,
- Coarse aggregate NMSA not exceeding ¾ in. to ensure adequate filling ability, passing ability, and stability,

Additionally, SCC was required to meet the following mixture design requirements:

- Slump flow of 25–29 in. to ensure adequate filling ability,
- VSI less than 2 (in other words, 1.5 or less) to ensure adequate stability,
- Slump flow and VSI, following addition of water equaling 2% of fine aggregate weight, equal to or less than 29 in. and 1.0, respectively, to ensure adequate robustness (resistance to segregation due to batching variation), and

- Drying shrinkage of less than or equal to 0.04% after twenty-eight days of drying.

Some mixture requirements applied to both the SCC and VC used in this project. From ALDOT-367 (ALDOT 2010a) and ALDOT Section 513 (ALDOT 2010b), these requirements included

- Air content not exceeding 6%, with a target air content of 4.5%,
- Cement content replacement, by weight, of no greater than 1) 30% with fly ash, 2) 50% with slag cement, 3) 10% with silica fume, 4) 20% with fly ash plus 10% with silica fume, or 5) 20% with fly ash plus 30% with slag,
- Specified compressive strengths at prestress transfer ( $f'_{ci}$ ) of 5,200 and 5,800 for BT-54 and BT-72 girders, respectively, and
- Specified 28-day compressive strengths ( $f'_c$ ) of 6,000 and 8,000 psi for BT-54 and BT-72 girders, respectively.

### **3.2.1.2 Concrete Production and Placement**

Standard ALDOT precast, prestressed girder production and placement procedures were used for both SCC and VC placements (ALDOT 2010a; 2010b), including

- 28-day verification of mixture  $f'_c$  any time that a change in mixture proportions (other than VMA and HRWRA) is requested.
- At least one test of concrete properties (slump or slump flow, temperature, air content, and compressive strength) must be completed for every 50 yd<sup>3</sup> of concrete placed in a production line.
- When using steam curing, it must be applied until the girders reach  $f'_{ci}$ .

- Detensioning of strands should take place after the concrete achieves  $f'_{ci}$  and immediately after the curing period; it should occur while the concrete is still moist and warm to prevent cracking due to prestressing restraint.
- When a cast-in-place deck is to be used, the top surface of girders must be intentionally roughened with transverse grooves at least  $\frac{1}{4}$  in. deep and less than  $\frac{1}{2}$  in. apart to ensure adequate composite action with the cast-in-place deck.
- Camber must be a minimum of  $\frac{1}{2}$  in., when assessed in at least half of girders produced for a single project, prior to shipment.

Additionally, production of girders with SCC required new specifications:

- All SCC test specimen molds, air content buckets, and unit weight buckets must be filled in one continuously poured lift using a suitable container without vibration, rodding, or tapping. The SCC must be dropped from a height of 6 in.  $\pm$  2 in. above the top and center of the container, unless otherwise specified. The SCC must then be struck off level with the top of the container.
- In addition to slump flow, air, temperature, and compressive strength tests, each set of concrete tests must include measurements of the VSI (the test by which fresh concrete stability is assessed).
- When placing multiple batches of SCC simultaneously, simultaneous opposing flows must be avoided to prevent segregation and formation of cold joints or visible pour lines.
- Lifts of SCC placed in contact with each other must be placed within fifteen minutes of each other to prevent formation of pour lines or cold joints. If placed

outside of a 15 min. interval, minimal vibration may first be applied to the surface of the already-placed concrete to ensure blending (without causing segregation).

### **3.2.2 Recent Full-Scale Assessments of Precast, Prestressed SCC Girders**

Full-scale investigations of SCC for precast, prestressed use have frequently focused on a single behavior, such as transfer length or service-load response. Some, though, have studied a wider variety of behaviors for purposes similar to that of the AUHRC—to attempt to comprehensively verify the feasibility of SCC use in the production of precast, prestressed elements. Production methods, material and behavioral results, and concerns from those projects that are of general interest to this research are discussed in this section.

#### **3.2.2.1 University of Florida, 2005**

Hamilton et al. (2005) produced and tested three SCC and three VC, precast, prestressed, AASHTO Type II (36 in. tall) girders 42 ft in length and containing a 24 in. wide, 12 in. thick, cast-in-place deck. All girders were cast on the same day (VC first to avoid external vibration in SCC girders). One SCC and one VC mixture were made; both were proportioned for  $f'_c$  of 8,500 psi with workability (slump or slump flow) necessary for precast, prestressed girder production. The primary difference between the mixtures was HRWRA content; the same relative  $w/cm$  and SCM rate were used, and the SCC paste content was little changed. Cylinder tests indicated that the SCC girders consistently exceeded  $f'_c$  ( $f'_c$  was an average of 9,000 psi), but the VC girders exhibited high variability in cylinder testing (two tested at 7,500 psi and one tested above 10,000 psi).

Despite the greater observed variability of strength in the VC cylinders, all six girders exhibited essentially identical transfer-length behavior, ultimate flexural capacity, shear capacity, and cracking during load testing. Transfer lengths varied greatly due to a construction practice documented in Chapter 4, but SCC girders did not appear to be differently affected. Hamilton et al. (2005) concluded that SCC performed similarly to VC but that, in the current state of the practice, its use should be restricted to plant production where quality control can be well maintained.

### 3.2.2.2 Lehigh University, 2005

Naito et al. (2005) produced and tested two SCC and two VC, precast, prestressed, 45 in. deep, FHWA Prestressed Concrete Economical Fabrication (PCEF) girders 35 ft in length. All four girders were cast on the same bed (VC first to avoid external vibration in SCC girders). As expected, SCC girders required less time and effort to produce than VC girders. One SCC and one VC mixture were made; both were proportioned for  $f'_c$  of 8,000 psi with workability (slump or slump flow) necessary for precast, prestressed girder production. To achieve flowability, the SCC mixture used a higher powder content (850 lb/yd<sup>3</sup> versus 750 lb/yd<sup>3</sup> for VC), higher  $s/agg$  (0.44 versus 0.37), and slightly lower  $w/cm$  (0.32 versus 0.34). SCC also incorporated a lesser replacement of cement with slag cement (25% versus 35% in VC).

Because of differences in proportioning, measured SCC  $f_{ci}$  and 28-day  $f_c$  were approximately 20% higher than in the equivalent-use VC. SCC exhibited excellent stability (VSI never exceeded 0.5), although slump flows were less than expected (20 in. versus expected 24 in.). Upon testing responses to service and ultimate loads, Naito et al.

(2005) concluded that SCC and VC exhibit acceptably similar behavior. They found that, within this one-to-one comparison though, SCC exhibited less conservative time-dependent deformation.

### **3.2.2.3 North Carolina State University, 2005**

Zia et al. (2005) studied full-scale behavior of precast, prestressed SCC during implementation of two SCC girders in a five-girder-wide, multispan beam-slab bridge in eastern North Carolina. They compared 54.8 ft long AASHTO Type III (45 in. tall) SCC girders to one VC girder cast on the same casting bed to ensure that the three would be of the same age and have the same temperature and environmental exposure history. The standard VC mixture used for all other spans of the multispan bridge had a specified  $f'_c$  of 6,000 psi; the SCC mixture exhibited the same  $w/cm$  (0.42), but with a higher powder content (810 lb/yd<sup>3</sup>) and higher  $s/agg$  (0.50 versus 0.43 for VC) to create self-consolidating behavior.

The SCC placement took place after all VC girders were cast (to avoid vibration). SCC girders each took approximately half of the time required to produce each VC girder. Different methods were used to cast the two SCC girders. The first was filled in three layers, in which each layer filled the entire length of the formwork. The second was filled from one end to the other, in which the concrete chute was moved as the concrete reached the top of the formwork (mimicking standard VC placement practice). No differences in appearance or structural properties were found between the two SCC girders, indicating that the latter placement method (which mimics VC placement practice) is acceptable.

The SCC girders exhibited approximately 15% higher  $f_{ci}$  than the companion VC girders (5,500 psi versus 4,700 psi). Detensioning was delayed by two hours because the VC girders more slowly attained the minimum 4,000 psi  $f_{ci}$ . The SCC girder surface finish was considered marginally better, and other mechanical properties (transfer length, flexural stiffness, and creep, as described later in this dissertation) were acceptably similar to those of VC. The researchers applied service-level live loads to the SCC and VC girders under laboratory conditions, and then the girders were shipped to the bridge site and erected for service. Zia et al. (2005) recommended that the North Carolina DOT specify SCC as the material of choice for structural members with narrow and thin sections with highly congested reinforcement.

#### **3.2.2.4 University of Minnesota, 2008**

Erkmen et al. (2008) produced and tested four SCC and two VC, precast, prestressed, 36 in. deep MnDOT I-girders 38 ft in length; half of the girders were produced at one plant, while the other half were produced with a different mixture (proportions and aggregate type) at a different plant. The SCC and VC girders produced at each plant were cast on the same bed each time, and all girders were constructed with the largest number of straight prestressing strands possible (approximately 40) to validate the feasibility of SCC placement in this application. All SCC and VC mixtures were proportioned for  $f_{ci}$  and  $f'_c$  of 7,500 and 9,000 psi. To achieve flowability, the SCC mixtures used a higher powder content (approximately 10% more than in VC), slightly higher  $s/agg$  (0.44 and 0.53 versus 0.41 and 0.47), and slightly higher  $w/cm$  (0.36 versus 0.30). The resulting SCCs exhibited low viscosity and high slump flow. Trouble was only experienced during one

SCC placement, in which cross-contamination of aggregate bins led to segregation of the SCC in one girder.

Measured SCC prestress transfer ( $f_{ci}$ ) and 28-day ( $f_c$ ) compressive strengths were approximately 20% lower than in the equivalent-use VC, as was expected due to differences in  $w/cm$ ; all concrete reached specified minimums, although vibrated concrete more greatly exceeded these strengths (by up to 50%). The SCC incorporating river gravel exhibited lower initial strength, longer transfer lengths, and larger time-dependent deformations than comparable VC, while crushed-limestone SCC was very similar to its equivalent-use VC. Erkmen et al. (2008) concluded that SCC and VC exhibit acceptably similar behavior when accounting for measured material properties, and they found that prediction models for a range of concrete behaviors were at least as accurate for predicting SCC behavior as for predicting VC behavior.

#### **3.2.2.5 Virginia Transportation Research Council, 2008**

Ozyildirim (2008) produced and tested full-scale SCC girders under two circumstances: first, two 45. in. tall by 60 ft long precast, prestressed bulb-tees were produced for destructive laboratory evaluation, and then eight SCC girders of the same cross section and a 74 ft length were produced for use as one span of a 49-span bridge in Virginia. During one of the 74 ft beam castings, two SCC and two VC girders were cast in the same bed, and these girders were instrumented for long-term service-level performance monitoring.

The SCC mixture was proportioned for the same minimum  $f'_c$  as for the VC spans (8,000 psi) and used a comparable cementitious content (800 lb/yd<sup>3</sup>). To improve

flowability and stability, it included a higher  $s/agg$  (0.49 versus 0.38) and lower  $w/cm$  (0.34 versus 0.40). Despite the measures taken to ensure self-consolidating behavior, problems were encountered: some batches were rejected for exhibiting excessive segregation, while others exhibited such low workability that they required some external consolidation. Ozyildirim (2008) concluded that such variations are a result of the sensitivity of SCC to moisture, temperature, and handling.

Despite irregularities such as those shown in Figure 3.2 and Figure 3.3, Ozyildirim (2008) concluded that the test beams exhibited acceptable service and ultimate behavior. As production of girders for the other spans continued, the in-service girders appeared to be exhibiting acceptable long-term behavior. This led Virginia DOT to give the producer special permission to produce the final four spans (32 girders) with SCC. Ozyildirim (2008) further recommended that the Virginia DOT work toward utilizing SCC in all precast, prestressed girder production. He concluded that cost savings associated with the use of SCC can come from two sources: increased speed and efficiency of production, and increased uniformity and quality. Of the two, increased uniformity and quality appear more likely, as increased quality control efforts could offset any time or labor savings during production.



Figure 3.2: Shallow bugholes along upper surface of bottom flange, where pooling bleedwater was trapped against the formwork (Ozyildirim 2008)



Figure 3.3: Frothy, deleterious material that collected on the top surface of girders cast with high-slump-flow SCC of questionable stability (Ozyildirim 2008)

### 3.2.2.6 Texas A&M University, 2008

Trejo et al. (2008) produced and tested two SCC and two VC, precast, prestressed, 28 in. deep, Texas DOT Type A girders 40 ft in length and containing a deck applied to the girders at a girder age of approximately seven weeks. The deck for each girder was 64 in. wide and 8 in. thick and was cast in place at the testing laboratory. Each girder was produced with a different mixture—river gravel or crushed limestone, and SCC or VC—but all mixtures were proportioned for the same 16-hour prestress transfer  $f'_{ci}$  of 5,000 psi. The researchers noted that Texas DOT specification of precast, prestressed concrete is based on 16-hour  $f'_{ci}$ ; consequently, while SCC and VC exhibited similar  $f_{ci}$  (approximately 6,000 psi), SCC exhibited distinctly higher 28-day  $f_c$  (approximately 12,000 psi versus VC strengths of approximately 8,000 psi). This was the result of changes in proportioning necessary to achieve self-consolidating behavior and was considered acceptable using Texas DOT precast, prestressed girder production practices.

Fresh concrete stability testing during the girder production was documented by Koehler and Fowler (2008) of the University of Texas. They indicated that SCC exhibited acceptable stability (VSI never exceeded 1.5) and superior placeability, but that some segregation was seen in the girders during and after placement (bleeding and surface defects). Still, surface finish was considered very good for SCC girders. They concluded that SCC appears to be more sensitive to batching and transport conditions even when proportioned for high robustness (with smaller coarse aggregate, high cementitious content, and VMA).

Trejo et al. (2008) destructively tested the four girders under laboratory conditions. They determined that areas of poor SCC stability also lacked acceptable

freeze-thaw durability, although other mechanical properties (transfer length, flexural stiffness, and creep, as described later in this dissertation) were acceptably uniform and similar to those of VC. Consequently, their primary recommendations for SCC production were that increased care and very strict quality control procedures are necessary during SCC production, and that SCC use may pose a greater risk in localities where freeze-thaw cycles are common.

### **3.2.2.7 National Cooperative Highway Research Program, 2009**

Khayat and Mitchell (2009) produced and tested two SCC and two VC, precast, prestressed AASHTO Type II (36 in. tall) girders 31 ft in length and containing a 48 in. wide, 6.5 in. thick, cast-in-place deck. Each girder was produced with a different mixture, although all contained 20% Class F fly ash replacement and ½ in. crushed limestone aggregate. The two SCCs exhibited  $f'_{ci}$  equaling 5,000 and 6,250 psi and  $f'_c$  equaling 8,000 and 10,000 psi. The two VC mixtures were proportioned to achieve the same strengths but while utilizing a reduced  $s/agg$  versus those of the SCC mixtures (0.42 versus 0.50 for SCC). All mixtures contained high amounts of cementitious material (800 lb/yd<sup>3</sup>).

The SCC girders were filled from a single point at midspan, while VC girders were cast using traditional practices (filling from one end to the other). SCC exhibited excellent stability (VSI never exceeded 0.5), and SCC yielded a better surface finish than did VC. To ensure easier placement, though, Khayat and Mitchell (2009) recommended that the use of highly viscous SCC be avoided (as indicated by high  $T_{50}$ , or time for the SCC slump flow to reach 50 cm [20 in.]). All girders met specified release and 28-day

strengths, although SCC girders appeared to exhibit less conservative time-dependent deformation. Khayat and Mitchell, however, point out that their investigation was only intended to confirm that production of precast, prestressed girders using SCC would be feasible using existing *AASHTO LRFD* (2013) and PCI (2004) design provisions. They recommended further full-scale evaluation of girders and concluded that the existing provisions would be sufficient for their design.

#### **3.2.2.8 University of South Carolina, 2009**

Ziehl et al. (2009) studied full-scale behavior of precast, prestressed lightweight SCC (unit weight = 116 lb/ft<sup>3</sup>) during production of two 59 ft AASHTO Type III (45 in. tall) girders. They compared it to one lightweight VC girder (unit weight = 115 lb/ft<sup>3</sup>) cast on the same casting bed to ensure that the three would be of the same age and have the same temperature and environmental exposure history. Both mixtures had an  $f'_c$  of 8,000 psi, although neither mixture obtained it (SCC and VC strengths were 5% and 8% less than specified at twenty-eight days). The two lightweight mixtures had the same powder content (850 lb/yd<sup>3</sup>) and  $w/cm$  (0.36); in fact, the only difference between the two was the inclusion of larger amounts of chemical admixtures in the SCC.

The SCC girders required some internal vibration due to low workability (slump flow = 22 in.), but SCC placement was still more convenient than VC placement. After being moved to a laboratory for testing, a 30 in. by 15 in. cast-in-place VC deck was added to each girder. After completing transfer length and time-dependent deformation measurements, the first SCC girder and only VC girder were destructively tested to evaluate ultimate capacity. The other SCC girder was fatigue-tested for two million

cycles and then destructively tested. The SCC girders exhibited greater immediate prestress losses due to a lower modulus of elasticity, but they exhibited less time-dependent deformation. However, all properties were conservatively predicted, and the lightweight SCC performed as well as the lightweight VC in ultimate-load and fatigue testing.

### **3.2.2.9 Auburn University (AASHTO Type I Girders), 2010**

The current phase of the AUHRC's full-scale investigation of SCC in precast, prestressed girders involved the first girders erected in an in-service bridge (at Hillabee Creek), but a previous phase of the investigation also included production of full-scale prestressed elements of smaller dimensions. That phase is described in detail in Boehm et al. (2010), and results from it that relate to transfer length and service-load response are discussed in Chapters 4 and 7. In it, two SCC mixtures (moderate-strength with  $f_c$  equaling 8,300 psi and high-strength with  $f_c$  equaling 13,400 psi) and one VC mixture (moderate-strength with  $f_c$  equaling 6,900 psi) were each used to produce two 40 ft AASHTO Type I (28 in. tall) prestressed girders. After being moved to the AUHRC laboratory for testing, a 48 in. by 3.5 in. cast-in-place VC deck was added to each girder.

SCC placements exhibited more rapid placement with less labor than when using VC, and all SCC elements exhibited better surface finish than VC elements. All SCC samples exhibited suitable stability (VSI never exceeded 1.5). One SCC production concern proved influential: after transverse surface grooves (similar to those specified for this project and described in Section 3.2.1.2) were applied, they reconsolidated to leave a nearly smooth top-surface girder finish. During subsequent flexural testing of the girders,

the smooth interface between girder and cast-in-place deck sometimes *inhibited* horizontal shear force transfer. This led to horizontal slip between the deck and prestressed girder, which must be avoided to ensure composite behavior. Therefore, special attention to transverse top-surface roughening was recommended for future SCC girder production.

### **3.2.3 Strength and Stiffness of Self-Consolidating Concrete**

When evaluating a new material, it is important to understand *how* results should be compared to meet the objectives of the test. If the new material is to be used as a direct replacement for another, then a direct comparison of mechanical properties is warranted. This type of one-to-one comparison is of limited value when comparing two concretes of the same constituents, though, because many factors (mixture proportions, concrete age, and curing history) are known to have an effect on hardened concrete mechanical properties. More important when assessing a new material such as SCC is assessment of whether its performance is as predictable or reliable as that of a conventional VC material after accounting for known differences in material properties.

Compressive strength ( $f_c$ ), splitting tensile strength ( $f_{ct}$ ), and modulus of elasticity ( $E_c$ ) affect many aspects of concrete material and structural behavior, including those assessed in Chapters 4–7. In this section, research is reviewed concerning common differences between SCC and VC hardened mechanical properties and whether those differences affect the applicability of existing prediction models. Lastly, because it appears to be of concern especially during the production of precast, prestressed girders, documented differences between predicted and measured properties are reviewed.

### 3.2.3.1 Effects of Mixture Proportioning on SCC Strength and Elasticity

Recall from Section 2.2.1 that mixture changes common to produce SCC are necessary primarily to create a mixture with stable, self-consolidating properties in the fresh state. Common changes from equivalent-use vibrated concrete include decreased  $w/cm$ , increased paste content (and decreased aggregate content), decreased coarse aggregate size, increased  $s/agg$ , and increased HRWRA use (see Section 3.2.2 for past full-scale girders that incorporated these changes). In *all* concrete, these changes can affect strength and modulus of elasticity, although to different degrees (Mehta and Monteiro 2006). Mehta and Monteiro (2006) illustrate the factors that affect modulus of elasticity and how they interact in Figure 3.4.

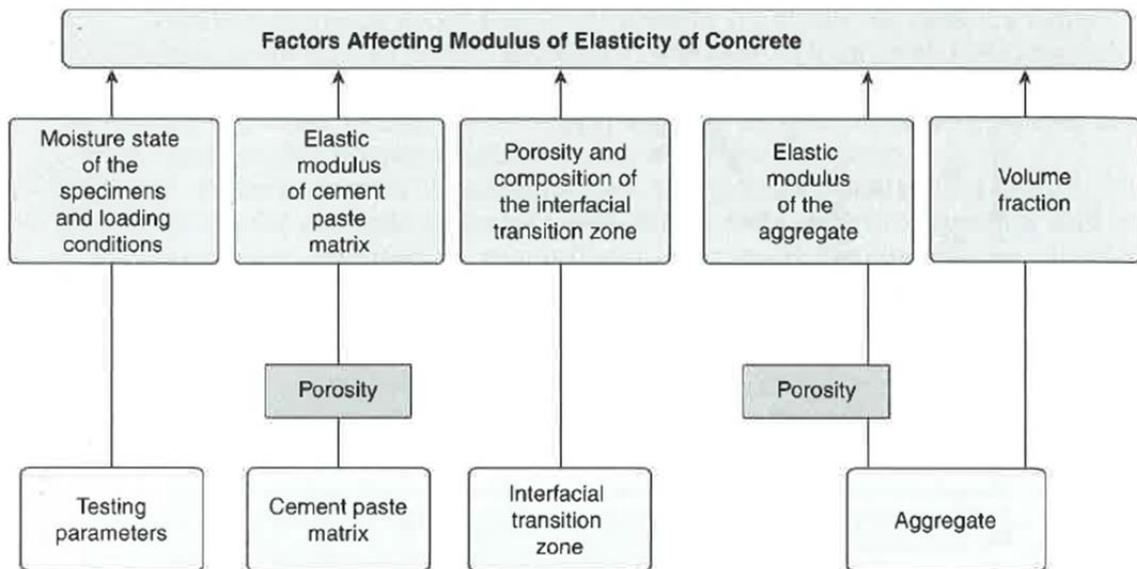


Figure 3.4: Factors affecting concrete modulus of elasticity (Mehta and Monteiro 2006)

Of the four primary influences, testing parameters include moisture state and age of the specimens at loading and previous loading history. Wet concrete cylinders tend to exhibit 10–15% higher  $E_c$  and 10–15% lower  $f_c$  than comparable, dried cylinders (Mehta

and Monteiro 2006). These differences are due to opposing effects of moisture on  $f_c$  and  $E_c$ . Moisture tends to improve the interface quality between aggregate and hydrated cement paste (thus increasing  $E_c$ ), while drying tends to increase the strength of the hydrated paste but induce microcracking at the interface between aggregate and paste (thus increasing  $f_c$  while decreasing  $E_c$ ) (Mehta and Monteiro 2006). Reductions in  $E_c$  have been observed in cylinders exposed to prolonged drying (up to 1,100 days) (Buettner and Hollrah 1968), but Malhotra and Sivasundaram (2004) indicate that drying conditions during the first three to four days of curing have the greatest influence.

Meanwhile, loading history is more related to cyclic loading or creep recovery following unloading, but several researchers (Buettner and Hollrah 1968; Gardner and Tsuruta 2004; Yue and Taerwe 1993) have indicated that previously loaded cylinders exhibit increased  $E_c$ , or “stress stiffening,” in subsequent loadings relative to first-time loading and relative to previously unloaded companion cylinders. Buettner and Hollrah (1968) further observed that, in concrete exposed to long-term drying for up to 1,100 days, stress stiffening mitigated the effect of drying on  $E_c$ . In their study, the reduction of  $E_c$  in precompressed and dried specimens was minimal compared to the reduction exhibited by previously unloaded specimens.

The quality of the cement paste is inversely related to  $w/cm$  and directly related to the inclusion of SCMs (such as fly ash, slag, or silica fume). Compared to VC of an equivalent use, SCC is typically proportioned with a lower  $w/cm$  and higher SCM content, thus yielding a higher quality hydrated cement paste and higher strength and  $E_c$  (SCC 237 2007). These differences can be less pronounced in precast, prestressed girder

production, as VC for this purpose is also typically proportioned with a very low  $w/cm$  and SCM inclusion (Khayat and Mitchell 2009).

Many researchers (Almeida Filho et al. 2010; Al-Omaishi et al. 2009; Kim et al. 2012; Myers 2008) have pointed out that coarse aggregate content is the most important influence on  $E_c$  of concrete, especially in high-strength concrete ( $f'_c$  above 8,000 psi). The dependence is relative: where coarse aggregate stiffness exceeds that of the surrounding paste, the concrete stiffness increases as coarse aggregate content is increased; where coarse aggregate stiffness lags, concrete stiffness is reduced as coarse aggregate content is increased (Mehta and Monteiro 2006). In SCC, this relative relationship is especially important (Kim et al. 2012). The effect of aggregate content on SCC  $f_{ct}$  is a secondary effect—Kim et al. (2012) and Parra et al. (2011) suggest that  $f_{ct}$  is related more to the bond quality between aggregate and the surrounding paste, with greater dependence on this bond quality when the concrete is proportioned with more coarse aggregate.

Gradation and surface characteristics of coarse aggregate are influential because they relate to the interface bond quality between aggregate and paste (Kim et al. 2012; Mehta and Monteiro 2006). Because of its increased relative surface area, use of a smaller-gradation coarse aggregate leads to more bonded surfaces and more dependence on the interface bond quality. Use of crushed aggregate can lead to better mechanical aggregate interlock and better interface bond quality. Many researchers (Almeida Filho et al. 2010; Bonen and Shah 2004; Khayat and Mitchell 2009; Kim et al. 2012; Panesar and Shindman 2011) have found that SCC proportioned with smaller aggregate exhibits lower  $E_c$  than identical SCC with a larger gradation of the same coarse aggregate, while

SCC with crushed aggregate exhibits higher  $f_{ct}$  and  $E_c$  than SCC with uncrushed river gravel. Kim et al. (2012) and others (Almeida Filho et al. 2008; EPG 2005; Naito et al. 2005; Ozyildirim 2008; Parra et al. 2011) hypothesize that these differences are mitigated by the improved hydrated cement paste quality and interface bond quality frequently exhibited by stable SCC.

Use of sand and coarse aggregate of similar strengths tends to negate the effect of  $s/agg$  on SCC compressive strength (Khayat and Mitchell 2009; Mehta and Monteiro 2006; Schindler et al. 2007), but results have been mixed concerning its effect on  $E_c$  and  $f_{ct}$ . SCC 237 (2007) suggests that the higher  $s/agg$  required of SCC leads to reduced elasticity and improved  $f_{ct}$ . Similarly, Khayat and Mitchell (2009) found that  $E_c$  was lower and tensile strength was similar to those of VC in a group of SCC mixtures proportioned specifically for precast, prestressed girder production. Elsewhere,  $s/agg$  was found to have minimal effect on  $E_c$  of SCC (Koehler et al. 2007; Schindler et al. 2007; Su et al. 2002), while Parra et al. (2011) found that increasing  $s/agg$  reduced  $f_{ct}$ . Zia et al. (2005) also found that SCC exhibited a lower tensile strength but blamed it on the use of a weak fine aggregate, fitting with the earlier suggestion that the impact of  $s/agg$  is mitigated when similar fine and coarse aggregate are used.

Because of these many influences on strength and elastic modulus, comparisons of these properties in SCC and VC have been mixed. ACI 237 (2007) suggests that SCC frequently exceeds the strength of comparable-use VC due to lowered  $w/cm$ , and Naito et al. (2005) found that SCC of the same  $w/cm$  exhibited higher compressive strength and tensile strength than those of VC. Both ACI 237 (2007) and Khayat and Mitchell (2009) indicate that SCC can reasonably be expected to exhibit  $E_c$  of up to 20% lower than that

of comparable-strength VC. Many researchers (Bonen and Shah 2004; Kim et al. 2012; Naito et al. 2005; Panesar and Shindman 2011; Parra et al. 2011; Zia et al. 2005; Ziehl et al. 2009) have reported such, while Almeida Filho et al. (2010), Erkmen et al. (2008), and Schindler et al. (2007) found SCC  $E_c$  to be similar or within the expected variability of testing according to ASTM C469. Findings of SCC  $f_{ct}$  are mixed, as well: Kim et al. (2012), Naito et al. (2005), and Ozyildirim (2008) found that SCC exhibits comparable or better  $f_{ct}$  than VC, while others (Almeida Filho et al. 2010; Parra et al. 2011; Zia et al. 2005) found that it was slightly reduced.

### **3.2.3.2 Applicability of Existing Prediction Models to SCC**

As explained in the previous section and Section 2.2.1, many parameters can influence the mechanical properties of SCC. However, only a few parameters that can be controlled in the design phase, well before construction, are typically considered by structural engineers. For that reason, minimum  $f'_c$  is usually specified, while prediction models for other properties such as splitting tensile strength ( $f_{ct}$ ) and modulus of elasticity ( $E_c$ ) are greatly simplified and based on assumed correlation with  $f'_c$  (Al-Omaishi et al. 2009). Since SCC can be proportioned very differently to achieve the same  $f'_c$ , the applicability of these prediction models has been studied frequently.

#### **3.2.3.2.1 Splitting Tensile Strength Prediction Models**

In American practice, splitting tensile strength ( $f_{ct}$ ) is tested according to ASTM C496 (2010) and is correlated to uniaxial tensile strength and compressive strength. Coarse aggregate source is not commonly integrated (despite an apparent dependence) due to

low likelihood of engineer knowledge of coarse aggregate type. ACI 318 (2011) reports average  $f_{ct}$  according to Equation 3-1 (from R8.6.1 of the code), and AASHTO (2013) and ACI 363 (1992) report average  $f_{ct}$  according to Equation 3-2 (from C5.4.2.7 of AASHTO 2013 or Section 5.6 of ACI 363 1992). In both equations,  $f_{ct}$  is calculated in psi based on  $f'_c$  reported in psi.

$$f_{ct} = 6.7\sqrt{f'_c} \quad (3-1)$$

$$f_{ct} = 7.4\sqrt{f'_c} \quad (3-2)$$

#### 3.2.3.2.2 Predictability of SCC Splitting Tensile Strength

Kim et al. (2012) recommend the use of Equation 3-2 for SCC  $f_{ct}$ , and Khayat and Mitchell (2009) found it acceptable for precast, prestressed SCC. Many other researchers (Almeida Filho et al. 2010; Naito et al. 2005; Ozyildirim 2008) have found that SCC and VC  $f_{ct}$  exceed values predicted by Equations 3-1 and 3-2. Myers (2008) found that these models especially under-predict  $f_{ct}$  in high-strength concrete used for precast, prestressed girders, as the relationship may be more related to the cubic root of  $f'_c$ . It is for this reason that Kim et al. (2012) recommend the use of Equation 3-2 during the design of precast, prestressed girders utilizing SCC—it predicts higher  $f_{ct}$  than Equation 3-1 but is still conservative. Almeida Filho et al. (2010) and Parra et al. (2011), on the other hand, found that the models tend to over-predict  $f_{ct}$  of SCC.

#### 3.2.3.2.3 Modulus of Elasticity Prediction Models

In American practice,  $E_c$  is typically predicted using models that incorporate three or fewer variables:  $f'_c$ , concrete unit weight,  $w_c$ , and coarse aggregate source. The most-

widely used of these equations is from ACI 318 Section 8.5.1 (2011), in which  $E_c$  is calculated in psi,  $f'_c$  is in psi, and  $w_c$  is in lb/ft<sup>3</sup>:

$$E_c = 33w_c^{1.5}\sqrt{f'_c} \quad (3-3)$$

Frequently, the unit weight of concrete is not known to the engineer, so ACI 318 (2011) allows a simplification of Equation 3-3 based on  $w_c$  equal to 145 lb/ft<sup>3</sup>. That yields Equation 3-4:

$$E_c = 57,000\sqrt{f'_c} \quad (3-4)$$

The prediction model used by AASHTO (2013) (Equation 5.4.2.4-1 of the *LRFD* provisions) is identical to Equation 3-3 except that AASHTO takes coarse aggregate type into account with a multiplication factor,  $K_I$ . This modification factor accounts for the effect of aggregate properties on concrete elasticity and can vary between 0.70 and 1.30 (Al-Omaishi et al. 2009; Mehta and Monteiro 2006; Myers 2008). Because Equation 3-3 is directly multiplied by this factor, higher  $K_I$  values are assigned to concretes utilizing stiffer coarse aggregate. AASHTO (2013) recommends using  $K_I = 1.0$  unless the mechanical properties of concrete made with a specific aggregate type are tested directly or are known from research on this aggregate type.

ACI 363 (1992) found that Equation 3-3 over-predicts  $E_c$  of concrete whose  $f'_c$  exceeds 6,000 psi. They recommended Equation 3-5 in the committee's state-of-the-art report on high-strength concrete (Equation 5-1 in ACI 363 1992):

$$E_c = 40,000\sqrt{f'_c} + 1(10)^6 \quad (3-5)$$

#### 3.2.3.2.4 Predictability of the Modulus of Elasticity of SCC

ACI 237 (2007), Khayat and Mitchell (2009), and PCI (2004) recommend the use of Equation 3-3 for SCC  $E_c$  prediction but suggest trial-batch evaluation of  $E_c$  according to ASTM C469 when  $E_c$  is important to the application (such as for camber prediction of precast, prestressed girders). Many other researchers (Almeida Filho et al. 2010; Kim et al. 2012; Naito et al. 2005; Panesar and Shindman 2011; Schindler et al. 2007; Storm et al. 2013) have found that SCC  $E_c$  is equally or more predictable than that of VC according to Equation 3-3. Among them, Kim et al. (2012) and Naito et al. (2005) state that SCC  $E_c$  was more predictable because VC exhibited an elastic modulus in excess of what would be predicted when using the equation; Ozyildirim (2008) found it more predictable because VC exhibited an elastic modulus less than what would be predicted (a weak coarse aggregate was used, and less of it was used in SCC). Meanwhile, Ziehl et al. (2009) found that  $E_c$  of SCC and VC were equally predictable, but that both fit better with Equation 3-5 among mixtures with compressive strength exceeding 6,000 psi. Erkmen et al. (2008) found that Equation 3-4 was well suited for SCC and VC  $E_c$  prediction for concrete using materials available in Minnesota.

Trejo et al. (2008) recommend the use of Equation 3-3 with  $K_I$  values 0.95–1.05 for precast, prestressed SCC girder design when using Texas aggregates, while Storm et al. (2013) recommend using  $K_I = 0.85$  for all precast, prestressed girder design based on an evaluation of VC data from several states. These authors (Trejo et al. 2008 and Storm et al. 2013) also recommend the use of  $w_c = 150 \text{ lb/ft}^3$  in Equation 3-3. Al-Omaishi et al. (2009) noted that this  $w_c$  is expectable for precast, prestressed concrete because of the

mixture proportioning tendencies—low  $w/cm$  and high aggregate content—typical of this application.

Ziehl et al. (2009) noted that the use of  $K_I$  factors other than 1.0 cannot be expected in general design practice, as engineers would be unaware of the need or aggregate source. They also found that, while lightweight SCC mixtures fit well with Equation 3-3 when the unit weight is known, higher strength ( $f'_c$  exceeding 6,000 psi) normal-weight SCC and VC properties were more accurately predicted using Equation 3-5. Notably, Ziehl et al. (2009) assessed the elastic modulus equations among SCC mixtures with an average  $w_c$  equaling 146 lb/ft<sup>3</sup>. Many other researchers (Al-Omaishi et al. 2009; Khayat and Mitchell 2009; Kim et al. 2012; Myers 2008) state that Equation 3-5 under-predicts  $E_c$  in precast, prestressed concrete.

#### **3.2.3.2.5 Differences between Design and Measured Properties**

The applicability of the  $E_c$  and  $f_{ct}$  prediction methods discussed in this section clearly depends on the values of  $\sqrt{f'_c}$ ,  $w_c$ , and  $K_I$  used in them. In concrete structural design practice, design  $f'_c$  serves only as a minimum value to be met by the contractor. Concrete producers must exceed this minimum, and the risk of construction cost overruns (in delayed production or removal of unacceptable concrete) frequently leads them to produce concrete far exceeding  $f'_c$ . European prediction models similar to the equations shown above take this into account by requiring that a mean  $f'_c$  be used in service-state design predictions in place of the specified minimum compressive strength (*fib* 2010).

As discussed in Sections 2.2.1 and 3.2.3.1, SCC is likely to be proportioned in such a way that it more greatly exceeds  $f'_c$  than does VC, although less so when dealing

with precast, prestressed concrete. Compounding this, Storm et al. (2013) found that precast, prestressed girder producers typically exceed specified prestress-release and 28-day compressive strengths ( $f'_{ci}$  and  $f'_c$ ) by 25% and 45%, respectively, at least when utilizing VC. Such differences between specified and measured compressive strengths are apparent in the full-scale SCC trials described in Section 3.2.2. Among the past projects, while the predictability of SCC properties based on *measured* results was mixed, performance relative to design properties was consistently acceptable.

### 3.3 Experimental Program

#### 3.3.1 Bridge Description

The bridge selected for study has four spans—two outer spans each consisting of seven AASHTO-PCI BT-54 bulb-tees, and two inner spans each consisting of seven AASHTO-PCI BT-72 bulb-tees. One span of BT-54s and one span of BT-72s were made with SCC while the companion spans were constructed with VC girders. SCC girders support the first and second spans, while VC girders support the third and fourth spans, as displayed in Figure 3.5.

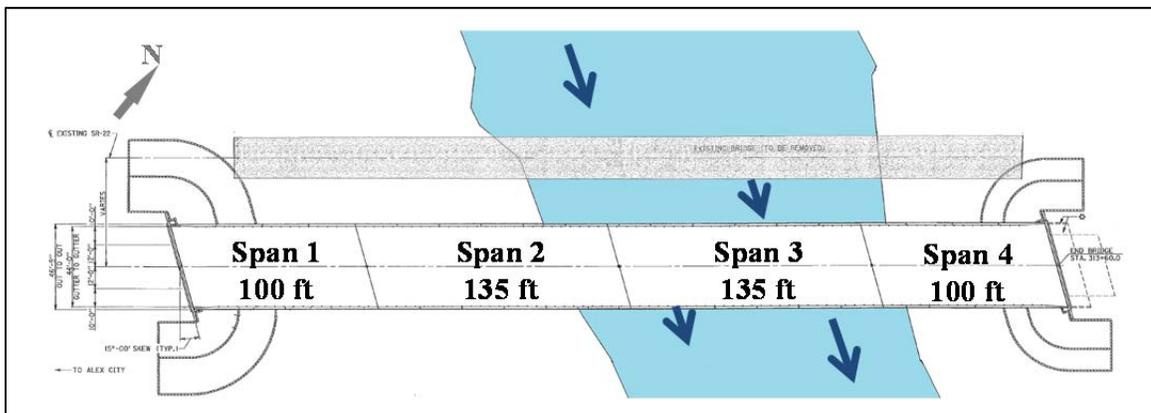


Figure 3.5: Plan view of the bridge over Hillabee Creek (Spans 1 & 2 are SCC girders)

The twenty-eight girders for the Hillabee Creek Bridge were produced at Hanson Precast of Pelham, AL during the months of September and October of 2010. The plant employed a central rotational mixer, and concrete was delivered to the prestressing bed in 4 yd<sup>3</sup> loads. Three BT-54 bulb-tees were cast in each of four days (two days of VC placements and two days of SCC placements), and the seventh VC and seventh SCC girders were cast on the same bed during a fifth production day. Following the completion of BT-54 production, two BT-72 bulb-tees were cast in each of six days (three days of VC placements and three days of SCC placements). Similar to the production of the BT-54s, the seventh VC and SCC girders were cast on the same bed during a seventh production day. Thus, twelve SCC and VC production days alternated throughout the production, starting with SCC girders on September 21, 2010. Production days alternated between SCC and VC such that each matched pair of spans would exhibit a similar average age and ambient exposure history.

Construction of the bridge over Hillabee Creek in Alexander City, AL, took place in the summer of 2011. The seven girders in each span are spaced at 6 ft-6 in. on center. The bridge has a 15° skew, and each girder-end face is skewed to this degree. The girders rest on neoprene bearing pads and are supported by reinforced cast-in-place VC bents and columns between spans and reinforced cast-in-place, VC abutments at each end of the bridge. The roadway has a transverse width of 44 ft between traffic barriers with a 7 in. thick, VC deck. After the girders were placed at the bridge site in early May of 2011, the bridge deck over each span was cast on four days during August of 2011. Finally, all barriers were slip-form cast in place on November 1, 2011.

### 3.3.1.1 Girder Design

#### 3.3.1.1.1 Girder Geometry

Standard dimensions of BT-54 and BT-72 girders are shown in Figure 3.6 and Figure 3.7. Cross-sectional areas are 789 in.<sup>2</sup> and 1,085 in.<sup>2</sup> for these two girder sizes. At lengths of 97 ft-10 in. and 134 ft-2 in., respectively, the girders approached the upper length limits allowed by *AASHTO LRFD* (2013) of 114 ft and 146 ft for BT-54 and BT-72 girders, respectively.

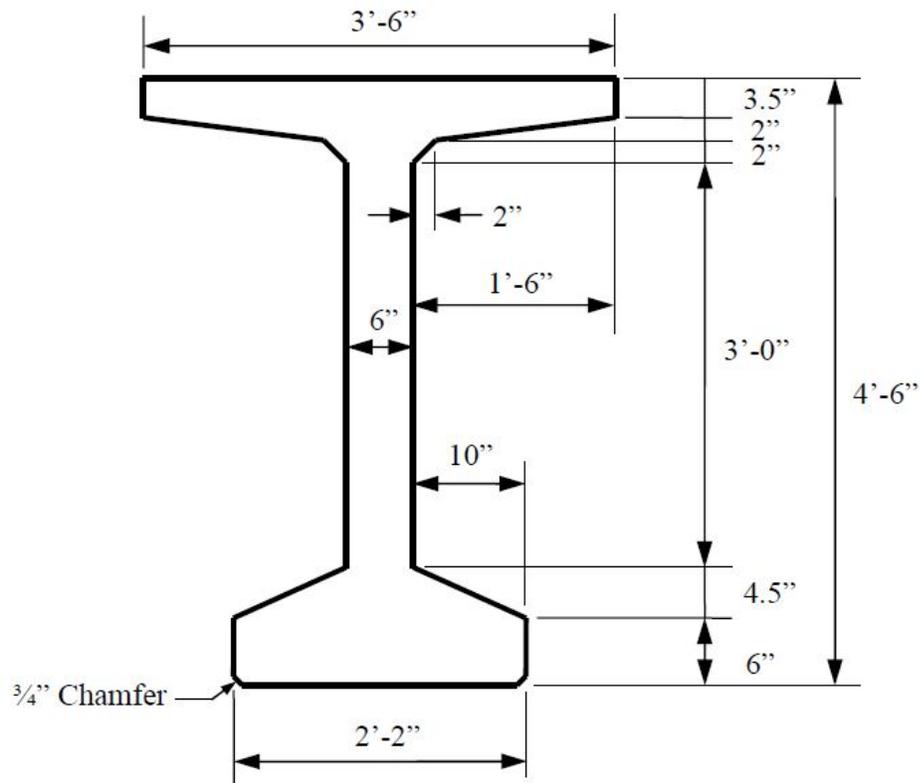


Figure 3.6: Typical BT-54 girder cross-sectional dimensions

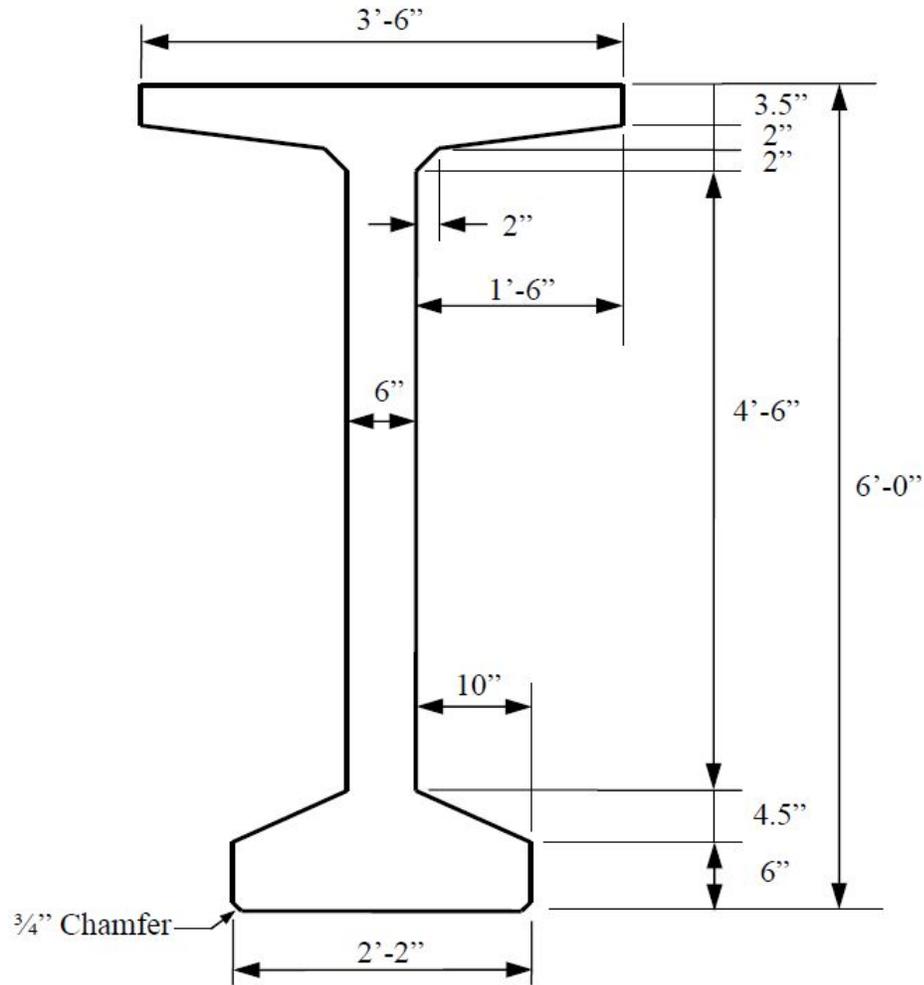


Figure 3.7: Typical BT-72 girder cross-sectional dimensions

All girders were heavily reinforced with seven-wire, Grade 270, low-relaxation strands. BT-54 girders included only 1/2-inch strands, and BT-72 girders included mostly 1/2-inch 'special' strands. The BT-54 girders contained a total of forty strands: twenty-eight strands in the bottom of the section tensioned to 30,980 pounds each, eight strands draped along the length of the member and tensioned to 30,980 pounds each, and four top strands lightly tensioned to 5,000 pounds each and used to support non-prestressed mild steel reinforcement.

The BT-72 girders had the same strand arrangement plus ten additional draped strands. Specifically, each contained twenty-eight ½ in. ‘special’ strands in the bottom of the section tensioned to 33,800 pounds each, eighteen ½ in. ‘special’ strands draped along the length of the member and tensioned to 33,800 pounds each, and four ½ in. top strands lightly tensioned to 5,000 pounds each.

In both strand sizes, the jacking force corresponded to a specified jacking stress ( $f_{pj}$ ) of 202.5 ksi for the draped and the bottom strands and 32.7 ksi for the top strands. The specific location of each strand at the ends and midspan of the girder is illustrated in Figure 3.8 and Figure 3.9 for the BT-54 girders and Figure 3.10 and Figure 3.11 for the BT-72 girders. In addition, the draping profiles are presented in Figure 3.12.

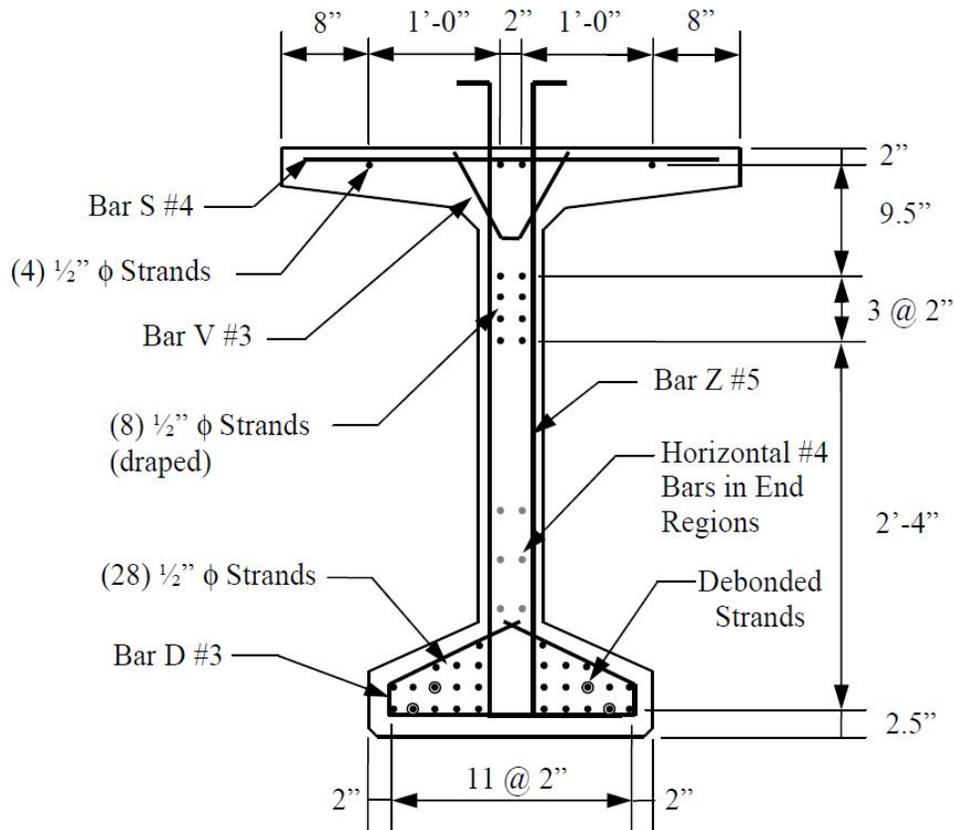


Figure 3.8: Mild steel and strand arrangement for BT-54 girder at girder ends

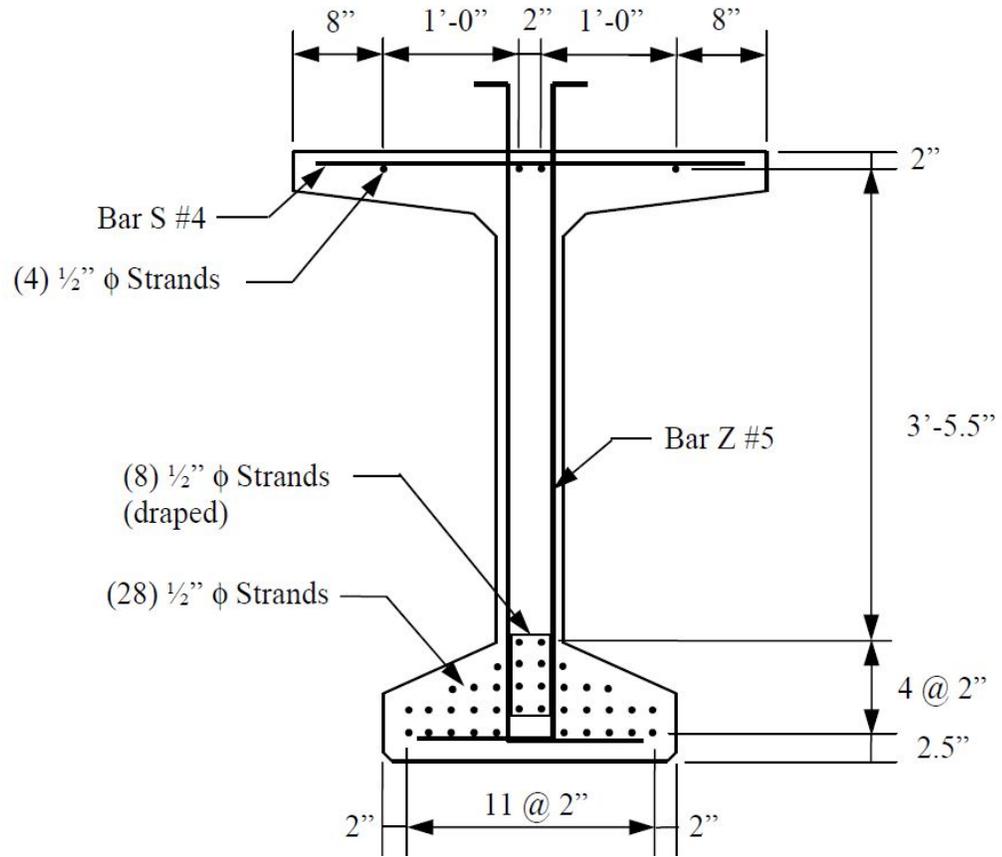


Figure 3.9: Mild steel and strand arrangement for BT-54 girder at midspan

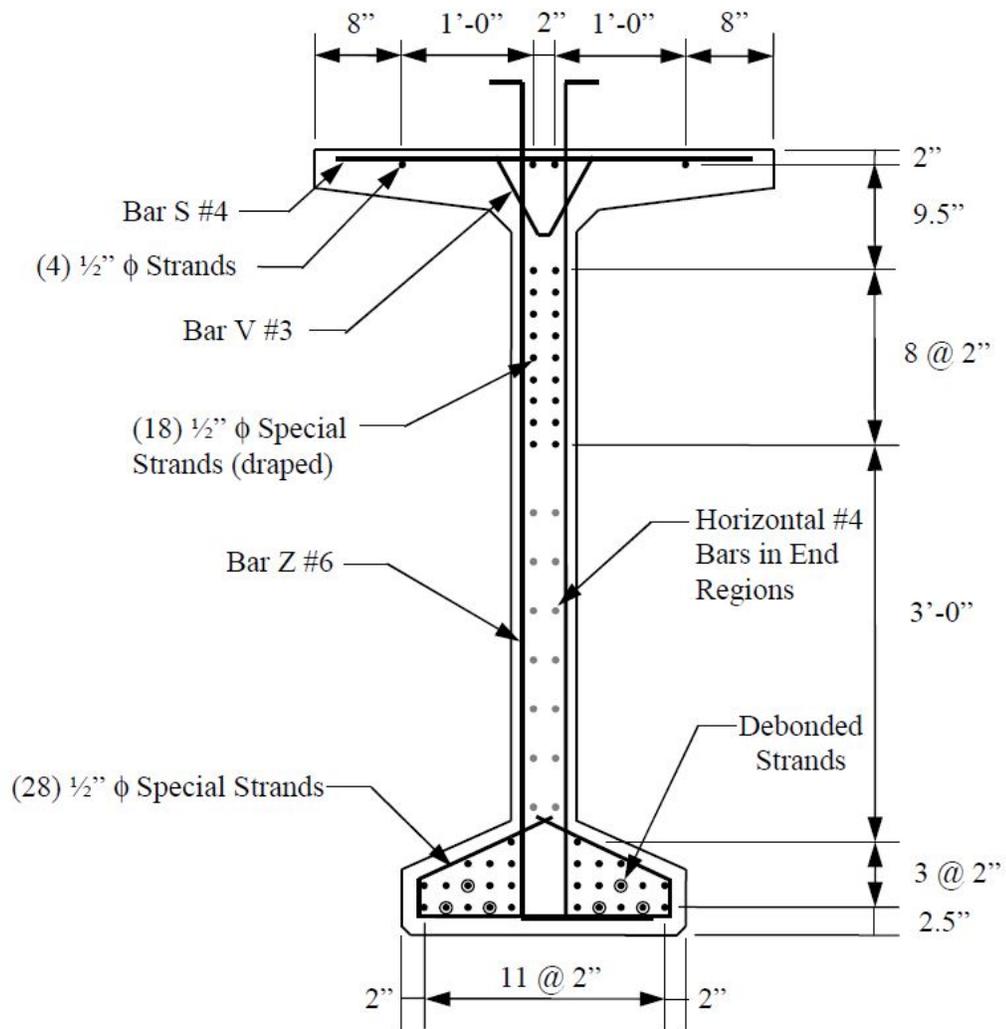


Figure 3.10: Mild steel and strand arrangement for BT-72 girder at girder ends

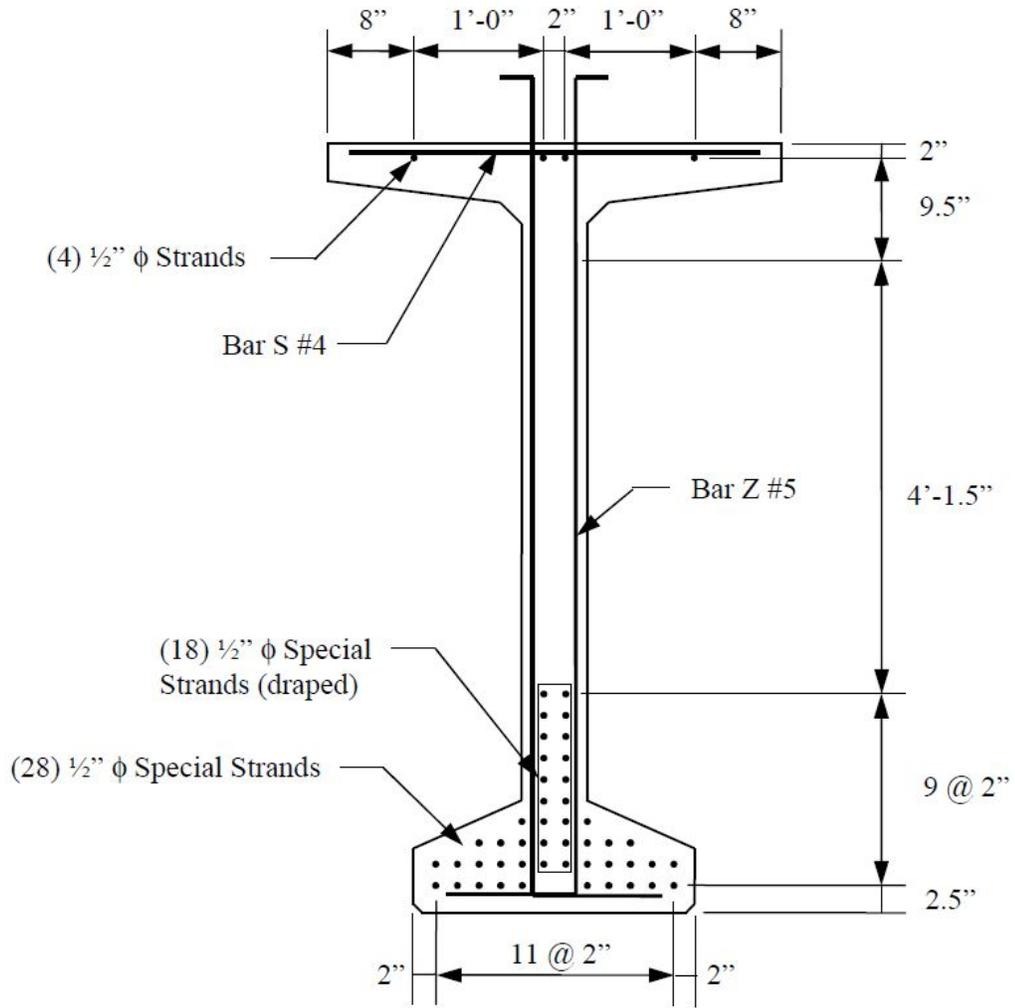


Figure 3.11: Mild steel and strand arrangement for BT-72 girder at midspan

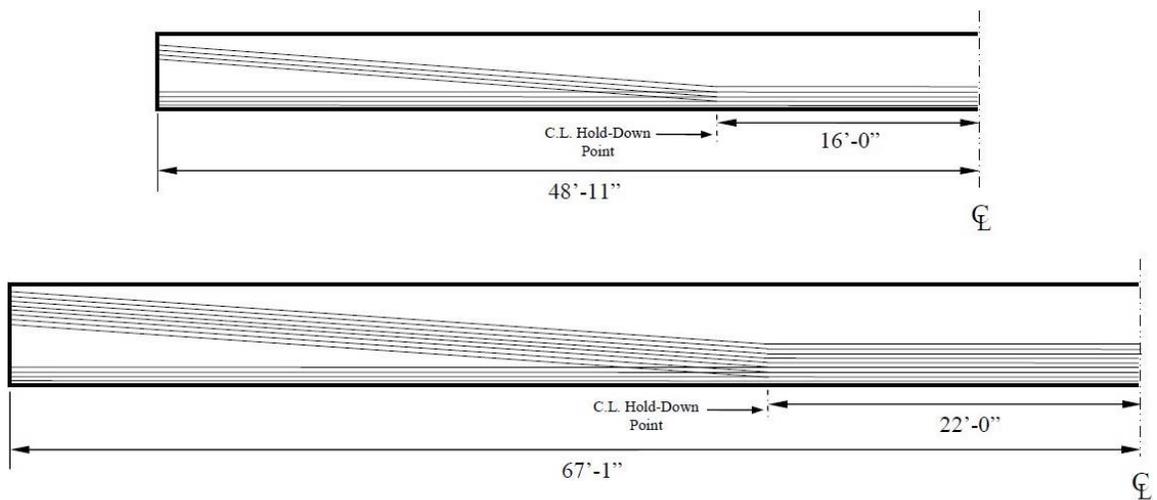


Figure 3.12: Profile of draped strands for (top) BT-54 girder and (bottom) BT-72 girders

In addition to draping some strands, it was also necessary to debond some strands to satisfy allowable stress limits. Consequently, four straight strands were debonded for a distance of 10 ft at each BT-54 girder end, and six straight strands were debonded for the same length in the BT-72 girders. This was accomplished by sheathing the strands with a plastic casing and sealing the casing with tape. The debonded strands are denoted with a circle around the strand in Figure 3.8 through Figure 3.11.

#### **3.3.1.1.2 Concrete Mixtures**

While the minimum compressive strengths were the same for SCC and VC mixtures (see Section 3.2.1.1), the precast producer was free to proportion each mixture in any way that would satisfy the project specification requirements. The producer chose to proportion the mixtures to achieve similar mechanical properties while using similar constituent materials because the plant personnel were familiar with the selected VC. The mixtures utilized are shown in Table 3.1, in which results are the average of weights and proportions from all batches placed during this research.

Table 3.1: SCC and VC mixtures used in girders for bridge over Hillabee Creek

Item	BT-54 Girders		BT-72 Girders	
	SCC	VC	SCC	VC
<b>Cement content (pcy)</b>	758	696	760	708
<b>Slag cement content (pcy)</b>	134	124	135	125
<b>Water content (pcy)</b>	266	238	265	234
<i>w/cm</i>	0.30	0.29	0.30	0.28
<b>SSD Coarse aggregate #78 (pcy)</b>	1,528	0	1,550	0
<b>SSD Coarse aggregate #67 (pcy)</b>	0	1,923	0	1,950
<b>Fine aggregate (pcy)</b>	1,384	1,163	1,370	1,179
<i>sand/total aggregate (by volume)</i>	0.48	0.38	0.47	0.38
<b>Total aggregate volume (%)</b>	63	66	63	67
<b>Air-entraining admixture (oz/cwt)</b>	0.3	0.3	0.2	0.2
<b>HRWRA (oz/cwt)</b>	11	8	11	7
<b>VMA (oz/cwt)</b>	2	0	4	0
<b>Hydration-stabilizing ad. (oz/cwt)</b>	2	1	2	1
<b>Measured air content (%)</b>	4.1	4.2	4.0	3.2
<b>Measured unit weight (lb/ft<sup>3</sup>)</b>	150.6	153.5	151.1	155.5
<b>Specified transfer <math>f'_{ci}</math> (psi)</b>	5,200	5,200	5,800	5,800
<b>Specified 28-day <math>f'_c</math> (psi)</b>	6,000	6,000	8,000	8,000

The producer chose an already-prequalified VC mixture and then proportioned the SCC mixture to exhibit similar hardened properties. Besides differences in the amounts of chemical admixtures added, SCC contained #78 (½ in.-NMSA) dolomitic limestone, while VC contained #67 (¾ in.-NMSA) dolomitic limestone. Both coarse aggregates came from the same quarry. SCC was also proportioned with a higher *s/agg* (0.47 versus 0.38 in VC) and lower total aggregate volume (63% versus 67% in VC). All of these proportions were in line with the approach described earlier to proportion SCC. Specific

gravities (SG) of #78 limestone, #67 limestone, and sand were 2.82, 2.87, and 2.66, respectively. SCC and VC both utilized low  $w/cm$  (ranging from 0.28–0.30).

Notably, while distinctly different minimum compressive strengths were specified for each girder size (28-day  $f'_c = 6,000$  and  $8,000$  psi for BT-54s and BT-72s, respectively), essentially only one SCC and one VC mixture were utilized. SCC for BT-72s incorporated more VMA (4 oz/cwt versus 2 oz/cwt in the BT-54 mixture) to improve stability, but all other variations between BT-54 and BT-72 VC mixtures are slight and are the result of differences in measured air content during production. This difference in air content was most noticeable in the VC BT-72 batches, in which lower air content led to reduced volumetric yield and higher concrete unit weight.

### **3.3.1.2 Girder Production**

BT-54 girders consisted of approximately  $17 \text{ yd}^3$  of concrete apiece, and BT-72 girders consisted of approximately  $27 \text{ yd}^3$  of concrete apiece. Because concrete was delivered to the prestressing bed in  $4 \text{ yd}^3$  batches, many loads of concrete were placed per girder and production day. The first batch of concrete was always tested prior to initiating placement in the girders, and subsequent batches were infrequently sampled for quality control and quality assurance purposes or at the request of the Auburn University researchers.

Up to two batches were placed at the same approximate time and location along the length of the prestressing bed. SCC and VC placement followed the standard practices for VC placement—filling from one end, with delivery trucks able to move further along the prestressing bed as the formwork was filled. Only one line of girders

was produced in a given production day, but two prestressing beds were utilized to allow back-to-back production days. Because of the difference in length, up to three BT-54 girders could be produced on the same bed, while only two BT-72 girders could be produced on the same bed. Configurations of the prestressing beds are shown in Figure 3.13. The researchers documented which end was cast first for each girder (East or West, Inner or Outer), which did not follow a pattern by production day or material due to the use of two prestressing beds.

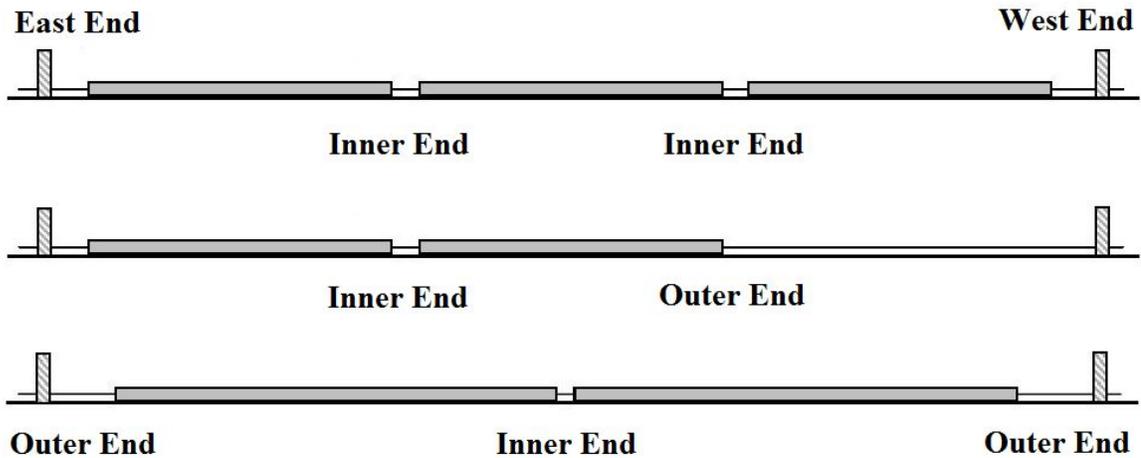


Figure 3.13: Prestressing bed configuration for production of (*top*) three BT-54 girders, (*middle*) two BT-54 girders, and (*bottom*) two BT-72 girders

After all the concrete had been placed, the top surface was roughened and any embedded accessories required for the particular girder were added. The surface was roughened to approximately  $\frac{1}{4}$  in. by running a metal rake with several fingers across the wet concrete as seen in Figure 3.14. Unlike the VC girders, the SCC girders were only able to retain a roughened surface after the top concrete surface had started to set slightly. Consequently, SCC top-surface roughening was delayed. Total production time prior to

covering the girders with a steam-curing tarp was approximately the same for SCC placements, as a delay was always necessary to position the tarp after completing concrete placement.



Figure 3.14: Application of transverse, top-surface roughening with a metal rake

Compressive strength cylinders were tested by the precast producer early the next morning after each placement to verify that the concrete had achieved the required  $f'_{ci}$ . Productions spanning a weekend were specifically avoided. After the forms were removed, the AUHRC researchers were given access to the girders for pre-release behavioral measurements (baseline camber, prestress transfer, and hardened mechanical properties, all of which are described further during this dissertation). Instrumentation for and measurement of these behaviors caused an approximately one- to two-hour delay between removal of the formwork and detensioning. Placement and detensioning

schedules were determined by the precast producer’s schedule; the time between placement and detensioning varied from 18–25 hr, with a median time of 23 hours.

### 3.3.1.3 Girder Nomenclature and Testing Configuration

In order to distinguish the twenty-eight girders, a specimen identification system was implemented as shown in Figure 3.15. Previously completed reports associated with this research (Dunham 2011; Ellis 2012; Johnson 2012; Miller 2013; Neal 2014) have each incorporated a different numbering scheme to identify production and geometric considerations of specific importance to them. The primary girder identification system selected for this research report was chosen to unify and clarify those previous identification schemes.

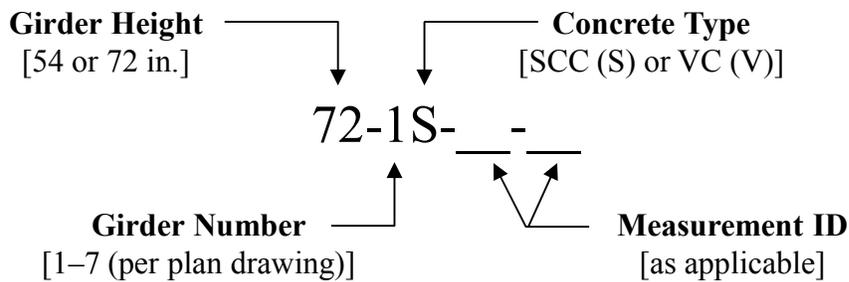


Figure 3.15: Girder identification scheme

Girder numbers are reversed in the SCC and VC spans as indicated in Figure 3.16 for reporting purposes. This was done so that SCC and VC girders with the same number represent a pair of girders that were instrumented and supported in a congruent configuration within the bridge. The girders were not produced sequentially in the order they would be placed at the bridge site, but they were instrumented with knowledge of their expected location in the bridge. Thus, this numbering scheme is used to clearly

identify behaviors assessed at the bridge site including camber growth, long-term prestress losses, response to ambient conditions, and live-load response.

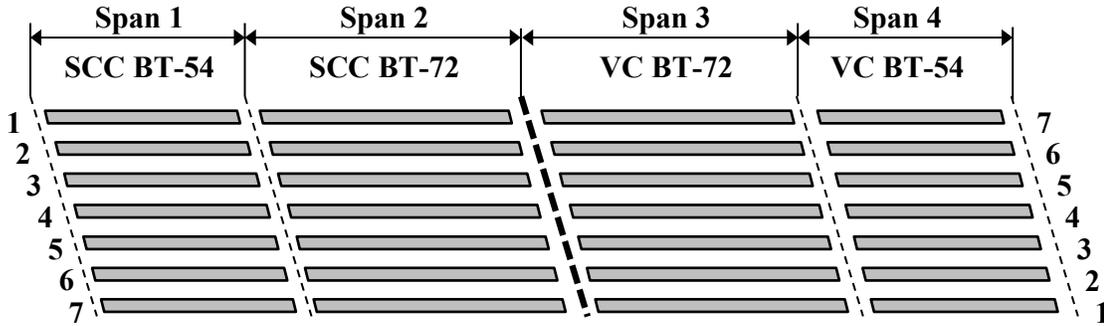


Figure 3.16: Girder and span numbering for bridge over Hillabee Creek

Additional suffixes are appended to the girder identification depending on the property or behavior being analyzed. Different girders and samples within each production day were assessed for the properties and behaviors discussed in this and subsequent chapters. Thus, not only is girder identification necessary, but so is identification of production groups. The primary production group identification system selected for this research report was chosen based on the sequential days of concrete production (seven days each of SCC and VC production). As discussed in Section 3.3.1.1, only two mixtures were utilized throughout this research—one SCC and one VC—so the identification scheme shown in Figure 3.17 does not distinguish between girder sizes.

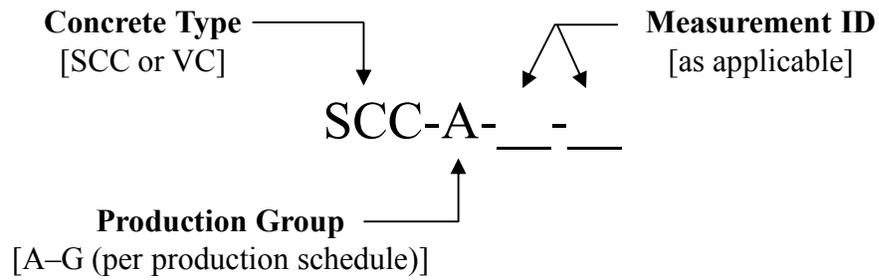


Figure 3.17: Production group identification scheme

The tests conducted on each girder and sample are summarized in Table 3.2. Details concerning the instrumentation required for each test are described in the appropriate section and chapter. As further discussed in Sections 3.3.2 and 3.3.3, certain tests relate only to production groups and *not* unique girders. While up to eight batches were placed in each girder, only a few batches were sampled for material property testing, and their placement was rarely isolated to a known girder location. Additionally, only one sample of concrete was collected during the production of each cast-in-place deck span, and only one sample of concrete was collected during the single-day production of the slip-formed barriers.

Table 3.2: Summary of tests performed on each casting group and girder

Material	Member Size	Batch Tests			Girder Tests		
		Product. Group	$f_c$	Creep & Shrink.	Girder ID	Transfer Length	Temp. & Strain
SCC	BT-54 (Span 1)	A	28-Day	-	54-2S	Yes	Bot. Flange
					54-5S	-	Full Depth
					54-6S	-	Full Depth
		B	28-Day	Yes <sup>1</sup>	54-1S	-	Bot. Flange
					54-3S	-	Bot. Flange
					54-4S	Yes	Full Depth
	C	1-Year	Yes	54-7S	Yes	Full Depth	
	BT-72 (Span 2)	D	28-Day	-	72-1S	-	Bot. Flange
					72-7S	Yes	Full Depth
					72-3S	-	Bot. Flange
		E	1-year	Yes	72-4S	Yes	Full Depth
					72-2S	Yes	Bot. Flange
		F	28-Day	-	72-5S	-	Full Depth
	72-6S				-	Full Depth	
VC	BT-54 (Span 4)	A	28-Day	-	54-2V	Yes	Bot. Flange
					54-5V	-	Full Depth
					54-6V	-	Full Depth
		B	1-Year	Yes	54-1V	-	Bot. Flange
					54-3V	-	Bot. Flange
					54-4V	Yes	Full Depth
	C	28-Day	-	54-7V	Yes	Full Depth	
	BT-72 (Span 3)	D	28-Day	-	72-1V	-	Bot. Flange
					72-7V	Yes	Full Depth
					72-2V	Yes	Bot. Flange
		E	28-Day	-	72-5V	-	Full Depth
					72-3V	-	Bot. Flange
		F	1-Year	Yes	72-4V	Yes	Full Depth
	72-6V				-	Full Depth	
Cast-in-Place VC	Deck Spans	Span 1	91-Day	Prisms	N.A.	N.A.	Full Width of Deck
		Span 2	91-Day	Prisms			
		Span 3	91-Day	Prisms			
		Span 4	91-Day	Prisms			
	Barriers	All	28-Day	-	N.A.	N.A.	Full Depth

Notes: <sup>1</sup> = match-curing apparatus malfunctioned; N.A. = not applicable; - = not tested

### 3.3.1.4 Deck Design and Construction

The cast-in-place components added to the precast, prestressed girders at the Hillabee

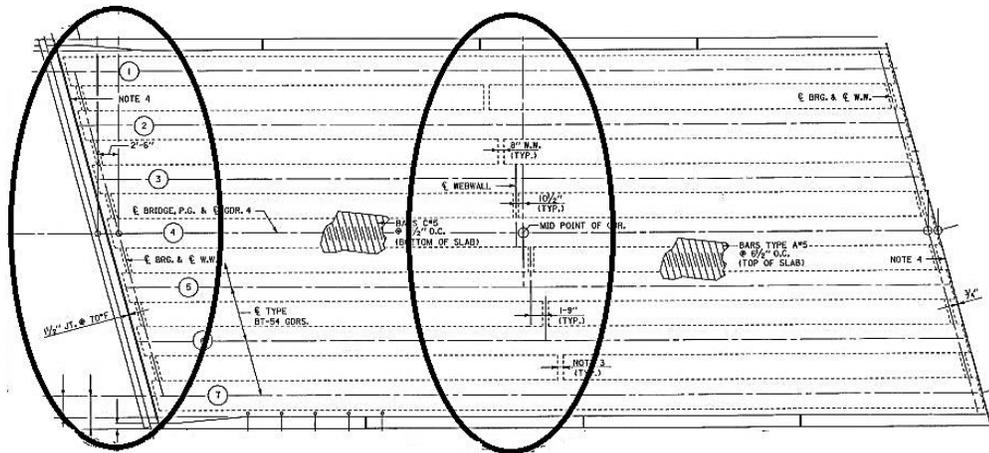
Creek bridge site consists of diaphragms between girders at girder ends and at

intermediate locations, a 7 in. deck, and slip-formed, continuously-cast barriers. There is no structural continuity between any of the four spans due to the use of open deck and barrier joints at the end of each.

#### **3.3.1.4.1 Diaphragms**

Cast-in-place VC diaphragms are located at the ends of each girder, at the midspan points of the girders in spans 1 and 4 (SCC and VC BT-54 spans), and at the quarterspan and midspan points of the girders in spans 2 and 3 (SCC and VC BT-72 spans). They were gradually and incrementally added between June 6 and June 21, 2011; their erection was not completed with a systematic pattern, either by span or between particular girders. Therefore, independent mobility of individual girders is assumed to have ceased around the time of diaphragm erection.

Diaphragm dimensions and reinforcement are configured according to ALDOT standard drawings (ALDOT 2012) and are described more thoroughly by Miller (2013). They are 8 in. thick and achieve composite action with the girders through rebar inserts through the webs of all girders. They achieve composite action with the deck through #5 stirrups and have a bottom face located 10.5 in. from the bottom face of the adjoined girders. All diaphragms are similar except that intermediate diaphragms span perpendicular to the girder-web faces and are staggered along the skew, while end diaphragms span parallel to the skew. The difference is shown in Figure 3.18.



Skewed End Diaphragms

Staggered Intern. Diaphragms

Figure 3.18: Typical diaphragm configuration for end and intermediate diaphragms

### 3.3.1.4.2 Deck

The bridge over Hillabee Creek has a 46 ft-9 in. deck with a 44 ft roadway surface width between the barriers. The bridge deck was cast on four separate days between August 3 and August 16, 2011. The 7 in. slab contains two layers of longitudinal, nonprestressed steel. The top layer contains #4 bars throughout while the bottom layer contains #5 bars. The deck also contains two transverse layers of nonprestressed steel. The top layer, consisting of #5 bars, rests upon the top longitudinal layer of steel and has 2 in. of clear cover to the upper deck surface. The bottom layer of steel consists of #5 bars located immediately *below* the bottom layer of longitudinal steel. It has at least 1 in. of clear cover to metal decking welded into place as permanent formwork for the deck; clear cover varies due to the differences in concrete build-up required to create a level upper deck surface atop cambered girders. Reinforcement was also tied into place to protrude from the deck where barriers would be added later.

#### **3.3.1.4.3 Barriers**

Traffic barriers were slip-form cast over reinforcement protruding from the deck on November 1, 2011. The barriers, which conform to ALDOT standard drawings for continuously-cast barriers (ALDOT 2012), are not continuous between spans. They also contain saw-cut joint openings at every 25 ft in spans 1 and 4 (midspan and quarterspans) and at every 22.5 ft for spans 2 and 3 (midspan and at each sixth of the span). Therefore, while they achieve composite action with the deck, their effect on the flexural rigidity of the underlying girders (girders 1 and 7 of each span) is substantial but not precisely known because of the incremental control joints.

#### **3.3.1.4.4 Concrete Mixture**

All cast-in-place elements were produced with the same concrete mixture, which is shown in Table 3.3. In total, approximately 740 yd<sup>3</sup> of this mixture were required to construct the cast-in-place deck and barriers.

Table 3.3: Mixture used in diaphragms, deck, and barriers of bridge over Hillabee Creek

Item	Cast-in-Place VC
<b>Cement content (pcy)</b>	496
<b>Class C fly ash content (pcy)</b>	124
<b>Maximum Water content (pcy)</b>	276
<i>Maximum w/cm</i>	0.45
<b>SSD Coarse aggregate #67 (pcy)</b>	1,870
<b>Fine aggregate (pcy)</b>	1,200
<i>sand/total aggregate (by volume)</i>	0.39
<i>Total aggregate volume (%)</i>	0.67
<b>Air-entraining admixture (oz/cwt)</b>	0.2
<b>WRA (oz/cwt)</b>	3.0
<b>Midrange WRA (oz/cwt)</b>	5.0
<b>Measured air content (%)</b>	3.3
<b>Measured unit weight (lb/ft<sup>3</sup>)</b>	147.2
<b>Specified 28-day <math>f'_c</math> (psi)</b>	4,000

The above mixture is distinctly different from both precast, prestressed concrete mixtures. Distinctly different characteristics include the use of:

- Type I/II cement with 20% Class C fly ash replacement (versus Type III cement with 15% slag cement replacement in girders) and
- Upper  $w/cm$  limit of 0.45 (versus consistent use of  $w/cm = 0.28-0.30$  in girders)

While the #67 coarse aggregate was crushed limestone meeting the same gradation specification as that of the VC girders, properties of the aggregate varied due to differences between quarries. The use of a lower specific-gravity coarse aggregate and higher  $w/cm$  also yielded a lower unit weight,  $w_c$ , than in the precast, prestressed

concrete. All chemical admixtures for the cast-in-place concrete were supplied by BASF Construction Chemicals, while all chemicals for the girders were supplied by Grace Chemicals.

### **3.3.2 Fresh Property Evaluation**

#### **3.3.2.1 Fresh Concrete Stability Test Methods**

A total of five fresh concrete stability test methods were used during full-scale production: the VSI, sieve stability, column segregation, rapid penetration, and surface settlement tests. After evaluating these five tests in a laboratory environment (see Chapter 2), the researchers determined that the VSI and sieve stability test were the best suited tests for use in plant quality-assurance testing, while the surface settlement test was best suited for assessing segregation risk during mixture prequalification testing. Nonetheless, all five tests offered potential advantages, so they were all chosen for further study during this full-scale project.

The proposed fresh concrete stability testing protocol described in Section 2.4.5 was also evaluated during the full-scale project, except that the sieve stability test was only conducted following the test's standard 15 min. rest period. As mentioned in Section 2.4.2.5, it was during this full-scale project evaluation that the inconvenience of the standard 15 min. rest period was confirmed. As also mentioned in Chapter 2, though, the results obtained after the standard rest period correlated very well with results obtained after an abbreviated 80 sec. rest period during the second phase of the research. Consequently, while all results shown in this chapter were obtained following the

standard rest period, all subsequent use of the testing protocol should incorporate the abbreviated-rest sieve stability test method.

### **3.3.2.2 Fresh Testing Procedure**

As mentioned previously, the full-scale project was conducted with minimal researcher interference or direct involvement. The research team provided training to the ALDOT inspectors and plant personnel prior to production, but ALDOT personnel were responsible for quality-assurance testing and Hanson plant personnel were responsible for quality-control testing. Quality-assurance and quality-control tests were conducted according to the Special Provision and specifications described in Section 3.2.1. Batch acceptance was determined based on the results of this required testing (slump flow or slump, air content, temperature, and, where applicable, VSI).

Although they did not influence these tests, the Auburn University researchers were present to observe all testing and to conduct their own testing for research purposes. Results obtained by the researchers were not shared with the plant technicians in order to avoid biasing their assessments. While the ALDOT technicians were only required to test the VSI once per 50 yd<sup>3</sup> for quality-assurance purposes, the Auburn University researchers independently conducted the VSI and the sieve stability test at least twice per SCC production day. The rapid penetration test was also conducted at least twice per SCC production day because of its relative speed of testing.

Except during production groups C and G (when one SCC and one VC girder were cast on the same bed), three cycles of these fresh tests were conducted each production day (of both SCC and VC production)—once from the first accepted batch of

the day, once at the approximate middle of production for the day, and once near completion of production for the day. During production groups C and G, the first batch was still tested, and the second cycle of testing was conducted on one of the last batches placed for the day. The exact placement location of the second and (where applicable) third batches could not be precisely controlled by the researchers due to the mandate to avoid interfering with the production process. However, general locations can be inferred from the production sequence (see Section 3.3.1.2).

The column segregation test and surface settlement test, which are more time-consuming and labor-intensive, were conducted once per SCC production day to coincide with the first cycle of testing of the other three SCC stability test methods. All testing by ALDOT technicians, plant personnel, and Auburn University researchers was conducted on a slab on grade outside of the plant's materials testing laboratory located along the path between the mixer and the prestressing bed. The only exception was that the surface settlement test was conducted inside the laboratory and away from any other testing in order to limit interference that could affect its results. A pair of each of the five stability tests was conducted simultaneously during each testing cycle, and the results obtained from two apparatuses were averaged before analysis.

### **3.3.3 Hardened Material Property Evaluation**

#### **3.3.3.1 Testing of Girder Concrete**

Samples of concrete were collected during each production day for strength and elastic modulus testing according to ASTM C39 (2010), C496 (2011), and C469 (2010), as well as for creep and shrinkage testing described in Chapter 5. Sampling was intentionally

coordinated to coincide with fresh property testing cycles. The cylinders were produced alongside the prestressing bed and were stored there (and were exposed to some degree of steam-curing like the girders), and they were always taken from the same batches of concrete that had been tested for fresh property evaluation.

Since representative 6 in. by 12 in. cylinders were produced in conjunction with the cycles of fresh testing described in Section 3.3.2.2, at least two sets of cylinders were produced during each production day. The second set of cylinders was always the largest set produced. The number of cylinders produced during each production day varied depending on whether time-dependent deformation testing would be conducted on samples from that production group. The second set of cylinders was chosen for evaluation of hardened properties because the researchers assumed that it would be representative of the majority of concrete placed during a production day.

Batches sampled near the middle of the day's production exhibit the average maturity of all concrete placed, while the first and last few batches could be subject to adjustments to account for changing material and weather conditions. Consequently, the first and (where applicable) third sets of cylinders were only produced to confirm the 28-day  $f_c$  of the second set of cylinders;  $E_c$  was not tested in these confirmation cylinders, so strengths were only used to capture between-batch variability.

#### **3.3.3.1.1 Cylinders for Evaluation of Strength and Modulus of Elasticity**

All representative field-cured cylinders were exposed to essentially the same temperature profile as the represented girders. The cylinders were capped immediately after being struck off and, as shown in Figure 3.19, all were then placed in recesses within the girder

formwork to be covered by the tarp. In this way, they would receive steam-curing exposure alongside the girders.



Figure 3.19: Storage of representative 6 in. by 12 in. cylinders within girder forms

To further ensure that the cylinders would be exposed to the same ambient conditions as the girders, all cylinders were uncapped and demolded at the same times as when the tarps and formwork were removed from the girders. Some were tested immediately to coincide with the girder detensioning, and all other cylinders were left in a sheltered outdoor location adjacent to the girders for at least two weeks. After being stored at the plant for at least two weeks, the remaining cylinders were transported to the AUHRC laboratory approximately 110 miles southeast of the precast plant. There, they were stored in a sheltered outdoor location with humidity and temperature conditions not

dissimilar from at the plant. Cylinders prepared in this way were tested at various ages up to one year after production, which coincided approximately with the addition of the concrete deck to the girders at the bridge.

#### **3.3.3.1.2 Cylinders for Evaluation of Time-Dependent Deformation**

In addition to the cylinders for evaluation of strength and  $E_c$ , cylinders were cast for measurement of time-dependent deformation according to ASTM C512 (2002), *Standard Test Method for Creep of Concrete in Compression*. These cylinders were always obtained during the second round of sampling to coincide with the majority of strength-cylinder production, and they were produced and stored alongside the other cylinders until approximately three hours before the girders were demolded and detensioned. At that time, all cylinders for time-dependent deformation testing were transported two hours to the laboratory in an insulated container which was used to allow a gradual temperature decrease from the elevated temperature in the bed to standard laboratory conditions. They were transported at this time so that some would be loaded to coincide with detensioning of the full-scale girders.

Once at the laboratory, the cylinders were demolded and prepared for creep loading and shrinkage testing, and most of the specimens were placed into a climate-controlled room which maintains a humidity of  $50\% \pm 10\%$ . Here, the specimens were exposed to controlled drying and temperature conditions and, where applicable, sustained compressive loading until they all reached three years of age.

Approximately half of the cylinders that were used for time-dependent deformation testing were cured in the plant using a match-curing apparatus, as discussed

further by Ellis (2012). The match-curing apparatus was temperature-controlled to match the internal temperature of the bottom bulb of a girder on the bed. The match-cured cylinders were frequently exposed to a different temperature history than steam-cured cylinders from the same production day. Two examples of the difference are shown in Figure 3.20 which illustrate that the difference was not consistent between production groups. In other words, match-cured cylinders were sometimes heated more and sometimes heated less than the companion tarp-cured cylinders.

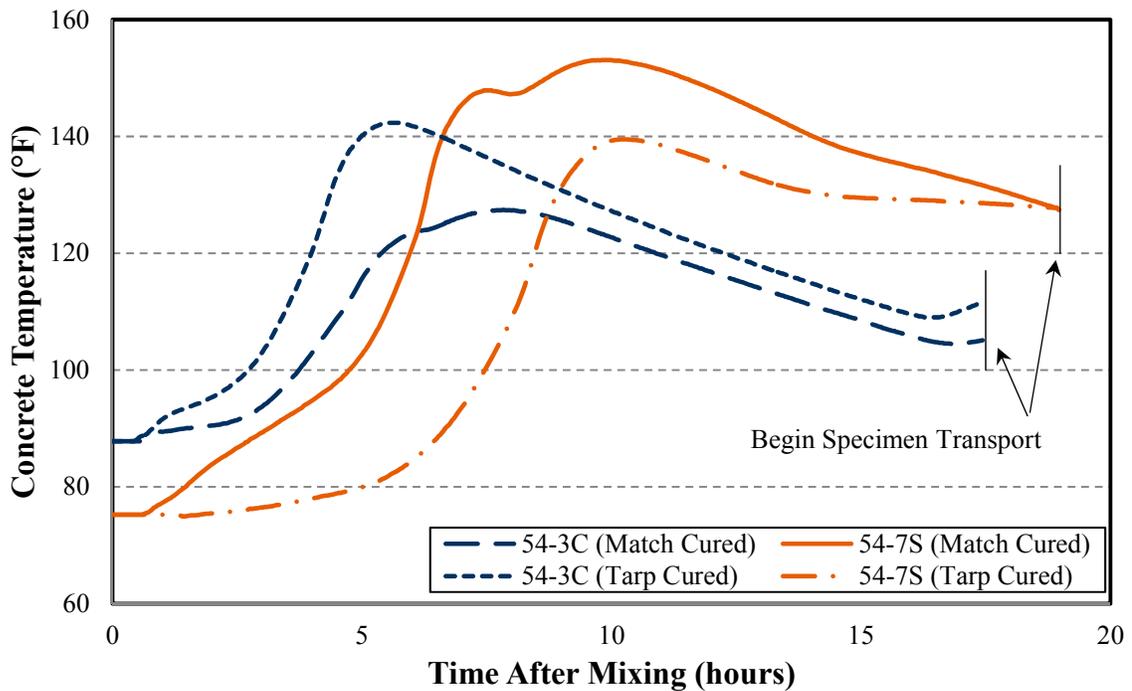


Figure 3.20: Measured temperature histories of cylindrical specimens used in time-dependent deformation testing

Match-cured sets of cylinders were loaded at the time of prestress transfer (to most closely match the behavior of the girders), and steam-cured sets were loaded at approximately twenty-six hours (always after the match-cured cylinders). Separately, a third set of steam-cured cylinders were stored outdoors alongside the cylinders prepared

for strength and  $E_c$  evaluation and were tested for creep and shrinkage at approximately the same time as when the deck was cast in place over the girders at the Hillabee Creek Bridge (at an age of approximately one year). After being exposed to one year of ambient conditions, these cylinders were henceforth exposed to the controlled drying conditions and, where applicable, sustained compressive loading equal to 40% of  $f_c$ . The compressive load required for this group was much higher than in the other sets because the concrete had matured and achieved a much greater compressive strength by this age.

Upon reaching a concrete age of three years, all cylinders that had been loaded for creep testing or stored for free shrinkage testing were then tested for  $f_c$  and  $E_c$  according to ASTM C39 and C469. While these cylinders did not experience the same ambient conditions as the girders, valuable conclusions could still be drawn from comparing them—twenty-eight sets of SCC and VC cylinders were exposed to uniform, controlled drying conditions for at least two years, and half of those sets had been loaded to 40% of  $f_c$  for that time. Thus, long-term compressive strength and elastic behavior were compared, as were the predictability of  $E_c$  and any effects of long-term precompression.

#### **3.3.3.1.3 Free-Shrinkage Prisms**

Rectangular prisms measuring approximately 11.25 in. long with a 3 in. square cross section were prepared according to ASTM C157 (2008) during SCC production group E and during VC production groups E and F for unrestrained shrinkage evaluation. After being steam-cured alongside the girders until girder form removal, the prisms were taken to the laboratory to be air-cured in a climate-controlled room which maintains a humidity

of  $50\% \pm 10\%$ . They were stored there and regularly measured until July of 2013, following completion of all in-field deformation measurements and live-load testing.

### **3.3.3.2 Testing of Cast-in-Place Superstructure Concrete**

Samples of concrete were collected for  $f_c$  and  $E_c$  testing according to ASTM C39 and ASTM C469 during construction of each bridge deck span and during construction of the slip-formed barriers. The cylinders were capped and stored in a shaded area near the girders at the bridge site. They were demolded approximately five to seven days after casting to coincide with when contractors ceased applying curing to the deck. All cylinders were left adjacent to the bridge for another week after demolding (total of two weeks after casting). Afterwards, they were transported to the AUHRC laboratory (approximately 40 miles southeast of the bridge site) and stored in a sheltered outdoor location with approximately similar humidity and temperature conditions as at the bridge site. Cylinders prepared in this way were tested at various ages up to ninety-one days after production, at which time hardened mechanical property evolution was assumed to have sufficiently plateaued.

During each deck construction day, the representative cylinders were produced from a sample taken at approximately halfway through the day's construction. While the researchers attempted to sample deck concrete near where embedded gauges were installed at midspan (see Chapter 6), the placement location of the batches could not be precisely controlled by the researchers. Regardless, location would be of minimal value, as each span required at least eighteen  $8 \text{ yd}^3$  batches of ready-mixed concrete.

In addition to 6 in. by 12 in. cylinders, drying-shrinkage prisms (11.25 in. by 3 in. by 3 in.) were produced similarly to those described for girder concrete evaluation. A set

of three prisms was produced for each span to evaluate the variability between spans and to compare to the limited number of SCC and VC girder prisms. The deck-concrete prisms were stored in the same climate-controlled storage room, where the drying process ensued until July of 2013 (following completion of all field deformation measurements and live-load testing). At this time, deck-concrete prisms were approximately 675 days old.

In addition to use for comparison of unrestrained shrinkage, all prisms (from both girders and deck) served a second purpose at a much later date when the response of the bridge to diurnal heating was investigated by testing the apparent coefficient of thermal expansion (CTE) of the prisms.

### **3.4 Presentation and Analysis of Results**

Results and discussion relevant to the objectives of this chapter are presented in this section. First, girder production observations are summarized, and the relevance of the ALDOT Special Provisions for SCC are discussed. Then, fresh properties are given, and their relationship to laboratory results and the proposed SCC testing protocol (from Chapter 2) are discussed. Finally, strength and  $E_c$  data from all aspects of the full-scale production are reviewed.

#### **3.4.1 Production Observations**

Each SCC placement required fewer than half as many laborers as each VC placement. All production activities were conducted at least as quickly during SCC placements (see Table 3.5 on page 273 for batching times) until top-surface scratch roughening and covering of the girders for steam-curing. A delay was required before roughening the top surface of the SCC girders to ensure that the concrete would set sufficiently to hold the

desired texture. Early efforts to apply transverse roughening had difficulties similar to those documented by Boehm et al. (2010)—the SCC reconsolidated, so roughening had to be reapplied later. Despite the delay, total production times were similar during SCC placement, and production times noticeably decreased (improved) between SCC productions as crews became more familiar with the material.

Some cracking in the girders was observed after the removal of the formwork and prior to prestress transfer. Every girder had two or three evenly distributed cracks that ran from the top surface down into the web. Cracks were widest at the top of the girder; most were approximately 0.02 in. wide, with the largest crack equaling 0.04 inches. There did not seem to be any difference between VC and SCC girders in the cracking pattern or number of cracks. In Figure 3.21, typical cracks have been highlighted with a marker for enhanced visibility.



Figure 3.21: Cracking of girders constructed with (*left*) SCC and (*right*) VC

Cracking was frequently observed immediately after formwork removal, but all cracks closed during prestress transfer. The cracking was likely due to a temperature gradient present after removal of the tarp, which allowed the exposed top flange to rapidly cool. ALDOT production inspectors commented that the occurrence of these cracks was not uncommon to this type of production. This type of cracking has also been documented in long-span prestressed girders by Baran et al. (2003) and Erkmen et al. (2008), who found that it does not noticeably affect service-load performance as long as cracks reclose after prestress transfer. Occurrences of pre-release cracking did not seem

to be affected by the concrete type, age at time of transfer, or ambient temperature at the time of transfer (which varied widely over the two-month production schedule).

Also, hold-down points frequently appeared to become hung up in the casting bed during prestress transfer. The hold-down points were flame-cut, but there were times when it was obvious that the girder was trying to lift itself up off of the casting bed and was instead being kept down by the base of the bed. The specific girders that were affected by this were not recorded because there were times when it was unclear whether or not the hold-down was affecting the girder behavior; occurrences were random and did not appear to be related to the concrete type.

Despite the absence of consolidation efforts during SCC placements, the SCC girders exhibited a much better surface finish than companion VC girders. Examples of the surface finish achieved with each concrete type are shown in Figure 3.22 through Figure 3.25. In those figures, bug holes were both deeper and more prevalent in VC girders, while the primary undesirable surface features in the SCC girders were shallow bleed channels and surface bubbles that occurred in the bottom bulb where bleed water and air bubbles were trapped against the inclined upper surface of the bottom bulb formwork. These undesirable surface features of SCC girders are similar to the appearance described by Ozyildirim (2008).



Figure 3.22: Shallow bleed channels in SCC girder (U.S. quarter for scale)



Figure 3.23: Shallow surface flaws in SCC girder (U.S. quarter for scale)



Figure 3.24: Bugholes in VC girder (U.S. quarter for scale)



Figure 3.25: Surface flaws in VC girder (U.S. quarter for scale)

According to the precast plant's engineering manager, the improved surface finish of the SCC girders was the single largest advantage gained through use of the material. The plant's quality control manager was confident that continued adjustments to the SCC mixture would eventually result in a surface finish that would require no improvement or repair prior to shipment. Aesthetic quality was confirmed by ALDOT, who found that these full-scale SCC girders already met the state's standard specification for surface finish. According to the ALDOT standard specifications for the production of precast, prestressed elements, only surface defects deeper than 0.25 in. covering an area of at least 1.5 ft<sup>2</sup> or deeper than 0.5 in. with a 0.75 in. diameter must be repaired prior to shipment.

The plant engineering manager was also confident that eliminating resurfacing measures would provide a cost savings that would exceed any savings realized from removal of the consolidation efforts currently required for VC construction. He went on to state that the company would prefer to use SCC for all precast, prestressed placements. Again, these observations are similar to those of Ozyildirim (2008)—SCC can be an economically preferable material over VC at least as much for its tendency to produce products of a high aesthetic quality and uniformity as for its improved ease of placement.

### **3.4.2 Fresh Properties**

#### **3.4.2.1 Fresh Concrete Material Tests**

Summary results of the fresh concrete tests conducted by the ALDOT quality assurance inspectors during each production day are presented in Table 3.4. The fresh concrete property values shown in the table were used to monitor the acceptability of fresh concrete properties and were not influenced by the AUHRC research team.

Table 3.4: Fresh concrete material properties from ALDOT batch-acceptance testing

Mix ID	Production Date	Time of Test	Fresh Concrete Properties			
			Slump or Flow (in.)	VSI	Total Air (%)	Concrete Temp. (°F)
SCC-A	9/21/10	10:18	28.0	1.5	3.3	85.0
		11:20	25.5	1.0	4.5	87.0
SCC-B	9/28/10	9:20	27.5	1.5	2.6	73.0
		9:48	27.5	1.0	3.0	77.0
SCC-C	10/5/10	10:54	26.0	1.5	5.5	76.0
		11:04	26.0	1.5	4.2	75.0
SCC-D	10/14/10	10:17	27.0	1.5	2.0	78.0
		11:15	26.5	1.5	4.2	83.0
SCC-E	10/19/10	14:30	26.0	1.5	3.3	82.0
		15:07	27.0	1.5	3.7	81.0
SCC-F	10/25/10	10:17	25.5	1.0	4.2	77.0
		11:01	25.0	1.0	3.7	77.0
SCC-G	10/28/10	13:04	28.0	1.0	3.8	83.0
		13:25	28.0	1.0	3.7	83.0
<b>SCC Avg.</b>			<i>26.7</i>	<i>1.29</i>	<i>3.7</i>	<i>79.7</i>
VC-A	9/23/10	9:25	9.0	N.A.	3.9	82.0
		10:35	8.75		4.0	87.0
VC-B	9/29/10	11:25	8.5		4.2	75.0
		12:30	8.75		4.4	88.0
VC-C	10/5/10	9:56	9.0		4.5	69.0
		10:07	8.75		3.9	72.0
VC-D	10/18/10	10:25	8.75		4.0	72.0
		11:10	9.0		3.4	77.0
VC-E	10/21/10	10:20	9.0		3.1	73.0
		10:58	9.0		2.5	79.0
VC-F	10/26/10	12:50	8.5		3.6	84.0
		13:35	9.0		3.5	73.0
VC-G	10/28/10	11:20	9.0		2.2	80.0
		11:31	8.25		3.2	81.0
<b>VC Avg.</b>			<i>8.8</i>	<i>N.A.</i>	<i>3.6</i>	<i>78</i>

Note: N.A. = not applicable

Comparing the above results to the specifications and Special Provisions discussed in Section 3.2.1, concrete batches were regularly acceptable. Occasionally, the first batch of concrete (both types) was rejected by ALDOT inspectors because its properties fell outside of the acceptable range. SCC batches were generally rejected that exhibited too *low* of a slump flow while VC batches were generally rejected that exhibited too *high* of a slump. After consideration of slump flow results from accepted batches and the resulting high-quality surface finish achieved in the SCC girders, it was suggested by the precast plant's quality-control manager that the specified slump flow of SCC for precast, prestressed girders be decreased in future revisions of the SCC provisions to 26 in.  $\pm$  2 in. (from 27 in.  $\pm$  2 in.).

Summary results of the fresh concrete tests conducted by the AUHRC research team during each production day are presented in Table 3.5. In the table, all fresh concrete property values were obtained by averaging all available data for the given production group. Note that these results were only used for research purposes and were not shared with the producer during production.

Table 3.5: Fresh concrete material properties

Mix ID	Casting Duration (min.)	Average Fresh Concrete Properties				
		Slump or Flow (in.)	T <sub>50</sub> (s.)	VSI	Total Air (%)	Unit Wt. (lb/ft <sup>3</sup> )
SCC-A	98	27.2	N.A.	1.17	4.1	151.1
SCC-B	76	26.7	7.0	1.0	3.4	151.7
SCC-C	50	26.0	7.5	1.5	4.9	148.9
SCC-D	97	24.0	11.3	0.0	4.0	151.2
SCC-E	82	25.0	10.3	0.33	4.1	151.0
SCC-F	79	22.8	10.3	1.0	3.9	151.2
SCC-G	54	27.0	N.A.	1.25	3.8	151.2
<b>SCC Avg.</b>	77	25.5	9.3	0.9	4.0	150.9
VC-A	72	9.3	-	-	4.0	153.7
VC-B	89	8.8	-	-	4.4	153.2
VC-C	33	8.9	-	-	4.2	153.6
VC-D	68	8.8	-	-	3.9	154.1
VC-E	98	9.1	-	-	2.9	155.7
VC-F	94	8.9	-	-	3.4	155.2
VC-G	82	8.6	-	-	2.7	156.9
<b>VC Avg.</b>	77	8.9	-	-	3.6	154.6

Notes: N.A. = not available; - = not tested

In addition to these average results, batch-specific properties are presented in Appendix C. Among the measurements obtained by the AUHRC research team, SCC slump flows ranged from 22.0–28.0 in. and averaged 25.5 inches while VC slumps ranged from 8.5–10 in. and averaged 9.0 inches. These results are different from those presented in Table 3.4 because some of the AUHRC-tested batches overlapped with those tested by ALDOT, but not all. Also, the order of test initiation may have also affected the results. It would be difficult to assess the impact of the difference between ALDOT and

AUHRC results, but the results suggest expectable changes in fresh behavior over time (reduced workability but improved SCC fresh stability). Regardless, all testing for research purposes was initiated consistently for comparative purposes.

The doubling of the VMA dosage used during SCC BT-72 production groups (SCC-D–SCC-G) led to an increase in  $T_{50}$ . This effect was tributary to the intended purpose of improving stability (which is discussed in the next section). Contrary to the recommendations of Khayat and Mitchell (2009), girders of both sizes exhibited a high-quality surface finish despite being constructed with a highly viscous SCC. Viscosity of SCC mixtures utilized in precast, prestressed girder production should not, therefore, be restricted for constructability purposes.

All mixtures exhibited air contents within the specified limits, and SCC appeared to exhibit comparable variability in air content to that of VC (COV equaled 4.7% versus 4.1% in VC). Overall variability may be misleading though—SCC air content variation appeared to be random, but there was a noticeable trend in the variation in VC air content. All of the VC BT-72 production groups (VC-D–VC-G) exhibited lower air contents, which led to a higher  $w_c$  among these mixtures.

All VC batches exhibited higher  $w_c$  than SCC batches, averaging 154.6 lb/ft<sup>3</sup> versus 150.9 lb/ft<sup>3</sup> in SCC batches (a 2.5% increase). This systematic difference in  $w_c$  is likely due to three VC mixture attributes discussed above and in Section 3.3.1.1: 1) lower measured air contents, 2) increased aggregate content (67% versus 63% in SCC), and 3) decreased  $s/agg$  (0.38 versus 0.47 in SCC) with higher SG of coarse aggregate than that of sand. When comparing SCC and VC values in Table 3.5, even SCC and VC mixtures of the same air content exhibited a systematic difference in  $w_c$ .

The  $w_c$  of both types of concrete exceeded the observations of Storm et al. (2013) and Al-Omaishi et al. (2009), and they were very similar to the SCC and VC unit weights observed by Trejo et al. (2008) (150 and 153 lb/ft<sup>3</sup> for SCC and VC, respectively). SCC  $w_c$  was consistently closer to the value recommended by Trejo et al. (2008) of  $w_c = 150$  lb/ft<sup>3</sup>, although this comparison is limited. Regardless, the difference between predicted and measured  $w_c$  could have an influence on structural properties (elastic modulus, self-weight, etc.).

Care should be exercised when choosing the  $w_c$  to use in predictive and design equations for precast, prestressed applications. Determination of  $w_c$  based on the utilized proportions and materials may be useful in lieu of a larger analysis of this tendency in concretes typical of a particular region or application. Measured  $w_c$  was, on average, greater than that calculable from the proportions listed in Table 3.1 because the as-produced concrete regularly exhibited less than the target air content (4.5%). Still, calculated  $w_c$  equaled 150.7 and 154.2 lb/ft<sup>3</sup> in SCC and VC, respectively, based on the target air content and previously listed constituent specific gravities and proportions. Since any variation in measured  $w_c$  due to air content would not be consistently predictable, the previously recommended 150 lb/ft<sup>3</sup> should be sufficient for mixtures utilizing similar aggregates and proportions to those presented in Table 3.1.

#### **3.4.2.2 Fresh Self-Consolidating Concrete Stability Tests**

Summary results of the five fresh SCC stability tests conducted on each SCC production group are presented in Table 3.6. In the table, VSI, sieved fraction, and rapid penetration results were obtained by averaging the results from at least two batches of SCC; column

segregation and surface settlement results, which require more time and labor to obtain, were obtained during the first cycle of testing of the other three stability test methods. All results shown are those obtained while utilizing standard test procedures; the use of alternative rest periods was assessed in Chapter 2, but only as a result of the full-scale project testing described here and discussed further in Section 3.3.2. Furthermore, pairs of each fresh test were conducted simultaneously, except that the VSI test was always conducted twice consecutively. For consistency, it was deemed best to have a single operator conduct both repetitions of the VSI test.

Table 3.6: Production day-specific fresh concrete stability test results

Mix ID	Avg. Results from Multiple Batches			Results from First Batch		
	VSI	Rapid Pen. (in.)	Sieved Fraction (%)	Seg. Index (%)	Rate of Set. (%/hr)	Maximum Set. (%)
SCC-A	1.2	0.43	5.3	6.0	0.25	0.22
SCC-B	1.0	0.26	7.5	7.9	0.27	0.37
SCC-C	1.5	0.18	5.5	7.0	0.10	0.16
SCC-D	0.0	0.22	0.2	3.0	0.13	0.11
SCC-E	0.3	0.13	1.6	3.9	0.10	0.16
SCC-F	1.0	0.17	0.3	1.3	0.13	0.12
SCC-G	1.3	0.28	4.6	5.9	0.07	0.18

In Table 3.6, visual stability index values other than the discrete values discussed previously (0, 0.5, 1, 1.5, 2, or 3) indicate instances in which the multiple tests and batches yielded different results. As with all fresh tests, identical test results were not guaranteed for test pairs or between batches of concrete. Batch-specific results from the VSI, rapid penetration, and sieve stability tests are shown in Table 3.7. In it, slump flows

are also given for reference (recall that VSI and slump flow results presented here were used only for research comparisons, not to determine batch acceptance).

Table 3.7: Batch-specific fresh concrete stability test results

Mix ID	Batch #	Slump Flow (in.)	VSI	Rapid Pen. (in.)	Sieved Fraction (%)
SCC-A	1	28.0	1.5	0.43	7.8
	2	27.5	1.0	0.51	4.9
	3	26.0	1.0	0.35	3.2
SCC-B	1	27.0	1.0	0.31	10.4
	2	26.0	1.0	0.31	8.0
	3	27.0	1.0	0.16	4.2
SCC-C	1	26.0	1.5	0.20	6.0
	2	26.0	1.5	0.20	4.9
SCC-D	1	25.0	0.0	0.16	0.0
	2	23.0	0.0	0.12	0.5
	3	24.0	0.0	0.20	0.0
SCC-E	1	26.0	1.0	0.35	3.0
	2	26.0	0.0	0.20	1.1
	3	23.0	0.0	0.08	0.7
SCC-F	1	22.5	1.0	0.12	0.2
	2	24.0	1.0	0.12	0.4
	3	22.0	1.0	0.12	0.4
SCC-G	1	26.0	1.0	0.28	1.6
	2	28.0	1.5	0.28	7.5

#### 3.4.2.2.1 Discussion of Fresh Properties

From Table 3.7, SCC used to produce BT-72 girders (SCC-D–SCC-G) yielded fresh concrete stability test results that would indicate somewhat improved stability.

Considering the conclusion of Khayat (1999) previously discussed in Section 2.2.1.4, this

increased stability may be attributed to the use of larger dosages of VMA. The plant's quality-control manager also commented that stability was improving because the plant personnel gained experience concerning SCC use during the duration of this project. By the end of production in late October, they were more aware of the batching sensitivity and chemical admixture use necessary to achieve flowable and stable SCC.

Among the fresh concrete stability tests in which multiple batches were tested (VSI, rapid penetration, and sieve stability tests), results were frequently classified as satisfactory or borderline according to the protocol recommended in Chapter 2 ( $VSI \leq 1.0$  or sieved fraction  $\leq 7.5\%$ ). The results shown in Table 3.6 and Table 3.7 suggest that SCC stability generally improved during the duration of this project, but the inconsistency of this trend (see SCC-G) confirms that the same levels of quality assurance and quality control currently employed for VC placements should be maintained during the utilization of SCC.

#### **3.4.2.2.2 Discussion of Batch-Specific Fresh Concrete Test Correlations**

Fresh concrete stability test results were compared to each other on a batch-specific basis for all SCC produced at the plant. Comparisons yielded correlation values similar to those discussed in Chapter 2:

- Strong correlations were observed between the sieve stability test and both the VSI and column segregation tests ( $R^2 = 0.41$  and  $0.70$ , respectively),
- A strong correlation was observed between the rate of settlement and maximum settlement when using the surface settlement test ( $R^2 = 0.53$ ), although improvement through the use of a nonlinear model was unclear, and

- The rapid penetration test did not correlate well with the other fresh concrete stability tests.

Fresh test results from the full-scale project are illustrated in Figure 3.26 through Figure 3.28 alongside results from AUHRC laboratory mixtures of similar coarse aggregate NMSA and aggregate volume. As a reminder, the laboratory-assessed results in those figures varied more widely because stability was intentionally varied during the laboratory phase.

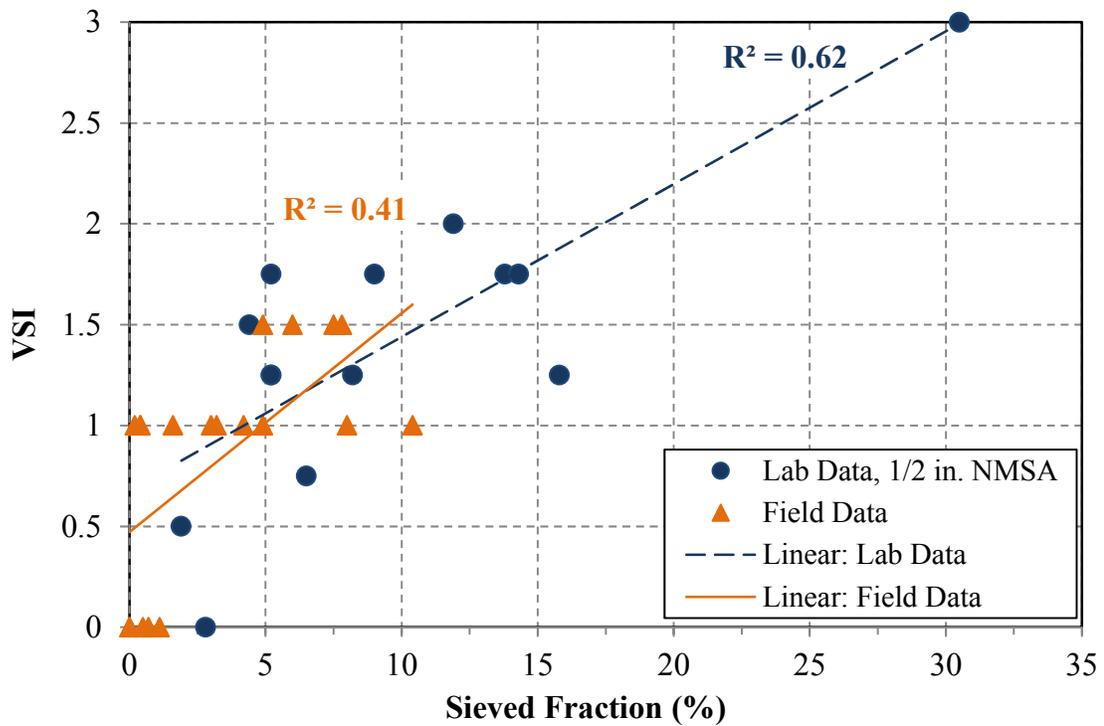


Figure 3.26: Comparison between sieved fraction and VSI results (field data and comparable laboratory data from Figure 2.54)

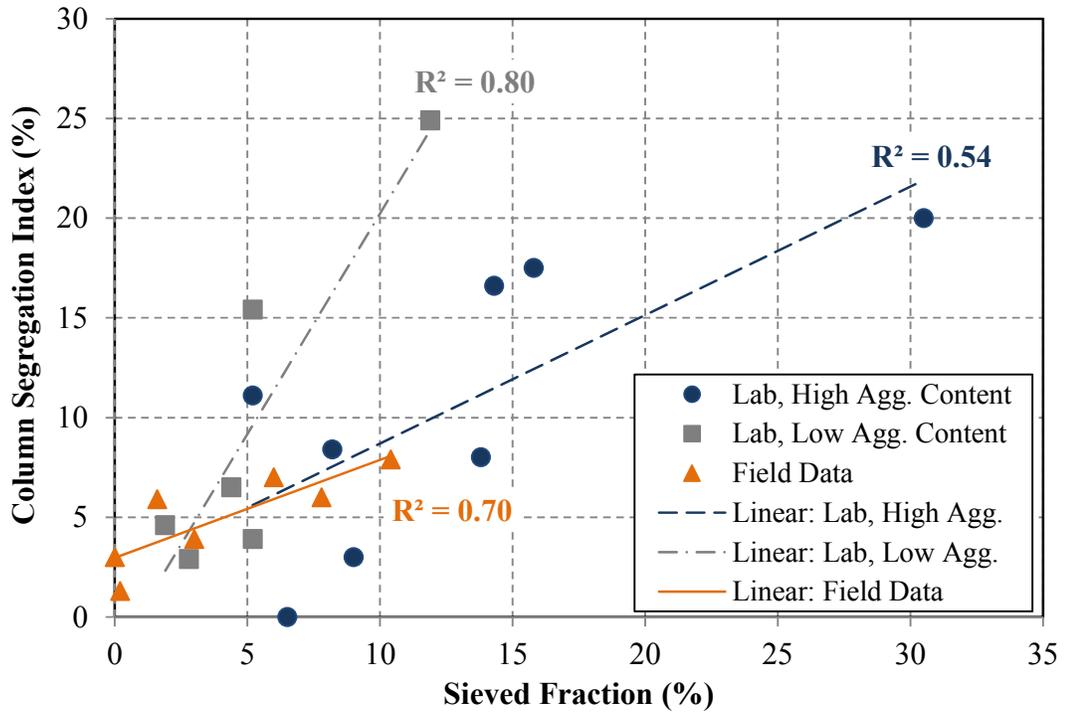


Figure 3.27: Comparison between sieved fraction and column segregation index results (field data and comparable laboratory data from Figure 2.55)

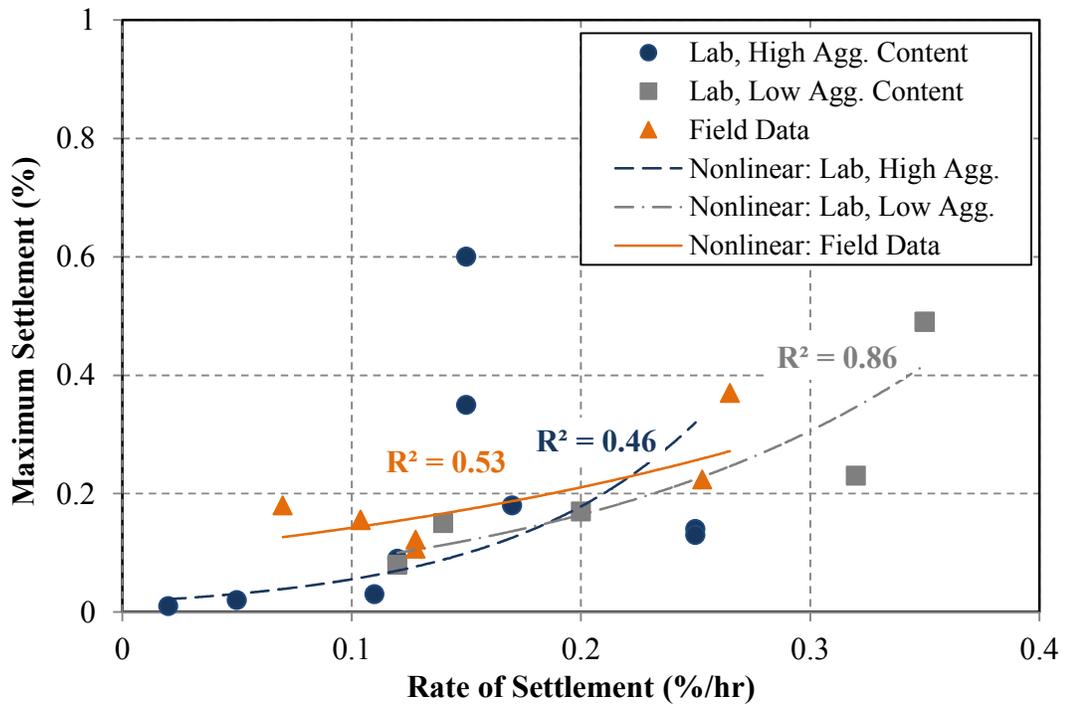


Figure 3.28: Comparison between rate of settlement and maximum settlement results (field data and comparable laboratory data from Figure 2.57)

In these figures, the laboratory- and field-assessed relationships between sieved fraction and VSI and between rate of settlement and maximum surface settlement are very similar. The field-assessed relationship between the sieved fraction and column segregation index is distinctly similar to the “high aggregate content” AUHRC laboratory data. The high-aggregate-content laboratory mixtures in that figure included total aggregate fractions greater than 65%, while the field mixture was proportioned for 63% total aggregate. In light of this, the exact point at which to distinguish between high- and low-aggregate-content mixtures is unclear. As discussed in Section 2.5.2.1, the exact nature of the relationship between the column segregation index and sieved fraction is not as important as the fact that they are related in all cases.

### **3.4.3 Strength and Modulus of Elasticity**

Summary results of the strength and modulus of elasticity testing conducted on field-cured specimens are presented in Table 3.8. In the table, all results were obtained from the second batch of concrete tested in each production group, when results were expected to be representative of the majority of concrete in the girders (see Section 3.3.3.1). Also, “age at transfer” for each production group is the average age of the girder concrete at detensioning. While this age approximately matches that of the cylinders whose properties are shown in Table 3.8, it should be noted that total production times varied widely (see Table 3.5). Therefore, the difference in ages between the first concrete and last concrete produced vary by as much as 1.6 hours.

Table 3.8: Strength and modulus of elasticity of field-cured cylinders

Mix ID	Transfer Age (hr)	Compressive Strength (psi)		Splitting Tensile Strength (psi)		Modulus of Elasticity (ksi)	
		Transfer $f_{ci}$	28-Day $f_c$	Transfer $f_{ct}$	28-Day $f_{ct}$	Transfer $E_{ci}$	28-Day $E_c$
SCC-A	24	9,010	10,240	510	710	6,200	6,350
SCC-B	24	8,680	10,800	690	900	6,350	6,600
SCC-C	23	7,940	10,180	580	690	6,050	6,150
SCC-D	23	8,120	10,490	640	760	5,750	6,300
SCC-E	20	7,860	10,770	670	790	5,850	6,350
SCC-F	23	8,220	10,550	650	820	5,850	6,350
SCC-G	18	6,930	10,070	610	720	5,650	6,000
<b>SCC Avg.</b>	<b>22</b>	<b>8,110</b>	<b>10,440</b>	<b>620</b>	<b>770</b>	<b>5,950</b>	<b>6,300</b>
VC-A	25	8,790	10,590	590	800	7,100	7,350
VC-B	23	7,860	9,670	690	740	6,650	6,850
VC-C	24	8,760	10,360	650	860	6,450	6,850
VC-D	23	8,290	10,770	580	830	6,700	7,000
VC-E	23	8,770	10,850	660	690	7,050	7,300
VC-F	20	8,320	11,050	650	880	6,800	7,650
VC-G	20	7,710	10,510	640	840	6,550	6,850
<b>VC Avg.</b>	<b>22.5</b>	<b>8,360</b>	<b>10,540</b>	<b>640</b>	<b>810</b>	<b>6,750</b>	<b>7,100</b>

Noted in Table 3.2, concrete from four production groups (SCC-C, SCC-E, VC-B, and VC-F) was also tested at one year; these results are presented in Appendix C.

Property evolution was as expected: compressive and splitting tensile strengths increased by approximately 10% in these four batches, while modulus of elasticity had limited to negligible growth. Compressive strengths (28-day only) were also evaluated in batches from the beginning and approximate end of each production day (discussed in Section 3.3.3.1) to capture between-batch variability. Those results are also presented in Appendix C.

Despite the potential for differences resulting from concrete age (average length of each production was 77 min.), no consistent pattern was visible in  $f_c$  of the first, second, and (where applicable) third batches of concrete. Ranges of 28-day  $f_c$  between batches produced on the same day were up to 860 psi (averaging 2.6% COV) in SCC and 1,170 psi (averaging 4.1% COV) in VC. This agrees with the conclusion of Khayat et al. (2007) and Zhu et al. (2001) that SCC compressive strength is at least as uniform as that of vibrated concrete in large-scale production.

In addition to the field-cured specimens evaluated above, the cylinders used to study long-term time-dependent deformability were tested for  $f_c$  and  $E_c$  at a concrete age of approximately three years. Those results are presented in Table 3.9. In the table, all results were obtained from the second batch of concrete tested from each production group (like those presented in Table 3.8). Prior to strength testing, cylinders subjected to sustained compressive loading were unloaded and monitored for unloading deformation tendencies (instantaneous and gradual length increase following removal of the sustained load) for three weeks. They are labeled “L” for loaded in the table. Cylinders that were never loaded prior to destructive testing for this evaluation are labeled “U” for unloaded. The loaded and unloaded cylinders were tested on the same day, three weeks after removing the load from the loaded cylinders.

Table 3.9: Compressive strength and modulus of elasticity of cylinders subjected to controlled drying shrinkage or sustained compressive loading

Mix ID	Time of Load	3-Year $f_c$ (psi)			3-Year $E_c$ (ksi)		
		U	L	Ratio (L/U)	U	L	Ratio (L/U)
SCC-B	Transf.	11,890	12,010	1.01	6,350	6,850	1.08
	26 hr	11,620	11,610	1.00	6,300	6,650	1.06
SCC-C	Transf.	10,870	10,590	0.97	6,000	6,100	1.02
	26 hr	10,470	10,540	1.01	6,150	6,400	1.04
	1 yr	10,930	11,490	1.05	6,050	6,300	1.04
SCC-E	Transf.	10,540	10,940	1.04	6,150	6,400	1.04
	26 hr	11,160	11,070	0.99	6,100	6,350	1.04
	1 yr	11,310	11,490	1.02	6,250	6,300	1.01
<i>SCC Avg.</i>	<i>All</i>	<i>11,100</i>	<i>11,220</i>	<i>1.01</i>	<i>6,150</i>	<i>6,400</i>	<i>1.04</i>
VC-B	Transf.	10,090	10,090	1.00	6,450	6,600	1.02
	26 hr	10,450	10,340	0.99	6,550	6,700	1.02
	1 yr	10,290	10,420	1.01	6,250	6,550	1.05
VC-F	Transf.	11,620	11,390	0.98	6,500	7,050	1.08
	26 hr	11,640	11,650	1.00	6,260	6,850	1.09
	1 yr	11,960	11,900	0.99	6,850	6,950	1.01
<i>VC Avg.</i>	<i>All</i>	<i>11,010</i>	<i>10,970</i>	<i>1.00</i>	<i>6,500</i>	<i>6,800</i>	<i>1.05</i>

Notes: U = Unloaded; L = Loaded in sustained compression for at least two years

### 3.4.3.1 Compressive Strength Comparisons

From Table 3.8, the SCC and VC utilized in this bridge appeared to exhibit very similar compressive strengths. For reference, ASTM C39 (2010) states that the average compressive strength of concrete from the *same batch* is expected to range up to 14% of the average in multi-laboratory testing, and ASTM C94-11a states that the range between batches of ready-mixed concrete shall not exceed 7.5%. Thus, differences (SCC compressive strengths were 0–6% less than those of VC) were insignificant.

Practically identical compressive strengths were achieved in the SCC and VC despite a distinct difference in  $s/agg$  between the two (SCC was proportioned with 20% more sand than was the VC). This reinforces the conclusions of Khayat and Mitchell (2009), Mehta and Monteiro (2006), and Schindler et al. (2007):  $s/agg$  does not appear to affect  $f_c$  when similar coarse and fine aggregate are used. Similarly, the differences were insignificant despite slight differences in  $w/cm$  (SCC  $w/cm$  averaged 0.30 while VC  $w/cm$  averaged 0.29), coarse aggregate NMSA (NMSA equaled  $\frac{1}{2}$  in. in SCC versus  $\frac{3}{4}$  in. in VC), and total aggregate content (SCC aggregate content equaled 63% of total volume while that of the VC equaled 67%).

In both materials, prestress-transfer  $f_{ci}$  was strongly correlated to concrete age at the time of transfer. This correlation is illustrated in Figure 3.29. In it, SCC and VC  $f_{ci}$  are indistinguishable once accounting for concrete age. Analysis of the materials' linear correlations revealed that, at a 95% CI, the relationships between  $f_{ci}$  and concrete age were not significantly different (P-value equaled 0.4248). This indicates that SCC and VC  $f_{ci}$  would be indistinguishably different if all had been tested at the same age.

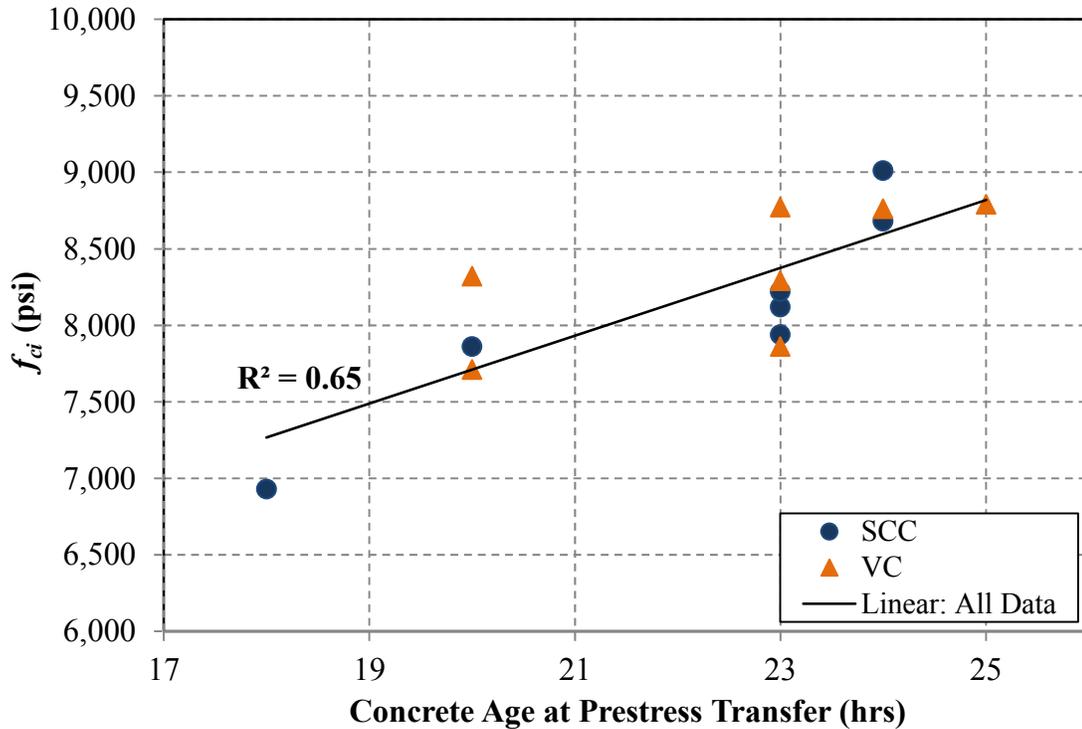


Figure 3.29: Prestress-transfer compressive strength versus concrete age at transfer

#### 3.4.3.1.1 Cylinders Exposed to Controlled Drying or Sustained Loading

From Table 3.9, all loaded and unloaded SCC and VC cylinders appeared to exhibit practically similar compressive strengths at an age of three years. Differences (SCC compressive strengths were up to 2% higher than those of the VC) were insignificant and reversed the behavior observed at earlier ages (SCC compressive strength had been 0–6% less than that of the VC at earlier ages). Considering the dependence of  $f_{ci}$  on the age at release, these results further suggest that the SCC and VC used in the Hillabee Creek Bridge exhibit virtually identical early-age and long-term  $f_c$ .

Also from Table 3.9, sustained precompression appeared to have no effect on  $f_c$ , regardless of the age at which the sustained compressive loading was applied. This matches the conclusions of Buettner and Hollrah (1968) and Garner and Tsuruta (2004): long-term, elastic-level sustained compression does not noticeably affect ultimate  $f_c$ .

### 3.4.3.1.2 Difference between Measured and Specified Strength

Minimum compressive strength is frequently the only hardened mechanical property specified during the project design phase, and this was the case in this project (see Section 3.2.1.1). In Table 3.10, the specified minimums are compared to measured compressive strengths. Groups are divided by girder size within the table because different compressive strengths were specified in these groups.

Table 3.10: Difference between measured and specified compressive strength

Property	Compressive Strength			
	SCC BT-54	VC BT-54	SCC BT-72	VC BT-72
<b>Meas. Transfer (psi)</b>	8,540	8,470	7,780	8,270
<b>Spec. Transfer (psi)</b>	5,200	5,200	6,000	6,000
<i>Meas./Design Transfer</i>	<i>1.64</i>	<i>1.63</i>	<i>1.30</i>	<i>1.38</i>
<b>Meas. 28-Day (psi)</b>	10,410	10,210	10,470	10,800
<b>Spec. 28-Day (psi)</b>	6,000	6,000	8,000	8,000
<i>Meas./Spec. 28-Day</i>	<i>1.73</i>	<i>1.70</i>	<i>1.31</i>	<i>1.35</i>

The difference between measured compressive strength and specified compressive strength was much greater than the difference between SCC and VC. Both materials exhibited compressive strengths 30–64% greater than specified for release  $f'_{ci}$  and 31–73% greater than specified for 28-day  $f'_c$ . Because the same mixture was utilized in both girder sizes (discussed in Section 3.2.1.1), all BT-54  $f_c$  values exceeded specified values by a larger margin than did BT-72  $f_c$  values. In general, this occurrence mirrors the observation of Storm et al. (2013) that as-produced concrete for precast, prestressed applications can exhibit  $f_c$  well in excess of specified  $f'_c$  values.

### 3.4.3.2 Splitting Tensile Strength Comparisons

From Table 3.8, the SCC and VC utilized in this bridge appeared to exhibit very similar  $f_{ct}$ . Differences (SCC splitting tensile strengths were 3–5% less than those of the VC) were minor, despite differences in proportions as previously discussed. Any difference not explained by testing variability could be explained by these mixture proportioning differences. It is concluded that the two concretes, which exhibited similar compressive strengths, also exhibit similar splitting tensile strengths. Unlike compressive strength, prestress-transfer  $f_{ct}$  did not correlate to concrete age at the time of testing.

The predictability of  $f_{ct}$  when calculated using Equations 3-1 and 3-2 was also evaluated. Results from that evaluation are summarized in Figure 3.30 and Figure 3.31, and supplemental information is given in Table C.6 of Appendix C. In the figures, prestress-transfer and 28-day properties are plotted versus the values predicted according to the respective expressions. Values nearer to the line of equality indicate better predictability. Bars indicating  $\pm 10\%$  error are also included considering the expected variability of compressive strength (7.5% of average  $f_c$ ); between-batch variability of  $f_{ct}$  is not reported in ASTM C496 (2004).

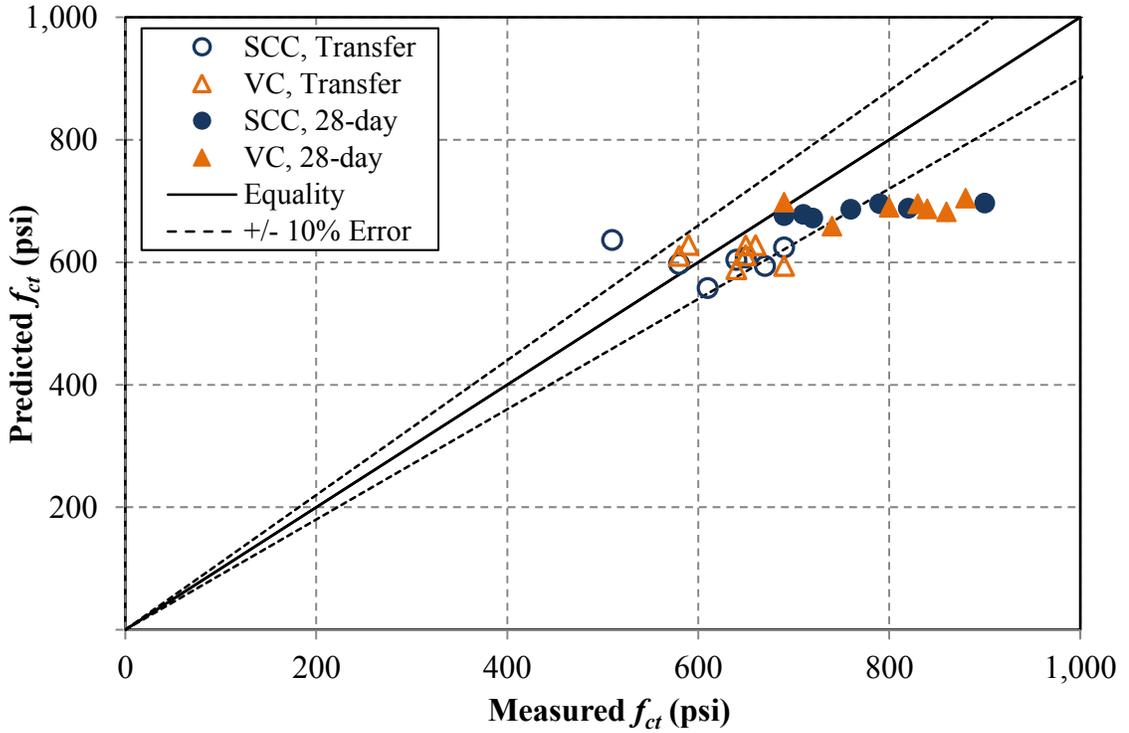


Figure 3.30: Measured  $f_{ct}$  versus  $f_{ct}$  predicted by Equation 3-1

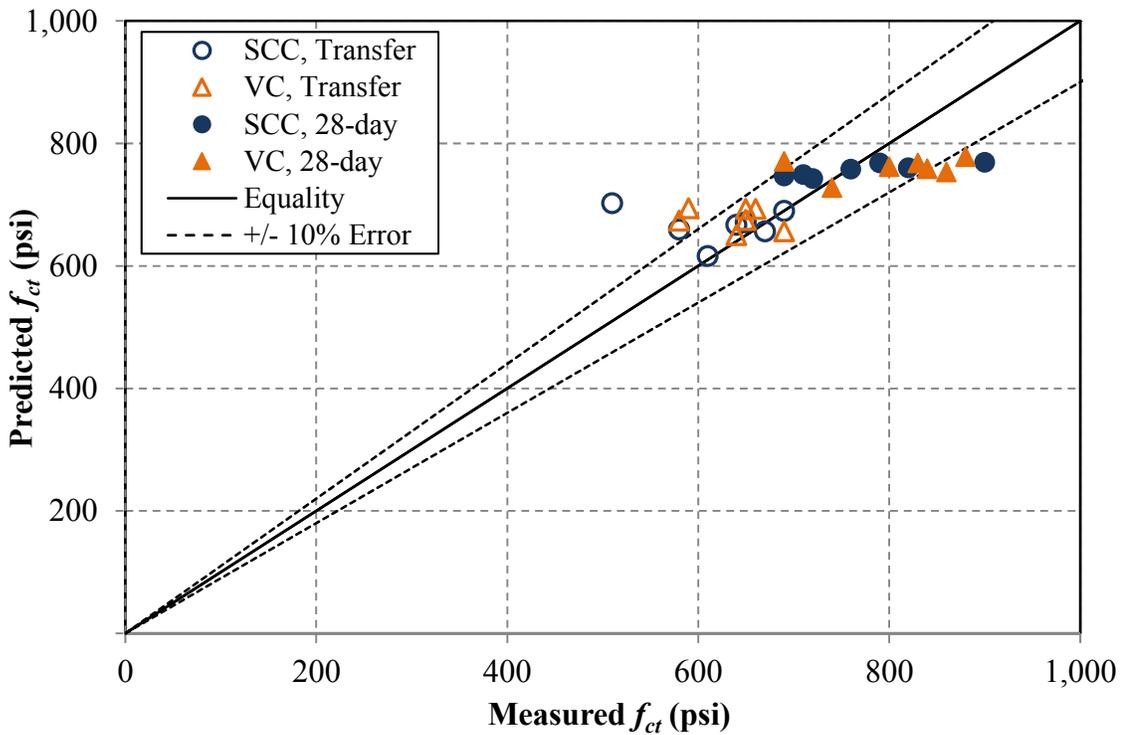


Figure 3.31: Measured  $f_{ct}$  versus  $f_{ct}$  predicted by Equation 3-2

Several conclusions are drawn from these figures and the information presented in Appendix C, at least with respect to these two mixtures prepared using Alabama crushed dolomitic limestone and the proportions listed in Section 3.3.1.1:

- Overall, both equations provided conservative estimates of  $f_{ct}$ , but Equation 3-2 was more accurate to predict average  $f_{ct}$ ,
- Predictions of SCC and VC prestress-transfer  $f_{ct}$  were less conservative than those of 28-day  $f_{ct}$ , and
- SCC  $f_{ct}$  is at least as predictable as that of VC when calculated using measured  $\sqrt{f_c}$ .

To compare to the  $f_{ct}$  values that an engineer would have available at the time of design,  $f_{ct}$  values were compared in a similar fashion as done in Table 3.10 for compressive strength. Results are compared with  $f_{ct}$  calculated according to the ACI 318 (2011) equation for normal-weight concrete (Equation 3-1) in conjunction with the design  $f'_c$  for this project. Those values and ratios of measured to design values are shown in in Table 3.11. In the table, groups are divided by girder size because different compressive strengths were specified for the different sizes.

Table 3.11: Difference between measured and design splitting tensile strength

Property	Splitting Tensile Strength			
	SCC BT-54	VC BT-54	SCC BT-72	VC BT-72
<b>Measured Transfer (psi)</b>	590	640	640	630
<b>Design Transfer (psi)</b>	540	540	580	580
<b><i>Meas./Design Transfer</i></b>	<i>1.10</i>	<i>1.19</i>	<i>1.11</i>	<i>1.09</i>
<b>Measured 28-Day (psi)</b>	770	800	770	810
<b>Design 28-Day (psi)</b>	580	580	670	670
<b><i>Meas./Design 28-Day</i></b>	<i>1.32</i>	<i>1.38</i>	<i>1.15</i>	<i>1.21</i>

The difference between *measured* and *design*  $f_{ct}$  was larger than the difference between SCC and VC measured results. Both materials exhibited  $f_{ct}$  exceeding the specified limit set forth by ACI 318, but the percentage by which they exceeded the design  $f_{ct}$  was less than the amount by which  $f_c$  exceeded the specified minimums. This is due to the relationship between  $f_c$  and  $f_{ct}$ , in which  $f_{ct}$  is only expected to increase at the square root of the rate at which  $f_c$  increases. Still, existing predictions for  $f_{ct}$  appear to be acceptable considering these results.

### 3.4.3.3 Modulus of Elasticity Comparisons

From Table 3.8, the SCC cylinders routinely exhibited  $E_c$  approximately 10–15% less than of equivalent-strength VC cylinders. Considering that the between-batch variability of  $E_c$  in the *same material* is expected to be up to 4.25%, the difference in  $E_c$  is minor. It is also in line with the literature reviewed in Section 3.2.3; the difference is expected between any two concretes that differ in  $s/agg$ , total aggregate content, or coarse aggregate NMSA, so it should be expected when proportioning SCC with higher  $s/agg$ ,

lower total aggregate content, *and* smaller coarse aggregate NMSA than an equivalent-strength VC mixture.

The predictability of the modulus of elasticity when calculated using Equations 3-3 through 3-5 was also evaluated. Results from that evaluation are summarized in Figure 3.32 through Figure 3.34, and supplemental information is given in Table C.8 of Appendix C. In the figures, prestress-transfer and 28-day properties are plotted versus the values predicted according to the respective expressions. Values nearer to the line of equality indicate better predictability. Bars indicating  $\pm 10\%$  error are also included considering the expected variability of compressive strength (7.5% of average  $f_c$ ), which would impact the predictability of  $E_c$ .

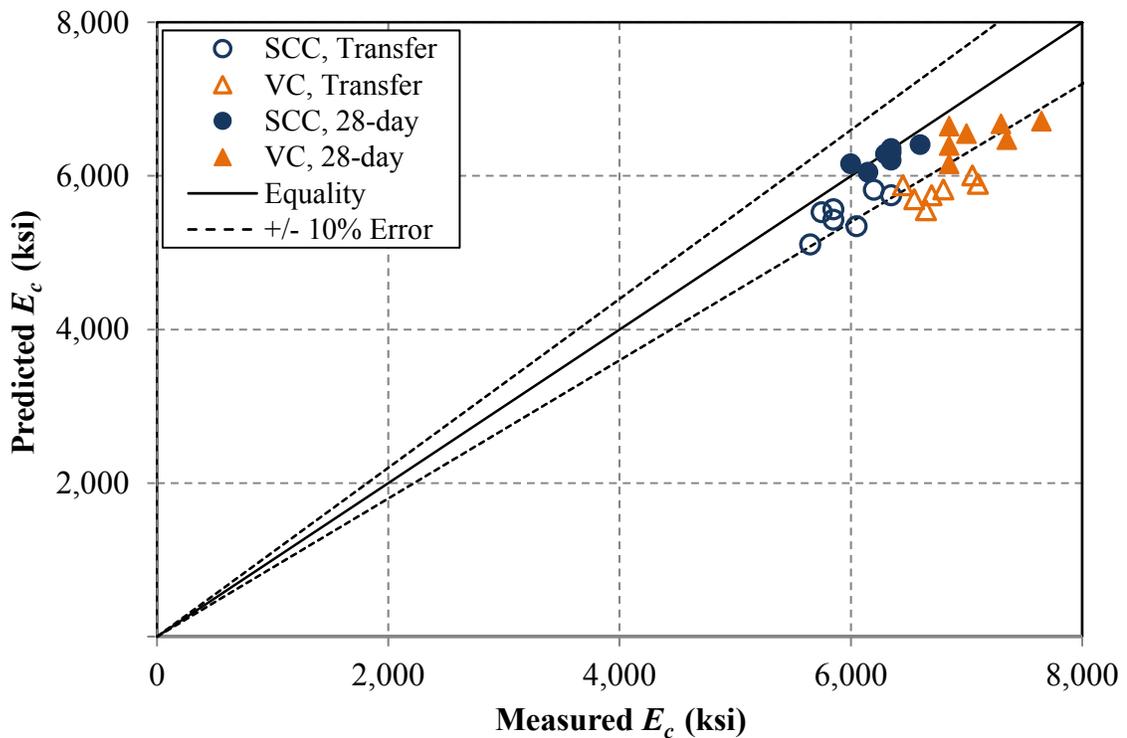


Figure 3.32: Measured  $E_c$  versus  $E_c$  predicted by Equation 3-3

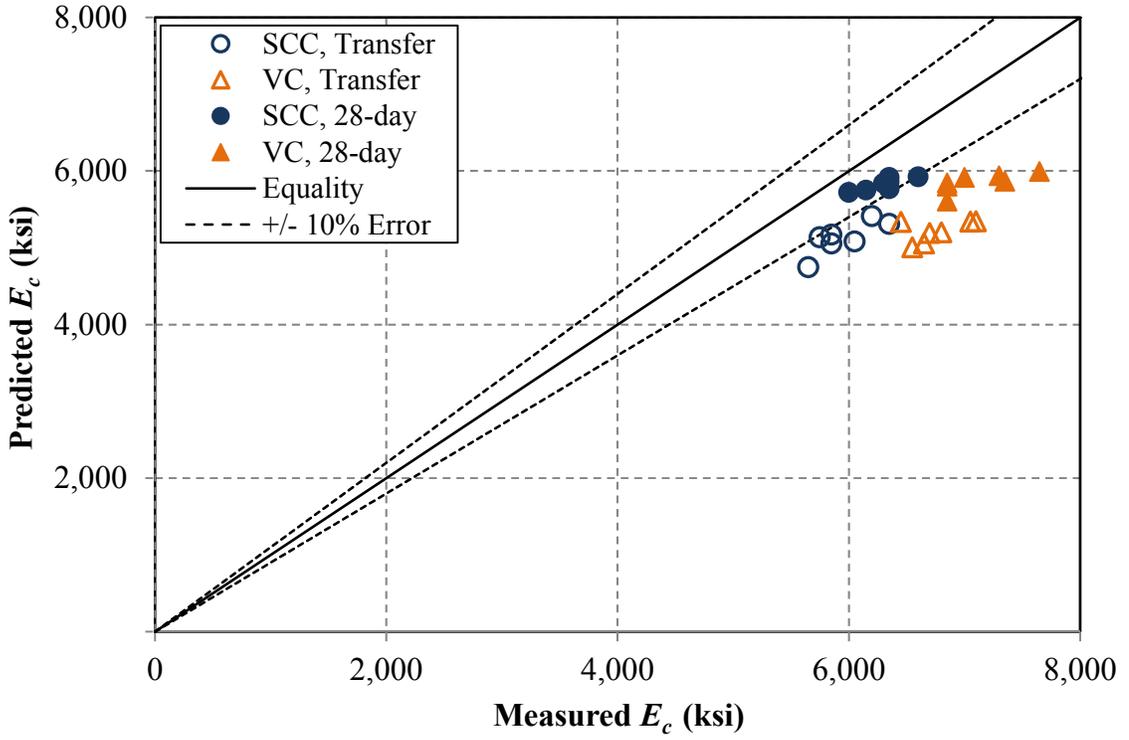


Figure 3.33: Measured  $E_c$  versus  $E_c$  predicted by Equation 3-4

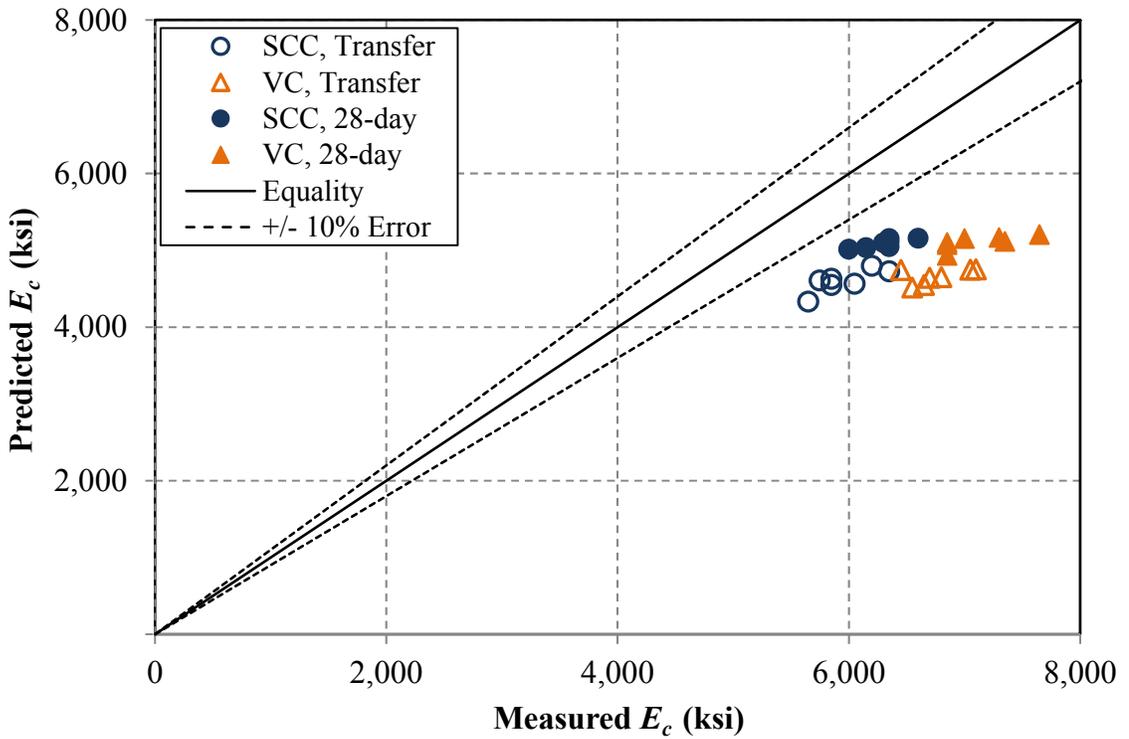


Figure 3.34: Measured  $E_c$  versus  $E_c$  predicted by Equation 3-5

Several observations and conclusions are drawn from these figures and the information presented in Appendix C, at least with respect to these two concretes prepared using Alabama crushed dolomitic limestone and the mixture proportions listed in Section 3.3.1.1:

- Equation 3-3, which incorporates  $w_c$  and  $f'_c$ , more accurately predicts  $E_c$  than either Equation 3-4 (a simplification of Equation 3-3 using  $w_c = 145 \text{ lb/ft}^3$ ) or Equation 3-5 (ACI 363 equation for concrete with  $f'_c$  greater than 6,000 psi),
- Equation 3-3 was more accurate than the model specifically developed for high-strength concrete (Equation 3-5) despite being applied to concretes with  $f'_c$  of up to approximately 11,000 psi and  $w_c$  of up to approximately  $154.5 \text{ lb/ft}^3$ ,
- SCC and VC both consistently exhibit  $E_c$  values greater than predicted when using measured properties, and
- SCC  $E_c$  is at least as predictable as that of VC when using measured properties.

In addition to the comparison of batches from all production groups at ages up to twenty-eight days, the four mixtures evaluated through an age of one year exhibited similar trends—SCC  $E_c$  was essentially equal to predicted using Equation 3-3 (measured divided by predicted equaled 0.99), and VC  $E_c$  approached the value predicted using Equation 3-3 (ratio of 1.03). These results are presented in Appendix C. At all ages, Equation 3-3 was most accurate at predicting  $E_c$  when using measured properties.

$K_I$  values were determined to refine Equation 3-3 (as allowed by AASHTO 2013). SCC  $K_I$  values equaled 1.08 and 1.01 at transfer and twenty-eight days, respectively; VC  $K_I$  values equaled 1.17 and 1.09 at transfer and twenty-eight days,

respectively. SCC  $K_I$  values were similar to those suggested by Trejo et al. (2005) for SCC used in precast, prestressed applications, and all values exceeded the value (0.85) recommended by Storm et al. (2013).

#### **3.4.3.3.1 Cylinders Exposed to Controlled Drying or Sustained Loading**

From Table 3.9, the difference between SCC and VC  $E_c$  discussed above appeared to be less pronounced in the cylinders exposed to controlled drying or sustained compressive loading. SCC cylinders exhibited  $E_c$  approximately 6% less than of VC cylinders at three years, compared to being 10–15% less at earlier ages. SCC 3-year values appear to be in line with 28-day and 1-year values, but VC values were reduced by approximately 7% from 28-day and 1-year results. Three-year VC results suggest a more gradual or plateauing elastic modulus evolution similar to that of the SCC cylinders. Because many more cylinders were tested at three years (sixteen sets of SCC cylinders and twelve of VC cylinders) than at one year (two sets each of SCC and of VC), these results suggest that the SCC and VC used in the Hillabee Creek Bridge girders exhibit very similar long-term  $E_c$ , with expectable and insignificant reductions in SCC  $E_c$  due to mixture proportioning.

Sustained precompression appeared to have a minor but consistent effect on  $E_c$  in both materials—fourteen sets of cylinders that were precompressed for an extended time (at least two years) consistently exhibited approximately 5% greater  $E_c$  than fourteen sets of cylinders that were never previously loaded. These results suggest that sustained precompression experienced by the actual girders would only provide improvements in long-term  $E_c$ .

### 3.4.3.3.2 Difference between Measured and Design $E_c$

To compare to the  $E_c$  values that an engineer would have available at the time of design,  $E_c$  values were compared in a similar fashion as done in Table 3.10 for compressive strength and Table 3.11 for  $f_{ct}$ . Using only Equation 3-4 with the design minimum compressive strengths specified for this project (conservative assumption of the process used during design),  $E_c$  design values were calculated and compared to measured values in Table 3.12. In the table, groups are divided by girder size because different compressive strengths were specified for the different sizes.

Table 3.12: Difference between measured and design modulus of elasticity

Property	Modulus of Elasticity			
	SCC BT-54	VC BT-54	SCC BT-72	VC BT-72
Measured $E_{ci}$ (ksi)	6,200	6,750	5,800	6,800
Design $E_{ci}$ (ksi)	4,100	4,100	4,400	4,400
<i>Meas./Design Transfer</i>	<i>1.51</i>	<i>1.64</i>	<i>1.31</i>	<i>1.53</i>
Measured $E_c$ (ksi)	6,350	7,000	6,250	7,200
Design $E_c$ (ksi)	4,400	4,400	5,100	5,100
<i>Meas./Design 28-Day</i>	<i>1.44</i>	<i>1.59</i>	<i>1.23</i>	<i>1.41</i>

The difference between *measured* and *design* modulus of elasticity was much larger than the difference between SCC and VC, especially considering the long-term  $E_c$  results discussed in the previous subsection. The difference between measured and design values was marginally improved by use of Equation 3-3 with  $w_c$  equal to 150 lb/ft<sup>3</sup> (as recommended for precast, prestressed concrete)—measured values equaled 1.15–1.54 of design values derived in this way.

Because the same mixture was utilized in both girder sizes (discussed in Section 3.2.1.1), all BT-54 elastic modulus values exceeded design values by a larger margin than BT-72 values. In light of these results, consideration of the actual  $E_c$  expected during production is strongly recommended for use during design and prediction of precast, prestressed girder behavior (especially camber and prestress losses, which are discussed in Chapters 6 and 7).

### **3.5 Summary and Conclusions**

#### **3.5.1 Summary**

The final phase of the investigation was to produce Alabama's first bridge with precast, prestressed SCC girders. This full-scale implementation of SCC precast, prestressed girders consisted of seven 97 ft-10 in. AASHTO-PCI BT-54 bulb-tees and seven 134 ft-2 in. BT-72 bulb-tees to be placed in a rural highway bridge over Hillabee Creek in Alexander City, Alabama. An equal number of companion girders were constructed with VC in order to allow for a direct comparison of the construction operations and hardened properties associated with each type of concrete. Production required fourteen production groups—seven each for SCC and VC girders. Production was completed with minimal researcher involvement; the only interference was an approximately one- to two-hour delay prior to detensioning required to complete work involving the assessment of pre-release material and structural behavior.

Fresh concrete samples were sampled at least twice in each production group to evaluate fresh properties (air content, slump or slump flow, etc.) and hardened mechanical properties including strength and modulus of elasticity. Additional

cylindrical specimens were produced from several production groups to evaluate time-dependent material properties. Observations from the production and results from the fresh and hardened mechanical testing were then made. The observations and conclusions made during the collection and analysis of these results are summarized in Section 3.5.2. The recommendations made based on this research are given in Section 3.5.3.

### **3.5.2 Observations and Conclusions**

#### **3.5.2.1 Production of Precast, Prestressed Girders**

- Each SCC placement required fewer than half as many laborers as each VC placement. Batching and placement of SCC took approximately as much time as that of VC.
- A longer delay was required before texturing the top surface of the SCC girders to ensure that the concrete would set sufficiently to hold the desired texture. This did not seem to affect construction times because a delay was already incorporated between concrete placement and tarp covering of the girders.
- Batching and placement time varied widely: SCC and VC placements varied from 68–98 min. when casting multiple girders on the same bed and from 33–82 min. when casting a single girder on a production day.
- Cracking was observed in the top flange and web of every girder prior to prestress transfer. Temperature gradients experienced after tarp removal were the likely cause. A delay required to complete measurements for this research may have

affected the severity of girder cracking, but cracks were frequently visible either before or immediately after removal of the formwork.

- Cracking did not seem to be affected by concrete type, age at transfer (which varied from 18–25 hr), or ambient temperature at transfer.
- The primary undesirable surface features in the SCC girders were shallow bleed channels and surface bubbles that occurred in the bottom bulb where bleed water and air bubbles were trapped against the inclined upper surface of the bottom bulb formwork. These surface defects were shallow enough (less than 0.25 in. deep) to not require repair prior to shipment.
- SCC girders exhibited a much better surface finish than companion VC girders. The precast plant's engineering manager stated that the economic advantage of SCC over vibrated concrete would be at least as much due to its tendency to produce products of a high aesthetic quality and uniformity as due to its improved ease of placement.

### **3.5.2.2 Fresh Properties**

- SCC slump flows for some batches were less than specified for this project, while VC slumps were occasionally greater than specified. Still, SCC girders were more easily constructed and exhibited better surface finish than VC girders, despite the use of high-slump VC (slump averaged 9.0 in.) and the use of high-viscosity SCC.
- A high-quality surface finish was achieved in the SCC girders but it was occasionally difficult to meet the required minimum slump flow without also

causing a reduction in fresh concrete stability. It was therefore recommended by the precast plant's quality-control manager that the specified slump flow of SCC for precast, prestressed girders be decreased in future SCC provisions to 26 in.  $\pm$  2 inches.

- SCC exhibited fresh  $w_c$  of approximately 151 lb/ft<sup>3</sup>, while VC exhibited fresh  $w_c$  of approximately 154.5 lb/ft<sup>3</sup>. Both materials achieved high unit weights expectable for concrete to be used in precast, prestressed girder production, which exceeded the unit weight of 145 lb/ft<sup>3</sup> incorporated in simplified  $E_c$  design expressions.
- SCC stability generally improved during the course of the two-month production as plant personnel became more familiar with the sensitivity of SCC fresh properties to batching practices and chemical admixture dosages. All SCC placed during this production met the minimum stability requirements set forth in the SCC Special Provisions for the project.
- No more rigorous quality assurance and quality control of SCC was required to achieve batch uniformity comparable to that of vibrated concrete, but the occasional occurrence of borderline test results confirms that the levels of quality assurance and quality control currently implemented when using VC should be maintained during the use of SCC.
- Several fresh concrete stability test correlations (or lack thereof) observed in the laboratory testing described in Chapter 2 were replicated during the full-scale project. Such observations included strong correlations between the sieve stability test and both VSI and column segregation and between the rate of

settlement and maximum settlement from the surface settlement test, as well as a relatively weak correlation between the rapid penetration test and any other fresh concrete stability test.

- Total aggregate volume appeared to affect some fresh concrete stability results, in which field results followed a pattern similar to that of the high-aggregate-content laboratory results. Because the SCC used in the full-scale project was proportioned with 63% total aggregate volume while the results of Chapter 2 suggested delineation of acceptance criteria by total aggregate volumes greater or less than 65%, the point at which to delineate SCC mixtures by total aggregate volume is not clear.

### **3.5.2.3 Compressive Strength**

- Compressive strengths of SCC and VC used in this bridge were virtually identical at all ages up to three years despite distinct differences in mixture proportions between the two concretes. SCC was proportioned with a higher  $s/agg$  (0.47 versus 0.39 in VC), smaller coarse aggregate ( $\frac{1}{2}$  in. versus  $\frac{3}{4}$  in. in VC), and lower total aggregate content (63% versus 67% in VC).
- The prestress-transfer  $f_{ci}$  of both materials exhibited a significant dependence on the age of the concrete at transfer. The dependence was statistically indistinguishable between the two materials.
- At twenty-eight days, between-batch consistency of SCC  $f_c$  was similar to that of vibrated concrete: batches within the same production day varied by as much as

860 psi (averaging 2.6% COV) in SCC and 1,170 psi (averaging 4.1% COV) in VC cylinders.

- No change in concrete  $f_c$  was observed during the course of each production day—the compressive strength of the first placed batch was indistinguishable from those of batches at the middle and end of each production day.
- Compressive strength in both materials greatly exceeded specified release and 28-day values: 30–64% greater than specified for  $f'_{ci}$  and 31–73% greater than specified for 28-day  $f'_c$ . Because the same mixture was utilized in both girder sizes while different compressive strengths were specified for each size, BT-54  $f_c$  values exceeded specified values by a larger margin than BT-72  $f_c$  values.

#### **3.5.2.4 Splitting Tensile Strength**

- Splitting tensile strengths of SCC and VC used in this bridge were very similar, both in relation to  $f_c$  and in a direct comparison. SCC  $f_{ct}$  was 3–5% less than that of VC at prestress transfer and twenty-eight days despite having different proportions.
- Prestress-transfer  $f_{ct}$  did not correlate well with concrete age at the time of transfer.
- Both evaluated  $f_{ct}$  prediction models yielded acceptably conservative predictions of  $f_{ct}$  based on measured  $f_c$  in SCC and VC. The expressions given by AASHTO (2013) and ACI 363 (1992) over-predicted prestress-transfer  $f_{ct}$  by 6% and under-predicted 28-day  $f_{ct}$  by 2–6%, while that used by ACI 318 (2011) under-predicted prestress-transfer  $f_{ct}$  and 28-day  $f_{ct}$  by 3–4% and 12–17%, respectively.

- Measured splitting tensile strength in both concrete materials exceeded the design values determined using the expression from ACI 318: by 9–19% at release and 15–38% at twenty-eight days, at least when evaluated using  $f'_c$ . Because the same mixture was utilized in both girder sizes while different compressive strengths were specified for each size, BT-54  $f_{ct}$  values exceeded design values by a larger margin than did BT-72  $f_{ct}$  values.

### 3.5.2.5 Modulus of Elasticity

- $E_c$  of SCC was slightly (10–15%) less than that of VC used in this bridge at prestress transfer and twenty-eight days. Three-year  $E_c$  results from sixteen sets of SCC cylinders and twelve sets of VC cylinders suggest that long-term  $E_c$  of SCC and VC used in the Hillabee Creek Bridge girders are very similar with only a minor, expectable reduction (less than 6%) in SCC due to mixture proportioning.
- Prestress-transfer  $E_{ci}$  did not correlate well with concrete age at the time of transfer. Since  $f_{ci}$  did correlate well with age at the time of transfer, the weaker correlation to  $E_{ci}$  is likely due to the implicit variability of the test measurement.
- The  $E_c$  prediction model given by AASHTO (2013) and ACI 318 reasonably predicted  $E_c$  in both materials when using measured  $w_c$  and  $f_c$ , and the model given by ACI 363 (1992) more distinctly under-predicted  $E_c$ . SCC  $E_c$  was at least as accurately predicted as that of VC when using measured properties.
- Using measured unit weights, SCC  $K_f$  factors permitted for use with the AASHTO  $E_c$  prediction equation equaled 1.08 and 1.01 for prestress-transfer and

28-day  $E_c$ . VC  $K_I$  factors equaled 1.17 and 1.09 for prestress-transfer and 28-day  $E_c$ .

- Measured  $E_c$  greatly exceeded design values in both materials: 31–64% greater than expected at release and 23–59% greater than expected for 28-day  $E_c$ , at least when using the simplified (and most commonly used) ACI 318 equation. Predictions were slightly improved when incorporating  $w_c = 150 \text{ lb/ft}^3$ . Because the same mixture was utilized in both girder sizes while different compressive strengths were specified for each size, BT-54  $E_c$  values exceeded design values by a larger margin than did BT-72  $E_c$  values.
- SCC and VC cylinders exposed to sustained compressive loading equal to 40% of  $f_c$  for at least two years exhibited 5% greater  $E_c$  than in cylinders never previously loaded (in twenty-eight sets of cylinders). This stress-stiffening phenomenon is in agreement with previous findings of Buettner and Hollrah (1968), Gardner and Tsuruta (2004), and Yue and Taerwe (1993). Results suggest that sustained precompression experienced by the actual girders would only provide improvements in long-term  $E_c$ .

### 3.5.3 Recommendations

- Concerns about the effect of fresh SCC stability on uniformity of concrete appearance, strength, and stiffness should not restrict the implementation of SCC in precast, prestressed applications when adequate quality-assurance and quality-control programs are in place.

- Successful implementation of SCC in precast, prestressed applications can be accomplished using a similarly rigorous level of quality-assurance and quality-control operations as currently enforced for VC implementation.
- While the current ALDOT specification requiring SCC slump flow of 27 in.  $\pm$  2 in. was manageable, slump flows in the range of 26 in.  $\pm$  2 in. may also be acceptable considering the satisfactory placement of SCC exhibiting this lower slump flow range during this project.
- SCC viscosity should not be restricted for constructability considering the satisfactory placement of highly viscous SCC used during this project.
- During production, special attention may be required to ensure that adequate texture is applied to the top of SCC girders, as the applied texture can reconsolidate and diminish if applied too early.
- Unless more accurate trial batch data or known mixture proportions and constituent specific gravities are available, an *unreinforced* concrete unit weight,  $w_c$ , of 150 lb/ft<sup>3</sup> should be used during the design of precast, prestressed girders constructed with proportions similar to those utilized in this research.
- Unless a more thorough analysis of a variety of mixtures is performed, the use of  $K_1 = 1.0$  in the AASHTO 2013  $E_c$  estimator should be acceptable for SCC and VC proportioned for precast, prestressed applications using Alabama aggregates (dolomitic limestone and natural river sand).
- The use of *expected* mean compressive strength and unit weight in ACI 318 (2011) and AASHTO (2013) mechanical-property predictions for service-state

design should yield more accurate results than the use of specified properties when using materials and proportions similar to those employed in this research.

Based on the results discussed in this chapter, concerns regarding SCC  $f_c$ ,  $f_{ct}$ , and  $E_c$  should not restrict implementation of SCC in precast, prestressed applications. Differences between VC and SCC properties were minor, expectable, and in response to differences between the two evaluated concrete mixtures. Differences between the tested SCC and VC were no more significant than variability related to age at prestress transfer. Between-batch variability of SCC was also no greater than that of VC.

SCC properties were at least as accurately predicted using existing material and property relationships. While current  $f_{ct}$  and  $E_c$  prediction models appear to be equally applicable to SCC and VC in this project when using measured  $f_c$  and  $w_c$ , measured values far exceeded design values, which could be significant during design. The difference between measured and design values should be investigated further.

## Chapter 4: Transfer Bond Behavior of Full-Scale Girders

### 4.1 Introduction

In the previous chapters of this dissertation, self-consolidating concrete was shown to be different than vibrated concrete in the fresh state as a result of its different constituent proportions and chemical admixture use. Chapter 2 included an exploration of the correlations between measures of concrete fresh stability and hardened uniformity, and Chapter 3 included analyses of the differences in full-scale production and basic mechanical properties ( $f_c$ ,  $f_{ct}$ , and  $E_c$ ) expected during the use of SCC. These field analyses were conducted during the production of Alabama's first full-scale SCC precast, prestressed girders for an in-service bridge, and the fresh tests assessed in Chapter 2 were conducted throughout girder production. An evaluation of transfer bond behavior of the full-scale girders is presented in this chapter. Transfer bond may be affected by all of the previously discussed variables—fresh properties, production practices, and early-age hardened material properties.

The dependence of steel reinforcement bond on SCC fresh stability was previously reviewed in Section 2.2.2.5. Many of the researchers cited in that section (Chan et al. 2003; Girgis and Tuan 2005; Peterman 2007; Sonebi and Bartos 1999) conducted their laboratory-scale testing of SCC strand bond specifically because of its implications on prestressed girder behavior. While the research reviewed in Chapter 2 of this dissertation illustrated that stability *can* affect bond, the connection between these

laboratory-evaluated properties and the bond behavior of full-scale girders may still be unclear.

Understanding that full-scale production practices may affect bond behavior as much as fresh concrete stability or hardened concrete properties, many of the researchers cited in Chapter 3 (Erkmen et al. 2008; Trejo et al. 2008; Zia et al. 2005; Ziehl et al. 2009) incorporated some form of transfer bond measurement into their full-scale evaluations of SCC for precast, prestressed girder production. Investigations of SCC's bond to prestressed strand have also been conducted at the AUHRC (Boehm et al. 2010; Levy 2007; Swords 2005), but using smaller concrete specimens and amounts of prestressing. The work presented in this chapter builds upon all of these references for several reasons:

- The evaluated girders have larger cross sections (BT-54 and BT-72) and concrete volumes (approximately 17 yd<sup>3</sup> and 27 yd<sup>3</sup> per BT-54 and BT-72 girder, respectively) than in any previously documented studies of SCC transfer bond behavior,
- The evaluated girders have a higher prestress demand (40–50 strands, including draped strands and debonded strands) than in any previously documented studies of SCC transfer bond behavior,
- Extensive fresh properties, hardened material properties, and production practices were simultaneously tested or observed in the evaluated girders, and
- The evaluated girders were produced using similar concrete mixtures as used in the three previous AUHRC studies with increases in specimen size and prestress

demand in successive studies, thus allowing for a direct between-study comparison of Alabama SCC.

#### **4.1.1 Chapter Objective**

The primary objective of the work documented in this chapter was to evaluate the acceptability of the transfer bond behavior exhibited by the SCC girders made during Alabama's first full-scale implementation of SCC in an in-service precast, prestressed bridge. This evaluation required consideration of both the companion VC girders used in the bridge and the transfer-bond provisions set forth in ACI 318 (2011) and the *AASHTO LRFD Bridge Design Specifications* (AASHTO 2013). The research team selected several tasks necessary to achieve the primary objective of this evaluation:

- Evaluate the full-scale transfer bond behavior of girders in a plant environment with minimal researcher interference,
- Assess the impact of fresh and hardened mechanical properties and production practices on the bond behavior of the full-scale girders, and
- Compare the measured transfer bond to that estimated by several models that could be used by ALDOT during the production of precast, prestressed girders.

#### **4.1.2 Chapter Outline**

Much of the experimental work and results obtained during this research are documented elsewhere (Dunham 2011; Keske et al. 2013a). For brevity, only portions of the existing literature that have been newly published since the time of those publications or that were

not directly discussed in them are summarized in Section 4.2. A brief overview of transfer bond prediction models is also given in this section.

The experimental plan developed for this research project, which was thoroughly documented by Dunham (2011), is reviewed in Section 4.3. Information regarding specimen nomenclature and usage of data is also presented in this section. The most relevant results of the transfer length testing program are then presented in Section 4.4. Finally, all conclusions and recommendations derived from this study are summarized in Section 4.5. The final recommendations include determination of the acceptability of SCC transfer bond behavior in precast, prestressed girders, as well as considerations that ALDOT may address during the production of precast, prestressed elements from concrete (SCC or VC) made with typical Alabama materials and production practices.

## **4.2 Review of Existing Literature**

In order to produce an effectively pretensioned member, the desired prestressing force must be transferred to the hardened concrete by releasing the strands that were tensioned prior to concrete placement. This action is referred to as prestress release or transfer. The prestress force is transferred over a finite distance of embedded strand defined as the transfer length,  $l_t$  (ACI 318 2011). Factors that affect  $l_t$ , previous findings regarding  $l_t$  of SCC, and provisions for the prediction of  $l_t$  are discussed in the following sections.

### **4.2.1 Factors Affecting Transfer Bond**

Many of the influences on the bond behavior of concrete were previously discussed in Section 2.2.2.5. Summarized from that section, these influences include

- Reinforcement size and surface characteristics (Stocker and Sozen 1970; Barnes et al. 2003),
- Compressive strength, in which  $l_t$  is assumed to vary inversely to the square root of  $f_{ci}$  (ACI 318 2011; Barnes et al. 2003; Khayat et al. 2003),
- Concrete age at time of testing, in which bond to reinforcement is affected differently by aging than is  $f_{ci}$  (Chan et al. 2003; Hassan et al. 2010), and
- Weakness in the concrete surrounding the reinforcement that is caused by the accumulation of migrating air bubbles and bleed water (Castel et al. 2006; Soylev and Francois 2003).

In addition to these effects, the bond between prestressed reinforcement and the surrounding concrete is also directly related to the effective level of prestress being transferred, both at the time of release and after time-dependent changes have occurred in the surrounding concrete. Unlike the passive mechanism of bond to deformed reinforcement (see Figure 2.13), transfer of prestress actively affects and is affected by the surrounding concrete. Concrete in the immediate vicinity of the transfer zone is highly stressed in circumferential tension and radial compression, which leads to time-dependent reduction of the bond and increases in transfer length (Barnes et al. 2003). Therefore,  $l_t$  is expected to grow over time until prestress losses, evolution of concrete material properties, and external loads (such as girder self-weight) cause the strand bond length to stabilize.

Despite the occurrence of time-dependent growth of  $l_t$ , it is most convenient to continue to relate  $l_t$  to the stress in the prestressing strands immediately after release,  $f_{pt}$

(Barnes et al. 2003). Measured  $f_{pt}$  is less than the original jacking force due to losses from strand chuck seating, steel relaxation, and elastic shortening of the concrete, but it is calculated readily by estimating steel relaxation and seating losses and estimating the elastic shortening of concrete based on  $E_{ci}$ . Furthermore, Mitchell et al. (1993) proposed that  $l_t$  is inversely proportional to the square root of the concrete compressive strength, and Barnes et al. (2003) further hypothesized that this proportionality to  $\sqrt{f_c}$  is related to both  $E_{ci}$  and  $f_{ct}$  because of the stress state induced by the transfer mechanism (circumferential tension and radial compression). Since both of these properties are widely considered to be related to  $\sqrt{f_c}$  (see discussion of Section 3.2.3.1 for details), Barnes et al. (2003) recommended that  $l_t$  be described according to Equation 4-1, in which  $f_{pt}$  and  $f'_{ci}$  are reported in ksi:

$$l_t = \alpha \frac{f_{pt}}{\sqrt{f'_{ci}}} d_b \quad (4-1)$$

In Equation 4-1,  $\alpha$  is a constant of proportionality that Barnes et al. (2003) found to equal  $0.57 \text{ ksi}^{-0.5}$  as an upper-bound for long-term  $l_t$  for strength design calculations and  $0.17 \text{ ksi}^{-0.5}$  as a lower-bound for allowable stress calculations. These  $\alpha$  values were determined from measurement of  $l_t$  in thirty-six AASHTO Type I girders produced in Texas with high-strength VC. Pozolo and Andrawes (2011) summarized that many similar expressions for transfer length have been developed elsewhere and all expressions that incorporate initial prestress and  $f_{ci}$  are more accurate at describing  $l_t$  (with different constants of proportionality) than those that utilize effective prestress force after all losses or do not use concrete strength as an independent variable.

Method of prestress transfer has also been found to affect  $l_t$ . Prestress force is frequently transferred by flame cutting the tensioned strands with a torch. Cutting can be

coordinated so that the same strand is cut at each girder end simultaneously, or all cutting can be done at one end of the specimen and then the other. The former method, called the simultaneous release method, is done to both distribute stresses more evenly and prevent the specimen from moving on the prestressing bed. In the latter, stresses are transferred suddenly at one end (as each strand is cut) and gradually at the other (where all strands are gradually stepped down as the opposite end is detensioned). Thus, this method produces a “live end” and “dead end”, respectively. Many studies have indicated that release methods that produce a live end causes longer  $l_t$ , likely as a result of “the dynamic effect associated with the transfer of energy from the strand to the concrete member” (Barnes et al. 2003).

Barnes et al. (2003) reported that transfer lengths of simultaneously released specimens were comparable to those at the dead end of specimens released from one end. For comparison, Levy (2007) proposed the use of  $\alpha = 0.78 \text{ ksi}^{-0.5}$  and  $0.64 \text{ ksi}^{-0.5}$  in Equation 4-1 when predicting the live- and dead-end transfer lengths, respectively, of Alabama concrete (both SCC and VC) made with slag cement.

#### **4.2.2 Transfer Bond Behavior of Self-Consolidating Concrete**

The early-age bond strength of SCC to prestressing strand has been found to be less than that of comparable VC (Chan et al. 2003; Pozolo and Andrawes 2011; Staton et al. 2009). Chan et al. (2003) state that early-age transfer length growth does not follow the same trend as the evolution of compressive strength over time, so bond capacity must depend more on the effect of chemical admixtures and SCMs. More specifically, Girgis and Tuan (2005) and Staton et al. (2009) both found that the use of VMA led to increased  $l_t$ .

Chan et al. (2003) and Hassan et al. (2010) found that the effect of chemical admixture type and dosage on bond strength seems to stabilize at approximately fourteen days. Past work performed at the AUHRC (Boehm et al. 2010; Swords 2005) and elsewhere (Pozolo and Andrawes 2011; Staton et al. 2009) has also indicated that later-age  $l_t$  stabilized within a few weeks after prestress release, although the occurrence was not unique to SCC.

Many of the studies of SCC transfer bond behavior have involved the testing of small specimens with only a few prestressed strands. The single-live-end release method of prestress transfer is considered to be more prevalent in this setting than in full-scale production (Russell and Burns 1993), but researchers have not regularly documented the dead- and live-end transfer lengths separately when evaluating SCC in this setting. Furthermore, not all researchers normalized results by  $\sqrt{f_{ci}}$  or other measures. Thus, results concerning SCC bond have been mixed (similar to the discussion of Section 2.2.2.5). Those that reported live- and dead-end  $l_t$  separately (Levy 2007; Pozolo and Andrawes 2011; Swords 2005) indicated that SCC appeared to be similarly affected by the release mechanism as VC.

Results from full-scale evaluations have also been mixed: Staton et al. (2009), Pozolo and Andrawes (2011), and Trejo et al. (2008) found that SCC exhibited shorter later-age transfer lengths than comparable VC, while Erkmen et al. (2008) and Girgis and Tuan (2005) found that SCC transfer length was longer when comparing values normalized by equations similar to Equation 4-1. Elsewhere, Boehm et al. (2010), Khayat and Mitchell (2009), Naito et al. (2005), and Zia et al. (2005) found SCC and VC to be essentially identical after accounting for strength, especially considering the

variability of transfer-length measurements. Hamilton et al. (2005) and Staton et al. (2009) state that the inherent variability of the full-scale release mechanism alone is probably larger than any difference between SCC and VC.

#### 4.2.3 Code Provisions for Anchorage of Prestressing Strands

The two primary guidelines for predicting  $l_t$  for design purposes are found in the ACI 318 *Building Code Requirements for Concrete Structures* (ACI 318 2011) and *AASHTO LRFD Bridge Design Specifications* (AASHTO 2013). Two equations are given by ACI 318 (2011) for  $l_t$  calculation—one regarding calculation of development length and one for calculation of shear strength. The first is based on the effective prestress after all losses ( $f_{pe}$ ), while the second is a simplification of the first based on an assumed  $f_{pe}$  of 150 ksi (low considering modern practices). The equations are presented below:

$$l_t = \frac{f_{pe}}{3000} d_b \quad (4-2)$$

$$l_t = 50d_b \quad (4-3)$$

The equation recommended in the *AASHTO LRFD* (2013) specifications is of a similar format to Equation 4-3, except that it was based on the use of Equation 4-2 in conjunction with an assumed  $f_{pe}$  of 180 ksi. This estimate of  $l_t$  is given in Equation 4-4:

$$l_t = 60d_b \quad (4-4)$$

Numerous researchers (Ozyildirim 2008; Pozolo and Andrawes 2011; Staton et al. 2009; Ziehl et al. 2009) have found that measured SCC transfer lengths are regularly shorter than those predicted by the above equations, while Girgis and Tuan (2005) found them to underestimate SCC transfer length. Many have recommended that no changes be made to the equations, though, due to the high variability of transfer length. In past

AUHRC research, Levy (2007) found that moderate-strength SCC did not meet the above specifications, although it was hypothesized that the deficiency could be related to the size of the tested specimens. Russell and Burns (1993) observed that specimens of a larger cross section produce shorter  $l_t$ , likely because they are better able to absorb the dynamic impact of released strands. Boehm et al. (2010) found a similar pattern in AUHRC SCC projects in which larger sections were used in successive studies.

The above guidelines were developed for the prediction of  $l_t$  in fully bonded strands. Provisions for debonded strands (which were used in this project) are less clear. The commentary to ACI 318 (2011) indicates that “for the analysis of sections with debonded strands at locations where strand is not fully developed, it is usually assumed that both the transfer length and the development length are doubled.” Similarly, a modification factor of 2 is applied to the development length of debonded strands in the *AASHTO LRFD* guidelines (2013) (see Section 5.11.4.3), although it is not stated whether the associated transfer length is also doubled.

While there has not been much research reported concerning debonded strands in SCC, Barnes et al. (2000) found that debonded strands exhibited no greater  $l_t$  than did fully bonded strands in high-strength VC. Hamilton et al. (2005) observed longer  $l_t$  of debonded strands in SCC and VC girders; they hypothesized that the increase was likely related to the increased free length of the unbonded strands, as strand with a longer free length would release more energy when cut.

### **4.3 Experimental Program**

Much of the experimental work pertaining to this research program has been described in Section 3.3.3 of this dissertation and elsewhere (Dunham 2011; Keske et al. 2013a). In addition to the general fresh and hardened properties and production observations documented in Chapter 3, transfer length testing specifically involved measuring concrete surface strains at transfer zones in twelve girders (see Table 3.2 for details). Each girder had four transfer zones—one at each end of the girder and one at each region associated with the transfer of partially debonded strands (120 in. inward from the ends of each girder, as shown in Figure 3.12). Each end's transfer zone was examined for all twelve girders, as was one of the two debonded strand transfer zones for ten of the twelve girders. Thus, there were thirty-four measured transfer zones: twenty-four end transfer zones and ten debonded-strand transfer zones.

#### **4.3.1 Instrumentation and Method of Analysis**

Concrete surface strains were measured through the use of demountable, mechanical (DEMEC) strain gauges that were applied to the bottom flange at each zone. Because of 1) the scale of the specimens being tested, 2) all testing was to occur within the precast plant, and 3) researcher interruption of production needed to be minimized, a system was devised to rapidly attach the DEMEC measurement targets to the girders. This system, which is shown in Figure 4.1 and Figure 4.2, was adapted from a similar method utilized by Dr. Ben Graybeal of the Federal Highway Administration.



Figure 4.1: Installation of DEMEC mounting strips (*top*) before closure of formwork and (*bottom*) following removal of formwork



Figure 4.2: DEMEC insert (*top*) installation within DEMEC mounting strips and (*bottom*) measurement using a DEMEC strain gauge

As shown in the figures, threaded inserts were cast into the bottom bulb of the girder and, following form removal, threaded DEMEC targets were rapidly screwed into the inserts and locked into place using a thread-locking compound. By mounting the DEMEC targets in this fashion, disruption of the normal girder prestressing operation was minimized. Further details concerning this system were documented by Dunham (2011).

Concrete surface strain results were interpreted through the use of the 95% average maximum strain (AMS) method, which was documented by Dunham (2011) and was based on the method described by Barnes et al. (2000). In it, transfer length is calculated by determining the distance to the intersection of the measured strain profile and the 95% AMS plateau. This concept is illustrated in Figure 4.3 below.

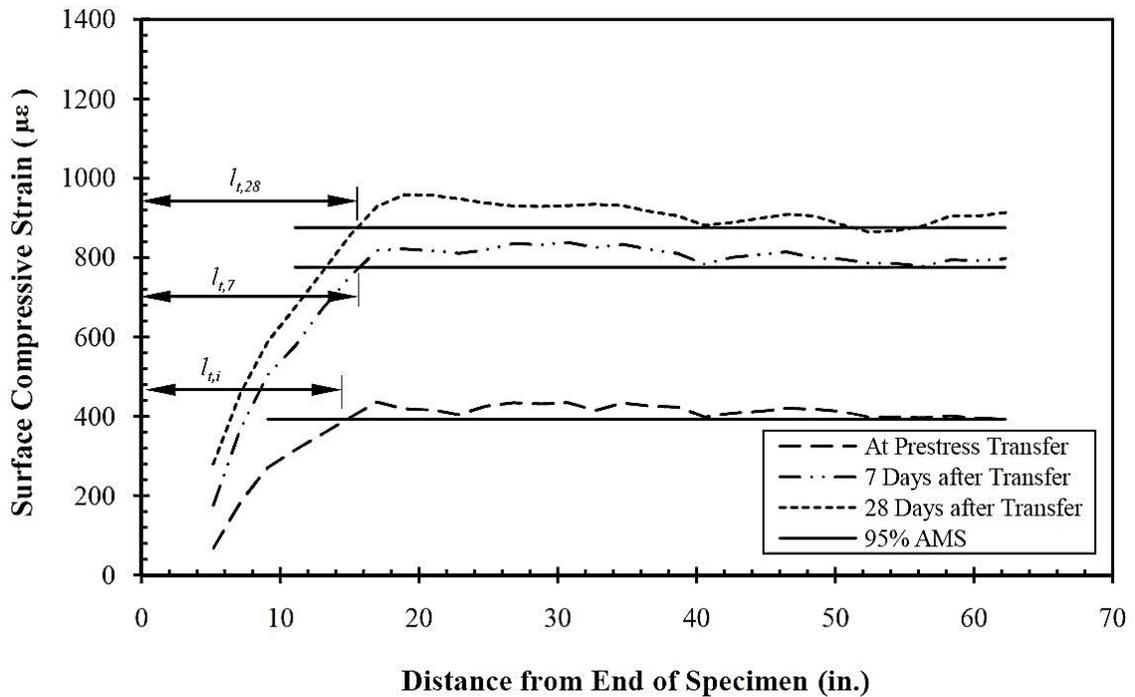


Figure 4.3: Use of 95% AMS method to determine  $l_t$  of fully-bonded strands

Determination of  $l_t$  is complicated by several factors: strain due to the self-weight of the girders, strain due to the varying eccentricity of draped strands (see Figure 3.12), differences in strain due to the skew of the end faces of the girders (see discussion of Section 3.3.1), variability of individual strain measurements, and selection of the appropriate AMS plateau. Strains due to strand draping were found to balance the strains due to self-weight in these girders so effectively that it was unnecessary to make any

changes to the measured strain profiles for either (Dunham 2011). Skew was accounted for by measuring concrete surface strains on both sides of the girder at each transfer zone. Variability was accounted for by smoothing the results according to the method described by Barnes et al. (2000).

Determination of  $l_t$  at later ages is complicated by creep associated with the prestressing force and self-weight of the girders, as well as shrinkage of the girders. Creep and shrinkage are described in greater detail in Chapter 5 of this dissertation, but time-dependent deformations have a noticeable effect on  $l_t$ . Creep is hypothesized to be directly proportional to applied load (Barnes et al. 2000), which would cause an *amplification* of all strain measurements over time. Changes in the later-age AMS due to creep do not artificially decrease the apparent  $l_t$  because all values are amplified proportionally to the applied load. Meanwhile, shrinkage is independent of load and causes a *translation* of the strain profile which would artificially decrease the apparent  $l_t$  (Barnes et al. 2000). Based on time-dependent deformation results that are discussed in Chapter 5 of this dissertation, creep and shrinkage effects were estimated to cause 2/3 and 1/3 of time-dependent changes in  $l_t$ , respectively. Based on this estimate, the later-age 95% AMS was determined according to Equation 4-5, in which only creep-induced changes in the AMS are considered in the growth of  $l_t$ :

$$AMS_{95} = AMS_{100} - \left[ \frac{1}{3} \times (0.05AMS_{100,i}) + \frac{2}{3} \times (0.05AMS_{100}) \right] \quad (4-5)$$

Where

$AMS_{95}$  is the long-term 95% AMS value desired,

$AMS_{100}$  is the long-term 100% AMS value at the time considered, and

$AMS_{100,i}$  is the 100% AMS value immediately after transfer.

Determination of  $l_i$  in debonded strands is complicated by these same issues and by the level of strain in the debonded region due to the fully bonded strands. It was only appropriate to consider the *change* in compressive strain resulting from the debonded strands, so the AMS at these zones was calculated by subtracting the AMS of the adjacent fully bonded strand transfer zone from the AMS measured further inward where debonded strands were bonded. The transfer length of the debonded strands was taken as the distance from the beginning of bonding (120 in. from the girder end) to the point where the measured strain profile crossed the 95% AMS threshold. This determination is illustrated in Figure 4.4.

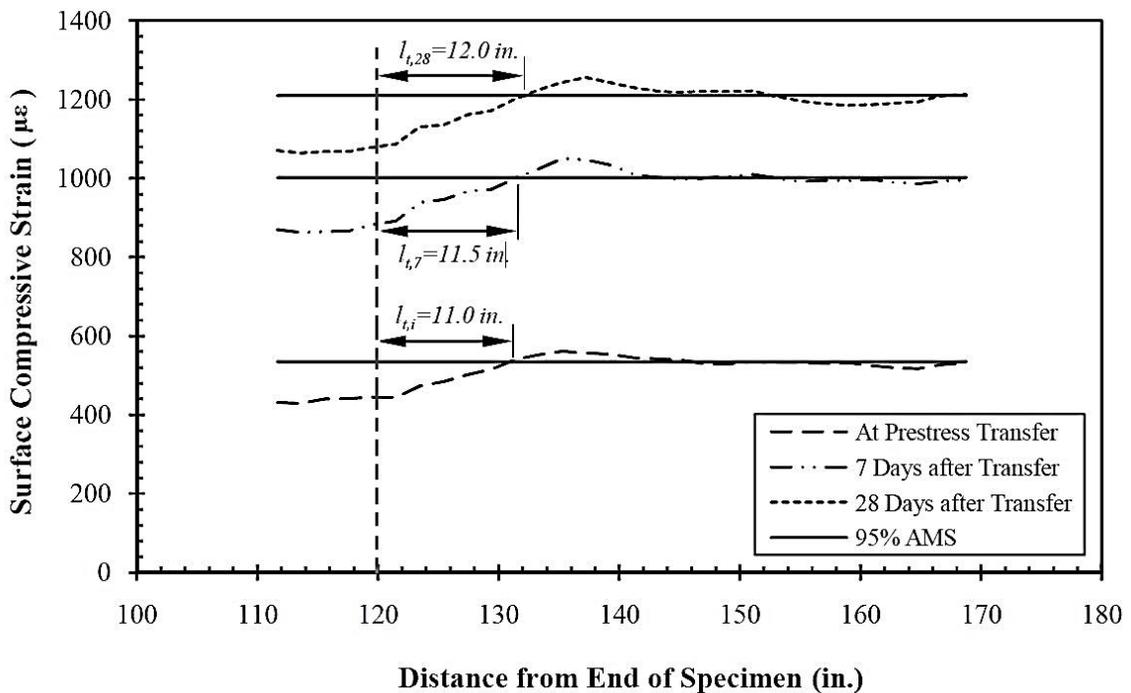


Figure 4.4: Use of 95% AMS method to determine  $l_i$  of debonded strands

In all measurements of AMS to determine  $l_t$ , the use of a 95% AMS value was used instead of 100% for two reasons. First, it provides a clearly identifiable intersection location between the compressive strain profile and the bounding horizontal line (Russell and Burns 1993). Second, the reduction in AMS, which may appear to artificially shorten the transfer length reading, actually compensates for the rounding of the strain profile that results from the smoothing process (Boehm et al. 2010). Considering the variables inherent in this research, it was determined that an  $l_t$  precision of 0.5 inches was suitable for individual measurements; consequently, a precision of ¼ in. was chosen for reporting of girder-average measurements. While DEMEC spacing and equipment precision could allow for more precise reporting, the field conditions and assumptions associated with the long-term analyses (creep and shrinkage) made the use of this precision most appropriate.

#### **4.3.2 Production-Specific Considerations**

As with the strength and  $E_c$  assessments of Chapter 3, the exact placement location of the sampled batches within the girders could not be determined. Samples taken at the midpoint of each production day (see Section 3.3.3.1) were assumed to be representative of the majority of concrete placed during that day. Furthermore, the way in which the average age of the girders was considered in relation to  $f_{ci}$  in Section 3.4.3.1 should be applied to comparisons of  $l_t$ . Isolation of the age at each transfer zone was not possible, although some inference is possible when considering the casting order that is discussed further in the next subsection. Likewise, fresh property results could not be isolated to a particular transfer zone; instead, fresh property results taken from the same mid-

production batch were assumed to give a reasonable estimate of the stability of the concrete placed during that day.

Many transfer zones were assessed during this research (thirty-four), and a single SCC and VC mixture were used throughout girder production (discussed further in Section 3.3.1.1). While this could allow for a fairly well populated comparison of SCC and VC transfer lengths, every girder was exposed to a slightly different curing and exposure history, and transfer length measurement can exhibit high variability. The number of zones that were exactly identical (girder size, zone location, casting order, and bed orientation) also varied, which complicated comparisons.

#### **4.3.3 Girder-Specific Considerations and Nomenclature**

In addition to the basic nomenclature shown in Figure 3.15, identification suffixes were necessary for identification of each transfer zone tested during this research. Casting orientation may affect transfer bond in full-scale girders because at least half an hour passed between the casting of the first end and second end of each girder (see the discussion of Section 3.4.3 and times shown in Table 3.5 for details). Furthermore, SCC may be affected differently by the casting process than VC due to the free-flowing nature of SCC. Casting orientation was documented as discussed in 3.3.1.2, so the first suffix added to the girder identification is based on the order of casting: -1 or -2 for the first end and second end placed, respectively.

The effects of the difference in age between girder ends and difference in filling could not be evaluated independently in this research, but they may both be of significance. Khayat and Mitchell (2009) found that the filling method alone did not

affect SCC performance: they filled some girders from a single point at the middle of the formwork and others from one end to the other to make this comparison.

Additionally, method of release may affect transfer length (see Section 4.2.1), especially when the method yields a dead and live end in each girder. This production utilized the simultaneous method of flame-cutting release described earlier (no explicitly live or dead end), but distinctly longer free lengths of strand were exposed at the outer ends of the prestressing bed than between the girders. Hamilton et al. (2005) pointed out that longer unbonded strand lengths release greater amounts of energy, so the occurrence of pseudo-live ends was possible in this project. Therefore, the second suffix added to the girder identification is based on bed orientation, as this is analogous with strand length and energy released: -E or -I for exterior and interior ends to coincide with longer (more energy) or shorter (less energy) exposed strand length, respectively. Finally, debonded zones are denoted with by the suffix “/D”. These zones were always associated with adjacent, fully bonded transfer zones but varied unevenly between first-end, second-end, interior-end, and exterior-end orientations.

#### **4.4 Presentation and Analysis of Results**

Girder-average transfer lengths are reported below in Table 4.1; these values are the long-term  $l_t$  values that were determined at twenty-eight days. It was previously seen and confirmed in this project by Dunham (2011) that there is a significant growth of transfer length within the first week after prestress transfer, especially in VC girders (approximately 20% growth in VC girders versus approximately 10% growth in SCC girders). However,  $l_t$  changed less than approximately 2% after the first week, so 28-day

values are of primary significance during this analysis, as they indicate the long-term transfer-length behavior of the girders.

Normalized results in terms of  $\alpha$  (see Equation 4-1) are presented in the table, as well. To calculate these normalized  $\alpha$  results,  $f_{pt}$  (the prestress in the prestressing strands immediately *after* release) was determined based on the use of a reasonable estimate of the strand stress immediately before transfer ( $f_{pbt}$ ) and the average measured change in transfer-zone concrete strain at the time of transfer (equal to the 100% AMS). Transfer-zone surface strains were directly measured using the DEMEC instrumentation described in Section 4.3.1, and results from the same zone type, material, and girder size (fully-bonded SCC BT-54 zones, for example) were averaged to determine  $f_{pt}$ . Thus,  $f_{pt}$  varied from 187–191 ksi as shown in Appendix D.

Table 4.1: Measured transfer lengths and normalized coefficients of determination

Girder ID	End Transfer Zones			Debonded Transfer Zone		
	$l_t$ (in.)	$\alpha$ (ksi <sup>-0.5</sup> )	Average $\alpha$ (ksi <sup>-0.5</sup> )	$l_t$ (in.)	$\alpha$ (ksi <sup>-0.5</sup> )	Average $\alpha$ (ksi <sup>-0.5</sup> )
54-2S	16.25	0.51		12.0	0.38	
54-4S	18.0	0.56	0.49	13.5	0.42	0.40
54-7S	13.25	0.40		-	-	
72-2S	17.25	0.50	0.47	14.0	0.41	0.39
72-4S	16.75	0.48	0.46	12.0	0.35	0.38
72-7S	13.75	0.40		13.5	0.40	
54-2V	12.5	0.39		10.5	0.33	
54-4V	13.25	0.39	0.41	12.0	0.35	0.34
54-7V	13.75	0.45		-	-	
72-2V	13.0	0.39	0.40	11.0	0.33	0.33
72-4V	12.75	0.37	0.40	9.5	0.28	0.33
72-7V	15.0	0.44		13.0	0.38	

The data in the above table illustrate that the use of SCC resulted in longer transfer lengths, both in direct comparison and after accounting for variations in strength, prestress intensity, and strand size. This is important because the transfer-length prediction equations discussed earlier (Equations 4-2 through 4-4) do not account for strength or prestress intensity in the determination of  $l_t$ . This topic is discussed further in Section 4.4.2. Comparisons involving the normalized results shown above are made first, in Section 4.4.1.

#### **4.4.1 Comparison of Measured Transfer Lengths**

The end-transfer  $\alpha$  values presented in Table 4.1 represent the average of the results from both end transfer zones, while the debonded-transfer  $\alpha$  values were obtained from a single debonded transfer zone. Average end-transfer results provide the best estimate of the overall tendencies of SCC and VC, while debonded-transfer results may exhibit more scatter because only one zone was measured per girder. In general, debonded transfer lengths were shorter than those of the *adjacent* fully-bonded strands (approximately 90% of  $l_t$  in the adjacent fully bonded zone, on average) and also experienced less time-dependent growth. The reductions could be the result of friction in the debonding sheathing, the relatively smaller change in prestress force resulting from transfer of the debonded strands, or other geometric considerations at these locations (such as different self-weight or eccentricity of the draped strands). Regardless, this confirms the findings of Russell and Burns (1993) and Barnes et al. (2000) and disagrees with the findings of Hamilton et al. (2005) regarding debonded strand transfer length.

On average, SCC  $\alpha$  values were approximately 18% greater than in the VC girders (in both fully bonded and debonded zones). Considering the statement by Barnes et al. (2003) that strand transfer may be related to both  $E_{ci}$  and tensile strength, this difference was expectable in lieu of the  $E_{ci}$  and  $f_{ct}$  results presented in Chapter 3—SCC  $E_{ci}$  was approximately 10–15% less than that of VC, relative to  $\sqrt{f_c}$ , and  $f_{ct}$  was insignificantly less (5%) relative to  $\sqrt{f_{ci}}$ .

To further assess the hypothesis that transfer length differences could be expectable as a result of changes in  $E_{ci}$  and  $f_{ct}$ , the data in Table 4.1 were assessed according to the general form of Equation 4-6. In the equation,  $Y_{measured}$  was the measured  $E_{ci}$  or  $f_{ct}$  (see Table 3.8 for values) that was substituted directly to eliminate the assumption of correspondence to the square root of compressive strength:

$$l_t = \alpha' \frac{f_{pt}}{Y_{measured}} d_b \quad (4-6)$$

The constants of proportionality ( $\alpha'$ ) determined according to Equation 4-6 exhibit different units than the  $\alpha$  values reported in Table 4.1; they depend upon the measured property in the denominator of the equation and are reported in Appendix D to avoid confusion. Values of  $\alpha'$  and  $\alpha$  are compared graphically in Figure 4.5 below. Only fully bonded transfer length results are represented. Note that, within each SCC-versus-VC comparison, values have been normalized by the average of all SCC and VC results calculated within that particular comparison. In other words, material averages are equal distance from 1.0 on the normalized vertical axis.

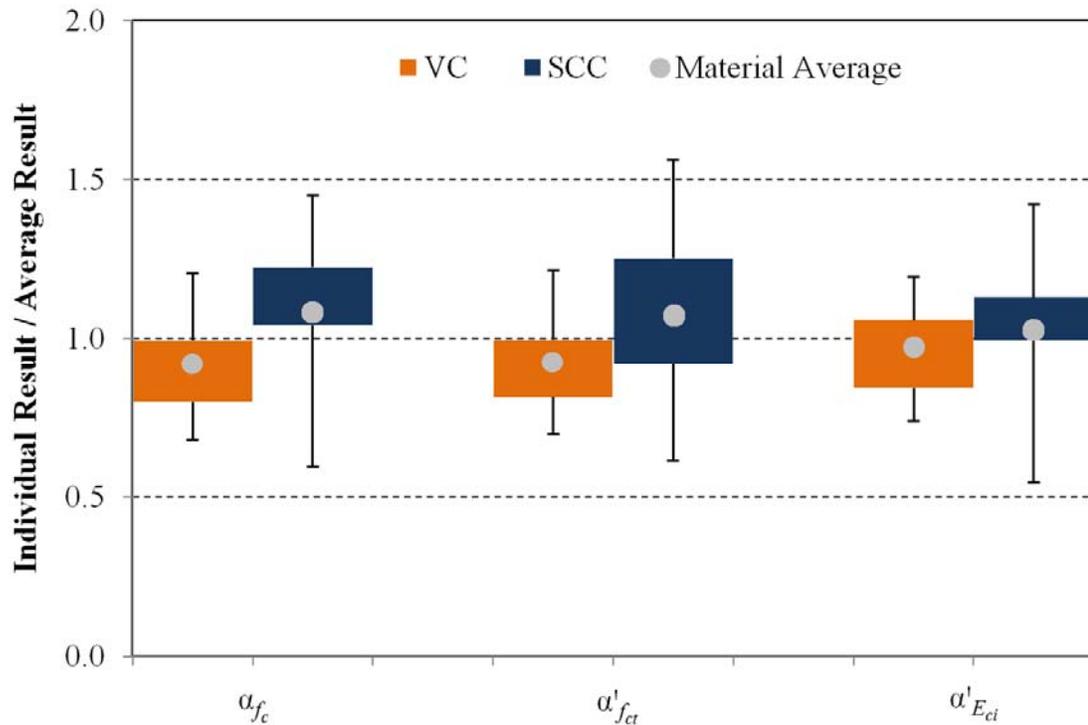


Figure 4.5: Comparison of SCC and VC normalized  $\alpha$  and  $\alpha'$  values

In the above figure, solid boxes indicate the range of the inner two quartiles of results, while unfilled plot “whiskers” indicate the maximum and minimum measured values within each dataset. Several conclusions are warranted based on Figure 4.5. First, SCC transfer lengths exhibit more variability (longer plot whiskers). Second, normalization by  $f_{ct}$  increased the variability of the results while normalization by  $E_{ci}$  did not (narrower boxes indicate decreased spread in results). Third, normalization by  $E_{ci}$  appeared to account for the majority of the difference between SCC and VC (material averages were less than 5% different when normalized by  $E_{ci}$ ), while normalization by  $f_{ct}$  did not. Considering the first two conclusions, it is unclear whether this third distinction is due to testing variability, a difference in tensile behavior of the concrete in response to

confinement, or a greater bond dependence on elastic stiffness ( $E_{ci}$ ) than on the tensile capacity of the concrete ( $f_{ct}$ ).

Values normalized through direct use of  $E_{ci}$  according to Equation 4-6 were well within the precision of the measurements obtained during this research (the 5% difference would equal approximately 0.7 inches of transfer length based on the average  $f_{pt}$ ,  $f_{ci}$ , and  $E_{ci}$  from this research). Thus, while longer transfer lengths were present in these SCC girders, the difference may be largely attributable to differences in  $E_{ci}$  which could occur between any two concretes. In other words, while SCC  $E_{ci}$  may commonly be less relative to its  $\sqrt{f_{ci}}$ , such a difference could occur between *any* two concretes of different mixture proportions. Additional comparisons of ways in which SCC may uniquely affect transfer length are described in the following subsections.

#### **4.4.1.1 Effect of Specimen Size (Comparison to Past AUHRC Studies)**

Normalized BT-54 transfer lengths were compared to those in BT-72 girders via comparison of  $\alpha$ , as well as to results previously measured by Swords (2005), Levy (2007), and Boehm et al. (2010). While actual transfer lengths are reported in Table 4.1, comparison of  $\alpha$  values in the two girder sizes was necessary because different strand sizes were utilized in each girder size (see discussion of Section 3.3.1.1). Average ratios of BT-54  $\alpha$  to BT-72  $\alpha$  equaled 1.02–1.06 depending on zone and material. A two-sample t-test also yielded a statistically insignificant difference between girder sizes (P-values exceeded 0.65 in each material). Thus, in comparisons to past AUHRC studies and in comparisons of other variables in subsequent subsections regarding orientation and SCC stability, BT-54 and BT-72 results are combined prior to evaluation.

Summary results from previous AUHRC studies are shown below in Table 4.2; supplemental data regarding these previous studies are presented in Appendix D. In the table and appendix, the following stipulations apply:

- Only fully bonded strands are compared because debonded strand transfer lengths were found to be noticeably shorter than those of fully bonded strands,
- Results used from the current study are those obtained at a concrete age of seven days because all previous studies involved measurement at these earlier ages, and
- Specimens are shown in order of increasing size; specimen descriptions are given in the cited references and by Dunham (2011).

Table 4.2: Summary of normalized transfer lengths in AL concrete

Study	Specimen Description and Height (in.)	Average Values		
		$\alpha_{SCC}$ (ksi <sup>-0.5</sup> )	$\alpha_{VC}$ (ksi <sup>-0.5</sup> )	$\alpha_{SCC}/\alpha_{VC}$
<b>Swords 2005</b>	<b>Prisms (4 in.)</b>	1.00	0.78	1.28
<b>Levy 2007</b>	<b>T-Beams (15 in.)</b>	0.71	0.64	1.12
<b>Boehm et al. 2010</b>	<b>AASHTO Type I (28 in.)</b>	0.50	0.49	1.03
<b>Current Study</b>	<b>Bulb-Tees (54, 72 in.)</b>	0.47	0.40	1.20

For both materials, transfer length clearly decreases as specimen size increases—average normalized  $l_t$  in the smallest specimens was approximately double that of the largest specimens. This corroborates the findings of Russell and Burns (1993) that larger specimens produce shorter transfer lengths as a result of larger specimens' ability to absorb more energy upon strand release. Because full-scale transfer lengths are likely to

be shorter than those measured in smaller experimental specimens, it is concluded that any findings regarding the transfer length of SCC determined using small specimens are likely to be conservative for larger specimens of similar material properties.

Upon further evaluation using measured  $E_{ci}$  (Equation 4-6) the same trend with specimen size was apparent, but the difference between SCC and VC was less noticeable than in Table 4.2. This trend is illustrated in Figure 4.6 and in Table 4.3. In the figure and table,  $\alpha'$  is a unitless constant equal to  $10^{-3}$  (per Equation 4-6 when using  $E_{ci}$  as the measured dependent variable  $Y_{measured}$ ).

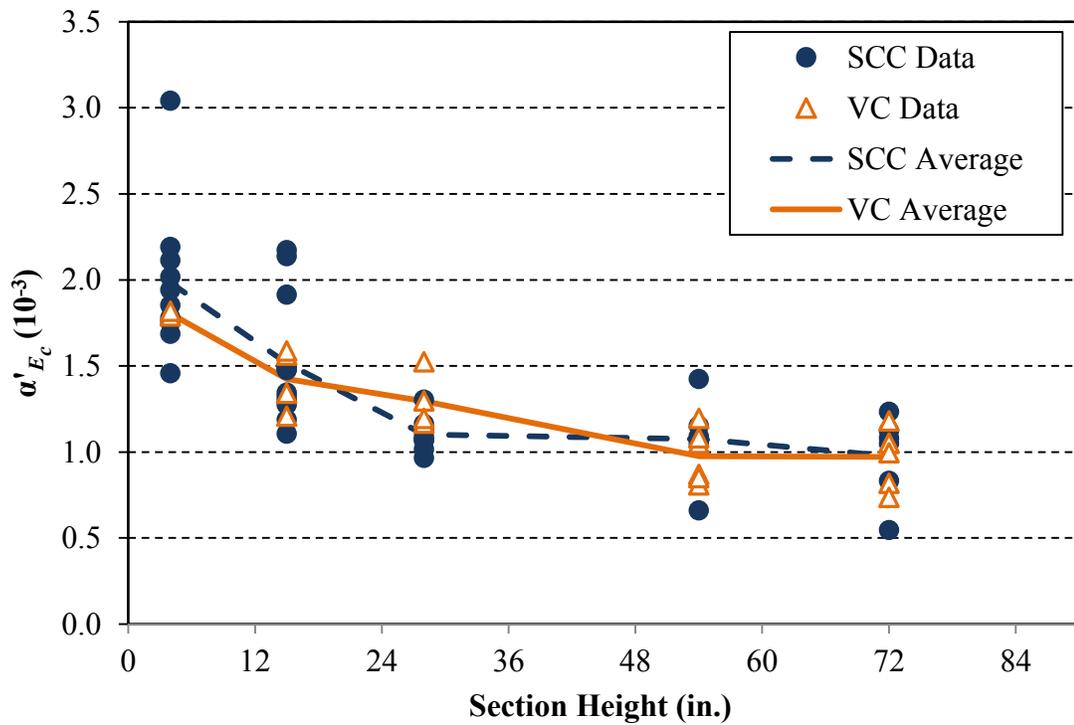


Figure 4.6: Comparison of SCC and VC normalized  $\alpha'$  values by section height

Table 4.3: Summary of alternatively normalized transfer lengths in AL concrete

Study	Specimen Description and Height (in.)	Average Values		
		$\alpha'_{scc}$ ( $10^{-3}$ ksi/ksi)	$\alpha'_{vc}$ ( $10^{-3}$ ksi/ksi)	$\alpha'_{scc}/\alpha'_{vc}$
Swords 2005	Prisms (4 in.)	1.98	1.80	1.10
Levy 2007	T-Beams (15 in.)	1.52	1.42	1.06
Boehm et al. 2010	AASHTO Type I (28 in.)	1.10	1.30	0.85
Current Study	Bulb-Tees (54, 72 in.)	0.99	0.94	1.05

As discussed earlier regarding the full-scale girder results from the current study, these ranges (SCC results equaled 0.85–1.10 of average VC results) could be explained by the precision and variability of the measurements. Thus, it is concluded based on the data presented in this section that the effect of specimen size is more significant than the difference observed between the tested SCC and VC during each of these projects. While longer transfer lengths were present in some of the tested SCC specimens, the difference appears to be largely attributable to differences in  $E_{ci}$  that can occur between *any* concretes of different mixture proportions.

#### 4.4.1.2 Effect of Orientation

Normalized transfer lengths could also be compared relative to casting order (1<sup>st</sup> or 2<sup>nd</sup> end) and bed orientation (internal or external end). Because BT-72 and BT-54 results were not statistically different in this project, comparisons are of the normalized  $\alpha$  values that account for strand diameter. Comparisons of fully bonded transfer zones that were exactly identical with regard to girder size, casting order, and bed orientation are

presented in Table 4.4. While zone identifications alone can be used to identify the unique comparisons, status as the 1<sup>st</sup> or 2<sup>nd</sup> end cast (-1 or -2) and external or internal end on the prestressing bed (-E or -I) is labeled for clarity.

Table 4.4: Comparison of identical SCC and VC transfer zones

Transfer Zones		1 <sup>st</sup> or 2 <sup>nd</sup> Cast	Exterior or Interior	$\alpha_{SCC}/\alpha_{VC}$
SCC	VC			
54-2S-1-E 54-4S-1-E 54-7S-1-E	54-2V-1-E 54-4V-1-E	1	E	1.25
72-4S-1-E 72-7S-1-E	72-4V-1-E 72-7V-1-E	1	E	1.31
-	54-7V-1-I	1	I	-
72-2S-1-I	72-2V-1-I	1	I	1.66
-	54-7V-2-E	2	E	-
72-2S-2-E	72-2V-2-E	2	E	1.07
54-2S-2-I 54-4S-2-I 54-7S-2-I	54-2V-2-I 54-4V-2-I	2	I	1.26
72-4S-2-I 72-7S-2-I	72-4V-2-I 72-7V-2-I	2	I	0.84

Note: - = no matching transfer zones

Within the above unique comparisons, SCC  $\alpha$  was, on average, 23% greater than that of the directly comparable VC. This is very similar to 18% relative increase in SCC  $l_t$  that was discussed in reference to Table 4.1, and the difference could be explained by the smaller sample sizes present upon subdividing results this finely. There was high variability of these unique comparisons and no patterns were easily detectable, so broader grouping of all zones by casting order *or* bed orientation could provide better insight regarding their effects on  $l_t$ .

Several previous studies have shown that transfer methods that create live and dead ends noticeably affect transfer length (see discussion of Section 4.2.1), and Hamilton et al. (2005) suggested that the same trend occurs where longer exposed lengths of strand are present. To test this, the measured values were regrouped according to bed orientation (recall that exterior-end zones were always placed next to much longer exposed lengths of strand). Average results are presented below in Table 4.5, and individual results are presented in Appendix D.

Table 4.5: Comparison of exterior and interior transfer zones

<b>Transfer Zone</b>	<b>Average <math>\alpha</math></b>	<b>Exterior /Interior</b>
<b>SCC, Exterior Ends</b>	0.54	1.32
<b>SCC, Interior Ends</b>	0.41	
<b>VC, Exterior Ends</b>	0.45	1.28
<b>VC, Interior Ends</b>	0.35	

As shown in the above table, external-end transfer lengths were approximately 30% longer than those in interior-end transfer zones, in both materials. The statistical significance of this bed-orientation effect was also determined in both materials at a 95% CI: P-values equaled 0.0316 and 0.0034 in SCC and VC, respectively. However, while the effect of bed orientation (and exposed strand length) is significant, SCC did not appear to be differently affected by the phenomenon.

This agrees with the finding of Hamilton et al. (2005) that transfer length is noticeably affected by the exposed strand length, although application of their observation is different—while debonded transfer lengths were shorter in this research

than fully bonded transfer lengths, fully bonded  $l_t$  was distinctly affected by exposed strand length. Meanwhile, the shorter debonded strand transfer lengths were likely a result of variables discussed earlier such as friction within the debonding sheathing over the 120 in. of debonding at each girder end.

Because exposed strand length was a significant variable, evaluation of the effect of casting direction (and the half-hour difference in concrete age between girder ends) could only be evaluated after considering bed orientation. Thus, Table 4.6 includes results subdivided such that comparisons illustrate whether the statistically significant bed-orientation effect (which occurred in both SCC and VC) was different when also considering casting order. In other words, the effect of casting order must be inferred from whether the severity of the bed-orientation effect is different among transfer lengths at the first end cast versus those at the second end cast.

Table 4.6: Comparison of normalized transfer length by bed orientation and casting order

<b>Zone</b>	<b>Average <math>\alpha</math> Results and Ratios</b>		
	<b>SCC</b>	<b>VC</b>	<b>All Concrete</b>
<b>1-E</b>	0.55	0.43	0.49
<b>2-I</b>	0.39	0.37	0.38
<b><i>E/I</i></b>	<b><i>1.39</i></b>	<b><i>1.16</i></b>	<b><i>1.29</i></b>
<b>1-I</b>	0.50	0.33	0.38
<b>2-E</b>	0.51	0.50	0.51
<b><i>E/I</i></b>	<b><i>1.03</i></b>	<b><i>1.53</i></b>	<b><i>1.32</i></b>

If casting order (and age difference between girder ends) had no effect, the four ratios of external-to-internal results shown above would approximately equal the effect observed due only to bed orientation (approximately 1.3). They do not (ranging 1.03–

1.53), but the variability may be due to the limited sample size—in only one SCC girder was the first end cast also an interior end (bottom left comparison in the table). The “All Concrete” ratios presented in the table reinforce this sampling phenomenon: once sample size was increased, the bed-orientation effect was the same regardless of whether the exterior end was cast first or second.

Considering the variability of these four ratios and that the largest ratio occurred in VC (in girders where the exterior ends were also cast second), the results shown in Table 4.6 illustrate that SCC transfer bond is no more greatly affected by casting sequence than is VC transfer bond. Instead, the effect of bed orientation appears to be more significant: regardless of which end was cast first, exterior ends generally exhibited longer transfer lengths, in both materials.

Based on the results discussed in this section related to bed orientation and casting sequence, it is concluded that the difference between SCC and VC transfer length is less important than the variability caused by the full-scale construction process and transfer mechanism. This agrees with the findings of Hamilton et al. (2005) and Staton et al. (2009). Transfer lengths in both materials were significantly affected by bed orientation and may have been somewhat affected by casting order, but neither of these effects was more pronounced in SCC than in VC.

#### **4.4.1.3 Effect of Other Variables**

In addition to specimen size, bed orientation, and casting order, several other variables may have affected the observed transfer bond behavior:

- Average age at the time of transfer, which would affect the bond behavior of both SCC and VC,
- Admixture (VMA or HRWRA) use or dosage, which would affect SCC bond differently because the SCC was proportioned with greater amounts of HRWRA and varying dosages of VMA (see Table 3.1),
- Fresh concrete workability, as indicated by either the slump test when using VC or the slump flow test when using SCC, or
- Fresh SCC stability, which was tested daily (see Section 3.3.2.1).

It was difficult to isolate the effects of each of these variables, especially considering the inherent variability of the transfer length measurements. Analyses indicate that average age at the time of transfer and workability did not independently affect  $l_t$  in either material. It was impossible to completely rule out the effect of the *presence* of VMA on  $l_t$  in this project since the tested SCC always contained VMA while the VC contained none, but there is no evidence that the *quantity* of VMA included in the SCC had any effect on  $l_t$ . The amount of VMA used in the SCC BT-72s was doubled from the amount used in the BT-54 (see Table 3.1), but transfer lengths were insignificantly different in the BT-72 girders (see Section 4.4.1.1).

Recall from Section 4.4.1 that differences in  $E_{ci}$  appeared to explain the majority of the difference between SCC and VC transfer length observed in this project. While the remainder of the difference may have been a consequence of the presence of VMA in the SCC, fresh concrete stability may play an equally important role considering the findings presented in Chapter 2. It was impossible to isolate and test the batches of concrete

placed at each transfer zone, but comparison of mid-production stability results (see Section 3.3.2) and girder-average transfer length results (from Section 4.4.1) should indicate general trends.

Among the five fresh SCC stability tests conducted, the surface settlement test results correlated most strongly with SCC  $l_t$ . The rate of settlement and maximum settlement determined during the test were equally well correlated with  $l_t$  ( $R^2$  equaled 0.56 and 0.54, respectively). The relationship between rate of settlement and transfer length is shown below in Figure 4.7. Per the earlier discussion that BT-54 and BT-72 results were not significantly different, these results are combined in the figure.

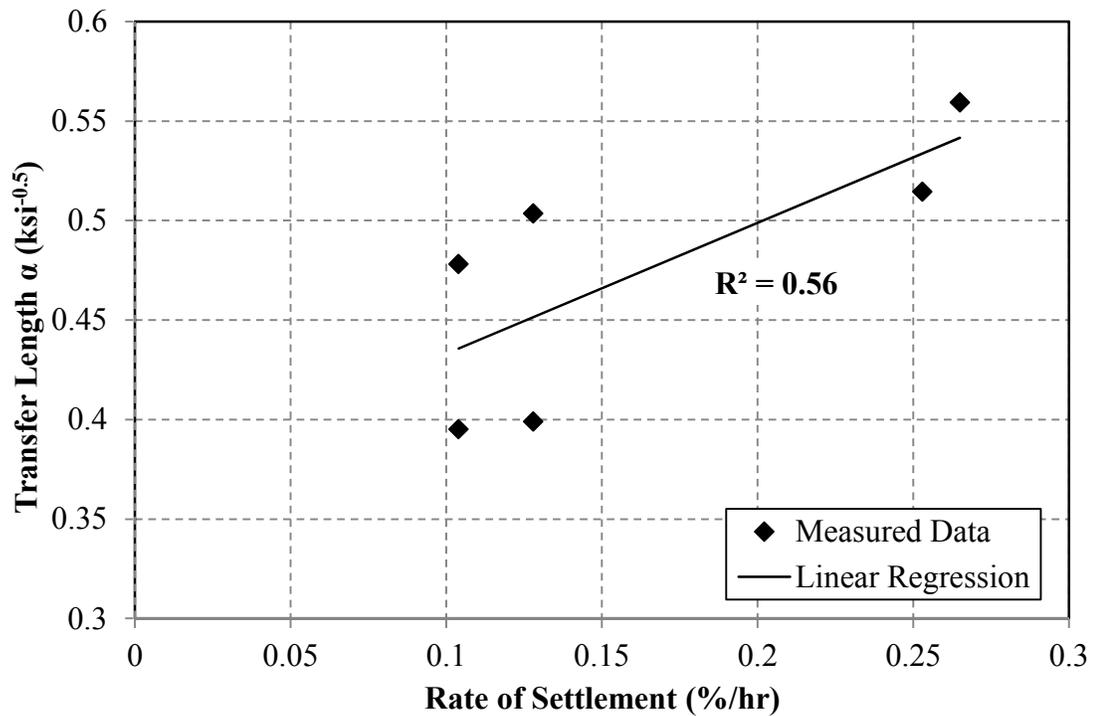


Figure 4.7: Correlation between rate of settlement and normalized SCC transfer length

The correlation shown in the above figure, which is at least as strong as the relationships discussed in Chapter 2, illustrates that SCC stability may affect bond

behavior. The observed variability of these  $l_t$  results and in  $f_{ci}$  and  $E_{ci}$  must be considered, though— $f_{ci}$  varied by as much as 2,000 psi between SCC production days only as a result of differences in the age at transfer. Therefore, it is concluded that the impact of fresh stability and the presence of VMA on  $l_t$  was minor relative to the variability due only to typical construction practices.

#### **4.4.2 Comparison of Measured Values to Predicted Values**

In contrast to the results analyzed in the previous section, comparisons to code provisions are based directly on the measured transfer lengths shown in Table 4.1. Most of the transfer-length prediction equations discussed earlier (Equations 4-2 through 4-4) do not account for concrete strength or prestress intensity in the determination of  $l_t$ . Ratios of the measured results to those predicted by Equations 4-2 through 4-4 are summarized below in Table 4.7. In the table, ratios less than 1.0 indicate that measured transfer lengths were shorter than predicted. Also, measured results are compared to those predicted using the expressions recommended by Barnes et al. (2003) and Levy (2007) because they (Barnes et al. 2003; Levy 2007) reported  $l_t$  in terms of the same constant of proportionality used in this research. Barnes et al. (2003) stated that transfer lengths in simultaneously released girders are more comparable to those at the dead end of suddenly released specimens, so the dead-end  $\alpha$  recommended by Levy (2007) is considered in the table.

Table 4.7: Comparison of measured and predicted transfer lengths

Prediction Method		Average Measured / Predicted $l_t$			
Equation	Source	Fully Bonded		Debonded	
		SCC	VC	SCC	VC
Equation 4-2	ACI 318 (2011)	0.57	0.48	0.46	0.40
Equation 4-3	ACI 318 (2011)	0.62	0.53	0.51	0.44
Equation 4-4	AASHTO (2013)	0.52	0.44	0.42	0.36
$\alpha = 0.64$ (ksi <sup>-0.5</sup> )	Levy (2007)	0.74	0.63	0.63	0.52
$\alpha = 0.57$ (ksi <sup>-0.5</sup> )	Barnes et al. (2003)	0.83	0.71	0.68	0.58

While the transfer lengths in SCC girders were slightly less over-predicted than in the VC girders, average transfer lengths were shorter than predicted by all of the evaluated models. To evaluate the most demanding of these—Equation 4-3 among code-based equations and the expression recommended by Barnes et al. (2003)—the individual transfer lengths are presented in Figure 4.8 and Figure 4.9.

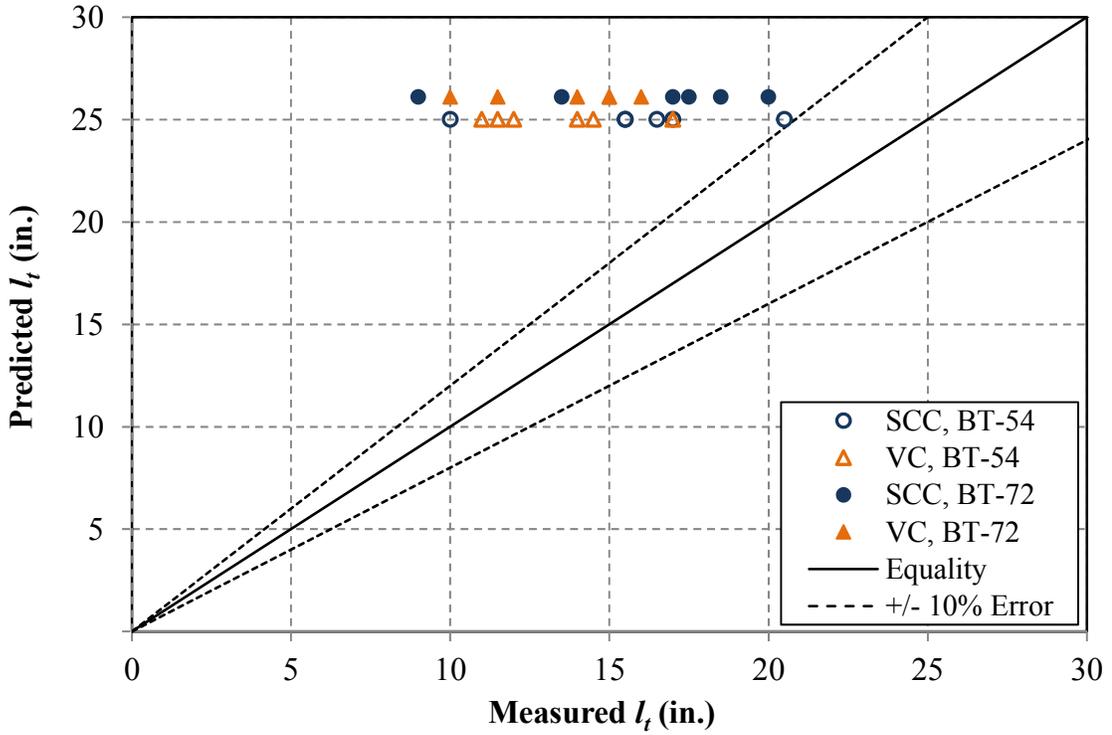


Figure 4.8: Comparison of measured  $l_t$  and  $l_t$  predicted according to Equation 4-3

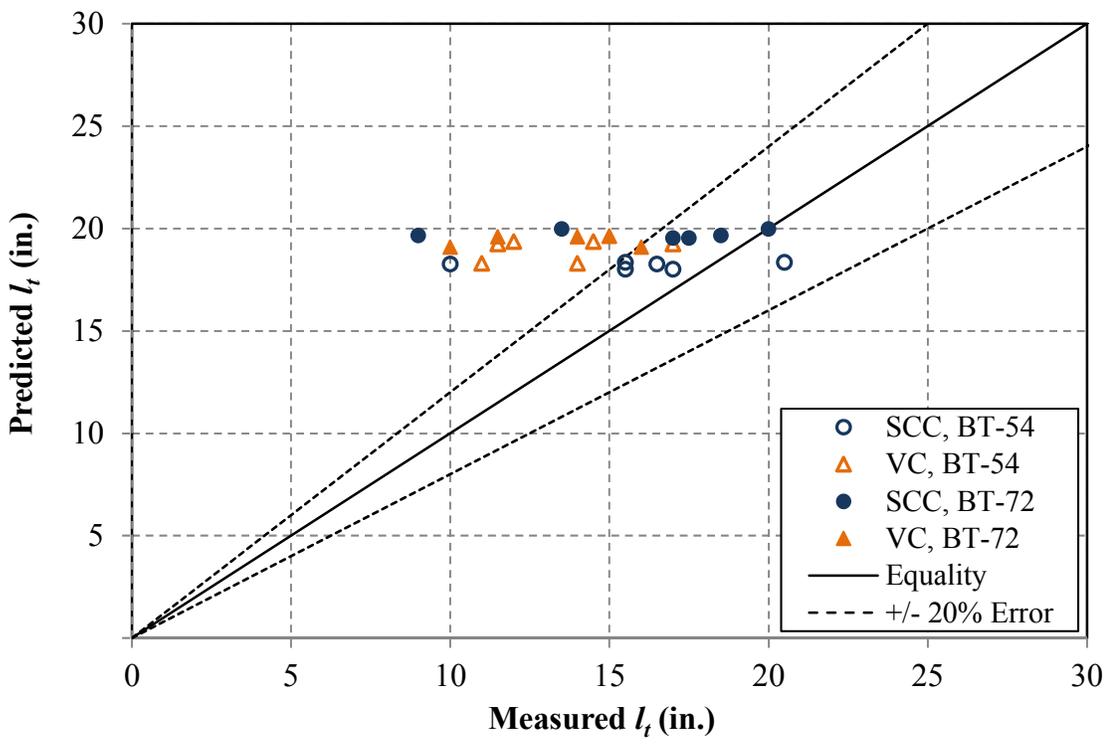


Figure 4.9: Comparison of measured  $l_t$  and  $l_t$  predicted according to expression proposed by Barnes et al. (2003)

As shown in the figures, no single transfer length at either end of any SCC girder was greater than 0.82 of the transfer length predicted through the use of Equations 4-3, and no VC transfer length was greater than 0.68 of the value predicted by that equation. Meanwhile, only one individual SCC transfer lengths exceeded the upper limit suggested by Barnes et al. (2003)—in 54-4S-1-E, by 12% (approximately 2 in.). No individual VC transfer length exceeded 93% of the upper limit suggested by Barnes et al. (2003).

Notably, the one under-predicted transfer length identified in Figure 4.9 was in the exterior-end zone of a BT-54. It was subjected to the most demanding release mechanism and was of the smaller size tested, which could have significant implications during the production of smaller prestressed specimens. Based on these results and on the findings of Levy (2007) regarding moderate-strength concrete (see Section 4.2.3), no changes to the existing predictions are recommended. While the methodology recommended by Levy (2007) and Barnes et al. (2003) provided the best predictions *on average*, the variability of transfer lengths and their dependence on exposed strand length and girder size preclude any reduction in the existing predictions at this time.

## **4.5 Summary and Conclusions**

### **4.5.1 Summary**

To better understand the prestress transfer bond behavior of SCC used in precast, prestressed applications, the bond of fully bonded and partially debonded strands were evaluated in twelve SCC and VC girders used to construct the Hillabee Creek Bridge. Transfer length was evaluated at both fully bonded ends of each girder and one debonded zone apiece in ten of the girders (total of thirty-four zones);  $l_t$  was calculated after

measuring concrete surface strains at the bottom flange and applying the 95% AMS method of transfer length calculation described elsewhere (Dunham 2011). By testing multiple girders produced with essentially the same mixtures, valuable insights were gained regarding the variability of measured transfer lengths and the dependence of  $l_t$  on factors including girder size, orientation in the prestressing plant, and SCC stability.

SCC transfer lengths normalized for  $\sqrt{f_{ci}}$  or  $E_{ci}$ , prestress force, and strand diameter were evaluated both in relation to the companion VC girders used in the bridge and in relation to previous phases of this research conducted with smaller specimens. The full-scale girder values were also compared to current prediction models proposed by ACI 318 (2011) and AASHTO (2013) and to more refined estimates proposed by Barnes et al. (2003) and Levy (2007). The observations and conclusions made concerning the measured transfer lengths of the SCC and VC girders used in the Hillabee Creek Bridge are summarized in Section 4.5.2. That section includes conclusions regarding the effect of several variables and the applicability of the current prediction methods. The recommendations made based on this research are then given in Section 4.5.3.

## **4.5.2 Observations and Conclusions**

### **4.5.2.1 Measured Transfer Length**

- After normalizing for  $f_{pt}$ ,  $d_b$ , and  $\sqrt{f_{ci}}$ , SCC transfer lengths were approximately 18% greater than those of the equivalent-strength companion VC girders in both fully bonded and partially debonded strands.

- Transfer lengths of partially debonded strands in both SCC and VC were less than those of fully bonded strands in directly adjacent fully bonded zones (approximately 90% of the associated fully bonded  $l_t$ ).
- The increased transfer lengths of the SCC girders were likely related to the reduced stiffness of the utilized SCC.
- After normalizing transfer lengths for  $f_{pt}$ ,  $d_b$ , and  $E_{ci}$  to remove the assumption of correlation to the square root of  $f_{ci}$ , SCC transfer lengths were approximately 5% longer than comparable VC transfer lengths. This suggests that differences in  $l_t$  are not uniquely associated with the use of SCC—the difference should occur in any two concretes whose  $E_{ci}$  differs relative to  $\sqrt{f_{ci}}$ .
- Normalizing transfer lengths for  $f_{pt}$ ,  $d_b$ , and  $f_{ct}$  neither reduced nor magnified the difference between SCC and VC.
- Normalization for  $E_{ci}$  accounted for the majority of the difference between SCC and VC  $l_t$  but normalization for  $f_{ct}$  did not appear to affect it. It is unclear whether the lack of correlation to  $f_{ct}$  is due to testing variability (of  $f_{ct}$  or  $l_t$ ), a difference in tensile behavior of the concrete in response to confinement, or a greater bond dependence on elastic concrete stiffness ( $E_{ci}$ ) than on tensile capacity ( $f_{ct}$ ).
- By comparing normalized  $l_t$  between phases of AUHRC research in which very similar concrete mixtures were used, it was shown that specimen size has a distinct effect on  $l_t$ —transfer length decreased as specimen size increased.
- The observed size effect corroborates the conclusion of Russell and Burns (1993) that larger specimens exhibit shorter  $l_t$  because they are better able to absorb the kinetic energy of released strands.

- SCC was insignificantly different than VC in all associated AUHRC projects after accounting for  $E_{ci}$  directly—SCC values were approximately 0.85–1.10 of comparable VC values in these projects.
- Considering the size effect and effect of  $E_{ci}$ , recommendations for  $l_t$  that are based on tests of small specimens or less stiff concrete are likely to be conservative.
- The most significant factor affecting  $l_t$  appeared to be girder orientation in the prestressing bed—transfer zones adjacent to longer exposed lengths of strand (near the ends of the prestressing bed) produced approximately 30% longer transfer lengths than those adjacent to short exposed lengths of strand (between girders cast in the same production line) in both SCC and VC.
- Casting sequence had no greater effect on  $l_t$  in SCC than on  $l_t$  in VC girders—exterior ends exhibited longer transfer lengths than interior ends, regardless of which was cast first.
- The dosage of VMA incorporated in the SCC had no effect on transfer length—VMA dosage was doubled in BT-72 girders, but the BT-72s regularly exhibited shorter normalized  $l_t$ . This contradicts the claim of Girgis and Tuan (2005) that increasing the dosage of VMA leads to longer  $l_t$ .
- Neither age at transfer or concrete workability (slump or slump flow) correlated well with  $l_t$ , but SCC fresh stability did. However, these variables could not be evaluated independently, and all appeared to be insignificant relative to the effects of bed orientation and girder size.
- Improvements in fresh SCC stability are likely to lead to shorter  $l_t$ , but the effect was minor considering that all tested SCC exhibited acceptable stability.

- Similar to previous suggestions (Hamilton et al. 2005; Staton et al. 2009), the difference between SCC and VC appears to be less significant than the variation inherent to the full-scale construction process and transfer mechanism.

#### **4.5.2.2 Prediction of Transfer Length**

- All prediction methods assessed—two equations presented in ACI 318 (2011) and one presented in the *AASHTO LRFD* guidelines (2013)—were used to conservatively predict  $l_t$  in both materials.
- Although SCC  $l_t$  was slightly less over-predicted by the code-based models than VC  $l_t$ , no single SCC transfer length exceeded 0.82 of the value predicted using these codes.
- No VC transfer length was greater than 0.68 of any code-based prediction.
- Models proposed by Barnes et al. (2003) and Levy (2007) were more accurate and still conservative, on average, at predicting  $l_t$  than were the code-based models. However, one individual SCC transfer length exceeded the upper limit suggested by Barnes et al. (2003) by 12% (approximately 2 in.).
- No individual VC transfer length exceeded 93% of the upper limit suggested by Barnes et al. (2003).
- All of the least conservatively predicted transfer lengths were in exterior-end zones, and more BT-54 results approached the upper limits than did BT-72 results.

### 4.5.3 Recommendations

- Concerns about the full-scale bond behavior of SCC should not restrict the implementation of SCC in precast, prestressed applications. SCC transfer lengths measured in full-scale girders appear to be conservatively predictable and acceptably similar to those in companion, equivalent-strength VC girders.
- Based on these results and on the findings of Levy (2007) regarding moderate-strength Alabama concrete, no changes to the existing design predictions are recommended at this time. While the methodology recommended by Barnes et al. (2003) and Levy (2007) provided the best predictions *on average*, the variability of transfer lengths and their dependence on exposed strand length and girder size preclude any reduction in the existing predictions.

## **Chapter 5: Time-Dependent Deformability of Precast, Prestressed Concrete**

### **5.1 Introduction**

Self-consolidating concrete can exhibit different time-dependent deformation tendencies than VC of the same compressive strength or intended use because it frequently incorporates different constituent proportions than VC. Time-dependent deformation of concrete is considered in two parts: creep, or the time-dependent increase in strain under a sustained compressive load, and shrinkage, or the time-dependent, load-independent contraction due to drying and hydration of concrete.

Drying shrinkage occurs as water escapes concrete due to a difference between its internal humidity and the surrounding relative humidity. Shrinkage due to the chemical hydration of portland cement, which can occur even in concrete exposed to 100% relative humidity, is referred to as autogenous shrinkage. It is impossible to distinguish between autogenous and drying shrinkage in a particular concrete without exposing matching specimens to both 100% relative humidity and ambient relative humidity conditions, so the two are frequently grouped together and termed “free shrinkage” (Neville 1996; Mindess et al. 2003). Furthermore, creep has been found to increase in concrete exposed to both sustained stress and drying at the same time. While creep can thus be classified as basic creep or drying creep, it is common practice to ignore the distinction and consider creep to equal the deformation under load in excess of the sum of the initial elastic strain and accumulated free shrinkage strain (Mehta and Monteiro 2006).

While the underlying mechanisms are complicated, the effects of creep and shrinkage are direct—they induce concrete length change. Depending on restraint and loading conditions, this can lead to stress development, cracking, and changes in deflections in concrete structures. In prestressed members, these length changes also result in a change in length of the prestressing tendons which directly relates to maintenance of prestress force—prestress force decreases as the strands and the surrounding concrete contract. Because of this dependence, accurate prediction of long-term time-dependent deformation is crucial in the design of prestressed structures (Khayat and Mitchell 2009).

Many of the deformation prediction models currently in use are based on outdated research and were formulated using assumptions that may no longer be valid in current practice. The applicability of these models to SCC behavior is especially questionable. To address this, the AUHRC team evaluated time-dependent deformability of the SCC and VC used to construct the Hillabee Creek Bridge. This evaluation was completed using specimens cast during production days SCC-B, SCC-C, SCC-E, VC-B, and VC-F, thus including concrete placed in all four spans of the completed bridge. By testing multiple batches of the same mixtures that had been produced under varied exposure conditions, valuable insights were gained regarding the acceptability and relative predictability of precast, prestressed SCC and VC time-dependent deformability.

### **5.1.1 Chapter Objective**

The primary objective of the work documented in this chapter was to evaluate the acceptability of the time-dependent deformability exhibited by the SCC used during

Alabama's first full-scale implementation of SCC in an in-service precast, prestressed bridge. The research team selected several tasks necessary to achieve the primary objective of this evaluation:

- Evaluate the time-dependent deformation of specimens in response to sustained compressive loads and in response to material drying and hydration mechanisms,
- Compare measured time-dependent deformations to those predicted by several widely used analytical methods, and
- Determine adjustments to the assessed analytical models if necessary to improve their accuracy.

### **5.1.2 Chapter Outline**

Much of the work conducted during this research is documented elsewhere (Ellis 2012; Keske et al. 2013a). For brevity, only portions of the existing literature that have been newly published since the time of those publications or that were not directly discussed in them are summarized in Section 5.2. A brief overview of the analyzed prediction methods is also given in this section to highlight their differences and reasons for inclusion. The experimental plan developed for this research project, which was previously documented by Ellis (2012), is briefly reviewed in Section 5.3.

Information regarding specimen nomenclature and usage of data is also presented in this section. The most relevant results of the creep and shrinkage testing are then presented in Section 5.4. Measured results are directly compared, followed by statistical and practical comparisons of measured results to predicted results. Finally, adjustments that could be applied to the reviewed prediction methods are presented, and the adjusted

models are evaluated with respect to the data collected during this project. All conclusions and recommendations derived from this study are summarized in Section 5.5. Prediction models and adjustment factors that may be used by ALDOT when considering SCC are recommended, and potential future research topics are noted.

## 5.2 Review of Existing Literature

Volumetric change of concrete over time is an inherent property of the material, and it is influenced by a variety of factors that are interdependent. From ACI 209 (1992), some of these influences include

- Concrete composition including paste content,  $w/cm$ , and aggregate type,
- Environmental conditions such as ambient humidity, in which less contraction is experienced when a higher relative humidity is maintained,
- Geometric member properties including volume-to-surface-area ratio ( $V/S$ ), in which decreasing  $V/S$  leads to increasing deformation, and
- Stress state, in which stress concentrations or inelastic-level stresses cause less predictable deformation responses.

In this research, the primary differences between the studied SCC and VC involve only the first of these—changes in mixture materials and proportions incorporated to yield self-consolidating behavior. While the other factors are significant, they were approximately the same for both materials. Specimens of SCC and VC were always geometrically identical, they were each loaded proportionally to  $f_c$ , and they were all

exposed to very similar ambient conditions in the field or in controlled environmental conditions maintained for standardized assessment.

Differences in volumetric-change behavior can be evaluated either by observing structural behaviors that are affected by the volumetric change or by measuring volumetric changes in representative samples. Literature concerning the evaluation of time-dependent behavior in representative samples is reviewed in the following sections of this chapter. The effect of time-dependent deformation on prestress losses of full-scale girders is discussed in Chapter 6 because this property was evaluated in the Hillabee Creek Bridge girders.

### **5.2.1 Creep and Shrinkage of Self-Consolidating Concrete**

The changes in concrete mixture constituents and proportions frequently used to achieve self-consolidating behavior (discussed in Section 2.2.1) can affect the hardened mechanical performance of the material (discussed in Section 3.2.3.1). Likewise, these changes can also affect volumetric stability of the material. In concrete, decreases in volume over time take place in the paste phase (cementitious material and water), while aggregate experiences almost no volumetric change and acts to restrain the contraction of the paste (Mehta and Monteiro 2006; Mindess et al. 2003; Neville 1996). Thus, greater time-dependent volumetric change is expected in concrete mixtures with greater paste volumes (Neville 1996; Mehta and Monteiro 2006). This dependence on paste volume has been widely cited as the main reason that SCC may exhibit more time-dependent deformation than VC (EPG 2005; *fib* 2010; Koehler et al. 2008; Naito et al. 2005; Ziehl et al. 2009).

Results have been inconsistent concerning the influence of SCMs, such as fly ash and slag cement, on time-dependent deformability. Some researchers (Khayat 1999; Raghavan et al. 2002; Schindler et al. 2007) found deformability to be reduced through the use of SCMs, while others (Horta 2005; Khayat and Mitchell 2009) found that it was increased. The effects of SCMs at least partly relate to the delayed strength gain associated with their use (Mehta and Monteiro 2006; Mindess et al. 2003). Compliance (strain per unit of stress) has been found to be inversely proportional to the strength of concrete at the time of load application over a wide range of strengths. Because SCMs such as slag cement tend to delay strength gain, concrete made with SCMs may exhibit greater early-age deformability (Peirard et al. 2005; Ziehl et al. 2009). Pierard et al. (2005) further found that slag cement (which was utilized in this project) also affects the load-independent free shrinkage behavior of concrete by delaying and prolonging drying.

The effect of aggregate on time-dependent deformability is two-fold: increasing aggregate content coincides with a reduction in the paste volume of the concrete (thus indirectly reducing the potential for time-dependent deformation), and it directly relates to the stiffness of the material. Its contribution to  $E_c$  was discussed in detail in Section 3.2.3, and its effect on creep and shrinkage is similar—use of stiff aggregate restrains the volumetric deformation of the material (Mehta and Monteiro 2006). Therefore, SCC is expected to exhibit greater deformability when the volume of stiff coarse aggregate is reduced in the mixture (Khayat and Mitchell 2009; Koehler et al. 2007; Zia et al. 2005).

Similar to the effect of  $s/agg$  on  $E_c$ , Koehler et al. (2007) and Schindler et al. (2007) found that  $s/agg$  had essentially no effect on time-dependent deformability. Trejo et al. (2008), who worked with Koehler et al. (2007), hypothesize that the effect of  $s/agg$

on time-dependent deformability is minimized when elastic properties of the coarse and fine aggregates are similar. Ziehl et al. (2009) further found that SCC time-dependent properties were improved by the use of a larger  $s/agg$  because a weak coarse aggregate was incorporated in all mixtures tested during that research. Conflicting with these findings, Khayat and Mitchell found that increasing  $s/agg$  directly contributed to increased free shrinkage but had minimal effect on creep behavior.

Mehta and Monteiro (2006) and Neville (1996) conclude that  $f_c$  is strongly related to creep and shrinkage, both for direct and indirect reasons. Higher  $f_c$  may be achieved through the use of a lower  $w/cm$  or by other means, such as by increasing the content of high-quality aggregate. Reducing  $w/cm$  reduces water availability (which directly reduces creep and shrinkage), while the effects of increasing aggregate content have previously been discussed. Specifically regarding shrinkage, reducing  $w/cm$  increases autogenous shrinkage while reducing drying shrinkage. Thus, the effects of these changes on total free shrinkage depends upon the mixture.

Many underlying factors affect  $f_c$  (some of which are discussed in Section 3.2.3), and it is difficult to change one mixture variable without affecting others. For example, reducing the  $w/cm$  while keeping the cement content constant reduces the paste *volume* (because less water is used). This volumetric reduction (at a constant cement content) is offset by increasing the aggregate content.

Because mixture proportioning can be varied in many ways to produce concretes of similar mechanical properties ( $f_c$  or  $E_c$ ), findings regarding SCC creep and shrinkage versus those of vibrated concrete have been inconsistent. The current European Model Code (*fib* 2010) notes in Sections 5.1.9.4.3 and 5.1.9.4.4 that SCC may exhibit 10–20%

greater creep deformation and 20% greater shrinkage due to its increased paste content but that “deformations are within the scatter band for ordinary structural concrete, which is defined to be  $\pm 30\%$ .” This accepted level of precision is important when considering the accuracy of the prediction models described in Sections 5.2.2 and 5.2.3.

### **5.2.2 Creep Prediction Methods**

Four current creep prediction models were selected for evaluation in this research. They include the model proposed by the ACI Committee for Creep and Shrinkage in Concrete (ACI 209 1992), the current model from Section 5.4.2.3.2 of *AASHTO LRFD* 6<sup>th</sup> Edition (AASHTO 2013), the SCC-specific adaptation of the AASHTO provisions developed by Khayat and Mitchell (2009), and the current model used in the European Model Code (*fib* 2010). These are referred to as the ACI 209, AASHTO 2013, NCHRP 628, and MC 2010 models, respectively, in the following subsections.

Several other creep prediction models, including older versions of the models used by AASHTO and *fib*, exist in the literature. These models were excluded from this report for several reasons:

1. They are outdated and are not regularly specified (especially among codes in which a more recent version of the same model has been implemented),
2. They are of little value to ALDOT, the chief sponsor of this research for whom these findings were prepared, due to the prevalence of the *AASHTO LRFD* specification, and
3. They were found to be no more accurate during other past studies of Alabama SCC creep conducted by Kavanaugh (2008) and Kamgang (2013).

### 5.2.2.1 ACI 209

The ACI Committee for Creep and Shrinkage of Concrete (ACI 209) has recommended the same creep prediction model since publishing its report on the topic in 1992 (*Prediction of Creep, Shrinkage, and Temperature Effects in Concrete Structures*). The prediction method yields an ultimate creep coefficient,  $v_u$ , which is adjusted to account for mixture properties, loading age, specimen geometry, and environmental conditions. Defined as the ratio of creep strain to initial elastic strain resulting from the application of load, the ultimate creep coefficient is computed by the following equation:

$$v_u = 2.35(\gamma_{la} \gamma_{\lambda} \gamma_{vs} \gamma_{\psi} \gamma_s \gamma_a) \quad (5-1)$$

Where

$\gamma_{la}$  is the loading age correction factor,

$\gamma_{\lambda}$  is the relative humidity correction factor,

$\gamma_{vs}$  is the volume-to-surface-area ratio correction factor,

$\gamma_{\psi}$  is the fine aggregate percentage correction factor,

$\gamma_s$  is the slump correction factor, and

$\gamma_a$  is the air content correction factor.

The correction factors seen in Equation 5-1 are applied to the standard ultimate creep coefficient (2.35 in the equation) to account for conditions other than standard concrete composition and conditions. The derivations of these correction factors are given in ACI 209 (1992) and are discussed in relation to this project by Ellis (2012). Notable among them are  $\gamma_{\psi}$  and  $\gamma_s$ , which could have specific implications for SCC. Of

the four creep prediction methods evaluated in this research, ACI 209 is the only method that specifically accounts for fine aggregate content or slump (water content).

Fine aggregate content was directly accounted for using the mixture proportions shown in Table 3.1. Meanwhile, the ACI 209 creep prediction method was developed before the introduction of HRWRA (and HRWRA-induced slumps or slump flows). Therefore, slump values had to be adjusted to account for the high admixture-induced slumps that occurred in these prestress-suitable mixtures. In past AUHRC research (Kamgang 2013; Kavanaugh 2008), an equivalent wet slump of 0.0 in. was chosen for SCC mixtures and a slump of 0.5 in. was chosen for prestress-suitable VC mixtures when determining the slump correction factor.

In addition to  $v_u$ , ACI 209 accounts for the growth in creep over time using a time-rate function. To ascertain the predicted creep coefficient for intermediate times of interest—such as at the time of girder erection—the ultimate creep coefficient is multiplied by a time parameter,  $v_t$ , that accounts for the time elapsed since the load was applied:

$$v_t = \frac{t^{0.6}}{10 + t^{0.6}} \quad (5-2)$$

In Equation 5-2,  $t$  is the length of time after loading (in days). After determining the creep coefficient at a given time,  $v_u(t)$ , the creep strain,  $\epsilon_{cr}$ , for a constant load is predicted by multiplying  $v_u(t)$  by the initial elastic strain due to that load.

#### **5.2.2.2 AASHTO 2013**

The current *AASHTO LRFD* creep prediction method (AASHTO 2013) was first implemented in the 2005 version of the *AASHTO LRFD Bridge Design Specifications*.

This method may be used to determine the effects of creep on the loss of prestressing force in bridges that are not segmentally constructed, as discussed in Section 5.9.5.4 of the provisions and in Chapter 6 of this dissertation. It is applicable for specified concrete strengths up to 15,000 psi, and the predicted creep is influenced by the magnitude and duration of the load applied, the maturity of the concrete at loading, and the relative humidity of the concrete. The *AASHTO LRFD* creep coefficient,  $\psi(t, t_i)$ , is computed using the following equation:

$$\psi(t, t_i) = 1.9(k_{hc} k_s k_f k_{td})t_i^{-0.118} \quad (5-3)$$

Where

$k_{hc}$  is the relative humidity correction factor,

$k_s$  is the volume-to-surface area ratio correction factor,

$k_f$  is the concrete strength correction factor,

$k_{td}$  is the time development correction factor, and

$t_i$  is the age of the concrete at the time of load application (days).

The time development correction factor,  $k_{td}$ , can be used for both precast and cast-in-place concrete components and for accelerated and non-accelerated curing conditions because it is assumed that the load is applied after curing ends. This parameter is given by the following equation:

$$k_{td} = \frac{t}{61 - 4f'_{ci} + t} \quad (5-4)$$

In Equation 5-4,  $t$  is the amount of elapsed time (in days) since application of the sustained load. While the formulation of the above correction factors is different than those of the ACI 209 model, the principles are similar—they account for conditions other

than the standard conditions in which the model was calibrated, and they include mixture and exposure conditions typically known by the engineer during design. After determining the creep coefficient, the predicted strain due to creep,  $\epsilon_{cr}$ , is obtained by multiplying  $\psi(t, t_i)$  by the elastic strain that would result from a given load.

### 5.2.2.3 NCHRP 628

The NCHRP 628 model was developed as part of the National Cooperative Highway Research Program (NCHRP) Project 18-12 (Khayat and Mitchell 2009). Objectives of the project were to develop guidelines for the use of SCC in precast, prestressed concrete bridge elements and to recommend relevant changes to *AASHTO LRFD Bridge Design and Construction Specifications*. This model uses the AASHTO 2013 model format; however, it contains a specific modification for SCC,  $A$ , that depends upon cement type. Thus, the creep coefficient,  $\psi(t, t_i)$ , is computed according to the following equation:

$$\psi(t, t_i) = 1.9(k_{hc} k_s k_f k_{td})t_i^{-0.118}A \quad (5-5)$$

In Equation 5-5,  $A$  equals 1.19 for SCC incorporating Type I/II cement and 1.35 for SCC incorporating Type III cement with a 20% fly ash replacement (Class F fly ash was used during that project). All other factors are the same as those described following Equations 5-3 and 5-4.

While the  $A$  correction factor accounts for the use of SCC, it was only calibrated for two specific cementitious classes, neither of which was used in this project. Based on the proportions shown in Table 3.1, it was judged that the combination of cementitious materials used to make the SCC in this study is closer to the latter cementitious

combination. This cementitious class was also chosen in past AUHRC research (Kamgang 2013) involving concrete mixtures similar to those used in this project.

#### **5.2.2.4 MC 2010**

MC 2010 is the latest version of the CEB-FIP Model Code (*fib* 2010), and it is applicable for concretes with  $f_c$  up to approximately 18,000 psi. Like the other methods, the MC 2010 method yields an ultimate creep coefficient,  $\varphi_o$ , that includes a coefficient to account for development of creep over time after loading,  $\beta_c$ . The creep coefficient at any intermediate time,  $\varphi(t, t_o)$ , is computed from

$$\varphi(t, t_o) = \varphi_o[\beta_c(t, t_o)] \quad (5-5)$$

In Equation 5-5,  $t$  is the age of concrete at the moment considered (in days) and  $t_o$  is the age of concrete at loading. Notably,  $t_o$  is based on the maturity-adjusted age at loading considering the curing history to which the concrete was exposed prior to loading. The creep development coefficient,  $\beta_c$ , is similar in nature to Equation 5-2, except that it is also a function of relative humidity. Both  $\varphi_o$  and  $\beta_c$  also incorporate factors to account for compressive strength, maturity-adjusted age at loading, and cement class, all of which are discussed in detail by Ellis (2012).

### **5.2.3 Shrinkage Prediction Methods**

The four references described above also include unique shrinkage prediction models that were evaluated in this research. Like in the previous section, these are referred to as the ACI 209, AASHTO 2013, NCHRP 628, and MC 2010 shrinkage models, respectively, in the following subsections. More specifically, the AASHTO 2013 provisions allow the

use of any one of several methods to predict shrinkage behavior, but the “AASHTO 2013” model assessed comes from Section 5.4.2.3.3 of the provisions. In addition to these four, a fifth model was investigated that is based on a widely accepted European code—the *Eurocode 2: Design of Concrete Structures* (2004). The “Eurocode 2” method was convenient to investigate because the code incorporates the same creep prediction method as the MC 2010 but a slightly different shrinkage prediction method. It could thus produce a different prediction for total time-dependent strain.

Several other shrinkage prediction models, including older versions of the models used by AASHTO and *fib*, exist in the literature. These models were excluded from this report for several reasons:

1. They are outdated and are not regularly specified (especially among codes in which a more recent version of the same model has been implemented),
2. They are of little value to ALDOT, the chief sponsor of this research for whom these findings were prepared, due to the prevalence of the *AASHTO LRFD* specification, and
3. They were found to be no more accurate during other past studies of Alabama SCC conducted by Kavanaugh (2008).

#### **5.2.3.1 ACI 209**

Like the ACI 209 creep prediction method, the shrinkage prediction is based on determining an ultimate value,  $(\epsilon_{sh})_u$ , that is modified for intermediate times by a time development factor. Thus, the ultimate shrinkage strain is computed by the following equation:

$$(\epsilon_{sh})_u = 780(10)^{-6}(\gamma_\lambda \gamma_{vs} \gamma_\psi \gamma_s \gamma_a \gamma_c) \quad (5-6)$$

Where

$\gamma_\lambda$  is the relative humidity correction factor,

$\gamma_{vs}$  is the volume-to-surface-area ratio correction factor,

$\gamma_\psi$  is the fine aggregate percentage correction factor,

$\gamma_s$  is the slump correction factor,

$\gamma_a$  is the air content correction factor, and

$\gamma_c$  is the cement content correction factor.

The adjustment factors shown above, which are applied for the same purposes as those in Equation 5-1, are calculated using equations discussed further by Ellis (2012) and are applied to the standard ultimate shrinkage strain (-780  $\mu\epsilon$  in the equation). In addition to the slump (water content) correction and fine aggregate percentage correction factors, the cement content correction factor,  $\gamma_c$ , is of interest particularly for SCC. Among the five shrinkage prediction models evaluated in this research, the ACI 209 method is the only method that specifically accounts for cement content; only some of the other methods even account for *type* of cementitious material. No guidance is given concerning the use of SCM, so the use of total powder content (portland cement plus SCMs) is feasible.

To ascertain the predicted shrinkage strain for intermediate times of interest such as at the time of girder erection, the ultimate shrinkage is multiplied by a time parameter,  $(\epsilon_{sh})_t$ , that accounts for the time elapsed since the concrete was exposed to drying:

$$(\varepsilon_{sh})_t = \frac{t}{X + t} \quad (5-7)$$

In Equation 5-7,  $t$  is the length of time after initial curing (in days), and  $X$  depends on the type of curing (accelerated or non-accelerated). For concrete exposed to accelerated curing for 1–3 days,  $X = 55$ . No guidance is given for accelerated curing times less than 1 day. This was of importance to the evaluated data, as initial curing was frequently of a shorter duration (see Table 3.8 for ages in hours). After determining the time correction factor using Equation 5-7, the shrinkage strain at time  $t$ ,  $\varepsilon_{sh}(t)$ , is predicted by multiplying the ultimate shrinkage strain by the time factor.

### 5.2.3.2 AASHTO 2013

The current *AASHTO LRFD* shrinkage prediction method may be used to determine the effects of shrinkage on the loss of prestressing force in bridges that are not segmentally constructed, as discussed in Section 5.9.5.4 of the provisions and in Chapter 6 of this dissertation. Like the ACI 209 shrinkage model, the model involves calculation of an ultimate shrinkage strain,  $(\varepsilon_{sh})_u$ , that is modified for intermediate times by a time development factor. The ultimate strain is computed using the following equation:

$$\varepsilon_{sh} = 480(10)^{-6}(k_{hs} k_s k_f k_{td}) \quad (5-8)$$

Where

$k_{hs}$  is the relative humidity correction factor,

$k_s$  is the volume-to-surface area ratio correction factor,

$k_f$  is the concrete strength correction factor, and

$k_{td}$  is the time development correction factor.

Of the above factors, all except  $k_{hs}$  are calculated according to the same equations as used for the AASHTO 2013 creep prediction model. All are described further by Ellis (2012). After determining the ultimate shrinkage strain, the predicted shrinkage strain at intermediate times is calculated as in the AASHTO 2013 creep prediction method.

### 5.2.3.3 NCHRP 628

The NCHRP 628 shrinkage prediction model was developed by modifying the pre-2005 *AASHTO LRFD Bridge Design Specifications*. It is recommended specifically for shrinkage predictions of SCC for precast, prestressed applications. The strain due to shrinkage at any time,  $t$ , after drying exposure is calculated for accelerated-cured concrete according to Equation 5-9:

$$\varepsilon_{sh} = 560(10)^{-6}(k_s k_h)\left(\frac{t}{55 + t}\right)A \quad (5-9)$$

Where

$k_s$  is the size factor,

$k_h$  is the relative humidity factor,

$t$  is the drying time (in days) after initial curing, and

$A$  is the cement factor for SCC only, equaling 0.918 for Type I/II cement or 1.065 for Type III cement plus 20% fly ash replacement.

In the above correction factors,  $k_s$  is used to account for  $V/S$ . The time-adjustment factor shown in Equation 5-7 is integrated as would be necessary when computing shrinkage at intermediate times using the ACI 209 shrinkage model. All factors are discussed in detail by Ellis (2012).

#### 5.2.3.4 MC 2010

The current *Model Code* shrinkage prediction model has been in use since 1999, when the *fib* revised the MC 90 shrinkage prediction method. The total shrinkage of concrete predicted using the MC 2010 method is given by

$$\varepsilon_{sh}(t, t_c) = \varepsilon_{cas}(t) + \varepsilon_{cds}(t, t_c) \quad (5-10)$$

Where

$\varepsilon_{cas}$  is the autogenous shrinkage strain,

$\varepsilon_{cds}$  is the drying shrinkage strain,

$t$  is the age of concrete at the moment considered (days), and

$t_c$  is the age of concrete at the beginning of drying (days).

The derivations of these components are given in the MC 2010 code (*fib* 2010) and are discussed in relation to this project by Ellis (2012). In the derivations, autogenous shrinkage is not dependent on the concrete maturity when initial curing ends, relative humidity, or  $V/S$ , but it is dependent on the concrete strength at twenty-eight days. Both it and the drying shrinkage component are modified by the cement *type*, with distinction between slow-hardening cements, normal-to-rapid hardening cements, and rapid-hardening high-strength cements.

### 5.2.3.5 Eurocode 2

Like the MC 2010 model, the Eurocode 2 shrinkage prediction model distinguishes between autogenous shrinkage and drying shrinkage. The model is similar to the one employed by MC 2010, except with some different correction factors that are described by Ellis (2012). Distinctions described further in the referenced report include that

- Drying shrinkage is determined through direct application of  $V/S$  in the MC 2010 model but as a function of notional cross-sectional size (cross-sectional area divided by the length of perimeter exposed to drying) in the Eurocode 2,
- Numerical factors to account for cement type are slightly different between the models, although the same three cement classes are delineated—slow-hardening, normal-to-rapid hardening, or rapid-hardening high-strength cement, and
- Autogenous shrinkage calculated according to the Eurocode 2 model considers the compressive strength specified at any concrete age,  $t$ , but it is calculated using the mean 28-day  $f_c$  within the MC 2010 model.

## 5.3 Experimental Program

### 5.3.1 Measurement of Time-Dependent Strain in Cylindrical Specimens

Much of the experimental work pertaining to this research program has been described in Section 3.3.3 of this dissertation and elsewhere by Ellis (2012). Important information from those sources is summarized by the following:

- Cylinders were produced for time-dependent deformation testing during five production days: SCC-B, SCC-C, SCC-E, VC-B, and VC-F, thus including concrete placed in all four spans of the completed bridge.

- All cylinders were tested for time-dependent deformation in accordance with ASTM C512 (2002) and were stored in a temperature- and humidity-controlled environment from the time of initial loading until when they were tested for late-age strength and elasticity (as described in Section 3.3.3.1).
- As with the strength and  $E_c$  assessments of Chapter 3, the exact placement location of the sampled batches within the girders could not be determined. Samples taken at the midpoint of each production day were assumed to be representative of the majority of concrete placed during that day.
- Three curing regimes were implemented: match curing based on the measured temperature at the center of the bottom bulb of the girders, steam-curing in the recesses of the formwork followed by temperature- and humidity-controlled storage, and steam-curing followed by approximately one year of ambient-exposure similar to that experienced by the girders.
- A single SCC and a single VC mixture were used throughout girder production (discussed further in Section 3.3.1.1) and each set of cylinders (within and between production days) was exposed to a different curing and exposure history.
- In addition to concrete cylinders, free shrinkage prisms were produced for testing according to ASTM C157 (2008) from production groups SCC-E, VC-E, and VC-F. Additional free shrinkage prisms were produced during the placement of concrete in each span of the deck of the bridge over Hillabee Creek.

Assessment of time-dependent deformation according to ASTM C512 (2002)

*Standard Test Method for Creep of Concrete in Compression* consists of two parts:

measurement of the free shrinkage of unloaded cylindrical concrete specimens and measurement of the *total deformation* of companion cylinders exposed to the same drying conditions plus a known sustained compressive stress. Load-induced strain is then determined by subtracting the measured shrinkage strain in the unloaded cylinders from the measured total strain in the loaded cylinders. Finally, creep strain is then determined by subtracting the initial elastic strain from the calculated load-induced strain. These quantities are presented graphically in Figure 5.1.

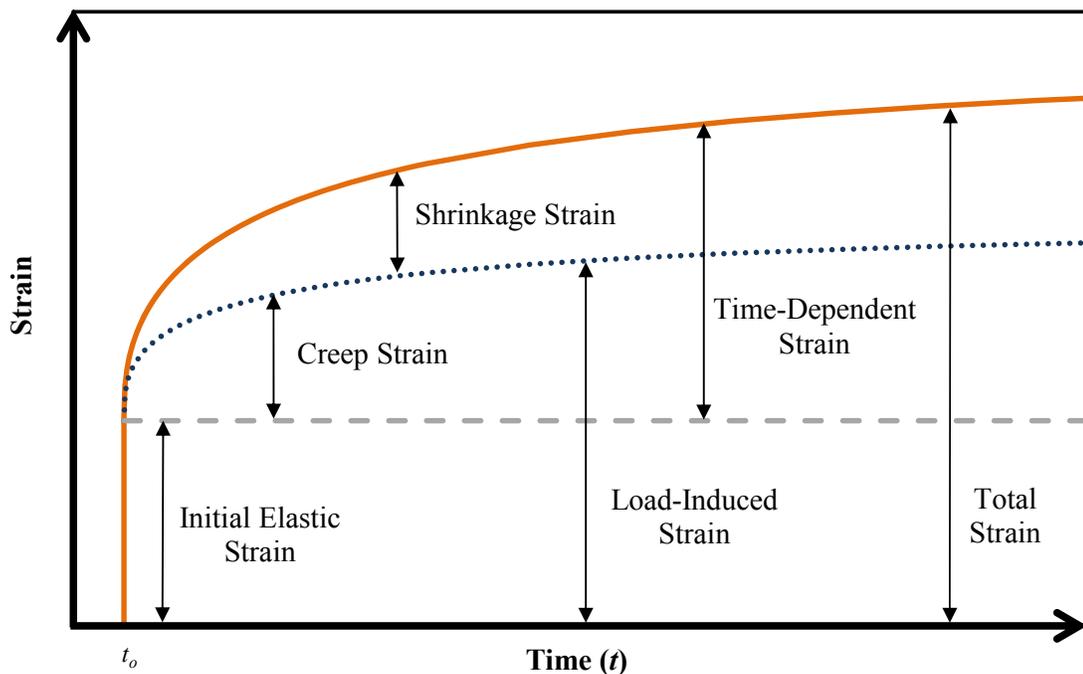


Figure 5.1: Components of strain in unrestrained concrete

During testing according to ASTM C512 (2002), it is difficult to precisely distinguish between instantaneous elastic strain and rapidly evolving creep strain at the beginning of testing because it may take several minutes to execute the cylinder loading process. For reference, notice that time-dependent strain evolves most rapidly at early

ages in Figure 5.1. Therefore, the initial measurement of load-induced strain that is obtained once the total load is applied can include a creep component that is impossible to accurately quantify (ACI 209 2008).

### 5.3.1.1 Reporting of Measured Time-Dependent Strain

Experimental determination of the creep coefficient, which is traditionally defined as the ratio of creep strain to initial elastic strain, is particularly sensitive to slight inaccuracies in the initial strain measurement (ACI 209 2008). Because of this, creep effects were assessed in this report primarily by considering the total load-induced deformation attributable to a sustained load. A standard measure of this phenomenon is the compliance,  $J(t, t_i)$ . Compliance represents the total load-induced strain (elastic strain *plus* creep strain) at age  $t$  per unit of uniaxial stress due to a load maintained since loading age,  $t_i$ . ACI 209 (1992) defines it as follows:

$$J(t, t_i) = \frac{\text{Total Strain} - \text{Shrinkage Strain}}{\text{Applied Stress}} \quad (5-11)$$

Compliance values allow for a more accurate comparison of creep results because they are normalized for applied load levels (ACI 209 1992), but the use of  $J$  implicitly emphasizes some concrete material properties and de-emphasizes others. Because it includes the initial elastic strain component,  $J$  is dependent upon  $E_{ci}$ —initial compliance *should* equal the inverse of  $E_{ci}$  since no time-dependent change would occur during theoretically instantaneous loading. Consequently, concrete with a higher  $E_{ci}$  exhibits less initial (elastic) compliance, regardless of the creep it may experience. In this way,  $J$  may de-emphasize the creep component—a material with high initial deformation but

less creep deformation still exhibits a larger  $J$  than one with lower relative initial deformation, at least until later ages.

The reporting of  $J$  instead of measured creep strain also makes it impossible to compare the magnitude of creep strain to the magnitude of shrinkage strain. This is not of concern during this analysis, as it would be inappropriate to directly compare the measured creep strain, load-induced strain, or total strain in SCC and VC. Each set of cylinders exhibited a different  $f_{ci}$  and  $E_{ci}$  and was loaded to a different *force*, so compliance results are only comparable because they are normalized for stress.

### **5.3.1.2 Batch-Specific Considerations and Specimen Nomenclature**

In addition to the basic nomenclature shown in Figure 3.17, identification suffixes were necessary for identification of the specimens produced for this testing. Cylinders were loaded at up to three different ages (at transfer, at approximately twenty-six hours, and at approximately one year), so the first identifier is based on the order of loading: -1, -2, or -3, respectively. Thus, two sets of cylinders were tested from SCC-B (SCC-B-1 and SCC-B-2), while three sets were tested from the other four referenced production groups. Additionally, free-shrinkage prisms are denoted with a “-P” suffix, as they were treated independently and were all tested using standardized practices.

Previously noted in Table 3.2, the match-curing apparatus used to cure some of the SCC-B-1 cylinders did not function correctly. The cylinders affected by this malfunction were not marked, so the maturity of the SCC-B-1 group is unclear. Consequently, this group is excluded from all prediction method analyses and calibrations discussed in Section 5.4. The second set of cylinders tested from production

day SCC-B was unaffected by this malfunction, and they continue to be labeled SCC-B-2 through this report for continuity.

Additionally, two other sets of cylinders were not loaded to the intended target load, so these two sets are henceforth denoted as SCC-E-2U and VC-F-2U to indicate that they were under-loaded. These two sets are excluded from the analysis and calibration of load-dependent deformation predictions because the precision of the measurements would be disproportionately significant in these cylinders. Curing and drying of these sets was effectively controlled and free shrinkage measurement is load-independent, so the sets are still included in the analysis and calibration of shrinkage prediction models.

The aged-then-loaded cylinders (denoted “-3” where applicable) were exposed to uncontrolled ambient conditions for one year before being tested for time-dependent deformability. Consequently, the free shrinkage behavior of these sets was not expected to conform to any prediction methods. Because of the potential for variation due to the uncontrolled curing conditions, these aged-then-loaded cylinders were analyzed only to assess whether compliance responses are comparable or as predictable if loads are applied at a later age.

Gardner and Tsuruta (2004) and Yue and Taerwe (1993) found that, when the sustained load in concrete changes (as would be the case when adding a deck over girders), the subsequent creep can be predicted by superimposing functions that describe the creep response to each load. Consequently, these aged-then-loaded cylinders provided valuable insight into whether the evaluated (or calibrated) creep prediction functions could be used for such later-age superposition of predictions.

## 5.3.2 Prediction of Time-Dependent Strains

### 5.3.2.1 Application of Prediction Methods

All of the referenced creep prediction models yield a creep coefficient based on the model-specific inputs reviewed in Section 5.2 (such as applied stress,  $f_c$ , relative humidity, age at the time of loading, etc.). This creep coefficient can then be applied to the elastic deformation corresponding to the applied stress to determine the creep strain. In light of the chosen reporting convention, conversion of these strains to predicted compliance values was necessary before they could be compared to the measured values obtained according to the testing method described earlier.

To most accurately evaluate the prediction models, it was necessary to base the predictions on measured concrete properties and exposure conditions whenever possible. The measured, utilized properties are shown in Table 5.1 at the end of this section. Thus, predictions of the time-dependent behavior of these full-scale cylinders were based on the following procedures:

- Elastic strain was calculated by dividing the actual applied stress by the measured  $E_{ci}$  of companion cylinders tested in accordance with ASTM C469 (2010).
- Creep strain was predicted by multiplying the predicted creep coefficient by the elastic strain calculated above.
- Compliance was predicted by dividing the sum of the creep strain (predicted by the model) and elastic strain (calculated using  $E_{ci}$ ) by the actual applied stress as in Equation 5-11.

- Shrinkage predictions, which were compared directly to measured shrinkage strains, were based on the measured geometric, material, and exposure properties of the tested cylinders ( $V/S$ , relative humidity, etc.).
- Total-strain predictions consisted of the sum of the predicted creep strain (based on the predicted creep coefficient), elastic strain (based on measured  $E_{ci}$ ), and predicted shrinkage; these total-strain predictions were compared directly to the total strain measured in the creep-loaded cylinders.

### 5.3.2.2 Testing and Model-Specific Considerations

Prediction of compliance required application of the predicted creep coefficient to the elastic response calculated using the  $E_{ci}$  tested in cylinders according to ASTM C469 (2010). However, to accelerate the initiation of time-dependent deformation testing, only  $f_{ci}$  was evaluated in the laboratory-tested group of specimens while  $f_{ci}$  and  $E_c$  were evaluated in cylinders at the plant as part of the assessment presented in Chapter 3. Because  $E_c$  is widely considered to be proportional to the square root of  $f_c$  (see Chapter 3),  $E_{ci}$  of the specimens loaded for time-dependent deformation testing was estimated according to the following equation:

$$(E_{ci})_{lab} = (E_{ci})_{field} \frac{\sqrt{(f_{ci})_{lab}}}{\sqrt{(f_{ci})_{field}}} \quad (5-12)$$

In Equation 5-12, the properties of field-tested specimens (denoted with a “field” subscript) that were used to estimate  $E_{ci}$  of the laboratory-tested specimens are reported in Table 3.8. Laboratory- and field-tested cylinders were always produced from the same batch of concrete, and efforts were made to minimize differences in their temperature

histories. Comparisons of field- and laboratory-tested compressive strengths can be made by comparing Table 3.8 and Table 5.1 at the end of this section.

Each creep and shrinkage prediction model incorporates correction factors to account for different nonstandard material and exposure conditions. Pertinent assumptions and choices are summarized below, and additional information is contained in the thesis prepared by Ellis (2012):

- Factors based on cement content were assumed to be based on total powder content, which included a replacement of Type III cement with slag cement during this research.
- Factors based on cement type in the NCHRP 628 models were chosen based on the “Type III + 20% Fly Ash” classification used in those models. Consequently, *A*-values of 1.35 and 1.065 were utilized when evaluating SCC creep and shrinkage according to these models.
- The “rapid-hardening high-strength cement” classification used in the MC 2010 and Eurocode 2 models was chosen based on the ACI 209 (2008) recommendation for its use when evaluating concrete proportioned with Type III cement.
- Slump correction factors were chosen based on the slump achievable without the use of HRWRA, which was approximated to equal 0.0 inches for the SCC and 0.5 inches for the VC used during this research.
- Concrete aging and curing were assumed to begin at the time at which the water and cementitious material were mixed at the plant, and the end of initial curing

was assumed to occur when the cylinders were removed from their cylinder molds. Initiation of drying was assumed to coincide with the end of initial curing.

Notably, while ACI 209 (2008) recommends the use of the “rapid-hardening high-strength cement” factors in the European models when evaluating concrete proportioned with Type III cement, Section 5.1.9.4 of the MC 2010 provisions states that the use of SCMs (fly ash, specifically) may affect the applicability of the factors. SCMs may have contradictory effects: delayed hydration may directly increase early-age creep and reduce shrinkage, but overall creep and shrinkage may also be affected as an indirect result of the relative reduction in portland cement content (*fib* 2010).

The European models incorporate ages that have been adjusted to reflect the actual maturity of accelerated-cured specimens, while the other models account for accelerated curing through the use of alternative factor derivations in conjunction with chronological ages. The methodology used to determine temperature-adjusted ages is discussed by Kamgang (2013) and Kavanaugh (2008), and considerations specific to this research are discussed by Ellis (2012). Chronological and temperature-adjusted ages are shown in Table 5.1 alongside the other measured and calculated inputs needed to apply the assessed prediction models. In the table, the inputs are as follows:

$t_{cure}$  is the length of initial curing

$t_i$  is the concrete age at which the load was applied, from the time of initial mixing

$t_i - t_{cure}$  is the length of time from initiation of drying to the application of load

$t_{i,T}$  is the temperature-adjusted age at loading

$t_{m,T}$  is the age at loading modified for temperature and cement class

$f_{ci}$  is the compressive strength at prestress transfer

$f_{c28}$  is the compressive strength at twenty-eight days

$E_{ci}$  is the estimated elastic modulus at transfer based on Equation 5-12

$C$  is the total cementitious content

$S$  is the adjusted slump (in.), and

$F$  is the applied and sustained compressive force.

Table 5.1: Inputs used in creep and shrinkage prediction calculations

Specimen ID	Measured Times			Adjusted Times		Mixture Properties			Measured Properties			
	$t_{cure}$ (days)	$t_i$ (days)	$t_i - t_{cure}$ (days)	$t_{i,T}$ (days)	$t_{m,T}$ (days)	$C$ (lb/yd <sup>3</sup> )	$Fines$ (%)	$Air$ (%)	$f_{ci}$ (ksi)	$f_{c28}$ (ksi)	$E_{ci}$ (ksi)	$F$ (kips)
SCC-B-2	0.99	1.15	0.15	4.55	9.57	892	48	3.0	8.93	10.8	6,450	102
SCC-C-1	0.89	0.99	0.10	3.86	8.78	892	48	4.2	7.88	10.18	6,050	88
SCC-C-2	0.91	1.12	0.21	3.10	7.84	892	48	4.2	7.49	10.18	5,900	86
SCC-C-3	0.91	350	349	352	355	892	48	4.2	10.91	10.91	6,300	127
SCC-E-1	0.75	0.84	0.09	3.26	8.04	895	47	4.3	7.06	10.77	5,550	84
SCC-E-2U	0.78	1.09	0.31	3.60	8.47	895	47	4.3	7.68	10.77	5,800	35
SCC-E-3	0.78	337	336	340	342	895	47	4.3	11.67	11.67	6,500	127
VC-B-1	0.81	0.90	0.09	2.41	6.86	820	38	4.5	7.11	9.67	6,350	81
VC-B-2	0.85	1.06	0.21	3.06	7.79	820	38	4.5	8.12	9.67	6,750	88
VC-B-3	0.85	355	354	357	360	820	38	4.5	12.10	12.10	6,850	135
VC-F-1	0.77	0.86	0.10	2.39	6.83	833	38	3.1	7.98	11.05	6,650	91
VC-F-2U	0.79	1.14	0.35	2.83	7.48	833	38	3.1	8.88	11.05	7,050	34
VC-F-3	0.79	331	330	333	336	833	38	3.1	11.79	11.79	7,450	134

## **5.4 Presentation and Analysis of Results**

Results and discussion relevant to the objectives of this chapter are presented in this section. First, measured time-dependent deformations are compared. Then, measured deformations are compared to those predicted using the methods described earlier. The statistical methodology chosen to avoid bias in these comparisons is also given. Finally, modifications to the reviewed models are proposed, and the modified models are reviewed for accuracy relative to the measured data.

### **5.4.1 Comparison of Measured Time-Dependent Deformation**

#### **5.4.1.1 Compliance and Creep**

In this section, the dependence of  $J$  on  $E_{ci}$  is especially important considering the SCC evaluated during this research. The evaluated SCC regularly exhibited a lower  $E_{ci}$  than that of the companion VC, which was expectable considering the changes required to induce self-consolidating behavior in the SCC (see Section for 3.5.2.5 for further discussion). With this in mind, comparisons of  $J$  should be useful relative to precast, prestressed applications, as prestress losses are related to both the initial elastic shortening and time-dependent deformation of the surrounding concrete.

##### **5.4.1.1.1 Compliance and Creep of Standard Specimens**

Compliance of the assessed mixtures is presented in Figure 5.2. Pertinent results from this data are then summarized in Table 5.2 below the figure. The data necessary to create this figure and table are presented in Appendix F. In both the figure and table, only

cylinders that were cured and tested according to ASTM C512 are presented; other, non-standard results are discussed in the next subsection.

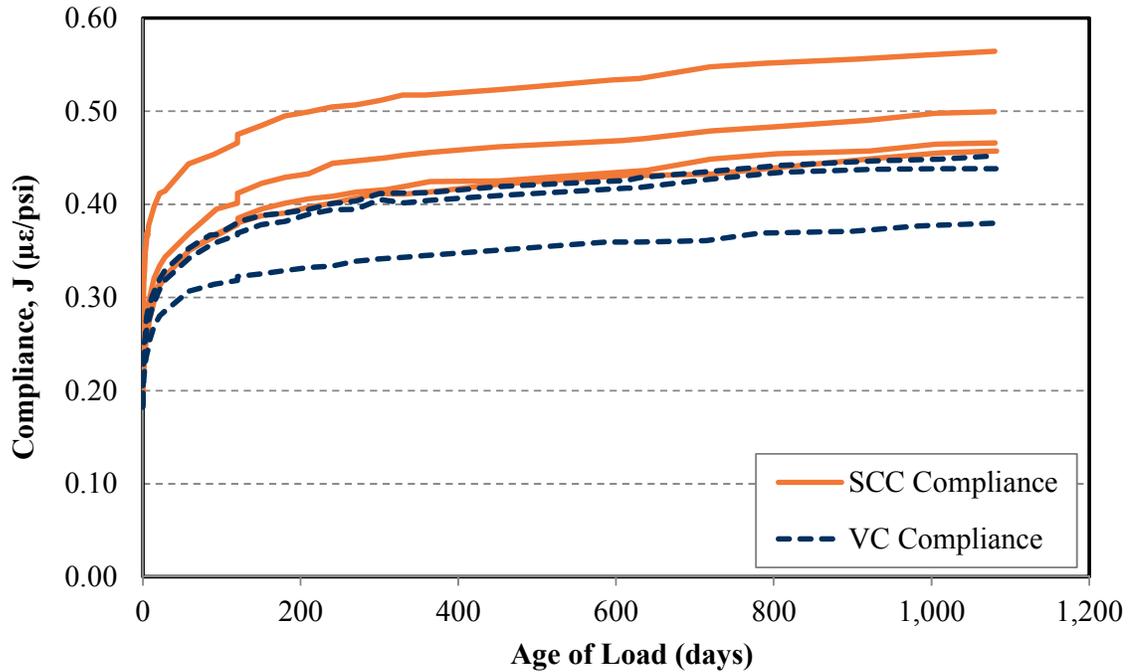


Figure 5.2: Measured compliance in specimens tested according to ASTM C512

Table 5.2: Compliance,  $J$ , of SCC and VC tested in accordance with ASTM C512

ID	Initial Compliance (με/psi)	56-Day Compliance (με/psi)	3-Year Compliance (με/psi)
SCC-B-2	0.20	0.35	0.46
SCC-C-1	0.21	0.37	0.50
SCC-C-2	0.19	0.35	0.47
SCC-E-1	0.25	0.44	0.56
<b>SCC Avg.</b>	<i>0.21</i>	<i>0.38</i>	<i>0.50</i>
VC-B-1	0.18	0.34	0.44
VC-B-2	0.18	0.35	0.45
VC-F-1	0.19	0.31	0.38
<b>VC Avg.</b>	<i>0.18</i>	<i>0.33</i>	<i>0.42</i>

In the table,  $J$  is presented for concrete ages at initial loading, fifty-six days, and three years. These three ages were chosen considering important ages in the life of precast, prestressed girders:

- 1) Initial  $J$  should relate to the concrete behavior at prestress transfer,
- 2) Fifty-six days is a reasonable estimate of the time at which most precast, prestressed girders are erected, and
- 3) Three-years is the best available estimate of the long-term service behavior of the tested mixtures.

The SCC cylinders exhibited  $J$  of approximately 15% more than in companion VC cylinders at all ages. This closely resembles the 10–15% reduction in  $E_{ci}$  discussed in Section 3.4.3.3, which could be expected between any two concretes that differ in mixture proportions. Thus, the difference in  $J$  should be expected of these evaluated mixtures. As noted previously, though, elastic effects could mask any differences in time-dependent deformation growth. Thus, isolation of time-dependent creep effects on  $J$  required consideration of the difficulties inherent to the testing process that were described in Section 5.3.1.

Considering that unmeasurable time-dependent effects resulting from creep testing would be approximately equal and random between all tests, creep compliance effects,  $C$ , were calculated according to Equation 5-13:

$$C = \frac{J(t, t_i) - J(t_i)}{J(t_i)} \quad (5-13)$$

Where

$J(t, t_i)$  is the measured compliance at time  $t$  due to a load sustained since time  $t_i$ , and

$J(t_i)$  is the measured initial compliance as shown in Table 5.2.

Importantly,  $C$  is presented in the same form as the creep coefficient determined according to each of the models described in Section 5.2.2 (such as  $v_u$  in ACI 209 or  $\psi$  in AASHTO 2013), but it is only used in this work for comparisons of *measured* results and not for comparisons of measured and predicted results. In other words, the  $C$  values reported below in Table 5.3 are not relatable to predicted creep coefficients because they all include an unknown amount of time-dependent effects. Measured  $C$  results at concrete ages of fifty-six days and three years are presented below, as are the average ratios of SCC results to VC results at these ages.

Table 5.3: Creep compliance effects,  $C$ , of SCC and VC cylinders

ID	56-Day Creep (Eq. 5-13)	3-Year Creep (Eq. 5-13)	SCC / VC	
			At 56 Days	At 3 Years
SCC-B-2	0.75	1.30	0.98	1.04
SCC-C-1	0.76	1.38		
SCC-C-2	0.84	1.47		
SCC-E-1	0.76	1.24		
<b>SCC Avg.</b>	<b>0.81</b>	<b>1.38</b>		
VC-B-1	0.89	1.44		
VC-B-2	0.94	1.50		
VC-F-1	0.63	1.00		
<b>VC Avg.</b>	<b>0.83</b>	<b>1.33</b>		

Based on the information presented in Table 5.3, the SCC cylinders appear to exhibit comparable creep as the VC cylinders (less than 5% different, on average). This difference is trivial considering the 30% variability of creep in “ordinary structural concrete” alluded to by the MC 2010 provisions (see Section 5.2.1). The individual-specimen results also highlight the between-batch variability inherent to this type of measurement. The variability between SCC specimens was no greater than the variability between VC specimens, thus further suggesting that the creep of the tested SCC and VC mixtures was practically the same.

#### **5.4.1.1.2 Compliance and Creep of Nonstandard-Tested Specimens**

In addition to the results obtained in accordance with ASTM C512, compliance was also measured in the under-loaded specimens and aged-then-loaded specimens. These results are included in Appendix F. The compliance of the under-loaded specimens was very similar to those shown above (as expected because  $J$  is normalized for load), as were  $C$  (determined according to Equation 5-13) and the ratio of SCC creep to VC creep. However, only one set of SCC specimens (SCC-E-2U) and one set of VC specimens (VC-F-2U) were under-loaded, so these comparisons are limited.

Meanwhile, the aged-then-loaded specimens all exhibited much less creep than the cylinders loaded at earlier ages (approximately one-half of  $C$  exhibited by the standard specimens). The reduction in  $C$  was expectable because of the increase in the age of the concrete at the time of load application—the aged concrete should have experienced a large amount of drying (reduction of available water) and decrease in porosity, which would reduce its creep potential. The number of alternatively tested

cylinders was limited, but the difference in creep of the aged-then-loaded cylinders was more pronounced (SCC  $C$  was 20% greater than vibrated concrete  $C$ ). Considering the variability of this type of testing, these results are reasonable and suggest that any differences between these two concretes were minor and expectable in response to the differences in mixture proportioning of the two.

From these alternatively tested cylinders, it can also be concluded that differences in load-dependent behavior are expectable in response to differences in applied stress (if less than 40% of  $f_c$ ) or age at the time of initial loading (up to one year). Within each concrete type, under-loaded cylinders exhibited comparable compliance and creep, and aged-then-loaded cylinders exhibited expectably reduced compliance and creep. SCC did not appear to be differently affected by either of these conditions.

#### **5.4.1.2 Free Shrinkage**

##### **5.4.1.2.1 Free Shrinkage of Cylindrical Specimens**

Free shrinkage results of the assessed mixtures are presented in Figure 5.3; the data necessary to create this figure are presented in Appendix F. Pertinent results from this data are then summarized in Table 5.4 below the figure. Only results from cylinders that were cured and tested according to ASTM C512 are presented in the figure and table. As previously discussed, the shrinkage behavior of the under-loaded specimens was independent of their response to loads, so they are included in this section. Values are presented for concrete ages of fifty-six days and three years because they should be representative of erection-age and long-term behavior, and values measured at a concrete age of seven days are included to compare rates of shrinkage growth.

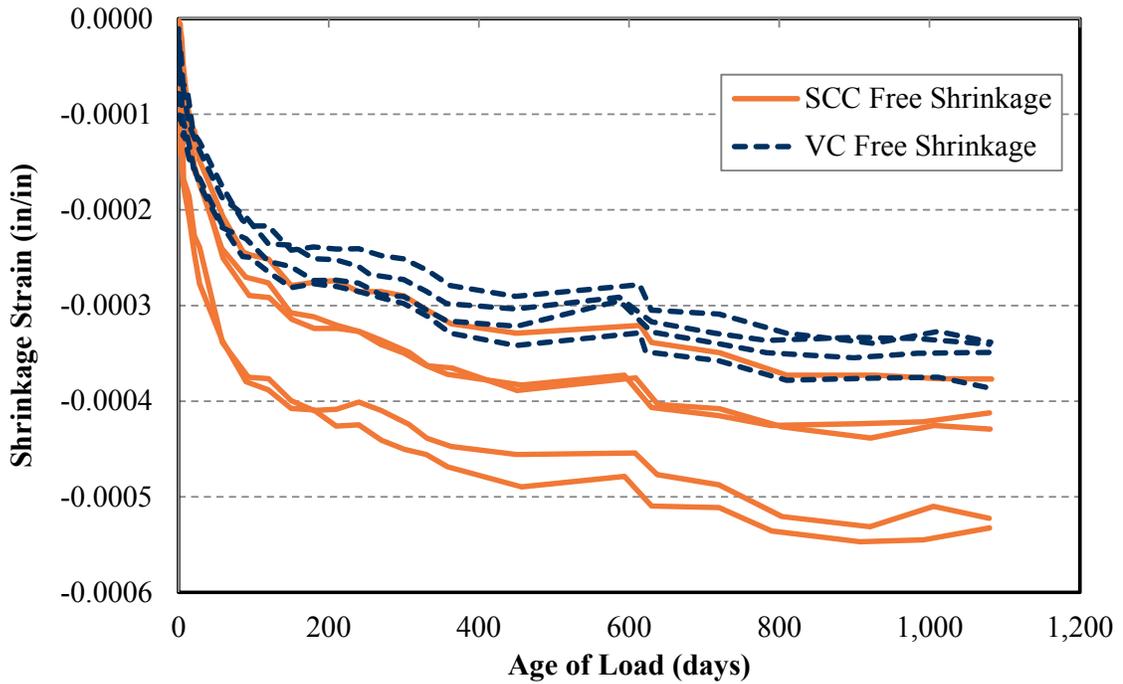


Figure 5.3: Measured shrinkage in specimens tested according to ASTM C512

Table 5.4: Shrinkage of SCC and VC tested in accordance with ASTM C512

ID	Measured Shrinkage ( $\mu\epsilon$ )			Ratios		
	7-Day	56-Day	3-Year	56-Day/ 7-Day	3-Year/ 56-Day	3-Year/ 7-Day
SCC-B-2	-150	-210	-380	1.40	1.82	2.53
SCC-C-1	-170	-340	-520	2.00	1.54	3.06
SCC-C-2	-100	-250	-430	2.50	1.72	4.30
SCC-E-1	-180	-340	-530	1.89	1.59	2.94
SCC-E-2U	-90	-240	-410	2.67	1.72	4.56
<b>SCC Avg.</b>	<b>-140</b>	<b>-270</b>	<b>-450</b>	<b>2.09</b>	<b>1.68</b>	<b>3.48</b>
VC-B-1	-120	-220	-390	1.83	1.78	3.25
VC-B-2	-80	-180	-340	2.25	1.91	4.25
VC-F-1	-120	-220	-350	1.83	1.60	2.92
VC-F-2U	-80	-190	-340	2.38	1.82	4.25
<b>VC Avg.</b>	<b>-100</b>	<b>-200</b>	<b>-350</b>	<b>2.07</b>	<b>1.78</b>	<b>3.67</b>

The SCC cylinders exhibited approximately 30% more shrinkage than in companion VC cylinders at all ages shown in the table. While this difference is expectable due to the increase in paste content in the SCC and is in line with other findings (*fib* 2010; Khayat and Mitchell 2009), it is practically significant when considering that the two mixtures exhibited comparable  $f_c$  and  $E_c$  (see Section 3.5.2). Statistical significance was also confirmed: shrinkages at concrete ages of fifty-six days and three years were significantly different at a 90% CI and 95% CI, respectively.

The ratios presented in the table were given to compare shrinkage growth rates. Shrinkage growth is complicated because autogenous and drying shrinkage strains evolve at different rates over time, but the proportion of shrinkage that occurs before erection (assumed to occur at approximately fifty-six days) is of particular interest. Based on the ratios shown in Table 5.4 and the data shown in Figure 5.3, the SCC and VC appear to exhibit very similar shrinkage growth, with the most rapid changes occurring in the first fifty-six days. Shrinkage doubled between seven days and fifty-six days but did not double again between fifty-six days and three years. This pattern was practically identical in the SCC and VC.

#### **5.4.1.2.2 Free Shrinkage of Rectangular Prisms**

Rectangular prisms for unrestrained shrinkage evaluation were prepared according to ASTM C157 (2008) during SCC production day E and during VC production days E and F. They were also produced during the casting of each span of the deck over the Hillabee Creek Bridge. Measured results are summarized in Table 5.5 in terms of length change—

percentage length change is the recommended result format of the test, and it is directly comparable to the specifications set forth for this project.

Table 5.5: Length-change of SCC and VC prisms tested in accordance with ASTM C157

<b>ID</b>	<b>28-Day (%)</b>	<b>56-Day (%)</b>	<b>1-Year (%)</b>	<b>2-Year (%)</b>	<b>3-Year (%)</b>
<b>SCC-E-P</b>	-0.029	-0.034	-0.049	-0.058	-0.060
<b>VC-E-P</b>	-0.016	-0.021	-0.033	-0.042	-0.044
<b>VC-F-P</b>	-0.026	-0.035	-0.054	-0.066	-0.066
<b>Deck-1-P</b>	-0.045	-0.052	-0.058	-0.068	-
<b>Deck-2-P</b>	-0.044	-0.050	-0.057	-0.064	-
<b>Deck-3-P</b>	-0.055	-0.058	-0.067	-0.075	-
<b>Deck-4-P</b>	-0.044	-0.047	-0.054	-0.060	-

Note: - = not tested

All girder-concrete prisms met the specifications set forth for this project (less than 0.04% length change at twenty-eight days). Variability between the girder-concrete prisms was high, but the data in the above table illustrate an important concept: the unrestrained shrinkage of the high-strength concrete utilized in these girders was consistently less than that of the cast-in-place concrete used in the bridge deck.

#### **5.4.2 Comparisons of Measured Values to Predicted Values**

In this section, measured deformations are compared to those predicted by the models described earlier. While a direct comparison of the evaluated mixtures was warranted in the previous section because these two mixtures are direct companions in an in-service bridge, evaluation of the *predictability* of time-dependent deformation is of wider value in advancing the understanding of SCC. Within each model, each set of specimens would be expected to exhibit different creep and shrinkage even if exposed to the same

compressive stress and ambient conditions. Therefore, the ability of the various models to correctly identify measured differences is important.

Before comparing these predicted and measured values, the statistical methodology chosen to avoid bias in these comparisons is given first, in the next section. Comparisons are then presented in separate sections for compliance (and creep), shrinkage strain, and total strain prediction.

#### **5.4.2.1 Analysis Methodology**

Results obtained from the assessment of time-dependent deformation according to ASTM C512 can be compared to predicted values in two general ways: by comparing the values at discrete, important ages (such as at girder erection or for ultimate long-term behavior) or by comparing every predicted and measured value over a particular region of measured behavior (such as only until erection or over the entire measured lifetime). Both methods of comparison are useful to this research, although for different reasons. Differences at discrete, important ages are evaluated because they are relevant for engineering purposes; differences between the trends are more relevant for understanding the behavior of the concrete over time.

Differences between predicted values ( $Y_{Predicted}$ ) and measured values ( $Y_{Measured}$ ) at discrete ages are evaluated according to Equation 5-14. By arranging the equation as shown, negative errors indicate that a given model under-predicts the magnitude of the result (compliance, shrinkage, or total strain) at a given time, while positive errors indicate that a given model over-predicts the magnitude of the measured result at that time.

$$Error (\%) = 100 \left[ \frac{Y_{Predicted} - Y_{Measured}}{Y_{Measured}} \right] \quad (5-14)$$

In comparisons of error percentages, the preferred range of error was selected as  $\pm 20\%$  based on statements by Gardner and Lockman (2001) concerning creep and shrinkage prediction:

A model that could predict the shrinkage within 15% would be excellent, and a prediction within 20% would be adequate. Obviously for compliance, the range of expected agreement would be worse because compliance is not measured but calculated by subtracting a large number (shrinkage) from another large number (total deformation).

In addition to error percentages at discrete ages, it was useful to utilize a single-parameter comparison tool to evaluate the overall accuracy of the prediction models. Results are collected on a nonlinear calendar according to the ASTM C512 guidelines (every day for the first week, then weekly for the first month, then monthly for the first year, and then quarterly or less frequently thereafter), which may bias common single-parameter forms of assessment such as the simple sum-of-squares error calculation. Several statistical indicators are presented in the ACI 209 (2008) *Guide for Modeling and Calculating Shrinkage and Creep in Hardened Concrete* that can overcome this bias. In general, these indicators are calculated by dividing measured results into groups and weighting the groups statistically.

Of those presented in the ACI 209 (2008) guide, the model proposed by Bazant and Panula (1978) was selected for use during this assessment. The indicator from their model, the BP coefficient of variation,  $\omega_{BP}$ , was developed by parsing measured data into

logarithmic decades (0 to 9.9 days, 10 to 99.9 days, etc.) and weighting the measurements based on the number of measurements in each decade relative to the total number of measurements and decades. Calculation of  $\omega_{BP}$  is described further in Appendix E.

In addition to assessment of the existing models, adjustments to the models, which are described further in Section 5.4.3, were determined by minimizing  $\omega_{BP}$ . In all applications of  $\omega_{BP}$ , one exception was deemed acceptable: measured results were last obtained at a concrete age of three years (approximately 1,095 days), but the use of a fourth logarithmic decade (from 1,000 to 10,000 days) consisting only of this last set of readings would have been questionable. Therefore, the last measurement for each cylinder set was included in the third logarithmic decade of measurements (alongside data from 100 to 1,000 days), and only three logarithmic decades were used.

#### **5.4.2.2 Comparisons of Measured and Predicted Compliance**

Errors between predicted and measured compliance for each reviewed prediction model are presented in Table 5.6. The data necessary to derive this table are presented in Appendix F. Per the discussion of the previous subsection,  $\omega_{BP}$  gives the best indication of the overall accuracy of the various models, while error percentages are presented to indicate the margin of error in compliance at concrete ages of fifty-six days (an approximation of the age at erection) and three years (the last age at which strains were measured, which is the closest estimate of long-term behavior).  $\omega_{BP}$  results are always positive, with results closer to zero indicating better accuracy; a positive average error percentage indicates an over-predicted compliance.

Table 5.6: Error comparisons for existing compliance prediction models

Compliance Prediction Model	$\omega_{BP}$		Error % at 56 days		Error % at 3 years	
	SCC	VC	SCC	VC	SCC	VC
ACI 209	0.122	0.118	-7	-4	-7	1
AASHTO 2013	0.168	0.169	-9	-6	-14	-8
NCHRP 628	0.155	0.169	8	-6	5	-8
MC 2010 <sup>1</sup>	0.121	0.074	-9	-3	-10	0

Note: Similar to model used in Eurocode 2

Several conclusions are warranted based on the results shown in Table 5.6. They include that

- All models were reasonably accurate for predicting compliance,
- While SCC compliance was slightly less predictable using the existing models, all average SCC and VC predictions were within 15% and 10% of actual results, respectively, at concrete ages of up to three years.

As previously discussed in Section 5.4.1.1, compliance is directly dependent upon  $E_{ci}$ , and the correlation may disguise differences in creep behavior. However, since measured  $E_{ci}$  was used to calculate the initial elastic strain to which predicted creep coefficients were applied in this analysis, the data presented in Table 5.6 directly indicate the predictability of the *creep* of the assessed SCC and VC. Therefore, it is concluded that, when using measured properties, all referenced creep predictions are reasonably accurate, on average, for evaluation of Alabama concrete for precast, prestressed applications as they are currently specified. The prediction of creep in the assessed SCC was slightly less accurate, but the error is insignificant considering the variability discussed in Section 5.4.1.1.

### 5.4.2.3 Comparisons of Measured and Predicted Shrinkage

Errors between predicted and measured shrinkage for each reviewed prediction model are presented in Table 5.7 using the same parameters as in the previous subsection ( $\omega_{BP}$  and error percentages at fifty-six days and three years). Also like in the previous subsection, data used to derive this table are presented in Appendix F.

Table 5.7: Error comparisons for existing shrinkage prediction models

Shrinkage Prediction Model	$\omega_{BP}$		Error % at 56 days		Error % at 3 years	
	SCC	VC	SCC	VC	SCC	VC
<b>ACI 209</b>	0.532	0.633	24	42	35	47
<b>AASHTO 2013</b>	0.212	0.433	10	46	-4	19
<b>NCHRP 628</b>	0.859	1.163	51	87	65	94
<b>Eurocode 2</b>	0.565	0.963	49	100	24	58
<b>MC 2010</b>	0.393	0.727	14	54	24	58

Several conclusions are warranted based on the results shown in Table 5.7:

- Prediction of the shrinkage of the assessed SCC and VC was far less accurate than prediction of their compliance,
- The AASHTO 2013 shrinkage model was markedly more accurate than the other models at predicting shrinkage in the assessed mixtures (in terms of  $\omega_{BP}$  and percent error), especially in SCC,
- On average, the prediction models tended to over-predict shrinkage at all ages, especially in VC, and

- The only model that was reasonably accurate for SCC shrinkage prediction (AASHTO 2013) was also somewhat accurate for VC shrinkage prediction (within 20% at a concrete age of three years).

Notably, the time-dependent shrinkage deformation of Alabama concrete for precast, prestressed applications was also over-predicted in past AUHRC projects (Kavanaugh 2008; Levy et al. 2010), especially in mixtures proportioned with slag cement. Thus, the mixture proportions of the SCC and VC utilized in this project, which included a similar usage of slag cement, could partially explain the over-prediction of the shrinkage of the tested SCC and VC.

#### **5.4.2.4 Comparisons of Measured and Predicted Total Strains**

In the comparisons of measured SCC results to measured VC results, a direct comparison of total strain was not warranted because each specimen exhibited a different  $f_{ci}$  and  $E_{ci}$ . Note that, in this section, each specimen's total strain is only compared to the total strain predicted for that particular specimen. This could prove useful because an engineer is likely to use one reference's prediction models (AASHTO 2013 or MC 2010, for example) for both creep and shrinkage prediction.

Errors between predicted and measured total strain for each reviewed prediction model are presented in Table 5.8 using error percentages at fifty-six days and three years. The BP coefficient of variation was not accessed in this comparison, as the results are compared only to illustrate the relative magnitude of prediction errors that would occur

under common engineering circumstances—during the use of a single reference’s creep and shrinkage models.

Table 5.8: Error comparisons for total deformation predicted by existing references

<b>Compliance Prediction Model</b>	<b>Error % at 56 days</b>		<b>Error % at 3 years</b>	
	<b>SCC</b>	<b>VC</b>	<b>SCC</b>	<b>VC</b>
<b>ACI 209</b>	-3	3	2	11
<b>AASHTO 2013</b>	-7	2	-13	-1
<b>NCHRP 628</b>	15	9	17	14
<b>Eurocode 2</b>	1	13	-3	13
<b>MC 2010</b>	-5	6	-3	13

Several conclusions are warranted based on the results shown in Table 5.8. They include that

- The total deformations of the tested SCC and VC were reasonably predictable using any of the referenced models (within 20% of measured results at concrete ages of fifty-six days and three years, on average),
- Use of the AASHTO 2013 creep and shrinkage models led to the most under-predicted total strain predictions, while use the NCHRP 628 models led to the most over-predicted total strain predictions,
- Use of the ACI 209, Eurocode 2, or MC 2010 models led to the most accurate prediction of total SCC strain (within 5% of measured strains at concrete ages of fifty-six days and three years, on average), and

- Use of the AASHTO 2013 models led to the most accurate prediction of total VC strain (within 2% of measured strains at concrete ages of fifty-six days and three years, on average).

While use of any single reference's creep and shrinkage predictions led to accurate total strain prediction in both materials, the occurrence is only coincidental to these particular concretes. The references that most under-predicted compliance also tended to most over-predict shrinkage; only the current *AASHTO LRFD* models reasonably predicted both compliance and shrinkage. Still, the AASHTO 2013 (Section 5.4.2.3.2) model most under-predicted SCC compliance, and the AASHTO 2013 shrinkage model (Section 5.4.2.3.3) was only accurate (within 20% of measured results) concerning VC behavior at the late concrete age of three years. Therefore, mixture-specific corrections to all of the referenced models could be useful to provide more accurate prediction of each component of time-dependent strain.

### **5.4.3 Adjustments to Prediction Models**

In Section 5.4.2 almost all compliance models were found to slightly under-predict measured results, almost all shrinkage models over-predicted measured results, and almost all single-reference predictions of total strain became reasonably accurate by negating the errors in the compliance and shrinkage models. In this section, all compliance and shrinkage models except those proposed by NCHRP 628 are calibrated and compared, and the errors between the revised predictions and the measured results are compared. The NCHRP 628 recommendations are excluded from this evaluation

because they already exist only as mixture-specific corrections to the AASHTO models and a similar calibration format was selected for this evaluation. Also recall that the Eurocode 2 provisions for compliance are not explicitly reviewed, as they are the same as those employed by the MC 2010 compliance prediction method.

#### **5.4.3.1 Calibration of Prediction Methods**

Calibration of the prediction methods required two choices: 1) selection of the type of correction to apply, and 2) selection of the error measurement to minimize. Concerning the former, the nature of the compliance and shrinkage prediction models allows for adjustment of the ultimate value, the time rate-of-growth function applied to predict the value at intermediate times, or both. Some potential ways of adjusting the models include

- Application of a multiplicative constant that affects the ultimate value within a prediction method (see  $A$  of Equation 5-5),
- Adjustment of one or more of the existing test- or property-dependent factors that affect the ultimate value (see  $t_i^{-0.118}$  in Equation 5-3 regarding loading age or the factors in Equation 5-5 regarding relative humidity or compressive strength), or
- Adjustment of the time-adjustment factor, such as by changing either the constant or exponent within Equation 5-2.

Adjustment of both the ultimate value and time-adjustment function could yield very accurate predictions. However, adjustment of even one parameter could provide practical improvements given the inherent scatter in compliance and shrinkage

measurements shown in Figure 5.2 and Figure 5.3. Furthermore, adjustments should only be made in a manner that reflects the experimental variables that were evaluated.

Considering that this research consisted of a one-to-one comparison of two concretes incorporating similar local materials (one SCC and one VC), only linear scaling of the existing ultimate creep coefficient and shrinkage strain predictions was warranted. This method of adjustment could provide a reasonably accurate prediction that would be simple and efficient to implement; the scalar adjustment factor could also be directly compared between methods.

Meanwhile, all of the specimens were exposed to very similar curing histories prior to loading (except the four sets of cylinders left in ambient conditions for one year), which would limit the applicability of any time rate-of-growth factor adjustments. Adjustments to the rate-of-growth constants and exponents would also be difficult to compare between models because the factors vary in formulation—see Equation 5-2 and Equation 5-4, for example. While these factors affect the slope of the time-dependent relationships, they do not affect the ultimate predicted values.

Thus, each prediction model was adjusted according to the general form of Equation 5-15 in a similar fashion as the application of  $A$  to the AASHTO provisions that was recommended by Khayat and Mitchell (2009) in Equations 5-5 and 5-9. In Equation 5-15, the best-fit adjusted prediction of the creep coefficient or shrinkage strain ( $Y_{Adjusted}$ ) equaled the value predicted using the existing model ( $Y_{Predicted}$ ) multiplied by a constant to account for local Alabama materials and conditions ( $A_{AL}$ ).

$$Y_{Adjusted} = A_{AL}(Y_{Predicted}) \quad (5-15)$$

Application of  $A_{AL}$  to the predicted shrinkage strain was straightforward—by definition, shrinkage increases from an initial value of zero strain, so  $A_{AL}$  represented a direct amplification or reduction of the predicted shrinkage strain to better align those predictions with the measured results. Meanwhile, recall from Section 5.3.2.1 that compliance predictions were developed in this program by applying the *predicted creep coefficient* to the elastic strain calculated using the actual elastic stiffness ( $E_{ci}$ ) measured in companion cylinders according to ASTM C469. Thus,  $A_{AL}$  is applied to the predicted creep coefficient—specifically *not* the predicted  $J$ . Only a creep coefficient is predicted according to each of the reviewed methods, so only that coefficient should be adjusted to account for the time-dependent behavior of concrete produced using local Alabama materials and proportions.

As the goal of this research was to advance the understanding of SCC used in precast, prestressed girders, best-fit adjustment factors were determined by minimizing  $\omega_{BP}$  over the entire lifetime of measured results. The fit of the entire time-dependent model is improved in an unbiased fashion by minimizing  $\omega_{BP}$ , so the adjusted prediction models should give the best overall predictions of the time-dependent behavior of the assessed concretes.

#### **5.4.3.2 Adjustment Factors**

A nonlinear numerical solver was used to determine the best-fit  $A_{AL}$  for each dataset shown in Table 5.2 and Table 5.4. The factors unique to each specimen group, which are shown in Appendix F, were evaluated statistically using a two-sample t-test to determine if different adjustments would be necessary for SCC and VC. P-values from that

analysis, which are also included in Appendix F, indicate that 1) no compliance adjustment factor was significantly different between materials at a 90% confidence interval (CI), while almost all shrinkage adjustment factors were significantly different between materials at a 95% CI. The only shrinkage adjustment factor not significantly different between SCC and VC was the one applied to the ACI 209 shrinkage prediction model.

After statistically determining if the adjustment factors should be separated by material type, values were averaged to determine a best-fit  $A_{AL}$  for each method and (when applicable) material as shown in Table 5.9 and Table 5.10. For practicality, the magnitude of each adjustment factor was also considered because adjustments that would only minimally affect the existing prediction methods would be impractical to implement. Consequently, only adjustments exceeding a threshold minimum change of  $\pm 20\%$  from the existing model are highlighted in bold in the tables based on the statement by Gardner and Lockman (2001) concerning the practical accuracy of time-dependent deformation predictions.

Table 5.9: Evaluation of statistically admissible compliance adjustment factors

Compliance Prediction Model	Adjustment Factor, $A_{AL}$			Change from Existing (%)		
	SCC	VC	All	SCC	VC	All
ACI 209	-	-	1.11	-	-	11
AASHTO 2013	-	-	<b>1.21</b>	-	-	<b>21</b>
MC 2010	-	-	1.12	-	-	12

Note: - = not statistically admissible

Table 5.10: Evaluation of statistically admissible shrinkage adjustment factors

Shrinkage Prediction Model	Adjustment Factor, $A_{AL}$			Change from Existing (%)		
	SCC	VC	All	SCC	VC	All
ACI 209	-	-	<b>0.72</b>	-	-	<b>-28</b>
AASHTO 2013	0.97	<b>0.75</b>	-	-3	<b>-25</b>	-
Eurocode 2	<b>0.74</b>	<b>0.56</b>	-	<b>-26</b>	<b>-44</b>	-
MC 2010	0.83	<b>0.63</b>	-	-17	<b>-37</b>	-

Note: - = not statistically admissible

After determining the average adjustment factors, practically applicable adjustments (bold values in the tables) were applied to every dataset. A trend was observed in the adjusted values—SCC compliance was regularly under-predicted, while VC compliance was regularly over-predicted. Furthermore, each adjusted compliance model was less accurate at predicting SCC compliance than at predicting VC compliance.

Thus, while the bold-highlighted compliance adjustment factors in Table 5.9 may not have been statistically significantly different between materials, distinguishing between materials could provide *practical* refinements to the predictions. In light of this, the compliance adjustment factors for Alabama SCC and VC were reconsidered separately. These adjustment factors are shown in Table 5.11, in which those that met a threshold minimum change of  $\pm 10\%$  are highlighted in bold. While a threshold change of  $\pm 20\%$  was used earlier based on the discussion of Gardner and Lockman (2001), a 10% threshold was selected for use with Table 5.11 such that practical adjustments would provide the best estimate of time-dependent behavior achievable within the precision of this testing.

Table 5.11: Evaluation of practically admissible compliance adjustment factors

Compliance Prediction Model	Adjustment Factor, $A_{AL}$			Change from Existing (%)		
	SCC	VC	All	SCC	VC	All
ACI 209	1.15	1.04	-	15	4	-
AASHTO 2013	1.25	1.14	-	25	14	-
MC 2010	1.19	1.03	-	19	3	-

Note: - = not practically combinable

The adjustment factors in Table 5.9 through Table 5.11, and their statistical significance, correlate closely with the findings presented in Sections 5.4.1 and 5.4.2. The existing prediction methods were reasonably accurate but would slightly under-predict measured creep, thus necessitating adjustment factors close to but greater than 1.0. Meanwhile, the existing shrinkage prediction models over-predicted average measured results, especially in VC, thus regularly necessitating shrinkage adjustment factors less than 1.0.

The only shrinkage prediction adjustment factor that was statistically and practically similar in SCC and VC was the one applied to the ACI 209 shrinkage prediction model. Material-specific reconsideration of the ACI 209 shrinkage adjustment factor was therefore not necessary. This was also acceptable considering that the ACI 209 shrinkage model already incorporates factors for slump (water content), fine aggregate percentage, and air content, all of which differentiate concrete mixtures.

### 5.4.3.3 Assessment of Recommended Adjustments

#### 5.4.3.3.1 Recommended Adjustments for Alabama SCC and VC

Based on the analysis and discussion presented in the previous subsection, the following adjustment factors presented in Table 5.12 are recommended for application according to Equation 5-15. In the table, adjustments to compliance models are based on the practically significant factors determined for each material, and adjustments to shrinkage models are based on the statistically and practically significant results shown in Table 5.10. All adjustments are considered to be accurate to  $\pm 0.1$ . No greater precision of these recommendations is warranted considering the inherent variability of experimentally measured creep and shrinkage results.

Table 5.12: Recommended creep and shrinkage prediction adjustments,  $A_{AL}$

Material	Prediction Type	Reference			
		ACI 209	AASHTO 2013	Eurocode 2	MC 2010
SCC	Creep	1.1	1.2	1.2	1.2
	Shrinkage	0.8	1.0	0.8	0.8
VC	Creep	1.0	1.1	1.0	1.0
	Shrinkage	0.7	0.8	0.5	0.6

Note: 1.0 = no change recommended

Use of the above recommended values should allow for accurate prediction of time-dependent deformation in concrete produced in Alabama, especially concrete made using crushed dolomitic limestone, a relatively low  $w/cm$ , and replacement of some portland cement with slag cement. Specifically, the use of  $A_{AL}$  for prediction of shrinkage in Alabama concrete should be especially useful considering the pattern of reduced time-

dependent free shrinkage observed in similar concrete mixtures during past AUHRC projects (Kavanaugh 2008; Levy et al. 2010).

The difference between the recommended SCC and VC adjustment factors does not precisely match the measured differences in creep and shrinkage (measured SCC creep and shrinkage were approximately 5% and 30% greater than those of the companion VC, respectively). Two variables may explain this discrepancy: 1) the exact adjustment factors shown in Table 5.10 and Table 5.11 were rounded to determine the recommended results considering their practical precision, and 2) the solutions that minimized  $\omega_{BP}$  may have been affected by differences in the rate of time-dependent deformation growth.

#### **5.4.3.3.2 Evaluation of Specimens Tested According to ASTM C512**

After applying the recommended  $A_{AL}$  adjustments to the datasets shown in Table 5.2 and Table 5.4, errors were evaluated versus the existing-model errors shown in Table 5.6 (compliance), Table 5.7 (shrinkage), and Table 5.8 (total deformation). These adjusted-model errors are summarized below in Table 5.13 through Table 5.15. In the below tables, the NCHRP 628 models are not shown because the models were not adjusted—recall that they only differed from other existing models by a mixture-specific constant,  $A$ , that was evaluated similarly to  $A_{AL}$  in this research.

Table 5.13: Error comparisons for adjusted compliance prediction models

Compliance Prediction Model	$\omega_{BP}$		Error % at 56 days		Error % at 3 years	
	SCC	VC	SCC	VC	SCC	VC
ACI 209	0.108	0.118	-2	-4	-2	-1
AASHTO 2013	0.143	0.160	0	1	-2	-2
MC 2010	0.093	0.074	1	-3	1	-1

Table 5.14: Error comparisons for adjusted shrinkage prediction models

Shrinkage Prediction Model	$\omega_{BP}$		Error % at 56 days		Error % at 3 years	
	SCC	VC	SCC	VC	SCC	VC
ACI 209	0.279	0.236	-1	-1	8	3
AASHTO 2013	0.212	0.199	10	17	-4	-5
Eurocode 2	0.210	0.209	4	0	-13	-21
MC 2010	0.215	0.160	-9	-8	-1	-5

Table 5.15: Error comparisons for total deformation predicted by adjusted references

Total Deformation Prediction Model	Error % at 56 days		Error % at 3 years	
	SCC	VC	SCC	VC
ACI 209	-3	-4	1	1
AASHTO 2013	1	2	-5	-2
Eurocode 2	0	-3	-2	-4
MC 2010	-2	-4	0	-1

The overall accuracy of the compliance prediction models was only moderately improved with respect to  $\omega_{BP}$  by applying the recommended adjustments. However, the error percentages at concrete ages of fifty-six days and three years were noticeably improved: average model errors ranged -14% to +1% in the existing models, but average adjusted-model errors were no greater than 4% at fifty-six days or 2% at three years.

Notably, the only errors greater than 2% at either age were in predictions of VC  $J$  for which no changes were applied to the existing models (ACI 209 and MC 2010). A graphical sample of the improvement in  $J$  prediction is illustrated in Figure 5.4 below.

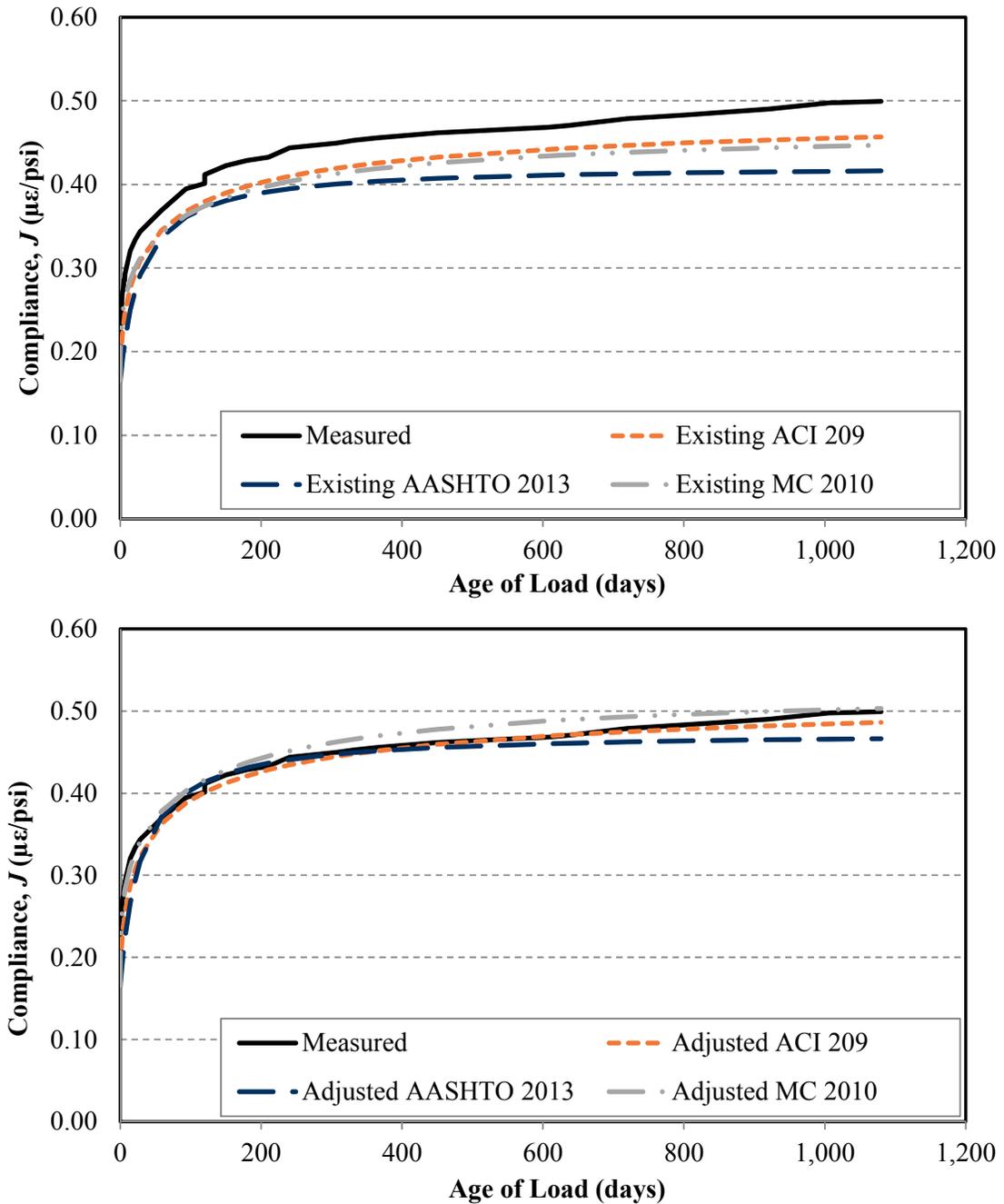


Figure 5.4: Comparison of measured SCC-C-1 data to (*top*) existing and (*bottom*) adjusted compliance prediction models

Based on the results summarized in Table 5.13 and illustrated in Figure 5.4, use of the ACI 209, AASHTO 2013, or MC 2010 models in conjunction with their respective adjustment factors should provide reasonably accurate prediction of compliance in SCC and VC similar to the mixtures employed in this project.

The accuracy of the shrinkage prediction models was more greatly improved with respect to  $\omega_{BP}$  by applying the recommended adjustments. The BP coefficient of variation was reduced by an average of 66% in all cases except the use of the AASHTO 2013 shrinkage model to predict SCC shrinkage, for which no changes were recommended. The error percentages at concrete ages of fifty-six days and three years were noticeably improved: average model errors ranged up to +114% in the existing models, but average adjusted-model errors were no greater than 17% at fifty-six days or 21% at three years. A graphical sample of the improvement in shrinkage prediction is illustrated in Figure 5.5.

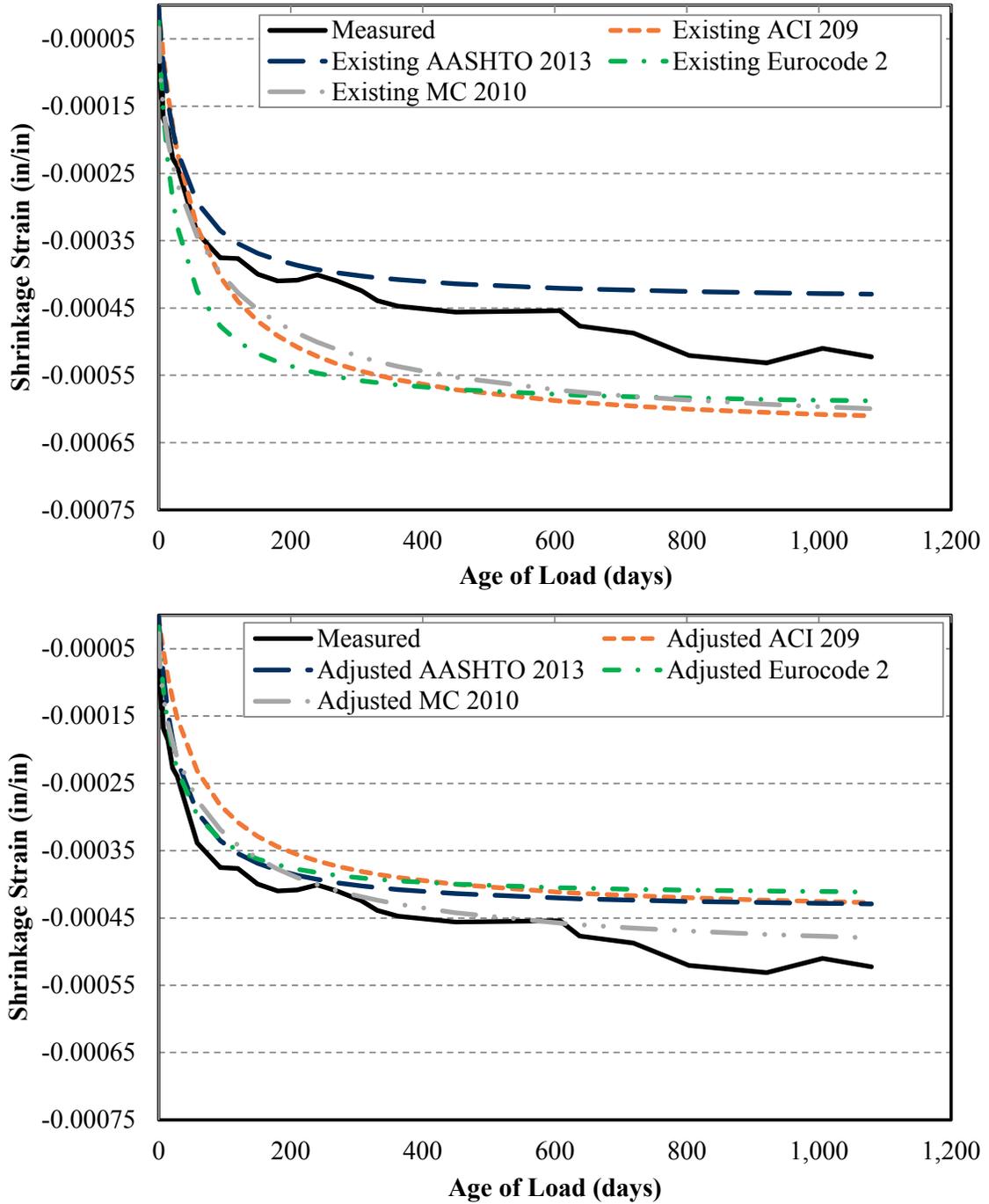


Figure 5.5: Comparison of measured SCC-C-1 data to (top) existing and (bottom) adjusted shrinkage prediction models

While the  $\omega_{BP}$  and error percentages were still greater in the adjusted shrinkage prediction models than in the adjusted  $J$  models, the larger errors are likely related to the

scatter of the measured shrinkage data shown in Figure 5.3. Based on the 20% preferred error margin discussed in this chapter, such variability is expectable of this type of testing. Consequently, all of the shrinkage prediction models are considered reasonably accurate for the prediction of free shrinkage of concretes similar to those studied in this project, once including the recommended adjustment factors.

Once the recommended creep and shrinkage adjustment factors were incorporated into each reference's models, all references—ACI 209, AASHTO 2013, Eurocode 2, and MC 2010—provided accurate total strain predictions, on average. No average total strain predictions exhibited more than 5% error, and the largest errors (AASHTO 2013 considering SCC and Eurocode 2 considering VC) were in the models in which one of the components of time-dependent strain was acceptable as currently modeled. In all models, the most important improvement afforded by the use of the recommended adjustment factors is that the components of the total strain were accounted for appropriately through their use.

#### **5.4.3.3 Evaluation of Nonstandard-Tested Specimens**

In addition to the specimens evaluated in the previous section, adjusted  $J$  was assessed in the specimens that were under-loaded and that were aged then loaded. Results concerning these specimens are included in Appendix F. As when comparing the measured results in Section 5.4.1.1, the adjusted predictions of compliance for the under-loaded specimens were as accurate as in the standard-tested specimens.

Compliance in the aged-then-loaded specimens was less predictable than in those tested according to ASTM C512, but all adjusted predictions were within 20% of

measured results at concrete ages of fifty-six days and two years. Compliance  $\omega_{BP}$  was comparable in the aged-then-loaded cylinders (0.074–0.131 versus 0.074–0.160 in the early-age loaded cylinders). These results indicate that the time-dependent behavior of the tested concretes was predictable even in exceptional applications of the adjusted prediction models.

## **5.5 Summary and Conclusions**

### **5.5.1 Summary**

To better understand the time-dependent deformability of SCC used in precast, prestressed applications, the SCC and VC used to construct the Hillabee Creek Bridge girders were tested for compliance, free shrinkage, and total strain deformation. This evaluation was completed using concrete from five production days (three SCC and two VC production days), and specimens were loaded at up to three ages for a total of thirteen evaluated specimen sets. By testing multiple batches of the same mixtures that had been produced under similar but varied exposure conditions, valuable insights were gained regarding the time-dependent deformability of prestressed-suitable SCC and VC made using materials and practices common in Alabama.

SCC time-dependent deformation was evaluated both in relation to the companion VC used in the bridge and in relation to various current prediction models proposed by ACI 209 (ACI 209 1992), AASHTO (AASHTO 2013), NCHRP (Khayat and Mitchell 2009), and *fib* (*fib* 2010). The ACI 209, AASHTO 2013, and MC 2010 models were then calibrated to fit the measured data where practical to improve their accuracy. The observations and conclusions made concerning the measured deformability of SCC and

VC used in the Hillabee Creek Bridge girders are summarized in Section 5.5.2, including conclusions regarding the applicability of these existing and calibrated prediction methods. The recommendations made based on this research are then given in Section 5.5.3.

## **5.5.2 Observations and Conclusions**

### **5.5.2.1 Measured Compliance and Shrinkage**

- Measured SCC compliance was approximately 15% greater than that of the equivalent-strength companion VC. The increased compliance of the SCC was likely related to its reduced stiffness (SCC  $E_{ci}$  was approximately 10-15% less than that of the companion VC).
- Compliance growth (creep) of SCC was comparable to that of VC; average measured SCC creep approximately 5% greater than that of the companion VC. Any difference was expectable in response to the differences in mixture proportions and was considered practically insignificant considering the inherent variability of creep testing.
- Creep in both under-loaded and aged-then-loaded specimens was reasonably predictable: under-loaded specimens exhibited similar creep to standard-tested specimens, and aged-then-loaded specimens exhibited expectably reduced creep due to their advanced age at the time of initial loading. This suggests that creep behavior is predictable under varied loading and aging conditions and between materials.

- Measured SCC free shrinkage was approximately 30% greater than that of the equivalent-strength companion VC. The increased shrinkage of the SCC was likely related to its increased paste volume and reduced aggregate content.
- Shrinkage growth of SCC was comparable to that of VC when compared over a range of time periods. In both concretes, the free shrinkage doubled between concrete ages of seven days and fifty-six days but did not double again between fifty-six days and three years.
- High variability was observed in the shrinkage measurements of SCC and VC prisms tested in accordance with ASTM C157, but all specimens satisfied the requirement of the project that length change be no greater than 0.04% after twenty-eight days of drying. Free shrinkage of the girder-concrete was consistently less than that of the concrete used in the deck over the bridge at Hillabee Creek.

#### **5.5.2.2 Prediction of Compliance, Shrinkage, and Total Strain**

- All of the reviewed creep prediction models—ACI 209, AASHTO 2013, NCHRP 628, and MC 2010—were reasonably accurate at predicting the compliance of SCC and VC at concrete ages of fifty-six days and three years.
- While SCC  $J$  was slightly less predictable using the existing models, predictions of SCC  $J$  were within 15% of measured results, on average, and those of VC  $J$  were within 10%, on average, at concrete ages of up to three years.

- Prediction of the shrinkage of the tested concretes was less accurate than prediction of their time-dependent compliance. On average, the prediction models tended to over-predict shrinkage, especially in vibrated concrete.
- Only the AASHTO 2013 shrinkage model was reasonably accurate at predicting shrinkage in the assessed mixtures; it was more accurate at predicting shrinkage of the tested SCC, in which the predicted shrinkage was within 10% of the measured result, on average.
- While use of any single reference's creep and shrinkage predictions led to accurate total strain prediction in both SCC and VC, the occurrence is only coincidental to these particular concrete mixtures and circumstances—each reference compensated for under-predicting  $J$  by over-predicting shrinkage.

### 5.5.2.3 Calibration of Compliance and Shrinkage Models

- Calibrations were made to the referenced prediction models using the format employed by Khayat and Mitchell (2009)—by applying a constant,  $A_{AL}$ , to the creep or shrinkage predicted at a given time. Each  $A_{AL}$  constant was solved to minimize  $\omega_{BP}$ , thus optimizing the predictions for all measurements up to a concrete age of three years.
- Adjustments to SCC and VC creep predictions were not statistically different, but they were practically different and suggested an approximate 10% difference between the materials. Corrections to shrinkage predictions were statistically and practically different between materials and reflected the 30% difference in measured shrinkage.

- Compliance model fit as measured by  $\omega_{BP}$  was only somewhat improved through the use of  $A_{AL}$ , while shrinkage model fit was markedly improved (reduction of  $\omega_{BP}$  by up to 84% in material-specific shrinkage models).
- After applying  $A_{AL}$  corrections, average  $J$  predictions were accurate to within 5% of measured results at concrete ages of fifty-six days and three years. At the same ages, average shrinkage predictions were accurate to within 21% of measured results.
- After applying  $A_{AL}$  corrections, all references were used to determine total strain predictions that were accurate to within an average of 5% of measured results at multiple concrete ages.
- Use of  $A_{AL}$  corrections improved the correspondence of each predicted and measured total strain component, which should allow for more accurate prediction of time-dependent behavior in specimens other than cylinders tested in standardized conditions.

### 5.5.3 Recommendations

- Concerns about the increased compliance or creep of SCC should not restrict the implementation of SCC in precast, prestressed applications because increases were minor and expectable in response to mixture changes commonly used to achieve self-consolidating behavior.
- While many current provisions for creep and shrinkage were used to accurately predict total time-dependent strain of SCC or VC cylinders tested according to ASTM C512, no single reference yielded accurate prediction of both time-

dependent strain components. Therefore, adjustment of the models to accurately reflect the separate creep and shrinkage behaviors of Alabama concrete are recommended.

- Prediction of Alabama SCC creep should be improved through the use of a multiplication factor of 1.1 with the ACI 209 model or 1.2 with the AASHTO 2013 model or the MC 2010 model.
- Prediction of Alabama VC creep according to the ACI 209 and MC 2010 models should be sufficiently accurate as currently specified; prediction of it according to the AASHTO 2013 guidelines should be improved through the use of a multiplication factor of 1.1 applied to the creep predicted using that model.
- Prediction of Alabama SCC free shrinkage should be improved through the use of a multiplication factor of 0.8 with the ACI 209, Eurocode 2, or MC 2010 model; it is already sufficiently predictable using the AASHTO 2013 model.
- Prediction of Alabama VC free shrinkage should be improved through the use of a multiplication factor of 0.7 with the ACI 209 model, 0.8 with the AASHTO 2013 model, 0.5 with the Eurocode 2 model, or 0.6 with the MC 2010 model.
- On average, the concrete tested during this research exhibited less shrinkage than predicted by current design provisions, although SCC free shrinkage was approximately 30% greater than that of the companion VC. The sensitivity of full-scale structural behavior to this difference in unrestrained-shrinkage behavior is evaluated in the next chapter.

## Chapter 6: Time-Dependent Behavior of Full-Scale Girders

### 6.1 Introduction

In Chapter 5 of this dissertation, the difference in the time-dependent load-dependent behavior of SCC cylinders was shown to be minor and largely explainable by the differences in mixture proportions and hardened mechanical properties observed between the tested SCC and VC. The difference in load-independent free-shrinkage behavior of the tested SCC relative to that of the companion VC was also assessed. While increased paste content or other confounding variables (such as *s/agg*, coarse aggregate gradation, or chemical admixture use) led to approximately 30% greater unrestrained shrinkage in the SCC than in the vibrated concrete, the increase was expectable in response to such mixture changes, and both concretes exhibited less shrinkage than predicted using current models.

The primary time-dependent structural performance characteristic evaluated in the Hillabee Creek Bridge girders was the long-term effective prestress in the prestressed strands. This behavior directly relates to the creep and shrinkage properties evaluated in the previous chapter. Evaluation of long-term full-scale behavior is critical because existing full-scale evaluations of SCC have been limited, and their implications for SCC girders of the scale used in this bridge and made using Alabama materials and methods are unclear. Furthermore, existing evaluations have been limited in duration, which is of

clear significance since time-dependent deformations were found in Chapter 5 to continue to evolve through a concrete age of three years.

Prediction of full-scale time-dependent behavior is frequently based on empirical formulas derived from the evaluation of representative cylinders. For this project, these small-specimen tests were conducted on some batches of concrete placed in the girders, so the measured material properties were directly used in the predictions. In this way, the predictability of full-scale behavior of SCC girders was assessed while using the most accurate material properties determined from testing representative cylinders.

To effectively evaluate full-scale time-dependent properties, measurements that reflect varying ambient conditions must be adjusted to account for differences in concrete temperature at the times of data collection. While variations due to ambient thermal conditions may be important, measurements obtained during this research were corrected relative to a standard reference temperature to isolate the long-term time-dependent changes due to creep and shrinkage from those due to transient thermal effects. Thus, it was useful to determine the coefficient of thermal expansion (CTE) of each mixture. This analysis was valuable because CTE is a load-independent material property that, like unrestrained shrinkage behavior, is affected by concrete proportioning (Neville 1996).

### **6.1.1 Chapter Objective**

The work documented in this chapter was conducted to evaluate the acceptability of the full-scale time-dependent structural performance of the SCC girders used during Alabama's first full-scale implementation of SCC in an in-service precast, prestressed bridge. This evaluation required consideration of both the companion VC girders used

in the bridge and the time-dependent behavioral provisions set forth in Sections 5.9.5.3 and 5.9.5.4 of the *AASHTO LRFD Bridge Design Specifications* (AASHTO 2013). The research team selected several tasks necessary to achieve the primary objective of this evaluation:

- Analyze and account for the effects of diurnal and seasonal changes in ambient temperature on apparent concrete strain measurements,
- Compute the long-term, time-dependent maintenance of prestressing force in the SCC and VC girders, and
- Compare the measured prestressing force in the girders to the amounts predicted using various models and using design properties in place of measured properties.

### **6.1.2 Chapter Outline**

The existing literature relevant to the work of this chapter is summarized in Section 6.2. First, time-dependent deformation of precast, prestressed concrete girders (especially those made with SCC) is reviewed. Next, thermal effects and the way in which these effects are accounted for in measured results are discussed. The experimental plan developed for this research project is documented in Section 6.3. Portions of this plan have been described elsewhere (Johnson 2012; Keske et al. 2013a; Neal 2014) and in Chapter 3. In addition to expanding upon details of the plan already mentioned in those references, additional information regarding prediction methodology, girder nomenclature, and usage of data is presented in that section.

Results from these evaluations of material properties, full-scale thermal responses, and full-scale long-term time-dependent behavior are given in Section 6.4.

Differences and similarities between SCC and VC are highlighted, and the effects of incorporating laboratory-assessed material properties or adjustments to account for local materials ( $A_{AL}$ ) are analyzed. Conclusions and recommendations derived from the findings described in this chapter are then summarized in Section 6.5.

## **6.2 Review of Existing Literature**

Much of the literature pertinent to this research has been reviewed by Johnson (2012), Keske et al. (2013a), and Neal (2014). For brevity, only pertinent references to those publications are given here. Emphasis is given to portions of the existing literature that have been newly published since the time of those publications or that were not directly discussed in them.

### **6.2.1 Time-Dependent Behavior of Precast, Prestressed Girders**

The two full-scale time-dependent behaviors most commonly assessed in precast, prestressed girders are camber and effective prestress. Incorrectly predicting the amount of prestress lost over the service life of a girder can have significant effects. Over-prediction of losses can result in the use of an unnecessarily large amount of prestressing in the girder, driving up the cost of that girder; under-prediction can lead to cracking and excessive deflections under service loads. Although under-prediction of prestress loss is not likely to affect flexural strength, it can lead to an over-estimation of concrete shear strength in the end regions of prestressed concrete beams. In a similar fashion, the significant over-prediction of camber can cause issues during the construction of the bridge and afterwards: the casting of a deck over girders with a smaller than expected

camber requires an increased volume of deck concrete, which increases cost and superimposed dead loads. In extreme cases, low-camber girders may eventually sag under superimposed dead loads.

In light of the previous statements regarding over-prediction of camber, the property is most important at early ages around the time of deck construction. As long as the camber at the time of deck construction is adequately predicted, long-term cambers are not likely to be problematic. Camber decreases during the addition of the deck, but composite-bridge cambers are not typically specified. Only the minimum camber at shipment (greater than 0.5 in.) was specified in the special provision of this project. However, estimates of initial camber and camber at the time of deck construction were provided on the construction plans.

Due to its self-weight, the deck reduces the precompression in the most heavily prestressed concrete (bottom flange) while simultaneously returning some of the effective prestress to the strands. Once the deck hardens and acts compositely with the girders, the composite section exhibits greater restraint against time-dependent deformation due to its increased flexural stiffness and also exhibits reduced load-induced time-dependent deformation because of the concrete decompression. Thus, the later-age camber behavior of individual girders is complex. This is especially true among girders joined by diaphragms and decking (as in this bridge) that are forced to act at least somewhat concordantly.

While the addition of the deck causes conservative load-dependent changes in effective prestress that are discussed further in Chapter 7, changes in load-independent strains may continue to significantly affect effective prestress ( $f_{pe}$ ) afterwards. The two

primary types of load-independent strain are those due to concrete volumetric shrinkage (predominantly drying and autogenous) and due to thermal effects (Mehta and Monteiro 2006). Considering the variables discussed in Sections 5.2.1 and 6.2.2, any two concretes may exhibit different long-term effective prestress behavior even if they exhibit the same load-dependent behavior. The importance of continued load-independent strain increase is also evidenced by the results of Section 5.4.1, in which the unrestrained shrinkage of cylinders increased by an average magnitude of approximately 70% between concrete ages of fifty-six days and three years.

#### **6.2.1.1 Prediction of Time-Dependent Deformations in Girders**

Time-dependent behavior of precast, prestressed girders involves many variables, many of which are interdependent or change with time. The most important variables include  $f_c$ ,  $E_c$ , and time-dependent creep and shrinkage properties of the material (Stallings et al. 2003; Storm et al. 2013). Changes in the above concrete properties over time were discussed in the previous chapters, as were the differences expectable in response to changes in mixture proportioning. Barr et al. (2008) concluded that errors in the prediction of full-scale behavior are predominantly due to errors in the material-behavior prediction models, which is why the time-dependent behavior of representative cylinders continues to be evaluated.

Unlike the compliance testing discussed in Chapter 5, the compressive stress in full-scale precast, prestressed girders changes with time, both in response to changing external loads (such as the addition of a deck or diaphragms) and changing internal strains (due to creep, shrinkage, or thermal effects). Thus, an incremental time-step

method is typically needed to predict the full-scale behavior of these girders. In previous research at the AUHRC, Johnson (2012), Schrantz (2012), and Stallings et al. (2003) have used such a method based on compatibility, equilibrium, empirically defined material behaviors (elastic and time-dependent), and engineering beam theory.

The time-step method used in past AUHRC research involved evaluation of stress and strain in a user-defined number of time steps and cross sections using empirical time-dependent deformation models (such as those specified by AASHTO 2013). Because prestressing is applied eccentrically and external loads cause flexural stresses, prediction of time-dependent deformation required calculation of an axial strain component (at the centroid of the cross section) and curvature-based strain component (assuming that plane sections remain plane). Thus, time-dependent deformations were computed by incrementally evaluating the changes in strain over all of the time steps leading up to the time of interest—at midspan to determine  $f_{pe}$  and over a user-defined number of cross sections to determine camber.

Conversely, the *AASHTO LRFD* (2013) provisions include two approaches to estimate time-dependent losses: an approximate or a refined approach. The approximate approach yields a lump-sum long-term prestress loss,  $\Delta f_{pLT}$ , due to time-dependent effects. Alternatively, the refined method splits the estimation of long-term losses into two separate time periods: from the time of transfer to the time of deck casting ( $\Delta f_{pid}$ ) and from deck casting onward ( $\Delta f_{pdf}$ ). The refined method was based upon research by Tadros et al. (2003), which also aimed at extending applicability of the existing provisions to high-strength concrete.

While prediction of time-dependent growth of camber is affected by inclusion or exclusion of transfer length, strand debonding, and strand draping (Storm et al. 2013), these considerations should have almost no effect on the calculation of time-dependent *changes* in effective prestress away from these regions. Camber predictions were not evaluated during the work documented in this dissertation, but literature concerning the predictability of camber is discussed by Johnson (2012) and Neal (2014).

#### **6.2.1.2 Time-Dependent Deformation of Full-Scale SCC Girders**

The importance and predictability of pre-erection camber was discussed in relation to this project by Johnson (2012), and pre-erection results were further reported by Keske et al. (2013a). SCC girders appeared to exhibit slightly greater cambers and internal strains than the companion VC girders at transfer (less than 10% greater bottom-flange strain and midspan camber) but comparable time-dependent changes prior to erection. These early-age differences appeared to be largely explainable by the differences in the mixture proportions of the two concretes. The relative increases in SCC camber and strain were also less than what would be predicted when considering its reduced  $E_{ci}$ .

Pre-erection cambers were systematically over-predicted in the girders produced for the Hillabee Creek Bridge, even when using measured engineering properties. Johnson (2012) suggested that the prediction error was likely related to pre-release cracking (see Figure 3.21), construction issues such as failure to release draped-strand hold-downs (see Section 3.4.1), or the extreme temperature gradient present due to the steam curing (see Section 6.2.2). Early-age SCC-girder camber, strain, and time-dependent growth were slightly less predictable than in VC girders, but camber growth

and strain growth were over-predicted in both materials. As a result, SCC and VC cambers and prestress losses were similar and comparably over-predicted (by up to 20%) by the time of erection.

Findings from other full-scale research projects regarding SCC girder behavior have been mixed. Naito et al. (2005) and Ziehl et al. (2009) found that SCC girders exhibited greater elastic shortening due to the reduced stiffness of the SCC, but that the SCC girders exhibited less growth over time. Trent (2007) also found that SCC girders exhibited less prestress loss despite being of the same strength and stiffness as the companion VC. Thus, these researchers suggested that SCC exhibited improved resistance to time-dependent deformation.

Other researchers (Hamilton et al. 2005; Schrantz 2012; Zia et al. 2005) have found no difference between SCC and VC camber or camber growth. Still others have found that SCC exhibits slightly greater (Erkmen et al. 2008; Ozyildirim 2008) or less (Khayat and Mitchell 2009) camber relative to companion VC girders. Many (Erkmen et al. 2008; Khayat and Mitchell 2009; Ozyildirim 2008) found that differences could be explained by differences in the material properties measured in representative cylinders; Khayat and Mitchell (2009) specifically found that later-age SCC camber was reduced because of the increased volumetric shrinkage of the material.

Like the mixed conclusions discussed in Section 5.2.1, it is difficult to directly compare structural properties of SCC and VC without accounting for differences in the tested materials. More importantly, Erkmen et al. (2008) and Trejo et al. (2008) concluded that representative-cylinder data could be used to predict measured in-place performance of SCC girders with as much accuracy as when predicting VC girder

behavior. Storm et al. (2013) suggest that the variability inherent to the production process (including the use of many discrete batches of concrete, differences in curing and ambient temperature, and release method) greatly affects behavioral predictions in all precast, prestressed concrete.

Hamilton et al. (2005), Staton et al. (2009) and Trejo et al. (2008) state that such construction variations may be more important than the difference between SCC and VC. Furthermore, several researchers have indicated that the accuracy of full-scale behavioral predictions is most significantly improved by the use of measured engineering properties in place of design properties, whether considering VC (Stallings et al. 2003; Storm et al. 2013) or SCC (Johnson 2012; Keske et al. 2013a, and as discussed in this dissertation).

### **6.2.2 Thermal Response of Precast, Prestressed Girders**

Unrestrained concrete and steel each expand when heated and contract when cooled. The stress-free change in unit length per unit of temperature change is referred to as the coefficient of thermal expansion (CTE). It is used to describe the load-independent thermal strain ( $\epsilon_T$ ) response to a change in temperature ( $\Delta T$ ) according to Equation 6-1.

$$\epsilon_T = CTE \times \Delta T \quad (6-1)$$

Changes in girder behavior due to fluctuations in ambient temperatures are time-dependent because temperatures vary with time. However, after hydration-related early-age  $E_c$  evolution and thermal effects have stabilized, the effects of ambient temperature changes are transient—as long as restraint of thermal deformation does not lead to inelastic stresses, the change in strain corresponding to a particular change in temperature is reversed when the change in temperature is reversed. While the sustaining of a

particular temperature for a long period of time may influence restrained concrete stress and, consequently, long-term creep, evaluation of these long-term thermal effects was outside the scope of this project.

#### **6.2.2.1 Coefficient of Thermal Expansion of Reinforced Concrete**

Concrete and steel exhibit different but very similar CTE: approximately 4.1–7.2  $\mu\epsilon/^\circ\text{F}$  in concrete (average of 5.6  $\mu\epsilon/^\circ\text{F}$ ) and 6.1–6.7  $\mu\epsilon/^\circ\text{F}$  in steel (FHWA 2011). Concrete and steel interact favorably because they exhibit similar CTE, but the disparity between the two can vary widely due to the heterogeneous nature of concrete. Each component of concrete—cement, SCM, sand, coarse aggregate, and water—exhibits a different CTE, so the CTE of the composite material varies widely and is based entirely on the mixture proportions and interactions between the components. In general, CTE of concrete is based on the paste volume, cementitious material type, and aggregate type, with aggregate type having the most significant influence because aggregate represents the largest portion of the material volume (Mindess et al. 2003).

An increasing understanding of the large stresses that can develop in integral concrete structures (especially bridge decks and concrete pavements) due to thermal expansion led the AUHRC research team to evaluate CTE in concrete made using typical Alabama materials and proportions. In that research, Sakyi-Bekoe (2008) determined that Alabama concrete made using siliceous river gravel exhibited a greater CTE than concrete made with crushed dolomitic limestone—6.9  $\mu\epsilon/^\circ\text{F}$  versus 5.5  $\mu\epsilon/^\circ\text{F}$ , respectively. The difference was attributed to the distinctly different CTE of the coarse aggregates. Mindess et al. (2003) state that quartz and similarly siliceous aggregates

exhibit the highest aggregate CTE of approximately  $6.9 \mu\epsilon/^\circ\text{F}$ , while dolomite may exhibit a CTE as low as  $3.0 \mu\epsilon/^\circ\text{F}$ . Furthermore, the mineralogy of a particular aggregate type can vary between quarries, with direct implications on the CTE of the aggregate (Emanuel and Hulsey 1977).

The second largest effect observed in the AUHRC study by Sakyi-Bekoe (2008) was *s/agg*, at least when evaluating the dolomitic-limestone concrete. Because natural sand typically contains a high percentage of silica, it exhibits a CTE more similar to that of siliceous river gravel. Thus, increasing the coarse aggregate content or reducing the *s/agg* reduced the CTE of concrete made with crushed dolomitic limestone (Sakyi-Bekoe 2008). Also, increasing total aggregate volume decreased CTE, but the effect of the variable was confounded in that work because *w/cm* was also increased, which would have the same effect on the concrete CTE.

CTE of hardened, saturated cement paste is approximately  $10 \mu\epsilon/^\circ\text{F}$ , and it is affected by SCM replacement, *w/cm*, and (most importantly) degree of saturation (Mindess et al. 2003). The effects of SCMs and *w/cm* on paste CTE are generally considered to be minor except when comparing drastically different mixtures. In past AUHRC research, changing the *w/cm* from 0.32 to 0.44 typically decreased CTE by 3–10% (Sakyi-Bekoe 2008). Meanwhile, completely saturated concrete exhibits approximately the same CTE as oven-dried concrete, but concrete CTE increases by up to approximately 18% at partial saturation (maximum at approximately 70% relative humidity) (Neville 1996). More specifically, the CTE of the paste fraction has been observed to increase by 60–70% when exposed to approximately 50–70% relative humidity. This dependence is illustrated in Figure 6.1 from Neville (1996).

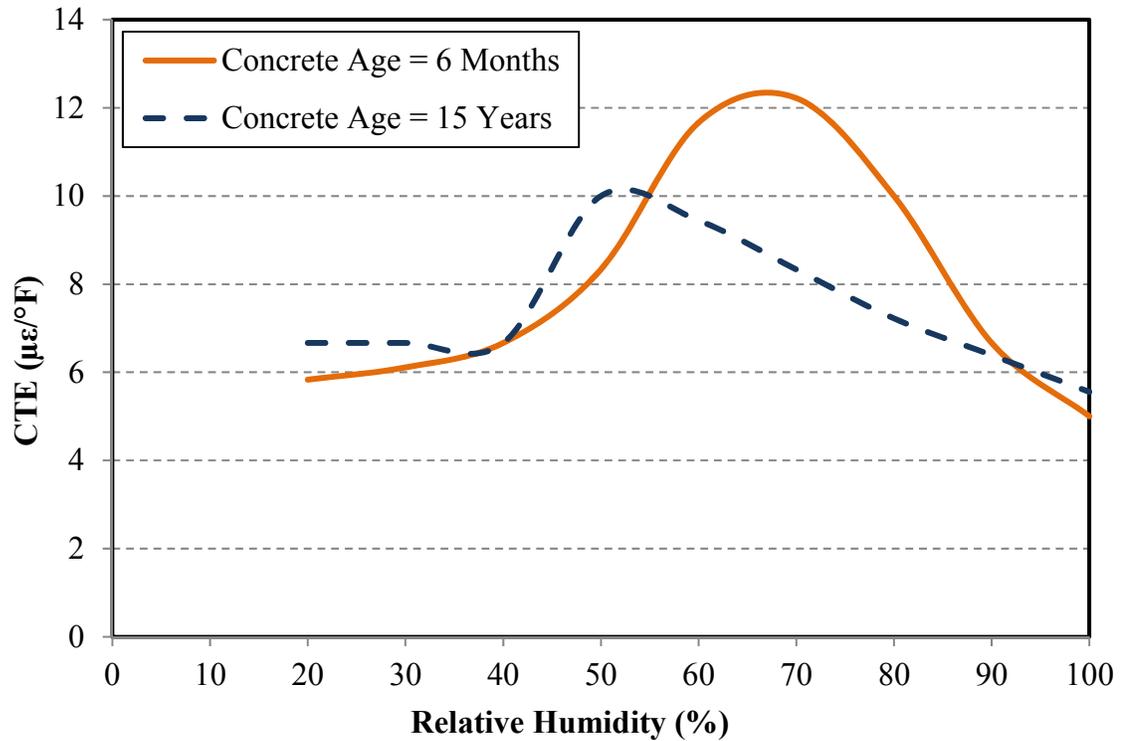


Figure 6.1: Variation of CTE of cement paste due to relative humidity (adapted from Neville 1996)

The effect of partial saturation on concrete CTE can also be interpreted from ACI 209 (1992) Equation 2-32, which is presented as Equation 6-2 below. In it, CTE (in  $\mu\epsilon/^\circ\text{F}$ ) is estimated by an empirical formula with variables for concrete saturation ( $x$ ) and coarse aggregate type ( $e_{agg}$ ):

$$CTE = x + 1.72 + 0.72(e_{agg}) \quad (6-2)$$

In the equation, an  $e_{agg}$  value of 3.1 was recommended for limestone. The variable  $x$  was described as equaling 0.0 in saturated conditions and “0.83 to 1.11” in external beams exposed to gradual drying. Based on this equation, CTE of limestone-aggregate concrete at a partially saturated relative humidity is as much as 17% greater than at full saturation. Furthermore, a Mississippi DOT report on the effect of relative

humidity on CTE found that concrete made with Alabama limestone exhibited up to 26% greater CTE at 75% relative humidity than at saturation (Al-Ostaz 2007).

Emanuel and Hulsey (1977) first recommended a volumetrically weighted calculation of CTE for concrete. This concept was recommended by FHWA (2011) as being second in accuracy only to the physical measurement of CTE according to AASHTO T 336 (AASHTO 2012). Volumetric calculation of CTE was also used by Sakyi-Bekoe (2008) to estimate CTE in Alabama concrete. In a general form, this relationship is illustrated by Equation 6-3 (Emanuel and Hulsey 1977):

$$CTE_{Concrete} = CTE_{Paste} \left( \frac{V_{Paste}}{V_{Total}} \right) + CTE_{FA} \left( \frac{V_{FA}}{V_{Total}} \right) + CTE_{CA} \left( \frac{V_{CA}}{V_{Total}} \right) \quad (6-3)$$

Where

$V_{Paste}$  is the volume of the cementitious paste,

$V_{FA}$  is the volume of the fine aggregate,

$V_{CA}$  is the volume of the coarse aggregate, and

$V_{Total}$  is the total volume of concrete that includes air content.

Considering Equation 6-3, the CTE of SCC is expected to be different than that of VC if it contains a greater paste volume (which exhibits a relatively larger CTE) and sand volume (frequently siliceous, which exhibits a larger CTE than dolomitic limestone coarse aggregate). Notably, this difference would be expected between *any* two concretes with varying proportions or different types of aggregate.

### 6.2.2.2 Consideration of Thermal Effects in Precast, Prestressed Girders

Predictions of internal strain do not generally consider the effects of concrete temperature because thermal effects are transient. However, actual girders are almost certainly exposed to constantly changing ambient temperature variation, heating due to sunlight, and cooling due to rain or wind. These environmental conditions cause non-uniform temperature distributions throughout the girder which affect the apparent internal strains in the material. While the effect on the apparent concrete strain may be large, the change in strain does not necessarily reflect a change in effective prestress because the encapsulated reinforcement also expands due to these effects (although at a potentially different rate).

Steel and concrete exhibit different CTEs, which may lead to the development of internal bond stress or composite-material behavior that is not exactly the same as determined through a transformed-section analysis. Concrete volumes also respond to ambient conditions differently depending on  $V/S$ . For example, the slender web of a bulb-tee may heat or cool rapidly because of its relatively small  $V/S$ , while the bottom bulb heats or cools more slowly due to its larger  $V/S$ . These factors further complicate comparisons of measured internal strains between girders, within a girder over time, or versus predictions.

To effectively compare the long-term time-dependent behavior of girders that are exposed to different thermal gradients and ambient conditions, it is necessary to measure these thermal gradients and isolate their effects from those of long-term time-dependent creep and shrinkage. In previous work for this project (Johnson 2012) and research conducted elsewhere (Baran et al. 2003; Erkmen et al. 2008), internal temperatures were

measured at midspan of full-scale girders to observe and be able to account for such thermal effects. The work of Johnson (2012) is summarized in Sections 6.3.1 and 6.3.3 because it relates to the instrumentation and method of analysis used in this dissertation. Meanwhile, Baran et al. (2003) and Erkmen et al. (2008) mainly studied cracking and stress behavior leading up to the time of transfer. Baran et al. (2003) did not evaluate SCC directly, and Erkmen et al. (2008) found that these pre-release behaviors were no different in SCC girders than in VC girders.

### **6.2.2.3 Thermal Response of Full-Scale SCC Girders**

Like Erkmen et al. (2008), Trejo et al. (2008) found that pre-release behavior had essentially no different effect on early-age prestress behavior in SCC girders and in VC girders. While SCC may exhibit a larger CTE than comparable VC due to its different mixture proportions (see Equation 6-3), other documentation of thermal effects in full-scale SCC girders has been limited. Among the full-scale projects discussed in Chapter 3, only Zia et al. (2005) documented in-place thermal effects. They found that thermal fluctuations in internal strain were greater in SCC girders than in companion VC girders despite being of the same elastic stiffness. They stated that, “under seasonal temperature changes, the stiffness of the SCC girders appeared to decrease more than the stiffness of the regular concrete girders.” What their results more likely indicate is a difference in CTE— $E_c$  does not change seasonally, but load-independent strains would be different at a given temperature if two concretes exhibit different CTEs.

Elsewhere, varying values of concrete CTE were assumed during analyses of measured SCC and VC results. Khayat and Mitchell (2009) assumed a concrete CTE of

6.4.  $\mu\epsilon/^\circ\text{F}$  in both the SCC and VC described in Section 3.2.2.7 because of the high paste content and low  $w/cm$  of those mixtures. Trejo et al. (2008) assumed an SCC CTE of 5.6  $\mu\epsilon/^\circ\text{F}$  because it would be very similar to assumed steel and strain-gauge CTEs of 5.0 and 5.6  $\mu\epsilon/^\circ\text{F}$ , respectively. Meanwhile, Erkmen et al. (2008) assumed concrete and steel CTEs of 6.0 and 6.8  $\mu\epsilon/^\circ\text{F}$ , respectively. All of these fell within the range published by the FHWA (2011) and described earlier, and none distinguished between the CTE of SCC and of VC.

### **6.3 Experimental Program**

Much of the experimental work pertaining to this research program has been described in Section 3.3.3 of this dissertation and elsewhere by Johnson (2012), Keske et al. (2013a), and Neal (2014). The information from these publications is summarized below, and additional information is presented regarding thermal effects and the measurement of concrete CTE.

#### **6.3.1 Concrete Strain Evaluation**

Vibrating-wire strain gauges (VWSGs) were installed in every girder in the bridge, as well as in the deck over every girder, at midspan. The VWSGs were installed at various locations over the height of the girders and at the mid-depth of the deck. The gauge locations and girder geometries were identical in companion SCC and VC girders, which allowed for the direct comparison of measured concrete-strains and temperatures.

Measured effective prestress (as determined by measuring changes in concrete strain) was also directly compared to the  $f_{pe}$  predicted according to the provisions of

*AASHTO LRFD Bridge Design Specifications* (2013) Sections 5.9.5.3 and 5.9.5.4 concerning approximate and refined estimation of time-dependent prestress losses, respectively. The refined estimation models presented in Section 5.9.5.4 are the models currently used by ALDOT for prestress-loss prediction that were also evaluated in Chapter 5 relative to results measured in representative cylinders. The direct implementation of the recommendations from that chapter was, consequently, also evaluated in these girders.

### 6.3.1.1 Vibrating-Wire Strain Gauges and Locations

The VWSGs used in this project were Geokon, Inc. VCE-4200 gauges. Details showing the various components of these gauges are shown below in Figure 6.2 and described further by Johnson (2012).

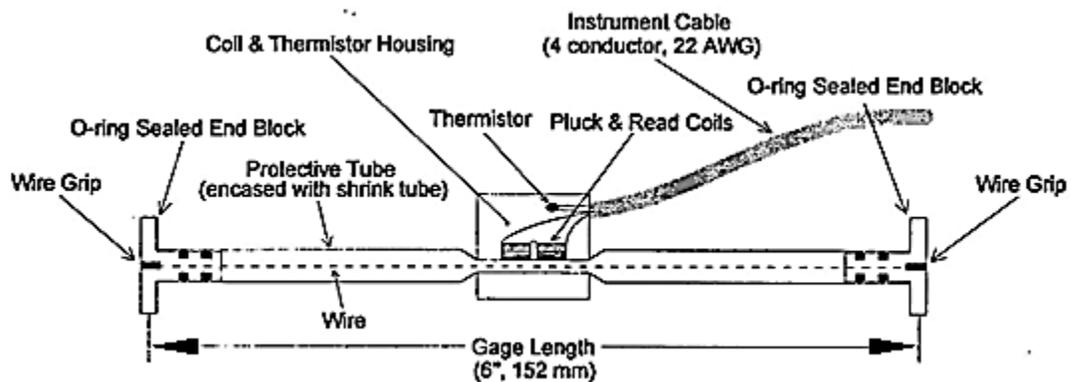


Figure 6.2: VCE-4200 vibrating-wire strain gauge schematic (Geokon 2010)

VWSGs were placed to allow for strain comparisons between girders undergoing congruent loading once erected at the bridge. However, they were used throughout this research to measure time-dependent strains and temperatures. With reference to Figure

3.16 and Table 3.2, girders along lines 4–7 were instrumented for “full-depth” strain and temperature measurement, while girders in lines 1–3 were instrumented only for bottom-flange concrete strain and temperature measurement. Thus, the VWSGs were placed so that they would be located (where applicable) at

- The midspan centroid of the bottom-flange prestressing strands located 6 in. from the bottom surface of the BT-54 girders and 8.8 in. from that of the BT-72 girders (all girders),
- One quarter of the web height above the bottom bulb as well as below the top flange (for full-depth measurements only),
- The centroid of the lightly stressed prestressing steel in the top flange (for full-depth measurements only), and
- A constant depth of 3.9 in. from the top surface of the deck, which varied in relation to the bottom of the girder due to differences in the girder haunch (every girder).

The deck-depth gauge locations were determined based on the configuration of the deck reinforcement. Deck reinforcement is situated such that it is located at a constant depth within the deck regardless of the underlying haunch thickness. Because it was also convenient to determine deck strains and temperatures at a consistent depth as well, the VWSGs were attached to this reinforcement. In this way, the gauges were partially protected from impact during construction, and it was understood that their distance from the girder gauges could vary. Determination of this variable distance is discussed in Section 6.3.4. VWSG locations are illustrated in Figure 6.3 and Figure 6.4.

Among the girders instrumented only for bottom-flange measurement, VWSGs were located only at the bottom-most and upper-most locations shown in each figure. Also, because of the variable haunch thickness, total depth varied as shown in the figures.

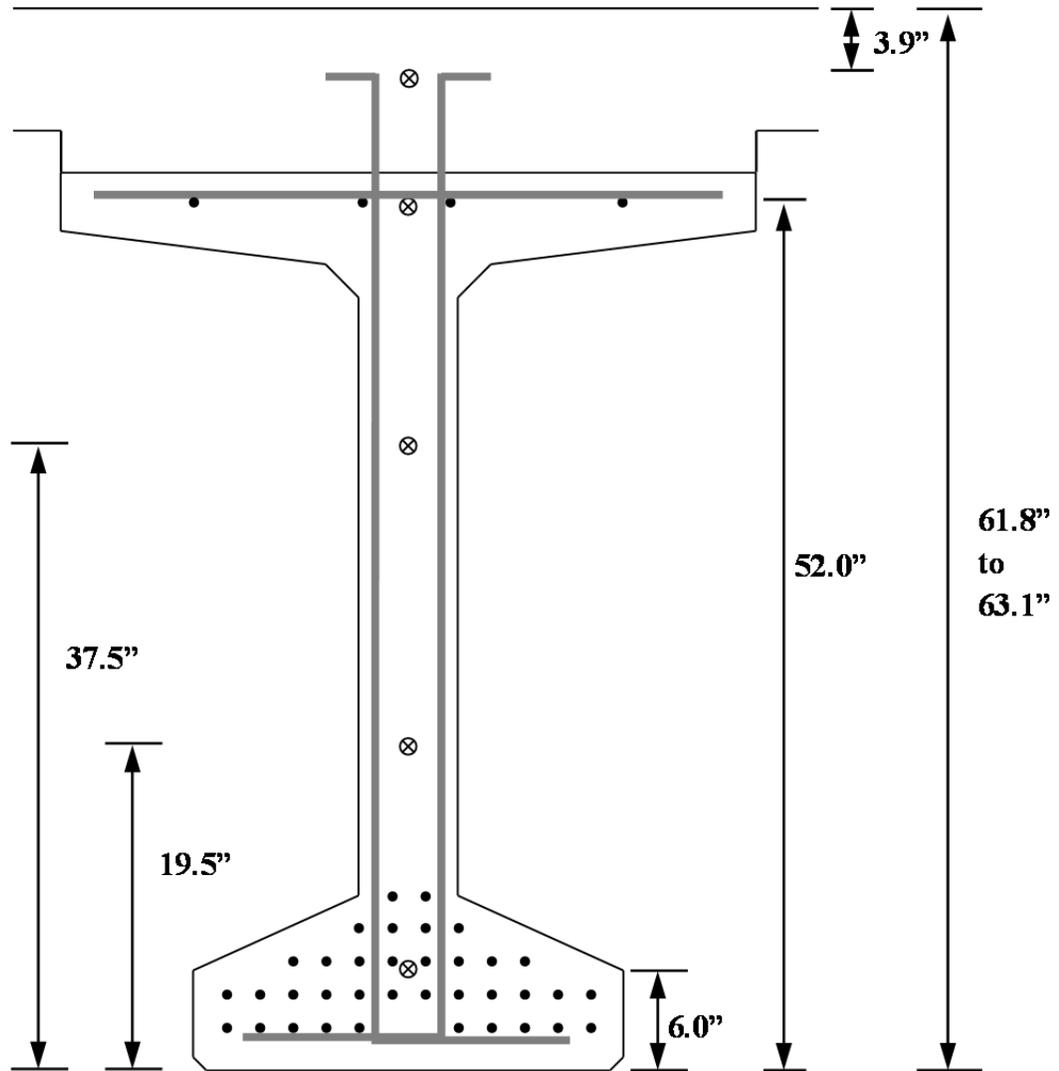


Figure 6.3: BT-54 VWSG configuration (where applicable)

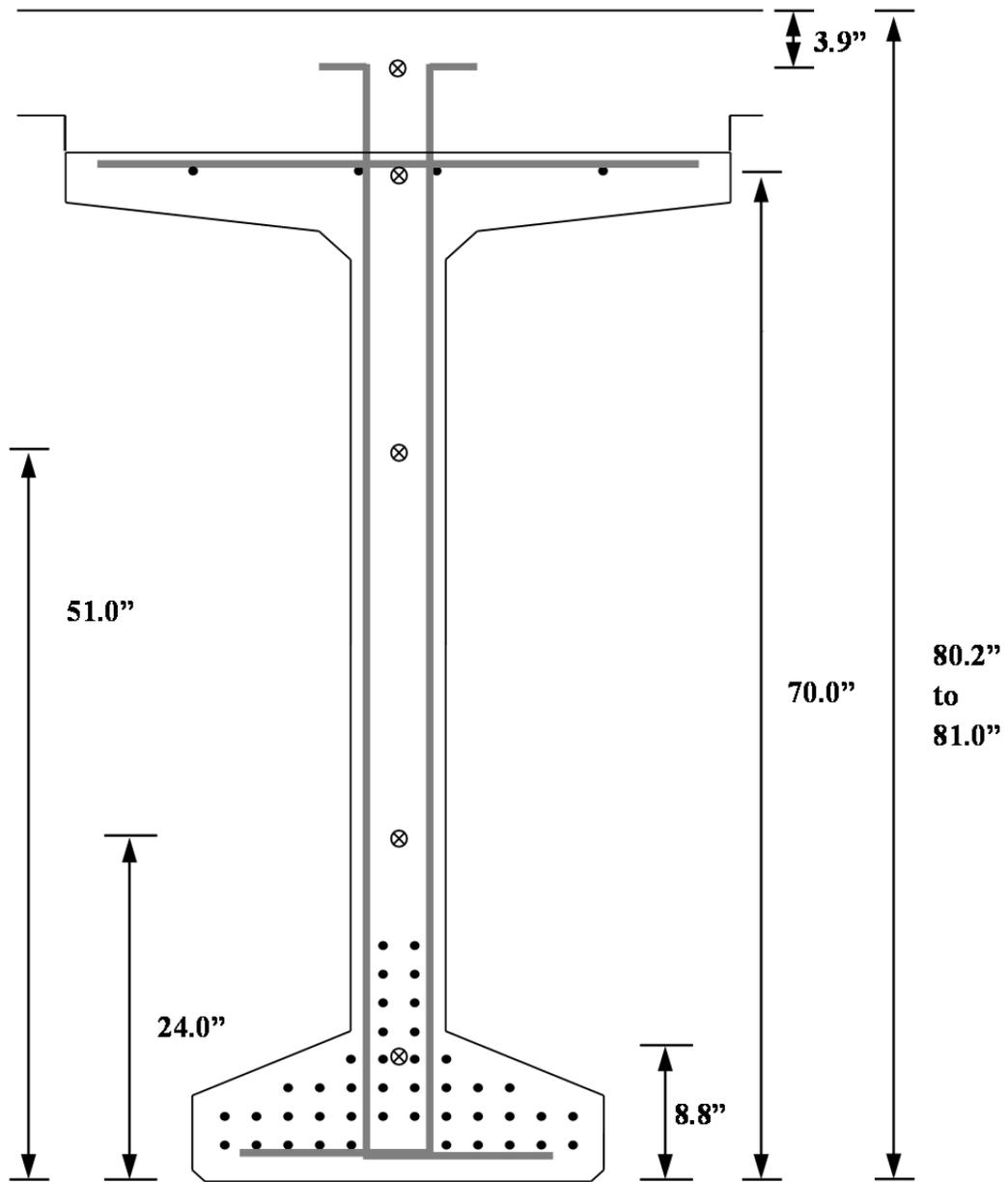


Figure 6.4: BT-72 VWSG configuration (where applicable)

Details concerning the manner in which the VWSGs were secured at the proper locations within each girder are discussed by Johnson (2012). In a fashion similar to that employed during girder fabrication, gauges cast into the deck were secured to the deck reinforcement using zip-ties. An example of this instrumentation is given in Figure 6.5.

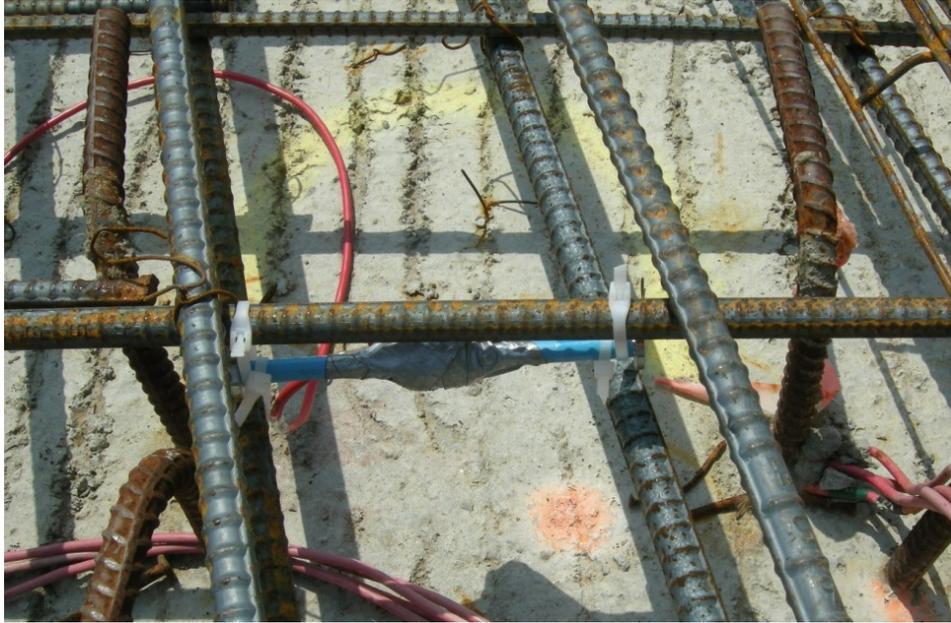


Figure 6.5: VWSG installed within deck reinforcement prior to casting

Two data acquisition systems were used in this research. These systems were described in detail by Johnson (2012). The process by which gauge strains are determined is found in Appendix B of the Geokon Instruction Manual (2010) that was included with the gauges; this process was also described by Johnson (2012). In all reported results, the measured strains have been corrected for the actual temperature of the gauge according to the process described by those two references.

### **6.3.1.2 Conversion of Concrete Strain to Effective Prestress**

Prestress losses were not directly measured in this research. However, prestress losses were estimated based on the strain results from the VWSGs. Compatibility and the bond between the concrete and prestressing strand should mean that a strain change measured by the VWSG corresponds directly to a strain change in the prestressing strand at the level of the gauge. The stress in the prestressing steel remained well within the linear-

elastic behavior range, meaning that a change in measured concrete strain would also correspond directly to a change in stress in the strand. Based on linear-elastic stress-strain behavior and compatibility, the effective prestress is thus determined as follows:

$$f_{pe} = E_p(\Delta\varepsilon_{c,cgp}) + f_{pbt} \quad (6-4)$$

In Equation 6-4,  $\Delta\varepsilon_{cgp}$  is the change in concrete strain at the *cgp* since immediately prior to transfer (elastic plus time-dependent). It is directly measured using the VWSGs placed at each girder *cgp*; alternatively, its calculation according to the *AASHTO LRFD* (2013) provisions is discussed in the next section.

Several mechanisms can lead to unidentifiable loss of prestress in the strands—steel stress relaxation, seating of the strand chucks, friction at draped-strand hold-downs, and differential heating prior to concrete set. Most of these mechanisms only occur prior to strand release, and they may be compensated for by the producer or have not been found to be differently affected by the use of SCC (Erkmen et al. 2008). Meanwhile, time-dependent stress relaxation, or a reduction in steel stress without a corresponding change in strain, occurs over time and is difficult to accurately measure in the prestressing bed or once the steel is bonded to the concrete.

The elastic strain response to the release mechanism depends on the strand stress immediately *before* transfer ( $f_{pbt}$ ), which is reduced by stress relaxation; furthermore, all subsequent predictions of time-dependent behavior depend upon the initial elastic response. Therefore, pre-release strand relaxation losses may be estimated according to Equation 6-5 (Stallings et al. 2003):

$$\Delta f_{p,R} = f_{pj} \left[ \frac{\log(t_i)}{45} \right] \left[ \left( \frac{f_{pj}}{f_{py}} \right) - 0.55 \right] \quad (6-5)$$

Where

$\Delta f_{p,R}$  is the change in prestress force due to stress relaxation (ksi),

$f_{pj}$  is the jacking stress (ksi),

$f_{py}$  is the yield strength of the prestressing reinforcement (ksi), and

$t_i$  is the time between jacking and prestress transfer (hours).

While it would actually differ over the height of the cross section due to curvature of the girder, effective prestress (and prestress loss) is only calculated at the center of gravity of the bottom-bulb prestressing steel, or  $cgp$ , during design. It is for this reason that VWSGs were placed at the approximate midspan  $cgp$  in every girder. Consequently, the measured concrete strains reported in Appendix H (Table H.13–Table H.22) were used to directly calculate  $f_{pe}$  in the prestressing steel at various girder ages.

### **6.3.2 Prediction of Prestress Losses using *AASHTO LRFD (2013) Models***

Prediction of prestress losses consisted of two components: elastic losses (or gains) due to changes in external loading and time-dependent losses due to concrete creep and shrinkage. In all calculations and predictions, the following engineering principles are assumed and employed: strain compatibility, linear-elastic stress-strain material behavior, internal equilibrium, and the assumption that plane sections remain plane. Also, engineering properties measured in representative cylinders (such as  $f_c$  or  $E_c$ ) were used throughout this research.

As mentioned earlier, the *AASHTO LRFD Bridge Design Specifications (2013)* present two procedures that may be used to predict prestress losses due to time-dependent

effects: an approximate estimation method that is presented in Section 5.9.5.3 of the *LRFD* specifications, and a refined estimation method that is presented in Section 5.9.5.4. Both estimation methods were applied to predict the prestress of the girders produced for the Hillabee Creek Bridge. They are considered “standard precast, pretensioned members subject to normal loading and environmental conditions” as defined in Section 5.9.5.3 of the *AASHTO LRFD*, but the refined models of Section 5.9.5.4 may more precisely estimate time-dependent prestress losses based on measured conditions and material properties. Considerations involved in these prediction methods are discussed in the subsequent subsections.

Unlike the uniaxial compression testing described in Chapter 5, effective prestress in full-scale girders actively affects and is affected by time-dependent deformation. It is also affected by the elastic response of the concrete to external loads, including transfer and deck addition. Because the simplified and refined methods are only used to predict *time-dependent* losses, the prediction of total losses (for direct comparison to measured results) according to either method required calculation of these elastic responses. Therefore, the method used to calculate these elastic responses is discussed first.

#### **6.3.2.1 Calculation of Instantaneous Elastic Change in Strain**

At the time of transfer, the axial compression resulting from the applied prestressing force causes an axial shortening of the member. The strands simultaneously shorten, causing a prestress loss due to elastic shortening. AASHTO (2013) allows the designer to determine elastic shortening losses in a few different ways: gross-section approximation, iterative gross-section analysis, and a transformed-section analysis.

The transformed-section approach is more accurate than a gross-section approximation when measured engineering properties are known, and it removes the need for iteration. Transformed properties could also be adjusted over time to reflect changes in concrete material properties or the addition of a concrete deck (during refined estimations), making this method convenient for the current research. The transformed-section approach used to determine the stresses in the concrete and prestressing steel immediately after transfer is summarized below:

$$f_{cgp} = -\frac{f_{pbt}A_{ps}}{A_{tr}} - \frac{f_{pbt}A_{ps}e_{tr}y_{tr}}{I_{tr}} + \frac{My_{tr}}{I_{tr}} \quad (6-6)$$

And

$$f_{pt} = f_{pbt} - n_p \left( \frac{A_{ps}}{A_{tr}} + \frac{e_{tr}^2 A_{ps}}{I_{tr}} \right) f_{pbt} + n_p \frac{Me_{tr}}{I_{tr}} \quad (6-7)$$

Where

$f_{cgp}$  is the concrete stress at the  $cgp$  immediately after transfer,

$f_{pbt}$  is the stress in prestressing steel immediately before transfer,

$f_{pt}$  is the stress in prestressing steel immediately after transfer,

$A_{ps}$  is the area of prestressed reinforcement,

$A_{tr}$  is the transformed cross-sectional area (including replacement of reinforcement area with equivalent concrete area),

$I_{tr}$  is the moment of inertia of the transformed section,

$e_{tr}$  is the eccentricity of prestress force with respect to the centroid of the transformed area,

$y_{tr}$  is the distance from the centroid of the transformed section to the

location at which strain is determined, equaling  $e_{tr}$  in this equation,

$n_p$  (equal to  $\frac{E_p}{E_{ci}}$ ) is the modular ratio of prestressing reinforcement with

respect to concrete, at transfer,

$E_p$  is the modulus of elasticity of prestressed reinforcement,

$E_{ci}$  is the modulus of elasticity of concrete at time of prestress transfer, and

$M$  is the bending moment present at a given cross section immediately

after transfer (usually due to self-weight of the girder)

By rearranging Equation 6-7, the elastic shortening loss  $\Delta f_{pES}$  is calculated as the difference between  $f_{pt}$  and  $f_{pbt}$ .

$$\Delta f_{pES} = -n_p \left( \frac{A_{ps}}{A_{tr}} + \frac{e_{tr}^2 A_{ps}}{I_{tr}} \right) f_{pbt} + n_p \frac{M e_{tr}}{I_{tr}} \quad (6-8)$$

The first term in Equation 6-8 represents the loss from the prestress transfer, while the second term represents the opposing effect of the self-weight bending moment on the cross section. As such, the elastic gains due to the addition of the diaphragms, deck, and barriers were directly calculated using the second term in the equation in conjunction with transformed properties determined using the material properties present at the time of that loading. This gain was then included in the calculations of time-dependent and total prestress losses as necessary.

### 6.3.2.2 Approximate Estimate of Long-Term Time-Dependent Losses

*AASHTO LRFD* (2013) Section 5.9.5.3 contains the expression derived by Al-Omaishi (2001) and Tadros et al. (2003) to estimate the total long-term losses due to shrinkage and

creep. The prestress loss due to these combined long-term effects,  $\Delta f_{pLT}$ , is determined by Equation 6-9:

$$\Delta f_{pLT} = 10 \frac{f_{pi} A_{ps}}{A_g} \gamma_h \gamma_{st} + 12 \gamma_h \gamma_{st} + \Delta f_{pR} \quad (6-9)$$

Where

$f_{pi}$  is the prestressing steel stress immediately prior to transfer (equivalent to  $f_{pbt}$  in this research),

$A_g$  is the gross cross-sectional area of the non-composite girder,

$\gamma_h$  is the correction factor for relative humidity of the ambient air,

$\gamma_{st}$  is the correction factor for strength at the time of prestress transfer, and

$\Delta f_{pR}$  is an estimate of steel relaxation loss taken as 2.4 ksi for low-relaxation strand.

The approximate estimate of time-dependent losses presented in *AASHTO LRFD* (2013) Section 5.9.5.3 and above was based on calibration with full-scale test results and with results of the refined method described in the next section, and it was found to give conservative results (Al-Omaishi 2001; Tadros et al. 2003). The estimate assumes that the member is fully utilized (level of prestressing is such that concrete tensile stress at full service loads is near the maximum limit), which is reasonable for I-beam construction (AASHTO 2013) such as used in this research.

As shown in relation to Equation 6-9, long-term losses due to steel relaxation after release,  $\Delta f_{pR}$ , are approximated as a lump-sum of 2.4 ksi. Note that this lump-sum does not include losses between the time of jacking and release, so its calculation is separate from that discussed in relation to Equation 6-5.

### 6.3.2.3 Refined Estimate of Losses from Release to Time of Deck Addition

*AASHTO LRFD* (2013) Section 5.9.5.4.2 contains the expressions derived by Tadros et al. (2003) to determine the losses due to shrinkage and creep from transfer to the time of deck addition. The prestress loss due to the shrinkage of girder concrete during this time period,  $\Delta f_{pSR}$ , is determined by Equation 6-10:

$$\Delta f_{pSR} = \varepsilon_{bid} E_p K_{id} \quad (6-10)$$

In which

$$K_{id} = \frac{1}{1 + \frac{E_p}{E_{ci}} \frac{A_{ps}}{A_g} \left( 1 + \frac{A_g e_{pg}^2}{I_g} \right) [1 + 0.7 \Psi_b(t_f, t_i)]} \quad (6-11)$$

And where

$\varepsilon_{bid}$  is the concrete shrinkage strain of in the girder between the time of transfer and deck placement, per Equation 5-8,

$K_{id}$  is the transformed-section coefficient that accounts for the time-dependent interaction between concrete and steel in the section being considered, for the time period prior to deck placement,

$e_{pg}$  is the eccentricity of prestressing force with respect to the gross-section centroid of the girder (positive where it is below girder centroid),

$I_g$  is the gross moment of inertia of the girder,

$\psi_b(t_f, t_i)$  is the girder creep coefficient at final time due to loading introduced at transfer, per Equation 5-3,

$t_f$  is the final age considered (days), and

$t_i$  is the age at transfer (days)

The prestress loss due to creep of the girder concrete between time of prestress transfer and deck placement,  $\Delta f_{pCR}$ , is determined by Equation 6-12:

$$\Delta f_{pCR} = \frac{E_p}{E_{ci}} f_{cgp} \psi_b(t_d, t_i) K_{id} \quad (6-12)$$

Where

$\psi_b(t_d, t_i)$  is the girder creep coefficient at time of deck placement due to the loading introduced at transfer, per Equation 5-3, and  $t_d$  is the age at deck placement (days).

In the previous equations,  $K_{id}$  is used to account for the restraint that would actually be present in the gross section due to the presence of steel reinforcement. Notably, this single calculation is based on *gross* section properties, not transformed section properties, because it directly accounts for the interaction between steel and concrete through the inclusion of a modular ratio in the denominator.

Losses due to relaxation of prestressing strands between the times of transfer and deck addition,  $\Delta f_{pRI}$ , are discussed in Section 5.9.5.4.2c of the provisions. According to those provisions,  $\Delta f_{pRI}$  may be calculated according to Equation 5.9.5.4.2c-1, which is shown below as Equation 6-13.

$$\Delta f_{pRI} = \frac{f_{pt}}{K_L} \left( \frac{f_{pt}}{f_{py}} - 0.55 \right) \quad (6-13)$$

Where

$\Delta f_{pRI}$  is the change in prestress force due to stress relaxation (ksi) between the times of transfer and deck addition,  $f_{pt}$  is the stress in the steel immediately *after* release (ksi), and

$K_L$  is a constant equal to 30 for low-relaxation strand.

Per the provisions of *LRFD* Section 5.9.5.4.2c,  $\Delta f_{pRI}$  may alternatively be assumed to equal 1.2 ksi for low-relaxation strand. Equation 6-13 was chosen over the assumed value to improve the accuracy of predictions that involved its use, specifically Equation 6-17 in the next section. While similar in format to Equation 6-5, Equation 6-13 does not require calculation of the time between release and deck addition. This information would not typically be known to the engineer during design, and Equation 6-13 is a simplification of an equation derived by Tadros et al. (2003) in which  $t_i$  and the age at deck addition are assumed to equal 0.75 days and 120 days, respectively (AASHTO 2013).

#### 6.3.2.4 Refined Estimate of Losses from Time of Deck Addition Onward

*AASHTO LRFD* Section 5.9.5.4.3 contains the expressions derived by Tadros et al. (2003) to determine the losses due to shrinkage and creep from time of deck placement onward. The prestress loss due to shrinkage of girder concrete after the time of deck placement,  $\Delta f_{pSD}$ , is determined by Equation 6-14:

$$\Delta f_{pSD} = \varepsilon_{bdf} E_p K_{df} \quad (6-14)$$

In which

$$K_{df} = \frac{1}{1 + \frac{E_p}{E_{ci}} \frac{A_{ps}}{A_c} \left( 1 + \frac{A_c e_{pc}^2}{I_c} \right) [1 + 0.7 \Psi_b(t_f, t_i)]} \quad (6-15)$$

And where

$\varepsilon_{bdf}$  is the shrinkage strain in the girder from the time of deck placement onward, per Equation 5-8,

$K_{df}$  is the transformed-section coefficient that accounts for the time-dependent interaction between concrete and steel in the section being considered, from the time of deck addition to the final time considered,

$e_{pc}$  is the eccentricity of prestressing force with respect to centroid of the composite girder-deck section (positive in common construction where the centroid of prestress is below girder centroid),

$A_c$  is area of the section calculated using the gross composite concrete section properties of the girder and the deck and the deck-to-girder modular ratio (in.<sup>2</sup>), and

$I_c$  is the moment of inertia of the section calculated using the gross composite concrete section properties of the girder and the deck and the deck-to-girder modular ratio at service (in.<sup>4</sup>).

Similarly, the prestress loss due to the creep of girder concrete from the time of deck placement onward,  $\Delta f_{pCD}$ , is estimated by Equation 6-16 in which a loss is positive and gain is negative.

$$\Delta f_{pCD} = \frac{E_p}{E_{ci}} f_{cgp} [\Psi_b(t_f, t_i) - \Psi_b(t_d, t_i)] K_{df} + \frac{E_p}{E_c} \Delta f_{cd} \Psi_b(t_f, t_d) K_{df} \quad (6-16)$$

In which

$$\Delta f_{cd} = \Delta f_{ce} + \frac{A_{ps}}{A_{tr}} (\Delta f_{p,id}) + \frac{A_{tr} e_{tr}^2}{I_{tr}} (\Delta f_{p,id}) \quad (6-17)$$

And where

$\psi_b(t_f, t_d)$  is the girder creep coefficient due to the additional loading at the time of deck placement, per Equation 5-3,

$\Delta f_{cd}$  is the change in concrete stress at the *cgp* due to time-dependent losses between transfer and deck placement plus elastic gains due to the deck weight and superimposed loads (ksi), in which a compressive stress is positive and a tensile stress is negative,

$\Delta f_{ce}$  is the elastic change in concrete stress at the *cgp* due to the deck weight and superimposed loads (ksi), in which a compressive stress is positive and a tensile stress is negative, and

$\Delta f_{p,id}$  is sum of  $\Delta f_{pSR}$ ,  $\Delta f_{pCR}$ , and  $\Delta f_{pR1}$ .

After composite action is achieved, deck concrete shrinkage is restrained by the girder. Due to compatibility with the girder, the restrained deck shrinkage induces compression in the top of the girder. Because both net axial force and internal bending moment equal zero, this results in a downward deflection, an extension of the bottom flange, and a resulting gain in prestress due only to the shrinkage of the deck,  $\Delta f_{pSS}$ . The *AASHTO LRFD* provisions account for this phenomenon by Equations 6-18 and 6-19:

$$\Delta f_{pSS} = \frac{E_p}{E_c} \Delta f_{cdf} K_{df} [1 + 0.7\psi_b(t_f, t_d)] \quad (6-18)$$

In which

$$\Delta f_{cdf} = \frac{\varepsilon_{ddf} A_d E_{cd}}{[1 + 0.7\psi_d(t_f, t_d)]} \left( \frac{1}{A_c} - \frac{e_{pc} e_d}{I_c} \right) \quad (6-19)$$

And where

$\Delta f_{cdf}$  is the change in concrete stress at the *cgp* due to shrinkage of the deck concrete (ksi),

$\epsilon_{ddf}$  is the shrinkage strain of the deck concrete from the point of initial curing through the final time considered, per Equation 5-8,

$A_d$  is the gross area of deck concrete (in.<sup>2</sup>),

$E_{cd}$  is the modulus of elasticity of deck concrete (ksi),

$e_d$  is the eccentricity of the deck centroid with respect to the gross composite-section centroid (positive where deck is above girder), and

$\psi_d(t_f, t_d)$  is the creep coefficient of the *deck* concrete applied to loading introduced after deck placement (i.e. overlays, barriers, etc.), per Equation 5-3.

Losses due to relaxation of prestressing strands from the time of deck addition onward,  $\Delta f_{pR2}$ , are discussed in Section 5.9.5.4.3c of the *LRFD* provisions. As stated in that section, “research indicates that about one-half of the losses due to relaxation occur before deck placement; therefore the losses after deck placement are equal to the prior [ $\Delta f_{pR1}$ ] losses.” While total relaxation losses from the time of release onward are thus calculated by doubling  $\Delta f_{pR1}$ , this calculation does not include the pre-release relaxation losses that were discussed in relation to Equation 6-5.

### **6.3.2.5 Prediction Methodology Using the *AASHTO LRFD* (2013) Models**

During the computation of transformed section properties for the analyses described in the previous subsections, non-prestressed reinforcement in the deck was not considered. This reinforcement would provide some minor additional flexural stiffness, but the *AASHTO LRFD* provisions do not require its inclusion. The restraint against deck shrinkage provided by this reinforcement is also unclear, which could slightly affect results.

#### **6.3.2.5.1 Methodology—Approximate Estimate of Prestress Losses**

Predictions of the time-dependent behavior of these full-scale girders using the simplified estimates from the *AASHTO LRFD* provisions were based on the following procedures:

- Elastic strain changes, and associated changes in prestress, due to transfer and the weight of the cast-in-place deck elements were calculated as shown in Section 6.3.2.1 and using the measured stiffness of representative cylinders. The accuracy of these calculations is assessed independently of the predictability of time-dependent effects, in Chapter 7.
- Total long-term time-dependent prestress losses were predicted using the method described in Section 6.3.2.2.
- Total predicted prestress losses consisted of the sum of the predicted time-dependent losses (based on the approximation method described in *AASHTO LRFD* Section 5.9.5.3) and calculated elastic changes (based on measured  $E$  at the time of each load application).

### 6.3.2.5.2 Methodology—Refined Estimate of Prestress Losses

The computation of the complicated cross-sectional deformations of girders at different stages in the construction process requires an understanding of the fundamental engineering mechanics described earlier, as well as the creep and shrinkage models discussed in Chapter 5. Predictions of the time-dependent behavior of these full-scale girders using the refined method of the *AASHTO LRFD* provisions were thus based on the following procedures:

- Elastic strain change due to transfer was calculated as shown in Section 6.3.2.1, using the measured  $E_{ci}$  of companion cylinders tested in accordance with ASTM C469 (2010) and a calculated  $f_{pbt}$  of 200.4 ksi.
- Prestress losses due to creep, shrinkage, and relaxation from the time of transfer until the time of deck addition were predicted as discussed further in Section 6.3.2.3.
- The change in prestress due to the addition of the cast-in-place elements was calculated using 28-day concrete stiffness, as this value was the best available indicator of the elastic stiffness of the girder concrete at the time of deck construction. The accuracy of this calculation is also assessed independently of the predictability of time-dependent effects, in Chapter 7.
- Total prestress losses were calculated by the addition of the elastic losses at transfer, time-dependent losses from the time of transfer to the time of deck addition, elastic gains due to the weight of the deck, and time-dependent losses from the time of deck addition to the time considered (per Section 6.3.2.4).

While the main purpose of the Section 5.9.5.4 *AASHTO LRFD* provisions is the prediction of the lump-sum time-dependent prestress losses at the time of deck addition and at the latest time considered, the nature of the creep and shrinkage models used in those provisions allowed prediction of losses at intermediate times. Specifically, refer to Equation 5-4 of this dissertation regarding  $k_{td}$ . Determination of this factor was explicitly required to calculate the lump-sum losses at deck addition and at the final age considered because the creep and shrinkage models discussed in Chapter 5 predict an *ultimate* value that is modified for time through the use of  $k_{td}$ . Because it was used for these lump-sum calculations,  $k_{td}$  was also used at intermediate times so that measured results at these intermediate ages could be compared.

Application of Equation 5-4 to the refined-*LRFD* time-dependent loss predictions was complicated because the empirical equations presented in Chapter 6 consider different time periods for creep, shrinkage, and other factors (such as  $K_{id}$  and  $K_{df}$ )—from initial time ( $t_i$ ) to final time ( $t_f$ ),  $t_i$  to time at deck construction ( $t_d$ ), or  $t_d$  to  $t_f$ . Thus, time was considered as follows:

- $\Delta f_{pSR}$  was calculated over the interval ( $t_i, t_d$ ) according to Equation 6-10, so  $k_{td}$  was used during determination of  $\varepsilon_{bid}$  in this equation, for all considered times between  $t_i$  and  $t_d$ .
- $\Delta f_{pCR}$  was calculated over the interval ( $t_i, t_d$ ) according to Equation 6-12, so  $k_{td}$  was used during determination of  $\psi_b(t_d, t_i)$  in this equation, for all considered times between  $t_i$  and  $t_d$ .
- Because  $\Delta f_{pRI}$  is calculated as a lump-sum at  $t_d$  according to Equation 6-13, it was applied at all intermediate time-steps between  $t_i$  and  $t_d$ .

- $\Delta f_{pSD}$  was calculated over the interval  $(t_d, t_f)$  according to Equation 6-14, so  $k_{td}$  was used during determination of  $\varepsilon_{bdf}$  in this equation, for all considered times between  $t_d$  and  $t_f$ .
- $\Delta f_{pCD}$  was calculated over the interval  $(t_d, t_f)$  according to Equation 6-16, so  $k_{td}$  was used during determination of  $\psi_b(t_d, t_f)$  in this equation, for all considered times between  $t_d$  and  $t_f$ .
- $\Delta f_{pSS}$  and  $\Delta f_{cdf}$  were calculated over the interval  $(t_d, t_f)$  according to Equations 6-18 and 6-19, so  $k_{td}$  was used during determination of  $\varepsilon_{ddf}$  and  $\psi_b(t_d, t_f)$  in these equations, for all considered times between  $t_d$  and  $t_f$ .
- Because  $\Delta f_{pR2}$  is calculated as a lump-sum at  $t_f$  equal to  $\Delta f_{pR1}$ , it was applied at all intermediate time-steps between  $t_d$  and  $t_f$ .
- $K_{id}$  and  $K_{df}$  were calculated using  $k_{td} = 1.0$  during the determination of  $\psi_b(t_d, t_f)$  in Equations 6-11 and 6-15 because the factors are used to account for the restraint between concrete and steel, not specifically to describe the time-dependent creep and shrinkage growth of the concrete.

To be clear, use of  $k_{td}$  is explicitly necessary to calculate the lump-sum losses at  $t_d$  and  $t_f$ , and its use to predict intermediate-time values does not affect the values of  $\Delta f_{pSD}$ ,  $\Delta f_{pCD}$ ,  $\Delta f_{pSS}$ , and  $\Delta f_{cdf}$  predicted at  $t_d$  or  $t_f$ . Meanwhile,  $k_{td}$  was not derived to describe the  $K_{id}$  and  $K_{df}$  restraint factors (so it was taken equal to 1.0 during their calculation), and time-dependent relaxation losses were derived as lump-sum values according to Equation 6-13 and the discussion of *LRFD* Section 5.9.5.4.3.

Furthermore, Equation 6-16 was applied in two increments in this work for the purpose of intermediate-time modeling: from  $t_d$  to the time of barrier addition, and then from the time of barrier addition to  $t_f$ . More specifically, the  $\Delta f_{cd}$  term calculated according to Equation 6-17 was changed at the time of barrier addition to reflect the difference in concrete stress at the *cgp* that this weight would cause (affecting  $\Delta f_{ce}$ , specifically). The *AASHTO LRFD* provisions are unclear about the inclusion of barrier weight added to the composite section (added at a deck age of approximately 90 days in the Hillabee Creek Bridge), stating that girder creep effects are based on the “loading at deck placement.” However, the inclusion of this weight provided the most accurate estimate of the actual loading, and the two-increment approach described above only affected intermediate-time predictions.

### **6.3.3 Concrete Temperature Evaluation**

Thermistors attached to the VWSGs allowed development of a concrete temperature profile for use to correct strain measurements for thermal effects. By measuring both strain and temperature, the effects of concrete CTE on fluctuations in concrete strain were also directly assessed. As mentioned in Section 6.2.2.2, predictions of time-dependent internal strains and prestress losses are computed assuming a constant temperature throughout the girder cross section. However, the girders were stored outdoors and were exposed to varying environmental condition. The method described in the following subsections was developed by Johnson (2012) to isolate and account for these ambient effects.

### 6.3.3.1 Specimen Simplification for Thermal-Effect Analysis

The first step in the process of accounting for the thermal gradients in the instrumented cross sections was to simplify the standard sections for improved ease of analysis. The simplified BT-54 and BT-72 sections are shown below in Figure 6.6 and Figure 6.7.

These idealized shapes were dimensioned in order to very closely resemble the BT-54 section and BT-72 section in such geometric properties as the location of the centroid, the area of the cross section, and the moment of inertia of the cross section.

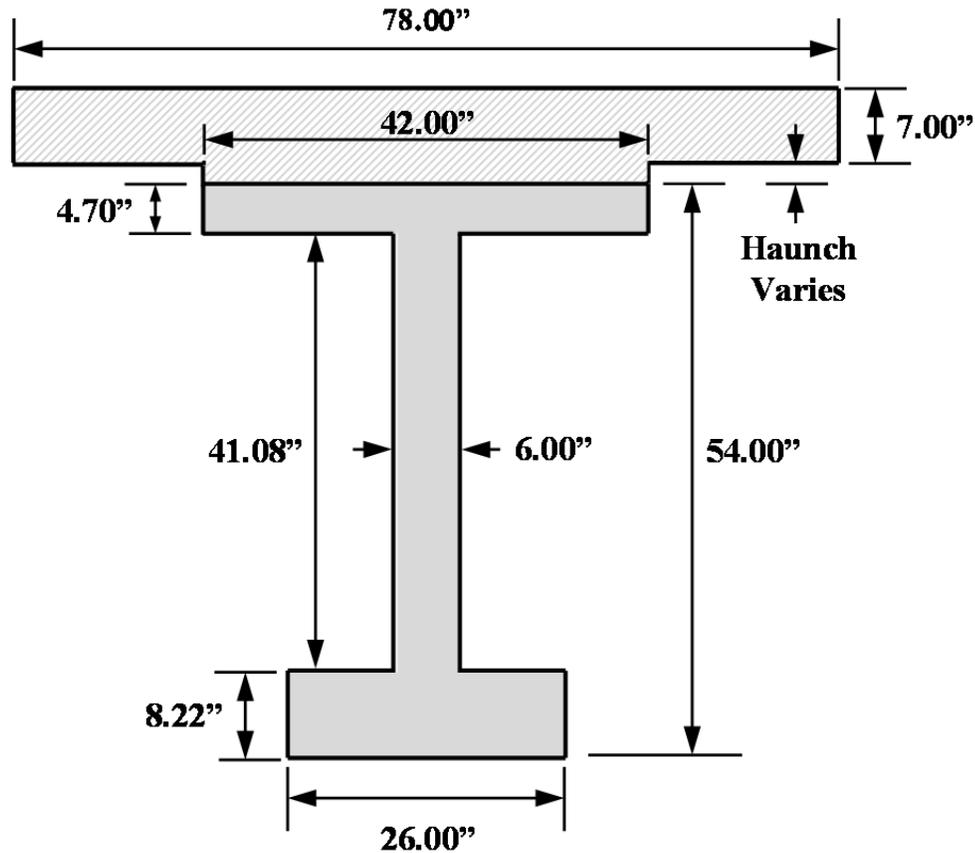


Figure 6.6: Simplified BT-54 composite section

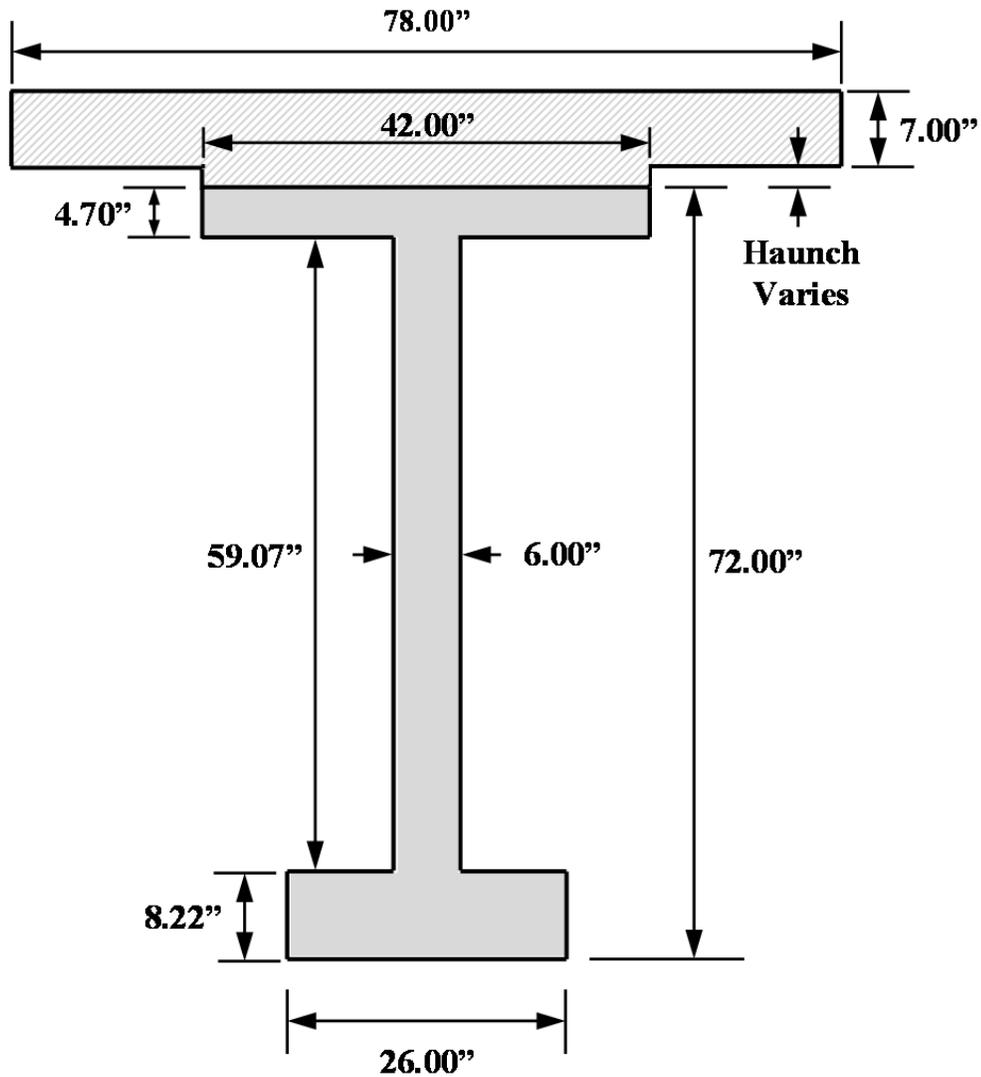


Figure 6.7: Simplified BT-72 composite section

The deck shown in the previous figures (cross-hatched areas) was only included in the simplified section during the analysis of composite behavior at the bridge. The effective width of the deck was determined in accordance with ACI 318 (2011) and equaled the girder-to-girder spacing discussed in Section 3.3.1. Also, the haunch thickness noted in the figures varied between girders. It was measured in every instrumented girder using the camber measurement system described in Section 6.3.4.

With reference to the strain gauge locations shown in Figure 6.3 and Figure 6.4, it was necessary to assume a reasonable temperature profile between the discrete temperature measurements observed over the height of the girder and (when applicable) deck and haunch. The assumed temperature profile is presented graphically in Figure 6.8 and is described by the following:

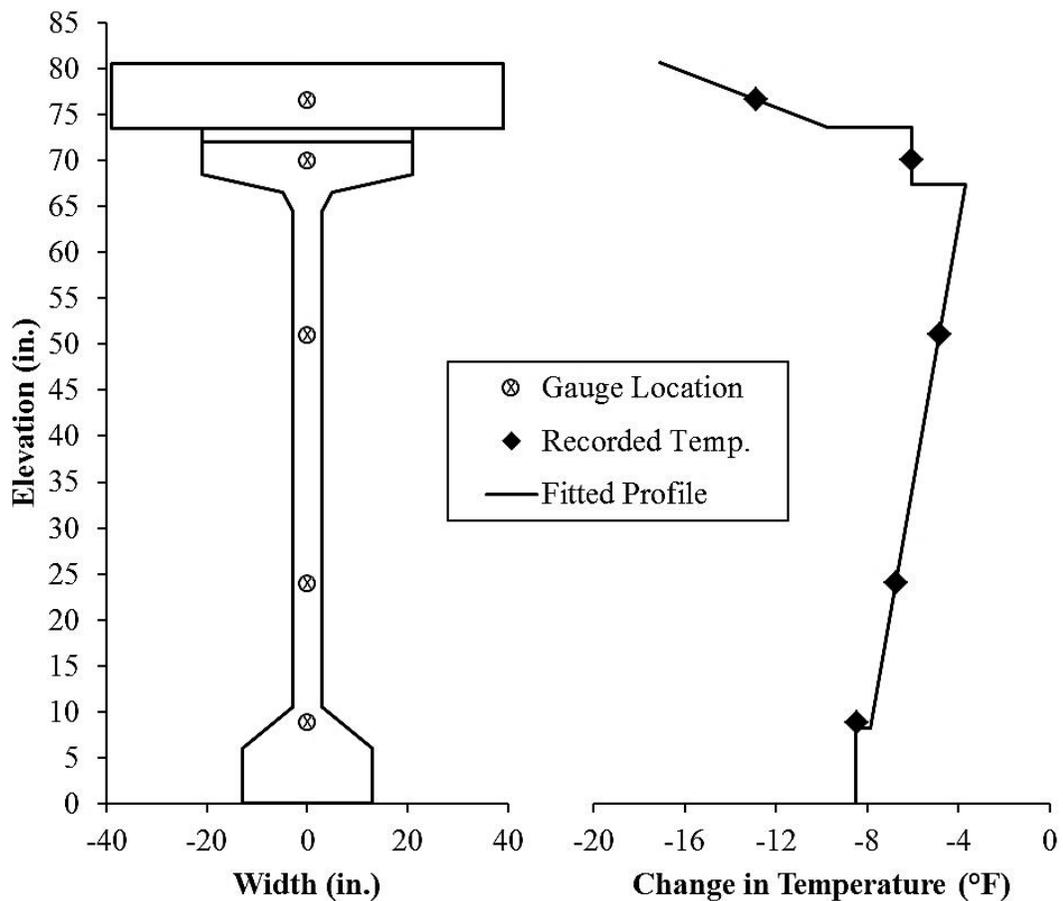


Figure 6.8: Example of idealized thermal gradient profile in BT-72

- The temperature was assumed to be uniform in each of the simplified bottom and top flanges. The utilized temperatures were those measured in the respective bottom- and top-flange thermistors;

- A linear temperature gradient was assumed to occur through the simplified web of the girder which was created by passing a straight line through the two measured web-thermistor temperatures. This linear gradient was projected to the heights of the constant-temperature simplified flanges regardless of whether the projected temperatures matched those of the flanges;
- The temperature in the haunch (when applicable) was assumed to be constant and equal to that of the simplified top flange; and
- A linear temperature gradient was assumed to occur through the thickness of the deck (when applicable). This linear gradient was developed by projecting a straight line through the measured deck temperature and the measured top-flange temperature.

Linear interpolation through the simplified web was understandable because two thermistors were installed in the web and were located well away from the flanges. It was also acceptable to disassociate the temperature of the web from those of the flanges because of the small  $V/S$  of the web. It is plausible that the temperatures actually measured in the web would not always relate to the temperatures measured in the self-insulated volumes of the top and bottom flanges. Meanwhile, a constant haunch temperature was safe to assume because the haunch was exposed to very similar environmental conditions as the top flange and was in direct contact with it.

The linear gradient in the deck that was dependent upon projection to the top-flange gauge was chosen because the upper surface of the deck was exposed to more severe environmental conditions than the underside (due to sunlight, wind, or

precipitation). It was acceptable to disassociate the temperature of the deck from that of the haunch because approximately half of the tributary width of the deck was not in contact with the haunch—the haunch was 42 in. wide, while a deck width of 78 in. was attributed to each girder. While a linear extrapolation of temperatures was imperfect compared to the actual thermal gradient in the deck, it was a better approximation than to assume a constant temperature like in the simplified flanges. Trial analyses were also conducted by Neal (2014) assuming alternative gradients in the segments (three segments in the non-composite section or five in the composite section); results from those models did not differ significantly from the profile chosen.

#### **6.3.3.2 Method of Isolation of Thermal Effects**

To account for thermal effects, the CTEs of steel and concrete were assumed to be equal in this analysis, which was in line with the method employed elsewhere for thermal strain corrections (Erkmen et al. 2008; Trejo et al. 2008). While there may have been a slight discrepancy between the two materials, the area of steel is small relative to the area of the concrete. It would also be difficult to isolate the differential restraint experienced due only to the difference in CTEs. Considering the piecewise approximation of thermal gradients employed and that lateral temperature gradients could also exist (such as where sunlight warms only one side of the girder), this assumption is within the precision of the process.

In order to make accurate comparisons to predicted time-dependent behavior, the measured strains needed to be adjusted so that they would represent what the measured

strain would have been if the girder exhibited a constant reference temperature. This reference was chosen arbitrarily to equal 68°F.

The process through which nonlinear thermal effects were calculated in this research was outlined regarding non-composite girder behavior by Johnson (2012) and regarding composite deck-girder behavior by Neal (2014). In summary, the strains expected to result from a nonlinear temperature distribution consist of an axial component of strain change ( $\Delta\varepsilon_{cen,t}$ ) and a change in curvature ( $\Delta\phi_t$ ). From Johnson (2012) and Neal (2014), these components, which are derived by assuming plane sections remain plane and enforcing cross-section equilibrium, are described by Equations 6-20 and 6-21, respectively. To compensate for these nonlinear thermal effects,  $\Delta\varepsilon_{cen,t}$  and  $\Delta\phi_t$  are then subtracted from all measured strain readings.

$$\Delta\varepsilon_{cen,t} = \frac{CTE \int \Delta T dA'}{A'} \quad (6-20)$$

Where

$CTE$  is the coefficient of thermal expansion of concrete,

$\Delta T$  is the difference in the temperature gradient of the cross section from 68°F, which is determined from a piecewise linear approximation in this research, and

$A'$  is the simplified cross-sectional area

And

$$\Delta\phi_t = \frac{CTE \int \Delta T y dA'}{I} \quad (6-21)$$

Where

$y$  is the vertical distance from the simplified centroid, and

$I$  is the simplified cross-sectional moment of inertia.

While these equations are the same as previously employed by Johnson (2012), there were some differences in their application. First, an error was discovered in the application of these equations to the data—the slope of the temperature gradient through the web was accidentally reversed, which had varying effects on the corrections depending on the measured temperature data. Second, the corrections were improved by replacing the CTE value assumed by Johnson (2012) with more-representative apparent CTE values. Third, Johnson (2012) evaluated only pre-erection non-composite behavior of the girders, so the effects of the deck were not considered.

Finally, the way in which missing temperature information was replaced during this research was different than that employed by Johnson (2012). Recall that some of the girders had only one VWSG, which meant that the internal temperature could only be measured at this single location (the *cgp*). A full-depth profile is necessary, though, to completely account for the changes in axial strain and curvature due to thermal effects. Therefore, in the previous work for this project, curvature changes were accounted for (when needed) by substituting curvatures from companion girders from the same casting group at each time step. This essentially assumed that all girders cast on the same day experienced the same thermal gradient and temperature-induced curvature. This was logical for the time period between girder fabrication and erection at the bridge site.

Substitution of curvatures between companion girders in the constructed bridge would be difficult to accomplish considering the composite action of the group of girders once joined by intermediate diaphragms and a deck. Also, several gauges within the fully

instrumented girders failed during the erection of the girders, casting of the deck, or at other points during the 1,000-day evaluation. Therefore, an alternative method was used: temperatures from nearby girders were directly substituted prior to the integration. Similar to the previous work, this assumes that the temperatures in adjacent girders are approximately the same. This is especially plausible when only considering interior girders after the deck was added because the deck would shield the girders from direct sunlight.

#### **6.3.4 Camber Evaluation**

The camber measurement instrumentation and methodology utilized prior to girder erection at Hillabee Creek was described in detail by Johnson (2012). In summary, the method involved the measurement of girder-end and midspan elevations using a prism rod and a total station. An imaginary line was then drawn through the end-points prior to release and a permanent offset at midspan (due to variations in top-flange thickness) was determined. Offsets of the midspan reading in all subsequent measurements were then interpreted as camber.

To provide a specific and consistent location for the prism rod placement, a hex-headed lag bolt was embedded in the top surface of the girders at each location for use as a surveying target. One of these targets is shown in Figure 6.9.



Figure 6.9: Surveying target embedded in top surface of girder

After the girders were erected at the bridge site, construction practices began to interfere with the collection of camber measurements using the above procedure. The bolts that were cast into the tops of the girders were no longer easily accessible and would eventually be enveloped by the deck. Therefore, a method was developed for camber measurement that would be accessible both before and after the deck was cast. The system devised by the research team involved surveying the underside of the girders, which was accomplished by use of the apparatus shown below in Figure 6.10.



Figure 6.10: Apparatus used to survey underside of girders during construction

The researchers designed the C-shaped apparatus shown in the figure to fit snugly around the bottom bulb and maintain a constant distance from the bottom surface of the girder to the prism. Thus, the spring-loaded rod-and-wheel system maintained constant contact with the bottom surface while the apparatus was pulled along the girder length to the desired location (girder-end or midspan). The apparatus effectively acted as a prism rod with a known, short length, which allowed surveying to continue during construction.

While the top-surface targets were still exposed, the girder thickness was determined at each end point and at midspan by consecutively measuring the underside elevation and top-surface elevation. Multiple girder-thickness readings were taken for each girder at each location to obtain average thicknesses for use in future calculations. Subsequent measurements obtained with the underside method of surveying were then

translated to the corresponding embedded-target elevation by adding the location-specific girder thickness to the underside measured elevation. Throughout, camber calculation proceeded in much the same way as conducted by Johnson (2012).

The placement location for the apparatus near midspan of each girder was approximate—the apparatus was always placed halfway between the staggered diaphragms shown in Figure 3.18, which allowed for longitudinal-location precision of approximately  $\pm 6$  inches. The midspan location was approximately 40 ft above the vantage point of the researchers, who pulled the apparatus to the surveying point from the ground. Because of this, the precision of the total station, and the distance from the total station to the prism, measured girder thicknesses varied by up to 0.10 in. in consecutive days of testing. While the use of an average girder thickness should have minimized the error, all readings obtained via the underside method of surveying must be considered with an appropriate understanding of their precision.

After the barriers were cast and the deck surface was grooved, construction traffic was reduced to a level so that surveying could continue from the top of the deck. After consecutively surveying the top of the deck and underside of the girder to determine total section thickness, the combined thickness of the deck and haunch were determined by subtracting the girder thickness from the total section thickness.

Upon determining the combined thickness of the deck and haunch at each location, haunch thickness was determined by subtracting the assumed depth of the deck, 7.0 inches. Errors in camber readings were compounded by the implementation of each new surveying method (underside and deck), and the value of camber measurements in girders that are mechanically joined by diaphragms and a deck is unclear, at least when

attempting to evaluate the time-dependent behavior of individual girders. Therefore, the main purposes of this camber evaluation were to determine the change in camber due to the addition of the deck (reported in Chapter 7), the approximate camber after that addition (also reported in Chapter 7), and the haunch thickness needed for transformed-section analyses of time-dependent and elastic responses. Additional conclusions regarding the camber behavior of the composite bridge are discussed by Neal (2014).

### **6.3.5 Nomenclature and Additional Considerations**

#### **6.3.5.1 Nomenclature and Use of Data**

Only the basic nomenclature shown in Figure 3.15 was necessary to identify the girders during this full-scale analysis. As with the assessments of the other chapters, the exact placement location of the batches sampled for laboratory testing could not be isolated within the girders. Samples taken at the midpoint of each girder-production day (see Section 3.3.3.1) and deck-casting day (see Section 3.3.3.2) were assumed to be representative of the majority of concrete placed during those days.

The use of production-group hardened mechanical properties (see Section 3.4.3) is of imperfect accuracy for the prediction of individual-girder behavior that is actually measured in girders mechanically joined by diaphragms and a fully composite deck. However, it would be less accurate to incorporate measured results any differently. Essentially only three mixtures (for SCC girders, VC girders, and all cast-in-place elements) were used throughout production, but every element could have been subjected to different curing and ambient exposure histories. Furthermore, many of the behaviors assessed in this work were measured prior to the attainment of composite-bridge action,

so it was best to continue using these production-day-specific mechanical properties even after the girders achieved composite action. The precision of all comparisons should be considered in light of the inherent variability of concrete material testing and full-scale property measurement.

### **6.3.5.2 Coefficient of Thermal Expansion Testing Considerations**

Recall from the discussion of Section 3.3.3.2 that the unrestrained shrinkage prisms evaluated in Chapter 5 were used to assess the approximate CTE of the SCC-girder, VC-girder, and VC-deck concretes. These rectangular prisms exhibited marginally different cross-sectional properties than specified for CTE measurement according to AASHTO T 336-09—they exhibit a square cross section with sides equaling 3 in., while the standard specifies the use of a cylindrical specimen with a diameter equaling four inches. Thus, the utilized specimens exhibited a smaller cross-sectional area and smaller  $V/S$ .

Because the desire for such CTE testing only became clear after the girders had been produced, the testing of these prisms was deemed acceptable and necessary. All testing was conducted after the girder concrete reached an age of three years. At this time, the deck concrete was approximately two years old.

The prisms were tested using two methods. First, they were exposed to cycles of heating and cooling from 40–120°F using an environmental chamber to closely reflect the measured range of temperatures in the bridge. The apparatus used to measure the length change due to unrestrained shrinkage was then used to measure the length change due to thermal effects. After observing potentially significant differences between the materials, the specimens were then tested as described by AASHTO T 336-09. This

required the ends to be sawn to shorten the prisms, as the test equipment requires a sample approximately 7.0 in. in length.

CTE was only tested in concrete from one girder-production group per material (SCC-E and VC-E) and two spans of the deck (Spans 2 and 3). As the need for this testing only became apparent long after the girders were cast, these were the only matching samples still available. Testing of the two deck samples indicated very low variability (the difference was less than  $0.2 \mu\epsilon/^\circ\text{F}$ ), thus suggesting that the method utilized should be applicable to all concrete of each material type.

### **6.3.5.3 Prediction Application Considerations**

Based on the literature reviewed in Section 6.2 and the discussions of Section 6.3, inputs had to be selected for implementation in the various equations required for this work. Many of the material-specific considerations were already discussed in Chapter 5, as the work of that chapter involved the concrete directly placed in these girders. Pertinent assumptions and choices are summarized below, and further explanations of these selections are reported by Ellis (2012), Johnson (2012), and Neal (2014):

- Gross section properties ( $V/S$ ,  $A_g$ ,  $I_g$ , etc.) were those specified in the *AASHTO LRFD* provisions (AASHTO 2013).
- A constant relative humidity of 70% was used during the modeling of time-dependent behavior of these girders based on Figure 5.4.2.3.3-1 of the *AASHTO LRFD* provisions (AASHTO 2013).
- Measured values of  $f_c$  and  $E_c$  that were used for time-dependent creep modeling were discussed in Section 6.3.2.

- Measured values of  $f_c$  for time-dependent shrinkage modeling were those measured at the earliest age after the end of curing ( $f_{ci}$  for the girders and 3-day compressive strengths measured in the deck spans).
- A constant deck thickness of 7.0 in. was assumed based on the project specifications. Deck thicknesses were only measured directly over girders, so haunch thickness was assumed to equal the difference between the measured total thickness and the assumed 7 in. deck thickness.
- Individually measured haunch thicknesses were used to determine composite-section properties for time-dependent analysis because only a few girders (with different transformed properties and potentially different haunches) were analyzed during this assessment—see Appendix G for measured haunch thicknesses.
- The modulus of elasticity of prestressed strand ( $E_p$ ) was assumed to equal 28,600 ksi to match the work of Johnson (2012).

During this project, strands were always stressed the day before placing the concrete; thus, the strands were stressed for approximately two days between jacking and release. Using Equation 6-5, the prestress loss due to pre-release steel relaxation was estimated to equal approximately 2.1 ksi. This estimate agrees well with measured pre-release stress relaxation losses measured during previous AUHRC work (Boehm et al. 2010). Therefore, ( $f_{pbt}$ ) was assumed to equal  $f_{pj}$  (202.5 ksi) minus the estimated relaxation loss. This  $f_{pbt}$ , 200.4 ksi, was used during all calculations of the  $f_{pe}$  of the girders.

During the determination of  $\Delta f_{ce}$  in Equation 6-17, 91-day deck properties were used to calculate the concrete stress response to the addition of the barriers. To account for their effect on elastic and time-dependent behavior, the weight of the two barriers was distributed evenly to the seven girders in the span, per the *AASHTO LRFD* (2013) recommendation for this distribution. While this distribution is only an approximation of the actual behavior, the girders that would be affected most by any discrepancy (girders in lines 1 and 7) were not evaluated in this work because these exterior girders are differently restrained and are exposed to more variable thermal exposure. The difference in time-dependent exterior-girder behavior may be important, but evaluation of it was beyond the scope of this work.

#### **6.4 Presentation and Analysis of Results**

Results and discussion relevant to the assessment of full-scale time-dependent girder behavior are presented in this section, including evaluations of full-scale changes due to transient thermal conditions and due to time-dependent creep and shrinkage. The recommended modifications to the *AASHTO LRFD* (2013) material-deformation models that were proposed in Chapter 5 are also evaluated in this section. Strength and stiffness measurements were also necessary to compute the predictions of time-dependent behavior; the evaluation of these mechanical properties and their predictability are more relevant to the evaluation of elastic responses to construction and service loads, so  $f_c$  and  $E_c$  results are discussed in Chapter 7.

Transformed-section release properties for determination of  $f_{cgp}$  according to Equation 6-6 are shown in Appendix G. The bending moments applied to determine the

elastic responses for post-deck-addition time-dependent analysis, as well as the concrete ages corresponding to these loadings, are also included in Appendix G. While calculations of elastic responses to the transfer mechanism and the addition of the deck were necessary for this analysis of time-dependent behavior, further discussions of these elastic responses and their predictability relative to measured results are presented in Chapter 7.

#### 6.4.1 Coefficient of Thermal Expansion

Results from CTE testing are presented below in Table 6.1. In the table, “Dry” and “Saturated” measurements reflect the two methods of measurement discussed in Section 6.3.5—using the apparatus usually used to measure unrestrained drying shrinkage (from ASTM C157) and tested in accordance with AASHTO T 336, respectively. The calculated values were determined by proportional weighting of constituents using Equation 6-3.

Table 6.1: Comparison of coefficients of thermal expansion

Concrete	CTE ( $\mu\epsilon/^\circ\text{F}$ )				
	Measured		Calculated (Eq. 6-3)	Comparison	
	Dry	Saturated		<i>Dry/Calc.</i>	<i>Sat./Calc.</i>
<b>SCC Girder</b>	7.4	5.2	6.4	<i>1.15</i>	<i>0.81</i>
<b>VC Girder</b>	6.8	5.1	6.1	<i>1.12</i>	<i>0.83</i>
<b>SCC/VC Girder</b>	<i>1.08</i>	<i>1.03</i>	<i>1.05</i>	-	-
<b>Deck</b>	5.3	4.2	6.1	<i>0.87</i>	<i>0.70</i>
<b>Girder Avg./Deck</b>	<i>1.35</i>	<i>1.22</i>	<i>1.04</i>	-	-

The CTE of concrete can be as much as 30% greater at a relative humidity of approximately 50–70% than at 100% saturation (see Section 6.2.2.1), so the relatively higher dry-tested CTE results are expected. The humidity was not well controlled in the environmental chamber used for dry testing though, so dry-tested results should be considered mainly as an upper bound. Because AASHTO T 336 involves the testing of completely saturated concrete, the results determined from saturated testing should be considered as a lower bound of the ambient-humidity thermal behavior of the in-place girder concrete. The CTE of concrete is generally considered to be lowest at 100% relative humidity (Neville 1996). Meanwhile, estimates of the CTE values expected at ambient conditions were needed during this research to accurately account for thermal effects that occurred in the girders. The estimated, “apparent CTE” values selected to account for in-place thermal effects in the girders are discussed in Section 6.4.2.

The calculated results in the table were based on the mixture proportions described in Table 3.1 and Table 3.3 and constituent-CTE values described by Sakyi-Bekoe (2008) and others (FHWA 2011; Mindess et al. 2003). The CTE values of constituent materials were as follows: 10.0  $\mu\epsilon/^\circ\text{F}$  for hardened cement paste, 6.8  $\mu\epsilon/^\circ\text{F}$  for siliceous natural-sand fine aggregate, and 3.3  $\mu\epsilon/^\circ\text{F}$  for dolomitic limestone coarse aggregate. Because references to the effect of SCMs on paste CTE are limited and conclusions were mixed, only total cementitious content was considered in these calculated values. Also, calculations were volumetrically weighted while using measured air contents—4.0%, 3.7%, and 3.3% for SCC-girder, VC-girder, and VC-deck mixtures, respectively, per the referenced tables of proportions.

Two main trends are apparent in Table 6.1: 1) SCC appeared to exhibit a marginally higher CTE than its companion VC mixture (approximately 5%), and 2) the concrete used to construct the precast, prestressed girders for this project exhibited distinctly higher CTEs than the mixture used in the cast-in-place deck. The former trend is expected in response to the differences in mixture proportioning recurrently discussed in this dissertation. The SCC was proportioned with a higher paste content and  $s/agg$ , both of which would lead to the observed 3–8% difference. The difference is also confirmed by comparison to the calculated ratio of SCC-to-VC-girder CTE—in both upper- and lower-bound testing, measured differences were completely identifiable when calculated using actual proportions.

The difference between the girder concrete and deck concrete was not as expectable based on the existing literature. All three mixtures utilized very similar coarse and fine aggregates, and the VC mixtures utilized very similar total aggregate fractions (67% and 68% for the girder and deck mixtures, respectively). As shown by the calculated results, this should have led the mixtures (especially VC mixtures) to exhibit comparable CTEs.

It was not possible to isolate the cause of the differences between the girder- and deck-concrete CTE values or between measured values and those recommended previously by Sakyi-Bekoe (2008) for Alabama concrete ( $5.5 \mu\epsilon/^\circ\text{F}$  at 100% saturation). Three causes are strongly suspected: SCMs,  $w/cm$ , and the inherent variability of aggregate mineralogy, even within the same general aggregate source. The previous AUHRC research did not include concrete of either this SCM replacement or  $w/cm$ . Furthermore, the girder and deck mixtures tested during this project, as well as those

tested by Sakyi-Bekoe, could have exhibited different aggregate mineralogy. Because the main differences between the deck and girder mixtures (especially the VC mixtures) were SCM type (slag cement versus fly ash), SCM replacement rate,  $w/cm$  (0.29 versus 0.40), and mineralogy (within the same general aggregate type), one or more of these variables likely contributed to the differences.

Considering these results and the literature previously reviewed, it appears that the concrete used in the deck exhibited a reduced CTE, while the concretes used in the girders exhibited reasonably predictable CTEs. Furthermore, considering the range of the measured and recommended CTEs presented in this section, the CTE of the SCC-girder mixture is considered acceptably similar to that of the companion VC-girder mixture.

#### **6.4.2 Measured Time-Dependent Responses**

The primary time-dependent full-scale girder properties assessed in this dissertation are the associated properties of internal concrete strain and effective prestress,  $f_{pe}$ . As previously discussed, changes in concrete strain since immediately prior to transfer are directly measured using VWSGs cast into the concrete at the  $cgp$ , and these strains are converted to effective prestress according to Equation 6-4. However, thermal effects also cause an apparent strain change, but such apparent changes do not necessarily correspond to a change in effective prestress because the steel and concrete both deform in response to changes in temperature. Therefore, to effectively compare measured strains, it is necessary to isolate transient thermal effects due to ambient conditions from long-term time-dependent changes due to creep and shrinkage.

In addition to isolating these effects, time-dependent transient thermal effects were considered to better understand the changes in girder behavior corresponding to diurnal and seasonal thermal strain variation. To that effect, measured thermal strains were evaluated, and adjustments to account for them were applied to the measured  $\Delta\varepsilon_{cgp}$  results prior to the evaluation of creep and shrinkage behavior. These thermal-effect considerations are discussed in Sections 6.4.2.1–6.4.2.3. Temperature-adjusted measured long-term responses are then discussed in Section 6.4.2.4

Camber is also affected by time-dependent concrete material properties and transient thermal effects, but its evaluation became difficult during erection, and its significance to long-term performance was less clear once composite action was achieved between the girders and deck. Meaningful conclusions concerning time-dependent changes in pre-erection camber were reported by Johnson (2012), those concerning long-term changes in camber were reported by Neal (2014), and changes in camber in response to construction loads are discussed in Chapter 7.

In the subsequent analyses of Section 6.4, the results from only a few girders are presented. This was necessary because several gauges failed during the construction process. Therefore, the analyses instead focus on a few robustly instrumented girders per span. This was deemed acceptable considering that all of the girders are mechanically locked together via diaphragms and a deck. The behavior measured in even a few girders should be representative of the entire span. Also, only interior girders are assessed because the exterior girders (girder lines 1 and 7) are differently restrained, potentially affected more greatly by the cast-in-place barrier, and are exposed to more variable

thermal exposure. While the difference in exterior-girder behavior may be important, evaluation of it was beyond the scope of this work.

#### **6.4.2.1 Significance of Thermal Effects**

Measured changes in concrete strain due to transient thermal effects (corrected for gauge temperature but not concrete temperature) are illustrated in Figure 6.11, in which concrete strains noticeably fluctuate daily and seasonally. Also, using the simplified cross-sectional representations shown in Figure 6.6 and Figure 6.7 and the method summarized in Section 6.3.3.2, changes in girder strain due to transient thermal effects were isolated from those due to gradually changing creep and shrinkage deformations in the concrete material. This process, the effect of which can be evaluated by comparing “Measured Strain” and “Corrected Strain” results in the figure, is discussed in the next section.

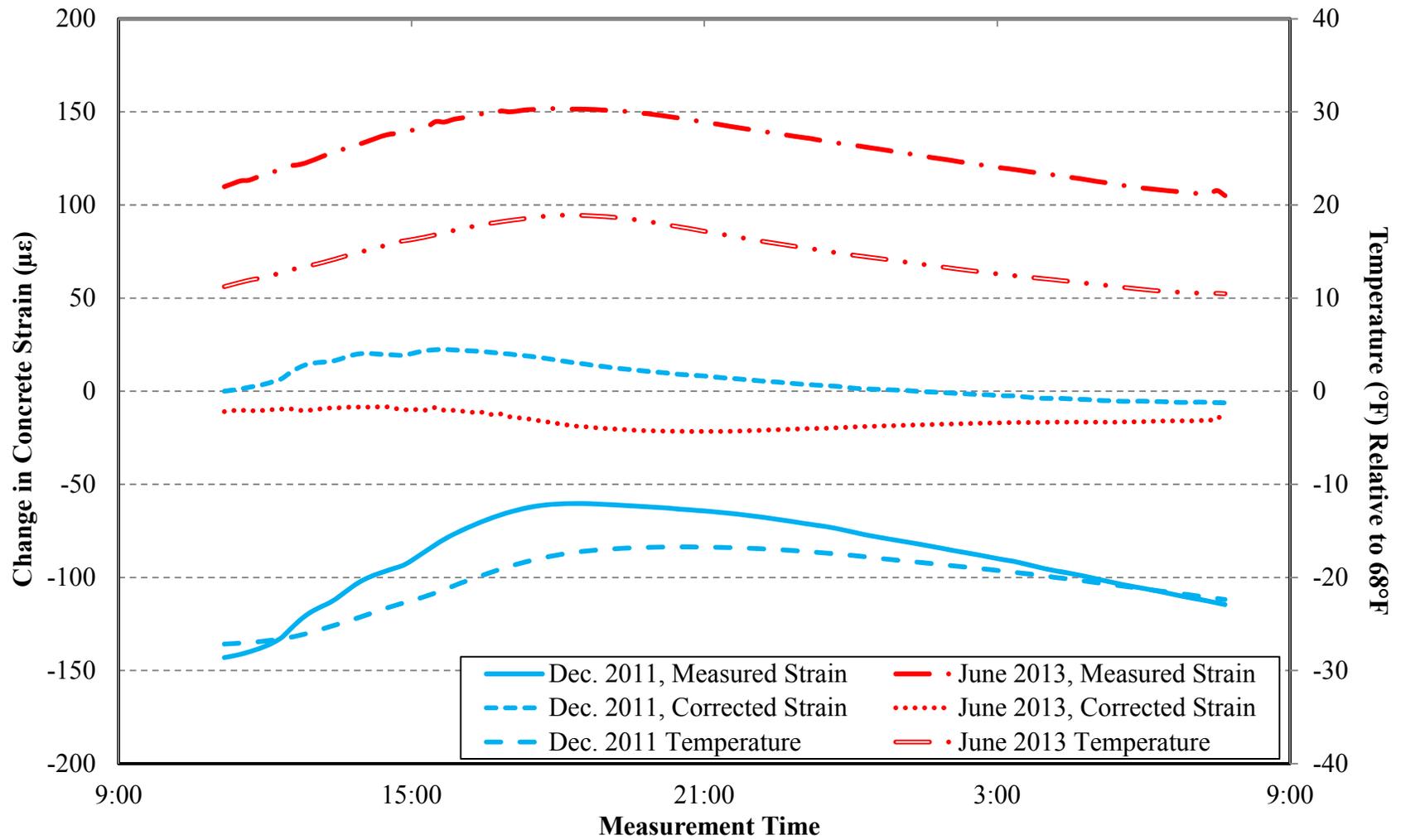


Figure 6.11: Concrete strains and temperatures at the center of gravity of prestress

From Figure 6.11, the temperature of the concrete has a distinct effect on the measured concrete strain. Measured concrete strains (corrected for gauge temperature but not for concrete temperature) changed by an average of 250  $\mu\epsilon$  between consecutive summers and winters. More specifically, measured concrete strains at the *cgp* varied seasonally by up to approximately

- 270  $\mu\epsilon$  in SCC BT-54s,
- 250  $\mu\epsilon$  in SCC BT-72s,
- 240  $\mu\epsilon$  in VC BT-54s, and
- 230  $\mu\epsilon$  in VC BT-72s.

While smaller in magnitude, diurnal strain changes also approached 100  $\mu\epsilon$ . While attempts were made to account for these variations prior to evaluation of time-dependent behavior, the magnitude of these diurnal and seasonal changes is noteworthy. Based on the relationship described by Equation 6-4, these measured concrete strain changes would equate to diurnal and seasonal changes in effective prestress of approximately 3.0 and 7.5 ksi. Since both the concrete and encapsulated steel can experience stress-independent deformations due to thermal effects, these apparent strain changes do not necessarily correspond to a change in effective prestress. Therefore, it is crucial to account for thermal effects before comparing time-dependent results to each other and to those predicted by the *AASHTO LRFD* provisions.

Comparison of the seasonal thermal effects shown above also confirms the earlier conclusion that the SCC and VC-girder CTEs are acceptably similar. The marginally increased CTE of SCC only led to slightly greater seasonal changes (approximately 25  $\mu\epsilon$

or 10% of the total), which is likely insignificant in this application. While internal stresses could develop between the perfectly bonded girders and deck, evaluation of the discrepancy was beyond the scope of this project.

Recall, too, that these thermal effects are transient in this linear-elastic structure while relaxation and other time-dependent losses are not. While thermal effects could affect long-term creep slightly, the primary conclusions warranted from the data in this section are that 1) it is crucial to account for thermal effects before attempting to evaluate long-term time-dependent changes in girder behavior and 2) the tested SCC and VC girders exhibited comparable thermal behavior. The implications of the difference were minor in this research because the girders were not thermally restrained (except internally); further research may be necessary, though, regarding the implications of this behavior in structures restrained against thermal movement (like continuous-span bridges).

#### **6.4.2.2 Assessment of Thermal Correction Methodology**

Ideally, the “Corrected” strains in Figure 6.11 would not vary at all diurnally. The slight gradients shown are acceptable when considering the errors relative to the actual differences in measured strain. From measured diurnal changes of up to approximately  $100 \mu\epsilon$ , the *maximum* diurnal difference in the corrected values shown in Figure 6.11 was  $22 \mu\epsilon$ . Not only is this difference distinctly smaller than in the measured results, but it is of similar magnitude to the difference observed between readings obtained approximately 1.5 years apart. Other sources of the slight errors have been discussed previously in Section 6.3.3:

- The idealized thermal gradient shown in Figure 6.8 may only coarsely model the actual thermal gradient present, as the actual gradient could be very complex and dependent upon the sunlight, precipitation, wind, or other environmental conditions present,
- Differences between the temperature at the external girder surface and that measured at the *cgp* would vary depending upon the same environmental conditions,
- Changes in relative humidity due to moisture fluctuation would affect the CTE of the concrete material (as discussed previously in Section 6.4.1), and
- The simplified cross-sectional properties are only an approximation of the actual girder dimensions.

In light of all of these potential sources of errors, it is concluded that the method presented here to account for thermal gradients is efficient; significant deviations in apparent strain were greatly reduced prior to evaluation of long-term time-dependent effects. Errors were also minimized during this work by regularly utilizing readings obtained at around dawn. At this time of day, the temperature gradient across the girder is usually the most constant, meaning that the entire cross section should be close to the same temperature. This is confirmed by viewing Figure 6.11—corrected values appeared to be changing the least from approximately 3:00–6:00 AM each day.

### 6.4.2.3 Determination of Apparent CTE for Isolation of Thermal Effects

As mentioned previously in Section 6.3.3.2, Johnson (2012) applied an assumed CTE of  $6.0 \mu\epsilon/^\circ\text{F}$  in all corrections to account for internal temperatures and thermal gradients during the assessment of pre-erection behavior. As the girders aged and should have exhibited more gradual time-dependent changes in camber and effective prestress (after Johnson's work was completed), the inaccuracy of this assumed value became more apparent. Errors became especially apparent in trial attempts to account for thermal effects in the composite bridge, which provided the impetus for the CTE testing described in Section 6.4.1.

The appropriate *apparent* CTE values to implement in the thermal-adjustment calculations were chosen by evaluating the apparent change in  $f_{pe}$  and concrete strain of the temperature-corrected results. Accurately corrected results should fluctuate the least in response to diurnal and seasonal thermal variation. This analysis, which is summarized in Table H.1 and Table H.2 of Appendix H, indicated that girder-CTE values of approximately  $6.1\text{--}6.9 \mu\epsilon/^\circ\text{F}$  would be acceptable, with consistent improvement by differentiating between SCC and VC-girder values by approximately  $0.5 \mu\epsilon/^\circ\text{F}$ . While this difference does not precisely match the difference in measured SCC and VC-girder CTEs shown in Table 6.1 (approximately  $0.3 \mu\epsilon/^\circ\text{F}$ ), it was acceptable considering the precision of these corrections and the potential sources of errors discussed in the previous subsection.

An apparent deck-concrete CTE of  $5.6 \mu\epsilon/^\circ\text{F}$  was chosen for use during this apparent-CTE optimization because it was found to best minimize the diurnal and seasonal variation in deck strain. While this value is slightly greater than the upper-

bound “dry-tested” deck CTE shown in Table 6.1 ( $5.3 \mu\epsilon/^\circ\text{F}$ ), it was still less than the value calculated using Equation 6-3 that is shown in the table ( $6.1 \mu\epsilon/^\circ\text{F}$ ). The upper-bound testing described in Section 6.4.1 could have also exhibited some variability because the humidity was not well controlled in the environmental chamber used for that testing. Use of a deck-concrete CTE of  $5.6 \mu\epsilon/^\circ\text{F}$  was acceptable in consideration of both this variability and the previously mentioned potential sources of correction errors.

The appropriateness of the selected apparent CTE values was also confirmed graphically. An example of the effect of apparent CTE on the accuracy of the temperature correction procedure is presented in Figure 6.12, which was developed using the same measured SCC BT-72 results shown earlier in Figure 6.11. Figure 6.11 was developed using the apparent CTEs chosen for the SCC girders and VC deck ( $6.9$  and  $5.6 \mu\epsilon/^\circ\text{F}$ , respectively); comparison to the alternative girder-CTE values in Figure 6.12 reveals that selection of an appropriate apparent CTE increases the accuracy of the discussed thermal-gradient correction method.

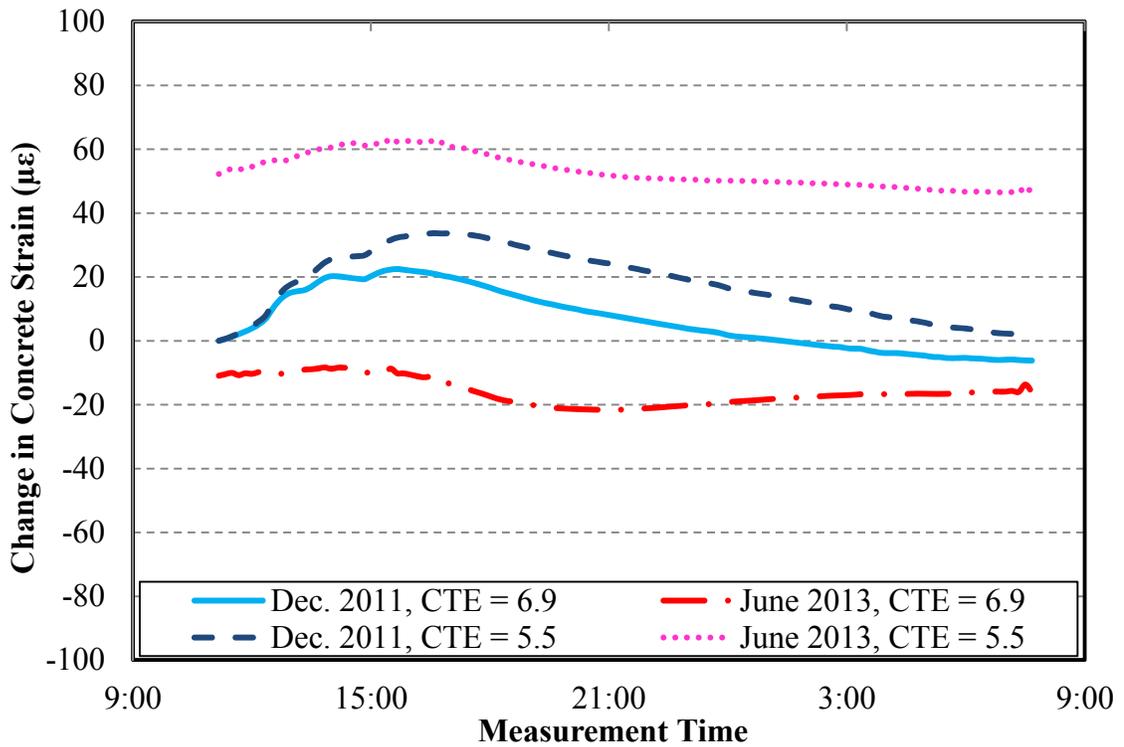
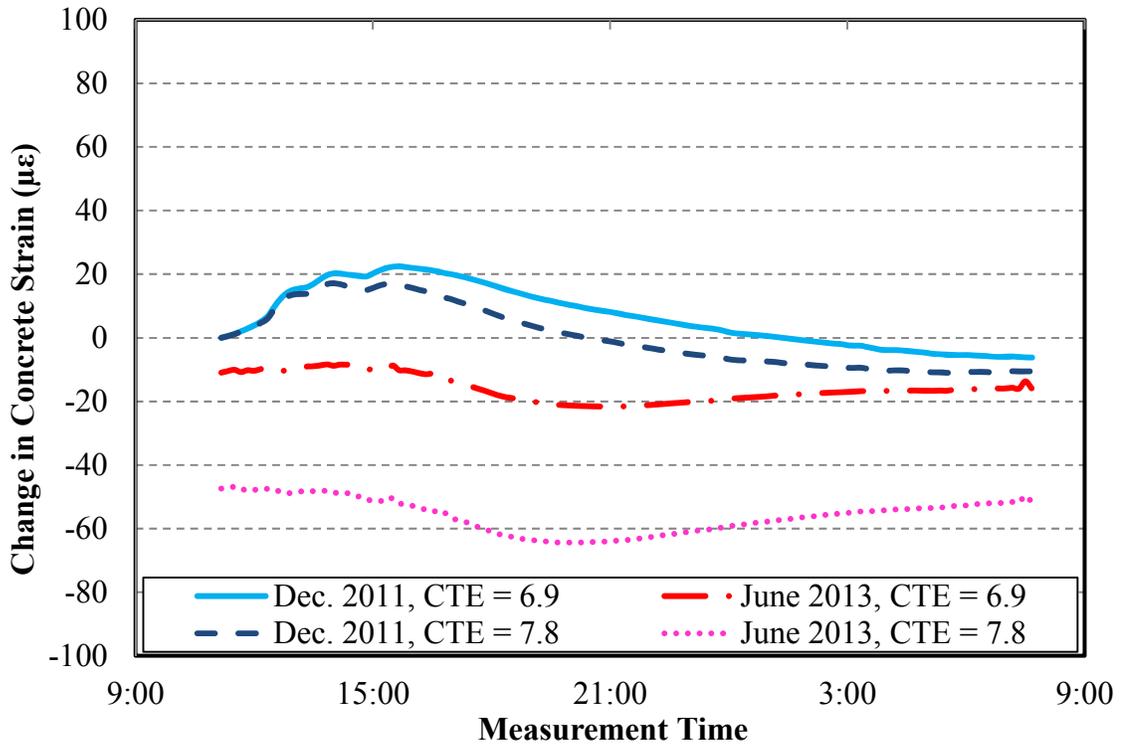


Figure 6.12: Comparison of SCC strains corrected for different apparent CTE values

Regardless of the selected CTE, differences were less severe than in the measured results—maximum diurnal variation equaled approximately one-third of the uncorrected variation (35  $\mu\epsilon$  in corrected results versus approximately 100  $\mu\epsilon$  in uncorrected results), indicating that the method is beneficial. Furthermore, the effect of CTE selection on the perceived amount of long-term time-dependent deformation is important. As the applied value varied from the chosen apparent CTE of 6.9  $\mu\epsilon/^\circ\text{F}$ , a greater portion of the measured change *between seasons* is mistakenly attributed to time-dependent effects.

In the bottom half of Figure 6.12, the CTE value recommended by Sayki-Bekoe (5.5  $\mu\epsilon/^\circ\text{F}$ ) is shown to be inappropriate, as its use would lead to the false conclusion that the change in concrete strain was *positive* between December, 2011 and June, 2013. By contrast, the use of a larger apparent CTE would indicate a greater amount of prestress loss during this timeframe. Measurements were obtained during multiple summers and winters, which confirmed that this was inappropriate—the same CTE values that indicated greater losses from winter to summer indicated greater gains from summer to the next winter. Thus, the appropriate apparent CTEs for use during analyses of long-term time-dependent behavior were confirmed to equal 6.9, 6.4, and 5.6  $\mu\epsilon/^\circ\text{F}$  for the SCC girders, VC girders, and VC deck, respectively.

#### **6.4.2.4 Measured Long-Term Time-Dependent Responses**

After correcting for thermal effects as discussed in the previous section, measured concrete strains were converted to values of effective prestress,  $f_{pe}$ , by Equation 6-4. Total measured prestress losses were determined by subtracting  $f_{pe}$  from  $f_{pbt}$ . Measured total losses from the assessed girders are presented graphically in Figure 6.13 and Figure

6.14. To confirm the acceptability of the analysis of this limited number of girders, consider the limited variability between the presented results.

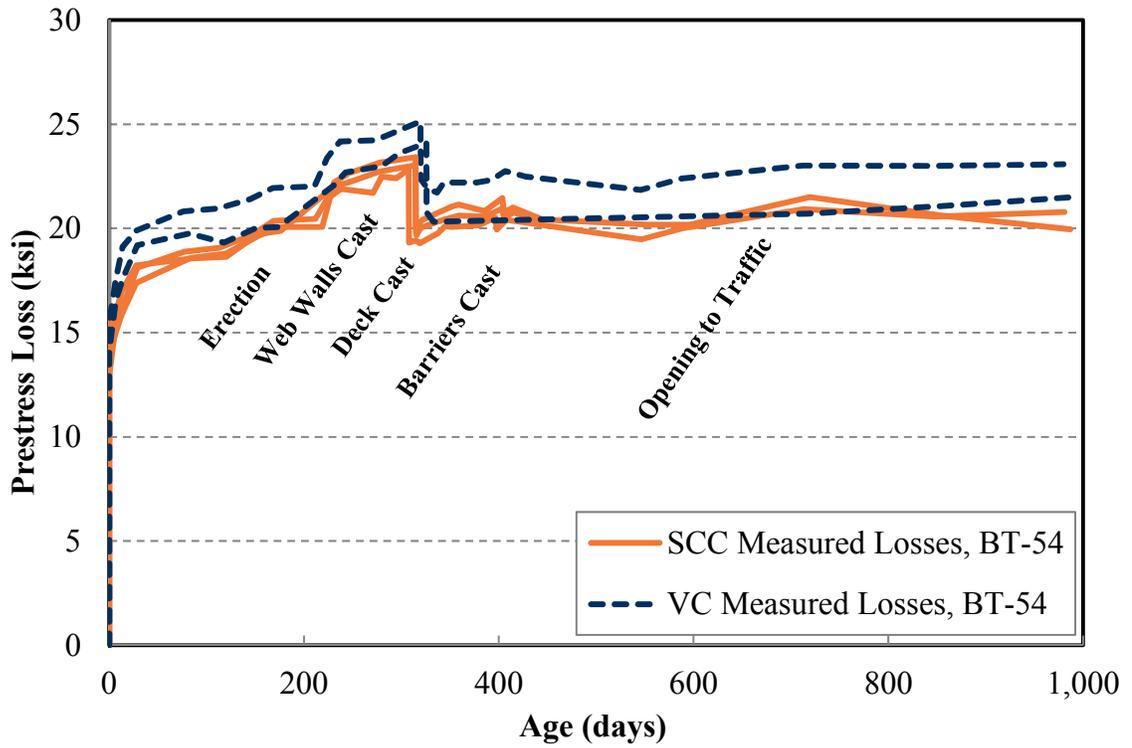


Figure 6.13: Total measured prestress losses in BT-54s

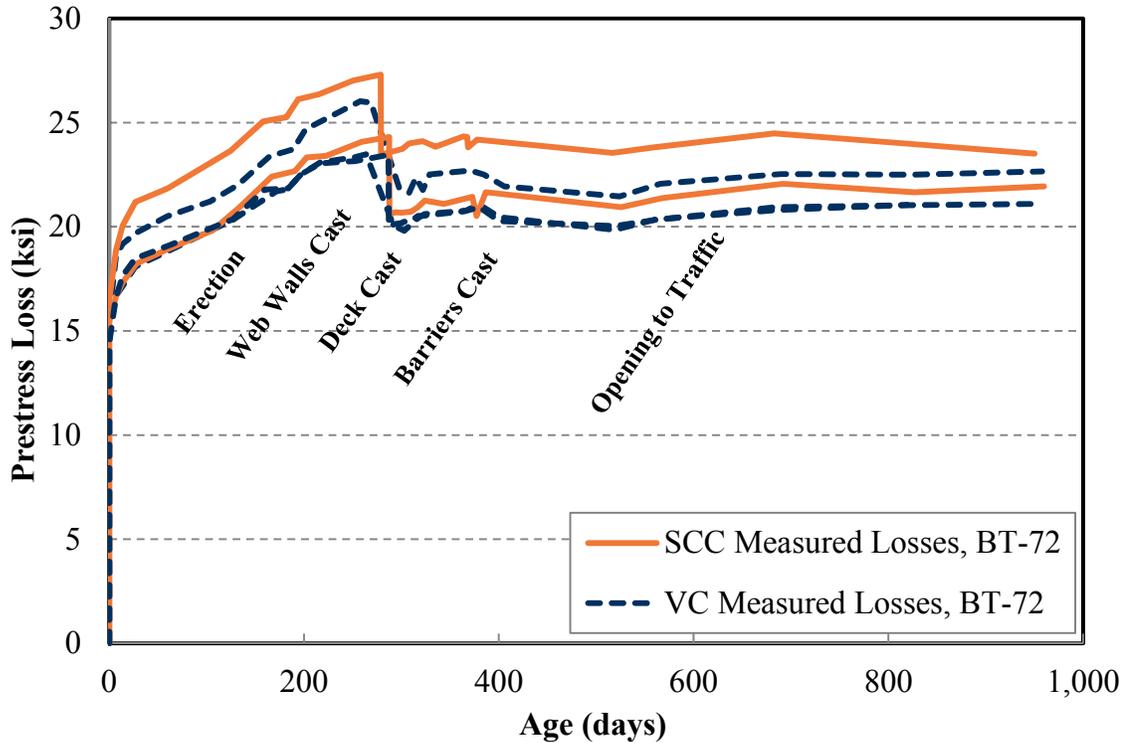


Figure 6.14: Total measured prestress losses in BT-72s

Several conclusions are warranted from the above figures, first among which is that the SCC girders appear to have accumulated essentially the same total measured prestress losses of approximately 22 ksi, or 11% of  $f_{pb}$ , within the first 1,000 days. They also appear to have accumulated those losses in exactly the same manner over time. Additional conclusions regarding the response to construction loads are given in Chapter 7, including an assessment of the sudden decrease in prestress losses at approximately 300 days that resulted from the addition of the deck.

To further confirm the time-dependent results presented in Figure 6.13 and Figure 6.14, total prestress losses are also tabulated below in Table 6.2. Losses were evaluated at two critical ages: at the time of deck addition and at the latest age monitored.

Table 6.2: Total measured time-dependent prestress losses

Girder	Losses at Deck Add.		Losses at 1,000 Days		SCC/VC	
	(ksi)	(% $f_{pbt}$ )	(ksi)	(% $f_{pbt}$ )	At Deck	At 1,000d
<b>54-4S</b>	22.9	11.4%	20.8	10.4%	0.94	0.93
<b>54-5S</b>	23.0	11.5%	-	-		
<b>54-6S</b>	23.4	11.7%	20.0	10.0%		
<b>54-S Average</b>	23.1	11.5%	20.4	10.2%		
<b>54-4V</b>	25.1	12.5%	23.1	11.5%		
<b>54-6V</b>	24.1	12.0%	20.7	10.3%		
<b>54-V Average</b>	24.6	12.3%	21.9	10.9%		
<b>72-4S</b>	24.3	12.1%	21.9	11.0%	1.06	1.04
<b>72-6S</b>	27.3	13.6%	23.5	11.7%		
<b>72-S Average</b>	25.8	12.9%	22.7	11.3%		
<b>72-2V</b>	26.0	13.0%	22.7	11.3%		
<b>72-3V</b>	23.5	11.7%	-	-		
<b>72-4V</b>	23.4	11.7%	21.1	10.5%		
<b>72-V Average</b>	24.3	12.1%	21.9	10.9%		

Note: - = not tested due to gauge failure

The results shown above confirm the graphical results—SCC girders have experienced essentially no different time-dependent behavior during the first 1,000 days after they were cast. While these total losses include elastic losses and gains that are reviewed later, these results suggest that the SCC girders are behaving very similarly to their companion VC girders over time. The most important practical consideration may be the difference between SCC and VC losses as a percent of  $f_{pbt}$ : total differences at 1,000 days would equate to less than 1% of  $f_{pbt}$ , indicating that the SCC and vibrated concrete are identical to within the precision of the application of this data.

Interestingly, this contradicts the findings presented in Chapter 5, in which SCC cylinders were found to exhibit approximately 15% greater compliance and up to 30%

greater shrinkage than the companion VC cylinders at all concrete ages up to 1,000 days. While further conclusions are drawn by comparing these results to those predicted by the *AASHTO LRFD* provisions, these results alone are sufficient to conclude that the full-scale time-dependent behavior of these SCC girders is acceptably similar to that of the companion VC girders.

### 6.4.3 Comparisons of Measured Responses to Predicted Responses

While it was instructive to compare the measured responses of the SCC and VC girders because they have been placed in matching spans of an in-service bridge, it is equally or more important to evaluate the predictability of the measured girder responses after accounting for their unique material properties. In the following sections, measured responses are compared to those predicted using the simplified and refined *AASHTO LRFD* prediction methods, as well as to the refined *LRFD* prediction method once including the previously proposed modifications to account for local Alabama materials and methods ( $A_{AL}$ ).

To make equitable comparisons of measured and predicted results, the way in which measured data are collected must be considered: as previously discussed in Section 6.3.1.2, only changes in concrete strain are measured by embedded VWSGs, and these strains are converted to prestress losses or effective prestress according to Equation 6-4. Therefore, *strain-independent* prestress losses due to stress relaxation occurred in the girders but were not measured. It was appropriate to *subtract* the predicted relaxation losses after release ( $\Delta f_{pR}$ ) to account for this—in all comparisons, measured results are compared to *LRFD*-predicted results minus predicted relaxation losses ( $\Delta f_{pR}$ ,  $\Delta f_{pR1}$ , or

$\Delta f_{pR2}$ , where applicable). Note that this does not affect the choice of  $f_{pbt}$ : pre-release relaxation losses are measurable in the prestressing bed prior to concrete placement (Boehm et al. 2010), and their inclusion is necessary to accurately assess elastic and time-dependent responses (Stallings et al. 2003).

#### **6.4.3.1 Comparisons to *AASHTO LRFD* Simplified Prediction**

The simplified approximate estimate of time-dependent losses described in the *AASHTO LRFD* (2013) provisions (Section 5.9.5.3) and in Section 6.3 of this dissertation yields a lump-sum prediction of total long-term losses. As previously discussed, total predicted losses are determined by summing the predicted time-dependent losses due to creep, shrinkage, and relaxation and the elastic losses and gains due to transfer and superimposed weights. To make equitable comparisons of measured and predicted results, measured and predicted results are presented in Table 6.3 and in Figure 6.15 after subtracting the predicted relaxation losses from the predicted total losses. In both the figure and table, losses at approximately 1,000 days (the last age at which strains were measured) are presented because they are the closest estimate of long-term behavior.

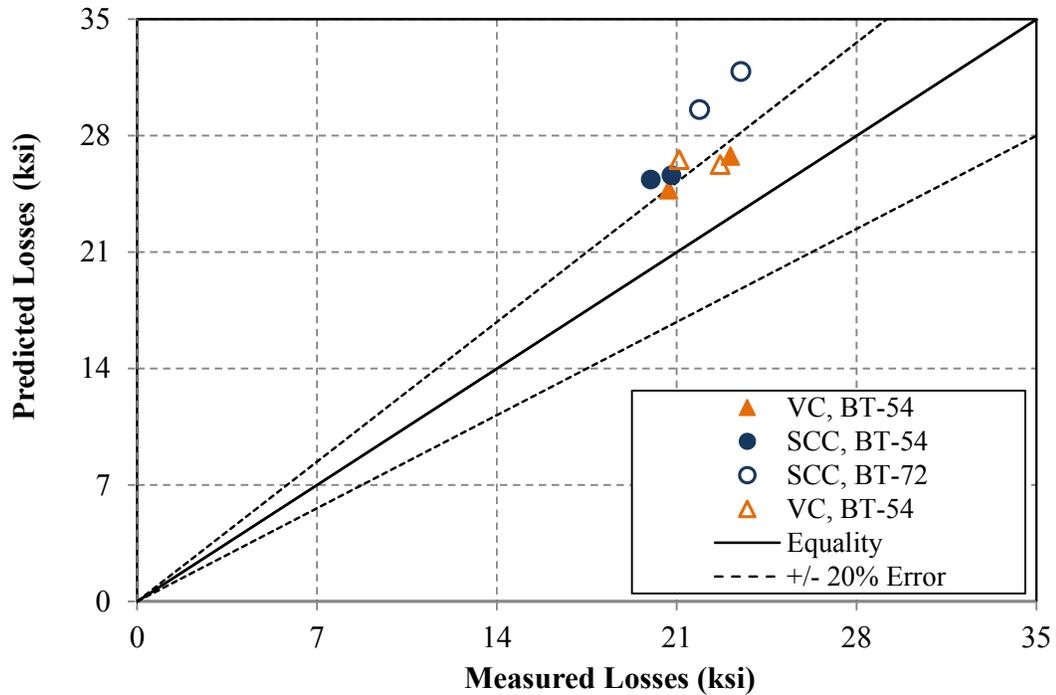


Figure 6.15: Comparison of measured and simplified predicted prestress losses

Table 6.3: Comparison of measured and simplified-LRFD predicted prestress losses

Girder	Measured Total (ksi)	Calculated Elastic (ksi)	Time-Dependent (ksi)	Total Predicted (ksi)	Measured/Predicted Total
54-4S	20.8	8.4	17.3	25.6	0.81
54-5S	-	8.6	16.8	25.3	-
54-6S	20.0	8.6	16.8	25.4	0.79
<b>54-S Average</b>	<b>20.4</b>	<b>8.7</b>	<b>17.0</b>	<b>25.4</b>	<b>0.80</b>
54-4V	23.1	8.2	18.6	26.8	0.86
54-6V	20.7	7.7	17.1	24.7	0.84
<b>54-V Average</b>	<b>21.9</b>	<b>8.1</b>	<b>17.9</b>	<b>25.8</b>	<b>0.85</b>
72-4S	21.9	9.1	20.5	29.6	0.74
72-6S	23.5	9.2	22.6	31.9	0.74
<b>72-S Average</b>	<b>22.7</b>	<b>9.4</b>	<b>21.7</b>	<b>30.7</b>	<b>0.74</b>
72-2V	22.7	7.4	18.8	26.3	0.86
72-3V	-	8.0	18.5	26.5	-
72-4V	21.1	8.1	18.5	26.5	0.79
<b>72-V Average</b>	<b>21.9</b>	<b>8.0</b>	<b>18.7</b>	<b>26.4</b>	<b>0.83</b>

Note: - = not tested due to gauge failure

As shown in the figure and table, the simplified total-loss predictions were conservative, typically providing estimated losses that were approximately 20% larger in magnitude than the comparable measured losses. In terms of the difference in effective prestress, the average over-prediction of measured losses by approximately 5.4 ksi is reasonable, representing less than 3% of  $f_{pbt}$ . Consequently, the simplified provisions appear to be reasonably accurate for the prediction of long-term time-dependent losses, at least when using measured material properties

Also, the data presented in Figure 6.15 appear to indicate that SCC total losses were slightly more over-predicted, especially among SCC BT-72s—the average over-prediction equaled 8.0 ksi in SCC BT-72s, versus 4.5 ksi in VC BT-72s. This is likely because the only concrete material property incorporated in the simplified predictions is  $f_{ci}$ , and  $f_{ci}$  was found to be significantly affected by age at release in these girders (see Section 3.4.3.1). Girders 72-4S and 6S were released at 20 and 18 hours, respectively, while 72-2V, 3V, and 4V were released at 23, 23, and 20 hours, respectively; while the measured results did not appear to be affected by this age variation, the simplified predictions were somewhat affected by it.

Without further evaluation of the accuracy of the elastic-deformation calculations shown in the table (which is included in Chapter 7), it is difficult to conclude whether the conservatism of the simplified predictions stem more from these elastic-deformation calculations or from over-prediction of the time-dependent deformations. Evaluation of the refined *AASHTO LRFD* predictions may illuminate differences in the entire time-dependent behavior instead of only the ultimate time-dependent deformation value, which should be of value. Regardless, the data presented in this section confirm that the

approximate estimate of time-dependent losses calculated using Section 5.9.5.3 of the *AASHTO LRFD* (2013) provisions provides a reasonable, conservative estimate of full-scale long-term behavior, at least when using measured material and exposure properties.

#### **6.4.3.2 Comparisons to Existing *AASHTO LRFD* Refined Predictions**

It was acceptable to present results in terms of prestress losses in the previous sections because these comparisons consisted of measured results or predicted lump-sum results. Per the discussion of Section 6.3.2.5, the *AASHTO LRFD* Section 5.9.5.4 refined estimates of time-dependent losses were used to evaluate the time-dependent behavior of the girders at all intermediate times. Thus, in this comparison, it was acceptable to present results in terms of effective prestress to better illustrate the magnitude of the difference between measured and predicted results.

The conversion of measured results to values of effective prestress was conducted per Equation 6-4; for comparison, predicted relaxation losses were subtracted from the refined-*LRFD* predictions before comparison (but after inclusion in the necessary prediction equations, such as Equation 6-17). These comparisons are made graphically in Figure 6.16 and Figure 6.17 for SCC and VC girders, respectively.

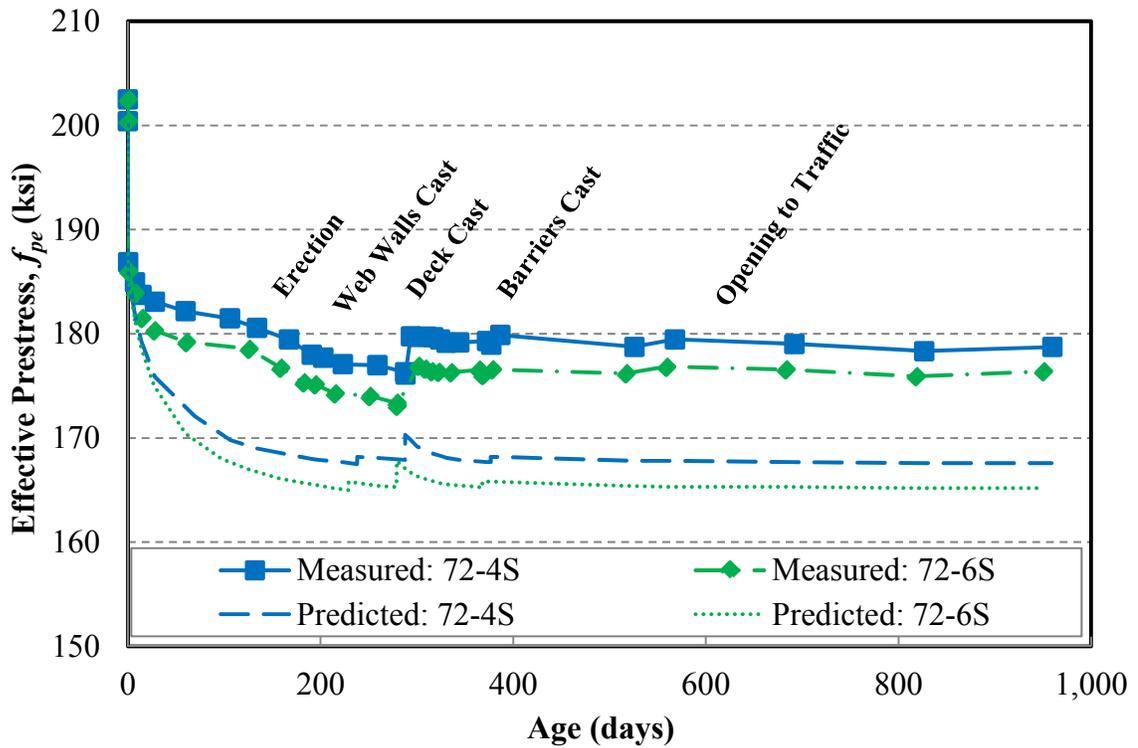
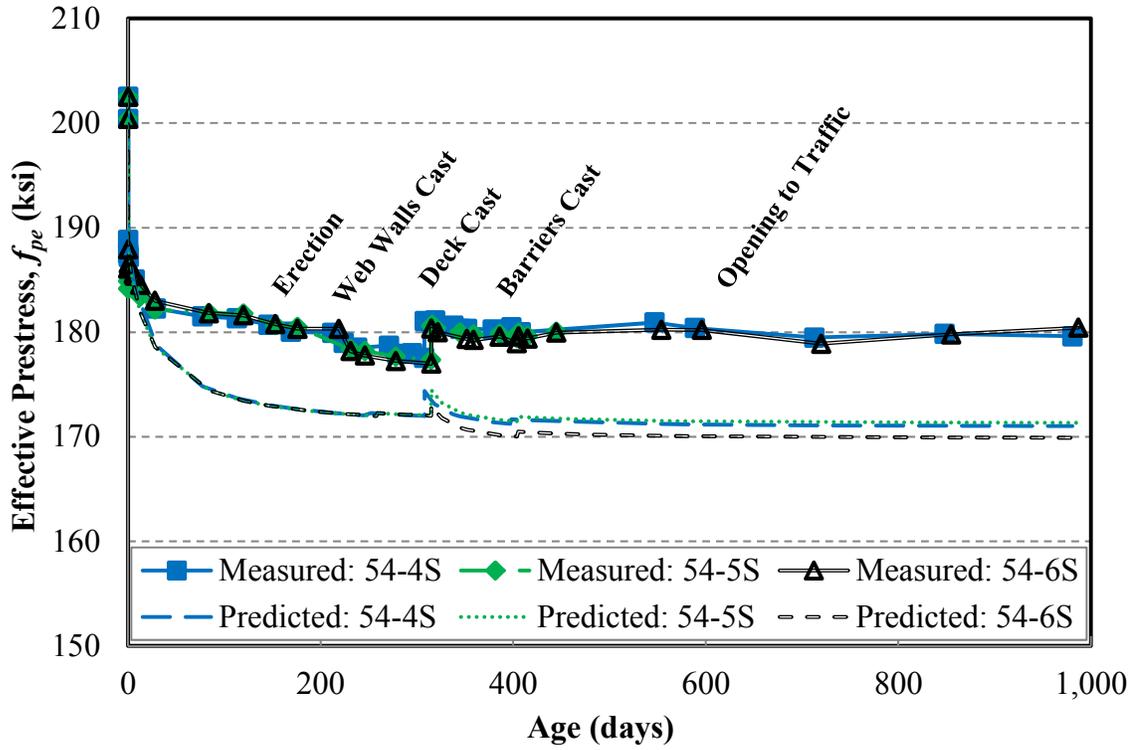


Figure 6.16: Comparison of measured and predicted effective prestress in SCC girders

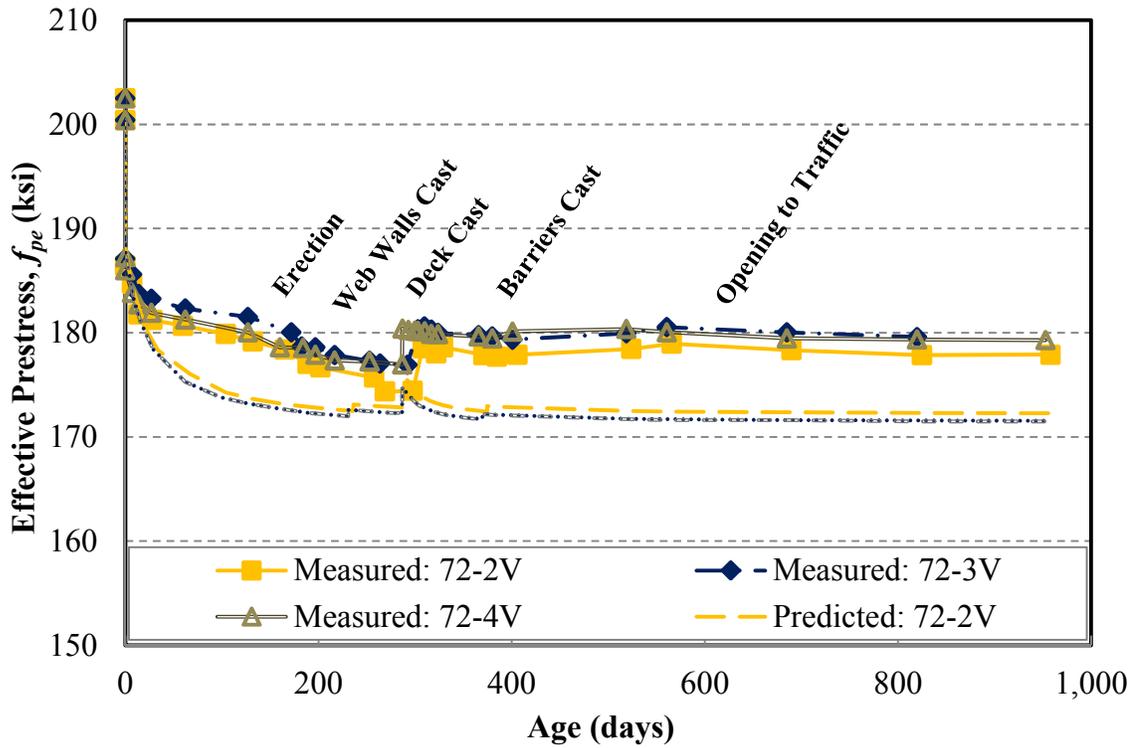
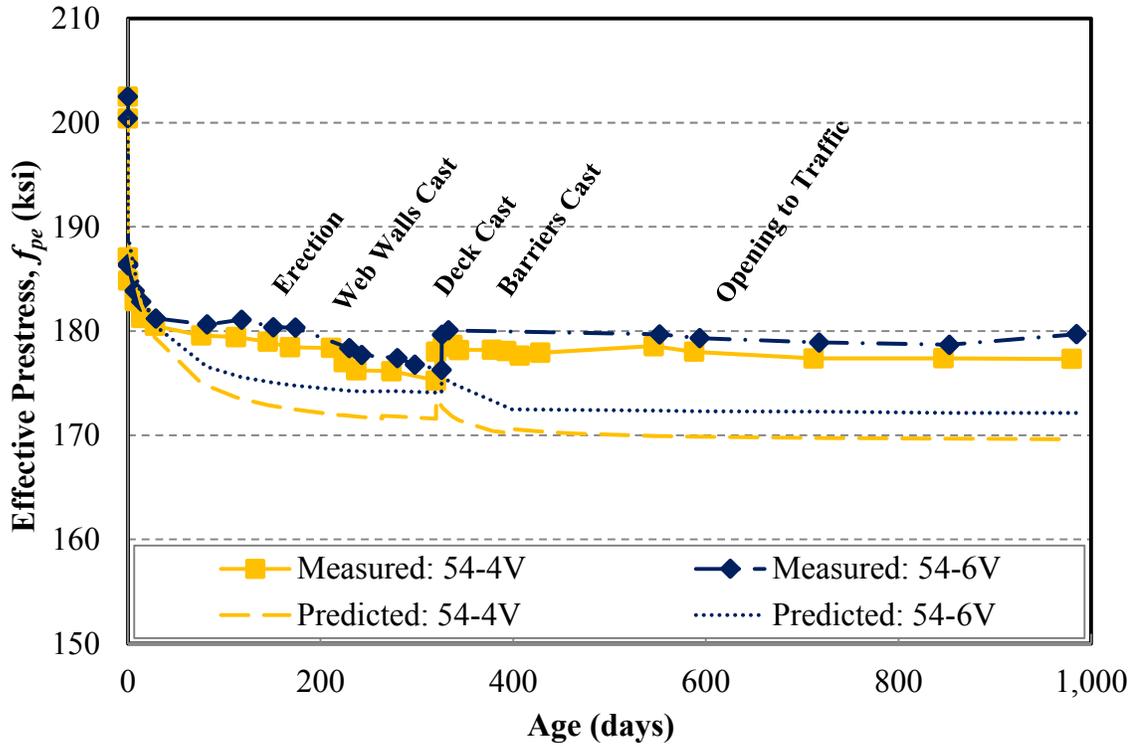


Figure 6.17: Comparison of measured and predicted effective prestress in VC girders

In the above figures, the SCC and VC girders appear to be behaving very similarly (maintaining approximately 179 ksi or 89% of  $f_{pbt}$  through 1,000 days), and the refined *LRFD* models appear only slightly less accurate for SCC performance than for VC performance. This observation was confirmed analytically, and pertinent results are summarized below in Table 6.4.

Table 6.4: Comparison of measured and refined-*LRFD* predicted effective prestress

Girder	At Deck Addition			At 1,000 Days		
	Predicted $f_{pe}$ (ksi)	Measured $f_{pe}$ (ksi)	Meas./ Predicted	Predicted $f_{pe}$ (ksi)	Measured $f_{pe}$ (ksi)	Meas./ Predicted
<b>54-4S</b>	172.0	177.5	1.03	171.0	179.6	1.05
<b>54-5S</b>	172.0	177.4	1.03	-	-	-
<b>54-6S</b>	172.0	177.0	1.03	169.9	180.4	1.06
<b>54-S Average</b>	172.0	177.3	1.03	170.4	180.0	1.06
<b>54-4V</b>	171.6	175.3	1.02	169.6	177.3	1.05
<b>54-6V</b>	174.1	176.3	1.01	172.1	179.7	1.04
<b>54-V Average</b>	172.8	175.8	1.02	170.9	178.5	1.04
<b>72-4S</b>	167.9	176.1	1.05	167.6	178.5	1.06
<b>72-6S</b>	165.3	173.1	1.05	165.2	176.9	1.07
<b>72-S Average</b>	166.6	174.6	1.05	166.4	177.7	1.07
<b>72-2V</b>	172.8	174.4	1.01	172.3	177.7	1.03
<b>72-3V</b>	172.3	176.9	1.03	-	-	-
<b>72-4V</b>	172.3	177.0	1.03	171.5	179.3	1.05
<b>72-V Average</b>	172.5	176.1	1.02	171.9	178.5	1.04

Note: - = not tested due to gauge failure

As shown in the table, all girders maintained greater effective prestress than predicted by the refined *AASHTO LRFD* (2013) model prior to deck addition and during the approximately 650 days after. The SCC girders appeared to maintain slightly greater prestress relative to that predicted, but all measured results were within 7% of predictions

(approximately 11 ksi, or 5% of  $f_{pbt}$ ). This suggests that the predictability of the SCC-girder behavior is acceptably similar to that of vibrated concrete and confirms that the behavior of girders constructed with either material is conservatively predictable according to the existing refined provisions of *AASHTO LRFD* (2013) Section 5.9.5.4.

While these measured and predicted results include instantaneous changes in prestress that are discussed later, the girders appear to be behaving conservatively because measured results more greatly exceed the prestress values predicted at approximately 1,000 days than immediately after the time of deck addition approximately 650 days earlier. Considering that effective prestress has plateaued in both measured results and predicted results, future time-dependent changes are expected to be minimal.

#### **6.4.3.3 Comparisons of Measured Results to Refined Predictions Using $A_{AL}$**

Recall from Chapter 5 that the total deformation of SCC and VC cylinders was reasonably predictable using the existing provisions, but only as a coincidence of the particular testing conditions—creep was under-predicted by the models while shrinkage was over-predicted. The adjustment factors for concrete produced using typical Alabama materials and proportions only moderately improved the total-deformation predictions but distinctly improved the individual time-dependent behaviors during that analysis. Thus, application of those  $A_{AL}$  factors to the refined *AASHTO LRFD* provisions for full-scale behavior could provide similar improvements.

To evaluate the recommendations of Chapter 5, the factors that were determined based on these utilized mixtures were directly implemented in the following previously described equations concerning the refined *AASHTO LRFD* predictions:

- Equation 6-10 regarding the shrinkage of the girder concrete prior to deck addition ( $\epsilon_{bid}$ ),
- Equation 6-11 regarding the interaction between shrinkage and creep prior to deck addition ( $K_{id}$ ),
- Equation 6-12 regarding the creep of the girder concrete from the time of prestress release until the time of deck addition [ $\psi_b(t_d, t_i)$ ],
- Equation 6-14 regarding the shrinkage of the girder concrete from the time of the deck addition onward ( $\epsilon_{bdf}$ ),
- Equation 6-15 regarding the interaction between shrinkage and creep after the deck addition ( $K_{df}$ ), and
- Equations 6-16 and 6-18 regarding the additional creep of the girder concrete due to the deck addition [ $\psi_b(t_f, t_d)$ ].

Recall that, in all of these applications, the  $A_{AL}$  factors were directly multiplied by the existing predictions of the creep coefficient (using  $A_{AL}$  equal to 1.2 in SCC and 1.1 in VC) and shrinkage strain (using  $A_{AL}$  equal to 0.8 in VC). Meanwhile, the shrinkage of the deck concrete was modeled using the existing provisions, as application of the  $A_{AL}$  factors was not justified. Pertinent comparisons of the existing and revised predictions to the measured results are summarized below in Table 6.5. To increase readability, only average values from the existing predictions are reproduced in the table.

Table 6.5: Comparison of measured and predicted effective prestress

Girder	At Deck Casting			At 1,000 Days		
	$f_{pe}$ Predicted with $A_{AL}$ (ksi)	Meas./ Predicted with $A_{AL}$	Meas./ Existing Prediction	$f_{pe}$ Predicted with $A_{AL}$ (ksi)	Meas./ Predict. with $A_{AL}$	Meas./ Existing Prediction
54-4S	170.2	1.04		169.5	1.05	
54-5S	170.2	1.04		-	-	
54-6S	170.2	1.04		169.8	1.06	
<i>54-S Average</i>	<i>170.2</i>	<i>1.04</i>	<i>1.03</i>	<i>169.7</i>	<i>1.06</i>	<i>1.05</i>
54-4V	174.5	1.01		171.5	1.05	
54-6V	171.9	1.02		174.0	1.04	
<i>54-V Average</i>	<i>173.2</i>	<i>1.01</i>	<i>1.02</i>	<i>172.7</i>	<i>1.04</i>	<i>1.04</i>
72-4S	165.7	1.06		165.9	1.06	
72-6S	162.9	1.06		163.3	1.07	
<i>72-S Average</i>	<i>164.3</i>	<i>1.06</i>	<i>1.05</i>	<i>164.6</i>	<i>1.07</i>	<i>1.07</i>
72-2V	173.1	1.01		174.0	1.03	
72-3V	172.5	1.03		-	-	
72-4V	172.5	1.03		173.1	1.05	
<i>72-V Average</i>	<i>172.7</i>	<i>1.02</i>	<i>1.02</i>	<i>173.5</i>	<i>1.04</i>	<i>1.04</i>

Note: - = not tested due to gauge failure

As shown in the table, the use of modifications calibrated with representative cylinders had minor but opposing effects on SCC and VC predictability. SCC performance was slightly more under-predicted by the adjusted models, while VC performance was slightly better predicted. After applying the  $A_{AL}$  factors, measured effective prestress in SCC girders was under-predicted by up to approximately 13 ksi, or 6.5% of  $f_{pbi}$ ; VC effective prestress was conservatively and accurately predicted to within approximately 5 ksi, or 2.5% of  $f_{pbi}$ .

That the magnitude of the adjustment factors exceeded their effect suggests two possibilities: that the existing prediction models may have been accurate coincidentally

because of the offsetting errors in creep and shrinkage or that the prediction models are insensitive to these parameters. In either case, application of the  $A_{AL}$  factors was acceptable, especially when considering VC girders.

Meanwhile, the inclusion of these adjustments to account for measured time-dependent cylinder behavior slightly reduced the accuracy of the already conservatively predicted SCC girder behavior. This suggests two possibilities: that the testing of representative samples may not well represent full-scale SCC performance or that full-scale SCC behavior is differently (more conservatively) affected by full-scale structural phenomena or ambient conditions. Both are plausible and would lead to more conservative prediction of SCC behavior, but neither possibility could be directly assessed in this research.

#### **6.4.4 Comparisons of Measured Responses to Design Predictions**

In Section 6.4.2, measured full-scale SCC time-dependent responses were found to be reasonably similar to those measured in comparable VC girders. In Section 6.4.3, the behavior of SCC and VC girders was found to be conservatively predictable using either simplified or refined prediction models, at least when considering measured material properties. In previous AUHRC research, Stallings et al. (2003) and Johnson (2012) concluded that the use of design properties (such as  $f'_c$ ) could lead to gross errors in the predictions, so a further analysis of this occurrence was warranted in this evaluation of full-scale behavior. In this way, differences in the measured SCC and VC responses, and differences in their predictability, are evaluated relative to the level of accuracy expectable in a typical design environment.

#### 6.4.4.1 Comparisons to *AASHTO LRFD* Simplified Prediction

Only the specified  $f'_{ci}$  was necessary to calculate the lump-sum long-term prestress loss according to the simplified *LRFD* provisions discussed earlier. The same relative humidity (70%) was used in this prediction, and, as in all calculations of predicted/design and measured losses, relaxation losses were removed prior to comparison with measured results. Furthermore,  $f'_{ci}$  was used in conjunction with Equation 3-4 to calculate the elastic portion of the prestress losses according to Equation 6-8. Total measured and predicted design losses are summarized in Table 6.6 below. In it, “Predicted” responses are the predictions that incorporated measured material properties, and “Design” responses are those based on design properties.

Table 6.6: Comparison of measured and simplified-*LRFD* design prestress losses

Type of Girder	Average Total Losses (ksi)		Ratios		
	Measured at 1,000 Days	Simplified- <i>LRFD</i>		Measured/ Predicted	Measured/ Design
		Predicted	Design		
SCC BT-54	20.4	25.4	38.4	0.80	0.53
VC BT-54	21.9	25.8		0.85	0.57
SCC BT-72	22.7	30.7	37.5	0.74	0.61
VC BT-72	21.9	26.4		0.83	0.58

The results shown in the above table support the conclusion that the difference between measured long-term SCC-girder performance and measured VC-girder performance (less than 2 ksi of effective prestress) is insignificant relative to the difference between measured and assumed design responses (approximately 16–18 ksi).

The difference in the *predictability* of measured responses (SCC-girder losses were approximately 3 ksi more over-predicted than were VC-girder losses using the simplified *LRFD* provisions) is also minor relative to the difference between design and measured responses.

This indicates that all measured full-scale prestress losses were equally and conservatively predictable relative to design, according to the simplified *AASHTO LRFD* provisions. It also confirms the conclusions of Stallings et al. (2003) and Johnson (2012): predictions can be highly conservative when using design properties in place of expected or measured properties. The difference between measured-property and design predictions, which ranged 7–13 ksi, represents up to approximately 6.5% of  $f_{pbt}$  and could be significant during design.

#### **6.4.4.2 Comparisons to Existing *AASHTO LRFD* Refined Predictions**

A number of assumptions were required to calculate the average refined estimates of design effective prestress. Like in the previous section, specified  $f'_{ci}$  was used, as was an assumed relative humidity of 70%; similarly, the specified  $f'_{c,deck}$  (4,000 psi) was used, and all values of  $E_c$  were calculated using Equation 3-4. Other assumed values were based on the average exposure conditions experienced by the girders such that differences between the design estimates and the measured-property predictions mainly illuminate differences between the *concrete material* properties. These assumed values included

- Average release times,  $t_i$ , of 0.99 days and 0.88 days for BT-54s and BT-72s, respectively, based on the information presented in Table 3.8,

- Average deck-addition times of 320 days and 280 for BT-54s and BT-72s, respectively, based on observed average times at deck addition,
- An average haunch thickness of 1.5 in. for all girders based on information presented in Appendix G and Chapter 7, and
- An average deck thickness of 7.0 in. for all girders based on the construction plans for this bridge.

As in Section 6.4.3.2, it is instructive to compare the predicted effective prestress graphically because the refined *AASHTO LRFD* estimates allow evaluation of the entire time-dependent maintenance of  $f_{pe}$ . Therefore, these comparisons are made in Figure 6.18 and Figure 6.19 for BT-54 and BT-72 girders, respectively. For clarity, only a few representative measured SCC and VC responses are presented; design responses are equally applicable to both, as they only vary by girder size (and not material) according to the *LRFD* provisions.

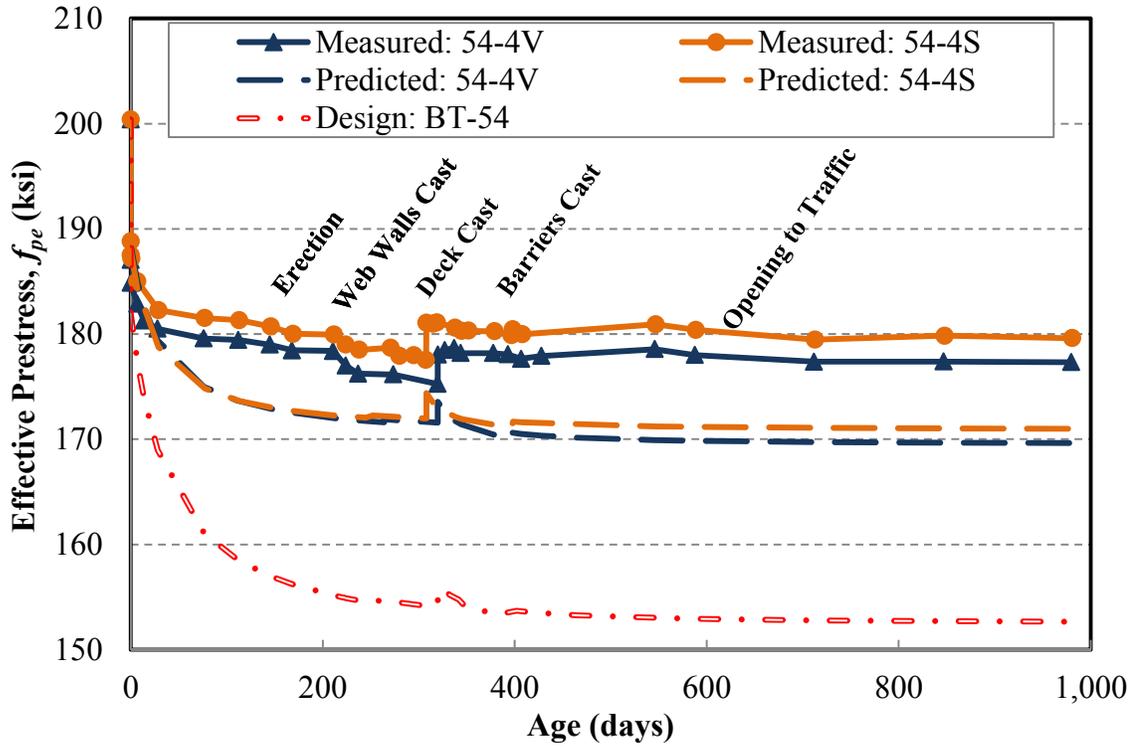


Figure 6.18: Comparison of measured and design effective prestress in BT-54 girders

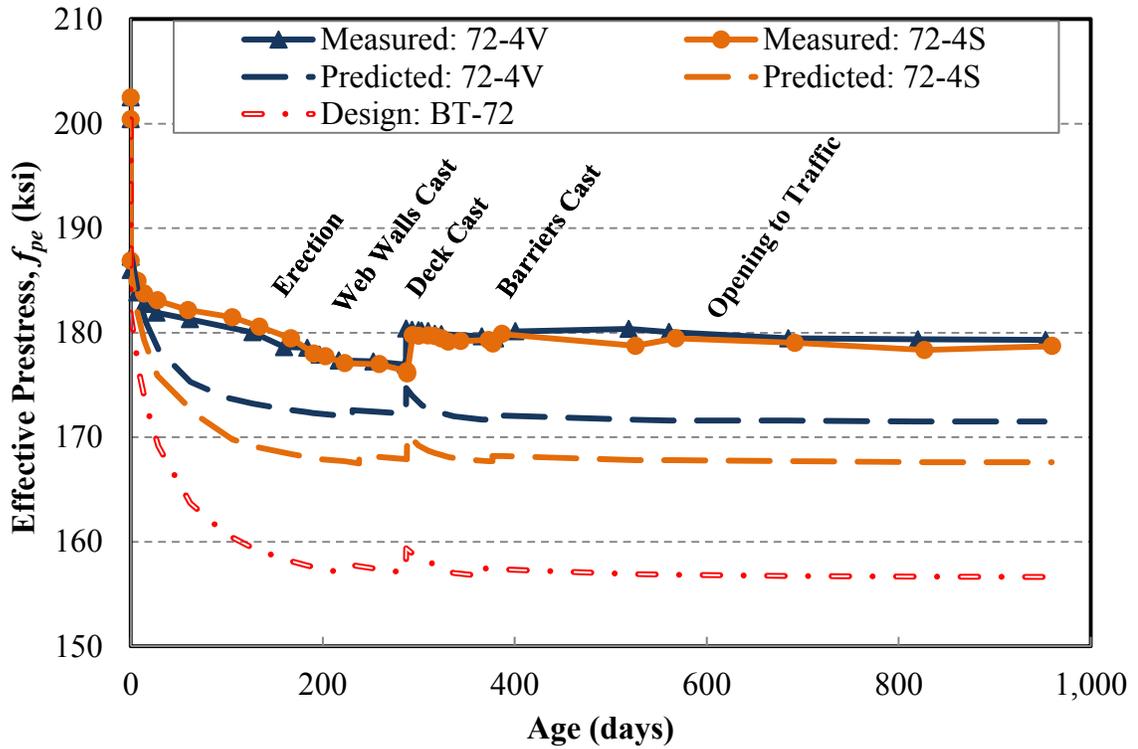


Figure 6.19: Comparison of measured and design effective prestress in BT-72 girders

In the above figures, differences are apparent between measured time-dependent behavior, predicted behavior based on measured mechanical properties, and design behavior based on specified properties. Especially among BT-54s, the design predictions appear to grossly under-predict  $f_{pe}$  (and over-predict prestress losses). These observations were confirmed analytically, and pertinent average results are summarized below in Table 6.7. Like before, “Predicted” responses are the predictions that incorporated measured material properties, and “Design” responses are those based on design properties.

Table 6.7: Comparison of measured and refined-*LRFD* design effective prestress

Type of Girder	Average 1,000-Day $f_{pe}$ (ksi)			Ratios	
	Measured	Refined- <i>LRFD</i>		Measured/ Predicted	Measured/ Design
		Predicted	Design		
<b>SCC BT-54</b>	180.0	170.4	152.7	1.06	1.18
<b>VC BT-54</b>	177.3	169.6		1.05	1.16
<b>SCC BT-72</b>	177.7	166.4	156.6	1.07	1.13
<b>VC BT-72</b>	178.5	171.9		1.04	1.14

The findings shown in the above table support the conclusion that the difference between measured long-term SCC-girder performance and measured VC-girder performance (less than 2 ksi of effective prestress, on average) is insignificant relative to the difference between measured and assumed design responses (approximately 21–27 ksi different). Differences in the predictability of measured responses (SCC-girder  $f_{pe}$  was approximately 3 ksi more under-predicted than was VC-girder  $f_{pe}$  using the refined

estimates) are also minor relative to the difference between design and measured responses.

This indicates that all values of  $f_{pe}$  determined from measured concrete-strain results were equally and conservatively predictable relative to the behaviors estimated using design properties and average construction times. It further confirms the conclusions of Stallings et al. (2003) and Johnson (2012): predictions can be highly conservative when using design properties in place of measured or expected material properties. The difference between measured-property and design long-term prestress predictions, which ranged approximately 10–18 ksi, represents up to approximately 9% of  $f_{pbt}$  and could be significant during design.

## **6.5 Summary and Conclusions**

### **6.5.1 Summary**

The work documented in this chapter was conducted to evaluate the full-scale time-dependent structural performance of the SCC girders used to construct the bridge over Hillabee Creek, both in relation to the companion VC girders used in the bridge and in relation to currently employed predictions. The primary full-scale structural property evaluated was the long-term effective prestress in the prestressed strands. Additionally, to isolate transient thermal effects from long-term time-dependent effects, the CTE of the utilized concrete mixtures was evaluated. CTE tests were conducted on samples of concrete placed in the bridge; those results and the results from other representative-specimen tests ( $E_c$ , compliance, and shrinkage) were then implemented in the models used to predict the full-scale responses.

By incorporating the measured material properties in this evaluation, the acceptability of the SCC-girder behavior, and ways in which it may be affected differently than that of VC girders by material properties, was thoroughly evaluated. Not only are such full-scale evaluations of SCC girders limited or nonexistent, but their implications for SCC girders of the scale used in this bridge and made using Alabama materials and methods are unclear. Also, no previously reported study of full-scale time-dependent behavior in SCC girders has approached the 1,000-day duration of this project, which is significant considering that time-dependent effects could continue to evolve through this time.

The work of this chapter was divided into several components: measurement of the apparent CTE of the tested SCC and VC, observation of the full-scale thermal effects due to diurnal and seasonal ambient effects, and evaluation of the full-scale time-dependent behavior of the girders, as well as the predictability of these responses. The observations and conclusions made concerning these topics are summarized in Section 6.5.2. The recommendations made based on this research are then given in Section 6.5.3.

## **6.5.2 Observations and Conclusions**

### **6.5.2.1 Coefficient of Thermal Expansion**

- In standardized testing and in testing conducted in ambient-humidity conditions, the studied SCC exhibited a marginally higher CTE than that of the comparable VC-girder mixture (approximately 5% higher). The difference was explainable by the difference in mixture proportions of the two and would be expected between any two concretes with different proportions.

- In standardized testing and in testing conducted in ambient-humidity condition, specimens made with the girder concrete exhibited CTEs approximately 20% greater than in the concrete utilized to construct the cast-in-place bridge elements. The difference was not clearly explained by the mixture differences present, at least with respect to the existing literature.
- Because the main differences between the deck and girder mixtures were SCM type (slag cement versus fly ash), SCM replacement rate,  $w/cm$  (0.29 versus 0.40), and within-aggregate-type mineralogy, one or more of these variables likely contributed to the difference.
- In light of the difference between girder- and deck-mixture CTEs, SCC CTE was considered to be acceptably similar to that of the companion VC-girder mixture.

#### **6.5.2.2 Thermal Responses of Full-Scale Girders**

- Diurnal and, more significantly, seasonal thermal effects affected the apparent concrete strains measured in these girders (but would not affect effective prestress because steel responds similarly to thermal effects); it was, therefore, crucial to account for these thermal effects before evaluating long-term time-dependent changes in concrete strain and steel prestress due to creep and shrinkage.
- The approach utilized to account for transient thermal effects was accurately used to isolate these effects from the effects of long-term time-dependent material deformation.

- Confirmation of the appropriate apparent CTE and accuracy of the applied method was achieved by comparing measured girder-strain results obtained at distinctly different concrete temperatures.

### **6.5.2.3 Measured Time-Dependent Behavior of Full-Scale Girders**

- After accounting for thermal effects, SCC girders exhibited practically identical effective prestress as the companion VC girders throughout the first 1,000 days after casting. Differences in total losses between the materials equated to no greater than 1% of  $f_{pt}$  at a concrete age of 1,000 days.
- The time-dependent structural behavior of the SCC girders contradicts the findings presented in Chapter 5—cylinders of SCC were found to exhibit up to 15% greater compliance and 30% greater unrestrained shrinkage at a concrete age of 1,000 days, but full-scale time-dependent behavior of SCC girders was essentially identical to that of the companion VC girders.
- $f_{pe}$  determined from measured concrete-strain results was practically unchanged during the approximately 650 days after the casting of the deck, and the  $f_{pe}$  maintained since the addition of the deck exceeded that measured immediately prior to its addition. Based on these results, time-dependent changes in behavior (other than transient thermal effects) are expected to be minimal during the remainder of the service life of these girders (at least thirty years).

#### 6.5.2.4 Prediction of Time-Dependent Behavior of Full-Scale Girders

- Use of the *AASHTO LRFD* (2013) provisions to approximate prestress-loss (Section 5.9.5.3 of the provisions) led to reasonably accurate predictions of total long-term losses when using measured material properties—all predictions were conservative but within approximately 6 ksi, or 3% of  $f_{pbt}$ , of measured results.
- Use of the *AASHTO LRFD* (2013) refined prestress-loss provisions (Section 5.9.5.4 of the provisions) led to under-predictions of effective prestress at multiple ages when using measured material properties—all predictions were conservative but within approximately 11 ksi, or 5% of  $f_{pbt}$ , of measured results.
- The accuracy of the predictions was moderately improved in the VC girders when applying the  $A_{AL}$  adjustments recommended in Chapter 5 (under-predicted by less than 2.5% of  $f_{pbt}$  using adjusted models)
- The accuracy of the predictions was insignificantly reduced in the SCC girders when applying  $A_{AL}$ . Measured effective prestress in SCC girders was under-predicted by up to approximately 13 ksi, or 6.5% of  $f_{pbt}$ , by the adjusted refined-*LRFD* provisions.
- Use of the *AASHTO LRFD* (2013) simplified or refined prestress-loss provisions with *design* material properties ( $f'_{ci}$  and others) led to very conservative predictions. Long-term design predictions under-predicted  $f_{pe}$  (from measured concrete-strain results) by up to 27 ksi (13% of  $f_{pbt}$ ) and under-predicted equivalent  $f_{pe}$  predictions that incorporated measured properties by up to 19 ksi (10% of  $f_{pbt}$ ).

- In light of these findings, the long-term time-dependent behavior of full-scale SCC girders was considered to be conservatively predictable and acceptably similar to that of the companion VC girders.

### 6.5.3 Recommendations

- Concerns about the time-dependent structural behavior of SCC in full-scale precast, prestressed girders should not restrict the implementation of the material in that type of construction. Measured full-scale time-dependent structural responses were essentially identical in companion SCC and VC girders and all behaviors were conservatively predictable based on measured material properties.
- The effects of the differences in CTE between girder mixtures and between the girder mixtures and deck mixture were minimal in this application (with simply supported spans).
- For prediction of long-term time-dependent losses, the approximate and refined *AASHTO LRFD* estimation methods (Sections 5.9.5.3 and 5.9.5.4 of the provisions, respectively) should provide acceptably conservative estimates of time-dependent behavior, at least when measured mechanical properties are incorporated.
- The adjustment factors used to account for Alabama materials and construction practices ( $A_{AL}$ ) were found to improve the predictions of VC time-dependent behavior, and their use is recommended.
- The use of  $A_{AL}$  factors led to more distinct under-prediction of SCC time-dependent prestress maintenance; their inclusion had only a minor effect, though,

and all existing and  $A_{AL}$ -adjusted predictions were slightly more conservative concerning SCC time-dependent behavior than concerning VC time-dependent behavior.

- Full-scale time-dependent performance of SCC girders was more conservatively predicted relative to small-scale tests than was VC-girder behavior. While the source of this discrepancy could not be isolated in this research, further research concerning the discrepancy between small-scale cylinder-tested properties and full-scale properties may be of value.
- The difference between predictions that incorporated measured properties and those based on design properties was distinctly larger than the difference between SCC and VC. Further research concerning the discrepancy between measured time-dependent behavior and the values that would be predicted during design should be investigated.

## Chapter 7: Elastic-Response Behavior of Full-Scale Girders

### 7.1 Introduction

In Chapters 3–4 of this dissertation, self-consolidating concrete was shown to exhibit slightly different mechanical properties and performance characteristics than equivalent-strength VC as a result of its different constituent materials and proportions. In Chapter 3, differences in hardened mechanical properties ( $f_c$ ,  $f_{ct}$ , and  $E_c$ ) were shown to be expectable not only of the tested SCC and VC, but of any two concrete mixtures proportioned differently. In Chapter 4, differences in the early-age transfer bond behavior of the SCC and VC girders were shown to be minor and largely explainable by the differences in hardened mechanical properties observed between the tested SCC and VC. In this chapter, the full-scale elastic structural performance of the girders is evaluated with consideration for these previously discussed hardened mechanical properties and structural behaviors.

The primary full-scale elastic structural performance characteristics evaluated in the Hillabee Creek Bridge girders were the elastic concrete strains, and associated prestress changes, due to construction and service loads. Deflections due to the construction of the deck and due to service-level live loads were also measured to corroborate these concrete-strain findings. Evaluation of these full-scale behaviors is critical because existing full-scale evaluations of SCC have been limited, and their implications for SCC girders of the scale used in this bridge and made using Alabama

materials and methods are unclear. Furthermore, no previously documented live-load testing has been conducted on an in-service bridge constructed with SCC girders.

Predictions of full-scale elastic load-response behaviors are frequently based on properties measured in representative cylinders. For this project, these small-specimen tests were conducted on the exact batches of concrete placed in the girders, so the measured material properties were directly implemented in the predictions. In this way, the predictability of full-scale behavior of SCC girders was assessed while using the most accurate material definitions determinable in representative cylinders.

### **7.1.1 Chapter Objective**

The work documented in this chapter was conducted to evaluate the acceptability of the full-scale elastic structural performance of the SCC girders used during Alabama's first full-scale implementation of SCC in an in-service precast, prestressed bridge. This evaluation required consideration of both the companion VC girders used in the bridge and currently employed predictions of full-scale elastic-load strain and deflection responses. The research team selected several tasks necessary to achieve the primary objective of this evaluation:

- Measure the mechanical properties of the concrete used to construct the cast-in-place elements of the bridge and compare these properties to those of the girders,
- Compare the deflection responses of SCC and VC girders to applied construction and elastic-level service loads, and
- Compare the concrete strain responses of SCC and VC girders to the same applied construction and elastic-level service loads.

### **7.1.2 Chapter Outline**

The existing literature relevant to the work of this chapter is summarized in Section 7.2, including results concerning previously conducted load testing of SCC girders. The experimental plan developed for this research project is then documented in Section 7.3. Portions of this plan have been described elsewhere (Johnson 2012; Keske et al. 2014; Miller 2013) and in Chapter 3. In addition to expanding upon details of the plan already mentioned in those references, information regarding prediction methodology, girder nomenclature, and usage of data is presented in that section.

Results from these evaluations of mechanical properties and instantaneous-load responses are given in Section 7.4. Differences and similarities between SCC and VC are highlighted, and the effects of incorporating laboratory-assessed material properties are analyzed. Conclusions and recommendations derived from the findings described in this chapter are then summarized in Section 7.5.

## **7.2 Review of Existing Literature**

Much of the literature pertinent to this research has been reviewed by Miller (2013) and Keske et al. (2014). Furthermore, the *AASHTO LRFD* Section 5.9.5.2 provisions employed to calculate responses to the prestress transfer mechanism and to superimposed loads were discussed in Section 6.3.2.1 because these calculations were necessary to develop estimates of time-dependent prestress losses. In summary from that section, the initial, elastic loss of prestress (and increase in concrete strain) at transfer depends on the transformed section properties of the girder, the assumed stress in the steel immediately

before transfer ( $f_{pbi}$ ), and the counteracting self-weight of the girder. Instantaneous strain changes in response to loads applied later can be calculated using an elastic analysis as long as the stresses in the concrete and prestressing steel remain in the elastic range (a safe assumption during this research).

As noted by Miller (2013), very few static load tests of SCC girders have been reported to date and none have included results obtained from the live-load testing of an in-service bridge made with SCC girders. Among those studies reviewed in Chapter 3, most have involved experimental girders that were loaded to failure (Boehm et al. 2010; Khayat and Mitchell 2009; Naito et al. 2005; Ozyildirim 2008; Trejo et al. 2008). Meanwhile, Zia et al. (2005) tested several SCC girders to service-load levels prior to erection in a bridge. No girder cracking was observed and full deflection recovery occurred after the removal of the applied load, indicating an elastic service-load response in SCC girders. The researchers further determined that the equivalent-stiffness SCC and VC girders “exhibited virtually identical” load-deflection relationships throughout service-level loading (Zia et al. 2005).

All of the cited researchers that tested experimental girders in a laboratory setting (Boehm et al. 2010; Khayat and Mitchell 2009; Naito et al. 2005; Ozyildirim 2008; Trejo et al. 2008) reported that SCC girders behaved predictably and acceptably similarly to comparable VC girders under a variety of service- or ultimate-load conditions. Among them, three reported minor but unexpected differences between SCC and VC girders:

- Boehm et al. (2010) documented that the poor top-surface roughening of the tested SCC girders occasionally led to the occurrence of horizontal slip at the deck-girder interface when approaching the ultimate flexural capacity. The

service-load behavior was not affected, but special attention to this construction procedure was recommended.

- Trejo et al. (2008) found that both SCC and VC girders exhibited nominal flexural capacity as much as 12% larger than predicted even when incorporating measured material properties. The service-load behavior was not affected, but the SCC girders appeared to exhibit more and smaller cracks at failure, thus causing a larger ultimate-deflection response at the same strength.
- Naito et al. (2005) found that girder behavior contradicted the material results obtained from representative cylinders. They found that SCC girders exhibited increased elastic stiffness and the same ultimate strength versus VC girders while cylinder tests indicated the opposite. They suggested that the contradiction could have been the result of the difference in curing conditions between the girders and representative cylinders (cylinders were moist-cured prior to testing).

### **7.3 Experimental Program**

Much of the experimental work pertaining to this research program has been described in Section 3.3.3 and Section 6.3 of this dissertation and elsewhere by Keske et al. (2014) and Miller (2013). The information from these sources is summarized below.

#### **7.3.1 Evaluation of Elastic Responses to Construction Loads**

Elastic responses to construction loads (prestress transfer and deck addition) were measured through the use of the VWSGs described in Section 6.3.1.1 and the measurement of camber according to the procedures described in Section 6.3.4.

Considerations of the measurement and prediction of these properties are presented in the following subsections.

### **7.3.1.1 Concrete Strain Responses to Construction Loads**

The data acquisition system used in this research was capable of recording VWSG strain readings at user-specified intervals as short as approximately two minutes. While readings were, consequently, incapable of identifying the truly instantaneous responses to the transfer or deck-weight loading, neither of these loads is applied instantaneously. Transfer by flame-cutting was observed to require approximately 6–10 min., while several hours were required to place the cast-in-place concrete deck over each span.

The creep and shrinkage of the girders in response to the addition of the deck load were likely minimal during the few hours of construction because the girders were approximately 300 days old. Still, the analysis of the elastic strain response to the addition of the deck weight was inherently variable because it was impossible to precisely measure the volume of concrete placed over each girder. Efforts were made to accurately measure the total thickness of the deck and haunch (as described in Section 6.3.4), but the thickness of the deck was always assumed to equal the thickness specified on the plan drawings—7.0 inches.

In all cases, cylinder-measured  $E_c$  is an approximation of the elastic stiffness of concrete because it is tested in unreinforced concrete subjected to uniaxial compression, with the testing variability described further in Section 3.4.3.3. The loading of concrete during  $E_c$  testing according to ASTM C469 occurs over less than three minutes, so this measurement is the best available estimate of elastic concrete stiffness. Thus, the direct

comparison of measured results to those calculated using the  $E_c$  measured in representative cylinders was deemed acceptable, and construction-load results are understood to include some inherent variability.

### **7.3.1.2 Camber Responses to Construction Loads**

The camber response to the addition of the deck weight was measured using the instrumentation and methodology described in Section 6.3.4. As explained in that section, error could have been introduced in camber readings by the implementation of the underside surveying method, and the value of camber measurements in girders that are mechanically joined by diaphragms and a deck is unclear. Therefore, the main purposes of this camber evaluation were to determine the change in camber due to the addition of the deck and the approximate camber after that addition. Such an evaluation may illustrate the precast, prestressed bridge behavior typical of Alabama highway construction, and the comparison of the relative performance of SCC and VC girders should supported the other conclusions of this chapter.

### **7.3.2 Service-Level Live-Load Response Evaluation**

The live-load response instrumentation and methodology utilized in this research was described by Miller (2013) and has been summarized in an article by Keske et al. (2014). In summary, two live-load responses were evaluated: bottom-surface concrete strains at midspan in each girder, and midspan deflection. These two measures were evaluated within and between two load tests conducted before and after one year of bridge service.

### 7.3.2.1 Live-Load Response Instrumentation

For simply supported bridge girders with a composite, cast-in-place concrete deck, bottom-flange strains near midspan are the most sensitive indicators of individual girder response to service-level live loads. Therefore, these strains were measured with surface-mounted 2.4 in.-long electrical-resistance strain gauges (ERSGs) mounted longitudinally along the girder centerline on the bottom of each girder. Additionally, the VWSGs that were embedded in each girder could be used to extrapolate internal strain results to the depth of the bottom surface (assuming plane sections remain plane) if the ERSG failed during testing. One of the ERSGs used in this research is shown in Figure 7.1.



Figure 7.1: Strain gauge applied to bottom surface of girder at midspan

Vertical deflections were measured at midspan in each girder during the first round of live-load testing and in each girder of Spans 1, 2, and 4 during the second round of testing after one year of service. At the time of the second load test, an elevated creek water level and the presence of traffic precluded the installation of deflection instrumentation in Span 3.

All vertical deflections were measured using deflectometers that were calibrated to determine deflection to the nearest 0.01 in. and were attached to each girder via thin steel wire. All deflectometers, data cables, and wires were shaded from direct sunlight, thus avoiding changes in thermal effects during the short measurement intervals. One of the deflectometers used in this research is shown in Figure 7.2.



Figure 7.2: Deflectometer used to measure midspan live-load deflection

The relative displacement between the bottom of the girder and the ground was measured through the use of these deflectometers. Measured displacements include

compressive deformations of the neoprene bearings and bridge foundations; however, the magnitude of these small bearing and substructure deformations is estimated to be insignificant relative to the precision of the measured displacements.

Backup VWSG measurements were only collected during the first load test, at which time construction was essentially completed but the bridge was not yet open for service. The extended amount of time required to receive signals from all VWSGs during testing precluded their use during the second load test because traffic could only be stopped for brief intervals. All deflection and ERSG measurements were collected using an Optim MEGADAC data acquisition system, and additional details concerning this instrumentation are discussed by Miller (2013).

#### **7.3.2.2 Live-Load Test Procedure**

The pre-service round of live-load tests was performed using a single load-testing truck owned by ALDOT. One year later, the second round of tests was performed using the same truck and an additional, identical ALDOT load-testing truck. These trucks were each configured to have a gross weight of 85.7 kips supported by three axles with the geometry shown in Figure 7.3. These trucks, one of which is shown in Figure 7.4, are further described by Miller (2013) and Keske et al. (2014).

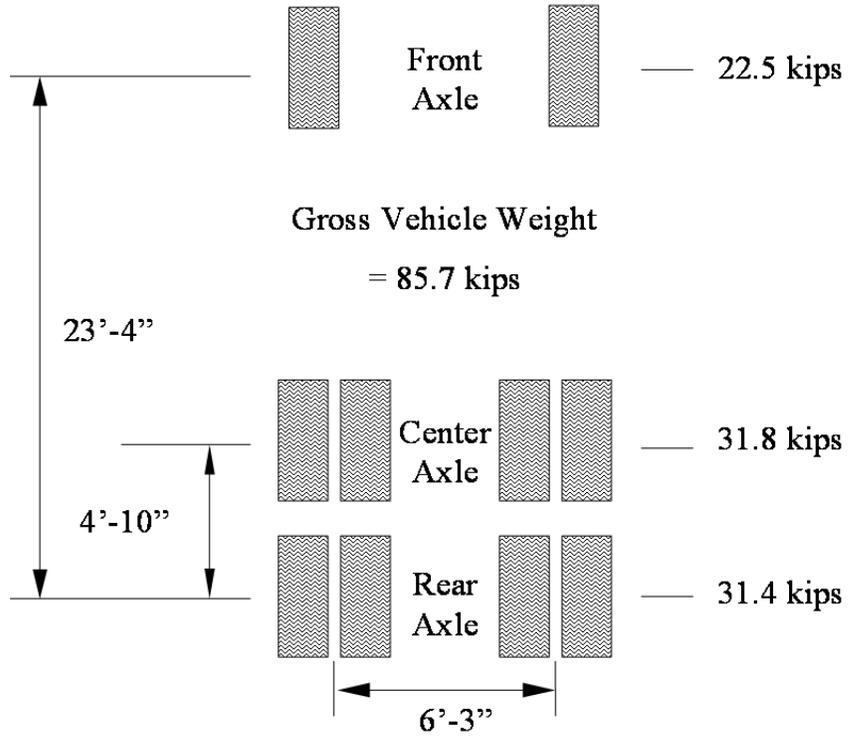


Figure 7.3: Configuration of ALDOT load test truck



Figure 7.4: ALDOT load test truck used for this research (*Note: only rear two axles of the tri-axle rear end of the vehicle are in contact with the deck*)

For all static load tests, each truck was positioned longitudinally such that the center of the center axle was directly over midspan. Transverse truck positions and combinations that are pertinent to the results discussed in this chapter are illustrated in Figure 7.5. During the pre-service load testing, the single load truck was placed at each load position (A, E, and H) a minimum of twice per span in order to confirm consistency of results. During the second load test, the single-truck testing regime from the first round was repeated entirely. In addition, Loads A&E and E&H were tested using two trucks (simultaneously) a minimum of two times. With this load testing scheme, superimposed single-truck results and actual two-truck responses were directly comparable. The final position shown in Figure 7.5 represents the superposition of Loads A, E, and H.

Additional truck positions that were used during the first test are described by Miller (2013). Results from that testing indicated that Load A+E+H provided the critical load combination for interior-girder (Girder 6) and exterior-girder (Girder 7) design, so a total of five static truck positions (A, E, H, A&E, and E&H) were utilized during the second load test. The nomenclature used during the first round of testing was maintained during the second round and in this report for the sake of continuity.

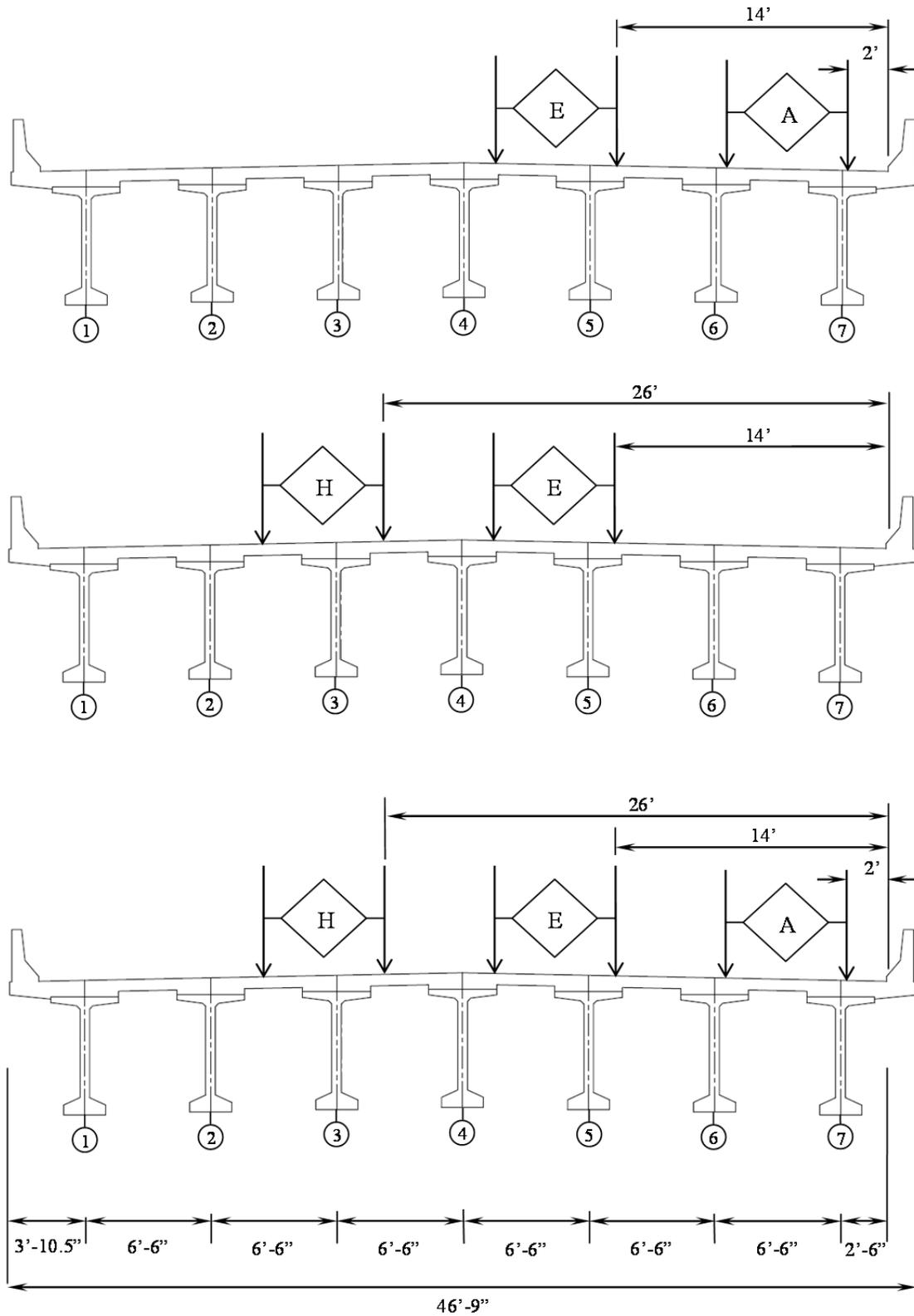


Figure 7.5: Transverse truck positions for Loads (top) A+E, (middle) E+H, and (bottom) A+E+H

### 7.3.3 Comparisons of Elastic Strain Responses

When assessing the load response of a bridge to construction and service loads, it is important to understand *how* results should be compared to meet the objectives of the test. Bridge members designed for the same load capacity but constructed of different materials deform differently under the same external load due to their different geometries and material properties. When evaluating a new material, it is important to establish whether its load-response performance is as reliable as that of a conventional material after accounting for reasonable differences in geometry and material properties.

The Hillabee Creek Bridge is configured so that the span pairs (1 versus 4 and 2 versus 3) are each geometrically equivalent (within normal construction tolerances). Thus, equitable comparisons between the deformation responses of an SCC girder and its companion VC girder were made after accounting for the different stiffnesses of the girder materials (quantified by  $E_c$  in this linear-elastic response range). When comparing responses to construction and service loads, the reference response was taken to be that of the SCC girders.

To equitably determine if the SCC girders responded as should be expected, the measured strain response of each VC girder was transformed to the value that would be expected if its measured value of  $E_c$  equaled that of its companion SCC girder. In summary of the previously published discussion of this topic (Keske et al. 2014, Miller 2013), transformed-section analysis was used to solve for the expected strain change in a VC girder in terms of the strain change measured in an identically loaded, companion SCC girder. This adjustment procedure, which is based on engineering beam theory, is shown in Equations 7-1 and 7-2:

$$\varepsilon_{gauge} = \frac{My_{tr}}{E_c I_{tr}} \quad (7-1)$$

And

$$\varepsilon_{gauge,SCC} = \varepsilon_{gauge,VC} \frac{\left[ \frac{E_c I_{tr}}{My_{tr}} \right]_{VC}}{\left[ \frac{E_c I_{tr}}{My_{tr}} \right]_{SCC}} \quad (7-2)$$

Where

$\varepsilon_{gauge}$  is the calculated strain change at a given location due to an applied live load bending moment,

$M$  is the bending moment present at a given cross section due to an applied load (such as the distributed permanent weight of the deck),

$y_{tr}$  is the vertical distance from the transformed-section centroid to the gauge location,

$\varepsilon_{gauge,SCC}$  is the change in SCC strain due to the applied load, and

$\varepsilon_{gauge,VC}$  is the change in VC strain due to the same live load.

Use of Equation 7-2 allowed evaluation of whether the SCC girder responded elastically to applied loads as would a VC girder with the same material stiffness. In Equation 7-1, the equivalence of  $M$  is clear during live-load testing, so this term is cancelled during calculation of an adjustment factor according to Equation 7-2. Such equivalence is less clear during construction. The differences in deck loading due to variable haunch thickness could be significant in relation to the weight of the cast-in-place deck—a haunch-thickness difference of 0.5 in. would equate to a difference of 4%

of the deck weight, so consideration of haunch thicknesses was important during the comparison of measured results and expected results.

Determination of a prestress transfer strain adjustment factor is slightly more complicated than determination of the previously described adjustment factors because the elastic change in strain both affects and is affected by the transfer mechanism. Conveniently, Equation 6-6 is a non-iterative approach to determining concrete *stress* at the *cgp*, and that may be directly converted into an expected strain through the use of a linear stress-strain relationship as shown in Equation 7-3.

$$\varepsilon_{cgp} = \frac{f_{cgp}}{E_{ci}} \quad (7-3)$$

Where

$\varepsilon_{cgp}$  is the concrete strain at the *cgp* immediately after transfer and  
 $f_{cgp}$  is the concrete stress at the *cgp* immediately after transfer, per  
 Equation 6-6.

The use of Equation 7-3 to determine the elastic strain change in concrete at the *cgp* is convenient because a VWSG strain gauge was installed at this approximate location. Thus, the expected strain change in a VC girder due to prestress transfer—in terms of the strain change measured in an identically configured, companion SCC girder—was calculated according to Equation 7-4 as shown below.

$$\varepsilon_{gauge,SCC} = \varepsilon_{gauge,VC} \frac{\left[ \frac{E_{ci}}{f_{cgp}} \right]_{VC}}{\left[ \frac{E_{ci}}{f_{cgp}} \right]_{SCC}} \quad (7-4)$$

Where

$\varepsilon_{gauge,SCC}$  is the change in SCC strain at the  $cgp$  due to transfer of an assumed prestress force and

$\varepsilon_{gauge,VC}$  is the change in VC strain due to transfer of the same assumed prestress force.

Calculation of  $f_{cgp}$  only requires calculation of transformed properties and determination of the bending moment due to girder self-weight. Girder self-weight was based on a reinforced-concrete unit weight of 150 lb/ft<sup>3</sup>; while the applied bending moment varied slightly due to the differences in the unit weight of SCC and VC (see Table 3.1), use of a more precise unit weight was not warranted considering the precision of the measured properties. Under-prediction of the self-weight bending moment would lead to over-prediction of the expected concrete strain (a larger self-weight bending moment would reduce the concrete contraction experienced at transfer), which was considered when comparing measured responses to calculated responses.

The use of an adjustment factor to account for expectable differences in concrete strain was also discussed by Miller (2013), but there was an error in its application to this work: an incorrect  $y_{tr}$  was used in determining the adjustment factors for ERSG gauges which reduced the significance of the adjustments. The error only affected the comparison of SCC strain to VC strain during live-load testing, and all other conclusions from Miller (2012) were unaffected by it. The correct  $y_{tr}$  is shown in Figure 7.6 alongside that used to compare VWSG strains.

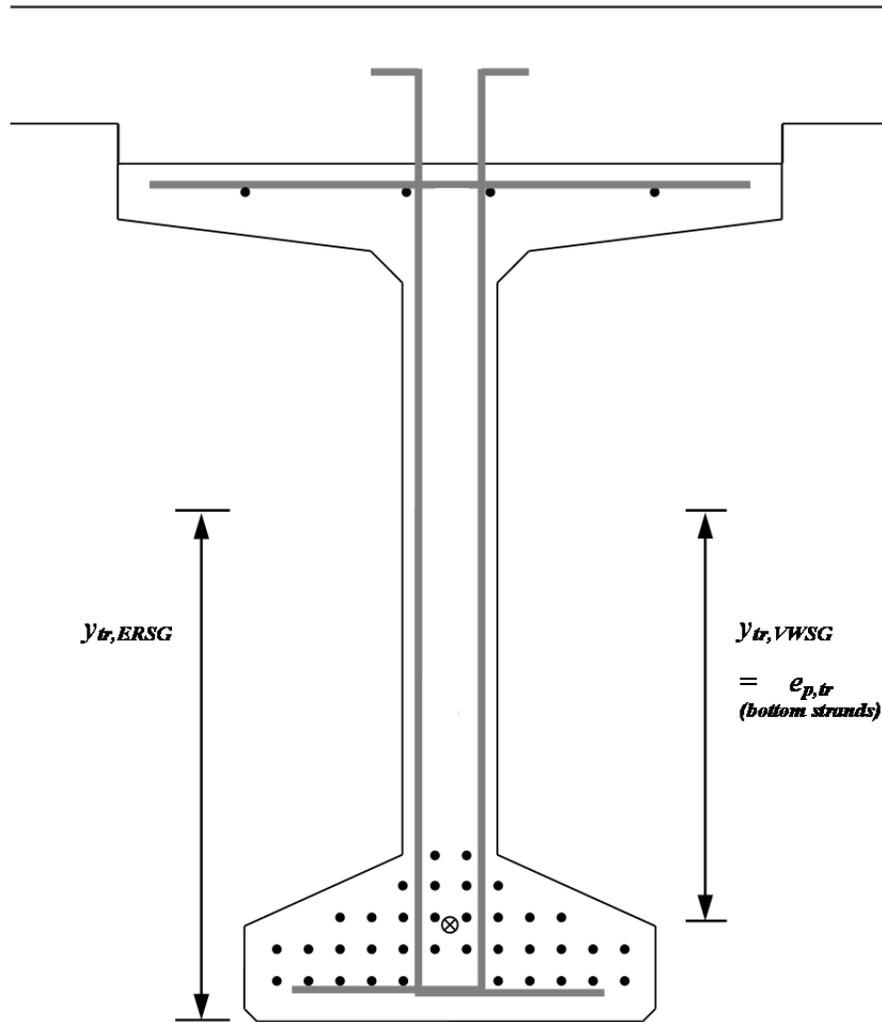


Figure 7.6: Determination of  $y_{tr}$  for strain comparisons

It would be difficult to accurately determine a transformation factor for use with measured changes in camber or live-load deflection. Therefore, only the actual deflection responses are considered. These results are instructive because they may illustrate the precast, prestressed bridge behavior typical of Alabama highway construction. It was also informative to observe whether these as-produced SCC girders deflected similarly to the companion VC girders and whether the difference in stiffnesses observed in representative cylinders corresponded to the full-scale responses.

## 7.3.4 Nomenclature and Additional Considerations

### 7.3.4.1 Nomenclature and Use of Data

Only the basic nomenclature shown in Figure 3.15 was necessary to identify the girders during this full-scale analysis. As with the assessments of the other chapters, the exact placement location of the batches sampled for laboratory testing could not be isolated within the girders. Samples taken at the midpoint of each girder-production day (see Section 3.3.3.1) and deck-casting day (see Section 3.3.3.2) were assumed to be representative of the majority of concrete placed during those days. Essentially only three mixtures (for SCC girders, VC girders, and all cast-in-place elements) were used throughout production, but every element could have been subjected to different curing and ambient exposure histories. This directly affected the expected elastic response to the transfer mechanism.

Since the use of production-group mechanical properties was necessary during evaluation of transfer-load responses, it was acceptable to continue using these group-specific properties after the girders achieved composite action. Between-batch variability of later-age  $E_c$  was minimal, so the distinction between production-group and span-average  $E_c$  was of little concern. Meanwhile, span-average haunch thicknesses were used to determine the expected responses to construction and service loads in consideration of the composite-bridge distribution of this weight. The precision of all comparisons should be considered in light of the inherent variability of concrete material testing and full-scale geometry and load measurement.

#### 7.3.4.2 Additional Analysis Considerations

During the elastic-response analyses described in this chapter, only the internal strains determined using VWSGs were corrected for concrete thermal effects. VWSG concrete-strain measurements were collected every two minutes during prestress release and every ten minutes during deck placement, and the observed lengths of time required to apply these loads was previously noted to equal up to ten minutes and up to several hours, respectively. Consequently, the time elapsed between pre- and post-load strain measurements equaled up to approximately fourteen minutes during transfer (while the girders rapidly cooled) and four hours during deck construction.

Adjustments described in Section 6.3.3 and shown in Section 6.4.2 to accurately account for thermal effects were thus required for analysis of construction-load strain responses. Meanwhile, readings of live-load deflections and strains were obtained directly before, during, and after each truck movement, so thermal effects were directly negated by averaging the baseline readings from before and after each truck movement.

Elastic responses to construction loads were measured in different girders: strain due to transfer was measured in all girders, but the changes in camber and concrete strain due to the addition of the deck were only measured in a few robustly instrumented girders. In accordance with the previous discussion of this topic, the responses of a few robustly instrumented girders should indicate the behavior of all girders. Therefore, only the same girders assessed for time-dependent behavior in Chapter 6 are evaluated with respect to construction loads in this chapter: 54-4S, 5S, 6S, 4V, and 6V, and 72-4S, 6S, 2V, 3V, and 4V. Comparisons are reasonably well filled—five SCC girders and five VC

girders, or five BT-54s and five BT-72s, and the results shown in Chapter 6 illustrate that variability between companion girders should be minimal.

Meanwhile, the responses to service-level live loads were assessed in all seven girders within each span. The loadings due to the transfer mechanism and the deck construction affect all girders (at least interior girders) equally, within construction tolerances, but the same cannot be said of truck loads. By placing the load trucks at the same transverse locations on matching spans, companion girders (54-6S and 54-6V, for example) were loaded congruently, but every girder *pair* (54-6 or 72-1, for example) was loaded differently. Furthermore, girders in lines 1 and 7 also included the additional flexural stiffness of the barriers. Thus, it was appropriate to compare the response of all girders within each span.

#### **7.4 Presentation and Analysis of Results**

Results and discussion relevant to the assessment of the elastic-response behavior of the full-scale girders are presented in this section. First, measured material and transformed-section properties are presented because they are necessary for the subsequent evaluations. Then, evaluations of construction-load and service-load responses are documented in separate sections. Each of these sections include direct comparisons of measured responses (applicable because these girders are companions in an in-service bridge) and comparisons of the measured SCC responses to adjusted VC responses expected had the girders exhibited the same measured  $E_c$  and geometry. Where readily calculable, design responses that would have been expected based on design engineering properties are also reported for context.

## 7.4.1 Material and Section Properties

### 7.4.1.1 Strength and Elasticity

Summary results of the strength and modulus of elasticity testing conducted on field-cured deck-concrete cylinders are presented in Table 7.1 below. The average results from the SCC and VC girders are presented for reference (see Table 3.8 for further information). As previously discussed in Section 3.3.3.2, only one batch was sampled per deck span; these samples, which were obtained near the middle of each casting day, were expected to be representative of the majority of concrete in the deck. Also, only one sample was collected during the full day of slip-form casting of the barriers; this information was only used to determine the transformed composite-section properties of girders in lines 1 and 7 that would be needed to adjust measured live-load responses.

Table 7.1: Strength and modulus of elasticity of field-cured concrete

Component	Compressive Strength (psi)		Modulus of Elasticity (ksi)	
	28-Day $f_c$	91-Day $f_c$	28-Day $E_c$	91-Day $E_c$
<i>SCC Girder Avg.</i>	9,010	-	6,200	-
<i>VC Girder Avg.</i>	8,360	-	6,750	-
<b>Span 1 Deck</b>	6,030	6,750	6,300	6,600
<b>Span 2 Deck</b>	6,510	7,410	6,400	6,900
<b>Span 3 Deck</b>	6,060	6,940	6,100	7,000
<b>Span 4 Deck</b>	5,910	6,430	6,400	6,500
<i>Deck Average</i>	6,130	6,900	6,300	6,750
<b>Barriers</b>	5,860	-	6,000	-

All four deck spans were cast using the same concrete mixture, but conditions varied between casting days. The measured results conveniently minimized the influence

of the variability—matched spans (1 and 4 or 2 and 3) exhibited especially similar  $f_c$  and  $E_c$ . All four spans also exhibited fairly uniform strength and stiffness gains between three and ninety-one days, as expected given the 20% fly-ash replacement and moderate  $w/cm$  employed (see Table 3.3 for mixture details and Appendix C for  $f_c$  and  $E_c$  results from other ages).

Notably, the concrete used to cast the bridge deck exhibited practically the same  $E_c$  as that of the concrete in the girders. That it achieved this stiffness while at a distinctly lower  $f_c$  is peculiar—the predicted  $E_c$  equaled 5,050 ksi according to Equation 3-3 even when assuming  $w_c = 150 \text{ lb/ft}^3$ . Thus, the measured results yield a  $K_I$  factor of 1.34. The source of this difference between girder- and deck-concrete specimens was impossible to isolate, but future research considering its effects may be beneficial.

#### **7.4.1.2 Transformed Section Properties**

Based on the stiffnesses presented in the previous subsection, transformed properties were determined to equitably compare elastic responses to applied loads in accordance with Equations 7-2 and 7-4. Transformed properties are shown below in Table 7.2. Non-composite girder properties at the time of deck addition are shown because only the non-composite section resisted the fresh weight of the deck concrete; composite-section properties determined at a deck age of ninety-one days are shown because the live-load testing was conducted well after the deck surpassed that age. Among these composite-section transformed properties, girders in lines 1 and 7 exhibit a larger magnitude  $I_{tr}$  and  $y_{tr}$  because the flexural stiffness of the cast-in-place barriers is attributed to them.

Transformed-section release properties are shown in Appendix G because additional variables were required for determination of  $f_{cgp}$  according to Equation 6-6.

Table 7.2: Transformed section properties of girders

Girders	Avg. Haunch (in.)	Non-Composite, At Deck Addition		Composite, Deck Age > 91 Days	
		$y_{tr}$ (in.)	$I_{tr}$ ( $10^3$ in. <sup>4</sup> )	$y_{tr}$ (in.)	$I_{tr}$ ( $10^3$ in. <sup>4</sup> )
54-1S	1.72	21.94	278	48.50	894
54-2S, 5S, 6S		21.91	279	42.51	615
54-3S, 4S		21.89	278	42.23	607
54-7S		21.96	279	48.33	916
54-1V	1.14	22.00	278	47.74	860
54-V2, V5, V6		21.96	277	40.83	569
54-3V, 4V		28.07	278	41.33	582
54-7V		28.08	278	47.86	865
72-1S	1.50	28.08	570	60.31	1982
72-2S, 5S		28.02	570	54.44	1172
72-3S, 4S		28.18	570	54.44	1172
72-6S		28.22	572	54.96	1195
72-7S		28.27	570	60.31	1982
72-1V	1.48	28.16	567	60.38	1921
72-2V, 5V		21.94	566	53.28	1124
72-3V, 4V		21.91	565	52.86	1106
72-6V		21.89	568	53.86	1148
72-7V		21.96	567	60.38	1921

Based on these measured concrete properties and transformed-section properties shown in Table 3.8 and Table 7.2, respectively, adjustments to measured VC strains were made to reflect the strain that would be expected of a VC girder if it had exhibited the

same stiffness as the companion SCC girder. These adjustments are summarized in Table 7.3, and supplemental information is presented in Appendix G.

Table 7.3: Strain adjustments applied to VC girders

Girders	Quantity Normalized			VC Strain Adjustment Factor		
	$\left(\frac{E_{ci}}{f_{cgp}}\right)$ Transfer (ksi/ksi)	$\left(\frac{E_c I_{tr}}{y_{tr}}\right)$ Deck (10 <sup>6</sup> kip-in. <sup>2</sup> )	$\left(\frac{E_c I_{tr}}{y_{tr}}\right)$ Live	Prestress Transfer	Deck Weight	Live Load
54-1S	2,326	84	121	-	-	-
54-2S, 5S, 6S	2,271	81	92	-	-	-
54-3S, 4S	2,326	78	95	-	-	-
54-7S	2,224	87	116	-	-	-
54-1V	2,427	93	123			1.01
54-V2, V5, V6	2,572	87	102	1.08	1.14	1.11
54-3V, 4V	2,427	128	96			1.02
54-7V	2,321	129	124			1.06
72-1S	1,956	129	207	-	-	-
72-2S, 5S	1,983	122	137	-	-	-
72-3S, 4S	1,983	141	137	-	-	-
72-6S	1,922	146	130	-	-	-
72-7S	1,956	153	207	-	-	-
72-1V	2,333	138	222			1.08
72-2V, 5V	2,350	84	154			1.13
72-3V, 4V	2,274	81	160	1.17	1.14	1.17
72-6V	2,198	78	146			1.12
72-7V	2,297	87	222			1.08

The factors shown in Table 7.3 were calculated for adjustment of strains only in *matching* girders. However, selection of “matching” girders was different during the comparison of live-load results than during the comparison of construction effects. By placing the load trucks at the same transverse locations on matching spans, companion

girders were loaded congruently but every girder *pair* was loaded differently.

Furthermore, girders in lines 1 and 7 included the additional flexural stiffness of the barriers. Thus, it was appropriate to adjust VC strains relative to their direct counterpart during the live-load response analysis. For example, the VC adjustment factor equaling 1.06 was applied to strain readings from 54-7V for comparison only to strains measured in 54-7S under the same live load.

Meanwhile, matching sizes of girders were identically configured and subject to the same transfer loads, and girders grouped by material and size were subject to approximately the same deck load (within construction tolerances). In other words, all fourteen BT-54s were subject to one transfer load while all fourteen BT-72s were subject to a different transfer load; meanwhile, SCC BT-54s may have been subject to a noticeably different deck weight if the seven girders were cast with a different average haunch thickness than their VC BT-54 counterparts.

Considering the variability of these construction loads and that only a few girders were consistently monitored through deck construction, it was appropriate to adjust the measured changes in strain using an *average* adjustment factor. The factors were not determined by the direct averaging of the normalized quantities shown in Table 7.3 but by weighting these values by the number of girders exhibiting them. For example, three of seven SCC BT-54 girders would resist the deck weight based on a normalized flexural constant of  $81(10^6)$  kip-in.<sup>2</sup>.

The adjustment factors shown closely relate to the observed reduction in SCC  $E_c$ . Based on the presented factors and discussion of Section 7.3.3, the SCC girders in this bridge were expected to exhibit *strain* changes approximately 10% greater than in the

companion VC girders under identical applied loads. Recall that the adjustment factor is applied to measured VC strains, though, because the measured SCC readings were taken as the reference for comparison.

#### **7.4.2 Full-Scale Responses to Construction Loads**

Initial cambers at the time of prestress transfer have been previously discussed by Johnson (2012). Meanwhile, Miller (2013) evaluated measured live-load responses but incorrectly calculated the strain-adjustment factor used to compare responses on an equal-stiffness basis per Equation 7-2. Therefore, considerations in this section include comparisons of the

- Predicted, measured, and adjusted instantaneous changes in concrete strain at the midspan *cgp* due to the transfer of prestressing,
- Measured elastic loss in camber due to the addition of the deck,
- Predicted, measured, and adjusted elastic changes in concrete strain at the midspan *cgp* due to the addition of the deck,
- Measured deflections due to service-level live loads, and
- Predicted, measured, and adjusted bottom-fiber concrete strains due to service-level live loads.

In subsequent comparisons, “measured” responses are those directly measured in the girders; they do not account for observed differences in concrete properties (such as  $E_c$ ) or geometry (such as haunch thickness). While comparisons of measured responses are limited for this reason, they are instructive because the SCC and VC girders are direct

companions in an in-service bridge. “Adjusted” responses are the measured VC responses that have been adjusted to account for differences in measured properties per Equations 7-2 or 7-4; they are evaluated similarly to “measured responses.” Meanwhile, “predicted” responses are those calculated using Equations 7-1 and 7-3, respectively, with material properties measured in representative cylinders. Comparisons of predicted responses to measured responses are only made *within* each material to assess the predictability of measured responses.

In addition to these measured, adjusted, and predicted results, “design” responses are those calculated using Equations 7-1 or 7-3 with design properties ( $f'_{ci}$ ,  $f'_c$ , etc.). Thus, SCC responses were compared to measured VC responses, adjusted VC responses, and predicted SCC responses in each section. Measured VC responses were compared to predicted VC responses, and all measured and predicted responses were compared to the design responses (which are equally applicable to SCC and VC responses).

#### **7.4.2.1 Instantaneous Concrete Strain at Transfer**

The change in measured concrete strain due to the release mechanism was previously discussed in relation to Equation 6-6 concerning  $f_{cgp}$ , Equation 7-3 concerning  $\varepsilon_{cgp}$ , and Equation 7-4 concerning the change in strain expected of a VC girder exhibiting the same  $E_{ci}$  as the assessed SCC. Using these equations and the adjustment factors shown in Table 7.3, the measured immediate change in concrete strain was compared to that inferred from the *AASHTO LRFD* (2013) calculations for  $f_{cgp}$  using measured properties. Results from this comparison are summarized below in Table 7.4; the individual adjusted VC responses are included in Appendix I.

Table 7.4: Comparison of changes in concrete strain at transfer

Girder	Initial Elastic Concrete Strain ( $\mu\epsilon$ )		Measured/ Predicted	SCC/VC Response		
	Measured	Predicted (Eq. 7-1)		Measured	Predicted	Adjusted <sup>1</sup>
<b>54-4S</b>	-405	-430	0.94	0.98	1.09	0.91
<b>54-5S</b>	-568	-440	1.29			
<b>54-6S</b>	-437	-440	0.99			
<b>54-S Average</b>	-470	-437	1.07			
<b>54-4V</b>	-467	-412	1.26	1.04	1.18	0.89
<b>54-6V</b>	-488	-389	1.13			
<b>54-V Average</b>	-477	-400	1.19			
<b>72-4S</b>	-473	-504	0.93			
<b>72-6S</b>	-503	-520	0.97	1.04	1.18	0.89
<b>72-S Average</b>	-488	-512	0.95			
<b>72-2V</b>	-488	-426	1.14			
<b>72-3V</b>	-465	-440	1.06			
<b>72-4V</b>	-459	-440	1.04	1.01	1.13	0.90
<b>72-V Average</b>	-471	-435	1.08			
<b>SCC Average</b>	-	-	1.02			
<b>VC Average</b>	-	-	1.12			

Note: <sup>1</sup> = adjusted VC responses are summarized in Table I.1.

In the above table, elastic concrete strains in response to the transfer mechanism were directly measured at the midspan *cgp* and those predicted using Equation 7-3 were based on the measured material properties. Almost all measured responses were greater than predicted (by an average of 7%), indicating that almost all girders exhibited greater concrete strain (and elastic prestress losses) than expected at transfer based on measured properties. However, SCC girders regularly exhibited less elastic strain relative to that predicted using measured  $E_{ci}$  than did VC girders relative to measured  $E_{ci}$ —measured SCC strains were 102% of predicted strains, on average, versus 112% in the VC girders.

SCC girders also strained noticeably less than expected of VC girders of the same measured stiffness (see “Adjusted” in the table). While SCC girders were predicted to strain 9–18% more than the companion VC girders based on measured properties (see “Predicted” in the table), they actually strained approximately as much as directly measured in the VC girders (see “Measured” in the table). The difference in measured responses, an average of  $10 \mu\epsilon$ , is practically insignificant, representing a difference of less than 0.2% of  $f_{pbt}$ . From these observations, several conclusions are warranted:

- SCC-girder elastic strain due to prestress transfer (and associated prestress losses) is at least as accurately predicted as those properties in VC girders when using measured material properties, and
- Because SCC-girder elastic strain responses due to prestress transfer were consistently less than expected of VC girders of the same  $E_{ci}$ , SCC prestress-transfer behavior is acceptably similar to that of VC.

For context, the elastic concrete strain assumed during design was calculated according to Equation 6-6 in conjunction with the specified  $f'_{ci}$  and the  $E_{ci}$  calculated using Equation 3-4. Design elastic concrete strains equaled -640 and -650  $\mu\epsilon$  for BT-54s and BT-72s, respectively. These responses are approximately 160  $\mu\epsilon$  greater in magnitude than the concrete strains *measured* in either material and 140–240  $\mu\epsilon$  greater in magnitude than the concrete strains *predicted* based on measured mechanical properties. The strain difference between either measured or predicted results and design results equates to approximately 5 ksi of effective prestress.

This confirms two conclusions drawn in Chapter 6: 1) the difference in the predictability of SCC behavior relative to that of VC behavior when using measured material properties is minor, and 2) design predictions can be conservative when calculated using design properties in place of expected material properties. The 5 ksi difference between measured-property and design initial elastic prestress loss calculations represents approximately 2.5% of  $f_{pbt}$ . However, the difference directly relates to the over-prediction of prestress losses discussed in Chapter 6 when using design properties, as time-dependent losses are calculated as a multiple of the elastic strain response (per the creep coefficient). The difference between time-dependent responses predicted using measured properties and using design properties equaled approximately 19 ksi or 10% of  $f_{pbt}$ , illustrating the importance of accurate prediction of elastic and time-dependent losses.

#### **7.4.2.2 Change in Camber Due to Addition of Deck**

Changes in camber due to the addition of the permanent deck weight were measured within days after the placement using the apparatus described in Section 6.3.4. While some amount of time-dependent change occurred during that period, the majority of the measured camber change should be attributed to the elastic response of the non-composite girders. This applied load is larger (up to 500 kips over the full width of the bridge) than service-level live loads *and* it is resisted only by the non-composite sections.

Only interior-girder cambers are presented here because the exterior girders were differently restrained and were subjected to slightly different deck loads (due to the free outer edge of the slab). Changes in camber due to the addition of the deck load and post-addition cambers are summarized in Table 7.5.

Table 7.5: Comparison of changes in camber due to deck addition

Girder	Camber at Time of Deck Addition (in.)		Change in Camber (in.)
	Immediately Prior	Immediately After	
54-4S	1.8	1.0	-0.8
54-6S	2.0	1.5	-0.5
54-2V	1.7	1.4	-0.3
54-4V	2.3	1.7	-0.6
72-4S	2.0	1.0	-1.0
72-6S	2.4	1.2	-1.2
72-2V	1.9	0.8	-1.1
72-4V	2.1	1.2	-1.2

The variability of both the method and the measurements of girder camber were previously discussed by Johnson (2012) and in Section 6.3.4, and it must be considered when evaluating these results. Post-addition changes in camber varied by up to approximately  $\frac{1}{4}$  in. between adjacent girders, and the girder that experienced the least change (54-2V) was also the girder with the lowest *pre*-addition camber. Measured post-addition cambers were all small (ranging  $L/2100$  to  $L/700$ ), but no measured cambers were negative. While further research may be useful to evaluate the implications of these small cambers, these measured SCC and VC results appear to be comparable. They should serve as confirmation of the more precisely measured change in concrete strain due to the same load, which is reviewed next.

#### 7.4.2.3 Elastic Gain in Prestress Due to Additional of Deck

The change in measured concrete strain due to the addition of the deck was previously mentioned in relation to Equation 6-8 concerning the change in elastic stress due to an externally applied bending moment, Equation 7-1 concerning  $\epsilon_{gauge}$ , and Equation 7-2

concerning the change in strain expected of a VC girder exhibiting the same  $E_c$  as its companion SCC girder. Using these equations and the adjustment factors shown in Table 7.3, the measured change in concrete strain was compared to those predicted and expected for the linear-elastic response to the deck weight. Results from this comparison are summarized below in Table 7.6.

Table 7.6: Comparison of changes in concrete strain due to deck addition

Girder	Elastic Concrete Strain Due to Deck Wt. ( $\mu\epsilon$ )		Measured/ Predicted	SCC/VC Response		
	Measured	Predicted (Eq. 7-1)		Measured	Predicted	Adjusted <sup>1</sup>
<b>54-4S</b>	123	111	1.11			
<b>54-5S</b>	112	115	0.98			
<b>54-6S</b>	117	115	1.02			
<b>54-S Average</b>	<i>118</i>	<i>113</i>	<i>1.04</i>	1.13	1.14	1.00
<b>54-4V</b>	111	102	1.08			
<b>54-6V</b>	97	96	1.01			
<b>54-V Average</b>	<i>104</i>	<i>99</i>	<i>1.05</i>			
<b>72-4S</b>	129	140	0.92			
<b>72-6S</b>	134	147	0.91			
<b>72-S Average</b>	<i>131</i>	<i>143</i>	<i>0.92</i>			
<b>72-2V</b>	142	123	1.16	1.04	1.20	0.91
<b>72-3V</b>	116	118	0.99			
<b>72-4V</b>	121	118	1.02			
<b>72-V Average</b>	<i>126</i>	<i>119</i>	<i>1.06</i>			
<b>SCC Average</b>	-	-	<i>0.99</i>	<i>1.09</i>	<i>1.17</i>	<i>0.95</i>
<b>VC Average</b>	-	-	<i>1.06</i>			

Note: <sup>1</sup> = adjusted VC responses are summarized in Table I.2.

In the above table, measured elastic concrete strains in response to the addition of the deck weight were directly determined at the *cgp*, and those predicted using Equation

7-1 were based on the measured mechanical properties and average haunch thicknesses. The average haunch thicknesses measured in SCC and VC BT-54s were noticeably different (SCC-girder haunch was approximately 0.6 in. thicker). Consequently, the strain expected in a VC girder of the same stiffness as the companion SCC girder under the same load as applied to the SCC girder accounts for this difference (see “Adjusted” in the table). Meanwhile, SCC BT-54s were predicted to strain 14% more (“Predicted” in the table), and they actually strained 13% more (“Measured”).

Similar to the earlier comparison of transfer prestress losses, many girders exhibited greater changes in strain due to deck weight than predicted according to Equation 7-1 when using measured material properties. Potential reasons for this include that the exact thickness of the deck could have varied (a minor difference in the 7.0 in. deck thickness would noticeably affect the applied bending moment) or the load could have been distributed differently than expected because of the presence of intermediate diaphragms (less stiff girders would redistribute some of the load to the adjacent girders).

Measured changes were, on average, slightly more accurately predicted in SCC girders based on measured material properties than were VC-girder responses. The distinction was especially noticeable in the BT-72 girders, in which SCC girders were predicted to strain 20% more than the companion VC girders (“Predicted”). Instead, the SCC BT-72s strained noticeably less than would be expected of VC girders of the same measured stiffness (see “Adjusted” in the table). From all of the above observations, several conclusions are warranted:

- SCC-girder elastic strain due to deck weight can be at least as accurately predicted as in VC girders when using measured material properties, and

- Because SCC elastic strain responses to the deck weight were similar or less than would be expected of VC girders of the same  $E_c$ , SCC-girder deck-construction elastic response behavior is acceptably similar to that of VC girders.

For context, the elastic concrete strain assumable during design was calculated according to Equation 6-8 in conjunction with the specified  $f'_c$  and the  $E_c$  calculated using Equation 3-4. Design elastic concrete strains equaled 155 and 170  $\mu\epsilon$  for BT-54s and BT-72s, respectively. These responses are approximately 40  $\mu\epsilon$  greater than the concrete strains *measured* in either material and 30–50  $\mu\epsilon$  greater than the concrete strains *predicted* based on measured mechanical properties. The strain difference between either measured or predicted results and design strain results equates to approximately 1 ksi of effective prestress. Thus, these elastic-response results indicate conservative prediction of SCC and VC performance through the testing of representative cylinders.

### **7.4.3 Responses to Service-Level Live Loads**

Many of the results relating to the live-load testing of the Hillabee Creek Bridge have been published elsewhere by Miller (2013) and Keske et al. (2014). Prior to the evaluation of measured responses, several conclusions determined from that work are summarized below:

- The principle of superposition was used to confirm that the bridge is exhibiting linear-elastic behavior in response to service loads,

- It was determined that the superimposed three-truck load “A+E+H” illustrated in Figure 7.5 induced the largest service load on an interior girder (girder 6 of each span) and exterior girder (girder 7 of each span), and
- The effective precision of measured deflections and bottom-flange strains should be considered to equal  $\pm 0.01$  inches and  $\pm 1 \mu\epsilon$ , respectively.

#### **7.4.3.1 Comparison of Deflection**

Directly measured deflection responses of each girder to Load A+E+H are compared below in Figure 7.7. Instances in which deflectometer measurements are unavailable (due to malfunction or absence) are omitted.

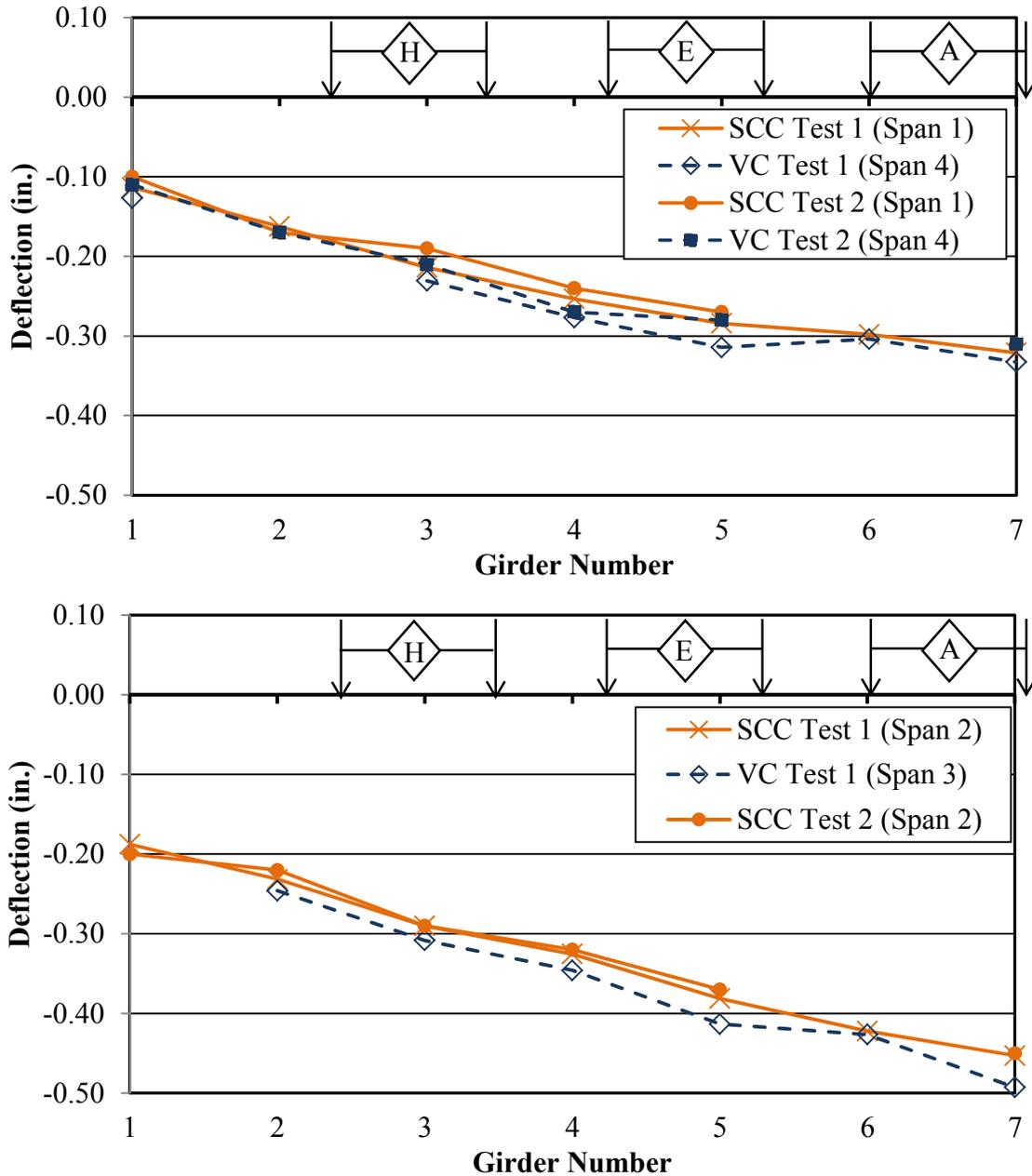


Figure 7.7: Measured service-load deflections in (top) BT-54s and (bottom) BT-72s

The deflections shown in the previous figure are not adjusted to account for the differences in measured  $E_c$ . Despite the differences in stiffness measured in representative cylinders, no SCC girder deflection exceeded that of its companion VC girder. Furthermore, in each load test, no SCC girder deflection differed from that of the companion VC girder by more than 0.02 in. among the BT-54s or more than 0.04 in.

among the BT-72s. Considering the precision of the measured values, there is no indication that the SCC girders are performing any differently than the VC girders either in deflection magnitude or distribution.

It is unclear whether deflection responses should be sensitive to the observed differences in cylinder-tested properties; instead, these measured deflections should mainly be used to confirm the more precisely measured bottom-flange strain results discussed next. These deflection results may also coarsely confirm that the girders have not experienced any deterioration in service-load response during the first year of service—the measured deflections were generally less in the second year than in the first. While the difference is probably trivial, it confirms that the bridge did not experience any abnormal deterioration of deflection response during the first year of service.

#### **7.4.3.2 Comparisons of Bottom-Surface Strain**

Bottom-flange strains of all girders in response to Load A+E+H are illustrated in Figure 7.8 and Figure 7.9, and the single-truck responses used to develop these superimposed responses are summarized in Appendix I. VC girder strains have been transformed using Equation 7-2 for the comparison illustrated in Figure 7.9 such that the VC strains presented in that figure are those that would be expected if the VC had exhibited the same measured properties as the tested SCC. Instances in which surface strain measurements were unavailable during the second test are omitted.

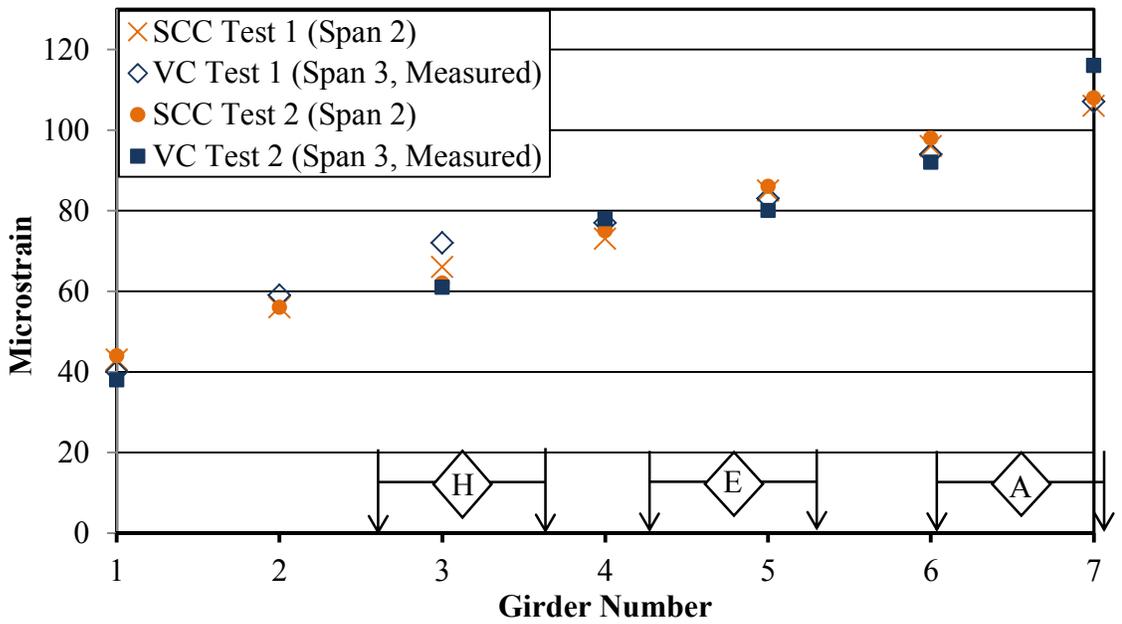
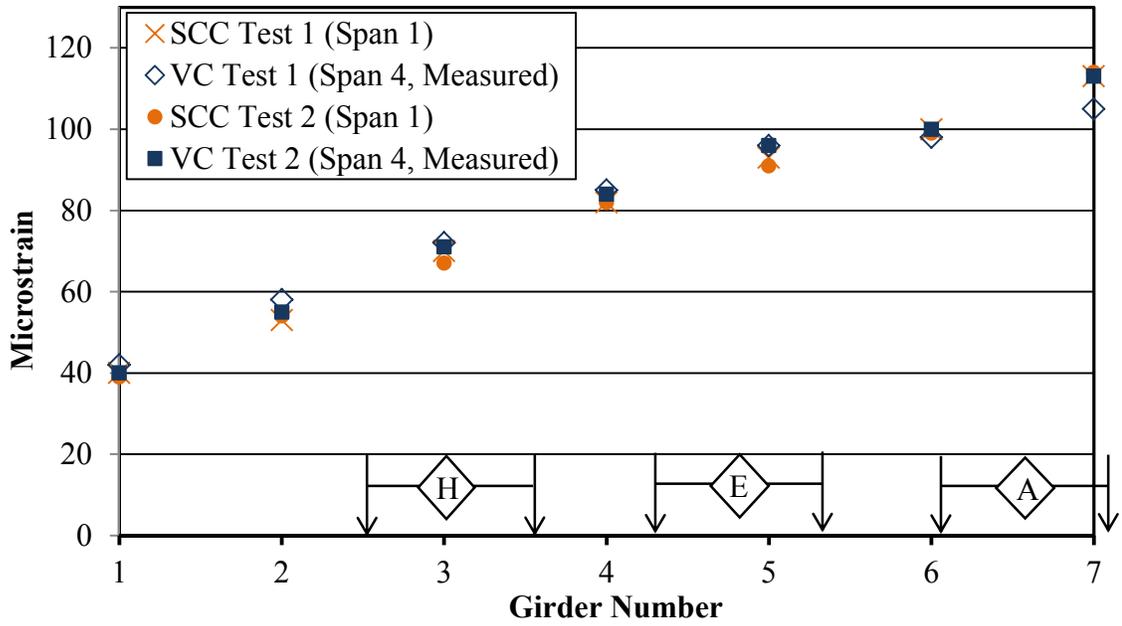


Figure 7.8: Measured service-load changes in bottom-flange concrete strain in (top) BT-54s and (bottom) BT-72s

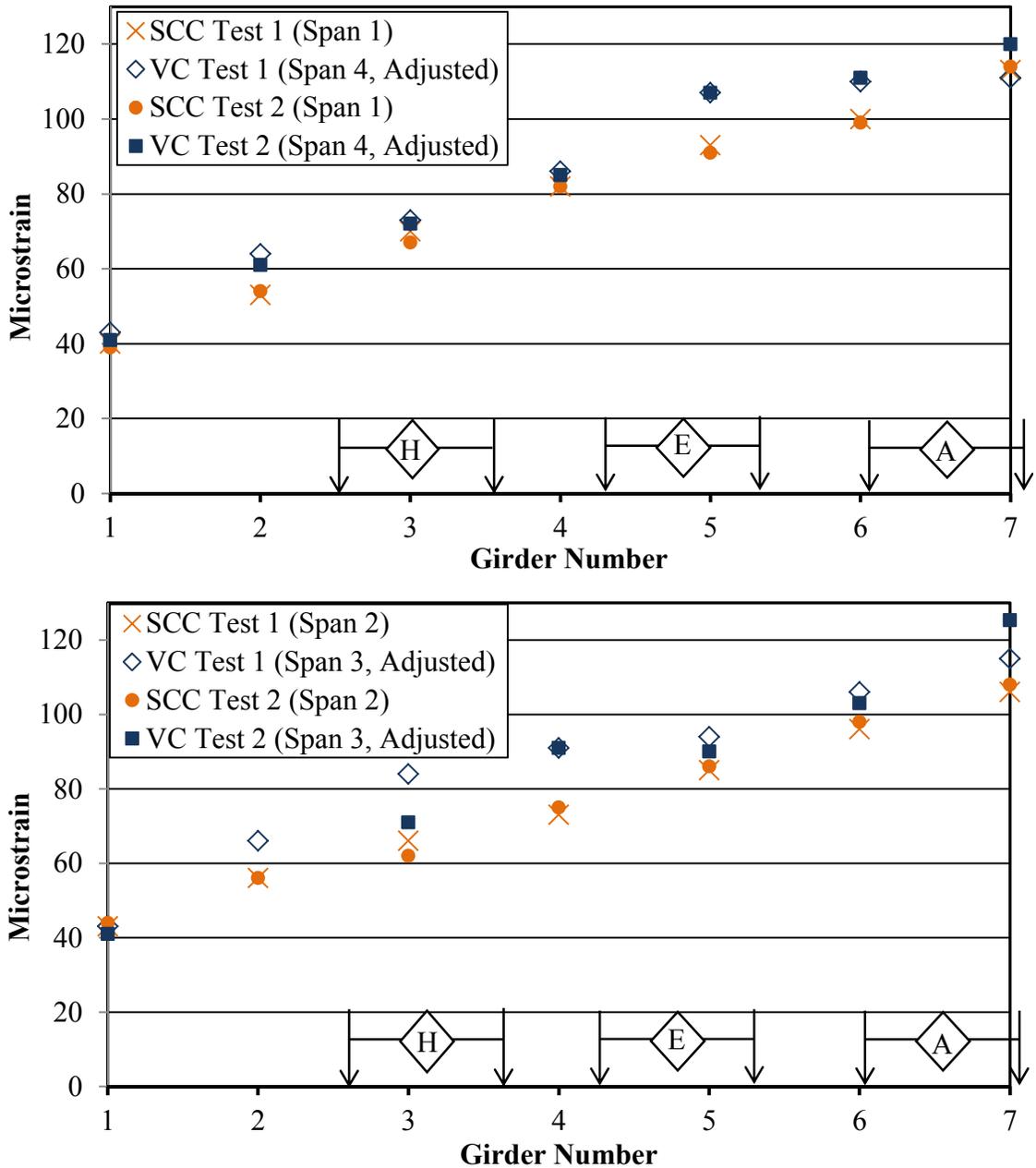


Figure 7.9: Adjusted service-load changes in bottom-flange concrete strain in (top) BT-54s and (bottom) BT-72s

Two conclusions are warranted based on these figures: SCC girder bottom-flange strains were practically no different than *measured* companion VC strains, and the SCC girders strained less in response to service loads than would be *expected* based on measured elastic properties. The SCC strains were an average of 8.0 µε, or

approximately 9%, less than the adjusted VC strains for the same loading but were an average of  $0.6 \mu\epsilon$  less than the comparable, directly measured VC strains.

Considering the precision of these field measurements, these measured values indicate that each SCC girder strain is essentially identical to its companion VC girder strain. The similarity between the two test responses after one year of service apparent in the figure was also confirmed numerically. All year-over-year changes are acceptable considering the precision of the measured values, and no results indicate any abnormal degradation of strain response within the first year of normal service. This confirms that the ability of SCC girders to resist service loads over time is acceptably similar to that of VC girders.

## **7.5 Summary and Conclusions**

### **7.5.1 Summary**

The work documented in this chapter was conducted to evaluate the elastic-load responses of the full-scale SCC girders used to construct the bridge over Hillabee Creek, both in relation to the companion VC girders used in the bridge and in relation to currently employed predictions. The primary full-scale performance characteristics evaluated were the elastic concrete strain and deflection responses of the bridge to construction and service loads. By incorporating the measured mechanical properties in this evaluation and comparing responses to design-property estimated responses, the acceptability of the SCC-girder elastic behavior and any ways in which it may differ due to its unique characteristics was thoroughly evaluated. Not only are such full-scale

evaluations of SCC limited or nonexistent, but their implications for SCC girders of the scale used in this bridge and made using Alabama materials and methods are unclear.

The work of this chapter was divided into three components: material and section properties determined through the testing of representative specimens, full-scale elastic responses to construction loads (prestress transfer and deck addition), and full-scale elastic responses to service-level live loads. The observations and conclusions made concerning these three topics are summarized in Section 7.5.2. The recommendations made based on this research are then given in Section 7.5.3.

## **7.5.2 Observations and Conclusions**

### **7.5.2.1 Material and Section Properties**

- The concrete used to construct the bridge deck exhibited a distinctly greater  $E_c$  relative to  $\sqrt{f_c}$  than did the two girder mixtures—its 91-day  $E_c$  exceeded that measured in the SCC and equaled that measured in the VC-girder mixture while  $f_{cd}$  was approximately 80% of  $f_c$  of the girders.
- Using a novel system to measure camber during the bridge construction, it was determined that the haunches over the SCC BT-54s were noticeably thicker than those over the companion VC BT-54s—haunch thickness was an average of approximately 0.6 in. greater over the SCC BT-54s. Because the haunch thickness would affect transformed-section analyses and imposed deck weight, it was necessary to account for this difference when comparing SCC and VC composite behavior.

- Using engineering principles of compatibility, load equivalence, and linear-elastic behavior, adjustment factors were calibrated that would indicate the amount of strain expectable in a VC girder of equivalent material stiffness as an equivalently loaded SCC girder. These factors ranged from 1.08–1.17 for different girders and loading conditions; measured VC elastic strain responses would need to be multiplied by such factors to indicate the amount of strain expected had the VC girders exhibited the same stiffness as the complimentary SCC girders.

#### **7.5.2.2 Responses to Construction Loads**

- Almost all girders exhibited greater elastic deformation than predicted in response to the transfer mechanism (by an average of 7%). SCC-girder elastic deformations were approximately 2% greater than predicted when considering the SCC  $E_{ci}$ , while VC deformations were approximately 12% greater than predicted.
- SCC-girder elastic strains due to prestress transfer were expected to be approximately 9–18% greater than in geometrically identical VC girders based on differences in measured material properties. Measured SCC elastic strains at transfer were approximately 10  $\mu\epsilon$  greater in magnitude than in the companion VC girders (out of a total elastic strain of approximately -470  $\mu\epsilon$ ), which was well within the precision of this testing.
- Considering these results, SCC-girder elastic strain (and, by extension, prestress loss) due to prestress transfer was at least as accurately predicted as that of VC girders when using measured material properties.

- Average measured strain responses to prestress transfer (in both materials) were approximately 160  $\mu\epsilon$  less in magnitude than design estimates (equating to approximately 5 ksi of prestress). Considering this, SCC-girder prestress-transfer behavior is acceptably similar to that of VC girders and is at least as conservatively predictable.
- Measured changes in camber due to the addition of the deck varied between adjacent girders of the same material (up to  $\frac{1}{4}$  in.), but SCC girders appeared to behave comparably without consideration for differences in material properties or haunch-thickness variation.
- Changes in elastic strain due to the addition of the deck were comparable in SCC and VC girders, despite the expectation that SCC could strain up to 20% more based on measured material properties.
- Because SCC-girder elastic-strain responses due to prestress transfer and deck addition were similar or less than would be expected of VC girders of the same  $E_c$ , and all measured responses were conservatively predictable relative to design estimates, SCC-girder construction-load behavior is acceptably similar and as predictable as that of VC girders.

### **7.5.2.3 Responses to Service Loads**

- Superimposed single-truck load responses were essentially identical to those measured in response to two-truck loads, which confirms that the bridge is exhibiting linear-elastic behavior in response to service loads. Deflections were trivially less during the second load test conducted after the bridge had been in

service for a year, which confirms that the bridge is behaving conservatively over time.

- No SCC girder deflected more than its companion VC girder in response to service-level live loads. Likewise, bottom-surface concrete strains measured in SCC girders were, on average,  $0.6 \mu\epsilon$  less than those measured in identically loaded companion VC girders.
- Bottom-surface concrete strains measured in SCC girders were, on average,  $8.0 \mu\epsilon$  (or 9% of the measured result) less than those expected in the companion VC girders after accounting for differences in measured properties.
- In light of these findings, the full-scale elastic-responses of SCC girders to service loads are considered to be acceptably similar and at least as conservatively predictable as those of the companion VC girders.

### **7.5.3 Recommendations**

- Concerns about the elastic-response behavior of SCC in full-scale precast, prestressed girders should not restrict the implementation of the material in that type of construction. Measured full-scale structural responses were essentially identical in companion SCC and VC girders and all behaviors were conservatively predictable based on measured mechanical properties.
- Measured post-deck-addition cambers were small, ranging from  $L/2100$  to  $L/700$ ; the implications of this tendency are unclear, and additional research may be useful to investigate its prevalence and effects.

- Full-scale elastic performance of SCC girders was slightly more conservatively predictable relative to measured mechanical properties and small-scale tests than was VC-girder performance. While the source of this discrepancy could not be isolated in this research, further research concerning the discrepancy between small-scale cylinder-tested properties and full-scale behaviors may be of value.
- The difference between predictions that incorporated measured properties and those based on design properties was larger than the difference between measured or expected SCC and VC responses. Further research concerning the discrepancy between measured elastic responses and the responses that would be predicted during design may be of value.

## **Chapter 8: Research Conclusions and Recommendations**

### **8.1 Summary of Work**

Because of its fluid nature, SCC can efficiently fill congested or irregularly shaped members more easily than vibrated concrete while also providing an improved uniformity and surface finish. Therefore, one of the most advantageous uses of SCC is in the production of precast, prestressed bridge girders, where reinforcement congestion and member shape make filling and consolidation of VC difficult. SCC achieves its unique fresh characteristics through the use of differences in mixture proportions. However, research concerning the effects of these mixture changes has been limited, both with regard to fresh behavior and hardened-material and structural behavior.

Understanding these effects is critical in the especially demanding implementation of the material in the production of precast, prestressed girders. Consequently, prior to statewide acceptance of SCC in precast, prestressed bridge member production, ALDOT sponsored an investigation of the material to be performed by the AUHRC. The work presented in this dissertation completed this investigation and included a performance evaluation of precast, prestressed SCC girders produced for Alabama's first full-scale implementation of SCC in an in-service bridge.

The final phase of laboratory work for the AUHRC investigation focused on quantification of SCC stability, a unique property of the material that has been difficult to assess previously. In the investigation, five fresh concrete stability tests were conducted

on twenty SCC mixtures each placed in walls of heights equaling 54, 72, and 94 inches. The same walls were also constructed with four VC mixtures, and the in-place hardened concrete uniformity of each of the twenty-four groups of walls was evaluated. Fresh SCC stability test results were then compared to the results of the hardened concrete uniformity testing. Based on those results, suitable fresh SCC test methods and acceptance criteria are recommended for ALDOT use during the implementation of SCC in the statewide production of precast, prestressed elements.

During the evaluation of full-scale SCC-girder behavior, fresh and hardened mechanical properties, prestress transfer bond length, and early-age time-dependent properties were assessed at the precast plant. Observations of hardened mechanical properties, full-scale time-dependent behavior, and elastic responses to construction and service loads continued until all girders were approximately 1,000 days old and had been in service for one year.

While some concrete material properties and isolated structural behaviors appeared to be less conservative in the SCC, the differences were within expectations considering the differences between its mixture proportions and those of the companion VC. In other words, the observed differences were not unique to the use of SCC because any two concretes proportioned differently would exhibit such differences. All predictions were conservative based on measured material properties and more so based on design properties. The differences between the as-produced SCC and VC were frequently within the precision of the testing or were less significant than the observed variability that resulted from typical construction practices.

Analyses of several important full-scale structural behaviors (long-term time-dependent deformation and elastic responses to construction and service loads) suggest that the SCC girders are behaving essentially identically to the companion VC girders. This slightly disagrees with the findings of complimentary small-scale testing but indicates that SCC behavior can be at least as conservatively predicted when using measured material properties. Based on these results, some modifications to the current prediction models, design procedures, and construction practices are recommended for use with both materials. Acceptance of SCC as an alternative to vibrated concrete in the construction of precast, prestressed bridge girders is also recommended.

## **8.2 Research Conclusions and Recommendations**

The work documented in this dissertation was conducted in two parts. The first involved the evaluation of fresh stability test methods during the production of twenty different SCC mixtures and the second involved the evaluation of a variety of fresh material, hardened material, and structural behaviors in a one-to-one comparison of an plant-produced SCC and VC. The conclusions and recommendations summarized in Section 8.2.1 are supported by the work of the first part, and the conclusions and recommendations summarized in Sections 8.2.2–8.2.7 are supported by the second part.

### **8.2.1 Concrete Stability, Hardened Uniformity, and Fresh Test Methods**

Conclusions and recommendations are supported by the research presented in Chapter 2:

- Embedded-reinforcement pullout tests and ultrasonic pulse velocity (UPV) measurements indicate that acceptable hardened concrete uniformity is achievable

in a variety of SCC mixtures relative to that of high-quality VC and to code-accepted behavior.

- The HVSI (AASHTO PP-58) correlated well with a quantifiable result of the coarse aggregate uniformity in the top-cast samples that were also tested according to the HVSI but not with any other assessed measures of fresh stability or hardened uniformity of concrete. This indicates that the subjective HVSI can be quantified but that the significance of these results is unclear.
- Among five evaluated fresh SCC stability test methods, the VSI, sieve stability, and surface settlement tests were found to most strongly correlate to several measures of in-situ hardened concrete uniformity in full-scale specimens. Strong preference for these tests is therefore recommended during the assessment of fresh stability in SCC.
- The results obtained from the sieve stability test after an abbreviated 80 sec. rest period were strongly correlated to those obtained after the currently standardized 15 min. rest period. Use of the abbreviated 80 sec. rest period is therefore recommended to provide accelerated results which will be best to use for job-site quality assurance testing.
- The column segregation test (ASM C1610) and rapid penetration test (ASTM C1712) were found to poorly correlate to other measures of fresh stability and in-situ uniformity of concrete, so their use is of little value relative to use of the three fresh concrete stability tests recommended above.
- Fresh concrete stability tests were compared to each other when using all available SCC test results (twenty results) and when using results subdivided by

coarse aggregate NMSA, total aggregate volume, or both. While the VSI exhibits the same range of results within all subdivisions, results from all other fresh concrete stability tests are affected by one or more of these mixture variables.

- The VSI correlated well with quantitative measures of concrete stability and in-situ uniformity, and it was the only assessed fresh concrete stability test whose results were not affected by coarse aggregate NMSA or aggregate volume fraction. It is, therefore, the most versatile fresh concrete stability test studied and can be valuable in determining SCC stability despite its subjective nature.
- The sieve stability test and surface settlement test were differently affected by the different evaluated mixture variables: the sieve stability test yielded larger sieved-fraction results when testing SCC of a larger NMSA, while the surface settlement test yielded larger settlement-rate results when testing mixtures with a reduced total aggregate volume. These results suggest subdivision by NMSA (greater or less than ½ in.) or total aggregate volume (greater or less than 65%) when using the two test methods.
- While fresh concrete stability test results may indicate reduced apparent stability in SCC of a reduced total aggregate volume or larger coarse aggregate NMSA, in-situ concrete uniformity of large-scale specimens made with these mixtures can be equal to that of SCC of a larger total aggregate volume or smaller coarse aggregate NMSA, as well as that of a variety of vibrated concretes.

Based on these results, a stability testing protocol is recommended for use during ALDOT implementation of SCC in precast, prestressed girder production. If initial

testing according to the VSI indicates questionable stability (VSI result greater than 1.0), then the use of the sieve stability test (with an abbreviated rest period of 80 sec.) should provide a quickly assessable and quantitative means of determining final batch acceptance. Acceptance criteria for the sieve stability test are presented in Chapter 2.

### **8.2.2 Production of Full-Scale Precast, Prestressed Girders**

Conclusions and recommendations are supported by the work presented in Chapter 3:

- Improved placement efficiency was observed during the implementation of SCC in full-scale precast, prestressed girders, but the most significant improvement observed during the implementation may be the improvement of surface finish.
- SCC slump flows were regularly less than specified for this project, while VC slumps were occasionally greater than specified. SCC girders were still more easily constructed and exhibited a much better surface finish than VC girders despite the observed tendencies in workability. Consequently, specification of a relatively high SCC slump flow may not be necessary during this type of production.
- A longer delay was required before texturing the top surface of the SCC girders to ensure that the concrete would hold the desired surface texture. While this did not seem to affect construction times because a delay was always observed prior to covering the girders for steam curing, special attention may be necessary to assure that the desired top-surface texture is maintained in SCC girders prior to covering.

Considering the results presented in Chapter 3, SCC girders can be produced using the same level of quality assurance and quality control as already employed during the production of VC girders. Also, existing construction procedures should allow production of SCC girders of an equal in-situ hardened uniformity and quality as VC girders. The variation in behavior due only to typical construction practices should be no different during the use of SCC in the production of precast, prestressed girders.

### **8.2.3 Mechanical Properties of Plant-Produced Concrete**

The work of Chapter 3 also supports the following conclusions and recommendations:

- The prestress-transfer compressive strength,  $f_{ci}$ , of both materials exhibited a significant dependence on the age of the concrete at transfer—release ages varied from 18–25 hours, which corresponded with up to a 2,000 psi difference in  $f_{ci}$  between days of production. The dependence was statistically indistinguishable between the two materials, but the predictability of hardened-material and structural responses should be considered in light of this observed construction variability.
- The 28-day  $f_c$  of concrete batches produced within the same production day varied by as much as 860 psi (averaging 2.6% COV) in SCC and 1,170 psi (averaging 4.1% COV) in VC. Therefore, the uniformity of  $f_c$  in SCC batches can be at least as consistent as that of batches of VC.
- Compressive strength in both materials greatly exceeded specified  $f'_c$  values: 30–64% greater at release and 31–73% greater at twenty-eight days. Because the same mixture was utilized in both girder sizes while different values of  $f'_c$  were

specified for each, BT-54  $f_c$  values exceeded specified values by a larger margin than did BT-72  $f_c$  values. The conservatism of measured compressive strength in relation to specified  $f_c$  may be important during design.

- SCC achieved a practically identical compressive strength at every age tested despite being proportioned with a higher  $s/agg$  (0.47 versus 0.39 in VC), smaller coarse aggregate ( $\frac{1}{2}$  in. versus  $\frac{3}{4}$  in. in VC), and lower total aggregate content (63% versus 67% in VC). Therefore, differences in  $f_c$  of SCC resulting from its mixture proportions should not be of concern during its implementation.
- SCC achieved a practically identical  $f_{ct}$  despite the differences in proportioning outlined above. Predictions of  $f_{ct}$  ranged from 6% over to 17% less than measured results, relative to  $\sqrt{f_c}$ , at various ages and using various models. Measured properties exceeded design values predicted using  $\sqrt{f'_c}$ , but to a lesser extent than measured  $f_c$  exceeded  $f'_c$ . Thus,  $f_{ct}$  of SCC can be acceptably similar and as conservatively predicted as that of VC.
- $E_c$  of the tested SCC was 10–15% less than that of the VC at transfer and twenty-eight days. Because the mixtures exhibited practically identical  $f_c$ , SCC  $E_c$  was reduced relative to  $\sqrt{f_c}$  compared to that of VC. The reduction was expectable in response to the changes in its proportions described earlier, which indicates that the reduction is not unique to the SCC.
- SCC  $E_c$  was at least as accurately predicted as that of VC when considering measured  $w_c$  and  $f_c$ . Unless more accurate mixture proportioning or trial batch data are available, an *unreinforced* concrete unit weight,  $w_c$ , of 150 lb/ft<sup>3</sup> should be

used during the design of precast, prestressed girders constructed with proportions similar to those utilized in this research.

- The  $E_c$  of both materials was more accurately predicted according to the equation presented in the *AASHTO LRFD* (2013) provisions than using the ACI 363 (1992) equation developed for high-strength concrete, even though the SCC and VC exhibited compressive strengths of up to approximately 11,000 psi. Use of *LRFD* (2013) Equation 5.4.2.4-1 is recommended.
- Long-term, three-year  $E_c$  was evaluated in twenty-eight sets of cylinders. Results suggest that long-term  $E_c$  of the tested SCC and VC are expectably similar (SCC  $E_c$  was 6% less). Therefore, the long-term elastic stiffness of SCC should be similar to that of VC proportioned with similar aggregates and cementitious materials.

Considering these results, hardened mechanical properties of plant-produced SCC are considered acceptably similar to those of equivalent-use VC, and minor differences should be no different than those present between any two differently proportioned concretes. Variability due to typical construction practices (particularly variation in age at release) was more significant than any difference between the tested SCC and VC. Measured properties are conservatively predictable and can be distinctly conservative relative to design values.

#### **8.2.4 Transfer Length of Full-Scale Girders**

Conclusions and recommendations are supported by the work presented in Chapter 4:

- After normalizing for  $f_{pt}$ ,  $d_b$ , and  $\sqrt{f_{ci}}$ , SCC transfer lengths were approximately 18% greater than those of the companion VC girders. The increase was likely related to the reduced  $E_{ci}$  of the utilized SCC. After normalizing for  $E_{ci}$  to remove the assumption of correlation to the square root of  $f_{ci}$ , SCC transfer lengths were insignificantly different than those of VC girders. This suggests that differences in  $l_t$  are not uniquely associated with the use of SCC—the difference should occur between any two concretes whose  $E_{ci}$  differ.
- Comparing  $E_{ci}$ -normalized  $l_t$  between phases of AUHRC research,  $l_t$  consistently decreased as specimen size increased, and SCC  $l_t$  was insignificantly different than VC  $l_t$  in all phases. The observed size effect corroborates previous hypotheses that larger specimens exhibit shorter  $l_t$ , and all results indicate that SCC  $l_t$  behavior is acceptably similar to that of VC after accounting for  $E_{ci}$ .
- The most significant factor affecting  $l_t$  appeared to be girder orientation in the prestressing bed—transfer zones adjacent to longer exposed lengths of strand near the ends of the prestressing bed produced approximately 30% longer transfer lengths than those adjacent to short exposed lengths of strand in both SCC and VC. Thus, high variability due to construction practices should be expected.
- The combined effects of age at transfer, VMA use, and SCC fresh stability could not be evaluated independently; transfer age was similar between materials, all SCC included VMA while vibrated concrete did not, and all SCC was acceptably stable. While not intentionally varied, all appear to be insignificant variables on  $l_t$  relative to the effects of bed orientation and girder size.

- Two predictive equations presented in ACI 318 (2011) and one presented in the *AASHTO LRFD* guidelines (2013) were used to conservatively predict  $l_t$  in both materials. Although these models do not consider  $E_{ci}$ , they appear to be acceptable for use with either material.

Based on these results, SCC transfer lengths measured in full-scale girders appear to be conservatively predictable and acceptably similar to those in companion VC girders. Considering the variability of transfer lengths and their dependence on exposed strand length and girder size, no changes to the existing predictions are recommended at this time.

### **8.2.5 Time-Dependent Deformation of Concrete Cylinders**

Conclusions and recommendations are supported by the work presented in Chapter 5:

- Measured SCC compliance was approximately 15% greater than that of the companion VC through a concrete age of three years. On average, creep of the SCC was no more than 10% greater than that of the equivalent-strength VC.
- The increased  $J$  of the SCC was in line with its reduced  $E_{ci}$ , and any increased creep was minor and expectable considering its mixture proportions. These differences suggest that differences in  $J$  and creep are not uniquely associated with the use of SCC—the difference should occur in any two concretes whose proportions differ.
- Creep in cylinders that were underloaded was insignificantly different than that of standard specimens, while creep was expectably reduced in cylinders aged before

loading—creep of the aged cylinders was approximately 50% of that measured in cylinders loaded to coincide with prestress release of the bridge girders. This suggests that creep behavior is predictable under varied load intensities (less than 40% of  $f_c$ ) and loading ages (up to one year), in both materials.

- Measured SCC unrestrained shrinkage was approximately 30% greater than that of the equivalent-strength companion VC. The increased shrinkage of the SCC was expectable in response to the differences in its proportions but was more severe than the difference between SCC and VC  $J$  or creep.
- Shrinkage growth of SCC was comparable to that of VC; free shrinkage approximately doubled between seven days and fifty-six days but did not double again through three years, in both materials.
- In both materials, time-dependent creep was approximately equal to that predicted by several models while shrinkage was less than predicted, when using measured properties and testing times. Because the models that over-predicted shrinkage also under-predicted creep, all evaluated models were reasonably accurate at predicting total time-dependent deformation. Prediction of the separate components of time-dependent behavior should be improved through the use of mixture-specific adjustment factors.
- Adjustment factors to several current models were proposed to more accurately reflect the separate components of time-dependent deformation in concrete produced with local Alabama materials. Recommended adjustment factors, termed  $A_{AL}$  in this work, equaled 1.1–1.2 and 0.8–1.0 for SCC creep and shrinkage and 1.0–1.1 and 0.5–0.8 for VC creep and shrinkage, respectively.

After applying  $A_{AL}$  corrections, all code-referenced models were used to predict total strain to within 5% of measured results at multiple concrete ages, on average. Use of the  $A_{AL}$  corrections improved the correspondence of each predicted and measured strain component, which should allow for more accurate prediction of time-dependent behavior in specimens of other dimensions or exposure conditions. SCC time-dependent behavior appears to be no less predictable using the existing models, but prediction of time-dependent behavior in both materials should benefit from the use of  $A_{AL}$ .

### **8.2.6 Time-Dependent Behavior of Full-Scale Girders**

Conclusions and recommendations are supported by the work presented in Chapter 6:

- Small-scale testing revealed that the studied SCC exhibited a CTE approximately 5% greater than that of the companion VC-girder mixture. The difference was explained by the difference in mixture proportions and is therefore not a unique concern of SCC—the difference should occur between any two concretes exhibiting differences in proportions or materials.
- All specimens made with the girder concrete exhibited CTEs approximately 20% greater than in the concrete utilized to construct the cast-in-place portions of the bridge superstructure. The difference between the mixtures appears to be due to a combination of SCM type, SCM replacement rate,  $w/cm$ , and within-aggregate-type mineralogy.
- In light of the difference between girder- and deck-mixture CTEs, SCC CTE is considered to be acceptably similar to that of VC that is proportioned with similar aggregates and cementitious materials. The significance of the difference

between the girder and deck CTEs should be minimal in this type of application (simply supported girders not restrained against thermal deformation).

- Thermal effects distinctly affected the apparent internal-strain measurements obtained in the girders. These changes in apparent strain (up to  $250 \mu\epsilon$  at the *cgp* between seasons when accounting for gauge temperature but not concrete temperature) do not necessarily correspond to changes in  $f_{pe}$  because both steel and concrete deform in response to thermal effects. Therefore, thermal effects must be accounted for to effectively study the time-dependent creep and shrinkage behavior of full-scale girders.
- Transient thermal effects were accurately isolated in this work using simplified representations of the measured thermal gradients and cross sections. By determining the axial deformation and curvature caused by nonlinear thermal effects, thermal-strain effects were isolated from the effects of long-term time-dependent material deformation. The implemented correction method should be applicable in other situations, and its use is recommended in this type of testing.
- After accounting for thermal effects, SCC girders exhibited practically the same prestress losses as the companion VC girders throughout the first 1,000 days after casting. Differences in total measured losses between the materials at 1,000 days equated to no greater than 1% of the pre-release strand stress,  $f_{pbt}$ . This indicates that the long-term prestress maintenance behavior of SCC girders can be acceptably similar to that of VC girders.
- Use of the simplified *AASHTO LFRD* Section 5.9.5.3 provisions for  $f_{pe}$  led to reasonably accurate predictions of long-term time-dependent prestress losses

when calculated using measured material properties—predictions of time-dependent losses were conservative but within approximately 6 ksi, or 3% of  $f_{pbt}$ , of measured results.

- Use of the refined *AASHTO LRFD* (2013) Section 5.9.5.4 provisions for  $f_{pe}$  led to over-predictions of time-dependent prestress losses at all ages when calculated using measured material properties—predictions of time-dependent losses were conservative but within approximately 11 ksi, or 5% of  $f_{pbt}$ , of measured results.
- The accuracy of the *LRFD* (2013) Section 5.9.5.4 predictions was moderately improved in the VC girders when applying the recommended  $A_{AL}$  adjustments and was somewhat reduced in the SCC girders. Measured  $f_{pe}$  in SCC girders was under-predicted by approximately 6.5% of  $f_{pbt}$ , while measured VC-girder  $f_{pe}$  was under-predicted by less than 2.5% of  $f_{pbt}$ . Therefore, use of adjustment factors to account for material-specific creep and shrinkage behavior can lead to conservative predictions of time-dependent behavior in full-scale girders.
- Use of the *AASHTO LRFD* (2013) simplified or refined time-dependent prestress-loss provisions with *design* material properties (such as  $f'_{ci}$ ) led to very conservative predictions. Long-term design predictions under-predicted measured  $f_{pe}$  by up to 27 ksi (13% of  $f_{pbt}$ ) and under-predicted equivalent predictions of  $f_{pe}$  that incorporated measured properties by up to 19 ksi (10% of  $f_{pbt}$ ).
- In light of these findings, the long-term time-dependent behavior of full-scale SCC girders is considered to be conservatively predictable and acceptably similar to that of the companion VC girders.

- Concrete strain was unchanged during the approximately 650 days after the casting of the deck. Based on both measured and predicted results, time-dependent changes in behavior (other than transient thermal effects) are expected to be minimal during the remainder of the service life of these girders.

### 8.2.7 Elastic-Response Behavior of Full-Scale Girders

Conclusions and recommendations are supported by the work presented in Chapter 7:

- The haunches over the SCC BT-54s were noticeably thicker than those over the companion VC BT-54s—haunch thickness was an average of 0.6 in. greater over the SCC BT-54s. Because the haunch thickness affects both transformed-section dimensions and deck weight, it is important to account for this difference when comparing composite-section behaviors of companion girders.
- SCC-girder elastic strains due to prestress transfer were predicted to be approximately 9–18% greater than in geometrically identical VC girders because of the difference in measured  $E_{ci}$ . Measured SCC-girder elastic strains were no more than 2% greater than measured VC-girder elastic strains, which would correspond to 0.1% of  $f_{pt}$  in the strands. Thus, the elastic response of SCC girders to the transfer mechanism is acceptably similar to that of VC girders.
- Almost all girders exhibited greater elastic deformation than predicted in response to the transfer of prestress (by an average of 7%) when using measured properties; SCC-girder elastic deformations were approximately 2% greater than predicted based on measured  $E_{ci}$ , while VC-girder deformations were approximately 12%

greater than predicted. This indicates that the elastic response of SCC girders to the prestress transfer mechanism is conservatively predictable.

- Changes in elastic strain due to the addition of the deck were comparable in SCC and VC girders, despite the expectation that SCC girders could strain up to 20% more based on measured material properties. While the strain responses predicted using measured properties and using design properties were insignificantly different relative to the accuracy of this assessment, they indicate that the measured responses are conservatively predictable.
- SCC-girder elastic-strain responses due to prestress transfer and deck addition were similar or less than would be expected of VC girders of the same  $E_c$ , and all measured responses were conservative relative to design predictions. Therefore, SCC-girder construction-load behavior can be acceptably similar and as conservatively predicted as that of VC girders.
- During two rounds of live-load testing conducted one year apart, measured SCC deflection and bottom-flange strain responses were practically identical to those of the VC girders and were unchanged from the first test to the second. This indicates that the bridge did not experience any abnormal service-load degradation during the first year of service and that SCC-girder live-load behavior can be acceptably similar to that of VC girders.
- Bottom-surface concrete strains measured in SCC girders were, on average, 8.0  $\mu\epsilon$  (or 9% of the measured result) less than those expected in the companion VC girders based on differences in measured properties. This indicates that SCC-

girder service-load behavior can be at least as conservatively predicted as that of VC girders when using measured mechanical properties.

- All measured SCC-girder responses to construction and service loads were as conservatively predictable as those of VC girders, and predictions that incorporated design properties were more conservative. Therefore, the full-scale elastic-response behavior of SCC girders is acceptably similar and as predictable as that of VC girders.

### **8.3 Recommendations for Future Research**

Based on the research presented in this dissertation, the following recommendations are given for potential areas of future research:

1. It was clear during the fresh concrete stability testing of different SCC mixtures that total aggregate volume and the maximum coarse aggregate size affect the results of fresh concrete stability testing, but it was not possible to determine whether these dependencies are continuous (over various gradations or aggregate volumes) or discrete. This should be investigated further.
2. Transfer lengths were conservatively predicted on average, but high variability was observed as a result of common construction practices. The tested girders were made with concrete that met or exceeded ALDOT specifications, and they also appeared to benefit from a size effect. Since these conditions are not universal, the acceptability of transfer-length behavior in smaller prestressed elements with less stiff concrete may need to be investigated further.

3. Predictions of time-dependent prestress losses and elastic gains and losses based on measured material properties were compared to those predicted using design properties. Design predictions of elastic gains and losses were up to 5 ksi different than equivalent predictions that incorporated measured properties. Design predictions of long-term time-dependent losses compounded the error and over-predicted equivalent predictions of losses that incorporated measured properties by up to 19 ksi (10% of  $f_{pbt}$ ). Since measured-property predictions were still conservative, the use of expected material properties, instead of design material properties, during the prediction of prestress losses may be significant. This should be investigated further.

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## **Appendices**

### **Laboratory Phase (work related to Chapter 2)**

Appendix A: Laboratory-Phase Test Results

Appendix B: Fresh Concrete Stability Test Methods

### **Field Phase (work related to Chapters 3–7)**

Appendix C: Field-Phase Concrete Material Properties

Appendix D: Transfer Lengths

Appendix E: BP Coefficient of Determination ( $\omega_{BP}$ )

Appendix F: Time-Dependent Properties of Small-Scale Specimens

Appendix G: Structural Properties of Girders

Appendix H: Thermal Effects and Time-Dependent Concrete Strains of Girders

Appendix I: Adjusted Girder Strain Responses to Construction and Service Loads

## **Appendix A: Laboratory-Phase Test Results**

Table A.1–Table A.3: Fresh Concrete Stability Results

Table A.4–Table A.17: Hardened Concrete Uniformity Results

Table A.18–Table A.21: Correlations between Fresh and Hardened Results

Table A.1: Individual fresh concrete stability test results

<b>Mixture ID</b>	<b>VSI</b>	<b>Seg. Index (%)</b>	<b>Rapid Penetration (in.)</b>	<b>Sieve Fraction (%)</b>	<b>Rate of Settlement (%/hr)</b>	<b>Maximum Settlement (%)</b>
<b>SCC-1A</b>	1.5, 2.5	3.2, 8.0	0.20, 0.31	*	0.16	0.60
<b>SCC-1B</b>	0.5, 1	0.0, 0.0	0.08, 0.31	5.6, 7.3	0.12, 0.21	0.31, 0.41
<b>SCC-1C</b>	1, 1.5	8.0, 8.7	0.12, 0.12	7.4, 9.0	0.06, 0.15	0.03, 0.04
<b>SCC-1D</b>	1, 1.5	20.7, 14.3	0.28, 0.39	13.8, 17.7	0.01, 0.02	0.01, 0.01
<b>SCC-2A</b>	1.5, 2	7.4, 8.6	0.24, 0.47	13.6, 13.9	0.02, 0.06	0.02, 0.03
<b>SCC-2B</b>	3, 3	18.1, 21.9	0.24, 0.43	24.4, 36.6	0.18, 0.33	0.13, 0.15
<b>SCC-2C</b>	1.5, 2	0.8, 5.2	0.08, 0.20	8.7, 9.2	0.09, 0.15	0.07, 0.10
<b>SCC-2D</b>	1, 1.5	6.4, 15.7	0.08, 0.12	4.9, 5.4	0.23, 0.27	0.09, 0.17
<b>SCC-2E</b>	1.5, 2	14.7, 18.4	0.12, 0.16	13.3, 15.2	0.15, 0.19	0.12, 0.23
<b>SCC-3A</b>	1.5, 2	12.7, 18.1	0.08, 0.08	4.3, 6.0	0.14, 0.26	0.14, 0.20
<b>SCC-3B</b>	1.5, 1.5	4.5, 8.4	0.00, 0.03	2.8, 6.0	0.31, 0.34	0.22, 0.23
<b>SCC-3C</b>	0, 0	0.7, 5.1	4, 0.28	2.2, 3.4	0.14	0.15
<b>SCC-3D</b>	2, 2	22.5, 27.3	0.12, 0.24	10.6, 13.1	0.34, 0.36	0.49, 0.49
<b>SCC-3E</b>	1, 1.5	3.9, 3.9	0.00, 0.03	4.4, 6.2	0.34, 0.36	0.48, 0.51
<b>SCC-3F</b>	0, 1	3.9, 5.3	0.12, 0.20	0.0, 3.8	0.10, 0.14	0.08, 0.08
<b>SCC-4A</b>	2, 2	19.4, 29.3	0.39, 0.51	20.6, 22.0	0.14, 0.29	0.48, 0.49
<b>SCC-4B</b>	0, 0.5	8.0, 8.1	0.00, 0.03	7.4, 8.6	0.10, 0.10	0.06, 0.08
<b>SCC-4C</b>	0, 1	21.6, 26.7	0.16, 0.24	15.9, 19.3	0.26, 0.29	0.30, 0.33
<b>SCC-4D</b>	2, 3	21.7, 31.7	0.08, 0.16	20.9, 21.2	0.48, 0.70	0.79, 0.92
<b>SCC-4E</b>	1, 2	16.9, 22.3	0.08, 0.28	19.9, 23.3	0.26, 0.31	0.29, 0.30

Note: \* = sieve fraction result recorded incorrectly by operator

Table A.2: Surface settlement results—additional information

<b>Mixture ID</b>	<b>Rate of Settlement (%/hr)</b>	<b>Maximum Settlement (%)</b>	<b>Settlement at 10 min. (%)</b>	<b>Settlement at 15 min. (%)</b>	<b>Time at Ultimate Settlement (min.)</b>
<b>SCC-1A</b>	0.15	0.60	0.35	0.37	105
<b>SCC-1B</b>	0.15	0.35	0.31	0.32	30
<b>SCC-1C</b>	0.11	0.03	0.02	0.03	60
<b>SCC-1D</b>	0.02	0.01	0.00	0.01	60
<b>SCC-2A</b>	0.05	0.02	0.01	0.02	60
<b>SCC-2B</b>	0.25	0.14	0.08	0.10	60
<b>SCC-2C</b>	0.12	0.09	0.03	0.04	105
<b>SCC-2D</b>	0.25	0.13	0.08	0.10	30
<b>SCC-2E</b>	0.17	0.18	0.11	0.13	60
<b>SCC-3A</b>	0.20	0.17	0.08	0.09	90
<b>SCC-3B</b>	0.32	0.23	0.09	0.12	90
<b>SCC-3C</b>	0.14	0.15	0.04	0.05	90
<b>SCC-3D</b>	0.35	0.49	0.07	0.10	180
<b>SCC-3E</b>	0.35	0.49	0.10	0.12	90
<b>SCC-3F</b>	0.12	0.08	0.04	0.05	45
<b>SCC-4A</b>	0.22	0.49	0.26	0.28	180
<b>SCC-4B</b>	0.10	0.07	0.04	0.05	45
<b>SCC-4C</b>	0.28	0.32	0.05	0.08	180
<b>SCC-4D</b>	0.59	0.86	0.09	0.14	210
<b>SCC-4E</b>	0.29	0.29	0.06	0.08	150

Table A.3: Fresh concrete stability test result nonlinear  $R^2$  values

Test Result	VSI	Seg. Index	Rapid Pen.	Sieved Fraction	Rate of Settlement	Max. Settlement
Maximum Settlement	0.18	0.15	0.00	0.10	0.60	-
Rate of Settlement	0.17	0.48	0.00	0.09	-	-
Sieved Fraction	0.44	0.56	0.24	-	-	-
Rapid Penetration	0.08	0.02	-	-	-	-
Segregation Index	0.24	-	-	-	-	-
VSI	-	-	-	-	-	-

Table A.4: Horizontal row average measurements from UPV testing—94 in. walls, Series 1 and 2

Norm. Ht of 94 in.	Average Measured Ultrasonic Pulse Velocity ( $10^3$ ft/s)										
	VC-1	SCC-1A	SCC-1B	SCC-1C	SCC-1D	VC-2	SCC-2A	SCC-2B	SCC-2C	SCC-2D	SCC-2E
0.95	14.61	13.93	14.53	13.99	13.19	14.21	13.57	13.06	14.54	12.64	14.11
0.87	14.72	14.11	14.55	13.84	13.09	14.77	13.53	14.13	14.42	12.90	13.87
0.78	14.66	13.97	14.53	13.62	13.02	14.58	13.68	14.50	14.40	13.09	13.84
0.70	14.57	13.88	14.45	13.76	13.16	14.53	13.65	14.38	14.55	13.11	13.77
0.61	14.50	14.03	14.73	13.68	13.26	14.85	13.73	14.28	14.58	13.14	14.09
0.53	14.34	14.05	14.35	13.63	13.47	14.88	13.80	14.33	14.40	13.20	14.18
0.44	14.42	13.91	14.62	13.66	13.30	14.77	13.71	14.40	14.65	13.17	13.99
0.37	14.39	13.76	14.36	13.79	13.14	14.98	13.60	14.25	14.31	13.17	14.06
0.30	14.20	13.80	14.37	13.53	13.20	14.77	13.76	14.45	14.37	13.24	14.24
0.21	14.40	14.56	14.44	13.76	13.39	14.60	13.74	14.41	14.33	13.12	14.11
0.13	14.30	13.85	14.30	13.74	13.29	14.72	13.71	14.33	14.23	13.11	14.01
0.04	14.48	14.76	14.75	13.78	13.51	14.54	13.88	14.55	14.39	13.34	14.22

Table A.5: Horizontal row average measurements from UPV testing—94 in. walls, Series 3 and 4

Norm. Ht of 94 in.	Average Measured Ultrasonic Pulse Velocity ( $10^3$ ft/s)													
	VC-3	SCC-3A	SCC-3B	SCC-3C	SCC-3D	SCC-3E	SCC-3F	VC-4	SCC-4A	SCC-4B	SCC-4C	SCC-4D	SCC-4E	
0.95	12.53	14.26	14.44	14.72	13.32	13.86	15.25	14.43	12.62	14.81	13.45	14.41	13.53	
0.87	12.43	14.02	14.27	14.61	13.49	13.60	15.00	14.77	12.59	15.01	13.35	14.35	13.43	
0.78	12.63	14.25	14.13	14.70	13.59	13.65	15.15	14.92	12.89	15.00	13.53	14.57	13.48	
0.70	12.70	14.11	14.03	14.60	13.64	13.76	14.92	15.22	12.69	14.81	13.39	14.14	13.83	
0.61	12.55	14.12	14.19	14.68	13.56	13.85	15.01	15.00	13.00	14.74	13.57	14.38	13.80	
0.53	12.45	13.92	13.99	14.53	13.57	14.00	14.96	14.82	12.86	14.72	13.77	14.41	13.66	
0.44	12.55	14.12	13.97	14.64	13.70	13.99	14.96	14.71	12.95	14.59	13.50	14.52	13.54	
0.37	12.45	14.22	14.03	14.62	13.65	13.80	15.04	15.13	12.86	14.84	13.57	14.32	13.60	
0.30	12.62	14.03	13.97	14.62	13.78	13.99	15.09	14.97	12.97	14.80	13.53	14.26	13.54	
0.21	12.68	14.36	13.87	14.84	13.73	14.22	15.17	15.07	13.11	14.63	13.71	14.78	13.91	
0.13	12.76	14.10	13.86	14.77	13.69	14.18	15.06	15.14	13.21	14.71	13.80	14.59	13.61	
0.04	12.58	14.50	14.45	14.83	14.26	14.27	15.02	15.09	13.35	14.71	13.37	14.35	13.72	

Table A.6: Horizontal row average measurements from UPV testing—72 in. walls, Series 1 and 2

Norm. Ht of 72 in.	Average Measured Ultrasonic Pulse Velocity ( $10^3$ ft/s)										
	VC-1	SCC-1A	SCC-1B	SCC-1C	SCC-1D	VC-2	SCC-2A	SCC-2B	SCC-2C	SCC-2D	SCC-2E
0.94	14.29	14.00	14.34	13.93	13.17	13.75	13.25	14.03	14.40	12.69	13.89
0.83	14.69	14.20	14.52	13.95	13.11	14.26	13.44	14.32	14.37	13.07	13.81
0.74	14.66	14.28	14.56	14.04	13.22	14.36	13.45	14.36	14.52	13.22	13.76
0.63	14.68	14.16	14.57	13.90	13.05	14.59	13.63	14.21	14.50	13.12	13.84
0.53	14.51	14.36	14.74	13.87	13.02	14.65	13.65	14.10	14.31	13.25	13.77
0.42	14.47	14.39	14.82	13.92	13.40	14.47	13.65	14.12	14.30	12.95	13.90
0.33	14.29	14.33	14.71	13.80	13.28	14.53	13.63	13.99	14.34	13.01	13.93
0.25	14.35	14.39	14.55	13.89	13.27	14.47	13.55	13.92	14.27	12.97	13.93
0.17	14.46	14.24	14.53	13.99	13.45	14.36	13.48	14.09	14.33	13.19	14.05
0.06	14.59	14.46	14.90	14.20	13.50	14.22	13.80	14.34	14.45	13.31	14.12

Table A.7: Horizontal row average measurements from UPV testing—72 in. walls, Series 3 and 4

Norm. Ht of 72 in.	Average Measured Ultrasonic Pulse Velocity ( $10^3$ ft/s)													
	VC-3	SCC- 3A	SCC- 3B	SCC- 3C	SCC- 3D	SCC- 3E	SCC- 3F	VC-4	SCC- 4A	SCC- 4B	SCC- 4C	SCC- 4D	SCC- 4E	
0.94	12.55	14.24	14.12	14.34	13.00	13.17	14.79	14.21	12.20	14.39	12.93	13.75	13.08	
0.83	12.67	14.07	13.99	14.37	13.32	13.24	14.81	14.48	12.24	14.38	12.93	14.05	13.18	
0.72	12.59	14.11	14.06	14.48	13.58	13.54	14.93	14.47	12.42	14.38	13.02	14.29	12.92	
0.61	12.49	14.08	13.97	14.21	13.54	13.64	14.95	14.58	12.36	14.73	12.99	14.10	13.13	
0.50	12.58	13.97	14.18	14.29	13.51	13.77	14.94	14.57	12.23	14.55	13.24	14.24	13.17	
0.39	12.56	14.10	14.01	14.50	13.89	13.95	15.04	14.71	12.61	14.58	13.59	14.33	13.27	
0.28	12.78	14.15	14.03	14.54	13.57	13.95	14.95	14.59	12.82	14.39	13.43	14.40	13.43	
0.17	12.43	14.15	13.75	14.48	13.57	14.04	14.90	14.65	12.59	14.45	13.36	14.36	13.42	
0.06	12.70	14.46	14.24	14.43	13.78	13.85	14.96	14.69	12.71	14.40	13.50	14.43	13.48	

Table A.8: Horizontal row average measurements from UPV testing—54 in. walls, Series 1 and 2

Norm. Ht of 54 in.	Average Measured Ultrasonic Pulse Velocity ( $10^3$ ft/s)										
	VC-1	SCC-1A	SCC-1B	SCC-1C	SCC-1D	VC-2	SCC-2A	SCC-2B	SCC-2C	SCC-2D	SCC-2E
0.93	14.41	-	14.29	13.82	12.83	13.90	13.53	14.26	14.19	12.72	14.01
0.78	14.64	14.46	14.36	13.83	12.98	14.22	13.53	14.16	14.15	12.98	13.88
0.65	14.52	14.78	14.44	13.92	13.00	14.28	13.56	14.14	14.19	13.06	13.76
0.54	14.52	14.47	14.51	14.01	13.12	14.27	13.60	14.44	14.15	12.92	13.68
0.41	14.31	14.14	14.44	13.74	13.07	14.39	13.52	14.09	14.05	13.08	13.73
0.31	14.34	14.13	14.51	13.91	13.05	14.35	13.58	14.10	14.26	13.10	13.72
0.22	14.44	14.22	14.46	13.92	13.21	14.33	13.53	14.09	14.24	12.98	13.84
0.07	14.46	14.18	14.53	13.86	13.22	14.23	13.53	14.26	14.35	13.25	13.97

Note: - = Result not obtained

Table A.9: Horizontal row average measurements from UPV testing—54 in. walls, Series 3 and 4

Norm. Ht of 54 in.	Average Measured Ultrasonic Pulse Velocity ( $10^3$ ft/s)													
	VC-3	SCC- 3A	SCC- 3B	SCC- 3C	SCC- 3D	SCC- 3E	SCC- 3F	VC-4	SCC- 4A	SCC- 4B	SCC- 4C	SCC- 4D	SCC- 4E	
0.93	12.47	14.14	14.25	14.29	13.27	13.36	14.94	14.54	12.36	14.45	13.06	14.20	13.07	
0.78	12.57	13.99	14.04	14.40	13.36	13.64	14.90	14.43	12.38	14.25	13.14	14.34	13.30	
0.65	12.44	14.09	13.95	14.27	13.35	13.73	14.96	14.52	12.38	14.34	13.15	14.54	13.39	
0.54	12.26	14.11	13.96	14.33	13.58	13.65	14.79	14.56	12.40	14.34	13.27	14.37	13.28	
0.41	12.16	13.96	13.91	14.34	13.52	13.75	14.93	14.66	12.42	14.58	13.38	14.49	13.42	
0.31	12.22	13.89	14.19	14.34	13.41	13.71	14.81	14.59	12.34	14.48	13.27	14.45	13.21	
0.22	12.45	14.09	14.17	14.41	13.56	13.67	14.95	14.59	12.58	14.42	13.40	14.38	13.48	
0.07	12.47	14.14	14.25	14.29	13.27	13.36	14.94	14.54	12.36	14.45	13.06	14.20	13.07	

Table A.10: Maximum and minimum horizontal row average measurements from UPV testing, and calculated UPV segregation indices—Series 1 and 2

Mixture ID	94 in. Wall		72 in. Wall		54 in. Wall	
	Max, Min (10 <sup>3</sup> ft/s)	UPV Unif.	Max, Min (10 <sup>3</sup> ft/s)	UPV Unif.	Max, Min (10 <sup>3</sup> ft/s)	UPV Unif.
<b>CTRL-1</b>	14.72	1.036	14.69	1.028	14.64	1.023
	14.20		14.29		14.31	
<b>SCC-1A</b>	14.76	1.073	14.46	1.033	14.78	1.046
	13.76		14.00		14.13	
<b>SCC-1B</b>	14.75	1.031	14.90	1.039	14.53	1.012
	14.30		14.34		14.36	
<b>SCC-1C</b>	13.99	1.034	14.20	1.029	14.01	1.019
	13.53		13.80		13.74	
<b>SCC-1D</b>	13.51	1.038	13.50	1.036	13.22	1.019
	13.02		13.02		12.98	
<b>CTRL-2</b>	14.98	1.054	14.65	1.066	14.39	1.011
	14.21		13.75		14.22	
<b>SCC-2A</b>	13.88	1.026	13.80	1.042	13.60	1.006
	13.53		13.25		13.52	
<b>SCC-2B</b>	14.55	1.114	14.36	1.032	14.44	1.025
	13.06		13.92		14.09	
<b>SCC-2C</b>	14.65	1.030	14.52	1.017	14.35	1.021
	14.23		14.27		14.05	
<b>SCC-2D</b>	13.34	1.056	13.31	1.049	13.25	1.026
	12.64		12.69		12.92	
<b>SCC-2E</b>	14.24	1.034	14.12	1.026	13.97	1.021
	13.77		13.76		13.68	

Table A.11: Maximum and minimum horizontal row average measurements from UPV testing, and calculated UPV segregation indices—Series 3 and 4

Mixture ID	94 in. Wall		72 in. Wall		54 in. Wall	
	Max, Min (10 <sup>3</sup> ft/s)	UPV Unif.	Max, Min (10 <sup>3</sup> ft/s)	UPV Unif.	Max, Min (10 <sup>3</sup> ft/s)	UPV Unif.
<b>CTRL-3</b>	12.76 12.43	1.026	12.78 12.43	1.028	12.57 12.16	1.034
<b>SCC-3A</b>	14.50 13.92	1.042	14.46 13.97	1.035	14.14 13.89	1.018
<b>SCC-3B</b>	14.45 13.86	1.043	14.24 13.75	1.036	14.25 13.91	1.024
<b>SCC-3C</b>	14.84 14.53	1.021	14.54 14.21	1.023	14.41 14.27	1.010
<b>SCC-3D</b>	14.26 13.32	1.071	13.89 13.00	1.068	13.58 13.27	1.023
<b>SCC-3E</b>	14.27 13.60	1.049	14.04 13.17	1.066	13.75 13.36	1.029
<b>SCC-3F</b>	15.25 14.92	1.022	15.04 14.79	1.017	14.96 14.79	1.011
<b>CTRL-4</b>	15.22 14.43	1.054	14.71 14.21	1.036	14.66 14.43	1.016
<b>SCC-4A</b>	13.35 12.59	1.061	12.82 12.20	1.051	12.58 12.34	1.019
<b>SCC-4B</b>	15.01 14.59	1.029	14.73 14.38	1.025	14.58 14.25	1.024
<b>SCC-4C</b>	13.80 13.35	1.034	13.59 12.93	1.051	13.40 13.06	1.026
<b>SCC-4D</b>	14.78 14.14	1.045	14.43 13.75	1.050	14.54 14.20	1.024
<b>SCC-4E</b>	13.91 13.43	1.036	13.48 12.92	1.043	13.48 13.07	1.032

Table A.12: Eight-bar-group average pullout strength and top-bar factor—94 in. walls, Series 1 and 2

Norm. Ht of 94 in.	Average Measured Pullout Strength (lb)											
	VC-1	SCC-1A	SCC-1B	SCC-1C	SCC-1D	VC-2	SCC-2A	SCC-2B	SCC-2C	SCC-2D	SCC-2E	
0.91	8,324	6,230	8,779	5,507	3,724	4,364	4,905	3,646	7,003	3,050	3,490	
0.08	8,294	7,106	10,212	6,381	4,058	7,625	5,701	7,091	7,908	4,004	5,454	
<i>Top-Bar</i>	1.00	1.14	1.16	1.16	1.09	1.75	1.16	1.94	1.13	1.31	1.56	

Table A.13: Eight-bar-group average pullout strength and top-bar factor—94 in. walls, Series 3 and 4

Norm. Ht of 94 in.	Average Measured Pullout Strength (lb)													
	VC-3	SCC-3A	SCC-3B	SCC-3C	SCC-3D	SCC-3E	SCC-3F	VC-4	SCC-4A	SCC-4B	SCC-4C	SCC-4D	SCC-4E	
0.91	3,122	4,653	4,232	5,325	1,847	1,784	8,537	4,196	1,313	8,247	4,352	667	3,399	
0.08	3,455	5,318	5,038	5,623	2,263	3,307	9,690	4,886	2,235	8,557	4,687	1,137	4,028	
<i>Top-Bar</i>	1.14	1.19	1.06	1.23	1.85	1.14	1.11	1.70	1.04	1.08	1.71	1.18	1.16	

Table A.14: Eight-bar-group average pullout strength measurement—72 in. walls, Series 1 and 2

Norm. Ht of 72 in.	Average Measured Pullout Strength (lb)											
	VC-1	SCC-1A	SCC-1B	SCC-1C	SCC-1D	VC-2	SCC-2A	SCC-2B	SCC-2C	SCC-2D	SCC-2E	
0.89	8,341	7,669	7,031	6,071	4,295	4,204	4,062	3,844	6,470	2,321	4,617	
0.11	9,078	8,355	9,443	6,860	4,223	6,899	5,157	7,245	7,614	3,884	5,156	
<i>Top-Bar</i>	1.09	1.09	1.34	1.13	1.00	1.64	1.27	1.88	1.18	1.67	1.12	

Table A.15: Eight-bar-group average pullout strength measurement—72 in. walls, Series 3 and 4

Norm. Ht of 72 in.	Average Measured Pullout Strength (lb)													
	VC-3	SCC-3A	SCC-3B	SCC-3C	SCC-3D	SCC-3E	SCC-3F	VC-4	SCC-4A	SCC-4B	SCC-4C	SCC-4D	SCC-4E	
0.89	3,790	5,258	4,030	6,151	1,313	2,645	8,858	4,291	1,904	7,966	4,167	838	3,767	
0.11	4,269	6,416	4,416	6,570	2,604	3,128	10,238	6,317	2,322	8,645	4,572	1,388	4,694	
<i>Top-Bar</i>	1.22	1.10	1.07	1.98	1.18	1.16	1.13	1.22	1.09	1.10	1.66	1.25	1.47	

Table A.16: Eight-bar-group average pullout strength measurement—54 in. walls, Series 1 and 2

Norm. Ht of 54 in.	Average Measured Pullout Strength (lb)											
	VC-1	SCC-1A	SCC-1B	SCC-1C	SCC-1D	VC-2	SCC-2A	SCC-2B	SCC-2C	SCC-2D	SCC-2E	
0.85	8,749	6,157*	5,653	5,913	4,144	3,923	4,986	2,312	6,076	1,778	3,495	
0.15	8,918	7,634	8,794	6,456	4,495	6,500	5,761	6,467	7,920	3,651	5,110	
Top-Bar	1.02	1.24	1.56	1.09	1.08	1.66	1.16	2.80	1.30	2.05	1.46	

Note: \* = The recorded pullout strength was the average of four pullout specimens located at a normalized height of 0.78h (42 in.)

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Table A.17: Eight-bar-group average pullout strength measurement—54 in. walls, Series 3 and 4

Norm. Ht of 54 in.	Average Measured Pullout Strength (lb)													
	VC-3	SCC-3A	SCC-3B	SCC-3C	SCC-3D	SCC-3E	SCC-3F	VC-4	SCC-4A	SCC-4B	SCC-4C	SCC-4D	SCC-4E	
0.85	3,337	5,517	4,762	6,261	1,704	2,238	9,104	5,115	1,789	8,598	4,020	1,155	3,784	
0.15	4,321	5,649	5,027	6,776	2,596	3,050	9,715	6,104	2,467	8,868	4,812	1,617	4,455	
Top-Bar	1.02	1.06	1.08	1.52	1.36	1.07	1.29	1.38	1.03	1.20	1.40	1.18	1.19	

Table A.18: Linear correlation  $R^2$ -values between concrete stability and top-bar effect

Top-Bar Effect vs. Fresh Test	All-Mix. $R^2$	Method of Subdivision					
		NMSA		Total Agg.		½ in.-NMSA, Agg	
		½ in. NMSA	¾ in. NMSA	> 65% Agg.	< 65% Agg.	> 65% Agg.	< 65% Agg.
VSI	0.38	0.34	0.85	0.34	0.85	0.35	0.34
Seg. Index	0.12	0.22	0.41	0.22	0.41	0.21	0.29
Rapid Pen.	0.01	0.00	0.34	0.00	0.34	0.00	0.00
Sieve Fraction	0.23	0.38	0.46	0.38	0.46	0.35	0.65
Rate of Set.	0.20	0.33	0.39	0.33	0.39	0.70	0.62
Max. Set.	0.07	0.05	0.77	0.05	0.77	0.00	0.93

Table A.19: Linear correlation  $R^2$ -values between concrete stability and UPV seg. index

Top-Bar Effect vs. Fresh Test	All-Mix. $R^2$	Method of Subdivision					
		NMSA		Total Agg.		½ in. NMSA, Agg	
		½ in. NMSA	¾ in. NMSA	> 65% Agg.	< 65% Agg.	> 65% Agg.	< 65% Agg.
VSI	0.47	0.58	0.37	0.58	0.39	0.62	0.60
Seg. Index	0.16	0.22	0.64	0.22	0.64	0.19	0.35
Rapid Pen.	0.04	0.01	0.74	0.01	0.74	0.04	0.00
Sieve Fraction	0.39	0.51	0.64	0.50	0.64	0.63	0.70
Rate of Set.	0.15	0.27	0.14	0.27	0.14	0.38	0.84
Max. Set.	0.15	0.20	0.38	0.20	0.38	0.09	0.93

Table A.20: Linear correlation  $R^2$ -values between concrete stability and HVSI

Top-Bar Effect vs. Fresh Test	All-Mix. $R^2$	Method of Subdivision					
		NMSA		Total Agg.		½ in.-NMSA, Agg	
		½ in. NMSA	¾ in. NMSA	> 65% Agg.	< 65% Agg.	> 65% Agg.	< 65% Agg.
VSI	0.00	0.02	0.04	N.A.	N.A.	N.A.	N.A.
Seg. Index	0.41	0.13	0.31	N.A.	N.A.	N.A.	N.A.
Rapid Pen.	0.02	0.01	0.07	N.A.	N.A.	N.A.	N.A.
Sieve Fraction	0.51	0.08	0.03	N.A.	N.A.	N.A.	N.A.
Rate of Set.	0.13	0.00	0.18	N.A.	N.A.	N.A.	N.A.
Max. Set.	0.12	0.07	0.03	N.A.	N.A.	N.A.	N.A.

N.A. = correlation not applicable for available data

Table A.21: Linear correlation  $R^2$ -values between concrete stability and core seg. index

Top-Bar Effect vs. Fresh Test	All-Mix. $R^2$	Method of Subdivision					
		NMSA		Total Agg.		½ in.-NMSA, Agg	
		½ in. NMSA	¾ in. NMSA	> 65% Agg.	< 65% Agg.	> 65% Agg.	< 65% Agg.
VSI	0.00	0.09	0.00	N.A.	N.A.	N.A.	N.A.
Seg. Index	0.00	0.17	0.09	N.A.	N.A.	N.A.	N.A.
Rapid Pen.	0.00	0.00	0.00	N.A.	N.A.	N.A.	N.A.
Sieve Fraction	0.09	0.42	0.01	N.A.	N.A.	N.A.	N.A.
Rate of Set.	0.10	0.27	0.00	N.A.	N.A.	N.A.	N.A.
Max. Set.	0.09	0.67	0.00	N.A.	N.A.	N.A.	N.A.

N.A. = correlation not applicable for available data

## **Appendix B: Fresh Concrete Stability Test Methods**

Appendix B.1: Sieve Stability Test Method

Appendix B.2: Surface Settlement Test Method

## Appendix B.1: Sieve Stability Test Method

### 1. Scope

- 1.1. This procedure provides a method for quantitatively measuring the stability of fresh self-consolidating concrete (SCC). This test method is used to monitor the ability of the freshly mixed SCC to resist segregation, or separation of its constituent materials, during or after placement.

### 2. General

- 2.1. This test method is intended for laboratory or field use.
- 2.2. This test shall be conducted near concurrent fresh-property testing but shall be positioned to avoid disturbance from vibration or impact during testing.
- 2.3. The use of at least one apparatus to obtain the result is required. The simultaneous use of two apparatuses to obtain an average result is recommended. When using two apparatuses to obtain an average result, filling of the apparatuses shall be conducted consecutively within a single 60-second period.
- 2.4. The Contractor shall supply all equipment necessary to execute this procedure. The equipment shall be approved by the Materials and Tests Engineer prior to use.

### 3. Equipment

- 3.1. 12 in. {305 mm} diameter No. 4 sieve, at least 2 in. {50 mm} tall from upper surface of wire mesh to upper lip of sieve.
- 3.2. Sieve pan, from which the sieve can be easily removed by lifting vertically.
- 3.3. Scale, having a flat platform to firmly support the sieve and pan, a capacity of at least 22 lb {10 kg}, and calibrated increments of  $\leq 0.02$  lb {10 g}.
- 3.4. Cylindrical sample container, either plastic or metal, with an internal diameter of 12 in.  $\pm 3/8$  in. {300 mm  $\pm$  10 mm} and a capacity of 3 gal.  $\pm 0.1$  gal. {11.4 L  $\pm$  0.4 L}. The sample container shall be clearly marked to indicate a volume of 2.6 gal. {10 L} for use when obtaining the concrete sample. An example of this marking is illustrated in Figure B.2.
- 3.5. Pouring apparatus, which shall be used to support the sample container and ensure a constant pouring height of 20 in.  $\pm 2$  in. {510 mm  $\pm$  51 mm}. Example pouring apparatuses are shown in Figure B.1 and Figure B.2.

#### 4. Testing Procedure

- 4.1. Weigh the pan while empty, and record the mass (pan). Then add the sieve, weigh the empty sieve and pan, and record the mass (sieve + pan).
- 4.2. Place 2.6 gal.  $\pm$  0.1 gal. {10 L  $\pm$  0.5 L} of concrete in the sample container and allow it to stand in a level position undisturbed for 80 s  $\pm$  5 s. While the sieve and pan are still on the scale, and after the 80 s standing period, pour 10.5 lb  $\pm$  0.5 lb {4.8 kg  $\pm$  0.2 kg}, of concrete (including bleed water) onto the center region of the sieve from a height of 20 in.  $\pm$  2 in. {510 mm  $\pm$  51 mm} above the sieve mesh. Record the total weight on the scale (sieve + pan + SCC total).
  - 4.2.1. The 20 in. {510 mm} height is measured from the lowest point of the rim of the cylindrical sample container to the upper surface of the sieve mesh, as illustrated in Figure B.1.
  - 4.2.2. An example of a pouring apparatus is illustrated in Figure B.1. The hinge for the pouring apparatus is positioned such that the lowest point of the rim of the cylindrical sample container remains at a constant height as the concrete is poured. Note: To maintain a constant pouring height of 20 in.  $\pm$  2 in. {510 mm  $\pm$  51 mm} above the sieve mesh, the distance from the ground to the hinge will depend on the combined height of the scale, pan, and sieve utilized, as shown in Figure B.1.
  - 4.2.3. A scale with instantaneous reading display is recommended for use when pouring 10.5 lb  $\pm$  0.5 lb {4.8 kg  $\pm$  0.2 kg} of concrete (including bleed water) onto the center of the sieve.
- 4.3. Allow the concrete to rest on the sieve for 120 s  $\pm$  5 s, and then remove the sieve vertically from the pan while avoiding any agitation. Record the mass of the pan and concrete that has passed into it from the sieve (pan + SCC sieved fraction).

#### 5. Result

- 5.1. The sieved fraction (S) is calculated by dividing the weight of SCC passing into the pan by the total weight of SCC tested. It is calculated according to the following equation:

$$S = \frac{[(pan + SCC \text{ sieved fraction}) - (pan)]}{[(sieve + pan + SCC \text{ total}) - (sieve + pan)]} \times 100$$

- 5.2. Record S to the nearest half of a percent.

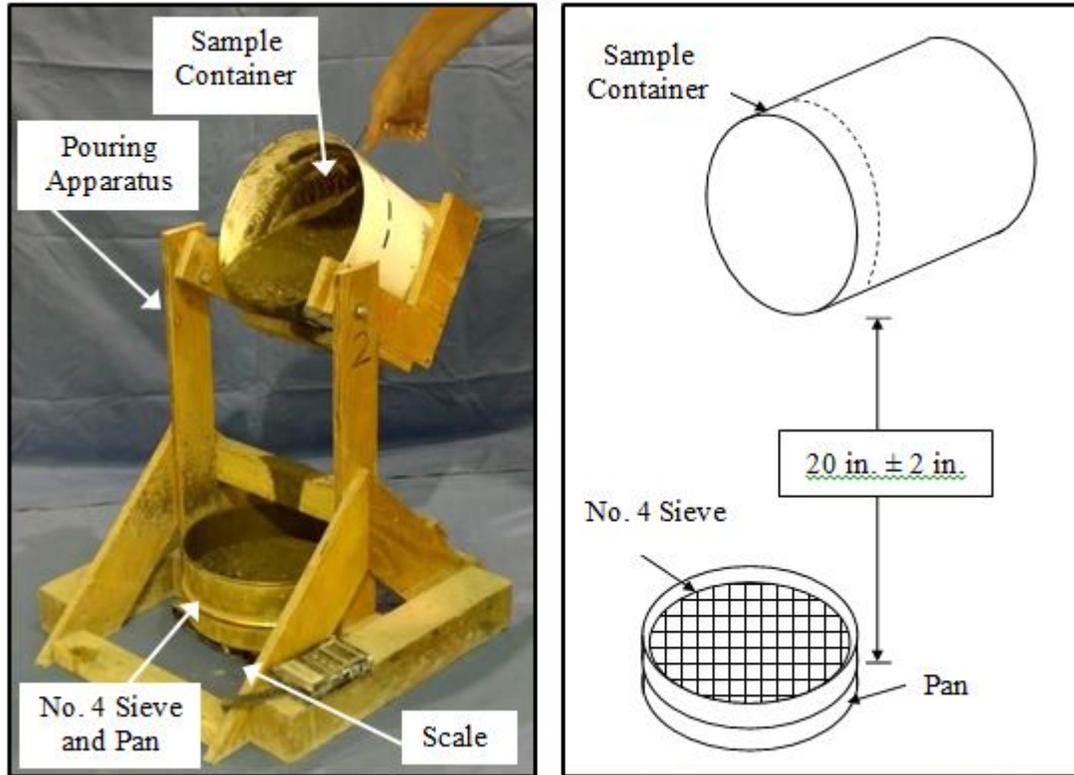


Figure B.1: Sieve stability test (*left*) equipment and (*right*) pouring height of sample

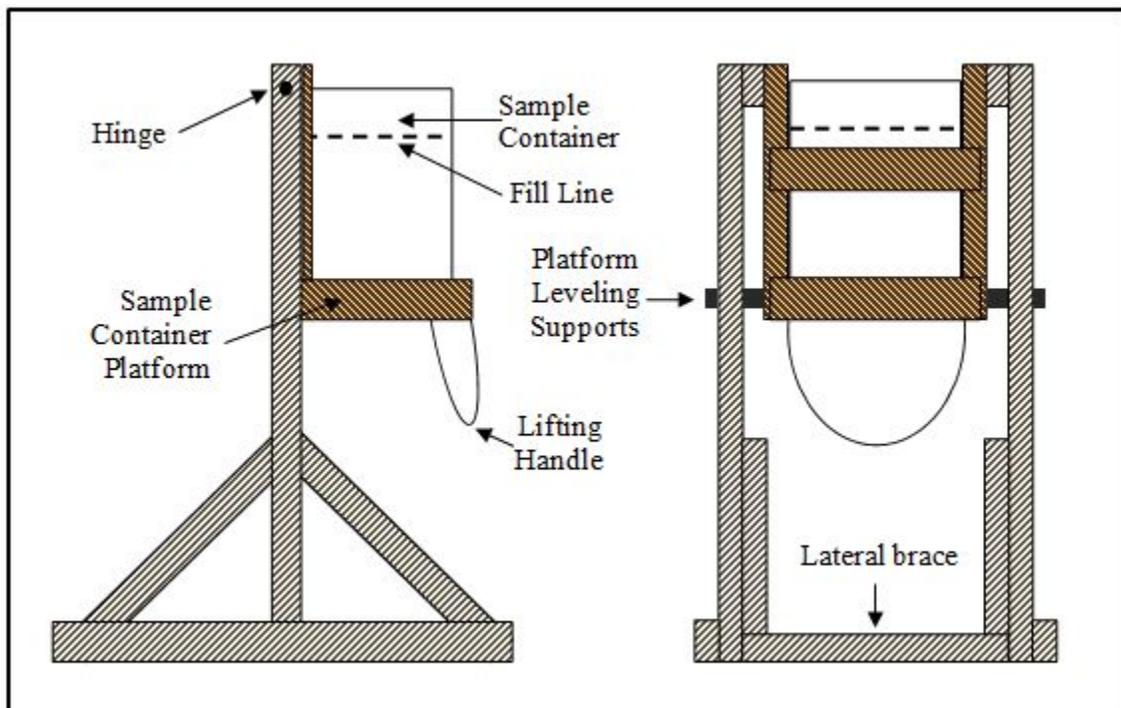


Figure B.2: Pouring apparatus (side and front elevations)

## Appendix B.2: Surface Settlement Test Method

### 1. Scope

- 1.1. This procedure provides a method for quantitatively measuring the stability of fresh self-consolidating concrete (SCC). This test method is used to monitor the ability of the freshly mixed SCC to resist segregation, or separation of its constituent materials, during or after placement.

### 2. General

- 2.1. This test method is intended for laboratory use only.
- 2.2. This test shall be conducted near concurrent fresh-property testing but shall be positioned to avoid disturbance from vibration or impact during testing.
- 2.3. The use of at least one apparatus to obtain the result is required. The simultaneous use of two apparatuses to obtain an average result is recommended. When using two apparatuses to obtain an average result, filling of the apparatuses shall be conducted consecutively within a single 4-minute period.
- 2.4. The Contractor shall supply all equipment necessary to execute this procedure. The equipment shall be approved by the Materials and Tests Engineer prior to use.

### 3. Equipment

- 3.1. Column mold, as shown in Figure B.3. Made of Schedule 40 PVC, the column shall be 8 in. {200 mm} in diameter and 26 in. {660 mm} tall and shall be securely attached to the rigid, nonabsorbent base plate.
- 3.2. Dial indicator, with a 0.0004 in. {0.01 mm} precision and minimum travel length of 2 in. {50 mm}, or linear variable differential transformer (LVDT), with a minimum travel length of 2 inches {50 mm}.
- 3.3. Acrylic plate, as shown in Figure B.3. The plate shall be 6 in. {150 mm} in diameter and 0.15 in. {4 mm} in thickness. It shall have four ½ in. {13 mm} holes and four 1.4 in. {35 mm} screws that penetrate downward into the sample. The configuration of holes and screws is shown in the figure.
- 3.4. Sample container, of sufficient capacity to allow sufficient remixing of the entire sample and rapid filling of the column mold apparatus.

### 4. Testing Procedure

- 4.1. Fill the column mold with concrete to a level of 19.7 in. {500 mm} within 2 minutes.
- 4.2. Install the acrylic plate, with screws facing downward into the concrete, directly over the center of the column mold. Then, install the dial indicator or LVDT over the center of the acrylic plate.

- 4.3. Record an initial reading of the dial indicator or LVDT 60 sec. after its installation. Then, record readings at 5 min. intervals through the first 15 minutes.
- 4.4. Optionally (not recommended), continue to record readings every 5 minutes until total elapsed time since initial reading equals 30 minutes, then record readings every 30 min. until concrete reaches initial set.

## 5. Result

- 5.1. The rate of settlement is calculated using the readings recorded at 10 min. ( $S_{10}$ ) and 15 min. ( $S_{15}$ ) after the initial reading, using the equation shown below:

$$\text{rate of settlement (\% / hr)} = \frac{\left[ \frac{(S_{15} - S_{10})}{19.7 \text{ in.}} \right]}{5 \text{ min}} \times \frac{60 \text{ min}}{1 \text{ hr}} \times 100$$

- 5.2. The maximum settlement ( $S_{max}$ ) is calculated using the initial ( $S_{initial}$ ) and final ( $S_{final}$ ) readings, using the equation shown below:

$$S_{max} (\%) = \frac{(S_{final} - S_{initial})}{19.7 \text{ in}} \times 100$$

- 5.3. In the above equations, uniformity of notation is required—if surface settlement readings are measured in millimeters, then the difference between measurements must be divided by 500 mm instead of 19.7 inches.
- 5.4. Record the rate of settlement per hour as a percentage of the sample height. Optionally (not recommended), record the maximum settlement as a percentage of the sample height.

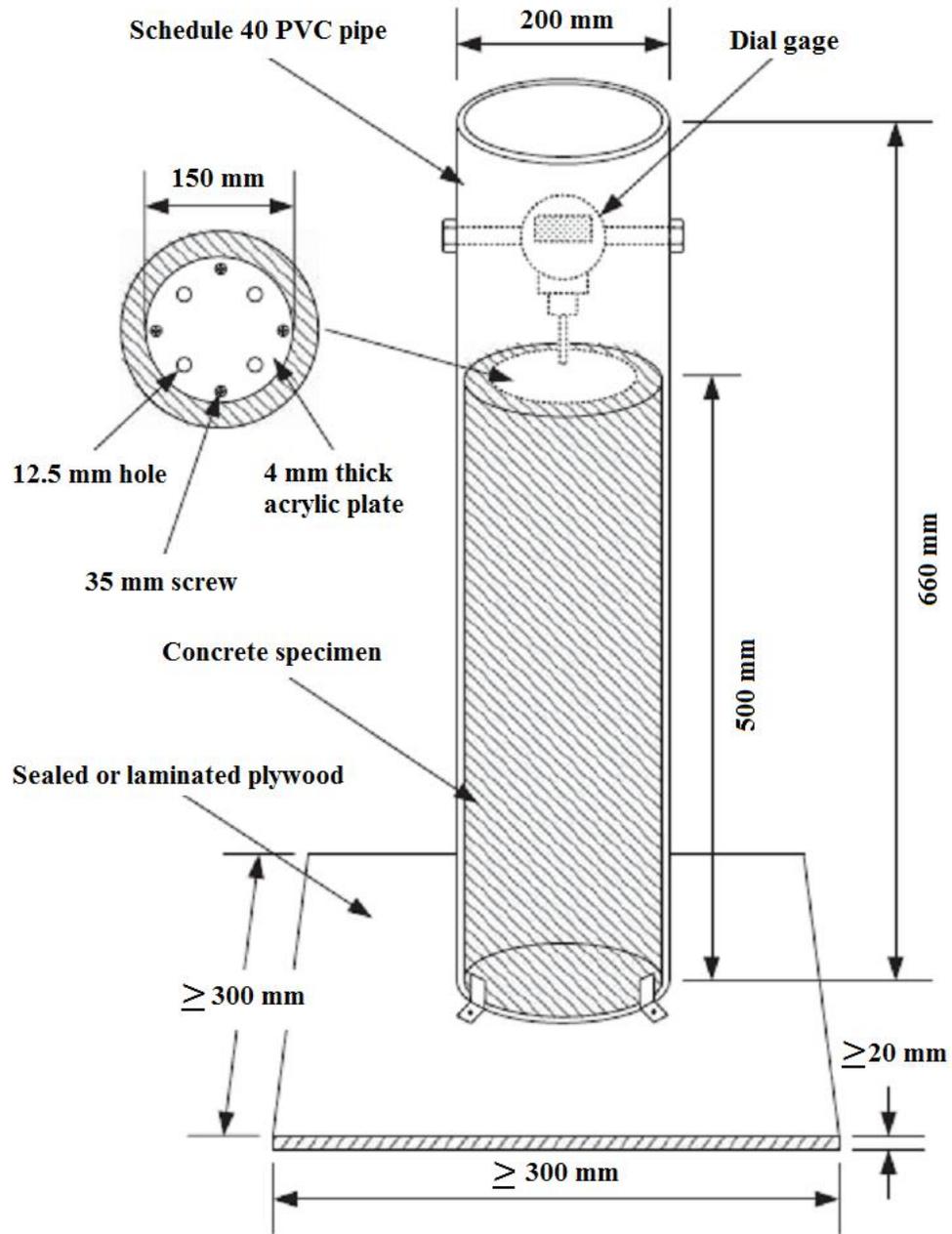


Figure B.3: Surface settlement test apparatus

## **Appendix C: Field-Phase Concrete Material Properties**

Table C.1–Table C.2: Fresh Concrete Material Properties

Table C.3–Table C.5: Hardened Concrete Material Properties

Table C.6–Table C.9: Comparisons of Measured and Predicted Properties

Table C.1: Batch-specific material properties—SCC production groups

Mix ID	Batch #	Slump Flow (in.)	Total Air (%)	T <sub>50</sub> (s.)	28-Day $f_c$ (psi)	COV, Std. Dev.
SCC-A	1	28.0	3.3	N.A.	10,490	1.2%, 128 psi
	2	27.5	4.4	N.A.	10,240	
	3	26.0	4.5	N.A.	10,410	
SCC-B	1	27.0	2.6	7.5	10,600	2.6%, 273 psi
	2	26.0	3.0	6.0	10,800	
	3	27.0	4.6	8.0	10,260	
SCC-C	1	26.0	5.5	7.0	-	N.A.
	2	26.0	4.2	8.0	10,180	
SCC-D	1	25.0	3.7	10.0	10,070	3.3%, 348 psi
	2	23.0	4.5	10.0	10,490	
	3	24.0	3.8	11.0	10,760	
SCC-E	1	26.0	3.3	8.0	11,380	3.6%, 391 psi
	2	26.0	4.3	9.0	10,770	
	3	23.0	4.8	14.0	10,650	
SCC-F	1	22.5	4.2	9.0	11,350	4.3%, 480 psi
	2	24.0	3.7	10.0	10,550	
	3	22.0	3.8	15.0	11,410	
SCC-G	1	26.0	2.2	N.A.	10,190	0.8%, 85 psi
	2	28.0	3.8	N.A.	10,070	

Notes: N.A. = not available; - = not tested

Table C.2: Batch-specific material properties—VC production groups

Mix ID	Batch #	Slump (in.)	Total Air (%)	28-Day $f_c$ (psi)	COV, Std. Dev.
VC-A	1	9.0	3.9	9,790	4.3%, 446 psi
	2	10.0	4.0	10,590	
	3	8.75	4.0	10,530	
VC-B	1	8.5	4.2	9,040	4.2%, 399 psi
	2	9.0	4.5	9,670	
	3	8.75	4.4	9,780	
VC-C	1	9.0	4.5	-	N.A.
	2	8.75	3.9	10,360	
VC-D	1	8.5	4.0	10,380	2.5%, 267 psi
	2	9.0	4.3	10,770	
	3	8.75	3.5	10,890	
VC-E	1	9.0	3.1	10,320	3.3%, 357 psi
	2	9.0	2.5	10,850	
	3	9.25	3.1	11,000	
VC-F	1	8.5	3.6	10,480	5.3%, 585 psi
	2	9.0	3.1	11,050	
	3	9.0	3.5	11,650	
VC-G	1	9.0	2.2	11,250	4.8%, 523 psi
	2	8.25	3.2	10,510	

Notes: N.A. = not available; - = not tested

Table C.3: Strength and modulus of elasticity of field-cured cylinders at one year

Mix ID	Age at Transfer	Compressive Strength (psi)		Splitting Tensile Strength (psi)		Modulus of Elasticity (ksi)	
		28-Day $f_c$	1-Year $f_c$	28-Day $f_{ct}$	1-Year $f_{ct}$	28-Day $E_c$	1-Year $E_c$
SCC-A	24	10,240	-	710	-	6,350	-
SCC-B	24	10,800	-	900	-	6,600	-
SCC-C	23	10,180	10,910	690	740	6,150	6,300
SCC-D	23	10,490	-	760	-	6,300	-
SCC-E	20	10,770	11,670	790	760	6,350	6,500
SCC-F	23	10,550	-	820	-	6,350	-
SCC-G	18	10,070	-	720	-	6,000	-
<b>SCC Avg.</b>	<b>22</b>	<b>10,440</b>	<b>11,290</b>	<b>770</b>	<b>750</b>	<b>6,300</b>	<b>6,400</b>
VC-A	25	10,590	-	800	-	7,350	-
VC-B	23	9,670	12,100	740	910	6,850	6,750
VC-C	24	10,360	-	860	-	6,850	-
VC-D	23	10,770	-	830	-	7,000	-
VC-E	23	10,850	-	690	-	7,300	-
VC-F	20	11,050	11,790	880	830	7,650	7,450
VC-G	20	10,510	-	840	-	6,850	-
<b>VC Avg.</b>	<b>22.5</b>	<b>10,540</b>	<b>11,950</b>	<b>810</b>	<b>870</b>	<b>7,100</b>	<b>7,100</b>

Notes: N.A. = not available; - = not tested

Table C.4: Strength and modulus of elasticity of laboratory-tested cylinders

Mix ID	Time of Load	Measured $f_c$ (psi)		$E_c$ (ksi)	
		Field	Lab	Field (Measured)	Lab (Calculated)
SCC-B	Transf.	8,680	7,230	6,350	5,800
	26 hr	-	8,930	-	6,450
SCC-C	Transf.	7,940	7,880	6,050	6,050
	26 hr	-	7,490	-	5,900
	1 yr	10,910	*	6,300	*
SCC-E	Transf.	7,860	7,060	5,850	5,550
	26 hr	-	7,680	-	5,800
	1 yr	11,670	*	6,500	*
VC-B	Transf.	7,860	7,110	6,650	6,350
	26 hr	-	8,120	-	6,750
	1 yr	12,100	*	6,750	*
VC-F	Transf.	8,320	7,980	6,800	6,650
	26 hr	-	8,880	-	7,050
	1 yr	11,790	*	7,450	*

Note: \* = field-measured results used during time-dependent deformation testing

Table C.5: Early-age strength and modulus of elasticity of deck concrete

Component	Compressive Strength (psi)		Modulus of Elasticity (ksi)	
	3-Day $f_c$	7-Day $f_c$	3-Day $E_c$	7-Day $E_c$
Span 1 Deck	4370	4750	5300	5800
Span 2 Deck	4650	5280	5300	6100
Span 3 Deck	4,320	4,900	5400	5600
Span 4 Deck	4370	4720	5300	5900

Table C.6: Predictability of splitting tensile strength prediction equations—Early ages

Mix ID	At Transfer			At 28 Days		
	Measured ( $\sqrt{f_c}$ )	Measured/ Eq. 3-1	Measured/ Eq. 3-2	Measured ( $\sqrt{f_c}$ )	Measured/ Eq. 3-1	Measured/ Eq. 3-2
SCC-A	5.4	0.80	0.73	7.0	1.05	0.95
SCC-B	7.4	1.11	1.00	8.7	1.29	1.17
SCC-C	6.5	0.97	0.88	6.8	1.02	0.92
SCC-D	7.1	1.06	0.96	7.4	1.11	1.00
SCC-E	7.6	1.13	1.02	7.6	1.14	1.03
SCC-F	7.2	1.07	0.97	8.0	1.19	1.08
SCC-G	7.3	1.09	0.99	7.2	1.07	0.97
<b>SCC Avg.</b>	<i>6.9</i>	<i>1.03</i>	<i>0.94</i>	<i>7.5</i>	<i>1.12</i>	<i>1.02</i>
VC-A	6.3	0.94	0.85	7.8	1.16	1.05
VC-B	7.8	1.16	1.05	7.5	1.12	1.02
VC-C	6.9	1.04	0.94	8.4	1.26	1.14
VC-D	6.4	0.95	0.86	8.0	1.19	1.08
VC-E	7.0	1.05	0.95	6.6	0.99	0.90
VC-F	7.1	1.06	0.96	8.4	1.25	1.13
VC-G	7.3	1.09	0.98	8.2	1.22	1.11
<b>VC Avg.</b>	<i>7.0</i>	<i>1.04</i>	<i>0.94</i>	<i>7.8</i>	<i>1.17</i>	<i>1.06</i>

Table C.7: Predictability of splitting tensile strength prediction equations—One year

Mix ID	At 1 Year		
	Measured ( $\sqrt{f_c}$ )	Measured/ Eq. 3-1	Measured/ Eq. 3-2
SCC-C	7.1	1.06	0.96
SCC-E	7.0	1.04	0.95
<b>SCC Avg.</b>	<i>7.1</i>	<i>1.05</i>	<i>0.95</i>
VC-B	8.3	1.24	1.12
VC-F	7.6	1.13	1.03
<b>VC Avg.</b>	<i>8.0</i>	<i>1.19</i>	<i>1.07</i>

Table C.8: Predictability of modulus of elasticity prediction equations—Early ages

Mix ID	At Transfer, Measured / Eq.			At 28 Days, Measured / Eq.		
	Eq. 3-3	Eq. 3-4	Eq. 3-5	Eq. 3-3	Eq. 3-4	Eq. 3-5
SCC-A	1.07	1.15	1.29	1.02	1.10	1.26
SCC-B	1.11	1.20	1.34	1.03	1.11	1.28
SCC-C	1.13	1.19	1.33	1.02	1.07	1.22
SCC-D	1.04	1.12	1.25	1.00	1.08	1.24
SCC-E	1.08	1.16	1.29	1.00	1.07	1.23
SCC-F	1.05	1.13	1.26	1.01	1.08	1.24
SCC-G	1.11	1.19	1.30	0.97	1.05	1.20
<b>SCC Avg.</b>	<i>1.08</i>	<i>1.16</i>	<i>1.30</i>	<i>1.01</i>	<i>1.08</i>	<i>1.24</i>
VC-A	1.20	1.33	1.49	1.14	1.25	1.44
VC-B	1.20	1.32	1.46	1.11	1.22	1.39
VC-C	1.10	1.21	1.36	1.07	1.18	1.35
VC-D	1.17	1.29	1.44	1.07	1.18	1.36
VC-E	1.17	1.32	1.49	1.09	1.23	1.41
VC-F	1.17	1.31	1.46	1.14	1.28	1.47
VC-G	1.15	1.31	1.45	1.03	1.17	1.34
<b>VC Avg.</b>	<i>1.17</i>	<i>1.30</i>	<i>1.45</i>	<i>1.09</i>	<i>1.22</i>	<i>1.39</i>

Table C.9: Predictability of modulus of elasticity prediction equations—One year

Mix ID	At 1 Year, Measured / Eq.		
	Eq. 3-3	Eq. 3-4	Eq. 3-5
SCC-C	1.01	1.06	1.22
SCC-E	0.98	1.06	1.22
<b>SCC Avg.</b>	<i>0.99</i>	<i>1.06</i>	<i>1.22</i>
VC-B	0.98	1.08	1.25
VC-F	1.08	1.20	1.39
<b>VC Avg.</b>	<i>1.03</i>	<i>1.14</i>	<i>1.32</i>

## Appendix D: Transfer Lengths

Table D.1: Transfer-Zone Measured Concrete Strain and Calculated  $f_{pt}$

Table D.2–Table D.6: Alternatively Normalized Transfer Lengths

Table D.7–Table D.8: Comparison of Transfer Lengths by Bed Orientation

Table D.1: Transfer-zone measured change in concrete strain and calculated  $f_{pt}$

Girder Type	End Transfer Zones		Debonded Transfer Zone	
	Strain ( $\mu\epsilon$ )	$f_{pt}$ (ksi)	Strain ( $\mu\epsilon$ )	$f_{pt}$ (ksi)
SCC BT-54	365	189.6	340	190.3
SCC BT-72	415	188.2	445	187.3
VC BT-54	340	190.3	315	191.0
VC BT-72	355	189.9	380	189.2

Table D.2: Coefficients of determination alternatively normalized by  $E_{ci}$

Girder ID	End Transfer Zones			Debonded Transfer Zone		
	$l_t$ (in.)	$\alpha'$ Average $\alpha'$ ( $10^{-3}$ ksi/ksi)		$l_t$ (in.)	$\alpha'$ Average $\alpha'$ ( $10^{-3}$ ksi/ksi)	
54-2S	16.25	1.06		12.0	0.90	
54-4S	18.0	1.21	1.04	13.5	0.78	0.84
54-7S	13.25	0.85		-	-	
72-2S	17.25	1.03	0.99	14.0	0.79	0.81
72-4S	16.75	1.00	0.94	12.0	0.72	0.81
72-7S	13.75	0.80		13.5	0.84	
54-2V	12.5	0.93		10.5	0.78	
54-4V	13.25	0.93	0.94	12.0	0.84	0.78
54-7V	13.75	0.97		-	-	
72-2V	13.0	0.92	0.94	11.0	0.79	0.79
72-4V	12.75	0.87	0.94	9.5	0.65	0.77
72-7V	15.0	1.01		13.0	0.88	

Table D.3: Coefficients of determination alternatively normalized by  $f_{ct}$

Girder ID	End Transfer Zones			Debonded Transfer Zone		
	$l_t$ (in.)	$\alpha'$ Average $\alpha'$ ( $10^2$ ksi/ksi)		$l_t$ (in.)	$\alpha'$ Average $\alpha'$ ( $10^2$ ksi/ksi)	
54-2S	16.25	0.87		12.0	0.64	
54-4S	18.0	1.31	1.00	13.5	0.98	0.81
54-7S	13.25	0.81		-	-	
72-2S	17.25	1.18	1.03	14.0	0.96	0.85
72-4S	16.75	1.11	1.06	12.0	0.80	0.88
72-7S	13.75	0.90		13.5	0.88	
54-2V	12.5	0.78		10.5	0.65	
54-4V	13.25	0.96	0.90	12.0	0.87	0.76
54-7V	13.75	0.97		-	-	
72-2V	13.0	0.87	0.88	11.0	0.74	0.73
72-4V	12.75	0.84	0.86	9.5	0.63	0.71
72-7V	15.0	0.88		13.0	0.76	

Table D.4: Alternatively normalized transfer lengths in AL concrete—Swords 2005

Material & ID	$f_{pt}$ (ksi)	$l_t$ (in.)	$E_c$ (ksi)	$\alpha'$ ( $10^{-3}$ ksi/ksi)
SCC	7E-2-W	178	5,150	1.69
	7F-2-E			1.75
	7bE-2-W			1.46
	7bF-2-E	187	5,600	1.94
	9E-2-W			1.78
	9F-2-E	178	4,800	1.85
	13E-2-W			2.02
	13F-2-E			2.11
	15E-2-W			2.19
	15F-2-E	184	57.6	5,050
VC	0E-2-W	180	5,200	1.79
	0F-2-E			1.82

Table D.5: Alternatively normalized transfer lengths in AL concrete—Levy 2007

<b>Material &amp; ID</b>		$f_{pt}$ (ksi)	$l_t$ (in.)	$E_c$ (ksi)	$\alpha'$ ( $10^{-3}$ ksi/ksi)
<b>SCC</b>	<b>SCC-MA-A</b>	189	25.5	5,000	1.30
	<b>SCC-MA-B</b>	184	28.5		1.49
	<b>SCC-MA-C</b>	186	26.0		1.34
	<b>SCC-MA-D</b>	189	26.0		1.32
	<b>SCC-MS-A</b>	200	31.0	4,950	1.48
	<b>SCC-MS-B</b>	196	44		2.14
	<b>SCC-MS-C</b>	195	44.5		2.17
	<b>SCC-MS-D</b>	199	40.0		1.91
	<b>SCC-HS-A</b>	201	20.5	6,050	1.19
	<b>SCC-HS-B</b>	200	19.0		1.11
	<b>SCC-HS-C</b>	201	22.0		1.27
	<b>SCC-HS-D</b>	200	25.5		1.48
<b>VC</b>	<b>STD-M-A</b>	197	32.0	5,000	1.56
	<b>STD-M-B</b>	190	26.5		1.34
	<b>STD-M-C</b>	197	24.0		1.21
	<b>STD-M-D</b>	190	32.5		1.59

Table D.6: Alternatively normalized transfer lengths in AL concrete—Boehm et al. 2010

Material & ID		$f_{pt}$ (ksi)	$l_t$ (in.)	$E_c$ (ksi)	$\alpha'$ ( $10^{-3}$ ksi/ksi)
SCC	SCC-MS-1E	187	19.0	5,200	1.02
	SCC-MS-1W	187	20.0		1.07
	SCC-MS-2E	187	21.0	4,950	1.07
	SCC-MS-2W	188	21.5		1.09
	SCC-HS-1E	195	14.5	6,750	0.97
	SCC-HS-1W		17		1.13
	SCC-HS-2E		16.5	7,150	1.16
	SCC-HS-2W		18.5		1.30
VC	STD-M-1E	191	25	6,050	1.52
	STD-M-1W	193	21.5		1.30
	STD-M-2E	192	21	5,550	1.17
	STD-M-2W	192	21.5		1.20

Table D.7: Comparison of exterior and interior transfer zones—Fully bonded SCC

SCC Transfer Zone	$\alpha_{SCC}$	Average $\alpha_{SCC}$	Exterior /Interior
54-2S-1-E	0.49	0.54	1.32
54-4S-1-E	0.64		
54-7S-1-E	0.49		
72-4S-1-E	0.57		
72-7S-1-E	0.54		
72-2S-2-E	0.51		
54-2S-2-I	0.54	0.41	
54-4S-2-I	0.48		
54-7S-2-I	0.30		
72-4S-2-I	0.39		
72-7S-2-I	0.26		
72-2S-1-I	0.50		

Table D.8: Comparison of exterior and interior transfer zones—Fully bonded VC

<b>VC Transfer Zone</b>	<b><math>\alpha_{VC}</math></b>	<b>Average <math>\alpha_{VC}</math></b>	<b>Exterior /Interior</b>
<b>54-2V-1-E</b>	0.44	0.45	1.28
<b>54-4V-1-E</b>	0.43		
<b>72-4V-1-E</b>	0.41		
<b>72-7V-1-E</b>	0.44		
<b>54-7V-2-E</b>	0.50		
<b>72-2V-2-E</b>	0.48		
<b>54-2V-2-I</b>	0.34	0.35	
<b>54-4V-2-I</b>	0.35		
<b>72-4V-2-I</b>	0.33		
<b>72-7V-2-I</b>	0.44		
<b>54-7V-1-I</b>	0.34		
<b>72-2V-1-I</b>	0.30		

## **Appendix E: BP Coefficient of Determination ( $\omega_{BP}$ )**

The BP Coefficient of Determination ( $\omega_{BP}$ ) was developed by Bazant and Panula (1978) to indicate the error between measured time-dependent deformation data and values predicted at each time step. Data points are grouped by logarithmic decade: 0–9.9 days, 10–99.9 days, etc. Weights are determined based on the number of decades and number of points within each decade. Errors in both an individual dataset and all comparable datasets can then be calculated using the following equations:

$$\varpi_{ij} = \frac{n}{n_d n_k}$$

$$\bar{O}_j = \frac{1}{n_w} \sum_{i=1}^n (\varpi_{ij} O_{ij})$$

$$\varpi_j = \frac{1}{\bar{O}_j} \sqrt{\frac{1}{n-1} \sum_{i=1}^n \varpi_{ij} (C_{ij} - O_{ij})^2}$$

$$\omega_{BP} = \sqrt{\frac{1}{N} \sum_{j=1}^N \varpi_j^2}$$

Where

$\omega_{ij}$  is the weight assigned to the  $i$ -th data point of dataset  $j$ ,

$n$  is the number of data points in dataset  $j$ ,

$n_d$  is the number of logarithmic-scale decades spanned by the measured data in dataset  $j$ ,

$n_k$  is the number of data points in the  $k$ -th logarithmic decade,

$\bar{O}_j$  is the weighted average of the measured values of the time-dependent property for the  $j$ -th dataset,

$n_w$  is the sum of the weights of all data points in an entire dataset,

$O_{ij}$  is the measured value of the time-dependent property for the  $i$ -th data point in dataset  $j$ ,

$\omega_j$  is the coefficient of variation for dataset  $j$ ,

$C_{ij}$  is the predicted value of the time-dependent property for the  $i$ -th data point in dataset  $j$ ,

$\omega_{BP}$  is the overall coefficient of variation, and

$N$  is the number of measured datasets.

## **Appendix F: Time-Dependent Properties of Small-Scale Specimens**

Table F.1–Table F.14: Measured Time-Dependent Strain and Compliance

Figure F.1–Figure F.11: Predicted Time-Dependent Compliance

Figure F.12–Figure F.20: Predicted Time-Dependent Shrinkage

Table F.15–Table F.17: Summaries of  $\omega_j$  and  $A_{AL}$  for Compliance

Table F.18–Table F.21: Summaries of  $\omega_j$  and  $A_{AL}$  for Shrinkage

Table F.22—Table F.24: Summaries of Adjusted Compliance in Nonstandard Cylinders

Table F.1: Measured compliance, shrinkage, and total strain—SCC-B-1\*

Age of Load, <i>t</i> (days)	Strain ( $\mu\epsilon$ ): Positive Strains = Contraction			Compliance, <i>J</i> ( $\mu\epsilon/\text{psi}$ )
	Total	Shrinkage	Due to Load	
0.00	-536	-0	-536	0.18
0.19	-612	-28	-584	0.20
1.0	-705	-64	-640	0.22
2.3	-762	-39	-723	0.25
3.3	-769	-40	-729	0.25
4.4	-803	-60	-743	0.26
5.1	-832	-82	-750	0.26
6.2	-859	-88	-771	0.27
12.1	-955	-127	-828	0.29
20	-1,013	-150	-862	0.30
21	-1,028	-136	-892	0.31
28	-1,073	-162	-910	0.31
<b>59</b>	<b>-1,185</b>	<b>-211</b>	<b>-974</b>	<b>0.34</b>
86	-1,255	-242	-1,012	0.35
96	-1,263	-245	-1,018	0.35
120	-1,299	-254	-1,045	0.36
120	-1,310	-254	-1,056	0.36
150	-1,355	-279	-1,076	0.37
180	-1,357	-276	-1,081	0.37
210	-1,375	-283	-1,092	0.38
240	-1,394	-289	-1,105	0.38
270	-1,408	-294	-1,114	0.38
300	-1,438	-300	-1,137	0.39
330	-1,446	-314	-1,132	0.39
363	-1,467	-329	-1,138	0.39
450	-1,492	-343	-1,149	0.40
615	-1,515	-341	-1,175	0.40
630	-1,527	-336	-1,191	0.41
721	-1,548	-356	-1,193	0.41
811	-1,589	-371	-1,218	0.42
928	-1,611	-368	-1,243	0.43
1013	-1,628	-364	-1,264	0.44
<b>1083</b>	<b>-1,642</b>	<b>-377</b>	<b>-1,265</b>	<b>0.44</b>

\* Note: Data not included in any analyses because of unclear maturity

Table F.2: Measured compliance, shrinkage, and total strain—SCC-B-2

Age of Load, <i>t</i> (days)	Strain ( $\mu\epsilon$ ): Positive Strains = Contraction			Compliance, <i>J</i> ( $\mu\epsilon/\text{psi}$ )
	Total	Shrinkage	Due to Load	
0.00	-717	-2	-719	0.20
0.13	-775	-14	-760	0.21
0.9	-876	-36	-840	0.23
2.2	-929	-5	-923	0.26
3.2	-941	-13	-928	0.26
4.3	-969	-20	-950	0.26
5.1	-1008	-28	-980	0.27
6.1	-1031	-46	-984	0.27
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12.0	-1169	-92	-1077	0.30
20	-1251	-119	-1132	0.31
21	-1250	-117	-1133	0.31
28	-1311	-148	-1163	0.32
<b>59</b>	<b>-1472</b>	<b>-207</b>	<b>-1265</b>	<b>0.35</b>
86	-1555	-244	-1311	0.36
96	-1572	-247	-1325	0.37
-----				
120	-1615	-252	-1364	0.38
120	-1622	-252	-1370	0.38
150	-1677	-279	-1398	0.39
180	-1685	-276	-1409	0.39
210	-1705	-274	-1431	0.40
240	-1733	-286	-1447	0.40
270	-1752	-285	-1467	0.41
300	-1774	-290	-1485	0.41
330	-1786	-304	-1482	0.41
363	-1809	-319	-1490	0.41
450	-1850	-329	-1521	0.42
615	-1876	-321	-1555	0.43
630	-1892	-339	-1554	0.43
720	-1910	-349	-1560	0.43
810	-1960	-373	-1587	0.44
927	-1994	-373	-1621	0.45
1012	-2018	-376	-1642	0.46
<b>1082</b>	<b>-2026</b>	<b>-377</b>	<b>-1649</b>	<b>0.46</b>

Table F.3: Measured compliance, shrinkage, and total strain—SCC-C-1

Age of Load, <i>t</i> (days)	Strain ( $\mu\epsilon$ ): Positive Strains = Contraction			Compliance, <i>J</i> ( $\mu\epsilon/\text{psi}$ )
	Total	Shrinkage	Due to Load	
0.00	-658	-16	-642	0.21
0.14	-767	-62	-705	0.23
1.2	-865	-106	-760	0.24
2.3	-924	-109	-815	0.26
3.1	-966	-119	-847	0.27
4.3	-990	-139	-851	0.27
5.2	-1017	-129	-888	0.29
6.2	-1031	-143	-889	0.29
7.0	-1081	-168	-913	0.29
14	-1183	-185	-997	0.32
21	-1267	-228	-1039	0.33
28	-1308	-239	-1069	0.34
<b>58</b>	-1487	-339	-1148	<b>0.37</b>
93	-1604	-375	-1229	0.39
120	-1625	-376	-1249	0.40
120	-1658	-376	-1282	0.41
150	-1715	-400	-1315	0.42
180	-1744	-410	-1334	0.43
210	-1755	-408	-1347	0.43
240	-1782	-401	-1382	0.44
270	-1799	-410	-1389	0.45
307	-1824	-424	-1399	0.45
331	-1848	-439	-1409	0.45
363	-1866	-447	-1418	0.46
450	-1893	-456	-1437	0.46
608	-1912	-454	-1458	0.47
638	-1942	-477	-1465	0.47
720	-1978	-487	-1490	0.48
804	-2025	-521	-1504	0.48
921	-2057	-531	-1525	0.49
1006	-2059	-510	-1549	0.50
<b>1080</b>	-2077	-522	-1554	<b>0.50</b>

Table F.4: Measured compliance, shrinkage, and total strain—SCC-C-2

Age of Load, <i>t</i> (days)	Strain ( $\mu\epsilon$ ): Positive Strains = Contraction			Compliance, <i>J</i> ( $\mu\epsilon/\text{psi}$ )
	Total	Shrinkage	Due to Load	
0.00	-581	-17	-564	0.19
0.17	-663	-27	-637	0.21
1.6	-726	-40	-686	0.23
2.7	-777	-50	-728	0.24
3.5	-823	-68	-755	0.25
4.7	-855	-72	-783	0.26
6.1	-885	-73	-811	0.27
7.1	-892	-83	-809	0.27
7.9	-938	-103	-835	0.27
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15	-1032	-122	-910	0.30
22	-1115	-161	-954	0.31
29	-1151	-169	-982	0.32
<b>59</b>	-1319	-250	-1068	<b>0.35</b>
94	-1410	-289	-1121	0.37
-----				
121	-1446	-292	-1154	0.38
121	-1463	-292	-1172	0.39
151	-1516	-315	-1201	0.39
181	-1544	-324	-1220	0.40
211	-1559	-324	-1235	0.41
241	-1570	-327	-1243	0.41
271	-1593	-336	-1256	0.41
308	-1614	-349	-1265	0.42
332	-1638	-363	-1275	0.42
364	-1656	-365	-1291	0.42
451	-1681	-389	-1292	0.42
609	-1697	-376	-1322	0.43
638	-1731	-403	-1327	0.44
720	-1772	-408	-1365	0.45
804	-1808	-427	-1381	0.45
921	-1829	-439	-1390	0.46
1006	-1838	-425	-1413	0.46
<b>1080</b>	-1846	-429	-1417	<b>0.47</b>

Table F.5: Measured compliance, shrinkage, and total strain—SCC-C-3

Age of Load, <i>t</i> (days)	Strain ( $\mu\epsilon$ ): Positive Strains = Contraction			Compliance, <i>J</i> ( $\mu\epsilon/\text{psi}$ )
	Total	Shrinkage <sup>1</sup>	Due to Load	
0.00	-947	5	-953	0.21
0.10	-953	14	-967	0.22
1.0	-995	4	-999	0.22
2.0	-1011	14	-1024	0.23
3.0	-1013	14	-1026	0.23
4.0	-1018	17	-1035	0.23
5.1	-1034	8	-1043	0.23
5.9	-1040	10	-1050	0.23
6.8	-1043	4	-1047	0.23
-----				
14	-1074	7	-1082	0.24
21	-1086	14	-1100	0.24
28	-1111	7	-1119	0.25
<b>59</b>	-1166	5	-1171	<b>0.26</b>
90	-1210	0	-1210	0.27
-----				
129	-1258	-6	-1252	0.28
244	-1315	-19	-1296	0.29
289	-1356	-27	-1329	0.30
300	-1377	-30	-1347	0.30
329	-1386	-31	-1355	0.30
365	-1398	-35	-1363	0.30
455	-1469	-48	-1421	0.32
546	-1521	-72	-1450	0.32
628	-1525	-61	-1464	0.33
<b>720</b>	-1543	-62	-1481	<b>0.33</b>

Note: <sup>1</sup> = Measured shrinkage since application of load (not since initiation of drying)

Table F.6: Measured compliance, shrinkage, and total strain—SCC-E-1

Age of Load, <i>t</i> (days)	Strain ( $\mu\epsilon$ ): Positive Strains = Contraction			Compliance, <i>J</i> ( $\mu\epsilon/\text{psi}$ )
	Total	Shrinkage	Due to Load	
0.00	-782	-27	-755	0.25
0.25	-920	-76	-844	0.28
1.2	-1068	-128	-940	0.32
2.1	-1110	-139	-971	0.33
3.0	-1162	-129	-1033	0.35
4.4	-1217	-145	-1072	0.36
5.2	-1253	-156	-1097	0.37
6.2	-1261	-172	-1089	0.37
7.1	-1296	-176	-1120	0.38
<hr/>				
14	-1391	-207	-1184	0.40
21	-1469	-246	-1223	0.41
28	-1509	-277	-1231	0.41
<b>58</b>	-1653	-336	-1317	<b>0.44</b>
90	-1727	-380	-1348	0.45
<hr/>				
120	-1772	-388	-1384	0.47
120	-1799	-388	-1411	0.47
150	-1847	-408	-1440	0.48
180	-1879	-409	-1470	0.49
210	-1910	-426	-1483	0.50
240	-1923	-425	-1498	0.50
270	-1946	-441	-1505	0.51
301	-1970	-451	-1520	0.51
330	-1993	-456	-1537	0.52
358	-2005	-469	-1537	0.52
457	-2045	-490	-1555	0.52
594	-2063	-479	-1585	0.53
630	-2099	-510	-1589	0.53
720	-2138	-511	-1627	0.55
790	-2174	-536	-1638	0.55
907	-2198	-547	-1651	0.56
992	-2209	-545	-1663	0.56
<b>1080</b>	-2209	-533	-1677	<b>0.56</b>

Table F.7: Measured compliance, shrinkage, and total strain—SCC-E-2U

Age of Load, <i>t</i> (days)	Strain ( $\mu\epsilon$ ): Positive Strains = Contraction			Compliance, <i>J</i> ( $\mu\epsilon/\text{psi}$ )
	Total	Shrinkage	Due to Load	
0.00	-262	-11	-251	0.20
0.10	-277	-18	-260	0.21
1.0	-325	-26	-299	0.24
1.8	-349	-36	-314	0.25
2.8	-358	-40	-318	0.26
4.2	-380	-53	-327	0.26
4.9	-388	-62	-326	0.26
5.9	-401	-72	-329	0.27
6.9	-415	-86	-329	0.27
-----				
14	-489	-114	-375	0.30
21	-548	-153	-395	0.32
28	-579	-173	-406	0.33
<b>58</b>	-689	-240	-448	<b>0.36</b>
90	-741	-270	-470	0.38
-----				
120	-759	-276	-483	0.39
120	-771	-276	-495	0.40
150	-801	-308	-494	0.40
180	-818	-312	-506	0.41
210	-830	-320	-510	0.41
240	-838	-327	-511	0.41
270	-856	-341	-515	0.42
301	-870	-350	-520	0.42
330	-882	-363	-519	0.42
358	-893	-372	-521	0.42
457	-914	-383	-531	0.43
594	-908	-373	-535	0.43
630	-943	-407	-536	0.43
719	-957	-415	-542	0.44
789	-987	-425	-562	0.45
906	-1016	-423	-593	0.48
991	-1016	-422	-594	0.48
<b>1080</b>	-1011	-412	-598	<b>0.48</b>

Table F.8: Measured compliance, shrinkage, and total strain—SCC-E-3

Age of Load, <i>t</i> (days)	Strain ( $\mu\epsilon$ ): Positive Strains = Contraction			Compliance, <i>J</i> ( $\mu\epsilon/\text{psi}$ )
	Total	Shrinkage <sup>1</sup>	Due to Load	
0.00	-749	-9	-740	0.16
0.08	-764	-16	-748	0.17
1.0	-812	-25	-787	0.18
2.0	-830	-10	-820	0.18
2.9	-837	-8	-830	0.18
4.0	-858	-9	-849	0.19
4.9	-868	-18	-851	0.19
5.8	-880	-21	-860	0.19
6.9	-884	-12	-872	0.19
<hr style="border-top: 1px dashed black;"/>				
14	-927	-13	-914	0.20
21	-941	-12	-929	0.21
29	-968	-18	-949	0.21
<b>58</b>	-1033	-22	-1011	<b>0.23</b>
91	-1096	-28	-1068	0.24
<hr style="border-top: 1px dashed black;"/>				
128	-1147	-44	-1103	0.25
243	-1219	-32	-1187	0.26
288	-1269	-57	-1212	0.27
299	-1275	-60	-1216	0.27
328	-1275	-65	-1210	0.27
364	-1304	-66	-1238	0.28
454	-1360	-82	-1278	0.28
545	-1429	-96	-1333	0.30
627	-1442	-88	-1354	0.30
<b>719</b>	-1458	-97	-1361	<b>0.30</b>

Note: <sup>1</sup> = Measured shrinkage since application of load (not since initiation of drying)

Table F.9: Measured compliance, shrinkage, and total strain—VC-B-1

Age of Load, <i>t</i> (days)	Strain ( $\mu\epsilon$ ): Positive Strains = Contraction			Compliance, <i>J</i> ( $\mu\epsilon/\text{psi}$ )
	Total	Shrinkage	Due to Load	
0.00	-562	-35	-527	0.18
0.17	-637	-45	-592	0.21
1.3	-733	-50	-682	0.24
2.3	-756	-68	-688	0.24
3.4	-807	-72	-735	0.26
4.2	-828	-84	-744	0.26
5.2	-875	-105	-770	0.27
6.1	-882	-107	-775	0.27
12.2	-955	-124	-830	0.29
19	-1024	-152	-872	0.30
21	-1047	-163	-884	0.31
28	-1079	-167	-912	0.32
<b>59</b>	-1199	-217	-982	<b>0.34</b>
85	-1269	-249	-1020	0.36
95	-1280	-250	-1030	0.36
120	-1317	-265	-1052	0.37
120	-1322	-265	-1057	0.37
150	-1364	-281	-1083	0.38
180	-1371	-277	-1093	0.38
210	-1395	-280	-1115	0.39
240	-1415	-285	-1129	0.39
270	-1422	-292	-1130	0.39
300	-1458	-298	-1160	0.41
331	-1462	-311	-1150	0.40
362	-1486	-329	-1157	0.40
449	-1514	-342	-1172	0.41
614	-1523	-328	-1195	0.42
622	-1543	-348	-1195	0.42
720	-1581	-358	-1223	0.43
810	-1622	-378	-1244	0.43
927	-1629	-376	-1253	0.44
1012	-1631	-375	-1256	0.44
<b>1082</b>	-1642	-387	-1255	<b>0.44</b>

Table F.10: Measured compliance, shrinkage, and total strain—VC-B-2

Age of Load, <i>t</i> (days)	Strain ( $\mu\epsilon$ ): Positive Strains = Contraction			Compliance, <i>J</i> ( $\mu\epsilon/\text{psi}$ )
	Total	Shrinkage	Due to Load	
0.00	-591	-24	-567	0.18
0.12	-655	-45	-610	0.20
1.2	-805	-23	-782	0.25
2.2	-826	-41	-785	0.25
3.3	-857	-36	-821	0.26
4.0	-891	-47	-845	0.27
5.1	-929	-56	-873	0.28
5.9	-951	-67	-884	0.28
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12.1	-1017	-76	-940	0.30
19	-1096	-116	-980	0.31
21	-1114	-120	-994	0.32
28	-1155	-129	-1026	0.33
<b>59</b>	-1276	-177	-1099	<b>0.35</b>
85	-1353	-211	-1142	0.37
95	-1361	-217	-1144	0.37
-----				
120	-1399	-217	-1182	0.38
120	-1402	-217	-1185	0.38
150	-1449	-242	-1207	0.39
180	-1454	-239	-1215	0.39
210	-1469	-241	-1228	0.39
240	-1488	-241	-1248	0.40
270	-1503	-248	-1256	0.40
300	-1531	-251	-1280	0.41
331	-1545	-263	-1282	0.41
362	-1563	-279	-1284	0.41
449	-1594	-290	-1304	0.42
614	-1603	-278	-1324	0.43
629	-1639	-305	-1334	0.43
719	-1664	-309	-1355	0.44
809	-1703	-329	-1374	0.44
926	-1729	-340	-1390	0.45
1011	-1723	-327	-1396	0.45
<b>1081</b>	-1745	-338	-1407	<b>0.45</b>

Table F.11: Measured compliance, shrinkage, and total strain—VC-B-3

Age of Load, <i>t</i> (days)	Strain ( $\mu\epsilon$ ): Positive Strains = Contraction			Compliance, <i>J</i> ( $\mu\epsilon/\text{psi}$ )
	Total	Shrinkage <sup>1</sup>	Due to Load	
0.00	-832	-25	-807	0.17
0.20	-851	-35	-817	0.17
1.0	-880	-27	-853	0.18
2.0	-907	-14	-892	0.19
3.0	-914	-16	-899	0.19
4.0	-920	2	-921	0.19
4.9	-927	1	-928	0.19
6.0	-940	-8	-932	0.20
6.8	-952	-10	-942	0.20
<hr style="border-top: 1px dashed black;"/>				
14	-977	-3	-974	0.20
21	-999	-11	-988	0.21
29	-1023	2	-1025	0.21
<b>60</b>	-1075	-12	-1063	<b>0.22</b>
91	-1118	-18	-1100	0.23
<hr style="border-top: 1px dashed black;"/>				
130	-1157	-33	-1124	0.24
245	-1228	-21	-1207	0.25
290	-1266	-42	-1224	0.26
301	-1278	-47	-1232	0.26
330	-1286	-51	-1235	0.26
366	-1300	-47	-1252	0.26
456	-1356	-57	-1299	0.27
547	-1415	-78	-1337	0.28
629	-1431	-68	-1363	0.29
<b>721</b>	-1442	-73	-1369	<b>0.29</b>

Note: <sup>1</sup> = Measured shrinkage since application of load (not since initiation of drying)

Table F.12: Measured compliance, shrinkage, and total strain—VC-F-1

Age of Load, <i>t</i> (days)	Strain ( $\mu\epsilon$ ): Positive Strains = Contraction			Compliance, <i>J</i> ( $\mu\epsilon/\text{psi}$ )
	Total	Shrinkage	Due to Load	
0.00	-609	-11	-598	0.19
0.15	-708	-86	-622	0.19
1.3	-789	-105	-684	0.21
2.2	-819	-104	-715	0.22
3.3	-847	-107	-740	0.23
4.2	-868	-109	-759	0.24
5.3	-884	-111	-773	0.24
6.3	-907	-123	-785	0.24
7.4	-926	-119	-807	0.25
<hr/>				
14	-1014	-147	-867	0.27
21	-1058	-156	-902	0.28
28	-1092	-174	-918	0.29
<b>58</b>	-1205	-218	-987	<b>0.31</b>
90	-1241	-230	-1011	0.31
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120	-1278	-254	-1024	0.32
120	-1292	-254	-1038	0.32
150	-1306	-260	-1046	0.33
180	-1332	-274	-1058	0.33
210	-1342	-273	-1068	0.33
240	-1350	-277	-1074	0.33
270	-1379	-289	-1090	0.34
300	-1390	-291	-1099	0.34
330	-1408	-305	-1104	0.34
357	-1426	-316	-1110	0.34
450	-1451	-322	-1129	0.35
587	-1452	-295	-1157	0.36
630	-1484	-328	-1157	0.36
714	-1501	-339	-1162	0.36
782	-1537	-349	-1187	0.37
899	-1548	-355	-1193	0.37
984	-1563	-350	-1213	0.38
<b>1080</b>	-1571	-349	-1222	<b>0.38</b>

Table F.13: Measured compliance, shrinkage, and total strain—VC-F-2U

Age of Load, <i>t</i> (days)	Strain ( $\mu\epsilon$ ): Positive Strains = Contraction			Compliance, <i>J</i> ( $\mu\epsilon/\text{psi}$ )
	Total	Shrinkage	Due to Load	
0.00	-244	-27	-217	0.18
0.17	-265	-38	-226	0.19
1.0	-269	-51	-219	0.18
1.9	-285	-56	-229	0.19
2.9	-294	-59	-235	0.20
3.9	-301	-63	-239	0.20
5.0	-312	-66	-246	0.20
6.1	-318	-72	-246	0.20
7.1	-333	-76	-257	0.21
<hr/>				
14	-381	-112	-269	0.22
21	-407	-124	-282	0.23
28	-437	-138	-299	0.25
<b>58</b>	-503	-187	-317	<b>0.26</b>
90	-531	-207	-324	0.27
<hr/>				
120	-571	-236	-335	0.28
120	-585	-236	-349	0.29
150	-596	-237	-359	0.30
180	-615	-251	-364	0.30
210	-619	-252	-367	0.31
240	-631	-259	-371	0.31
255	-649	-268	-382	0.32
300	-655	-273	-382	0.32
330	-670	-285	-385	0.32
357	-682	-298	-384	0.32
450	-690	-304	-387	0.32
587	-695	-291	-404	0.34
630	-714	-317	-398	0.33
714	-724	-329	-396	0.33
782	-756	-336	-419	0.35
899	-760	-333	-427	0.36
984	-768	-335	-434	0.36
<b>1080</b>	-776	-340	-435	<b>0.36</b>

Table F.14: Measured compliance, shrinkage, and total strain—VC-F-3

Age of Load, <i>t</i> (days)	Strain ( $\mu\epsilon$ ): Positive Strains = Contraction			Compliance, <i>J</i> ( $\mu\epsilon/\text{psi}$ )
	Total	Shrinkage <sup>1</sup>	Due to Load	
0.00	-687	-4	-683	0.14
0.06	-720	-18	-702	0.15
1.0	-757	-27	-730	0.15
1.9	-762	-33	-729	0.15
3.0	-781	-44	-737	0.16
3.9	-797	-42	-756	0.16
4.8	-804	-45	-759	0.16
5.8	-804	-36	-768	0.16
6.9	-810	-39	-771	0.16
<hr style="border-top: 1px dashed black;"/>				
14	-835	-43	-793	0.17
21	-853	-40	-813	0.17
28	-870	-37	-833	0.18
<b>57</b>	-916	-50	-866	<b>0.18</b>
90	-947	-52	-896	0.19
<hr style="border-top: 1px dashed black;"/>				
127	-989	-63	-926	0.20
242	-1038	-61	-977	0.21
287	-1070	-69	-1001	0.21
298	-1087	-74	-1013	0.21
327	-1093	-73	-1020	0.22
363	-1112	-74	-1038	0.22
453	-1150	-91	-1059	0.22
544	-1205	-114	-1091	0.23
626	-1191	-99	-1092	0.23
<b>718</b>	-1203	-106	-1097	<b>0.23</b>

Note: <sup>1</sup> = Measured shrinkage since application of load (not since initiation of drying)

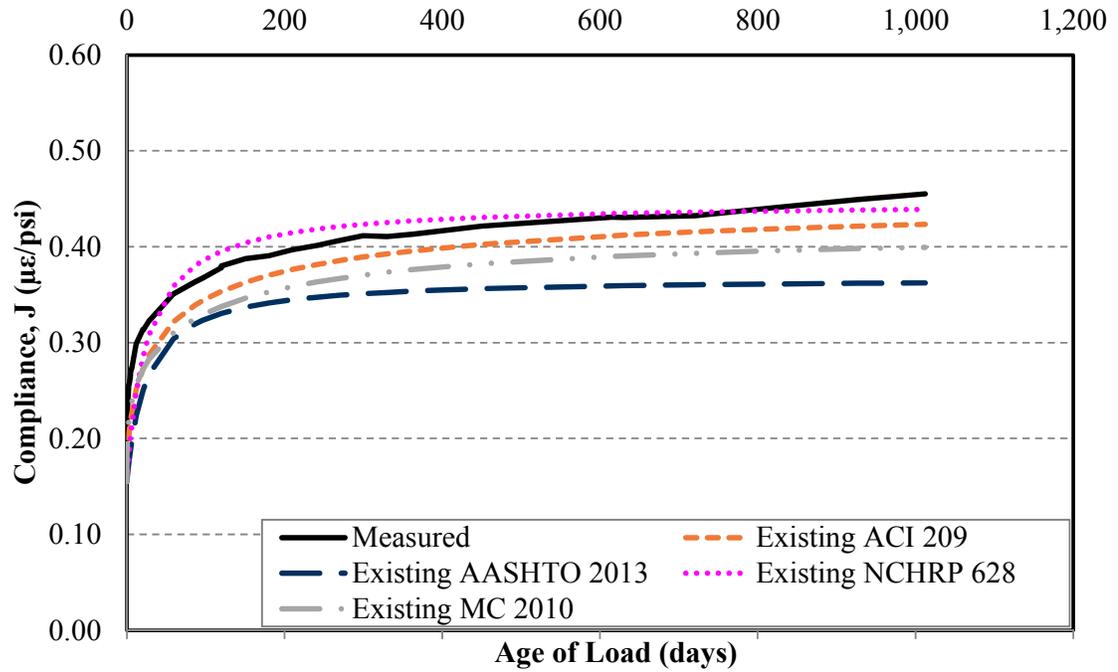


Figure F.1: Compliance predicted by various existing models—SCC-B-2

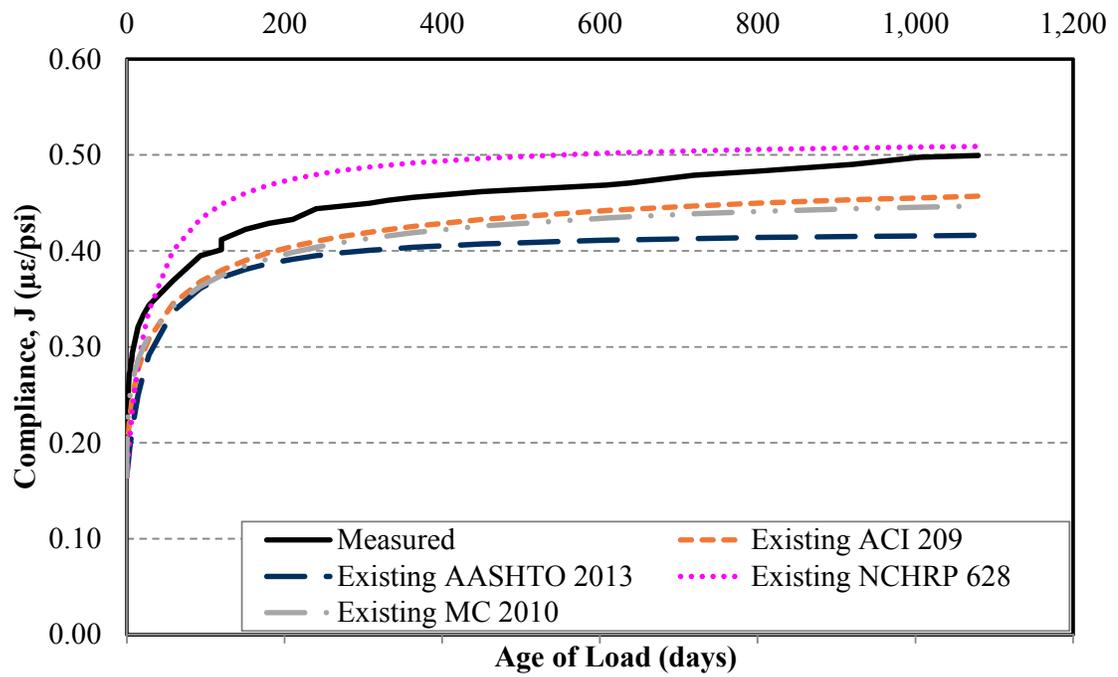


Figure F.2: Compliance predicted by various existing models—SCC-C-1

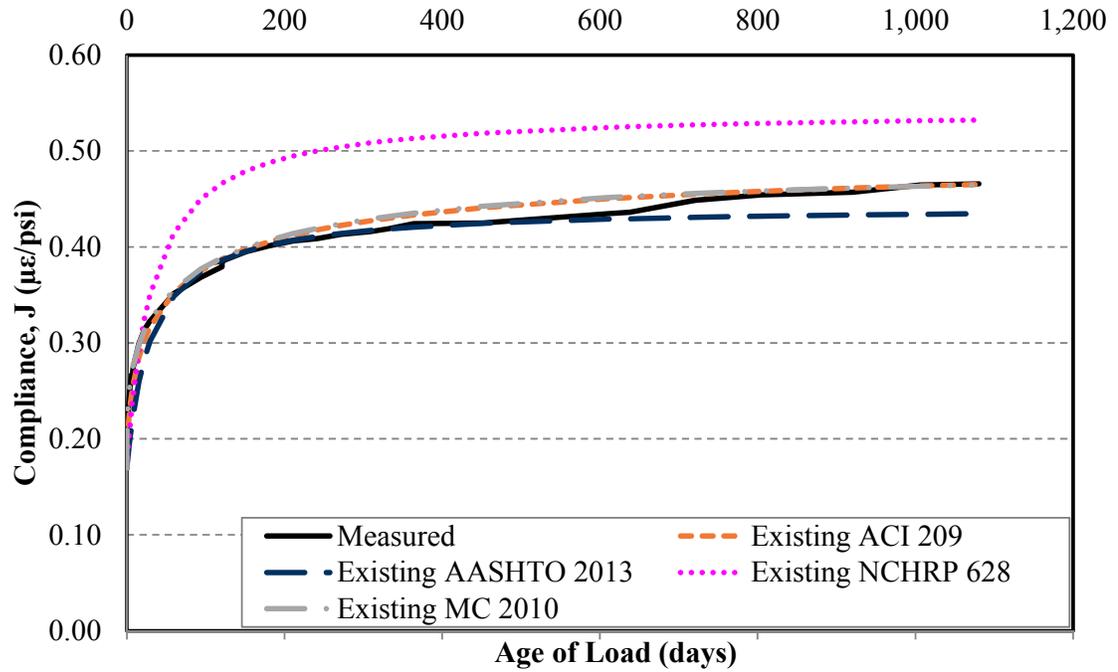


Figure F.3: Compliance predicted by various existing models—SCC-C-2

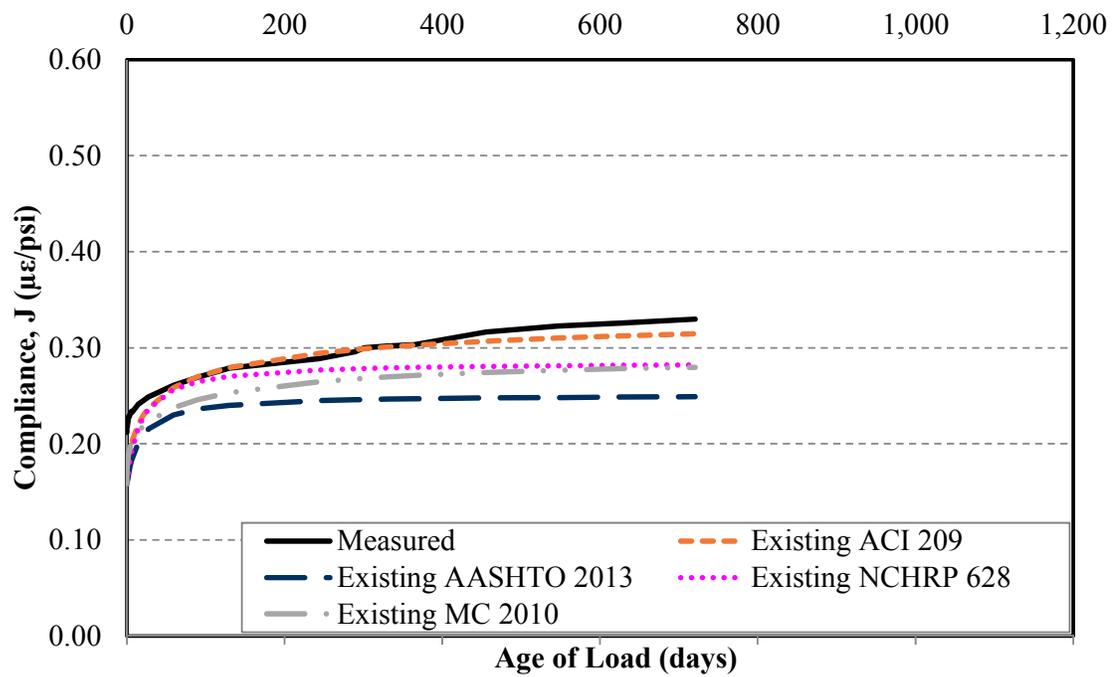


Figure F.4: Compliance predicted by various existing models—SCC-C-3

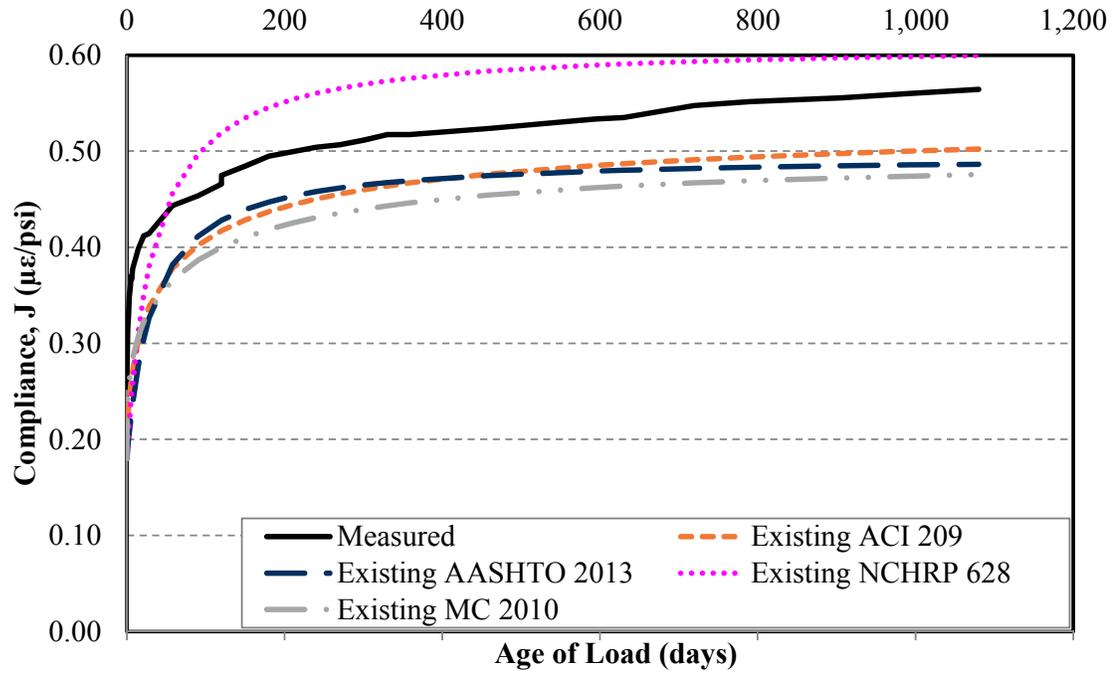


Figure F.5: Compliance predicted by various existing models—SCC-E-1

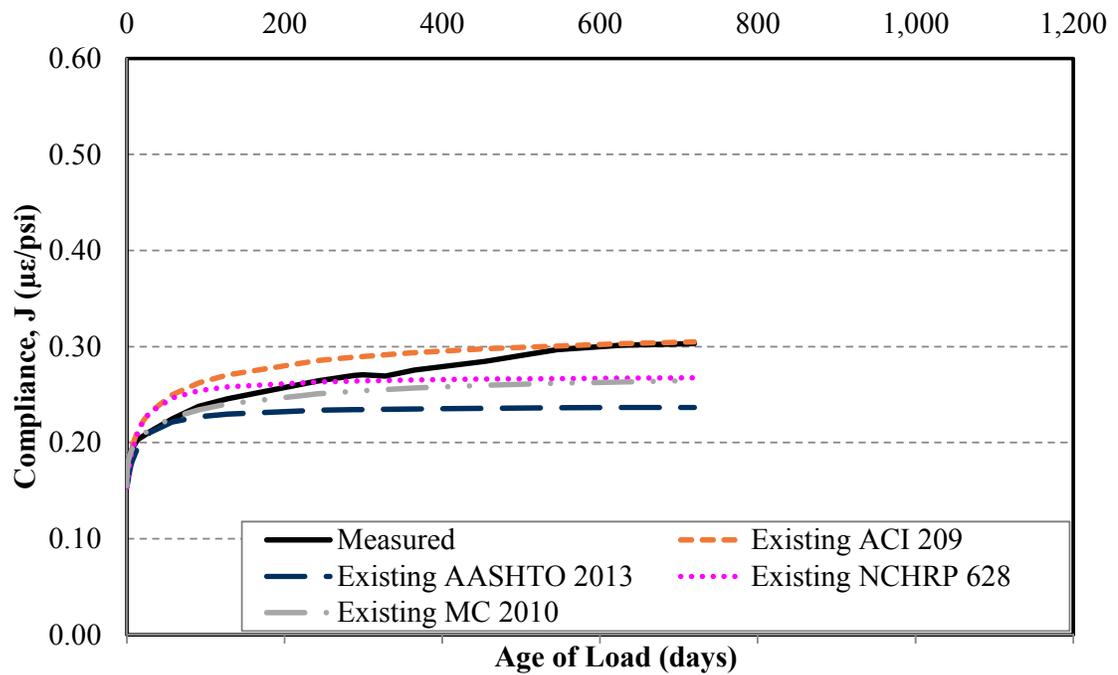


Figure F.6: Compliance predicted by various existing models—SCC-E-3

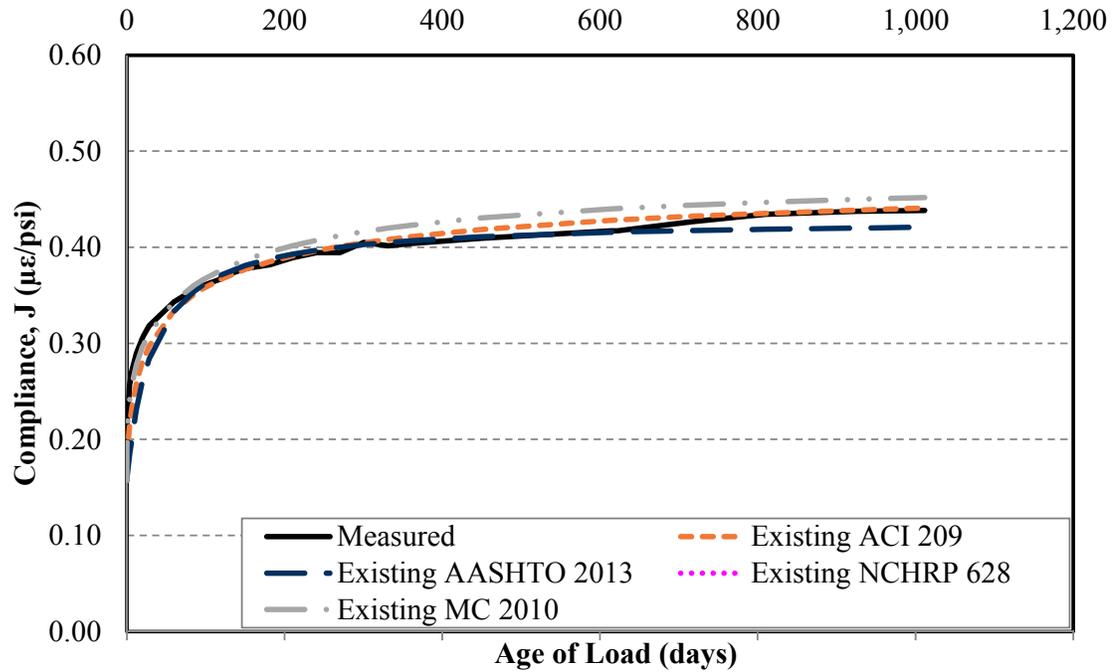


Figure F.7: Compliance predicted by various existing models—VC-B-1

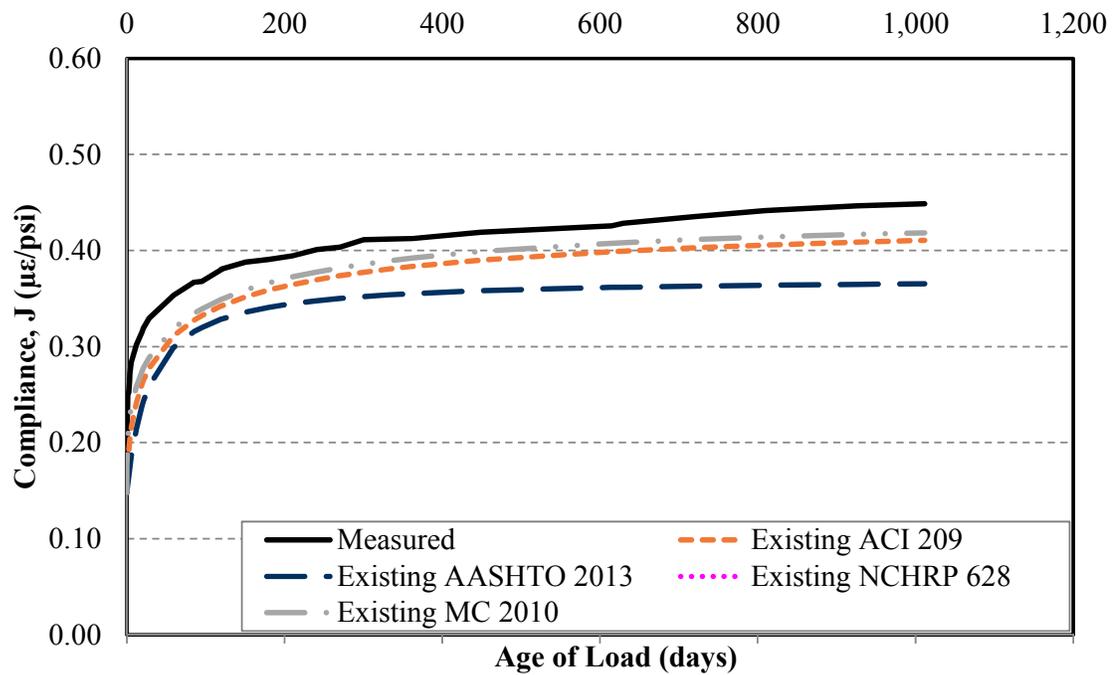


Figure F.8: Compliance predicted by various existing models—VC-B-2

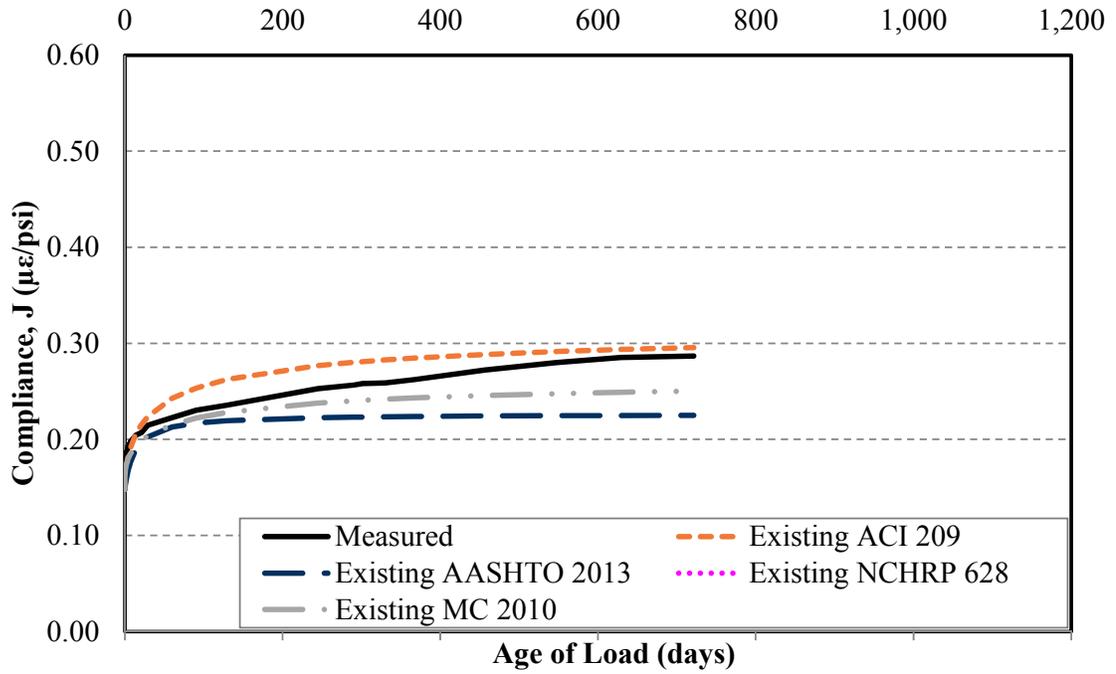


Figure F.9: Compliance predicted by various existing models—VC-B-3

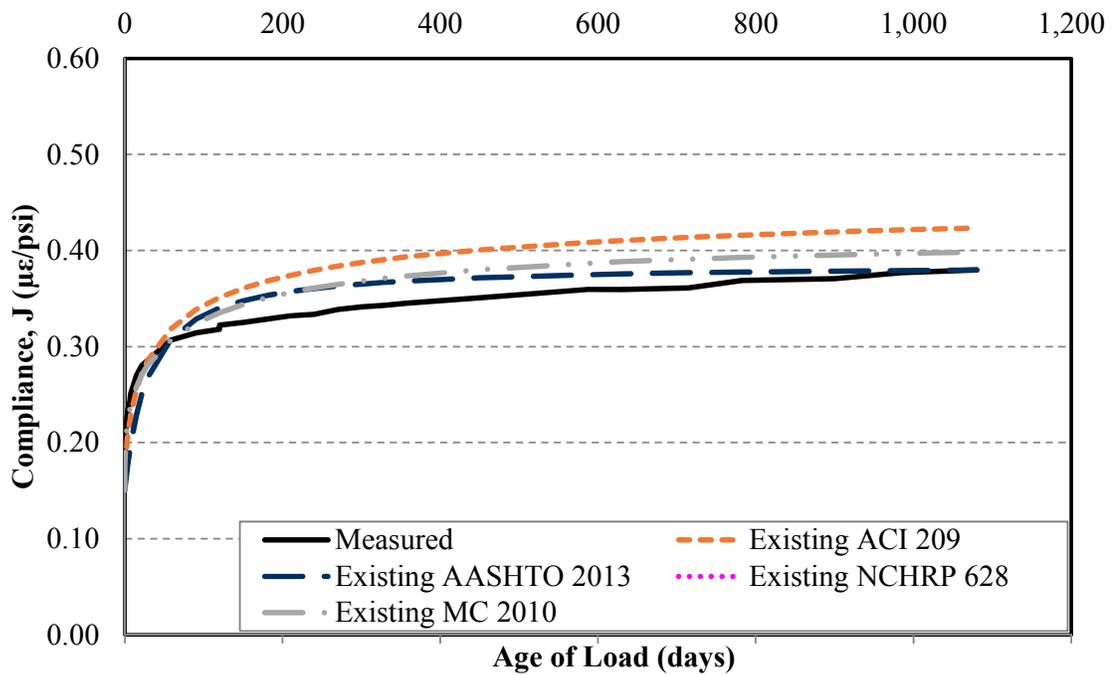


Figure F.10: Compliance predicted by various existing models—VC-F-1

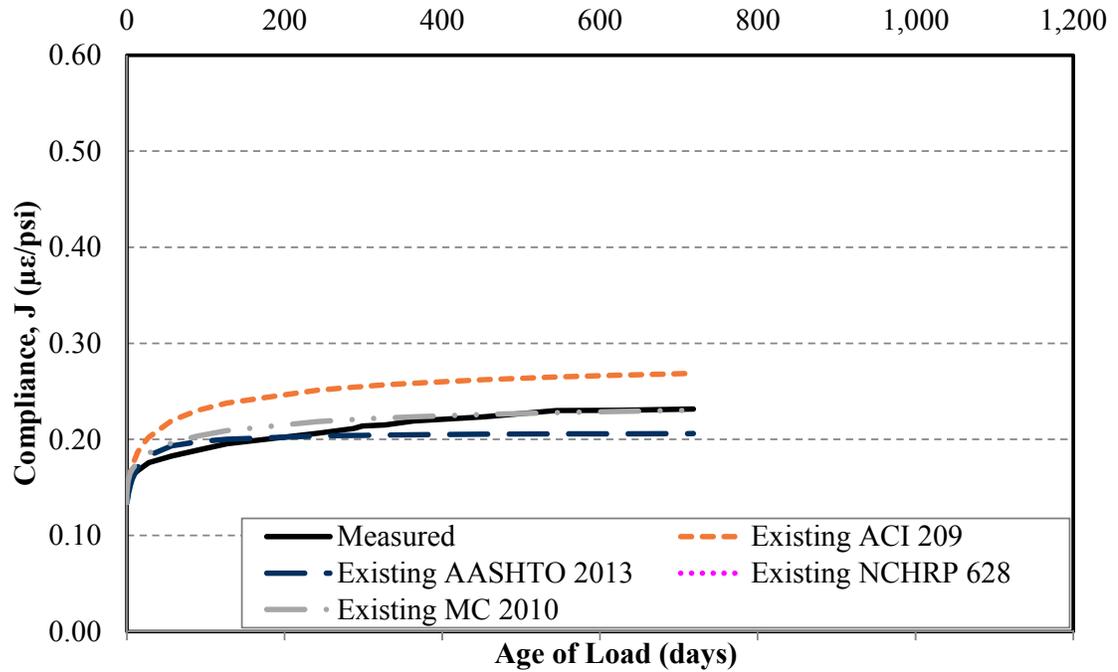


Figure F.11: Compliance predicted by various existing models—VC-F-3

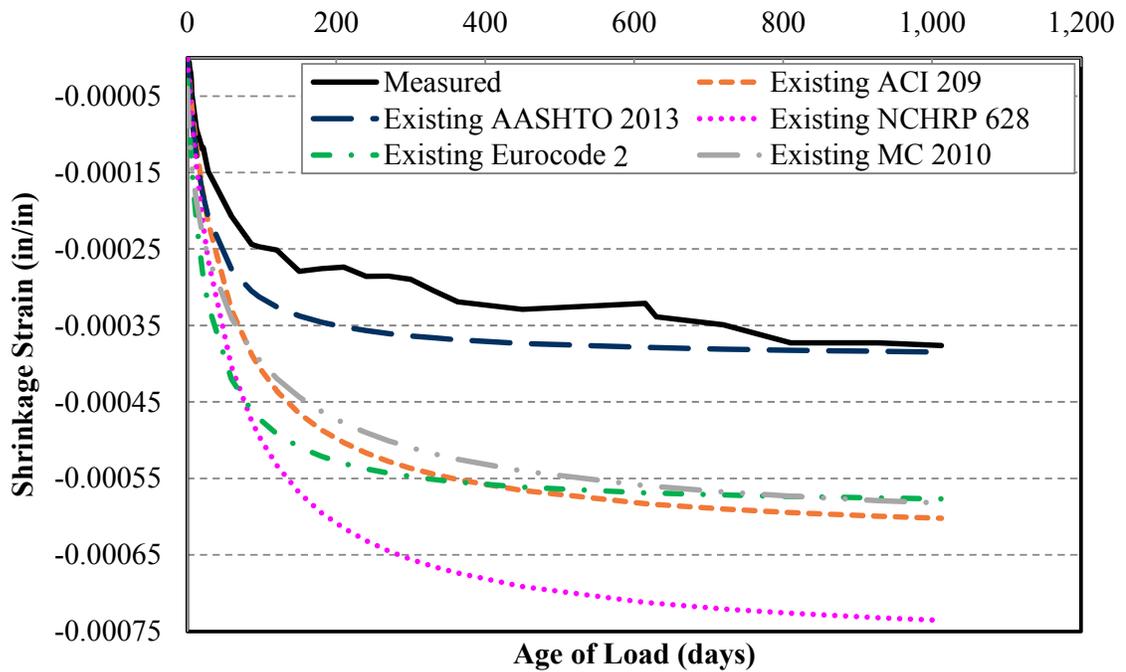


Figure F.12: Shrinkage strain predicted by various existing models—SCC-B-2

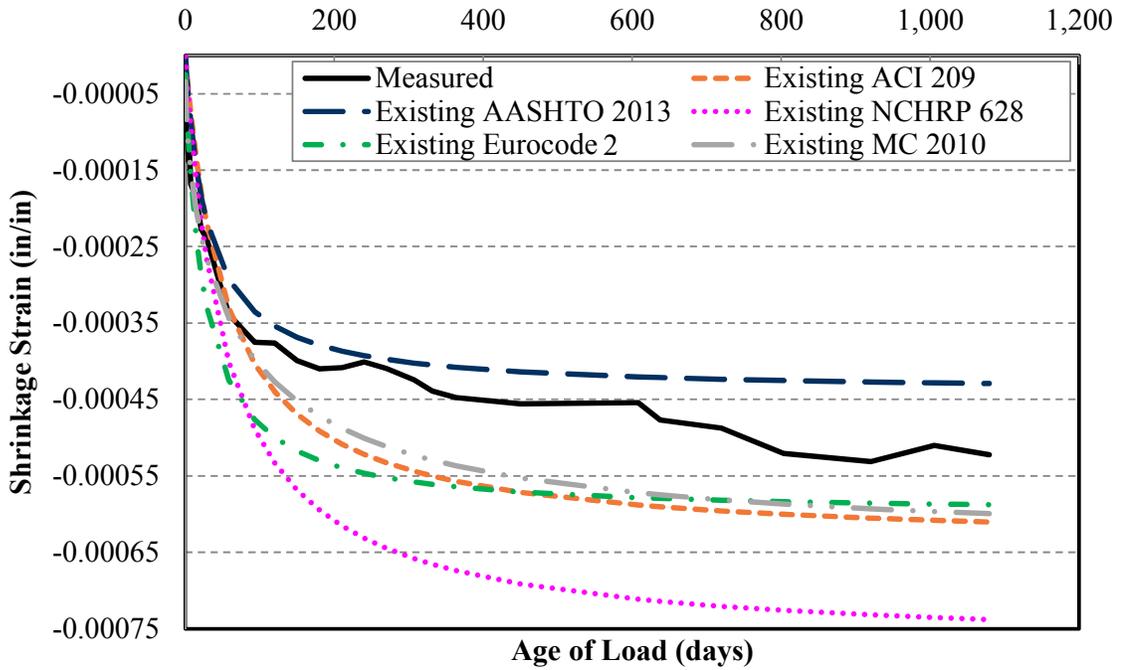


Figure F.13: Shrinkage strain predicted by various existing models—SCC-C-1

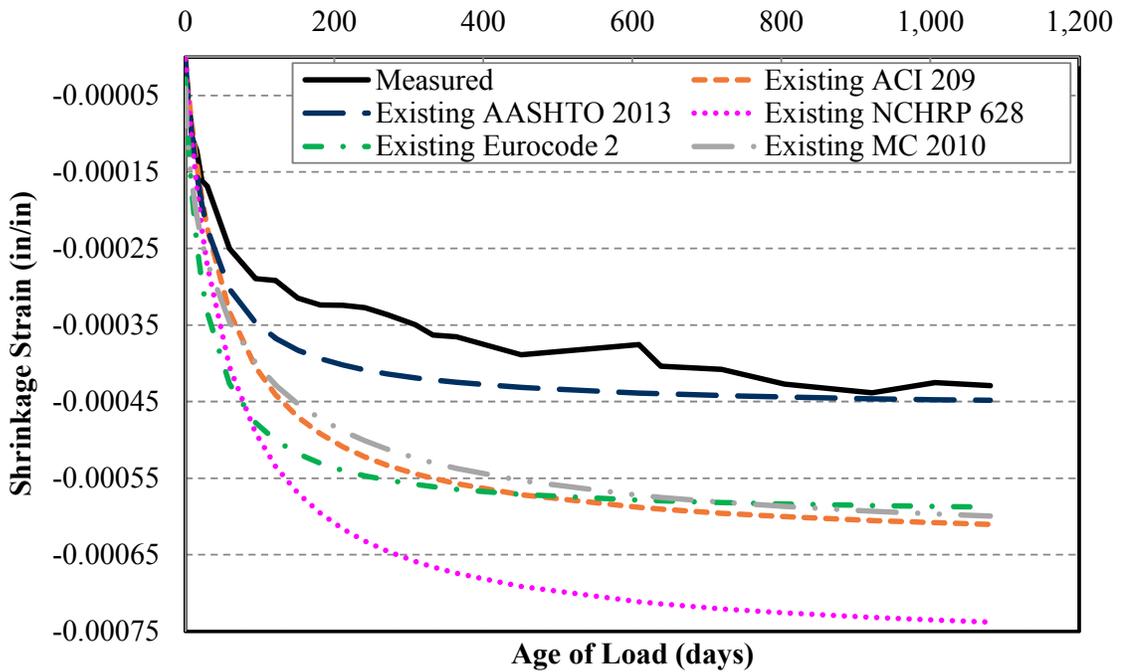


Figure F.14: Shrinkage strain predicted by various existing models—SCC-C-2

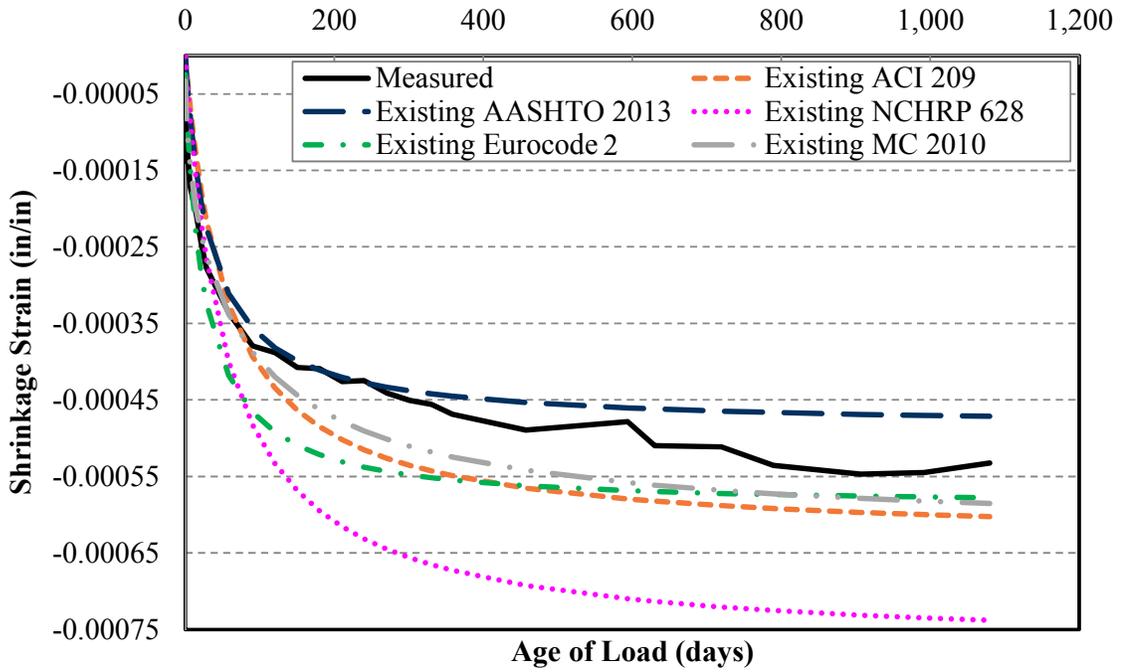


Figure F.15: Shrinkage strain predicted by various existing models—SCC-E-1

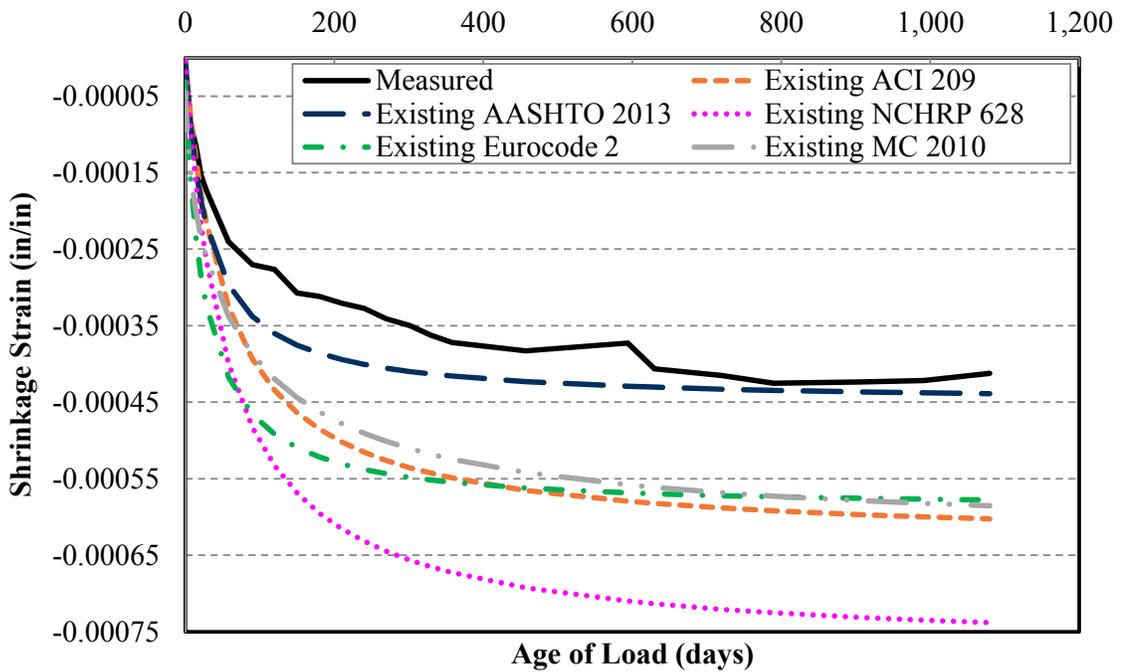


Figure F.16: Shrinkage strain predicted by various existing models—SCC-E-2U

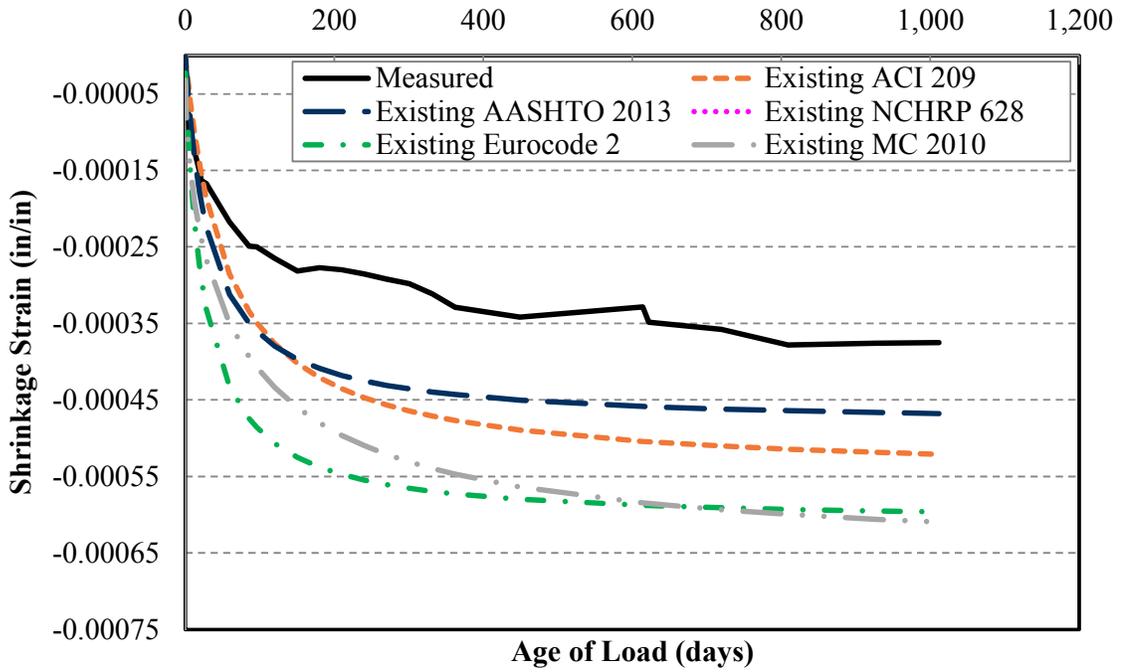


Figure F.17: Shrinkage strain predicted by various existing models—VC-B-1

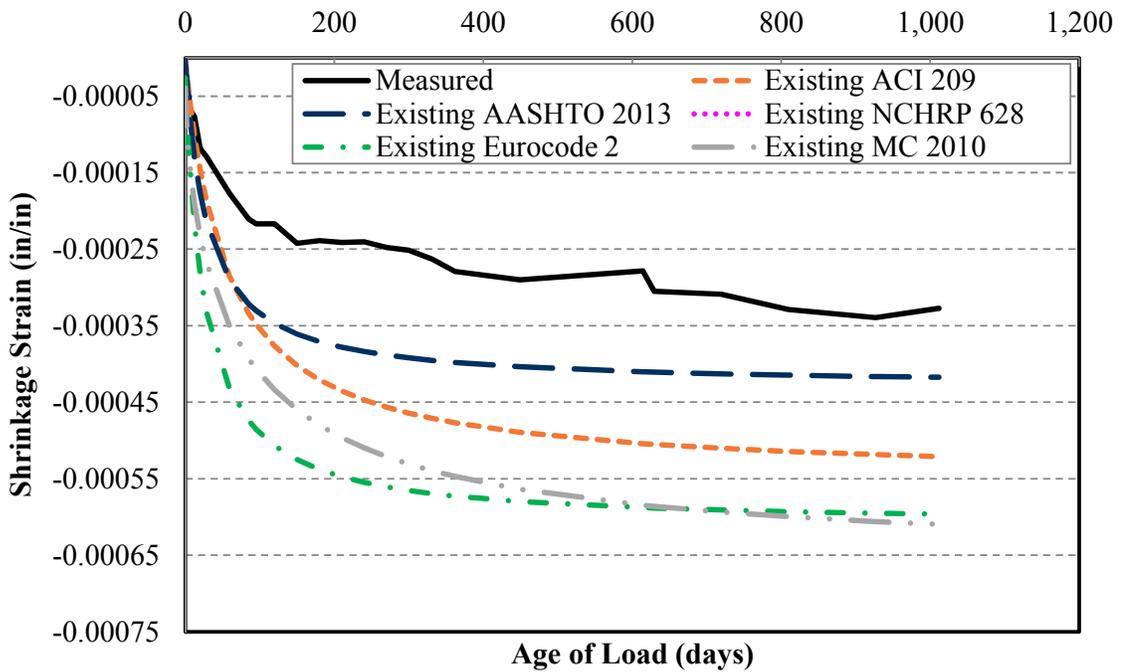


Figure F.18: Shrinkage strain predicted by various existing models—VC-B-2

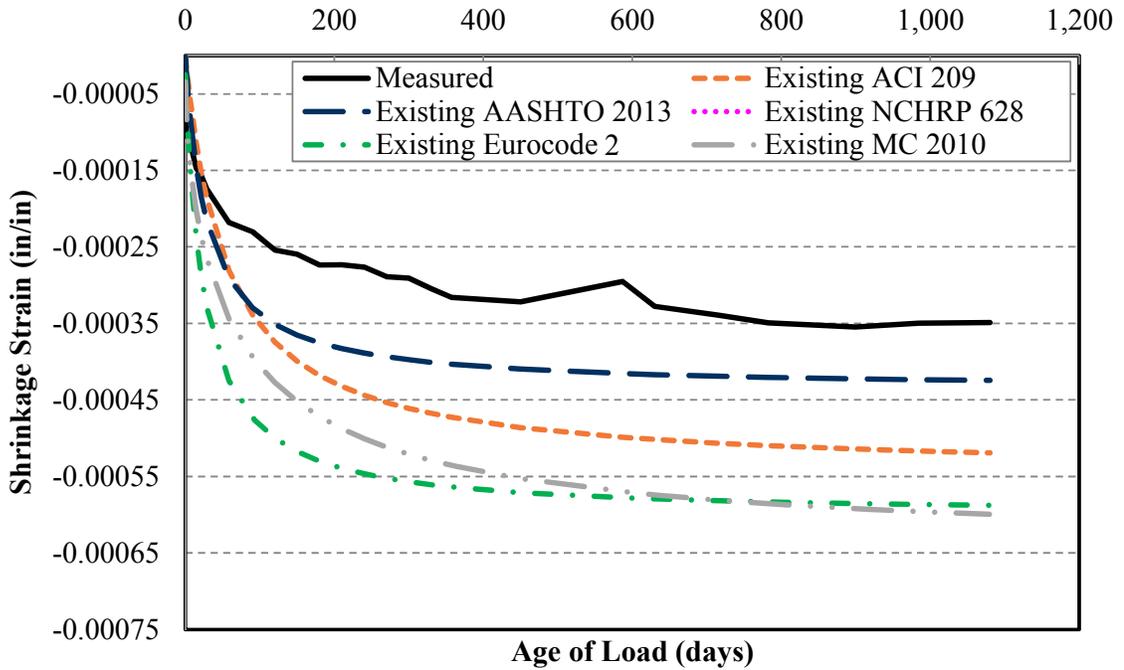


Figure F.19: Shrinkage strain predicted by various existing models—VC-F-1

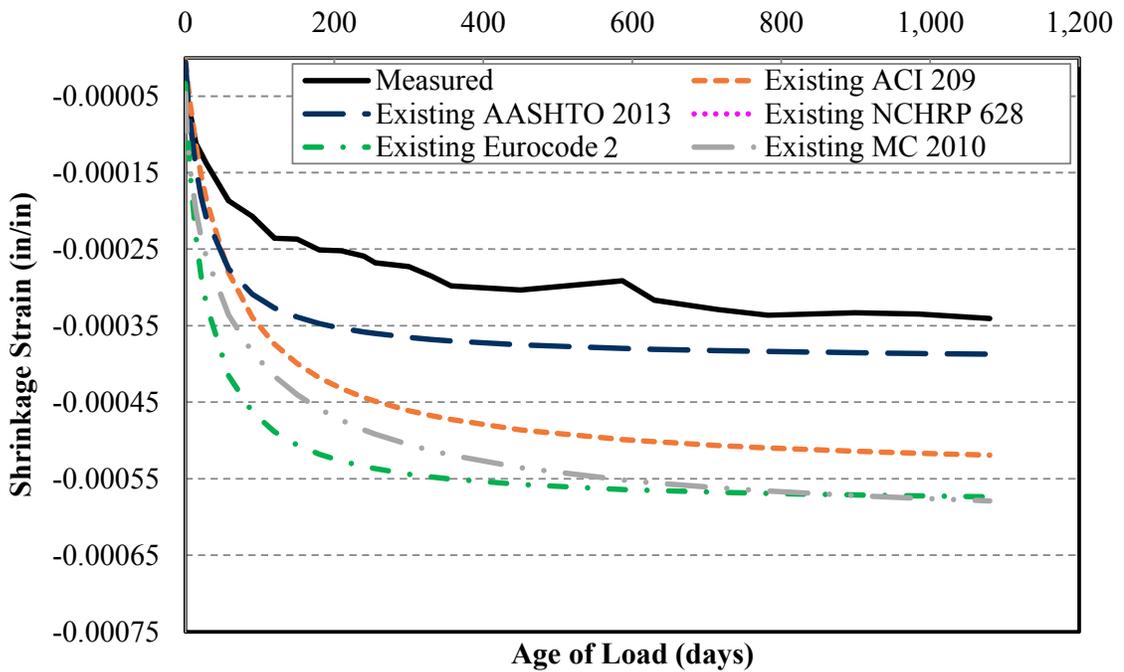


Figure F.20: Shrinkage strain predicted by various existing models—VC-F-2U

Table F.15: Compliance  $\omega_j$  and exact adjustment factors by dataset—ACI 209

<b>ID</b>	<b><math>\omega_j</math> of Existing</b>	<b>Exact <math>A_{AL}</math><sup>1</sup></b>	<b><math>\omega_j</math> with Exact <math>A_{AL}</math></b>	<b><math>\omega_j</math> with Recommend. <math>A_{AL}</math></b>
<b>SCC-B-2</b>	0.116	1.15	0.087	0.087
<b>SCC-C-1</b>	0.089	1.17	0.089	0.089
<b>SCC-C-2</b>	0.041	1.00	0.041	0.094
<b>SCC-E-1</b>	0.190	1.29	0.133	0.148
<b>VC-B-1</b>	0.082	1.04	0.079	0.082
<b>VC-B-2</b>	0.152	1.22	0.108	0.152
<b>VC-F-1</b>	0.109	0.88	0.082	0.109

Note: <sup>1</sup> = two-sample t-test of these SCC and VC results yields P-value equal to 0.3746

Table F.16: Compliance  $\omega_j$  and exact adjustment factors by dataset—AASHTO 2013

<b>ID</b>	<b><math>\omega_j</math> of Existing</b>	<b>Exact <math>A_{AL}</math><sup>1</sup></b>	<b><math>\omega_j</math> with Exact <math>A_{AL}</math></b>	<b><math>\omega_j</math> with Recommend. <math>A_{AL}</math></b>
<b>SCC-B-2</b>	0.203	1.38	0.128	0.139
<b>SCC-C-1</b>	0.089	1.28	0.089	0.089
<b>SCC-C-2</b>	0.098	1.06	0.092	0.134
<b>SCC-E-1</b>	0.232	1.29	0.192	0.192
<b>VC-B-1</b>	0.138	1.06	0.134	0.142
<b>VC-B-2</b>	0.225	1.38	0.157	0.185
<b>VC-F-1</b>	0.124	0.98	0.124	0.152

Note: <sup>1</sup> = two-sample t-test of these SCC and VC results yields P-value equal to 0.4369

Table F.17: Compliance  $\omega_j$  and exact adjustment factors by dataset—MC 2010

<b>ID</b>	<b><math>\omega_j</math> of Existing</b>	<b>Exact <math>A_{AL}</math><sup>1</sup></b>	<b><math>\omega_j</math> with Exact <math>A_{AL}</math></b>	<b><math>\omega_j</math> with Recommend. <math>A_{AL}</math></b>
<b>SCC-B-2</b>	0.120	1.24	0.045	0.048
<b>SCC-C-1</b>	0.089	1.18	0.089	0.089
<b>SCC-C-2</b>	0.022	0.97	0.014	0.131
<b>SCC-E-1</b>	0.190	1.38	0.089	0.119
<b>VC-B-1</b>	0.042	0.98	0.039	0.042
<b>VC-B-2</b>	0.107	1.16	0.065	0.107
<b>VC-F-1</b>	0.057	0.94	0.047	0.057

Note: <sup>1</sup> = two-sample *t*-test of these SCC and VC results yields *P*-value equal to 0.2181

Table F.18: Shrinkage  $\omega_j$  and exact adjustment factors by dataset—ACI 209

<b>ID</b>	<b><math>\omega_j</math> of Existing</b>	<b>Exact <math>A_{AL}</math><sup>1</sup></b>	<b><math>\omega_j</math> with Exact <math>A_{AL}</math></b>	<b><math>\omega_j</math> with Recommend. <math>A_{AL}</math></b>
<b>SCC-B-2</b>	0.862	0.60	0.097	0.443
<b>SCC-C-1</b>	0.102	0.87	0.102	0.102
<b>SCC-C-2</b>	0.539	0.70	0.128	0.221
<b>SCC-E-1</b>	0.268	0.93	0.253	0.294
<b>SCC-E-2U</b>	0.549	0.69	0.112	0.217
<b>VC-B-1</b>	0.492	0.72	0.210	0.212
<b>VC-B-2</b>	0.783	0.61	0.148	0.232
<b>VC-F-1</b>	0.547	0.70	0.288	0.288
<b>VC-F-2U</b>	0.670	0.64	0.173	0.201

Note: <sup>1</sup> = two-sample *t*-test of these SCC and VC results yields *P*-value equal to 0.2583

Table F.19: Shrinkage  $\omega_j$  and exact adjustment factors by dataset—AASHTO 2013

<b>ID</b>	<b><math>\omega_j</math> of Existing</b>	<b>Exact <math>A_{AL}</math><sup>1</sup></b>	<b><math>\omega_j</math> with Exact <math>A_{AL}</math></b>	<b><math>\omega_j</math> with Recommend. <math>A_{AL}</math></b>
<b>SCC-B-2</b>	0.292	0.83	0.150	0.292
<b>SCC-C-1</b>	0.102	1.14	0.102	0.102
<b>SCC-C-2</b>	0.203	0.87	0.101	0.203
<b>SCC-E-1</b>	0.220	1.11	0.193	0.220
<b>SCC-E-2U</b>	0.199	0.88	0.099	0.199
<b>VC-B-1</b>	0.420	0.75	0.161	0.180
<b>VC-B-2</b>	0.546	0.69	0.136	0.227
<b>VC-F-1</b>	0.374	0.78	0.228	0.229
<b>VC-F-2U</b>	0.367	0.78	0.147	0.151

Note: <sup>1</sup> = two-sample t-test of these SCC and VC results yields P-value equal to 0.0274

Table F.20: Shrinkage  $\omega_j$  and exact adjustment factors by dataset—Eurocode 2

<b>ID</b>	<b><math>\omega_j</math> of Existing</b>	<b>Exact <math>A_{AL}</math><sup>1</sup></b>	<b><math>\omega_j</math> with Exact <math>A_{AL}</math></b>	<b><math>\omega_j</math> with Recommend. <math>A_{AL}</math></b>
<b>SCC-B-2</b>	0.916	0.58	0.154	0.297
<b>SCC-C-1</b>	0.102	0.85	0.102	0.102
<b>SCC-C-2</b>	0.594	0.67	0.116	0.126
<b>SCC-E-1</b>	0.196	0.91	0.160	0.301
<b>SCC-E-2U</b>	0.595	0.68	0.119	0.127
<b>VC-B-1</b>	0.818	0.59	0.142	0.223
<b>VC-B-2</b>	1.225	0.50	0.142	0.143
<b>VC-F-1</b>	0.977	0.60	0.208	0.271
<b>VC-F-2U</b>	0.768	0.55	0.142	0.175

Note: <sup>1</sup> = two-sample t-test of these SCC and VC results yields P-value equal to 0.0489

Table F.21: Shrinkage  $\omega_j$  and exact adjustment factors by dataset—MC 2010

<b>ID</b>	<b><math>\omega_j</math> of Existing</b>	<b>Exact <math>A_{AL}</math><sup>1</sup></b>	<b><math>\omega_j</math> with Exact <math>A_{AL}</math></b>	<b><math>\omega_j</math> with Recommend. <math>A_{AL}</math></b>
<b>SCC-B-2</b>	0.666	0.66	0.111	0.294
<b>SCC-C-1</b>	0.155	0.95	0.143	0.229
<b>SCC-C-2</b>	0.382	0.76	0.059	0.085
<b>SCC-E-1</b>	0.158	1.02	0.157	0.285
<b>SCC-E-2U</b>	0.364	0.77	0.046	0.063
<b>VC-B-1</b>	0.618	0.66	0.118	0.153
<b>VC-B-2</b>	0.952	0.56	0.091	0.125
<b>VC-F-1</b>	0.573	0.67	0.199	0.228
<b>VC-F-2U</b>	0.704	0.63	0.094	0.107

Note: <sup>1</sup> = two-sample t-test of these SCC and VC results yields P-value equal to 0.0489

Table F.22: Adjusted compliance of nonstandard cylinders—ACI 209

<b>ID</b>	<b><math>\omega_j</math></b>	<b>Error % at 56 Days</b>	<b>Error % at Latest Measured Age<sup>1</sup></b>
<b>SCC-E-2U</b>	0.079	4	4
<b>VC-F-2U</b>	0.120	12	12
<b>SCC-C-3</b>	0.091	3	0
<b>SCC-E-3</b>	0.107	15	6
<b>VC-B-3</b>	0.074	9	3
<b>VC-F-3</b>	0.164	20	16

Note: <sup>1</sup> = latest age equaled three years in under-loaded specimens and two years in aged-then-loaded specimens

Table F.23: Adjusted compliance of nonstandard cylinders—AASHTO 2013

ID	$\omega_j$	Error % at 56 Days	Error % at Latest Measured Age <sup>1</sup>
SCC-E-2U	0.120	7	7
VC-F-2U	0.102	11	11
SCC-C-3	0.163	-6	-19
SCC-E-3	0.089	4	-16
VC-B-3	0.116	-2	-19
VC-F-3	0.062	9	-8

Note: <sup>1</sup> = latest age equaled three years in under-loaded specimens and two years in aged-then-loaded specimens

Table F.24: Adjusted compliance of nonstandard cylinders—MC 2010

ID	$\omega_j$	Error % at 56 Days	Error % at Latest Measured Age <sup>1</sup>
SCC-E-2U	0.087	6	6
VC-F-2U	0.082	9	9
SCC-C-3	0.082	-3	-8
SCC-E-3	0.046	7	-5
VC-B-3	0.076	-3	-13
VC-F-3	0.048	8	-1

Note: <sup>1</sup> = latest age equaled three years in under-loaded specimens and two years in aged-then-loaded specimens

## **Appendix G: Structural Properties of Girders**

Table G.1–Table G.3: Properties for Time-Dependent Deformation Analysis

Table G.4–Table G.6: Properties for Elastic-Strain Analysis

Table G.1: Applied bending moments for time-dependent analysis

Girder	<i>M</i> (kip-in.)				
	Girder Self-Wt.	Diaphragms	Deck	Haunch	Barriers
54-4S	9,850	600	8,170	1,460	1,250
54-5S				1,210	
54-6S				1,120	
54-4V				870	
54-6V				990	
72-4S	21,840	2,400	15,550	2,460	2,380
72-6S				2,550	
72-2V				2,530	
72-3V				2,570	
72-4V				2,350	

Table G.2: Concrete ages at load application for time-dependent analysis

Girder	Time Between Mixing and Loading, $t_i$ (days)			
	Girder Self-Wt.	Diaphragms	Deck & Haunch	Barriers
54-4S	0.98	253	309	399
54-5S	1.01	260	316	406
54-6S	1.01	260	316	406
54-4V	1.01	265	321	398
54-6V	1.01	271	327	404
72-4S	0.94	239	289	378
72-6S	0.85	230	280	369
72-2V	0.94	237	293	376
72-3V	0.83	232	288	371
72-4V	0.83	232	288	371

Table G.3: Section properties of girders—Transfer-load time-dependent analysis

Girder	Transformed Properties				
	$A_{tr}$	$e_{p,bot}$ (in.)	$e_{p,top}$ (in.)	$I_{tr}$ ( $10^3$ in. <sup>4</sup> )	$k_f$ (Eq. 5-3, 5-8)
54-4S	680.4	21.91	-24.93	278.9	0.517
54-5S	681.1	21.89	-24.95	279.2	0.500
54-6S	681.1	21.89	-24.95	279.2	0.500
54-4V	679.2	21.94	-24.90	278.3	0.564
54-6V	677.5	21.98	-24.86	277.4	0.511
72-4S	799.3	27.99	-34.38	572.8	0.564
72-6S	800.7	27.94	-34.34	574.0	0.631
72-2V	792.4	28.19	-34.18	567.2	0.512
72-3V	793.6	28.15	-34.22	568.2	0.501
72-4V	793.6	28.15	-34.22	568.2	0.501

Table G.4: Section properties of girders—Transfer-load elastic analysis

Girder	$f_{cgp}$ per Equation 6-6 (ksi)	$E_{ci}/f_{cgp}$ (ksi/ksi)	Weighted Avg. VC Adjustment
54-4S	2.73	2,326	1.08
54-5S	2.73	2,271	
54-6S	2.73	2,271	
54-4V	2.74	2,427	
54-6V	2.76	2,572	
72-4S	2.95	1,983	1.17
72-6S	2.94	1,922	
72-2V	3.00	2,350	
72-3V	2.99	2,274	
72-4V	2.99	2,274	

Table G.5: Section properties of girders—Deck-load elastic analysis

Girder	$M$ (kip-in.)	VWSG $y_{tr}$ (in.)	$I_{tr}$ ( $10^3$ in. <sup>4</sup> )	$\left(\frac{E_c I_{tr}}{M y_{tr}}\right)$	Weighted Avg. VC Adjustment
54-4S	9,300	21.94	278	9.02	1.14
54-5S		21.91	279	8.72	
54-6S		21.91	279	8.72	
54-4V	8,900	21.96	278	9.76	
54-6V		22.00	277	10.41	
72-4S	18,000	28.08	570	7.16	
72-6S		28.02	572	6.80	
72-2V		28.22	566	8.13	
72-3V		28.27	565	8.49	
72-4V		28.27	565	8.49	

Table G.6: Section properties of girders—Service-load elastic analysis

Girder	Haunch Thickness (in.)	$y_{tr}$ (in.)	$I_{tr}$ ( $10^3$ in. <sup>4</sup> )	$\left(\frac{E_c I_{tr}}{y_{tr}}\right)$ ( $10^6$ kip-in.)	VC Companion Adjustment
54-1S	1.66	48.50	894	122	-
54-2S	1.66	42.51	615	92	-
54-3S	2.04	42.23	607	95	-
54-4S	2.05	42.23	607	95	-
54-5S	1.61	42.51	615	92	-
54-6S	1.21	42.51	615	92	-
54-7S	1.81	48.33	916	117	-
54-1V	1.56	47.74	860	123	1.01
54-2V	1.09	40.83	569	102	1.11
54-3V	0.97	41.33	582	97	1.02
54-4V	0.98	41.33	582	97	1.02
54-5V	1.16	40.83	569	102	1.11
54-6V	1.40	40.83	569	102	1.11
54-7V	0.79	47.86	865	124	1.06
72-1S	1.33	60.31	1,982	207	-
72-2S	1.51	54.44	1,172	137	-
72-3S	1.20	54.44	1,172	137	-
72-4S	1.36	54.44	1,172	137	-
72-5S	1.67	54.44	1,172	137	-
72-6S	1.52	54.96	1,195	130	-
72-7S	1.93	60.31	1,982	207	-
72-1V	1.24	60.38	1,921	223	1.08
72-2V	1.49	53.28	1,124	154	1.13
72-3V	1.28	52.86	1,106	160	1.17
72-4V	1.30	52.86	1,106	160	1.17
72-5V	1.84	53.28	1,124	154	1.13
72-6V	1.15	53.86	1,148	146	1.12
72-7V	2.04	60.38	1,921	223	1.08

## **Appendix H: Thermal Effects and Time-Dependent Concrete Strains of Girders**

Table H.1–Table H.2: Comparisons of Thermal-Strain Corrections

Table H.3–Table H.12: Measured Temperatures and Thermal-Strain Corrections

Table H.13–Table H.22: Concrete Strains at *cgp* and Effective Prestress

Table H.1: Comparison of within-day thermal changes using different CTE

Girder	Maximum Apparent $\Delta\epsilon_c$ ( $\mu\epsilon$ ) at CTE ( $\mu\epsilon/^\circ\text{F}$ )					
	7.2	6.9	6.7	6.4	6.1	5.8
54-4S	28	<b>25</b>	29	33	-	-
72-6S	14	<b>9</b>	<b>9</b>	11	-	-
54-4V	36	30	25	<b>20</b>	15	18
72-4V	20	15	<b>9</b>	<b>9</b>	12	17

Notes: - = not evaluated; **Bold Italicized** = best fit

Table H.2: Comparison of seasonal thermal changes in concrete strains

Girder	Maximum Apparent $\Delta\epsilon_c$ ( $\mu\epsilon$ ) Between Winter & Summer							
	Actual Meas.	Corrected using CTE ( $\mu\epsilon/^\circ\text{F}$ )						Dif. b/w CTE
		7.2	6.9	6.7	6.4	6.1	5.8	
54-4S	247	54	51	49	52	-	-	5
54-6S	298	51	54	57	-	-	-	6
72-4S	248	41	39	38	39	-	-	3
72-6S	258	34	34	37	-	-	-	3
54-4V	247	-	-	47	43	47	-	4
54-6V	232	-	-	33	31	29	35	6
72-2V	225	-	-	46	42	43	-	4
72-4V	236	-	-	41	37	41	-	4

Notes: - = not evaluated;  $\Delta\epsilon_c$  of 14  $\mu\epsilon$  equates to  $\Delta f_{pe} = 0.4$  ksi or 0.2% of  $f_{pbt}$

Table H.3: Corrections for thermal effects—54-4S

Date	Gauge Temperatures Relative to 68°F					$\Delta\varepsilon_{c,\Delta T}$ at Bottom-Flange Gauge ( <i>cgp</i> )
	Bot. Flange	Web Low	Web High	Top Flange	Deck	
9/29/10 8:54	14.7	11.7	12.4	12.3	-	311
9/29/10 10:30 <sup>1</sup>	12.6	10.6	10.1	10.8	-	270
9/29/10 14:05	11.4	12.1	9.1	12.6	-	259
9/30/10 6:40	1.2	0.4	0.3	-1.0	-	24
10/6/10 6:43	-3.0	-3.7	-3.8	-5.3	-	-69
10/28/10 9:25	0.1	-0.1	-0.1	-0.9	-	2
12/15/10 15:00	-10.7	-10.9	-10.3	-10.6	-	-242
1/20/11 10:45	-8.6	-8.4	-8.6	-8.4	-	-193
2/22/11 10:19	-0.8	0.3	-1.0	-0.2	-	-11
3/17/11 11:31	-1.1	-0.3	-0.5	0.5	-	-21
4/29/11 8:54	-0.1	0.0	-0.2	-0.2	-	-1
5/11/11 9:18 <sup>2</sup>	1.6	2.4	1.5	1.6	-	42
5/25/11 6:00	1.8	1.4	1.4	0.5	-	40
6/27/11 8:54	2.1	2.5	2.2	2.6	-	50
7/6/11 6:00	2.3	2.6	2.8	1.7	-	56
7/21/11 6:00	3.1	3.2	3.9	2.8	-	71
8/2/11 23:54	5.7	5.9	7.3	7.6	-	128
8/3/11 10:30 <sup>3</sup>	5.4	5.8	6.2	5.7	7.7	124
8/10/11 10:30	4.2	4.6	5.7	5.9	5.8	101
8/14/11 7:20	4.4	4.7	5.9	5.9	5.3	107
9/2/11 7:00	3.8	4.3	4.9	5.4	4.4	95
9/9/11 7:10	-1.2	-0.8	-0.4	-0.1	-1.1	-21
9/16/11 8:45	-0.1	0.3	0.8	1.3	0.3	3
10/13/11 8:45	-1.3	-1.3	-1.2	-1.2	-1.2	-30
10/31/11 6:00	-6.4	-6.4	-6.4	-6.3	-7.0	-147
11/1/11 15:05 <sup>4</sup>	-5.2	-5.0	-4.7	-4.5	-2.7	-124
11/11/11 6:15	-7.0	-7.0	-6.9	-6.9	-7.7	-160
3/29/12 6:34	-0.7	-0.6	-0.6	-0.6	-0.3	-16
5/10/12 5:45	-1.4	-1.4	-1.4	-1.5	-1.1	-34
9/11/12 5:45	0.6	1.1	1.8	2.3	1.4	19
1/24/13 6:30	-7.5	-7.4	-7.4	-7.4	-7.4	-173
6/6/13 6:25	2.5	2.7	3.4	4.4	3.3	62

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.4: Corrections for thermal effects—54-5S

Date	Gauge Temperatures Relative to 68°F					$\Delta\varepsilon_{c,\Delta T}$ at Bottom-Flange Gauge ( <i>cgp</i> )
	Bot. Flange	Web Low	Web High	Top Flange	Deck	
9/22/10 10:18	18.6	15.5	15.6	16.3	-	397
9/22/10 11:00 <sup>1</sup>	18.0	15.3	14.9	16.1	-	387
9/22/10 16:00	15.9	14.7	13.5	15.7	-	349
9/23/10 6:00	7.2	6.1	5.9	4.4	-	157
9/24/10 6:00	5.0	4.3	4.4	3.2	-	111
9/28/10 6:00	-0.6	-1.0	-0.9	-2.3	-	-13
9/29/10 6:00	-0.6	-1.1	-0.8	-2.3	-	-13
10/5/10 6:00	-2.5	-3.2	-3.1	-4.7	-	-57
10/20/10 11:06	-0.2	0.2	0.3	1.2	-	-5
12/15/10 11:00	-11.1	-11.2	-11.1	-11.3	-	-250
1/20/11 10:00	-8.6	-8.7	-8.7	-8.9	-	-193
2/22/11 10:00	-1.2	-1.3	-1.1	-1.2	-	-27
3/17/11 8:30	-4.7	-4.4	-4.9	-5.4	-	-102
5/11/11 9:24 <sup>2</sup>	1.7	2.8	1.6	1.1	-	47
5/26/11 6:00	3.6	3.2	3.6	2.6	-	79
6/27/11 9:00	2.2	2.3	2.4	2.5	-	50
8/3/11 2:00	5.6	5.7	6.7	6.1	-	125
8/3/11 10:30 <sup>3</sup>	5.3	5.7	5.7	5.2	7.4	122
8/4/11 6:00	6.4	7.2	9.7	13.3	14.8	144
8/8/11 8:00	4.3	4.5	5.1	5.1	4.7	102
9/2/11 6:00	4.1	4.4	4.9	5.3	4.5	99
9/16/11 6:00	0.1	0.4	0.8	1.2	0.3	7
10/13/11 6:00	-1.3	-1.3	-1.3	-1.4	-1.2	-31
10/31/11 6:00	-6.3	-6.4	-6.4	-6.5	-7.1	-146
11/1/11 23:50 <sup>4</sup>	-4.1	-4.2	-4.3	-4.4	-4.4	-96
11/11/11 6:00	-6.9	-6.9	-6.9	-7.0	-7.8	-157
12/11/11 6:00	-8.6	-8.7	-8.7	-8.8	-9.9	-196

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.5: Corrections for thermal effects—54-6S

Date	Gauge Temperatures Relative to 68°F					$\Delta\varepsilon_{c,\Delta T}$ at Bottom- Flange Gauge ( <i>cgp</i> )
	Bot. Flange	Web Low	Web High	Top Flange	Deck	
9/22/10 9:19	18.6	15.7	16.2	16.8	-	399
9/22/10 10:58 <sup>1</sup>	17.6	15.2	15.2	16.6	-	379
9/22/10 14:00	15.4	14.3	13.3	16.1	-	337
9/23/10 6:23	6.1	5.0	4.8	3.8	-	132
9/24/10 6:42	4.0	3.4	3.5	2.6	-	88
9/28/10 6:30	-0.9	-1.3	-1.3	-2.4	-	-22
9/29/10 6:31	-1.0	-1.4	-1.2	-2.6	-	-23
10/5/10 6:33	-3.2	-3.8	-3.7	-5.1	-	-73
10/20/10 8:10	-0.4	0.2	0.3	1.3	-	-8
12/15/10 10:40	-11.3	-11.2	-11.2	-11.3	-	-254
1/20/11 9:31	-8.6	-8.6	-8.7	-8.7	-	-194
2/22/11 9:09	-1.3	-1.3	-1.2	-1.3	-	-30
3/17/11 10:00	-4.9	-4.2	-4.9	-4.9	-	-105
4/29/11 8:21	-4.9	-4.2	-4.9	-4.9	-	-105
5/11/11 9:30 <sup>2</sup>	1.6	2.8	1.6	1.9	-	45
5/26/11 6:00	3.4	3.3	3.5	3.0	-	77
6/27/11 9:00	2.2	2.4	2.5	2.7	-	50
8/3/11 5:00	5.2	5.4	6.0	5.3	-	118
8/3/11 10:30 <sup>3</sup>	5.4	5.9	5.9	2.7	7.4	130
8/10/11 6:00	4.6	4.8	5.4	6.1	5.4	110
9/9/11 7:10	-1.0	-0.7	-0.4	-0.1	-1.1	-18
9/16/11 8:45	-0.1	0.3	0.7	1.1	0.2	3
10/13/11 6:45	-1.3	-1.3	-1.3	-1.4	-1.2	-32
10/31/11 6:00	-6.4	-6.4	-6.5	-6.5	-7.1	-146
11/1/11 23:30 <sup>4</sup>	-3.8	-4.0	-4.2	-4.4	-4.2	-91
11/11/11 6:15	-7.1	-7.0	-7.0	-7.0	-7.8	-160
12/11/11 6:00	-8.7	-8.7	-8.7	-8.8	-9.9	-197
3/29/12 6:34	-0.6	-0.6	-0.6	-0.6	-0.2	-15
5/10/12 5:45	-1.6	-1.6	-1.6	-1.5	0.1	-42
9/11/12 5:45	0.6	1.1	1.8	2.3	1.4	20
1/24/13 6:45	-7.4	-7.4	-7.4	-7.4	-7.4	-171
6/5/13 6:50	3.9	3.4	3.3	5.4	5.3	84

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.6: Corrections for thermal effects—54-4V

Date	Gauge Temperatures Relative to 68°F					$\Delta\varepsilon_{c,\Delta T}$ at Bottom-Flange Gauge ( <i>cgp</i> )
	Bot. Flange	Web Low	Web High	Top Flange	Deck	
9/30/10 9:30	13.1	11.2	11.4	11.0	-	260
9/30/10 10:30 <sup>1</sup>	12.4	10.8	10.3	10.6	-	248
9/30/10 12:20	11.4	10.6	8.6	10.6	-	231
10/7/10 6:46	-3.3	-3.8	-3.6	-5.0	-	-69
10/14/10 7:25	-4.0	-4.6	-4.5	-6.1	-	-84
10/28/10 9:25	-0.4	-0.6	-0.5	-1.1	-	-8
12/15/10 15:27	-11.4	-11.3	-11.2	-10.7	-	-237
1/20/11 11:07	-8.7	-8.6	-8.7	-8.3	-	-180
2/22/11 10:40	-1.9	-1.4	-1.5	0.1	-	-40
3/17/11 11:54	-1.9	-0.9	-0.9	0.6	-	-37
4/29/11 9:18	-0.4	-0.1	-0.1	0.1	-	-7
5/12/11 9:18 <sup>2</sup>	0.9	1.3	0.8	0.9	-	22
5/25/11 6:00	1.7	0.8	1.2	0.1	-	32
6/30/11 23:54	5.7	5.9	7.2	7.4	-	118
8/16/11 3:00	3.5	3.6	4.2	3.1	-	74
8/16/11 10:30 <sup>3</sup>	2.1	2.4	2.6	2.7	5.4	45
8/23/11 10:40	3.7	4.2	4.6	4.8	5.4	79
9/2/11 6:20	3.8	4.1	4.9	5.3	4.1	85
9/9/11 6:35	-0.8	-0.6	0.1	0.4	-0.8	-12
10/13/11 6:45	-1.3	-1.3	-1.2	-1.2	-1.1	-28
10/28/11 6:40	-2.2	-2.1	-1.8	-1.6	-2.7	-42
11/11/11 6:15 <sup>4</sup>	-7.8	-7.6	-7.2	-7.0	-8.8	-158
12/2/11 7:15	-9.2	-9.3	-9.4	-9.5	-10.4	-191
3/29/12 7:15	-0.7	-0.8	-0.2	0.0	0.2	-17
5/10/12 6:25	-1.0	-0.9	-0.1	0.3	-1.3	-16
9/11/12 6:25	0.9	1.2	2.0	2.6	1.3	24
1/24/13 6:41	-7.2	-7.3	-7.2	-7.2	-7.2	-152
6/6/13 6:15	2.9	3.2	4.1	4.8	3.5	66

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.7: Corrections for thermal effects—54-6V

Date	Gauge Temperatures Relative to 68°F					$\Delta\varepsilon_{c,\Delta T}$ at Bottom-Flange Gauge ( <i>cgp</i> )
	Bot. Flange	Web Low	Web High	Top Flange	Deck	
9/24/10 6:18	18.9	18.5	19.3	19.1	-	388
9/24/10 11:48 <sup>1</sup>	14.4	13.0	12.3	14.1	-	288
9/24/10 13:00	14.1	12.9	11.8	14.2	-	282
10/1/10 7:00	0.6	0.1	0.1	-1.0	-	11
10/8/10 7:42	-0.5	-1.1	-1.0	-2.1	-	-12
10/23/10 7:00	-1.6	-2.2	-2.2	-3.4	-	-35
12/15/10 12:00	-11.3	-11.2	-11.2	-11.2	-	-234
1/20/11 10:30	-8.7	-8.7	-8.7	-8.8	-	-179
2/22/11 10:00	-1.2	-0.8	-1.1	-1.2	-	-22
3/17/11 8:48	-4.3	-4.1	-4.9	-4.9	-	-86
5/12/11 9:30 <sup>2</sup>	1.0	1.4	0.9	0.9	-	23
5/25/11 6:00	1.7	0.8	1.2	0.1	-	32
6/30/11 23:54	5.8	6.0	7.2	7.8	-	119
7/19/11 6:00	3.8	4.1	4.7	3.5	-	82
8/16/11 3:00	3.4	3.6	4.2	3.2	-	72
8/16/11 10:30 <sup>3</sup>	3.4	3.6	4.2	3.2	5.4	66
8/23/11 10:42	3.7	4.2	4.6	4.9	5.4	71
3/29/12 10:20 <sup>4</sup>	-0.7	-0.8	-0.2	0.0	0.2	-15
5/10/12 6:20	-1.0	-0.9	-0.1	0.4	-1.3	-14
9/11/12 6:20	0.9	1.2	2.0	2.6	1.3	22
1/24/13 6:40	-7.2	-7.3	-7.2	-7.1	-7.2	-137
6/5/13 6:30	3.8	4.2	4.9	6.0	10.3	60

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.8: Corrections for thermal effects—72-4S

Date	Gauge Temperatures Relative to 68°F					$\Delta\varepsilon_{c,\Delta T}$ at Bottom-Flange Gauge ( <i>cgp</i> )
	Bot. Flange	Web Low	Web High	Top Flange	Deck	
10/20/10 9:20	19.4	16.8	18.3	19.6	-	412
10/20/10 10:10 <sup>1</sup>	18.2	15.4	16.1	17.3	-	383
10/20/10 14:17	13.9	11.6	12.1	13.4	-	290
10/27/10 13:45	1.8	1.7	2.0	2.3	-	39
11/3/10 7:40	-2.8	-3.0	-2.8	-3.1	-	-64
11/17/10 7:40	-5.4	-5.8	-5.7	-7.0	-	-124
12/19/10 6:00	-9.3	-9.4	-9.4	-10.8	-	-208
2/3/11 9:29	-10.9	-11.2	-11.4	-11.9	-	-247
3/3/11 10:12	-3.4	-3.2	-2.3	-2.4	-	-76
4/5/11 10:27	-3.7	-4.2	-4.1	-3.9	-	-89
4/29/11 7:09	0.2	-0.2	-0.1	-1.0	-	2
5/11/11 7:30 <sup>2</sup>	1.5	0.7	1.1	0.6	-	28
5/31/11 8:12	2.6	2.6	3.2	2.6	-	59
7/6/11 11:56	4.3	4.3	5.4	6.6	-	94
8/4/11 2:00	5.9	6.0	7.0	7.2	-	133
8/4/11 10:45 <sup>3</sup>	4.7	4.4	5.3	5.4	6.2	103
8/10/11 7:00	4.0	4.1	4.8	4.9	5.4	91
8/16/11 7:40	3.8	4.1	4.9	5.7	4.5	92
8/26/11 6:50	3.7	3.9	4.8	5.1	4.6	89
9/2/11 7:30	3.4	3.6	4.4	4.7	3.9	82
9/9/11 7:30	-1.2	-1.2	-0.5	-0.3	-1.3	-26
9/16/11 6:20	-0.4	-0.3	0.4	0.7	0.0	-6
9/29/11 6:45	1.1	1.2	1.6	1.6	1.4	26
10/28/11 7:15	-2.2	-2.2	-1.6	-1.6	-2.6	-48
11/1/11 14:40 <sup>4</sup>	-5.1	-5.1	-5.1	-5.1	-3.3	-122
11/11/11 6:10	-7.2	-6.9	-6.4	-6.1	-7.9	-158
3/29/12 6:34	-0.7	-0.3	0.4	1.0	-0.5	-8
5/10/12 6:00	-1.2	-0.8	-0.1	0.4	-1.0	-21
9/11/12 6:00	0.5	0.9	1.7	2.3	1.3	17
1/24/13 6:50	-7.3	-7.1	-6.9	-6.7	-7.3	-165
6/6/13 6:20	2.6	2.8	3.8	4.6	3.2	65

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.9: Corrections for thermal effects—72-6S

Date	Gauge Temperatures Relative to 68°F					$\Delta\varepsilon_{c,\Delta T}$ at Bottom-Flange Gauge ( <i>cgp</i> )
	Bot. Flange	Web Low	Web High	Top Flange	Deck	
10/29/10 7:10	15.5	13.1	14.9	16.4	-	325
10/29/10 8:05 <sup>1</sup>	13.7	10.4	11.9	13.4	-	278
10/29/10 10:20	10.2	6.6	7.8	8.3	-	197
11/5/10 8:42	-5.1	-5.4	-5.5	-6.9	-	-114
11/12/10 7:38	-4.0	-4.2	-4.1	-5.2	-	-90
11/25/10 7:05	-2.1	-2.1	-2.2	-2.6	-	-46
12/28/10 10:23	-11.7	-11.9	-12.1	-13.0	-	-263
3/3/11 11:58	-3.1	-2.6	-1.8	-0.3	-	-68
4/5/11 11:12	-3.3	-3.9	-4.1	-2.8	-	-82
4/29/11 7:37	0.2	-0.2	-0.2	-1.1	-	2
5/11/11 7:54 <sup>2</sup>	1.4	0.7	0.9	0.6	-	26
6/1/11 2:00	5.4	5.1	5.7	5.9	-	117
7/6/11 23:54	4.4	4.4	5.3	6.6	-	97
8/4/11 3:00	5.9	6.0	6.6	6.7	-	133
8/4/11 10:45 <sup>3</sup>	4.8	5.1	5.3	5.4	6.3	97
8/26/11 8:00	3.7	3.9	4.6	5.4	4.6	76
9/2/11 7:00	3.6	3.7	4.2	5.1	4.0	73
9/9/11 7:30	-1.2	-1.1	-0.7	-0.1	-1.2	-21
9/16/11 6:20	-0.2	-0.1	0.3	1.0	0.1	-3
9/29/11 6:45	1.2	1.3	1.4	1.8	1.5	25
10/28/11 7:15	-1.9	-1.8	-1.4	-1.2	-2.4	-34
11/1/11 1:00	-4.6	-4.9	-4.8	-4.5	-5.5	-92
11/1/11 23:50 <sup>4</sup>	-3.8	-4.2	-4.1	-3.8	-4.7	-77
11/11/11 6:10	-7.2	-7.0	-6.3	-6.1	-7.8	-137
3/29/12 6:34	-0.6	-0.4	0.2	1.0	-0.3	-9
5/10/12 6:00	-1.3	-1.1	-0.4	0.4	-0.1	-24
9/11/12 6:00	0.7	0.8	1.3	2.3	1.4	15
1/24/13 6:52	-7.1	-7.2	-7.2	-7.0	-7.3	-143
6/5/13 6:52	3.3	3.3	4.0	5.7	4.8	66

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.10: Corrections for thermal effects—72-2V

Date	Gauge Temperatures Relative to 68°F					$\Delta\varepsilon_{c,\Delta T}$ at Bottom-Flange Gauge ( <i>cgp</i> )
	Bot. Flange	Web Low	Web High	Top Flange	Deck	
10/22/10 8:30	14.6	10.3	12.4	12.3	-	268
10/22/10 9:10 <sup>1</sup>	13.6	9.2	11.1	10.9	-	247
10/22/10 11:00	12.2	8.6	9.4	9.4	-	224
10/29/10 10:00	-4.2	-3.9	-3.5	-4.3	-	-84
11/5/10 8:29	-6.3	-5.9	-5.8	-7.2	-	-126
11/19/10 7:12	-5.6	-5.4	-5.2	-6.2	-	-114
12/21/10 6:00	-7.8	-7.6	-7.2	-7.1	-	-161
2/3/11 9:33	-10.9	-11.1	-11.1	-11.6	-	-226
3/3/11 10:16	-3.5	-3.1	-2.4	-1.8	-	-71
4/5/11 10:31	-4.1	-4.4	-4.3	-3.3	-	-88
4/29/11 7:14	-0.3	-0.4	-0.2	-1.1	-	-6
5/12/11 7:54 <sup>2</sup>	0.2	0.5	0.9	0.2	-	8
7/6/11 23:54	0.8	4.2	5.2	6.4	-	40
7/18/11 7:24	1.3	3.2	3.8	2.7	-	42
8/15/11 23:54 <sup>3</sup>	3.8	3.8	4.2	5.0	4.8	79
8/26/11 8:30	3.7	4.3	5.3	4.8	5.6	82
9/2/11 8:40	3.7	4.1	4.2	5.1	2.2	87
9/9/11 9:00	-1.1	-0.7	-0.8	-0.1	3.9	-30
9/16/11 7:30	-0.4	-0.2	0.3	0.6	-0.7	-5
10/28/11 7:30	-2.1	-1.9	-1.6	-1.2	-2.7	-39
11/11/11 6:10 <sup>4</sup>	-7.9	-7.0	-6.3	-6.1	-8.7	-152
12/2/11 7:00	-9.1	-10.0	-9.7	-9.4	-10.6	-196
3/29/12 7:15	-1.5	-0.7	0.1	0.8	0.3	-24
5/10/12 6:15	-1.3	-1.2	-0.6	0.3	-1.6	-23
9/11/12 6:15	0.7	0.7	1.3	2.2	1.2	16
1/24/13 6:54	-7.3	-7.2	-7.2	-7.0	-7.5	-152
6/6/13 6:30	2.3	2.8	3.8	2.6	2.8	55

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.11: Corrections for thermal effects—72-3V

Date	Gauge Temperatures Relative to 68°F					$\Delta\varepsilon_{c,\Delta T}$ at Bottom-Flange Gauge ( <i>cgp</i> )
	Bot. Flange	Web Low	Web High	Top Flange	Deck	
10/27/10 8:36	17.3	14.0	16.2	16.7	-	331
10/27/10 9:55 <sup>1</sup>	15.5	11.8	13.7	14.3	-	290
10/27/10 11:28	13.3	10.0	11.4	11.4	-	249
11/3/10 7:46	-2.4	-2.5	-2.3	-2.7	-	-51
11/10/10 7:20	-4.9	-5.2	-4.8	-6.0	-	-103
11/23/10 7:34	-0.7	-0.8	-0.4	-0.9	-	-14
12/28/10 10:18	-11.8	-12.1	-12.1	-13.2	-	-245
3/3/11 11:54	-3.0	-2.6	-1.5	-0.5	-	-62
4/17/11 6:00	-3.4	-3.6	-3.3	-4.7	-	-71
4/28/11 6:00	0.3	0.1	0.2	-0.9	-	6
5/12/11 8:00 <sup>2</sup>	1.0	0.4	0.9	0.1	-	17
6/1/11 7:00	3.0	2.3	2.7	2.1	-	58
7/7/11 6:00	3.4	3.5	4.3	3.6	-	72
7/18/11 7:00	3.0	3.1	3.8	2.8	-	64
8/15/11 10:00 <sup>3</sup>	3.3	3.6	4.2	3.8	4.5	70
8/26/11 10:00	3.9	4.3	5.2	4.7	5.6	84
9/2/11 6:00	3.9	4.2	4.2	5.1	3.9	86
9/9/11 9:00	-0.9	-0.7	-0.8	-0.1	-0.7	-17
9/16/11 7:30	-0.3	-0.2	0.3	0.6	-0.7	-4
10/28/11 7:30	-1.9	-1.9	-1.6	-1.2	-2.7	-37
11/11/11 6:10 <sup>4</sup>	-7.6	-7.0	-6.3	-6.1	-8.7	-148
12/2/11 7:00	-8.9	-10.0	-9.7	-9.4	-10.6	-194
3/29/12 7:15	-1.3	-0.7	0.1	0.8	0.5	-22
5/10/12 6:15	-1.1	-1.2	-0.6	0.3	-1.6	-21
9/11/12 6:15	0.9	0.7	1.3	2.2	1.2	18
1/24/13 6:43	-7.3	-7.2	-7.2	-7.0	-7.3	-152

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.12: Corrections for thermal effects—72-4V

Date	Gauge Temperatures Relative to 68°F					$\Delta\varepsilon_{c,\Delta T}$ at Bottom-Flange Gauge ( <i>cgp</i> )
	Bot. Flange	Web Low	Web High	Top Flange	Deck	
10/27/10 8:36	15.0	14.0	16.2	16.7	-	300
10/27/10 9:55 <sup>1</sup>	13.4	11.8	13.7	14.3	-	263
10/27/10 11:28	11.8	10.0	11.4	11.4	-	229
11/3/10 7:46	-2.4	-2.5	-2.3	-2.7	-	-51
11/10/10 7:20	-5.1	-5.2	-4.8	-6.0	-	-105
11/23/10 7:34	-0.8	-0.8	-0.4	-0.9	-	-16
12/28/10 10:18	-11.8	-12.1	-12.1	-13.2	-	-245
3/3/11 11:54	-3.2	-2.6	-1.5	-0.5	-	-64
4/5/11 11:08	-3.3	-4.0	-4.1	-3.1	-	-76
4/29/11 7:33	-0.1	-0.3	-0.2	-1.4	-	-2
5/12/11 8:00 <sup>2</sup>	0.9	0.4	0.9	0.1	-	17
6/1/11 7:00	3.0	2.3	2.7	2.1	-	58
7/7/11 6:00	3.4	3.5	4.3	3.6	-	72
8/10/11 3:00 <sup>3</sup>	4.4	4.2	4.5	4.5	6.8	103
8/10/11 10:45	2.7	3.0	3.6	2.8	4.6	90
8/16/11 11:30	3.6	4.5	5.2	4.4	6.4	56
8/23/11 11:00	3.7	4.3	5.3	4.8	4.5	80
8/26/11 8:30	3.7	4.1	4.2	5.1	4.1	84
9/2/11 8:40	-1.0	-0.7	-0.8	-0.1	-0.9	83
9/9/11 9:00	-0.4	-0.2	0.3	0.6	-0.4	-17
9/16/11 7:30	-2.0	-1.9	-1.6	-1.2	-2.4	-5
10/28/11 7:30	-7.6	-7.0	-6.3	-6.1	-8.6	-39
11/11/11 6:10 <sup>4</sup>	-8.9	-10.0	-9.7	-9.4	-10.4	-148
12/2/11 7:00	-1.3	-0.7	0.1	0.8	-0.1	-195
3/29/12 7:15	-1.0	-1.2	-0.6	0.3	-1.3	-21
5/10/12 6:15	1.0	0.7	1.3	2.2	1.4	-20
9/11/12 6:15	-7.3	-7.2	-7.2	-7.0	-7.3	19
1/24/13 6:43	3.3	3.6	5.9	5.0	9.6	-152
6/5/13 14:31	2.4	2.6	5.4	4.5	3.3	61
6/6/13 6:15	4.4	4.2	4.5	4.5	6.8	57

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.13: Concrete strains at *cgp* and effective prestress—54-4S

Date	$\Delta\varepsilon_c$ at <i>cgp</i> ( $\mu\varepsilon$ )			$f_{pe}$ (ksi) (Eq. 6-4)
	Gauge-Temp. Corrected	Thermal (Table H.3)	Concrete Temp.- Corrected	
9/29/10 8:54	311	311	0	200.4
9/29/10 10:30 <sup>1</sup>	-135	270	-405	188.8
9/29/10 14:05	-192	259	-451	187.5
9/30/10 6:40	-438	24	-462	187.2
10/6/10 6:43	-607	-69	-537	185.0
10/28/10 9:25	-631	2	-633	182.3
12/15/10 15:00	-902	-242	-660	181.5
1/20/11 10:45	-860	-193	-667	181.3
2/22/11 10:19	-699	-11	-688	180.7
3/17/11 11:31	-733	-21	-712	180.0
4/29/11 8:54	-716	-1	-715	179.9
5/11/11 9:18 <sup>2</sup>	-706	42	-749	179.0
5/25/11 6:00	-725	40	-766	178.5
6/27/11 8:54	-709	50	-759	178.7
7/6/11 6:00	-730	56	-786	177.9
7/21/11 6:00	-712	71	-784	178.0
8/2/11 23:54	-671	128	-799	177.5
8/3/11 10:30 <sup>3</sup>	-552	124	-676	181.1
8/10/11 10:30	-578	101	-679	181.0
8/14/11 7:20	-568	107	-674	181.1
9/2/11 7:00	-597	95	-692	180.6
9/9/11 7:10	-724	-21	-703	180.3
9/16/11 8:45	-699	3	-702	180.3
10/13/11 8:45	-735	-30	-704	180.3
10/31/11 6:00	-864	-147	-717	179.9
11/1/11 15:05 <sup>4</sup>	-822	-124	-697	180.5
11/11/11 6:15	-873	-160	-714	180.0
3/29/12 6:34	-697	-16	-681	180.9
5/10/12 5:45	-733	-34	-699	180.4
9/11/12 5:45	-712	19	-731	179.5
1/24/13 6:30	-892	-173	-719	179.8
6/6/13 6:25	-646	62	-727	179.6

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.14: Concrete strains at *cgp* and effective prestress—54-5S

Date	$\Delta\varepsilon_c$ at <i>cgp</i> ( $\mu\varepsilon$ )			$f_{pe}$ (ksi) (Eq. 6-4)
	Gauge-Temp. Corrected	Thermal (Table H.4)	Gauge-Temp. Corrected	
9/22/10 10:18	397	397	0	200.4
9/22/10 11:00 <sup>1</sup>	-181	387	-568	184.2
9/22/10 16:00	-194	349	-543	184.9
9/23/10 6:00	-374	157	-531	185.2
9/24/10 6:00	-433	111	-544	184.8
9/28/10 6:00	-566	-13	-553	184.6
9/29/10 6:00	-572	-13	-559	184.4
10/5/10 6:00	-650	-57	-593	183.4
10/20/10 11:06	-642	-5	-637	182.2
12/15/10 11:00	-899	-250	-649	181.8
1/20/11 10:00	-845	-193	-652	181.8
2/22/11 10:00	-717	-27	-690	180.7
3/17/11 8:30	-797	-102	-695	180.5
5/11/11 9:24 <sup>2</sup>	-723	47	-770	178.4
5/26/11 6:00	-697	79	-776	178.2
6/27/11 9:00	-745	50	-795	177.7
8/3/11 2:00	-680	125	-805	177.4
8/3/11 10:30 <sup>3</sup>	-571	122	-693	180.6
8/4/11 6:00	-544	144	-688	180.7
8/8/11 8:00	-599	102	-701	180.4
9/2/11 6:00	-616	99	-715	180.0
9/16/11 6:00	-714	7	-721	179.8
10/13/11 6:00	-750	-31	-719	179.8
10/31/11 6:00	-879	-146	-733	179.4
11/1/11 23:50 <sup>4</sup>	-812	-96	-716	179.9
11/11/11 6:00	-883	-157	-726	179.6
12/11/11 6:00	-908	-196	-712	180.0

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.15: Concrete strains at *cgp* and effective prestress—54-6S

Date	$\Delta\varepsilon_c$ at <i>cgp</i> ( $\mu\varepsilon$ )			$f_{pe}$ (ksi) (Eq. 6-4)
	Gauge-Temp. Corrected	Thermal (Table H.5)	Gauge-Temp. Corrected	
9/22/10 9:19	399	399	0	200.4
9/22/10 10:58 <sup>1</sup>	-58	379	-437	187.9
9/22/10 14:00	-163	337	-500	186.1
9/23/10 6:23	-352	132	-484	186.5
9/24/10 6:42	-408	88	-496	186.2
9/28/10 6:30	-541	-22	-519	185.6
9/29/10 6:31	-548	-23	-525	185.4
10/5/10 6:33	-628	-73	-555	184.5
10/20/10 8:10	-616	-8	-608	183.0
12/15/10 10:40	-904	-254	-650	181.8
1/20/11 9:31	-851	-194	-657	181.6
2/22/11 9:09	-717	-30	-687	180.8
3/17/11 10:00	-807	-105	-702	180.3
4/29/11 8:21	-807	-105	-702	180.3
5/11/11 9:30 <sup>2</sup>	-732	45	-777	178.2
5/26/11 6:00	-715	77	-792	177.8
6/27/11 9:00	-760	50	-810	177.2
8/3/11 5:00	-701	118	-819	177.0
8/3/11 10:30 <sup>3</sup>	-572	130	-702	180.3
8/10/11 6:00	-604	110	-714	180.0
9/9/11 7:10	-754	-18	-736	179.3
9/16/11 8:45	-736	3	-739	179.3
10/13/11 6:45	-760	-32	-728	179.6
10/31/11 6:00	-896	-146	-750	178.9
11/1/11 23:30 <sup>4</sup>	-818	-91	-727	179.6
11/11/11 6:15	-895	-160	-735	179.4
12/11/11 6:00	-911	-197	-714	180.0
3/29/12 6:34	-720	-15	-705	180.2
5/10/12 5:45	-748	-42	-706	180.2
9/11/12 5:45	-732	20	-752	178.9
1/24/13 6:45	-892	-171	-721	179.8
6/5/13 6:50	-614	84	-698	180.4

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.16: Concrete strains at *cgp* and effective prestress—54-4V

Date	$\Delta\varepsilon_c$ at <i>cgp</i> ( $\mu\varepsilon$ )			$f_{pe}$ (ksi) (Eq. 6-4)
	Gauge-Temp. Corrected	Thermal (Table H.6)	Gauge-Temp. Corrected	
9/30/10 9:30	260	260	0	200.4
9/30/10 10:30 <sup>1</sup>	-219	248	-467	187.1
9/30/10 12:20	-312	231	-543	184.9
10/7/10 6:46	-682	-69	-613	182.9
10/14/10 7:25	-753	-84	-669	181.3
10/28/10 9:25	-704	-8	-696	180.5
12/15/10 15:27	-965	-237	-728	179.6
1/20/11 11:07	-913	-180	-733	179.4
2/22/11 10:40	-789	-40	-749	179.0
3/17/11 11:54	-804	-37	-767	178.5
4/29/11 9:18	-777	-7	-770	178.4
5/12/11 9:18 <sup>2</sup>	-796	22	-818	177.0
5/25/11 6:00	-813	32	-845	176.2
6/30/11 23:54	-730	118	-848	176.2
8/16/11 3:00	-805	74	-879	175.3
8/16/11 10:30 <sup>3</sup>	-737	45	-782	178.0
8/23/11 10:40	-687	79	-766	178.5
9/2/11 6:20	-675	85	-760	178.7
9/9/11 6:35	-788	-12	-776	178.2
10/13/11 6:45	-804	-28	-776	178.2
10/28/11 6:40	-823	-42	-781	178.1
11/11/11 6:15 <sup>4</sup>	-953	-158	-795	177.7
12/2/11 7:15	-977	-191	-786	177.9
3/29/12 7:15	-781	-17	-764	178.6
5/10/12 6:25	-799	-16	-783	178.0
9/11/12 6:25	-781	24	-805	177.4
1/24/13 6:41	-956	-152	-804	177.4
6/6/13 6:15	-741	66	-807	177.3

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.17: Concrete strains at *cgp* and effective prestress—54-6V

Date	$\Delta\varepsilon_c$ at <i>cgp</i> ( $\mu\varepsilon$ )			$f_{pe}$ (ksi) (Eq. 6-4)
	Gauge-Temp. Corrected	Thermal (Table H.7)	Gauge-Temp. Corrected	
9/24/10 6:18	388	388	0	200.4
9/24/10 11:48 <sup>1</sup>	-200	288	-488	186.4
9/24/10 13:00	-211	282	-493	186.3
10/1/10 7:00	-567	11	-578	183.9
10/8/10 7:42	-626	-12	-614	182.8
10/23/10 7:00	-706	-35	-671	181.2
12/15/10 12:00	-925	-234	-691	180.6
1/20/11 10:30	-854	-179	-675	181.1
2/22/11 10:00	-722	-22	-700	180.4
3/17/11 8:48	-788	-86	-702	180.3
5/12/11 9:30 <sup>2</sup>	-747	23	-770	178.4
5/25/11 6:00	-761	32	-793	177.7
6/30/11 23:54	-685	119	-804	177.4
7/19/11 6:00	-744	82	-826	176.8
8/16/11 3:00	-771	72	-843	176.3
8/16/11 10:30 <sup>3</sup>	-660	66	-726	179.6
8/23/11 10:42	-640	71	-711	180.1
3/29/12 10:20 <sup>4</sup>	-739	-15	-724	179.7
5/10/12 6:20	-751	-14	-737	179.3
9/11/12 6:20	-730	22	-752	178.9
1/24/13 6:40	-896	-137	-759	178.7
6/5/13 6:30	-664	60	-724	179.7

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.18: Concrete strains at *cgp* and effective prestress—72-4S

Date	$\Delta\varepsilon_c$ at <i>cgp</i> ( $\mu\varepsilon$ )			$f_{pe}$ (ksi) (Eq. 6-4)
	Gauge-Temp. Corrected	Thermal (Table H.8)	Gauge-Temp. Corrected	
10/20/10 9:20	412	412	0	200.4
10/20/10 10:10 <sup>1</sup>	-90	383	-473	186.9
10/20/10 14:17	-250	290	-540	184.9
10/27/10 13:45	-544	39	-583	183.7
11/3/10 7:40	-670	-64	-606	183.1
11/17/10 7:40	-762	-124	-638	182.2
12/19/10 6:00	-870	-208	-662	181.5
2/3/11 9:29	-940	-247	-693	180.6
3/3/11 10:12	-808	-76	-732	179.5
4/5/11 10:27	-872	-89	-783	178.0
4/29/11 7:09	-791	2	-793	177.7
5/11/11 7:30 <sup>2</sup>	-788	28	-816	177.1
5/31/11 8:12	-760	59	-819	177.0
7/6/11 11:56	-748	94	-842	176.3
8/4/11 2:00	-717	133	-850	176.1
8/4/11 10:45 <sup>3</sup>	-618	103	-721	179.8
8/10/11 7:00	-632	91	-723	179.7
8/16/11 7:40	-631	92	-723	179.7
8/26/11 6:50	-636	89	-725	179.7
9/2/11 7:30	-650	82	-732	179.5
9/9/11 7:30	-769	-26	-743	179.1
9/16/11 6:20	-748	-6	-742	179.2
9/29/11 6:45	-712	26	-738	179.3
10/28/11 7:15	-798	-48	-750	179.0
11/1/11 14:40 <sup>4</sup>	-839	-122	-717	179.9
11/11/11 6:10	-915	-158	-757	178.7
3/29/12 6:34	-740	-8	-732	179.5
5/10/12 6:00	-768	-21	-747	179.0
9/11/12 6:00	-754	17	-771	178.3
1/24/13 6:50	-923	-165	-758	178.7
6/6/13 6:20	-702	65	-767	178.5

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.19: Concrete strains at *cgp* and effective prestress—72-6S

Date	$\Delta\varepsilon_c$ at <i>cgp</i> ( $\mu\varepsilon$ )			$f_{pe}$ (ksi) (Eq. 6-4)
	Gauge-Temp. Corrected	Thermal (Table H.9)	Gauge-Temp. Corrected	
10/29/10 7:10	325	325	0	200.4
10/29/10 8:05 <sup>1</sup>	-225	278	-503	186.0
10/29/10 10:20	-380	197	-577	183.9
11/5/10 8:42	-774	-114	-660	181.5
11/12/10 7:38	-791	-90	-701	180.3
11/25/10 7:05	-787	-46	-741	179.2
12/28/10 10:23	-1027	-263	-764	178.6
3/3/11 11:58	-895	-68	-827	176.8
4/5/11 11:12	-958	-82	-876	175.3
4/29/11 7:37	-881	2	-883	175.1
5/11/11 7:54 <sup>2</sup>	-887	26	-913	174.3
6/1/11 2:00	-805	117	-922	174.0
7/6/11 23:54	-848	97	-945	173.4
8/4/11 3:00	-822	133	-955	173.1
8/4/11 10:45 <sup>3</sup>	-724	97	-821	176.9
8/26/11 8:00	-754	76	-830	176.7
9/2/11 7:00	-766	73	-839	176.4
9/9/11 7:30	-862	-21	-841	176.3
9/16/11 6:20	-846	-3	-843	176.3
9/29/11 6:45	-809	25	-834	176.6
10/28/11 7:15	-885	-34	-851	176.1
11/1/11 1:00	-942	-92	-850	176.1
11/1/11 23:50 <sup>4</sup>	-910	-77	-833	176.6
11/11/11 6:10	-983	-137	-846	176.2
3/29/12 6:34	-833	-9	-824	176.8
5/10/12 6:00	-857	-24	-833	176.6
9/11/12 6:00	-841	15	-856	175.9
1/24/13 6:52	-982	-143	-839	176.4
6/5/13 6:52	-756	66	-822	176.9

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.20: Concrete strains at *cgp* and effective prestress—72-2V

Date	$\Delta\varepsilon_c$ at <i>cgp</i> ( $\mu\varepsilon$ )			$f_{pe}$ (ksi) (Eq. 6-4)
	Gauge-Temp. Corrected	Thermal (Table H.10)	Gauge-Temp. Corrected	
10/22/10 8:30	268	268	0	200.4
10/22/10 9:10 <sup>1</sup>	-241	247	-488	186.5
10/22/10 11:00	-326	224	-550	184.7
10/29/10 10:00	-735	-84	-651	181.8
11/5/10 8:29	-797	-126	-671	181.2
11/19/10 7:12	-803	-114	-689	180.7
12/21/10 6:00	-878	-161	-717	179.9
2/3/11 9:33	-968	-226	-742	179.2
3/3/11 10:16	-841	-71	-770	178.4
4/5/11 10:31	-906	-88	-818	177.0
4/29/11 7:14	-835	-6	-829	176.7
5/12/11 7:54 <sup>2</sup>	-855	8	-863	175.7
7/6/11 23:54	-870	40	-910	174.4
7/18/11 7:24	-866	42	-908	174.4
8/15/11 23:54 <sup>3</sup>	-686	79	-765	178.5
8/26/11 8:30	-674	82	-756	178.8
9/2/11 8:40	-695	87	-782	178.0
9/9/11 9:00	-791	-30	-761	178.6
9/16/11 7:30	-793	-5	-788	177.9
10/28/11 7:30	-833	-39	-794	177.7
11/11/11 6:10 <sup>4</sup>	-939	-152	-787	177.9
12/2/11 7:00	-963	-196	-767	178.5
3/29/12 7:15	-774	-24	-750	178.9
5/10/12 6:15	-795	-23	-772	178.3
9/11/12 6:15	-772	16	-788	177.9
1/24/13 6:54	-939	-152	-787	177.9
6/6/13 6:30	-737	55	-792	177.7

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.21: Concrete strains at *cgp* and effective prestress—72-3V

Date	$\Delta\varepsilon_c$ at <i>cgp</i> ( $\mu\varepsilon$ )			$f_{pe}$ (ksi) (Eq. 6-4)
	Gauge-Temp. Corrected	Thermal (Table H.11)	Gauge-Temp. Corrected	
10/27/10 8:36	331	331	0	200.4
10/27/10 9:55 <sup>1</sup>	-175	290	-465	187.1
10/27/10 11:28	-269	249	-518	185.6
11/3/10 7:46	-634	-51	-583	183.7
11/10/10 7:20	-703	-103	-600	183.3
11/23/10 7:34	-646	-14	-632	182.3
12/28/10 10:18	-905	-245	-660	181.5
3/3/11 11:54	-773	-62	-711	180.1
4/17/11 6:00	-830	-71	-759	178.7
4/28/11 6:00	-756	6	-762	178.6
5/12/11 8:00 <sup>2</sup>	-770	17	-787	177.9
6/1/11 7:00	-750	58	-808	177.3
7/7/11 6:00	-744	72	-816	177.1
7/18/11 7:00	-757	64	-821	176.9
8/15/11 10:00 <sup>3</sup>	-631	70	-701	180.3
8/26/11 10:00	-608	84	-692	180.6
9/2/11 6:00	-617	86	-703	180.3
9/9/11 9:00	-731	-17	-714	180.0
9/16/11 7:30	-725	-4	-721	179.8
10/28/11 7:30	-763	-37	-726	179.6
11/11/11 6:10 <sup>4</sup>	-884	-148	-736	179.3
12/2/11 7:00	-909	-194	-715	179.9
3/29/12 7:15	-716	-22	-694	180.5
5/10/12 6:15	-733	-21	-712	180.0
9/11/12 6:15	-709	18	-727	179.6
1/24/13 6:43	-888	-152	-736	179.3

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

Table H.22: Concrete strains at *cgp* and effective prestress—72-4V

Date	$\Delta\varepsilon_c$ at <i>cgp</i> ( $\mu\varepsilon$ )			$f_{pe}$ (ksi) (Eq. 6-4)
	Gauge-Temp. Corrected	Thermal (Table H.12)	Gauge-Temp. Corrected	
10/27/10 8:36	300	300	0	200.4
10/27/10 9:55 <sup>1</sup>	-196	263	-459	187.3
10/27/10 11:28	-275	229	-504	186.0
11/3/10 7:46	-630	-51	-579	183.8
11/10/10 7:20	-722	-105	-617	182.7
11/23/10 7:34	-662	-16	-646	181.9
12/28/10 10:18	-914	-245	-669	181.3
3/3/11 11:54	-776	-64	-712	180.0
4/5/11 11:08	-838	-76	-762	178.6
4/29/11 7:33	-766	-2	-764	178.6
5/12/11 8:00 <sup>2</sup>	-770	17	-787	177.9
6/1/11 7:00	-748	58	-806	177.3
7/7/11 6:00	-738	72	-810	177.2
8/10/11 3:00 <sup>3</sup>	-717	103	-820	177.0
8/10/11 10:45	-609	90	-699	180.4
8/16/11 11:30	-648	56	-704	180.3
8/23/11 11:00	-626	80	-706	180.2
8/26/11 8:30	-624	84	-708	180.2
9/2/11 8:40	-626	83	-709	180.1
9/9/11 9:00	-734	-17	-717	179.9
9/16/11 7:30	-723	-5	-718	179.9
10/28/11 7:30	-765	-39	-726	179.6
11/11/11 6:10 <sup>4</sup>	-880	-148	-732	179.5
12/2/11 7:00	-904	-195	-709	180.1
3/29/12 7:15	-722	-21	-701	180.4
5/10/12 6:15	-731	-20	-711	180.1
9/11/12 6:15	-713	19	-732	179.5
1/24/13 6:43	-888	-152	-736	179.4
6/5/13 14:31	-677	61	-738	179.3
6/6/13 6:15	300	300	0	200.4

Notes: Superscripts denote the first reading obtained after (1) transfer, (2) girder erection at bridge, (3) deck addition, and (4) barrier addition.

**Appendix I: Adjusted Girder Strain Responses to Construction and Service Loads**

Table I.1: Adjusted VC strains in response to transfer loads

Girder	$\mu\epsilon_{\text{measured}}$ by VWSG	$\mu\epsilon_{\text{adjusted}}$ by Table G.4	Avg. $\mu\epsilon_{\text{adjusted}}$	Meas. SCC / Adjusted VC	
				Girder	Avg.
54-4S	405	-		0.78	
54-5S	568	-	-	1.10	0.91
54-6S	437	-		0.84	
54-4V	467	506		-	
54-6V	488	529	518	-	-
72-4S	473	-		0.86	
72-6S	503	-	-	0.91	0.88
72-2V	488	571		-	
72-3V	465	545	551	-	-
72-4V	459	538		-	

Table I.2: Adjusted VC strains in response to deck addition

Girder	$\mu\epsilon_{\text{measured}}$ by VWSG	$\mu\epsilon_{\text{adjusted}}$ by Table G.5	Avg. $\mu\epsilon_{\text{adjusted}}$	Meas. SCC / Adjusted VC	
				Girder	Avg.
54-4S	123	-		1.04	
54-5S	112	-	-	0.95	1.00
54-6S	117	-		0.99	
54-4V	111	122		-	
54-6V	97	114	118	-	-
72-4S	129	-		0.90	
72-6S	134	-	-	0.93	0.91
72-2V	142	162		-	
72-3V	116	132	144	-	-
72-4V	121	137		-	

Table I.3: Adjusted VC strains in response to Load A+E+H

Girder	1 <sup>st</sup> Load Test			2 <sup>nd</sup> Load Test		
	$\mu\epsilon_{\text{measured}}$ by ERSG	$\mu\epsilon_{\text{adjusted}}$ by Table G.6	Meas. SCC / Adjusted VC	$\mu\epsilon_{\text{measured}}$ by ERSG	$\mu\epsilon_{\text{adjusted}}$ by Table G.6	Meas. SCC / Adjusted VC
54-1S	40	-	0.93	39	-	0.96
54-2S	53	-	0.82	54	-	0.88
54-3S	70	-	0.96	67	-	0.93
54-4S	82	-	0.96	82	-	0.96
54-5S	93	-	0.87	91	-	0.85
54-6S	100	-	0.91	99	-	0.89
54-7S	113	-	1.02	114	-	0.95
54-1V	42	43	-	40	41	-
54-2V	58	64	-	55	61	-
54-3V	72	73	-	71	72	-
54-4V	85	86	-	84	85	-
54-5V	96	107	-	96	107	-
54-6V	98	110	-	100	111	-
54-7V	105	111	-	113	120	-
72-1S	43	-	1.00	44	-	1.08
72-2S	56	-	0.85	56	-	N.A.
72-3S	66	-	0.78	62	-	0.87
72-4S	73	-	0.80	75	-	0.82
72-5S	85	-	0.91	86	-	0.95
72-6S	96	-	0.91	98	-	0.95
72-7S	106	-	0.92	108	-	0.87
72-1V	40	43	-	38	41	-
72-2V	59	66	-	N.A.	N.A.	-
72-3V	72	84	-	61	71	-
72-4V	77	91	-	78	91	-
72-5V	83	94	-	80	90	-
72-6V	94	106	-	92	103	-
72-7V	107	115	-	116	125	-

Note: N.A. = not available due to gauge failure